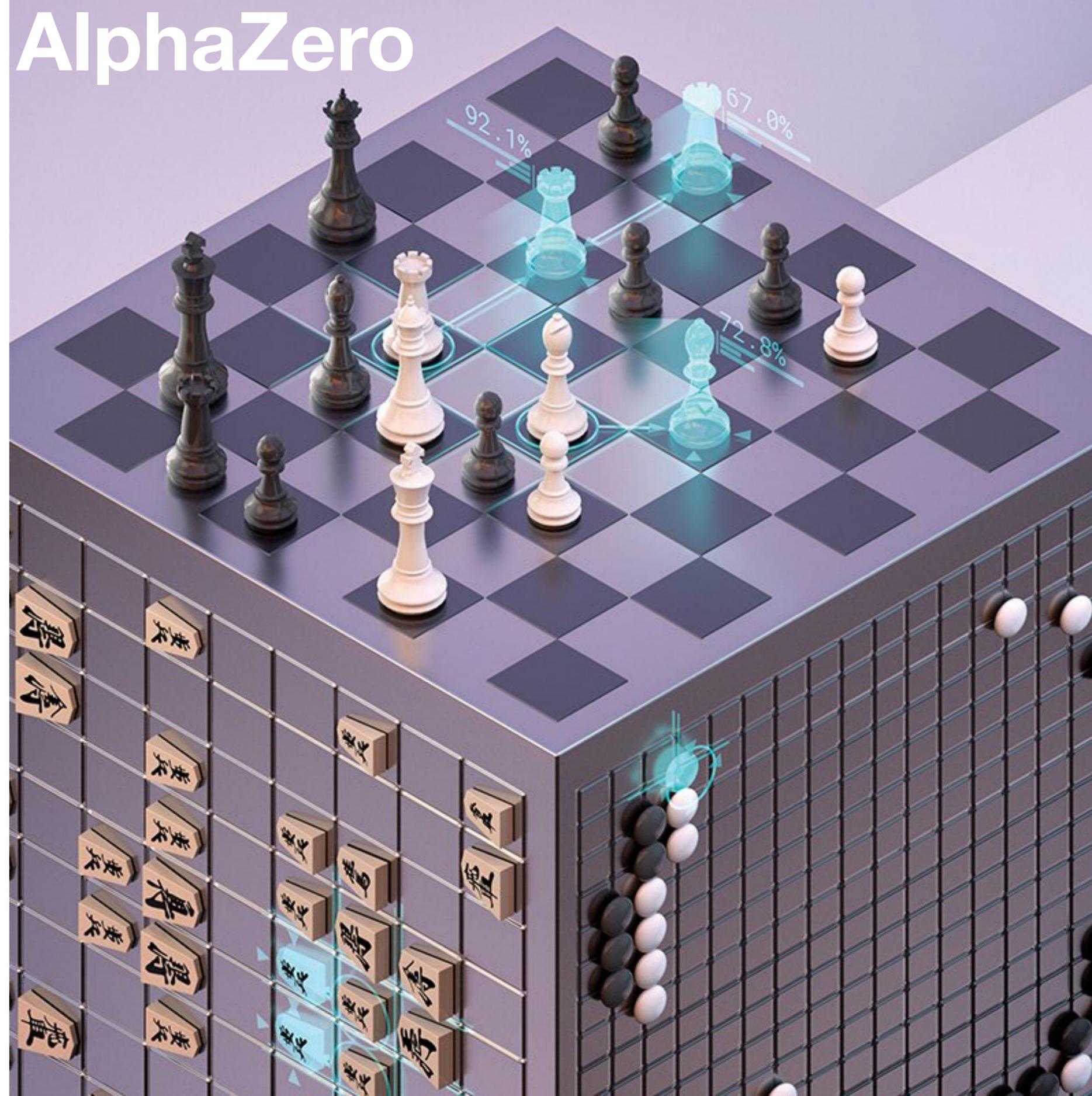


Machine learning for people who
already know all the math.

AlphaZero





I had such a



great **great time** lovely

1 2 3 4 5 6 7 8 9 0
q w e r t y u i o p
@ # & * - + = ()
a s d f g h j k l
↑ z x c v b n m ✕
123 , SwiftKey . ,!?



How to |

- how to 意味
- how to use
- how to 歌詞
- how to pronounce
- how to build a girl
- how to basic
- how to be single
- how to avoid a climate disaster

Google 検索

I'm Feeling Lucky

不適切な検索候補の報告



どうやって|

- どうやって
- どうやって 英語
- どうやって死にてえ マイキー
- どうやって生きていこう
- どうやって 韓国語
- どうやって戦えばいいんだ
- どうやってここまで
- どうやって学校に行きますか 英語

Google 検索

I'm Feeling Lucky

不適切な検索候補の報告

Written by AI 人工知能が書いた

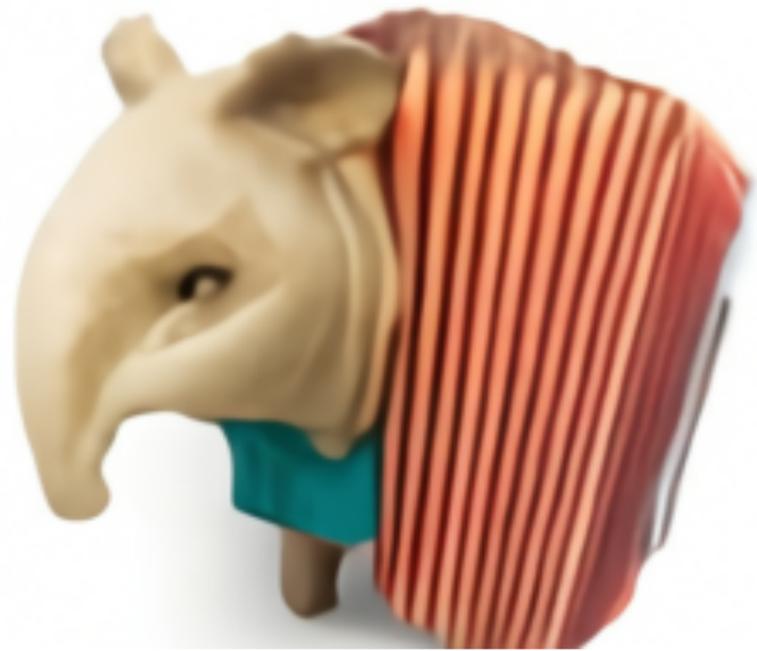
The best kind of ramen is the one you can eat while doing your taxes. At least, that's what the government's recently published "Ramen: The Global Ramen Experiment" suggests.

Next, I will tell you about string theory. String theory is a mathematical model of our universe, a theory that describes not only how our spacetime is constructed, but how it is built into the fabric of reality.

an armchair in the shape of an avocado
アボカドの形をした椅子



a tapir made of accordion
アコーディオンで作った狨さん



Outline

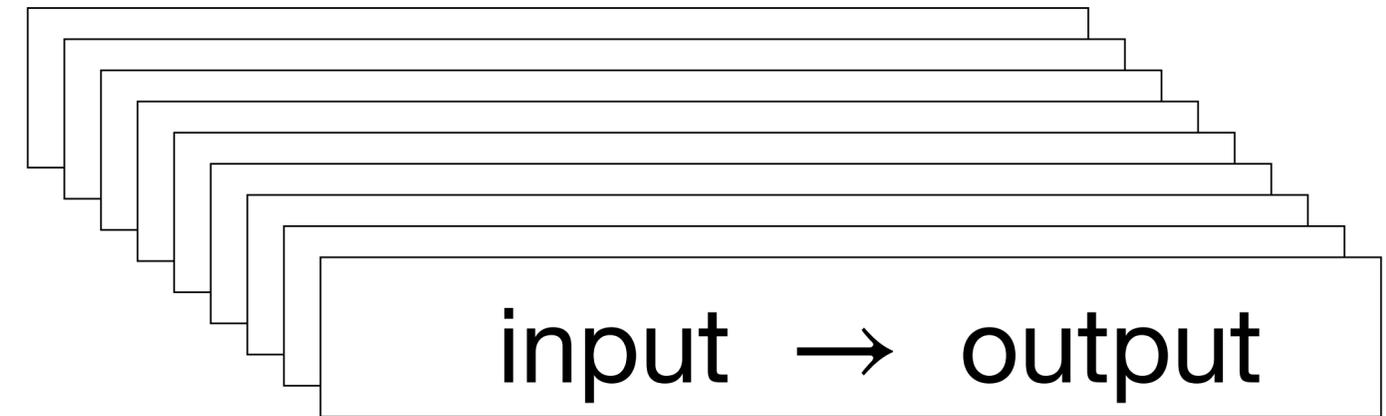
- How is playing chess and writing text curve fitting?
- What do these functions look like?
- Why don't we overfit or get stuck in a local minimum?

Outline

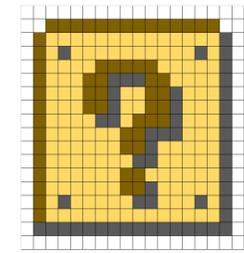
- How is playing chess and writing text curve fitting?
- What do these functions look like?
- Why don't we overfit or get stuck in a local minimum?

Goal of machine learning

- Training data 学習データ



- New input 新しい入力 →

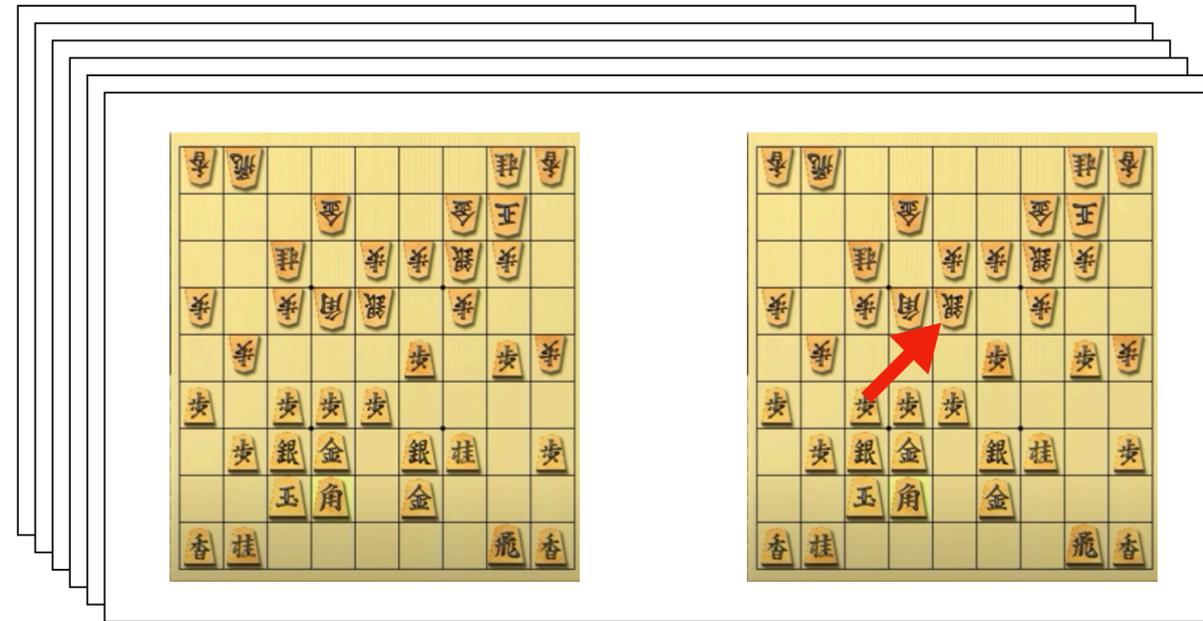


Function domain and range

$$\text{Data} = \{(x_\alpha, y_\alpha)\} \quad \begin{array}{l} x_\alpha \in \mathbb{R}^{M \times N} \\ y_\alpha \in \mathbb{R}^{M' \times N'} \quad \text{one-hot} \end{array}$$

$$p(x, \theta) \in \mathbb{R}^{M' \times N'} \quad \begin{array}{l} \text{probability distribution} \\ \text{parameters } \theta \end{array}$$

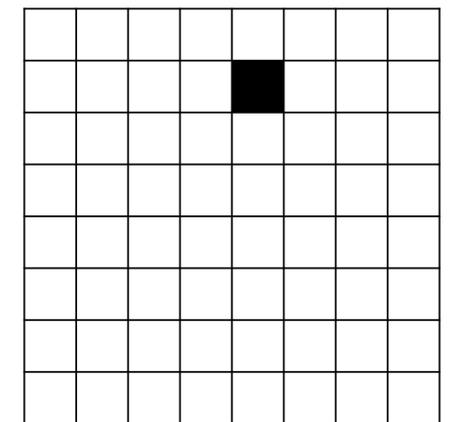
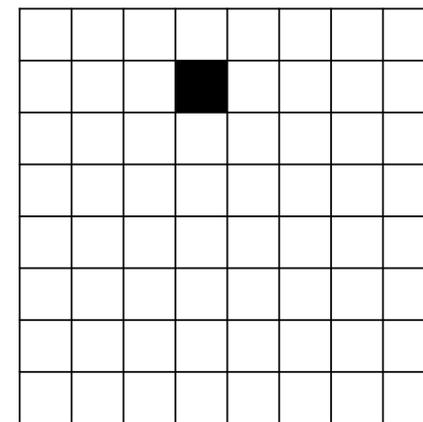
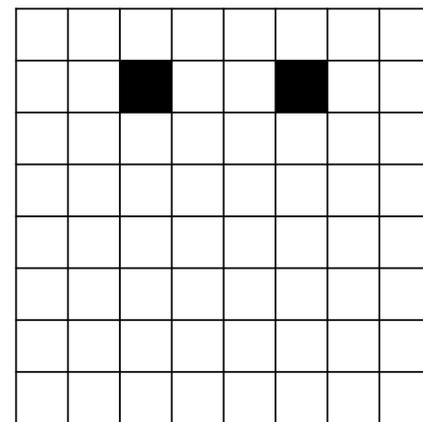
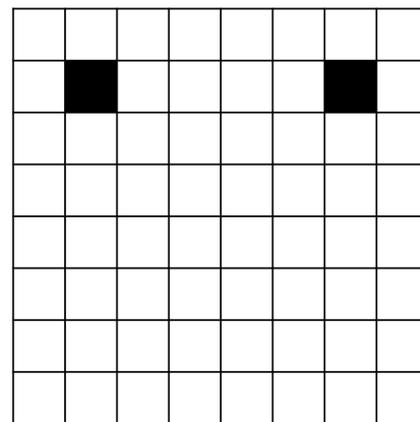
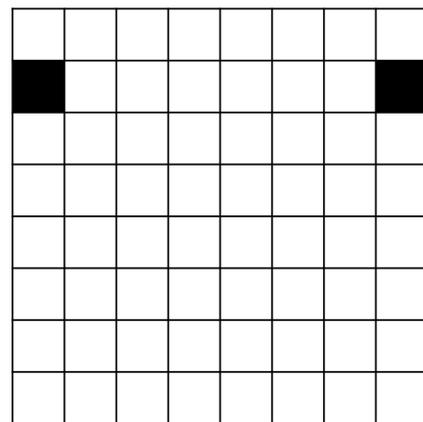
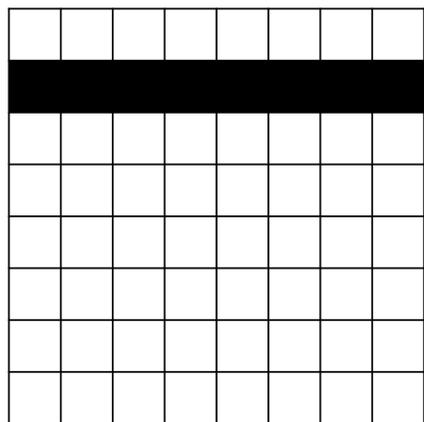
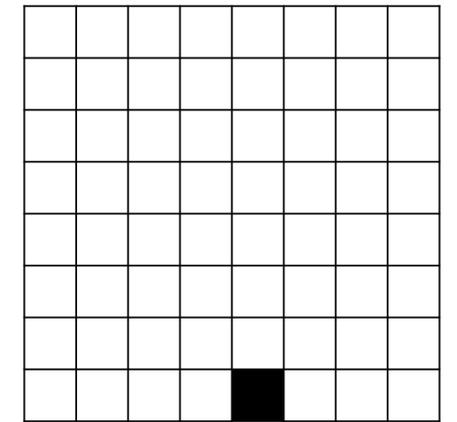
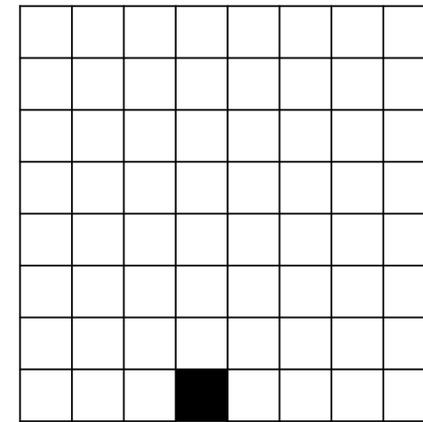
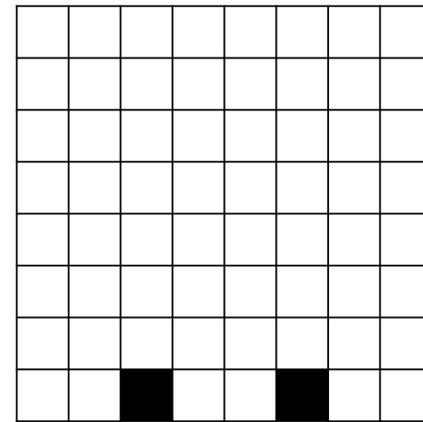
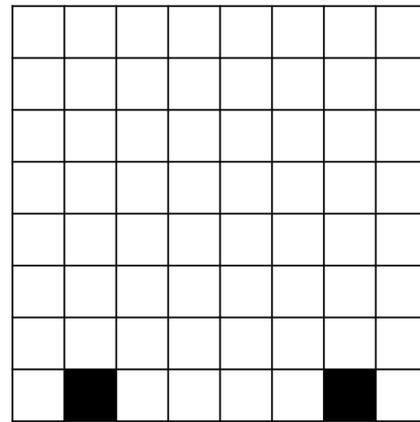
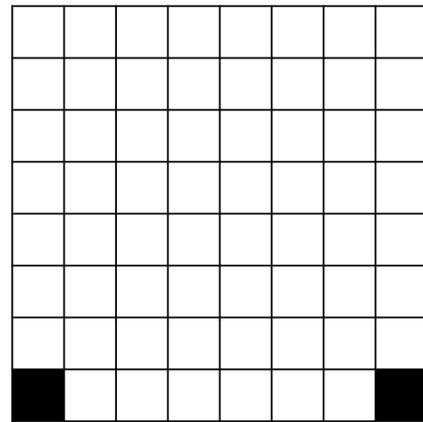
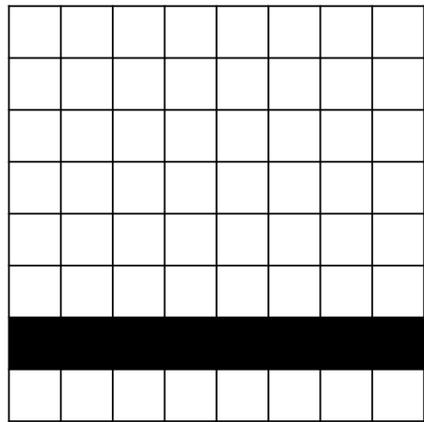
Chess · Shogi 将棋 · Go 碁



- (Position, move made by winning player)
(駒の位置、勝った棋士の次の一手)
- 44 million games 44百万の試合

Chess input space

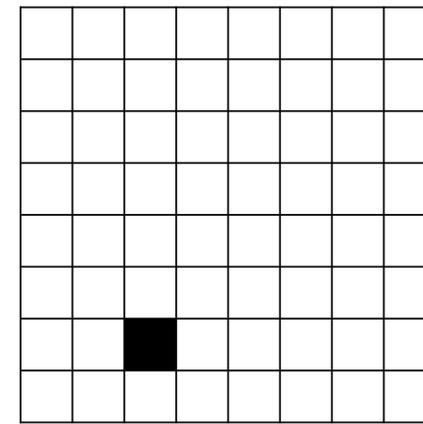
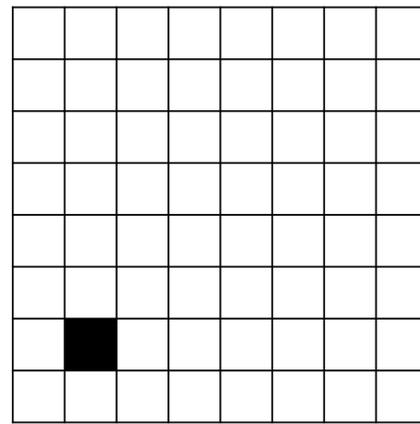
$$x \in \mathbb{R}^{8 \times 8 \times (6+6+1)}$$



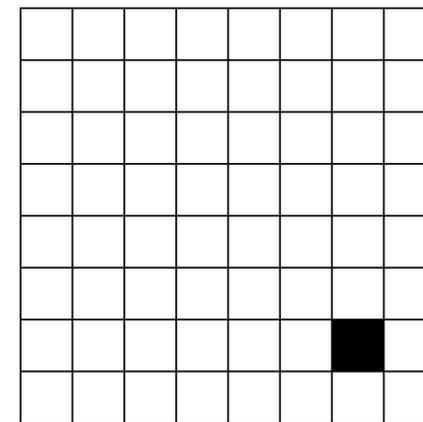
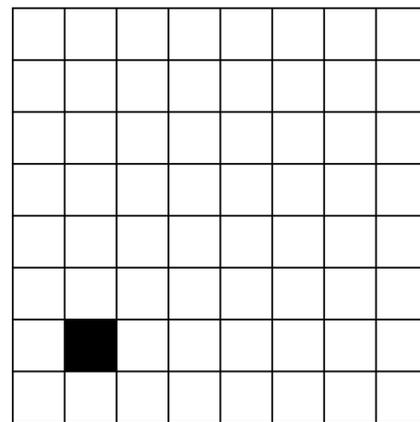
Chess output space

$$y \in \mathbb{R}^{8 \times 8 \times (8 \times 7 + 8)}$$

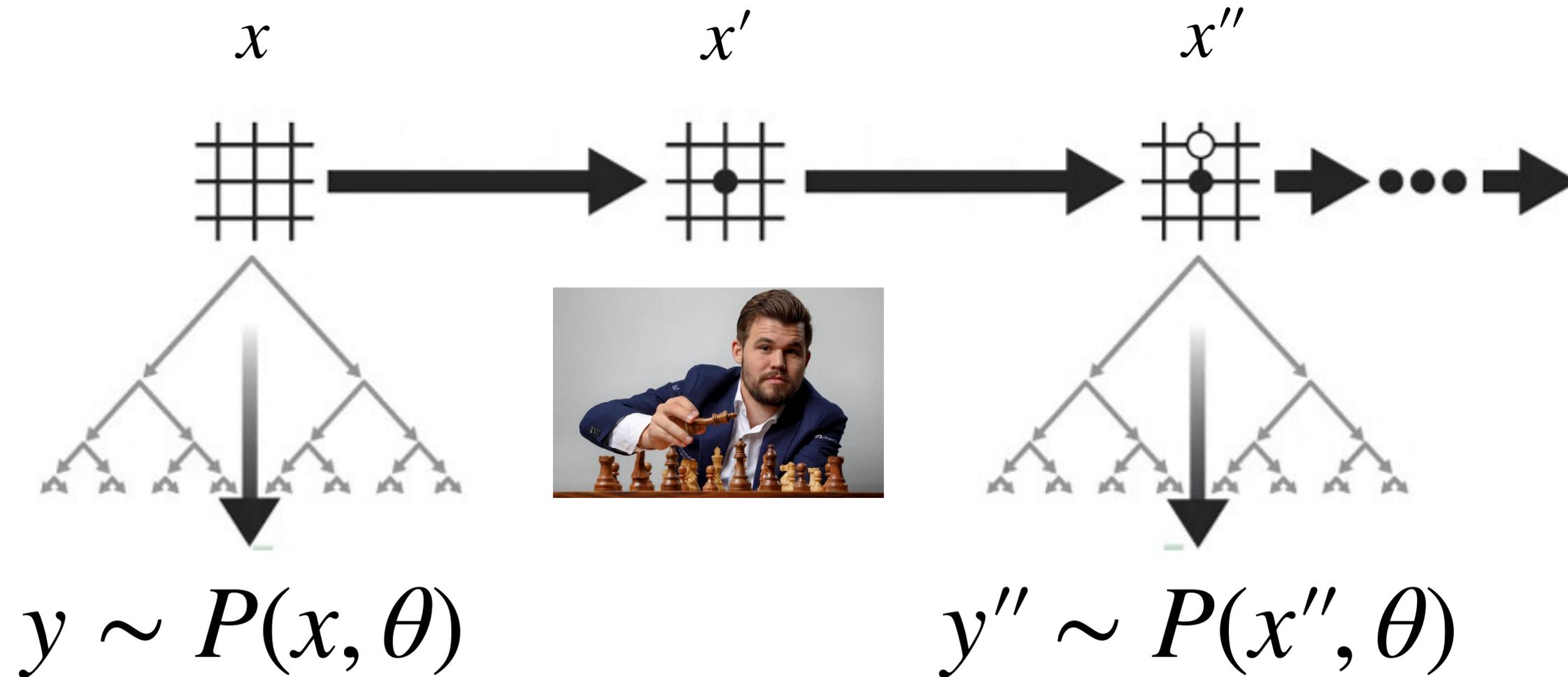
$$y_{2 \times 2 \times (3 \times 1 + 0)}$$



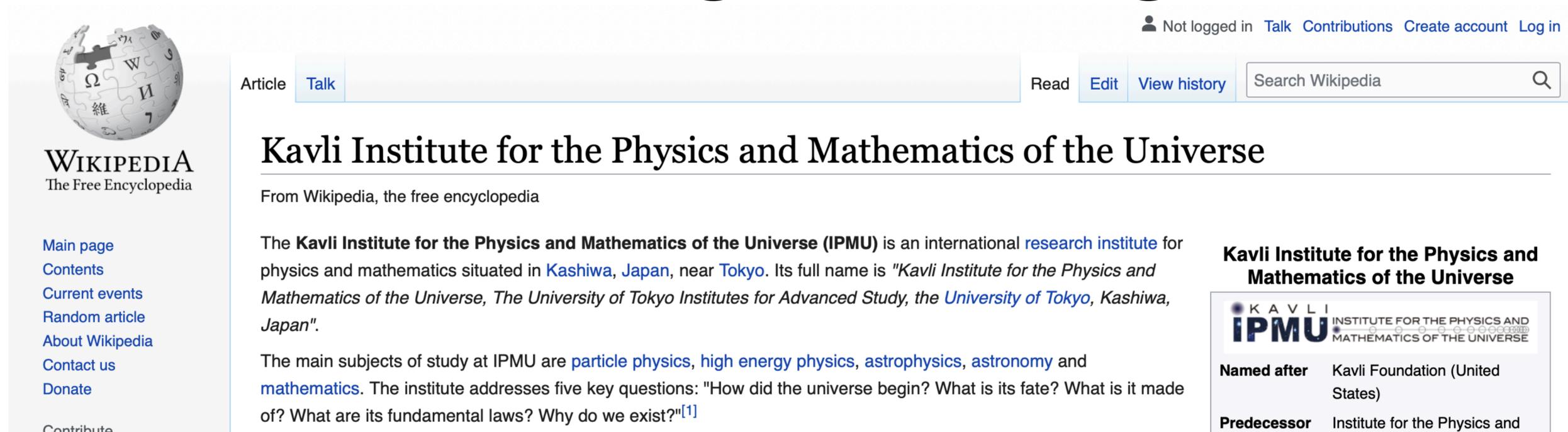
$$y_{2 \times 2 \times (3 \times 5 + 0)}$$



How to play chess



Text-writing training data



The screenshot shows a Wikipedia article page. At the top right, it says "Not logged in" with links for "Talk", "Contributions", "Create account", and "Log in". Below this is a search bar with the text "Search Wikipedia" and a magnifying glass icon. The article title is "Kavli Institute for the Physics and Mathematics of the Universe". Below the title, it says "From Wikipedia, the free encyclopedia". The main text of the article begins: "The **Kavli Institute for the Physics and Mathematics of the Universe (IPMU)** is an international [research institute](#) for physics and mathematics situated in [Kashiwa, Japan](#), near [Tokyo](#). Its full name is "*Kavli Institute for the Physics and Mathematics of the Universe, The University of Tokyo Institutes for Advanced Study, the [University of Tokyo](#), Kashiwa, Japan*". The main subjects of study at IPMU are [particle physics](#), [high energy physics](#), [astrophysics](#), [astronomy](#) and [mathematics](#). The institute addresses five key questions: "How did the universe begin? What is its fate? What is it made of? What are its fundamental laws? Why do we exist?"^[1]

On the right side of the article, there is a box titled "Kavli Institute for the Physics and Mathematics of the Universe" containing the IPMU logo and a table with the following information:

Named after	Kavli Foundation (United States)
Predecessor	Institute for the Physics and

On the left side of the article, there is a sidebar with the Wikipedia logo and the text "WIKIPEDIA The Free Encyclopedia". Below this are links for "Main page", "Contents", "Current events", "Random article", "About Wikipedia", "Contact us", "Donate", and "Contribute".

- (The Kavli Institute for, the)
- (The Kavli Institute for the, Physics)
- (The Kavli Institute for the Physics, and)
- Next word prediction, 600 Billion words 次の単語を予測、6千億の単語

Encode words as vectors

\mathbb{R}^{50000}

The = $(1, 0, 0, 0, \dots)$
is = $(0, 1, 0, 0, \dots)$
apple = $(0, 0, 1, 0, \dots)$
Japan = $(0, 0, 0, 1, \dots)$

present
ations
es

Sentences are a concatenation of words

$$x = \left[x_{\text{Life}}, x_{\text{is}}, x_{\text{great}}, x_{\text{!}}, x_{\text{pad}}, x_{\text{pad}}, \dots, x_{\text{pad}} \right]$$

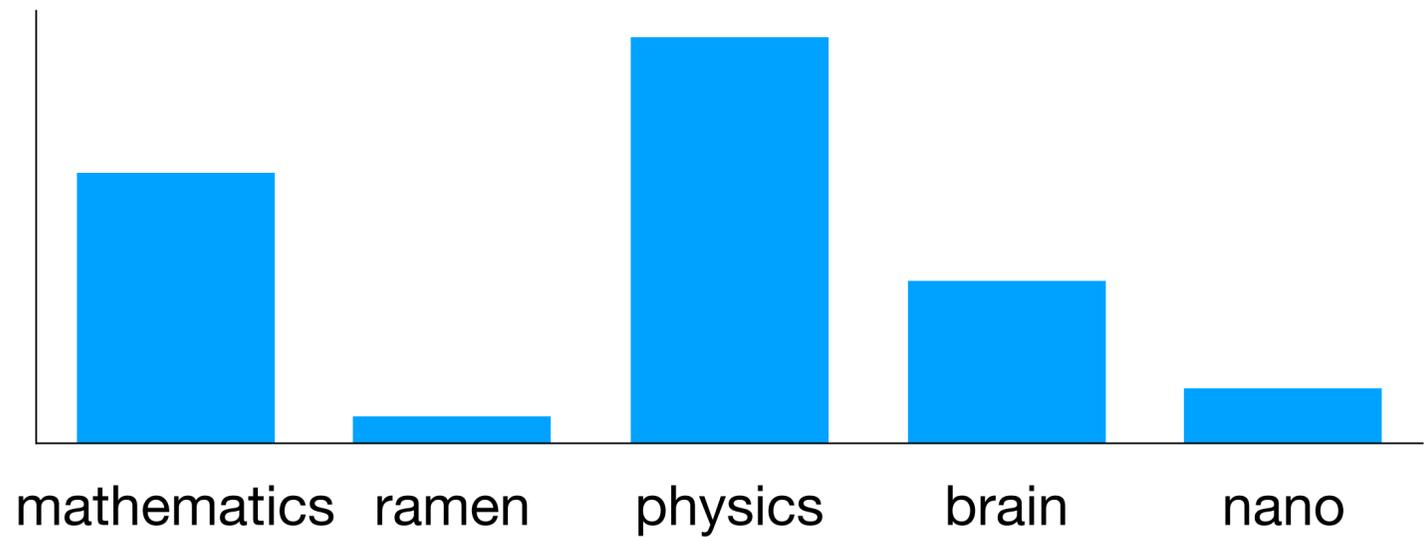
$$\text{input} \in \mathbb{R}^{50000 \times 512}$$

$$\text{output} \in \mathbb{R}^{50000} \quad \text{probability distribution}$$

How to write text

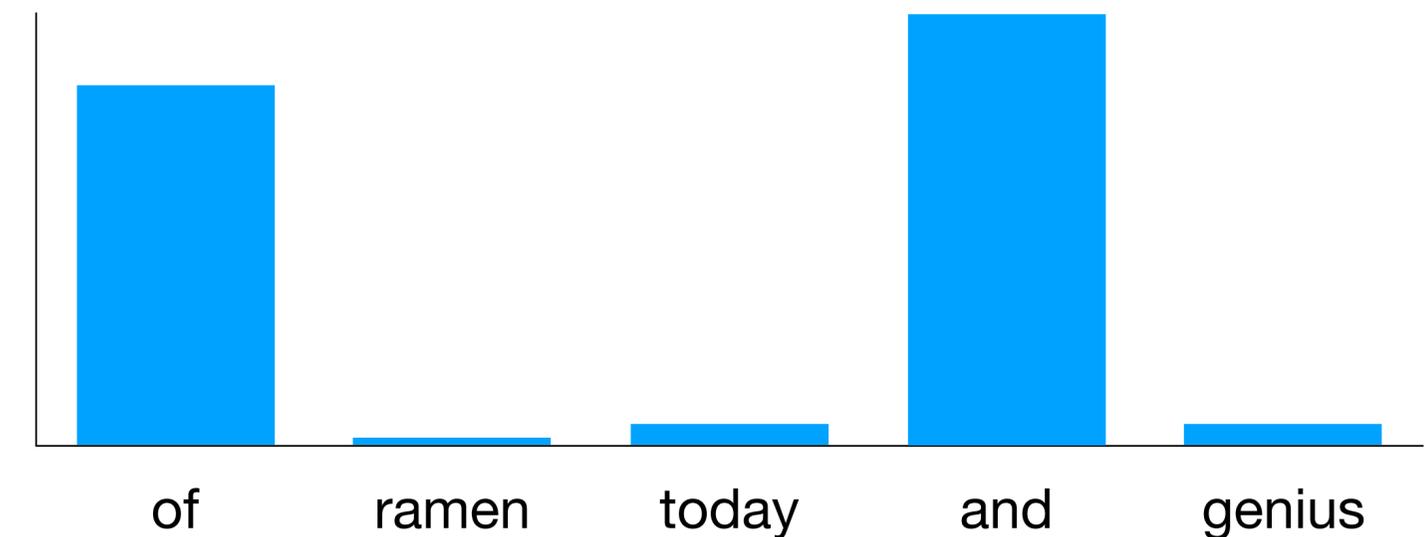
x = The Kavli Institute for the

$$P(x, \theta)$$



x' = The Kavli Institute for the physics

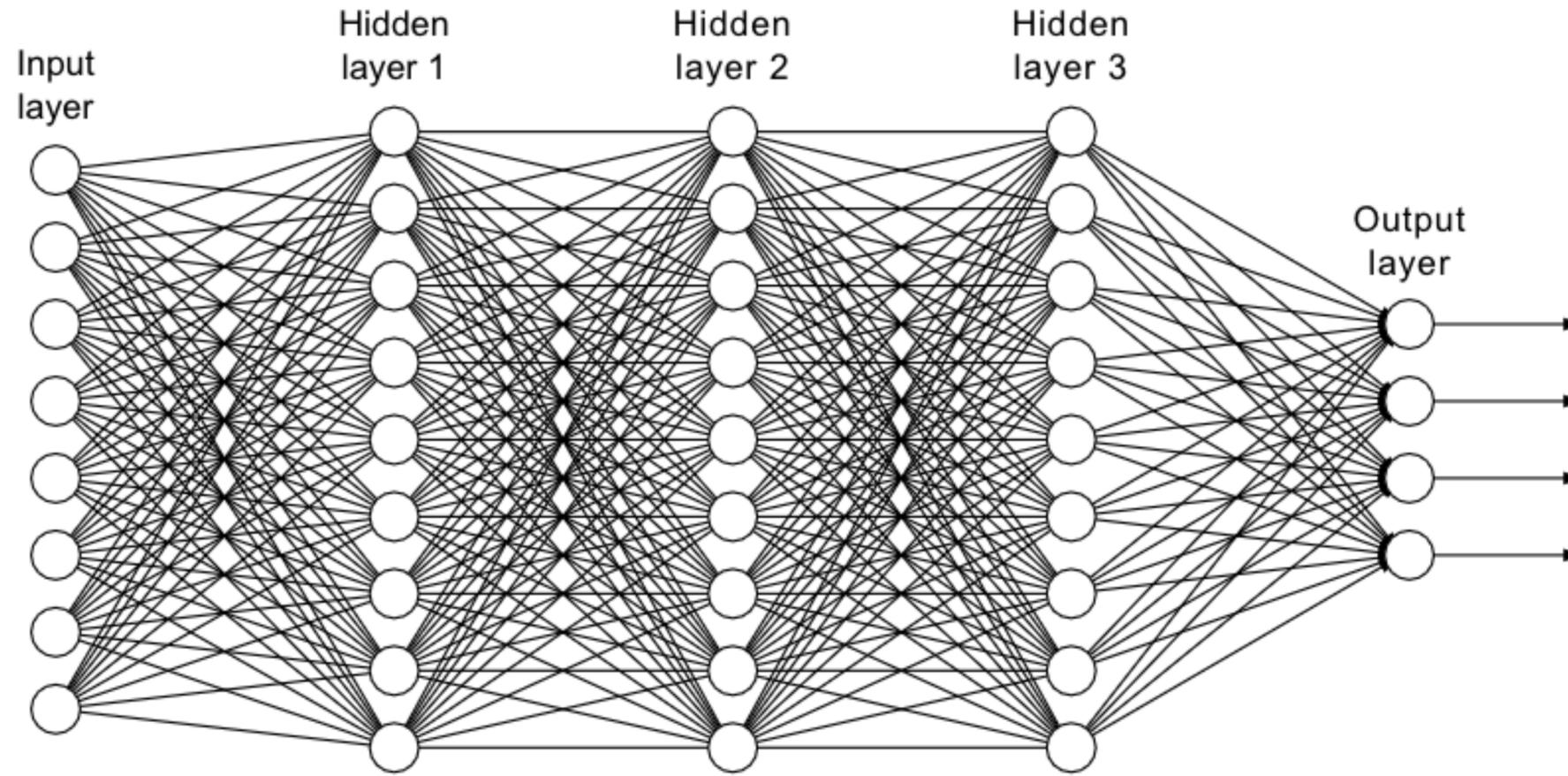
$$P(x', \theta)$$



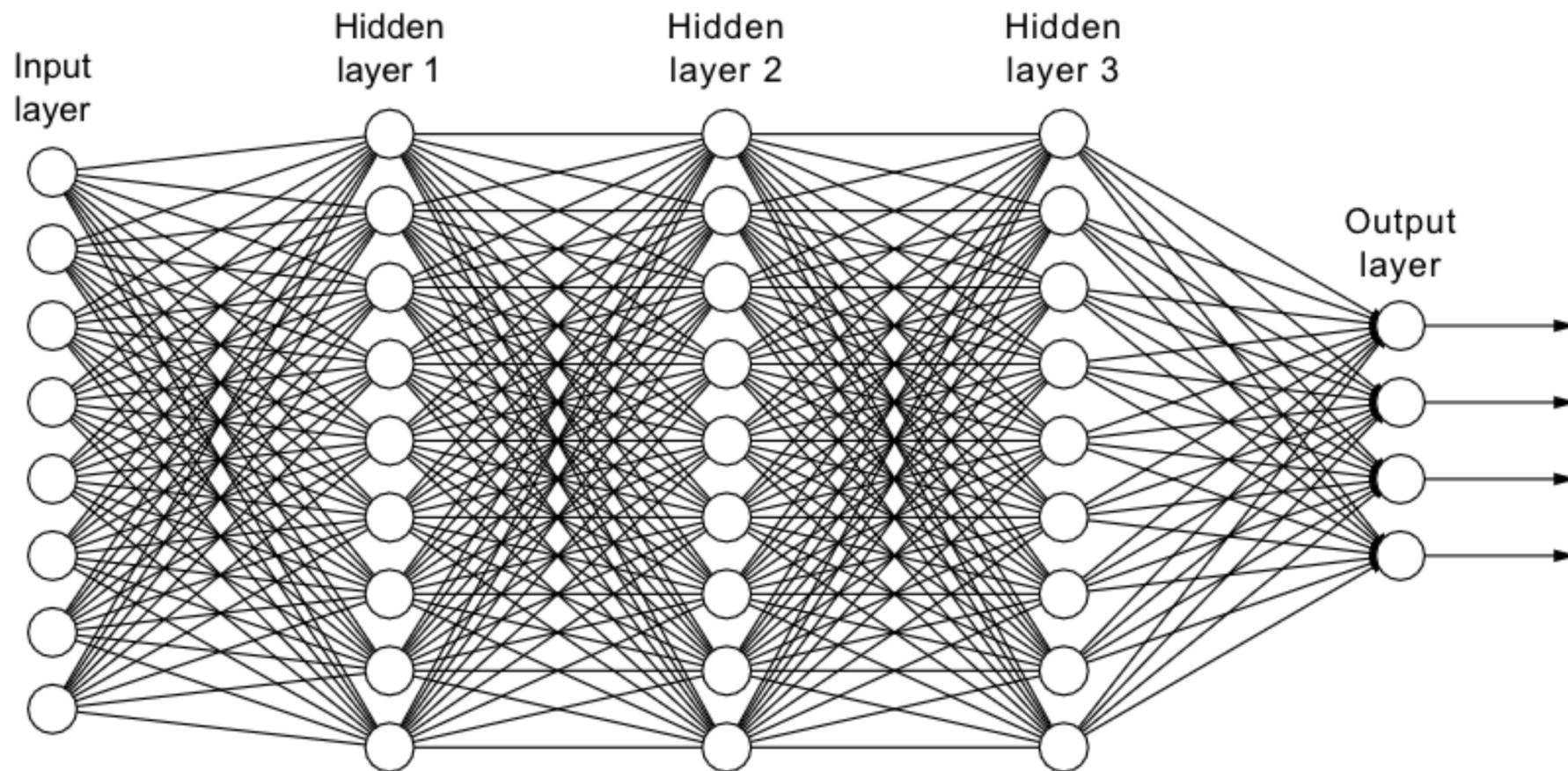
Outline

- How is playing chess and writing text curve fitting?
- **What do these functions look like?**
- Why don't we overfit or get stuck in a local minimum?

Neural Network



Neural Network



$$h^1 = \max(0, W^1 x + b^1)$$

$$h^2 = \max(0, W^2 h^1 + b^2)$$

$$h^3 = \max(0, W^3 h^2 + b^3)$$

$$h^4 = W^4 h^3 + b^4$$

$$p_i = \frac{e^{h_i^4}}{\sum_j e^{h_j^4}}$$

Transformers

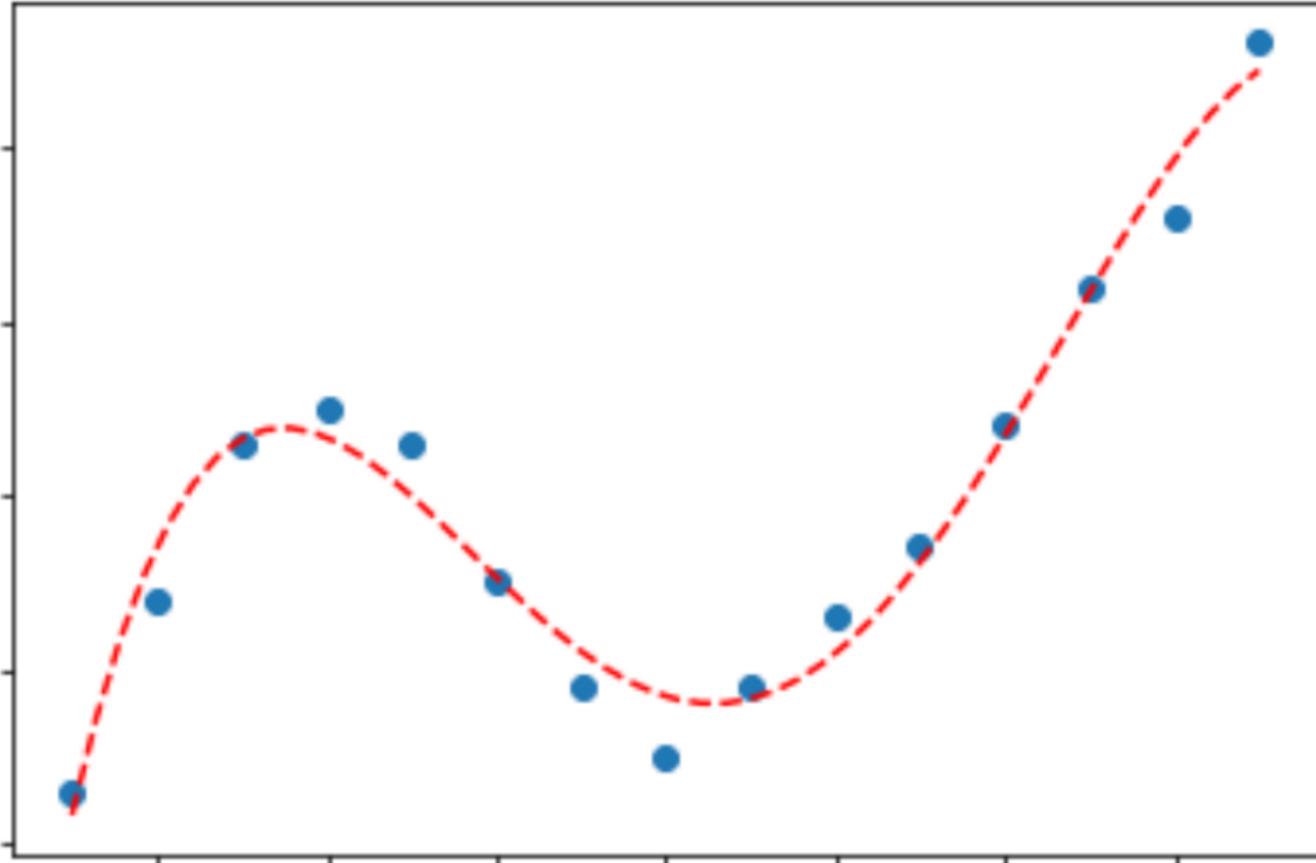
$$[h_1, h_2, h_3, \dots, h_{512}] \quad h_i \in \mathbb{R}^N$$

$$h'_i = V \alpha_{ij} h_j \quad \alpha_{ij} = \frac{e^{h_i M h_j}}{\sum_k e^{h_i M h_k}}$$

Outline

- How is playing chess and writing text curve fitting?
- What do these functions look like?
- **Why don't we overfit or get stuck in a local minimum?**

Loss



$$\text{Loss}(\theta) = - \sum_{\alpha=1}^{N_{\text{data}}} (y_{\alpha} - p(x_{\alpha}, \theta))^2$$

Multiple class loss

$$\text{Data} = \{(x_\alpha, y_\alpha)\}$$

$$x_\alpha \in \mathbb{R}^{M \times N}$$

$$y_\alpha \in \mathbb{R}^{M' \times N'} \quad \text{one-hot}$$

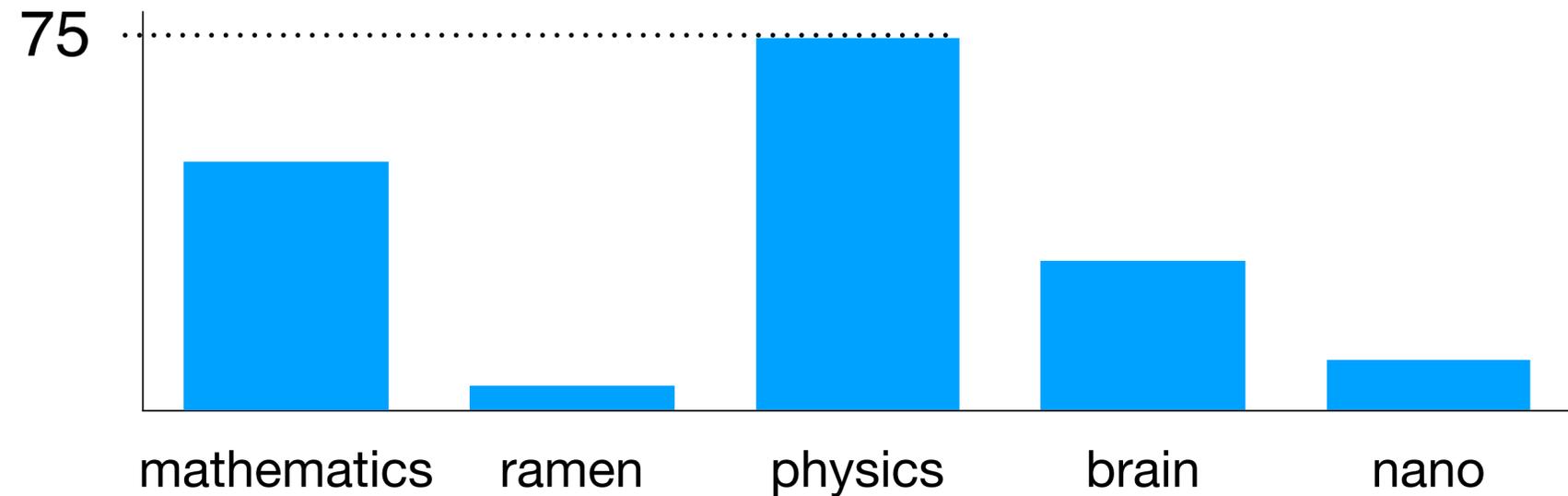
$$\text{label}_\alpha = \text{index of non-zero element}$$

Multiple class loss

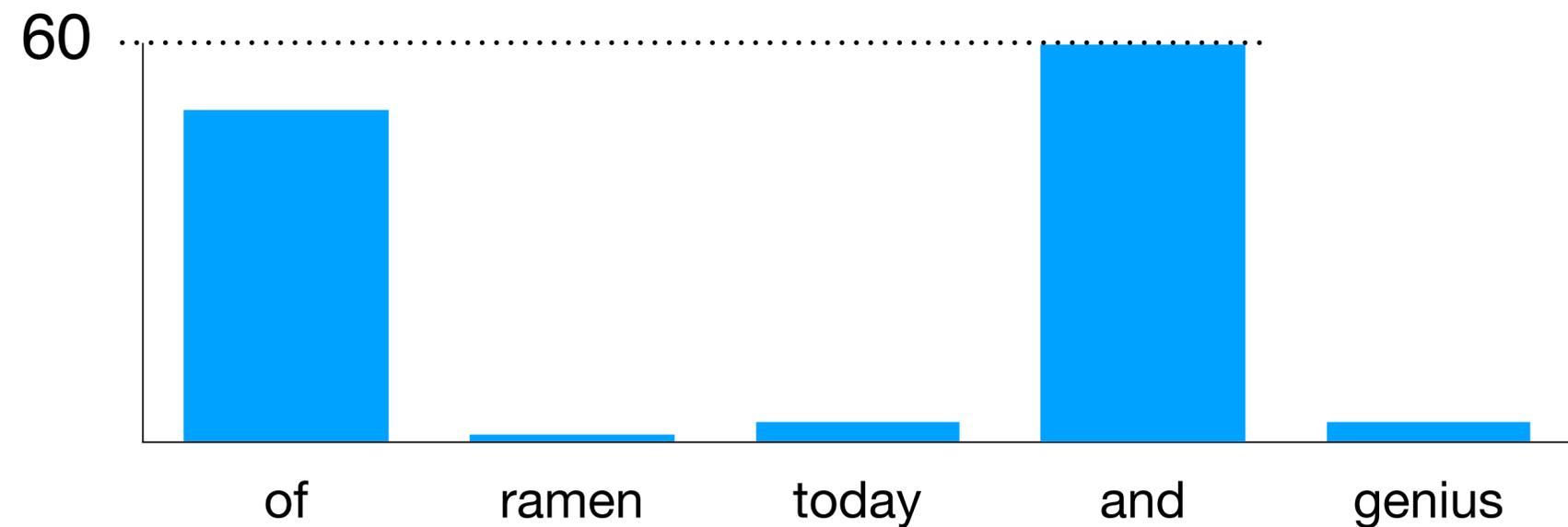
$$\text{Loss}(\theta) = - \sum_{\alpha=1}^{N_{\text{data}}} \ln p_{\text{label}_{\alpha}}(x_{\alpha}, \theta)$$

Example

The Kavli Institute for the



The Kavli Institute for the physics

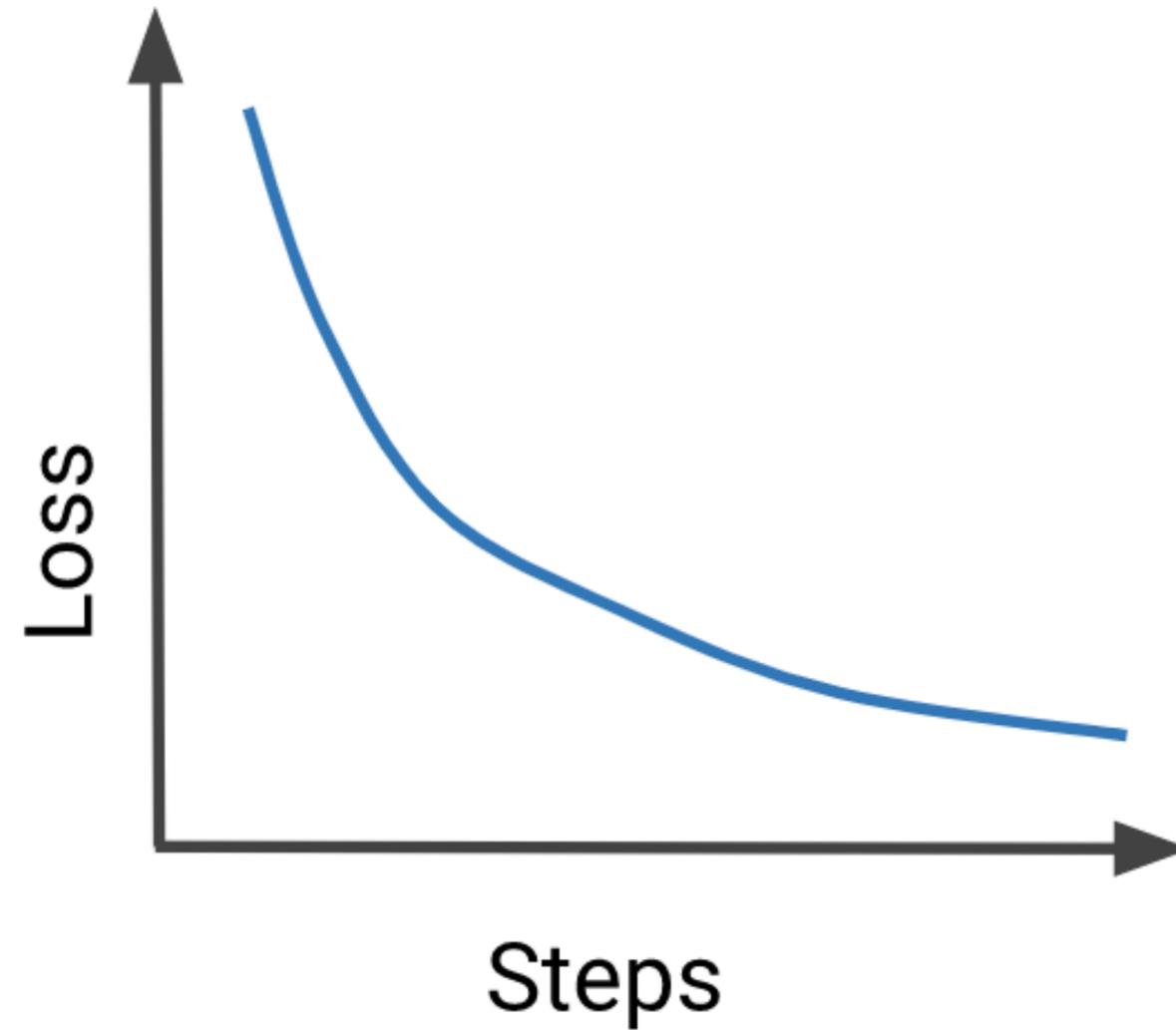


$$\text{Loss}(\theta) = -\log 0.75 - \log 0.6 - \dots$$

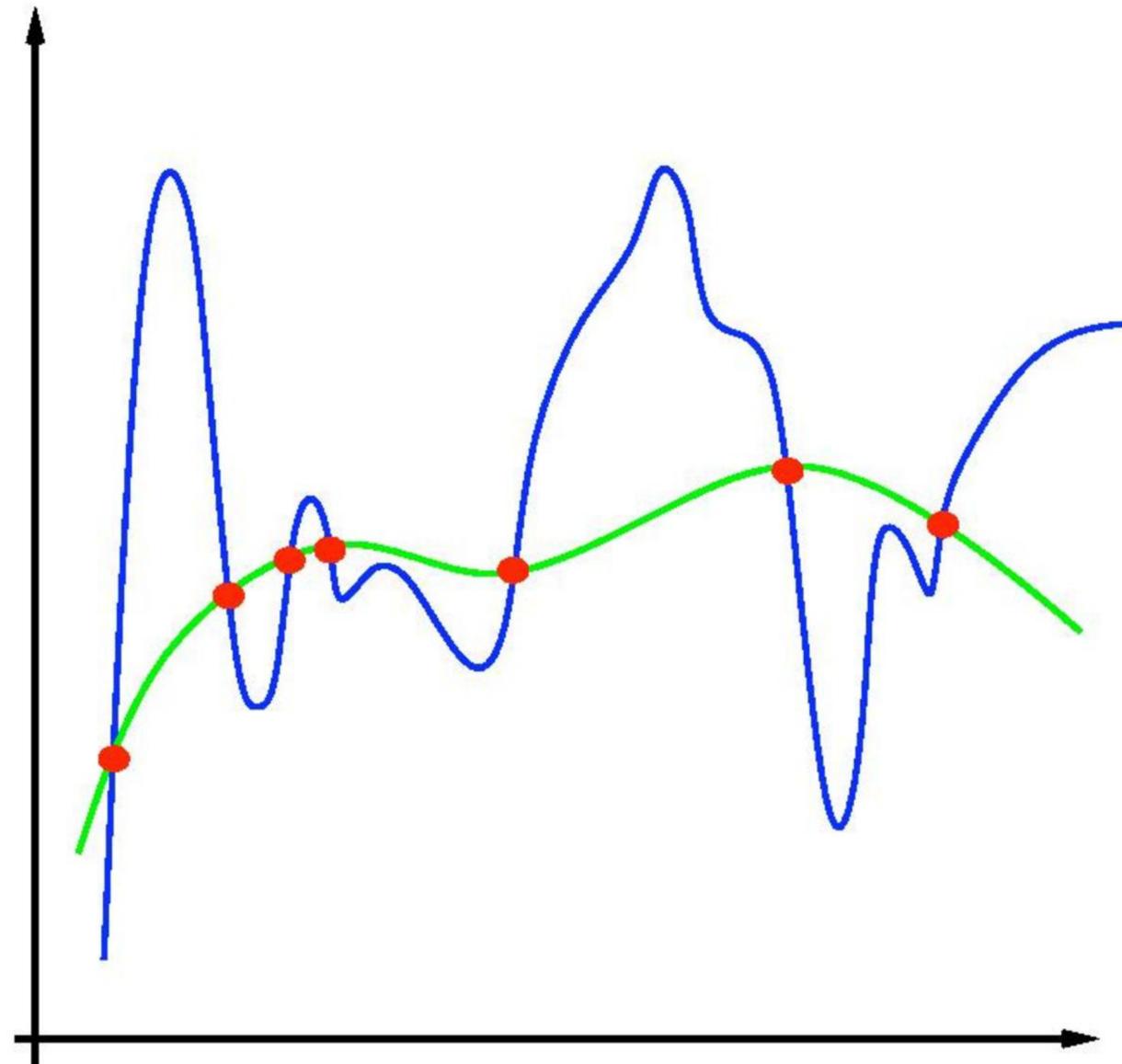
Gradient Descent

$$\theta = \theta - \epsilon \partial_{\theta} \text{Loss}$$

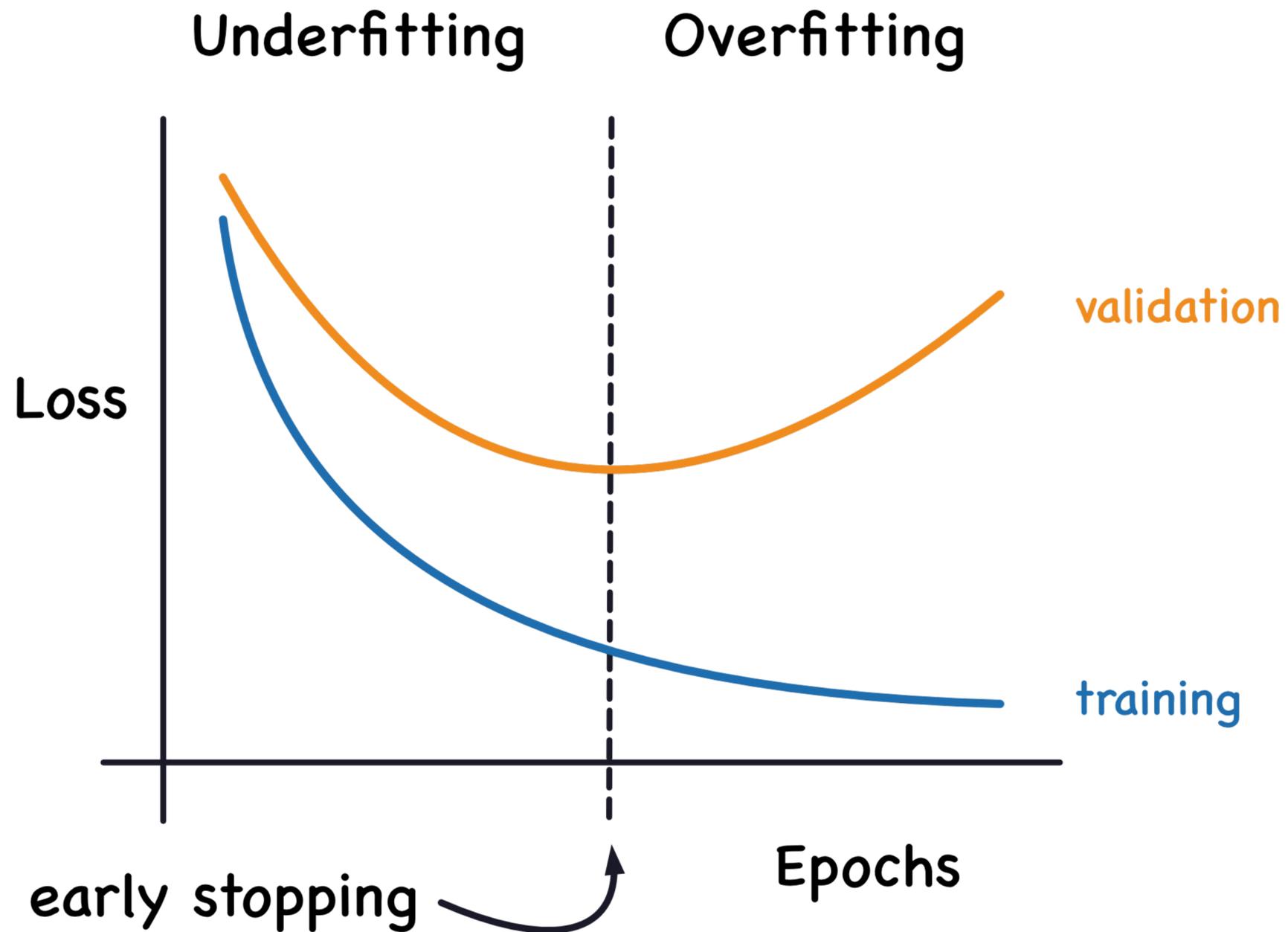
Loss decreases during learning (optimization)



Overfitting



Preventing Overfitting



Local Minimum?

$$\theta = \theta - \epsilon \partial_{\theta} \text{Loss}$$

$$= \theta + \epsilon \partial_{\theta} \sum_{\alpha=1}^{N_{\text{data}}} \ln p_{\text{label}_{\alpha}}$$

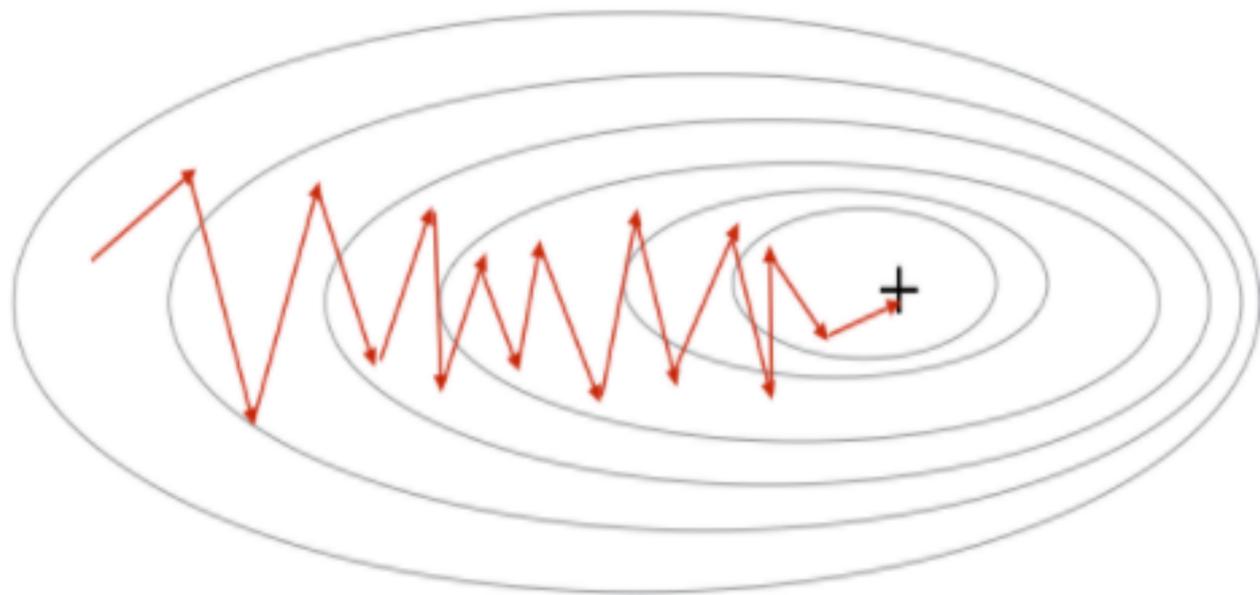
Stochastic Gradient Descent

$$\theta = \theta - \epsilon \partial_{\theta} \text{Loss}$$

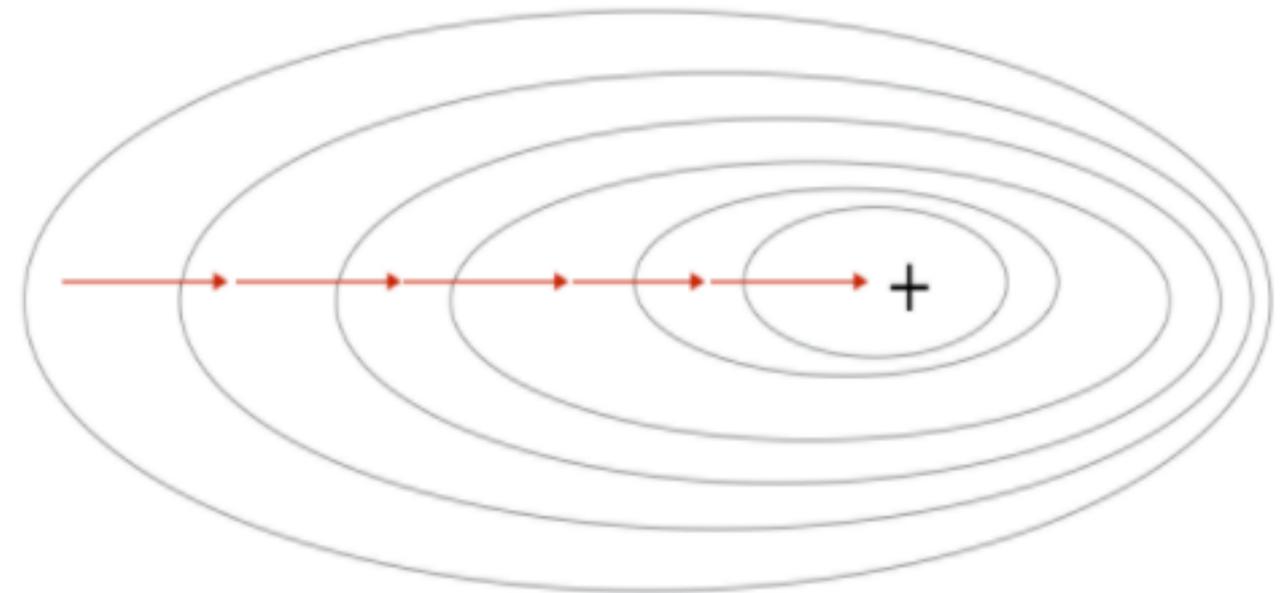
$$= \theta + \epsilon \partial_{\theta} \sum_{\alpha=1}^{N_{\text{batch}}} \ln p_{\text{label}_{\alpha}}$$

Stochastic Gradient Descent

Stochastic Gradient Descent



Gradient Descent

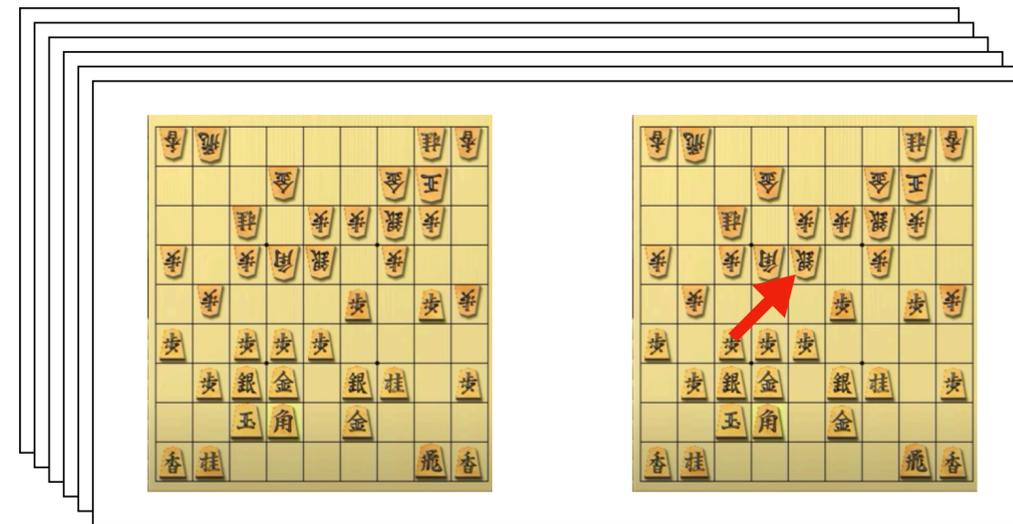


Outline

- How is playing chess and writing text curve fitting?
- What do these functions look like?
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Reinforcement learning 強化学習

Self play 自分と対戦



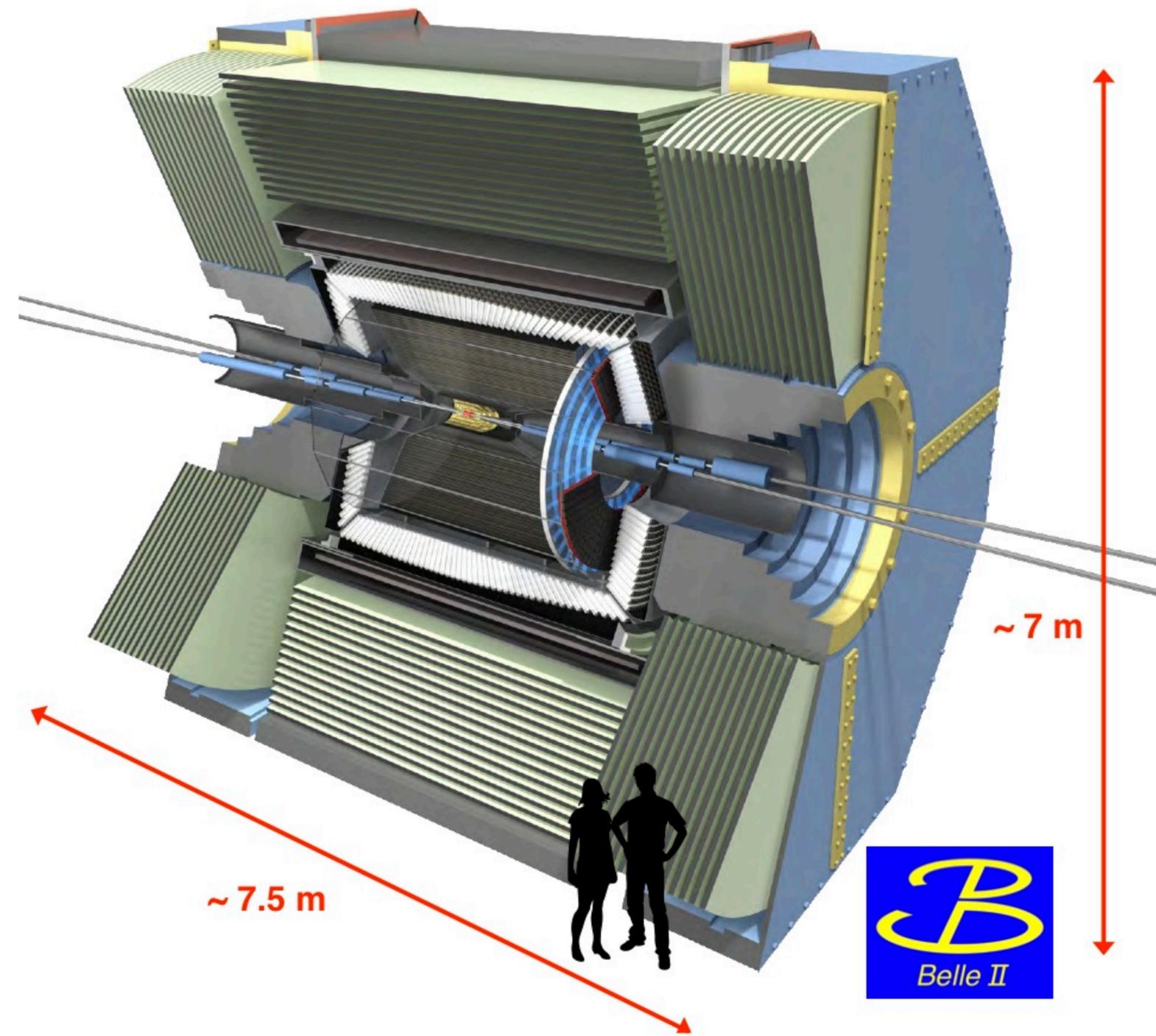
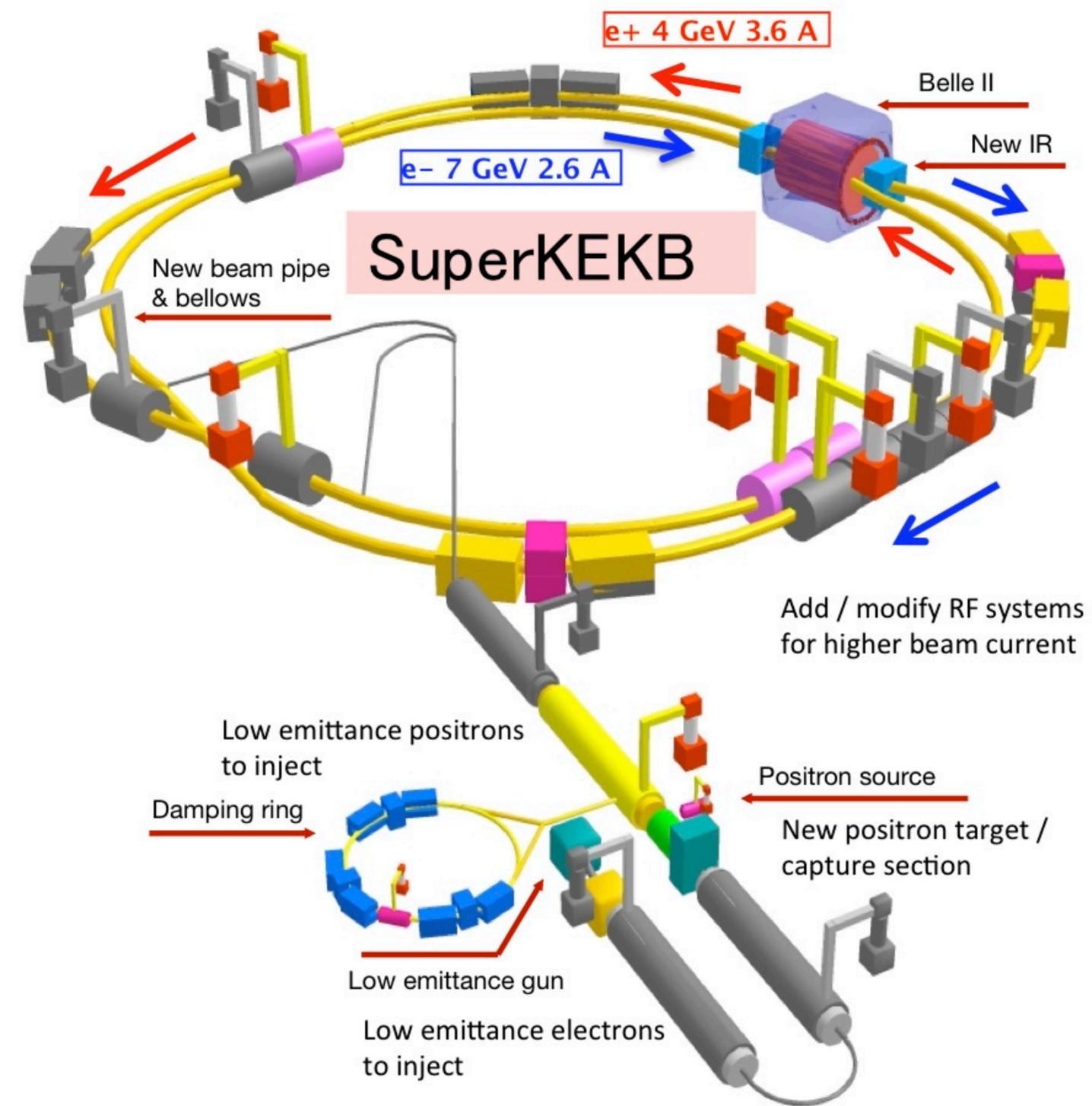
→ Learn 学び

(Position, move made by winning player)
(駒の位置、勝った棋士の次の一手)

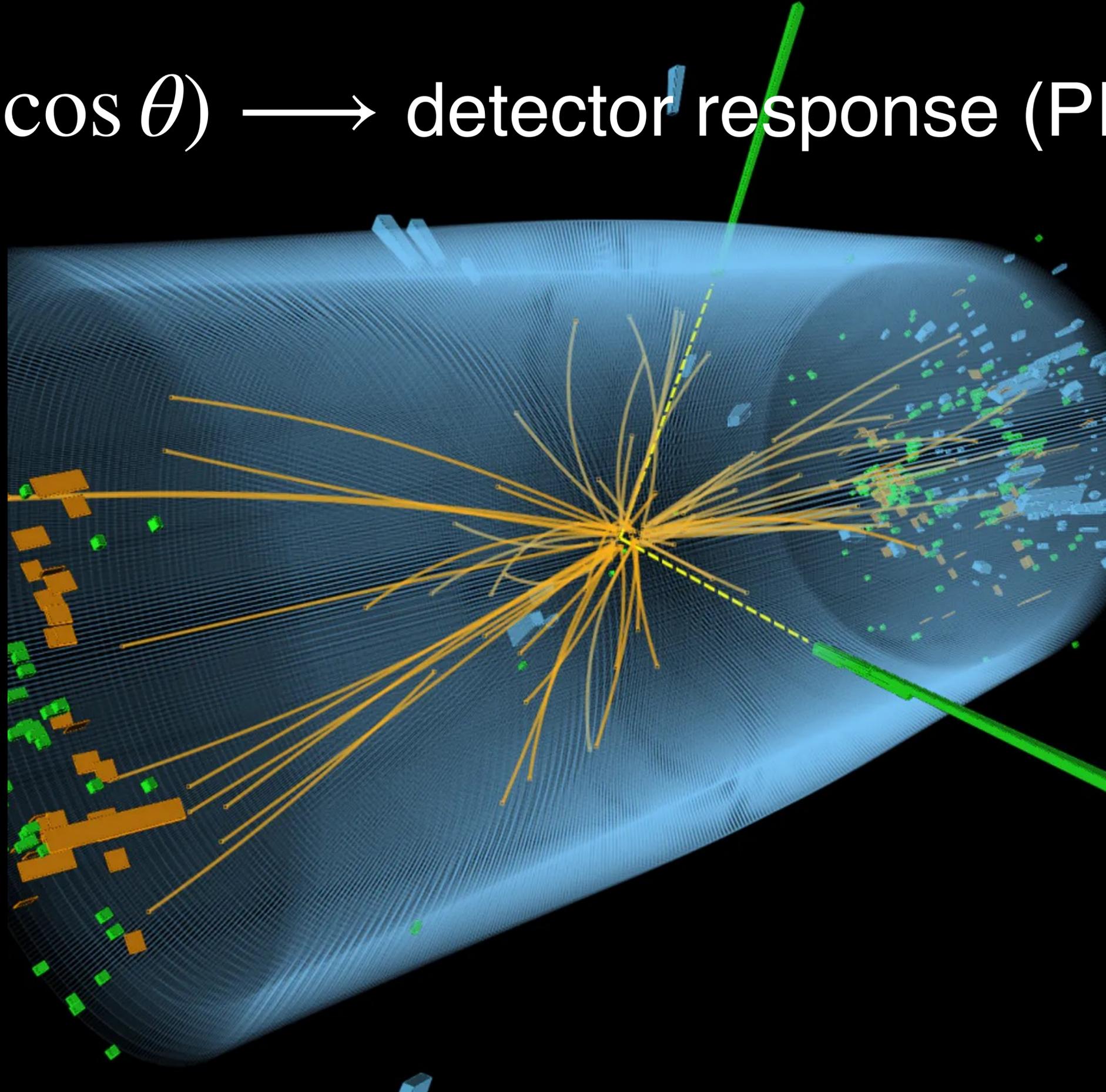
Repeat 繰り返す

Curve fitting inside a loop

generate data → curve fit → generate data → curve fit → ...

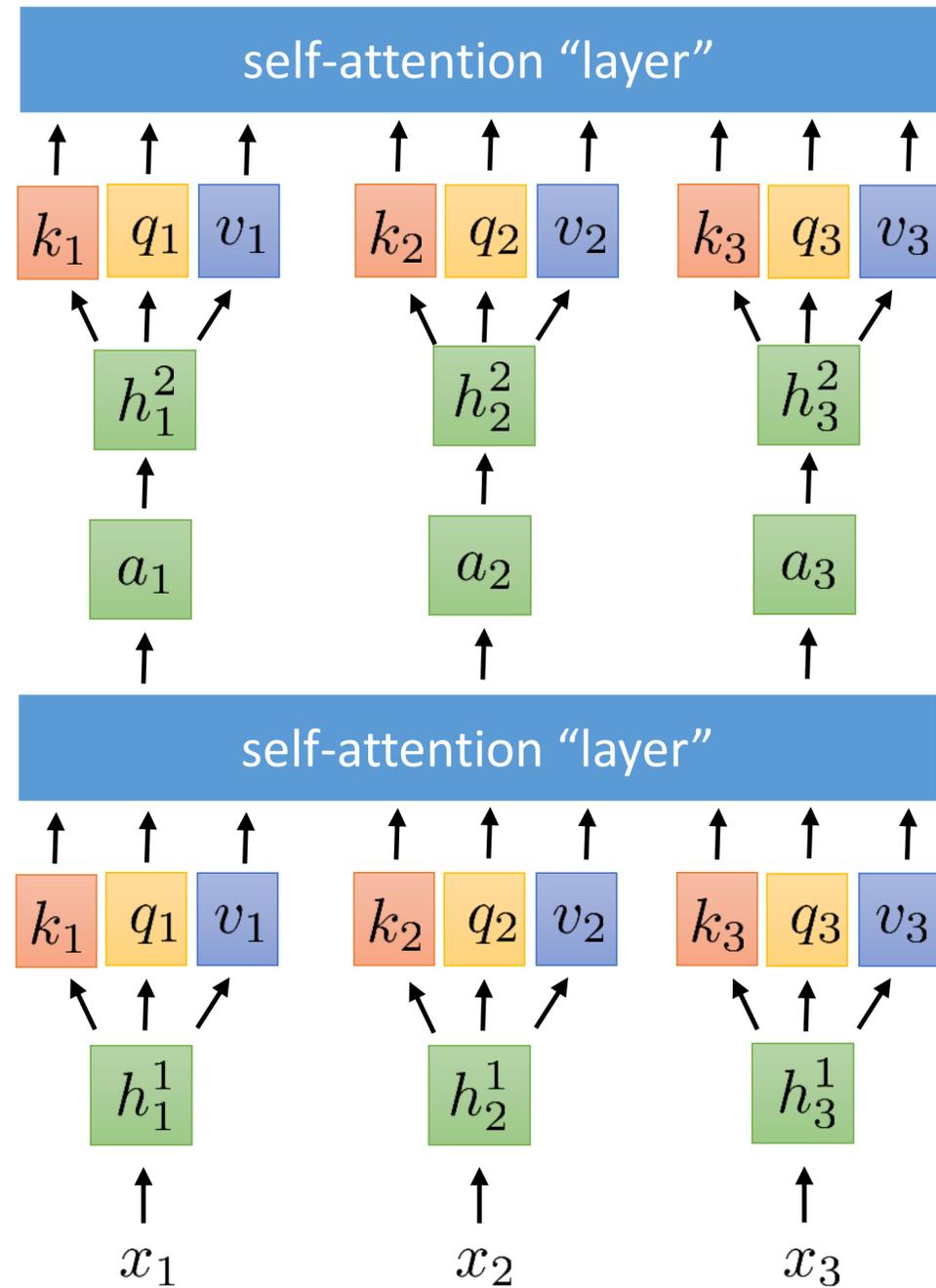


(particle, p , $\cos \theta$) \longrightarrow detector response (PID variables)



Appendix

Transformer



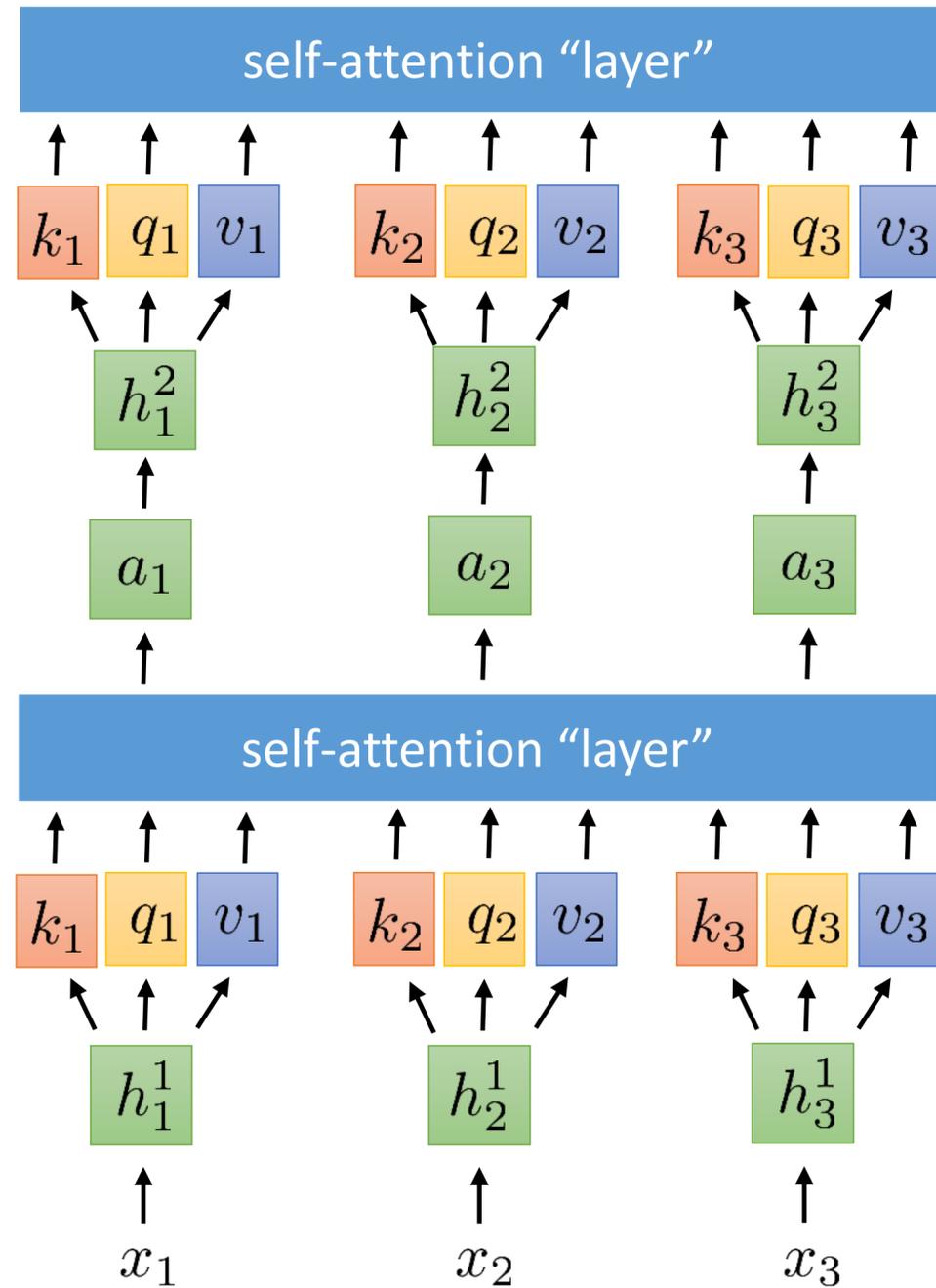
$$k_i = Kh_i$$

$$q_i = Qh_i$$

$$v_i = Vh_i$$

$$h_i^1 = Ex_i$$

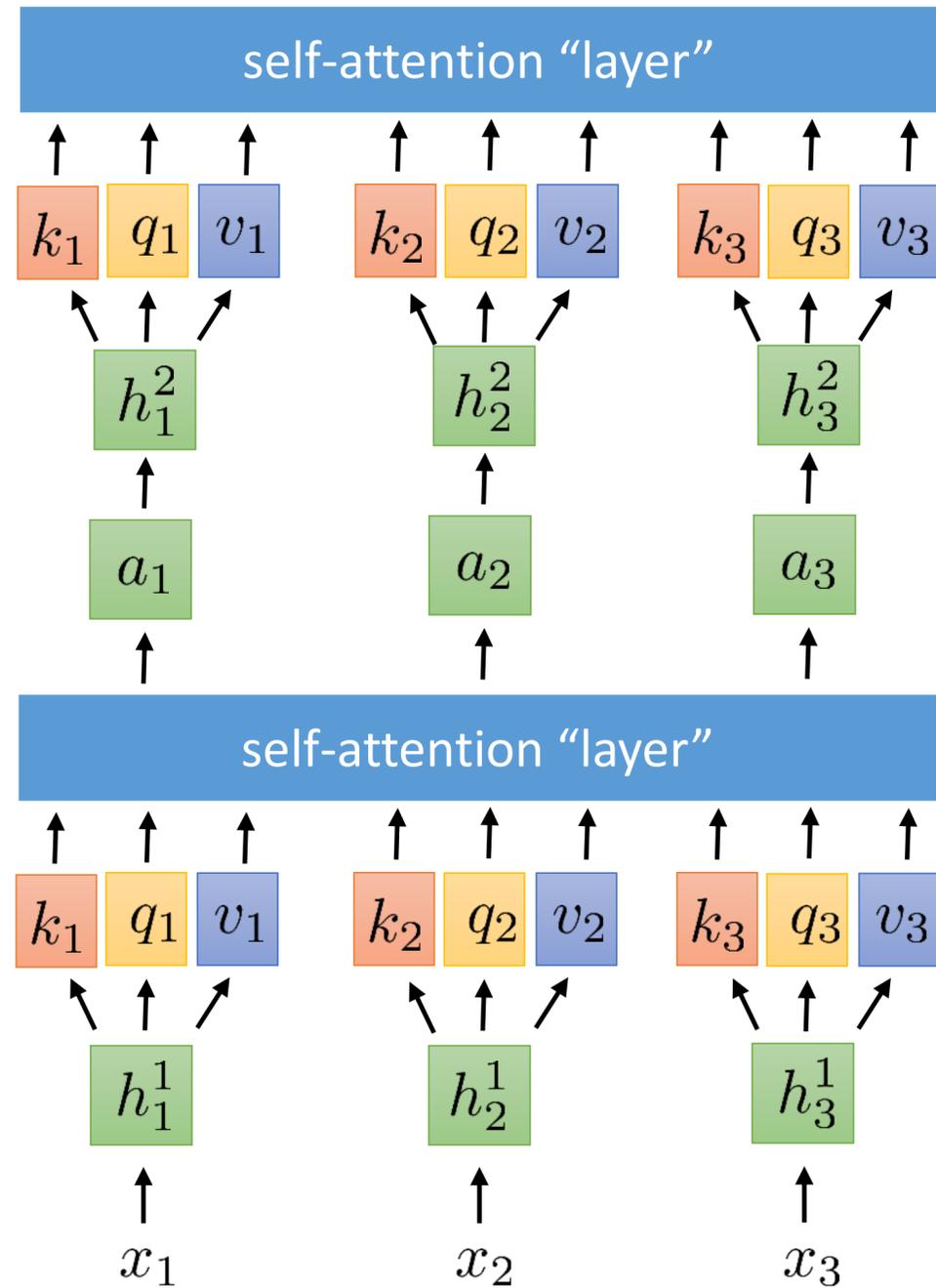
Transformer



$$a_i = A_{ij} h_j^1$$

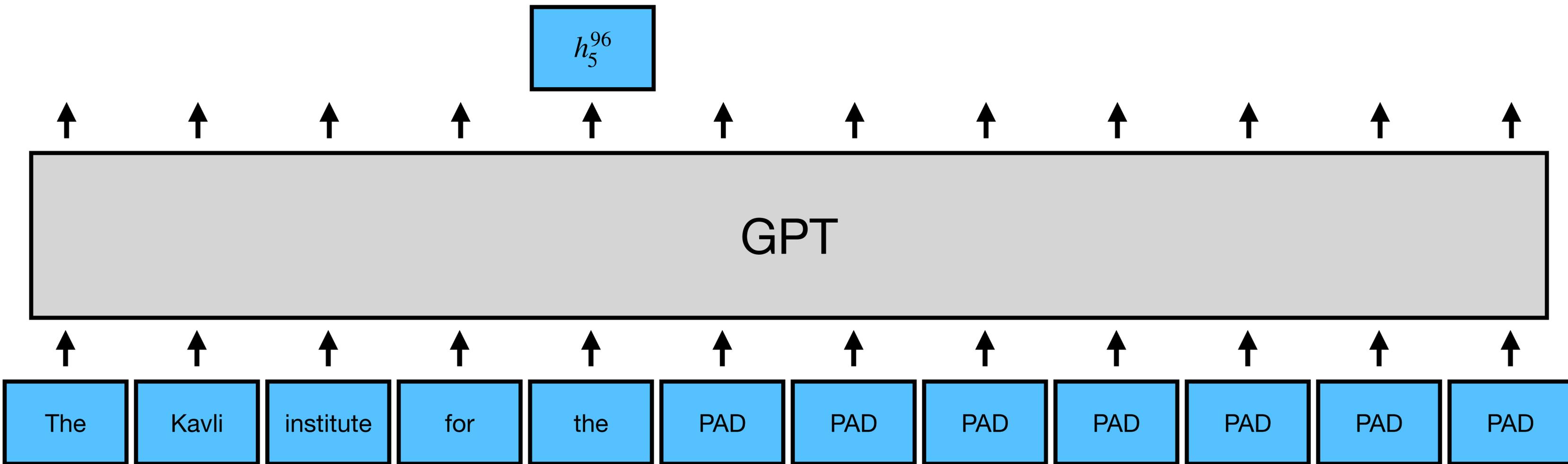
$$A_{ij} = \frac{e^{q_i \cdot k_j}}{\sum_l e^{q_i \cdot k_l}}$$

Transformer

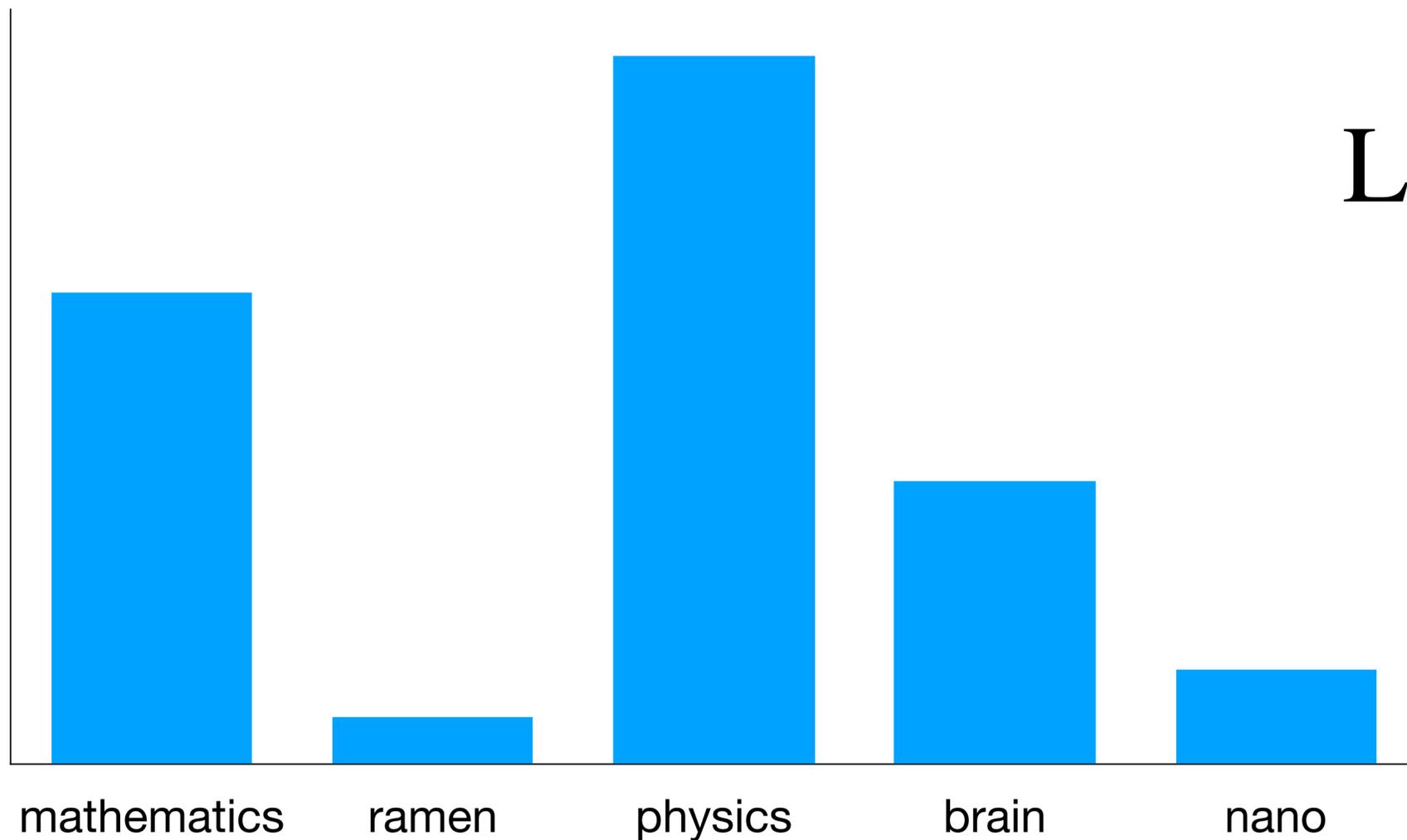


$$h_i^2 = W a_i$$

Training (next word prediction)

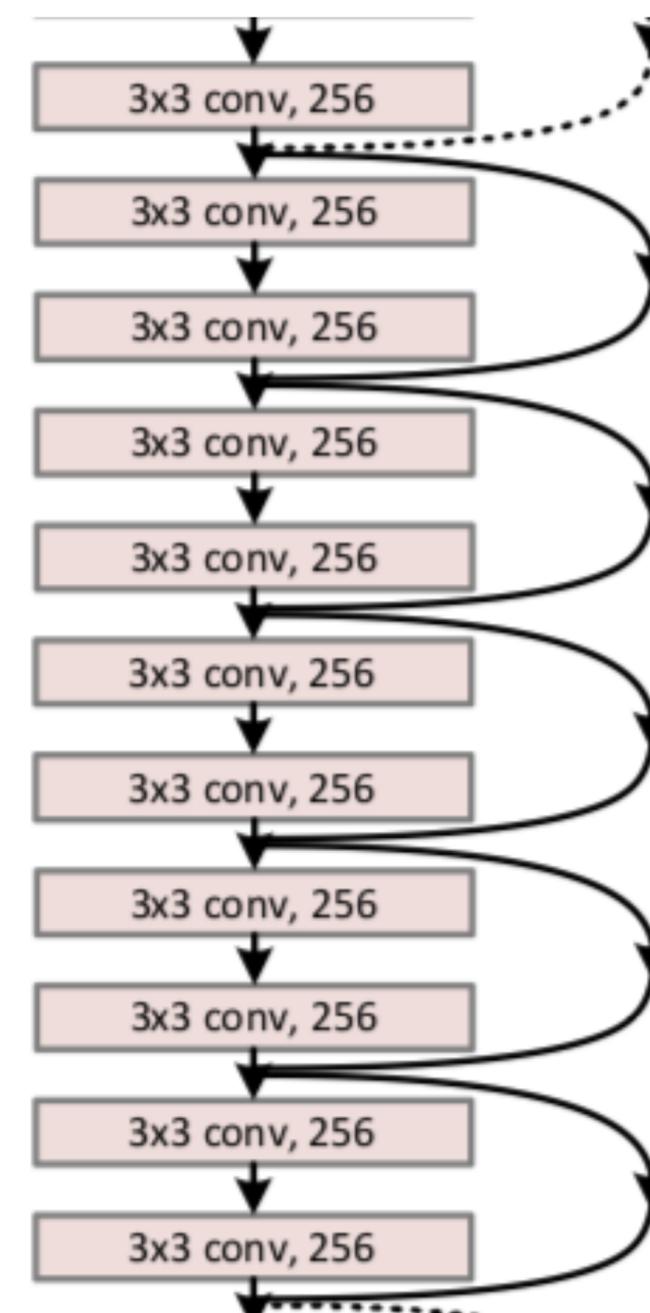
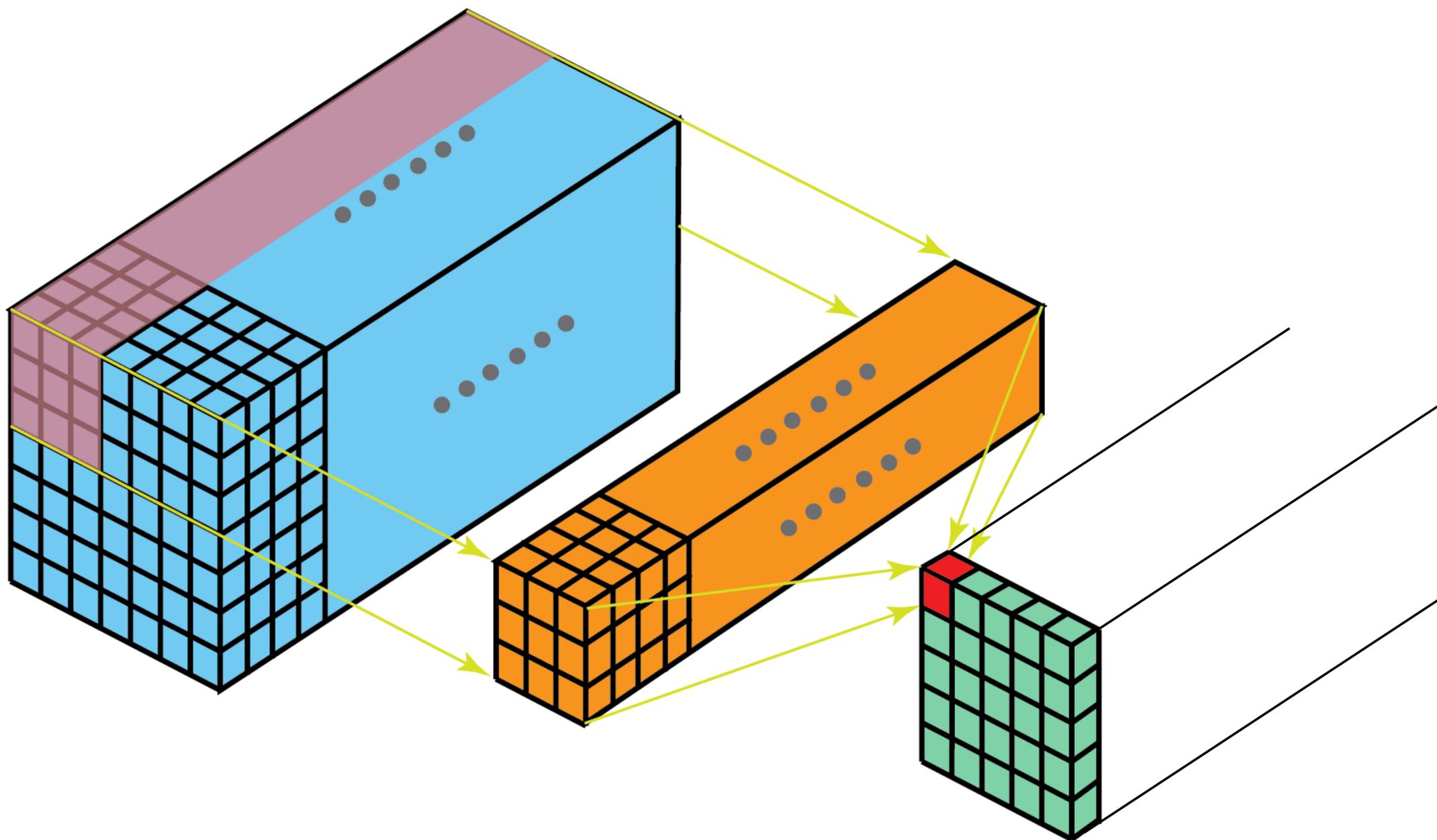


$$P_a = \frac{e^{x'_{5a}}}{\sum_b e^{x'_{5b}}} \quad x'_5 = E^T h_5^{96}$$



$$\text{Loss} = \text{Loss} - \ln P_{i_{\text{Physics}}}$$

Convolutional Neural Networks



Thank you