Gravitational Wave Detection with Atom Interferometry

Surjeet Rajendran, MIT

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with

Savas Dimopoulos, Peter Graham, Jason Hogan, Mark Kasevich

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Many interesting astrophysical sources like black holes, neutron stars etc.

Probe the earliest epochs of the Universe.

Can see cosmic strings, phase transitions, radion fluctuations...

Outline

- I. Gravitational Wave detection
- 2. Atom Interferometry
- 3. Terrestrial Experiment (1 Hz 10 Hz)
- 4. Satellite Setup (10⁻² Hz 1 Hz)
- 5. Sensitivities

 $ds^{2} = -dt^{2} + (1 + h\sin(\omega(t - z)))dx^{2} + (1 - h\sin(\omega(t - z)))dy^{2} + dz^{2}$

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The distance between them oscillates with amplitude hL and frequency ω when $\omega L \ll 1$

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The distance between them oscillates with amplitude hL and frequency ω when $\omega L \ll 1$

The gravity wave can be detected if this oscillation is observed

The Technical Challenge

- Brightest source of gravity waves gives $h \sim 10^{-20}$
- With L ~ I km, need to measure length changes $hL \sim 10^{-17} \mathrm{m}$

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- Brightest source of gravity waves gives $h \sim 10^{-20}$
- With L ~ I km, need to measure length changes $hL \sim 10^{-17} \mathrm{m}$
- Need to ensure that the distance between the objects changes only due to gravity wave i.e. vibrational noise needs to be smaller than hL in the frequency band of interest.

LIGO

LIGO



LIGO



Seismic vibrations rapidly cut off LIGO's sensitivity at frequencies below 40 Hz

Astrophysical sources spend long times (> 10^6 s) moving through this band, compared to ~ 5 s in LIGO's frequency band (40 Hz - 10 KHz).



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Bright gravitational wave sources like mergers of white dwarves and massive black holes do not enter LIGO's band.

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$$h \propto \left(\frac{1}{\omega}\right)^{\left(\frac{3}{2}\right)}$$

These sources are brighter at lower frequencies.

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Source rich band probing a lot of interesting physics.

Atom Interferometry

- Established technology, successfully applied to many fields like precision navigation, gravity gradiometry etc.
- High precision sensors, e.g. 16 digit atomic clock synchronization, accelerometers with 12 digit sensitivity.
- Rapidly evolving field. Several future advances possible e.g. atom cooling techniques etc.





$$|\text{atom}\rangle = |p\rangle$$





 $\frac{1}{\sqrt{2}}(|p+k\rangle + e^{i\Delta\phi}|p\rangle)$ $\frac{1}{\sqrt{2}}(|p\rangle + e^{i\Delta\phi}|p+k\rangle)$ $|\text{atom}\rangle = |p\rangle$







Light Pulse Atom Interferometry (Kasevich and Chu, 1991)

Beamsplitter and mirror must transfer momentum to the atom.

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Atom undergoes coherent Raman Scattering with momentum transfer

$$k = \omega_1 - \omega_2 \approx 2 \,\omega_1 \sim 1 \,\mathrm{eV}$$

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Atom can remain in the same internal level and receive momentum kick.









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Large Momentum Transfer (LMT) beamsplitter

By driving the transition N times, large momenta can be transferred.

 $k_{\rm eff} \sim N\omega_1$

Beamsplitter and Mirror Pulses

$$\psi = c_1 |p\rangle + c_2 |p+k\rangle$$



 $\pi/2$ pulse is a beamsplitter π pulse is a mirror

Spacetime Diagram of the Atom Interferometer



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Phase Shift in the Interferometer



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• Differences in the trajectories of the wavepackets.

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• Differences in the trajectories of the wavepackets.

• The laser phase imprinted on the atom during the atom laser interaction.





Interferometer symmetric about the mirror pulse at T.



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Need to break symmetry to cause phase shift.



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Interferometer is an accelerometer.

 $ds^{2} = -dt^{2} + (1 + h\sin(\omega(t - z)))dx^{2} + (1 - h\sin(\omega(t - z)))dy^{2} + dz^{2}$



Pulse control laser at 0,T and 2T.

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Emission time of passive laser pulse altered by ${\rm ~}hL$

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Maximal phase shift ~ $k_{\rm eff}hL$

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Full calculation: $2k_{\text{eff}}hL\sin^2\left(\frac{\omega T}{2}\right)\sin\left(\omega t\right)$

Comparison of two distant clocks (atom, laser) in the presence of a gravitational wave.

 $ds^{2} = -dt^{2} + (1 + h\sin(\omega(t - z)))dx^{2} + (1 - h\sin(\omega(t - z)))dy^{2} + dz^{2}$



Measuring acceleration ~ h L between atom and laser due to gravitational wave.

The atoms are in free fall during the course of the interferometry.

Atoms coupled to vibrations only gravitationally. A *much* smaller effect!

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Laser phase noise?









Run two, widely separated atom interferometers using common lasers.



Take LIGO's mirrors, drop them and measure relative acceleration during free fall.

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Take LIGO's mirrors, drop them and measure relative acceleration during free fall.

Atoms are LIGO's mirrors.

Role of laser similar to LIGO's laser.

Terrestrial Configuration

Two 10 m atom interferometers at either ends of a vertical mine shaft.

Both interferometers are operated by common lasers.



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Signal scales with the length ~ 1 km between interferometers.

Allows free fall time ~ Is. Maximally sensitive in the I Hz band.



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One possible site: DUSEL Homestake Mine in South Dakota (longest shaft ~ 2.5 km).


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For L ~ I km, light travel time ~ $3\times 10^{-6}{\rm s}$

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Laser vibration control requirement: 10^{-7} (for frequencies 1 Hz < $f < 3 \times 10^5$ Hz)

$$7 \frac{\mathrm{m}}{\sqrt{\mathrm{Hz}}} \left(\frac{1 \mathrm{Hz}}{f}\right)^{\frac{3}{2}} \left(\frac{1 \mathrm{km}}{L}\right)^{\frac{3}{2}}$$

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(demonstrated with lasers locked to high finesse cavities)

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A lot of other backgrounds. While non-trivial, they all seem controllable.

Ultimate Background for Terrestrial Gravitational Wave Detection



Seismic vibrations gravitationally couple to the free falling atoms.

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Seismic vibrations gravitationally couple to the free falling atoms.

Cannot be shielded.

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Allows for gravitational wave detection down to

 $\omega\sim 0.3~{\rm Hz}$

(Thorne and Hughes)



LISA



Technical Details

Arm length L \sim 5 million km.

LISA



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Arm length L ~ 5 million km.

Measure length changes between free floating mirrors due to gravitational wave.

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A gravity wave of amplitude $h \sim 10^{-20}$ causes a length change $hL \sim 10^{-10}$ m.

LISA Satellite Mirror Position should fluctuate by < 0.1 nm in the frequency band of interest.





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Requires position control of the satellite ~ $1 \frac{\text{nm}}{\sqrt{\text{Hz}}}$ at 10^{-2} Hz (LISA Pre Phase A Report)



Mirror Position should fluctuate by < 0.1 nm in the frequency band of interest.

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Free floating mirror gravitationally coupled to vibrations of the satellite.

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Major hurdle for LISA



Two widely separated atom interferometers run by common lasers.



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BUI



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BUT

Do the atom trajectories have to lie inside the satellite?

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Interplanetary magnetic field at I AU ~ 5 nT. Permanent magnet can provide bias field ~ 20 - 100 nT over 100 m region from satellite.



 $L \sim 1000 \text{ km}$

Atoms brought d ~ 30 m from satellites through laser manipulations. Run interferometer over region $I_{L} \sim 100$ m.



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Position fluctuation δr of the satellite causes an acceleration $\sim \left(\frac{GM_{\text{sat}}}{d^2}\right) \left(\frac{\delta r}{d}\right)$

Effects of satellite position noise strongly suppressed with increasing d.



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With $I_L \sim 100$ m, T < 100 s. Can probe gravitational waves with frequencies greater than 10^{-2} Hz.

Signal again scales with the distance L between interferometers. Distance limited by laser power. With One Watt, L \sim 1000 km.

Ideally...



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Three independent channels with directional information.

Increases confidence in detection.

Enhances sensitivity to stochastic gravitational wave sources by crosscorrelation.

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Further suppresses laser phase noise.

For gravitational wave sensitivity similar to LISA, the atom interferometer requires position control of the satellite at

$$\sim 10 \frac{\mu \text{m}}{\sqrt{\text{Hz}}}$$
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Background absent for atom interferometer. Neutral atoms in magnetically insensitive states.

Collisions with background gas also a problem for LISA. Not a problem for atom interferometer.



Phase noise cancellation up to knowledge of arm length.



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$$\delta\phi \sim \frac{1}{\sqrt{N_{atoms}}}$$

and the momentum $k_{\rm eff}$ transferred to the atom.

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Status of the technology?

(Hogan, Johnson and Kasevich)

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10 m

Goal

Test equivalence principle to 10^{-15} in controlled (lab) conditions. Improves current bounds by ~ 300.

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Projected Terrestrial Sensitivity



L=1 km and 4 km

Terrestrial Stochastic Sensitivity



Projected Satellite Sensitivity



 $L=100 \text{ km}, 10^3 \text{ km}, \text{ and } 10^4 \text{ km}$

Satellite Stochastic Sensitivity



Satellite Stochastic Sensitivity



also get observable gravity waves from some SUSY models (NMSSM)

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Improved technology (e.g. more photon kicks, squeezed atom states etc.) imply direct sensitivity gain.

Conclusions

- The discovery of gravitational waves will open a new window into the Universe.
- The frequency band 10⁻² Hz 10 Hz is rich with a large number of expected astrophysical sources. It also probes the cosmology of the Universe during the electroweak transition.
- Frequency band complementary to LIGO.
- The atom interferometer configuration discussed in this talk allows for large signal enhancements while simultaneously suppressing backgrounds.
- Potentially easier systematics than conventional light interferometers.

Mock Sensitivity Plot $\delta\phi \sim k_{\rm eff} h L \sin^2\left(\frac{\omega T}{2}\right)$

