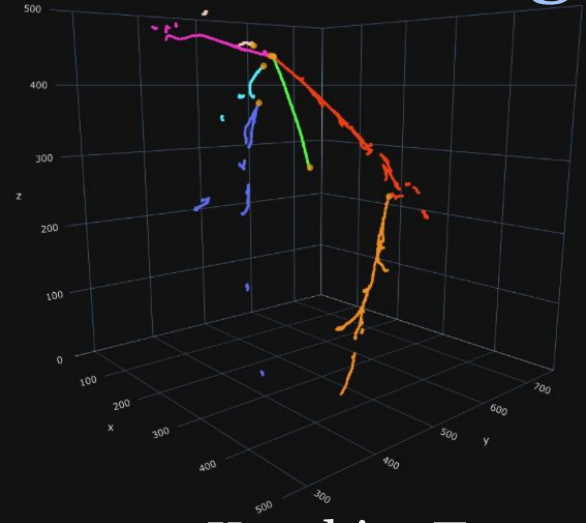
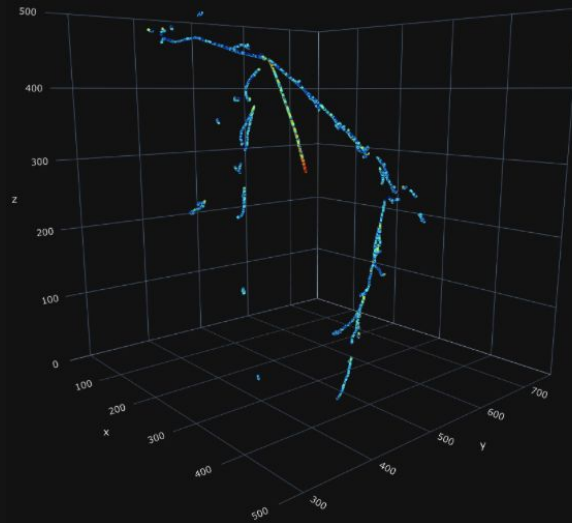


# Data Reconstruction and Modeling of Particle Imaging Neutrino Detectors with Machine Learning

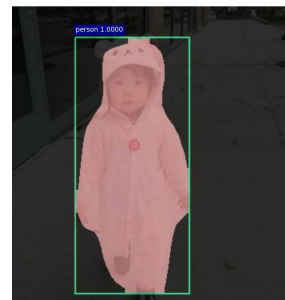


Kazuhiro Terao  
SLAC National Accelerator Laboratory  
Jan. 13th 2023 @ IPMU Seminar Series

# Happy New Year!

## About myself:

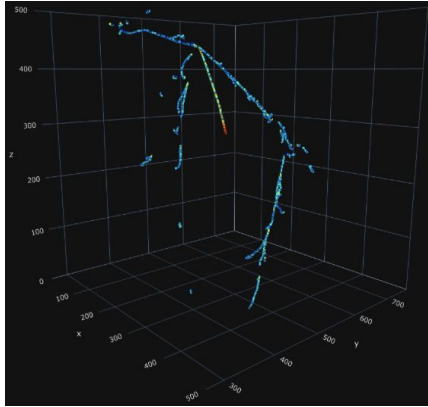
- Experimental neutrino physicist
- AI/ML applications and research
  - Physics research and work unrelated (hobby!)
  - Love to discuss / learn about challenges outside my domain
  - Love to help a workshop, School (education), collaboration



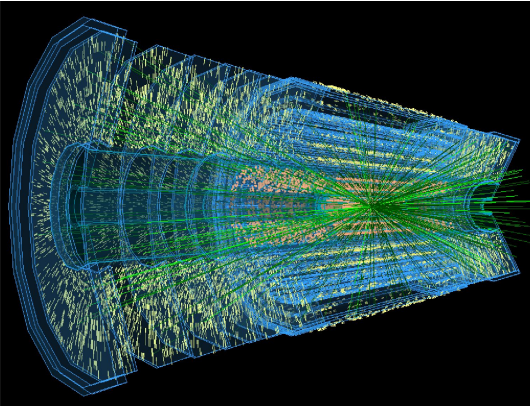
# Interest: AI/ML for HEP and Beyond

**ML is a “solution pattern”** v.s. a domain-specific “hard-coded” solution.  
It’s **naturally reusable across domains including software tools**  
supported by a large community of researchers.

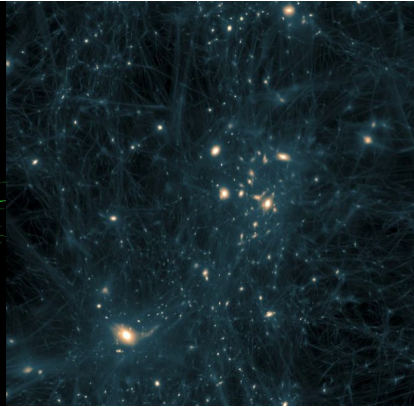
e.g.) physics inference on data from imaging detectors



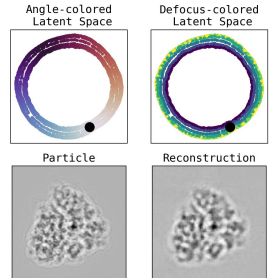
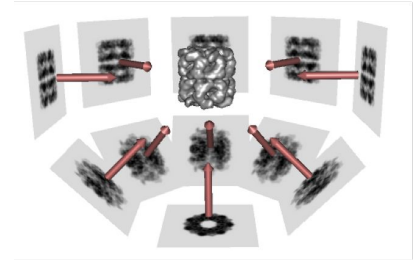
**Intensity  
Frontier**



**Energy  
Frontier**



**Cosmic  
Frontier**

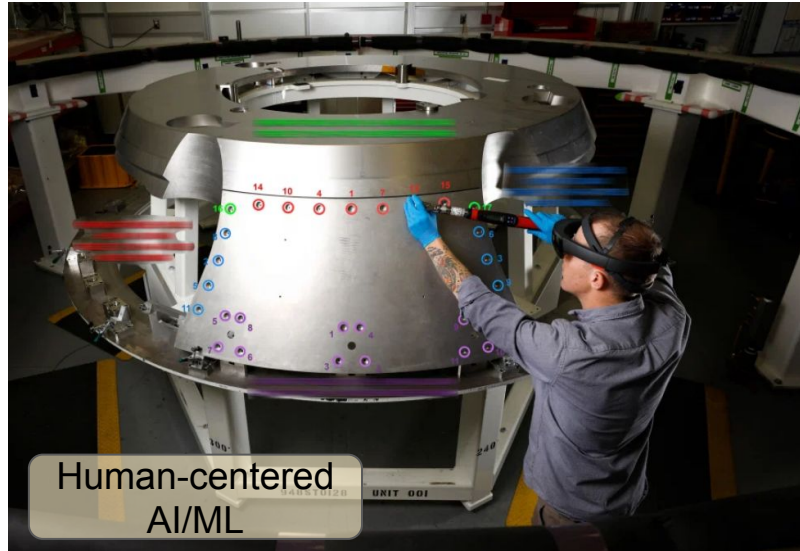


**e.g.) Cryo-EM**

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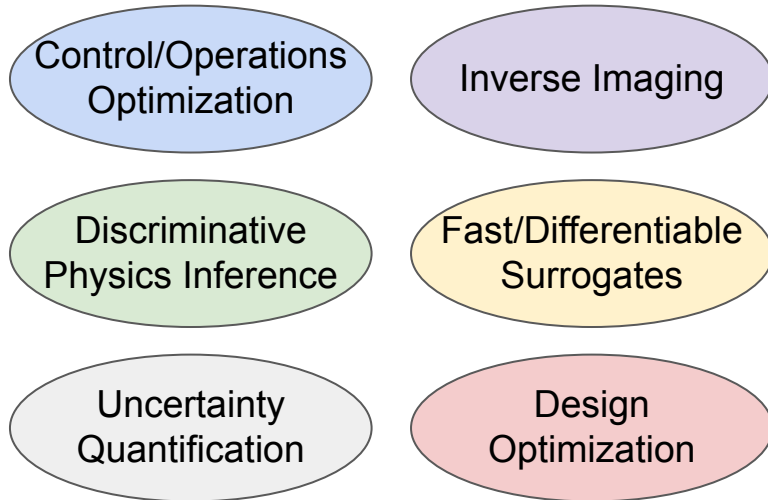
Even for hands-on work!



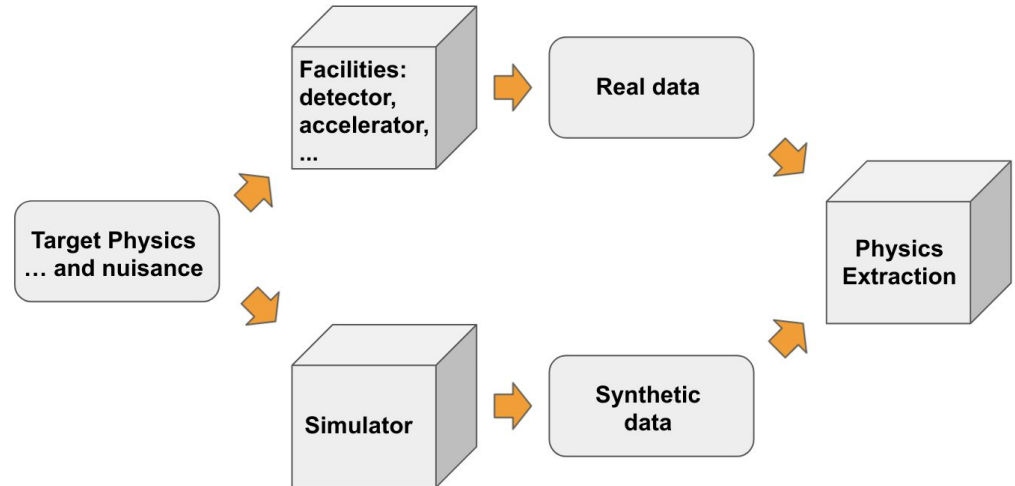


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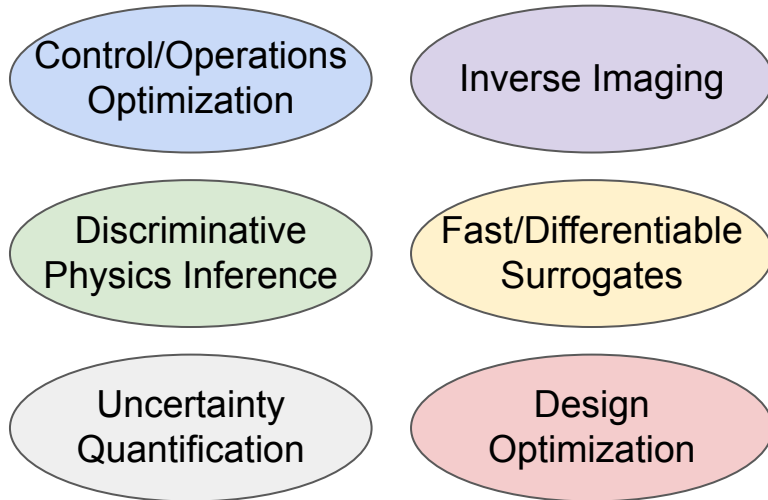


ML applicable at all stages of an experiment

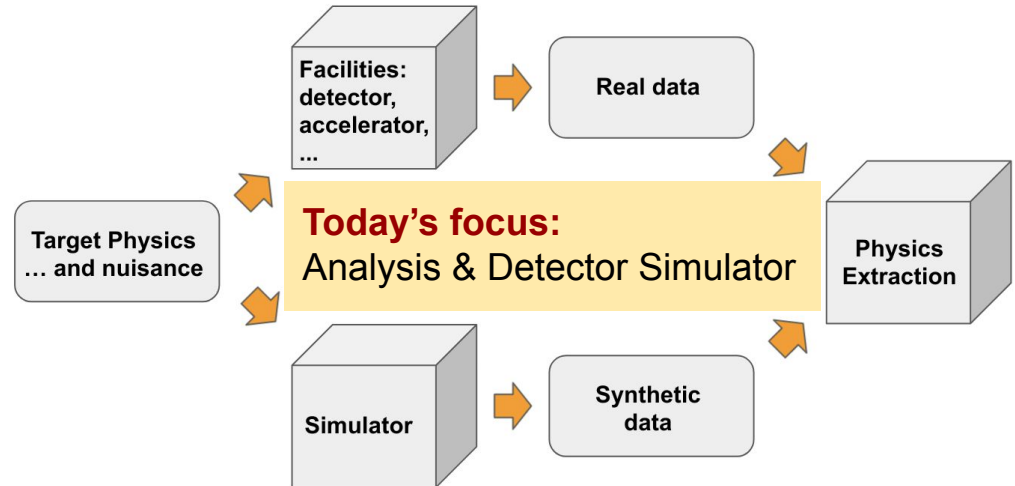


# Interest: AI/ML for HEP and Beyond

**ML is a “solution pattern”** v.s. a domain-specific “hard-coded” solution.  
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supported by a large community of researchers.



ML applicable at all stages of an experiment





**Oscillation Experiments  
and  
Big Imaging Detectors**

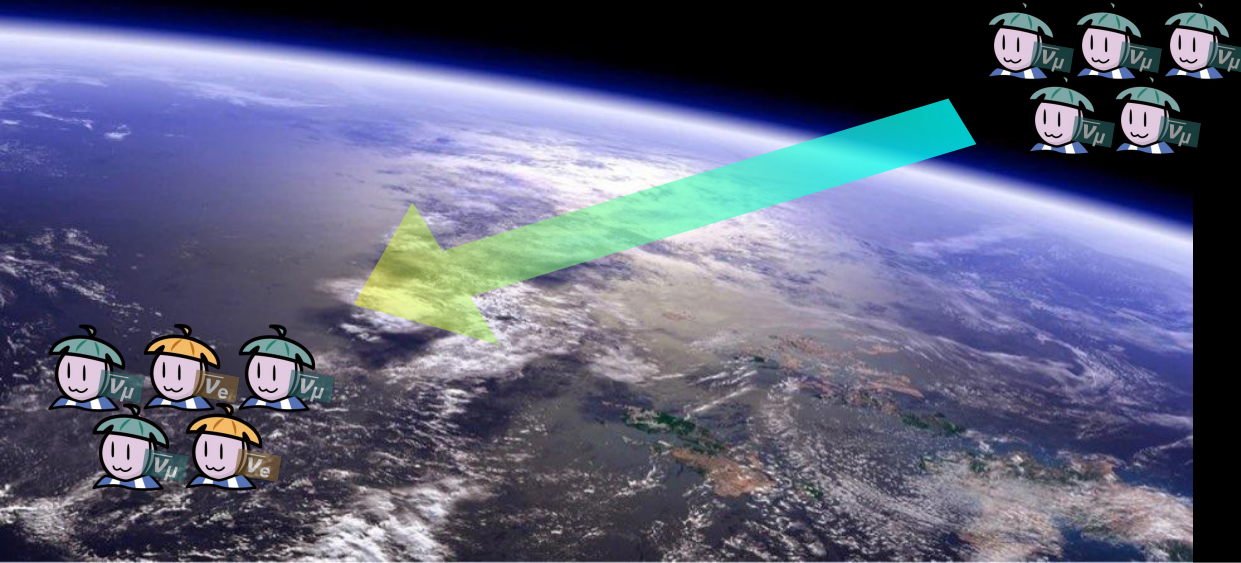


# ML for Analyzing Big Image Data in Neutrino Experiments

## Neutrinos



## Studying Neutrinos

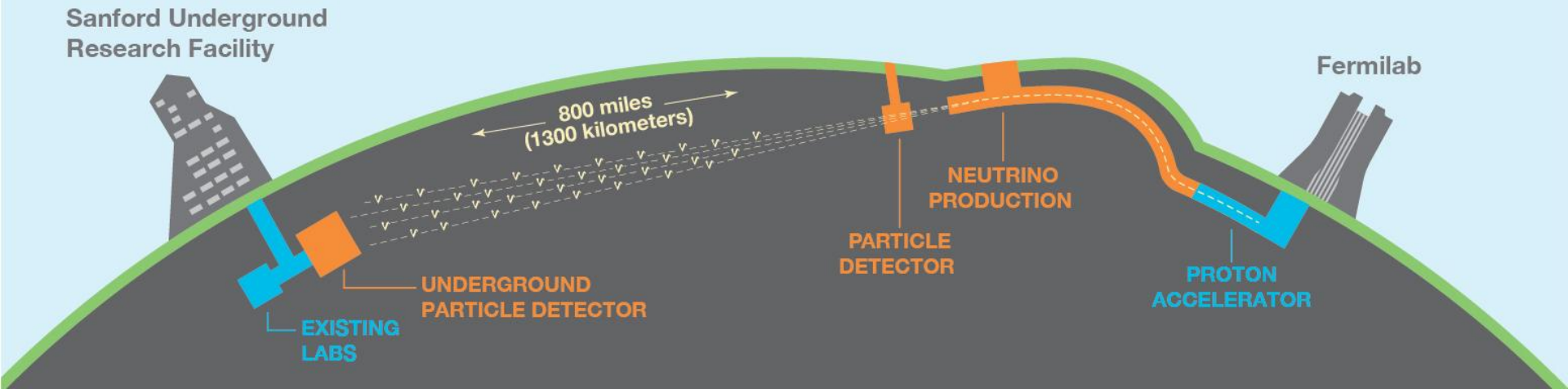


**change features**  
as they travel  
**(nu oscillation)**

# ML for Analyzing Big Image Data in Neutrino Experiments

## Neutrino Oscillation Experiments

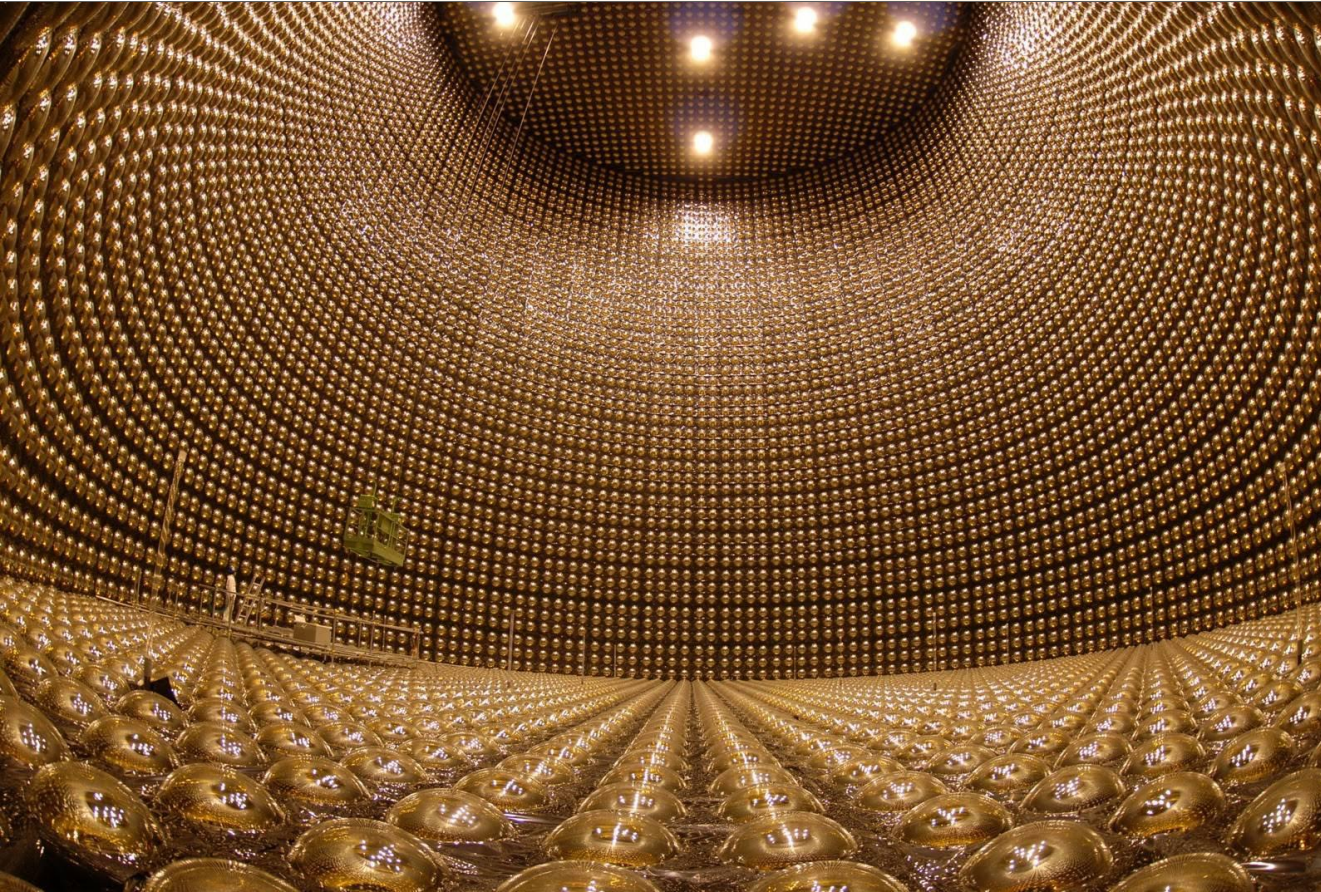
**Goal:** shoot a beam of particles (neutrinos),  
detect at two locations, quantify the difference.





# ML for Analyzing Big Image Data in Neutrino Experiments

## Neutrino Oscillation Experiments

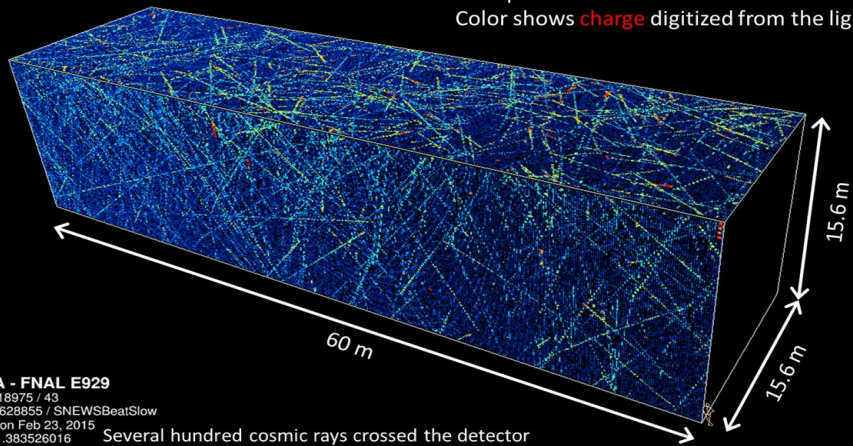


Detectors  
must be **BIG**

**50,000 ton**  
ultra-pure water watched  
by 11,000 PMTs in  
Super-Kamiokande (1996)



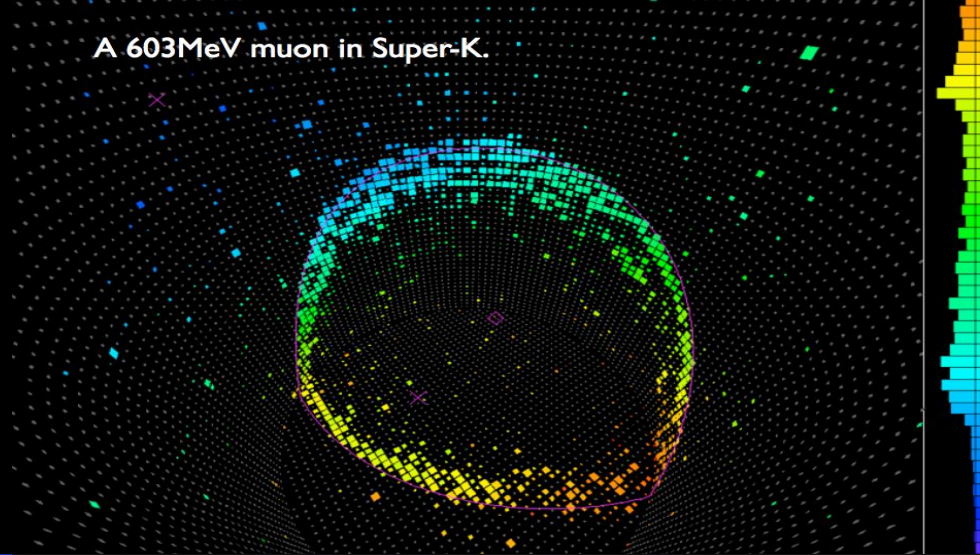
5ms of data at the NOvA Far Detector  
 Each pixel is one hit cell  
 Color shows charge digitized from the light



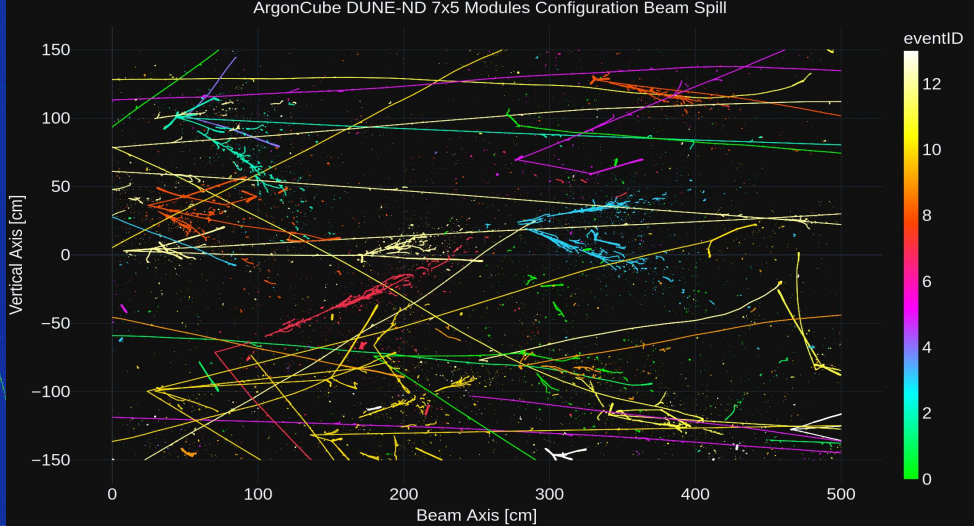
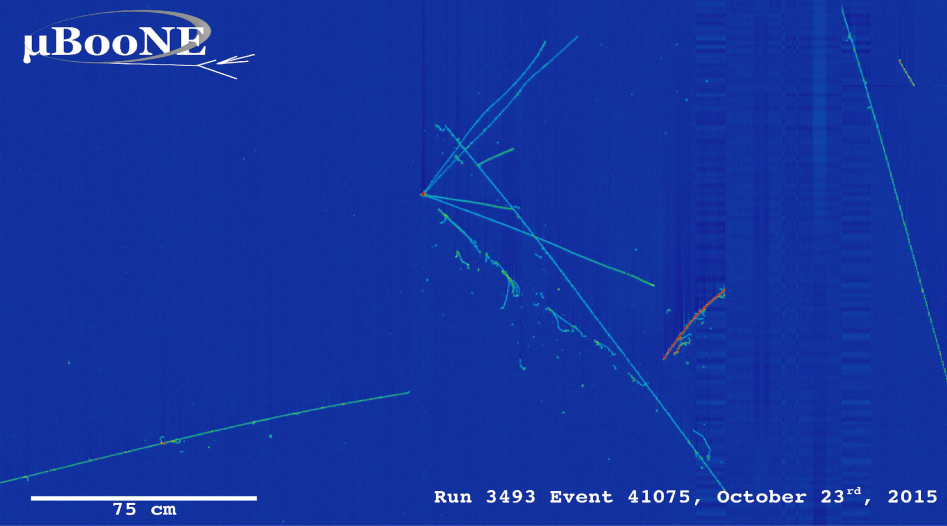
NOvA - FNAL E929  
 Run: 18975 / 43  
 Event: 628855 / SNEWSBeatSlow  
 UTC Mon Feb 23, 2015  
 14:30:1.383526016

Several hundred cosmic rays crossed the detector  
 (the many peaks in the timing distribution below)

A 603MeV muon in Super-K.



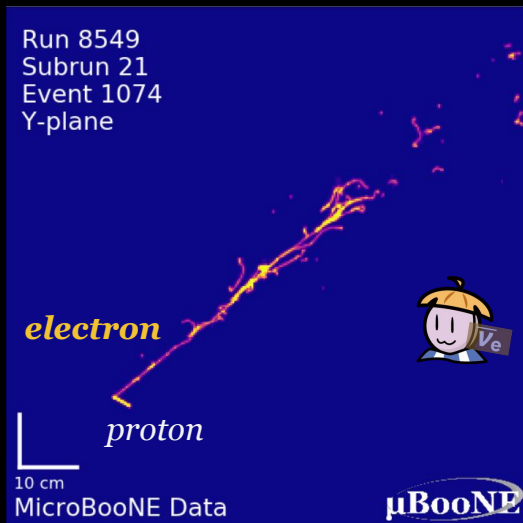
ArgonCube DUNE-ND 7x5 Modules Configuration Beam Spill



# ML for Analyzing Big Image Data in Neutrino Experiments

## Neutrino Oscillation Experiments

SLAC



$\nu_e$  creates  
electron (e)



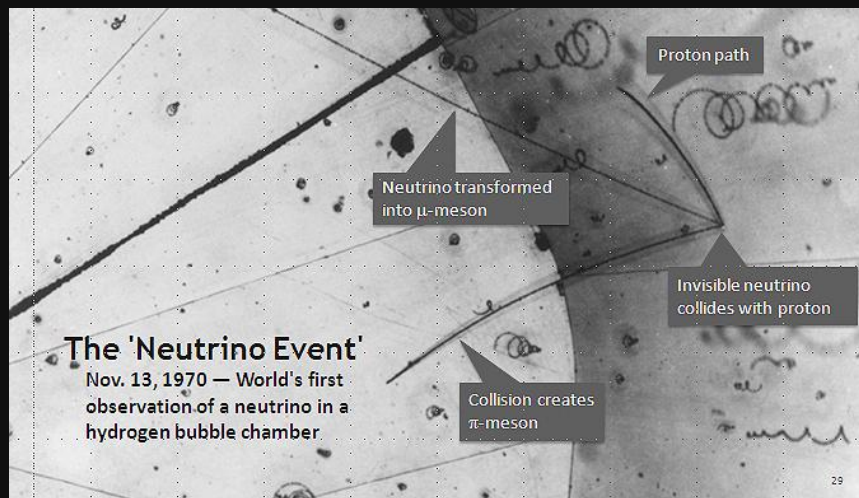
$\nu_\mu$  creates  
muon ( $\mu$ )

**Detectors**  
must be capable  
of measuring  
**type & energy**

## Challenges

1. Lack of an automated, quality analysis methods for big image data
2. Manual (“by-hand”) workflow for development & tuning
3. Imperfect physics modeling

**Image “hand scanning”**  
by professionals was how neutrino  
data had been analyzed from  
imaging detectors for long time







A visualization of a particle detector simulation on a dark blue background. It shows several bright blue lines representing particle tracks. One track starts from the top left and extends towards the bottom right. Another track starts from the top right and extends towards the bottom left. They intersect in the lower right quadrant. There are also some smaller, fainter tracks and points scattered around.

# Outline

1. Introduction

2. ML-based data reconstruction

3. Differentiable simulation for detector physics modeling

4. Summary

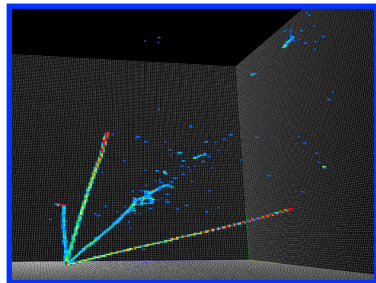


# ML for Analyzing Big Image Data in Neutrino Experiments

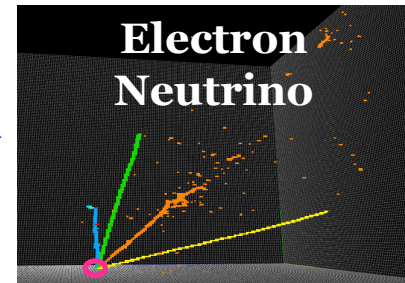
## End-to-end data reconstruction using ML

### Machine Learning for Neutrino Image Data Analysis

- **Goal:** particle-level type and energy reconstruction



Input Data



High-level  
Output

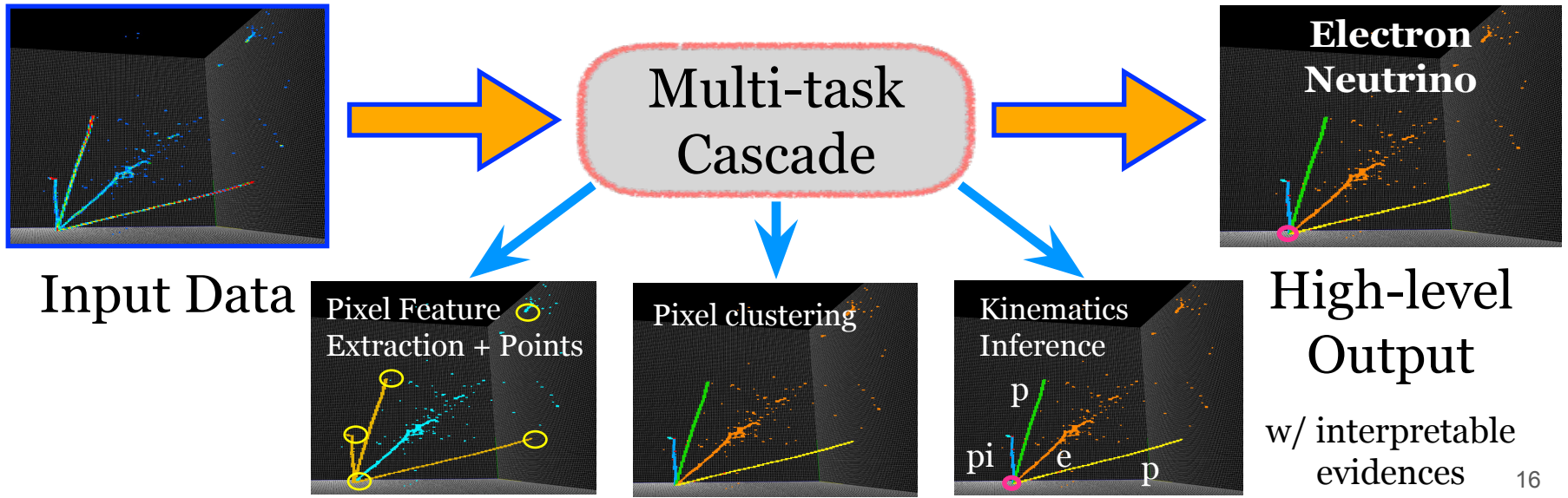
# ML for Analyzing Big Image Data in Neutrino Experiments

## End-to-end data reconstruction using ML



### Machine Learning for Neutrino Image Data Analysis

- **Goal:** particle-level type and energy reconstruction
- **How:** extract physically meaningful, hierarchical features (evidences) by chaining multiple ML models designed for each task

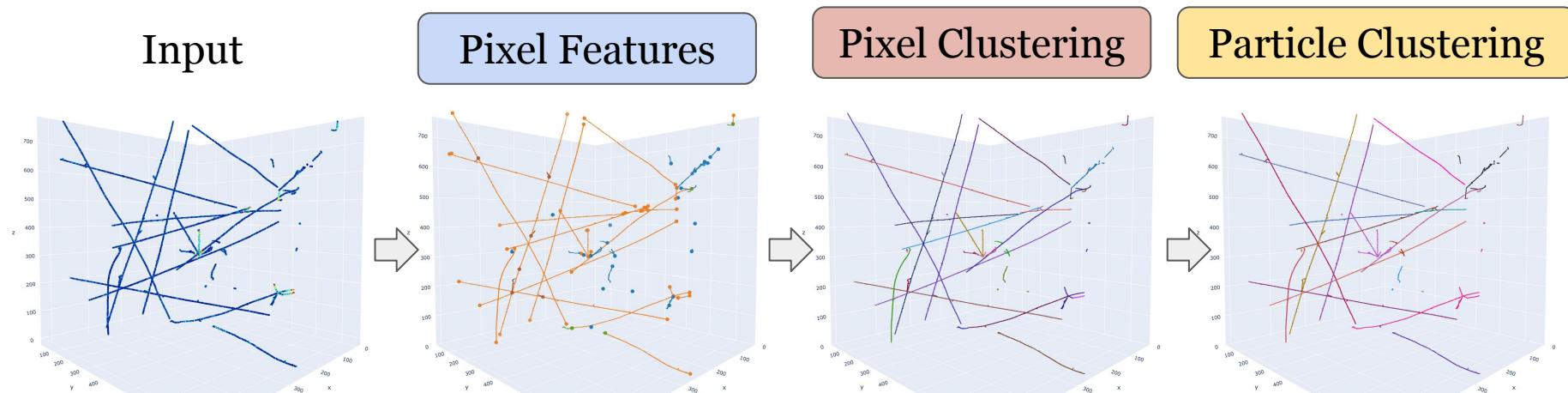


# ML for Analyzing Big Image Data in Neutrino Experiments

## End-to-end data reconstruction using ML

### Machine Learning for Neutrino Image Data Analysis

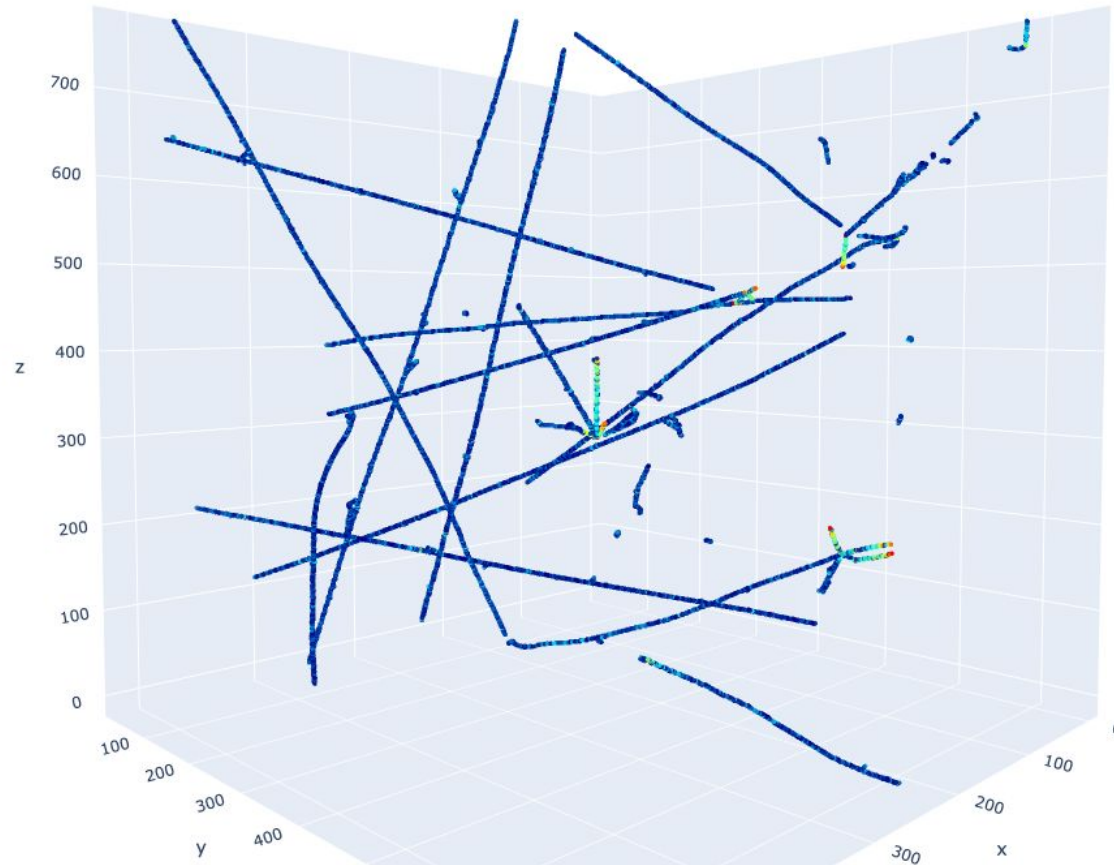
- **Goal:** particle-level type and energy reconstruction
- **How:** extract physically meaningful, hierarchical features (evidences) by chaining multiple ML models designed for each task



Three major stages of reconstruction

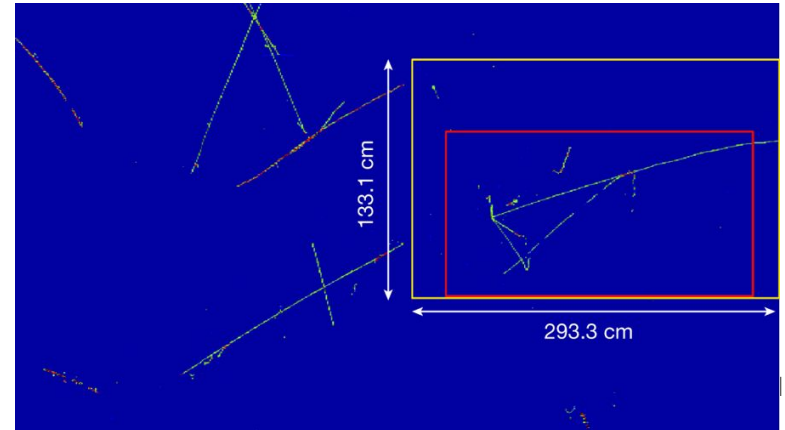
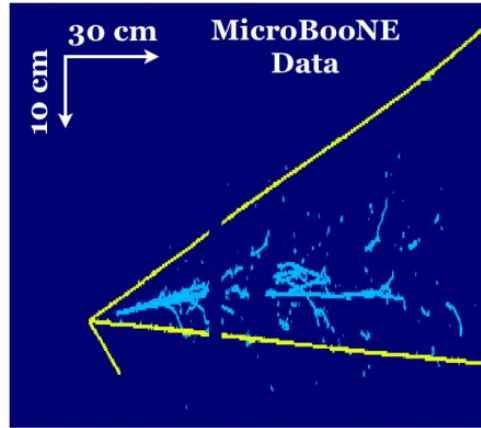
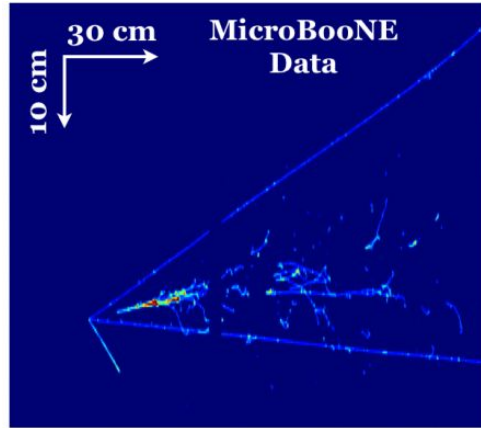
# Machine Learning in Neutrino Physics & HEP

## Deep Neural Network for Data Reconstruction



### Convolutional neural network (CNN)

- Primarily aimed at image data
- Learns spatially local features of various size
- Translation invariant (target feature can be anywhere in image)
- Image/Pixel level classification/regression, object detection

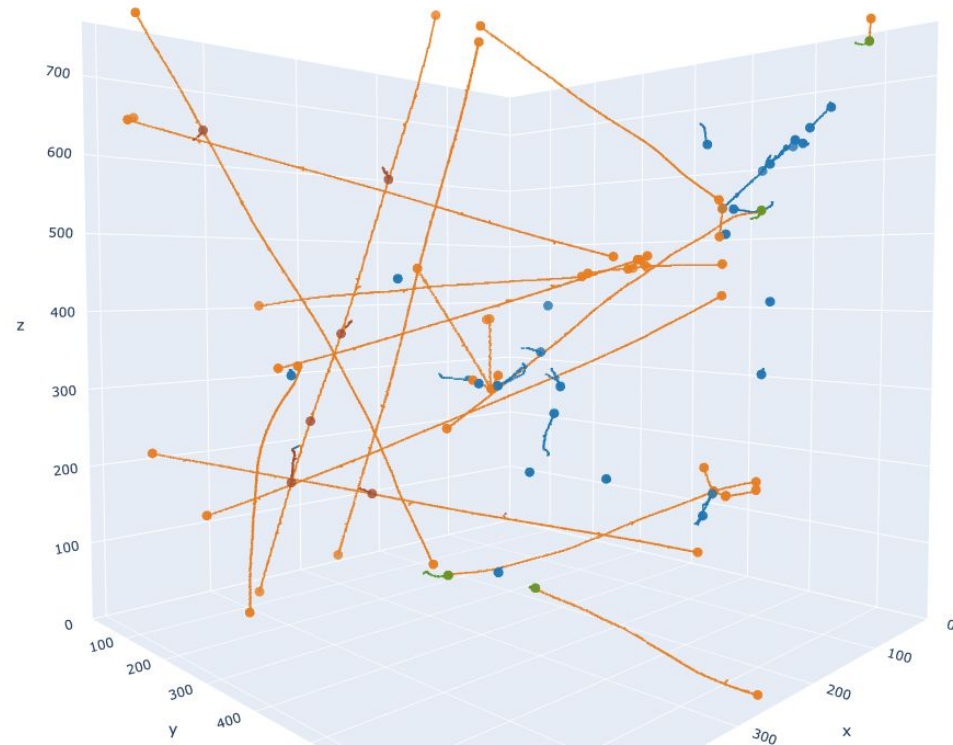
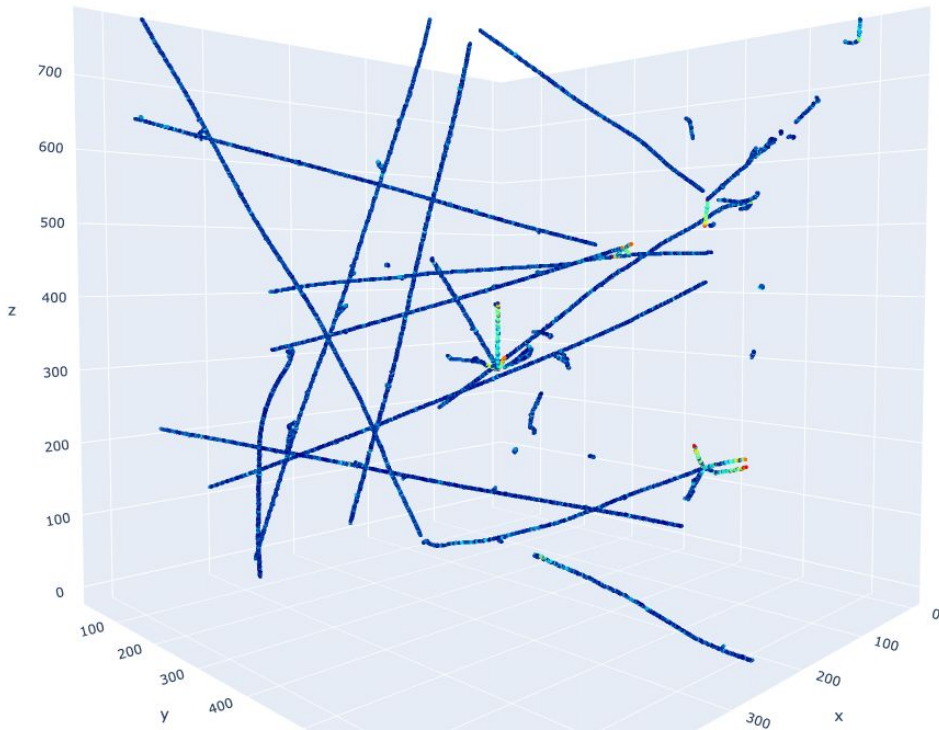




# Machine Learning in Neutrino Physics & HEP

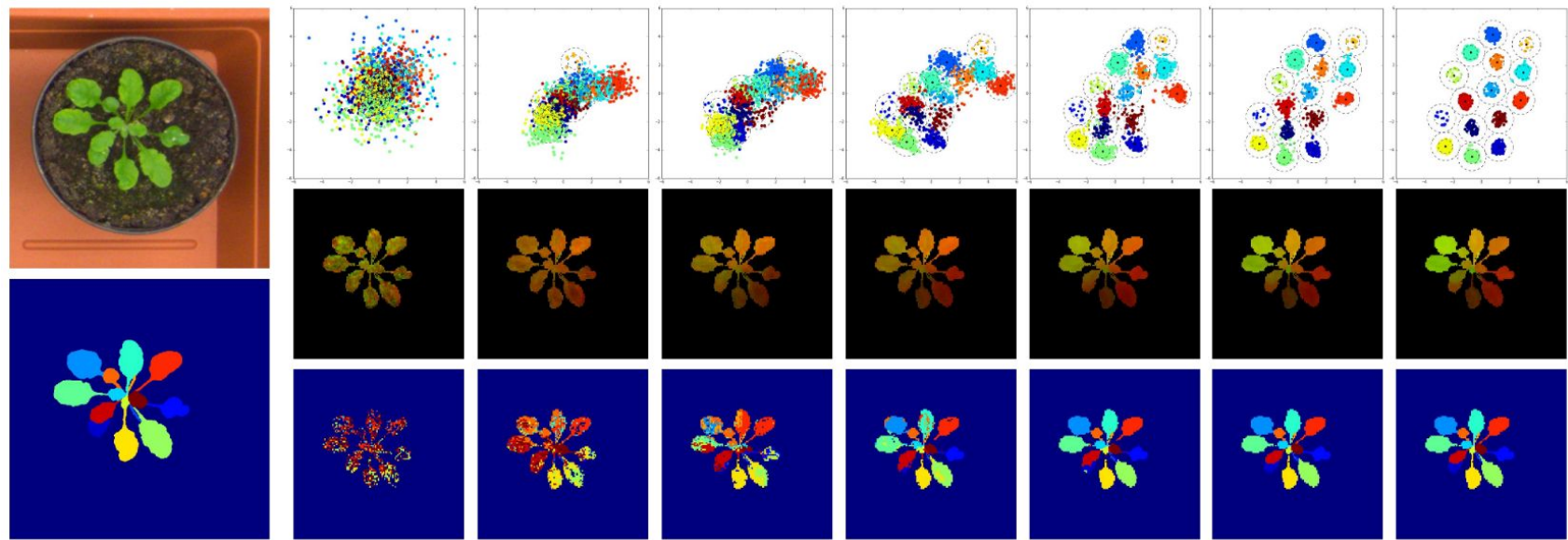
## Deep Neural Network for Data Reconstruction

### Stage 1



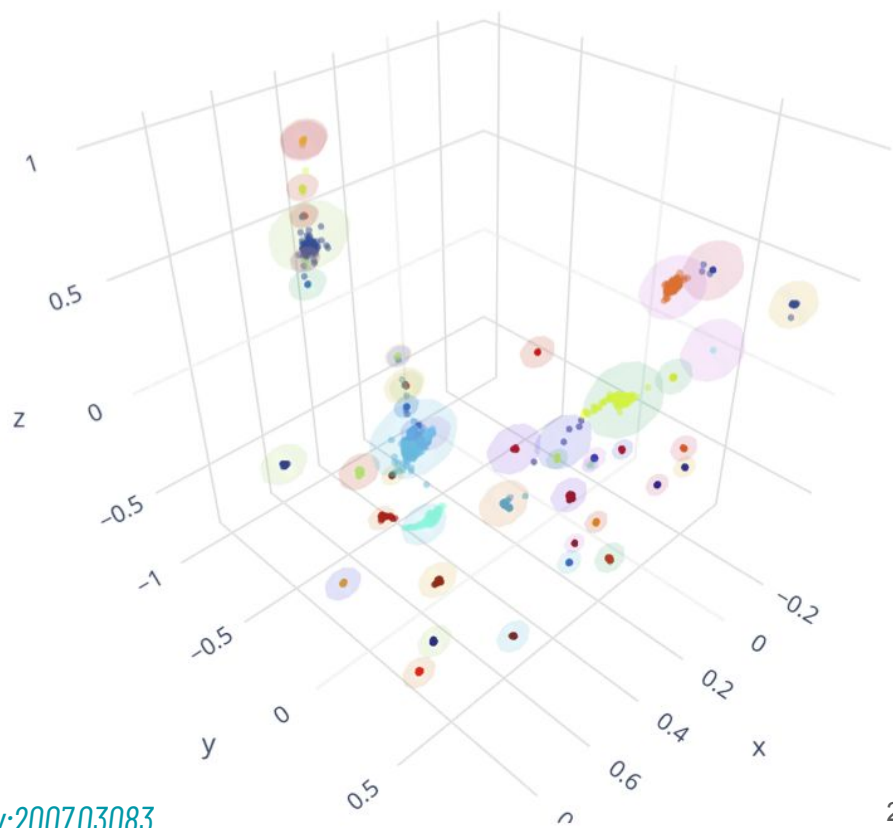
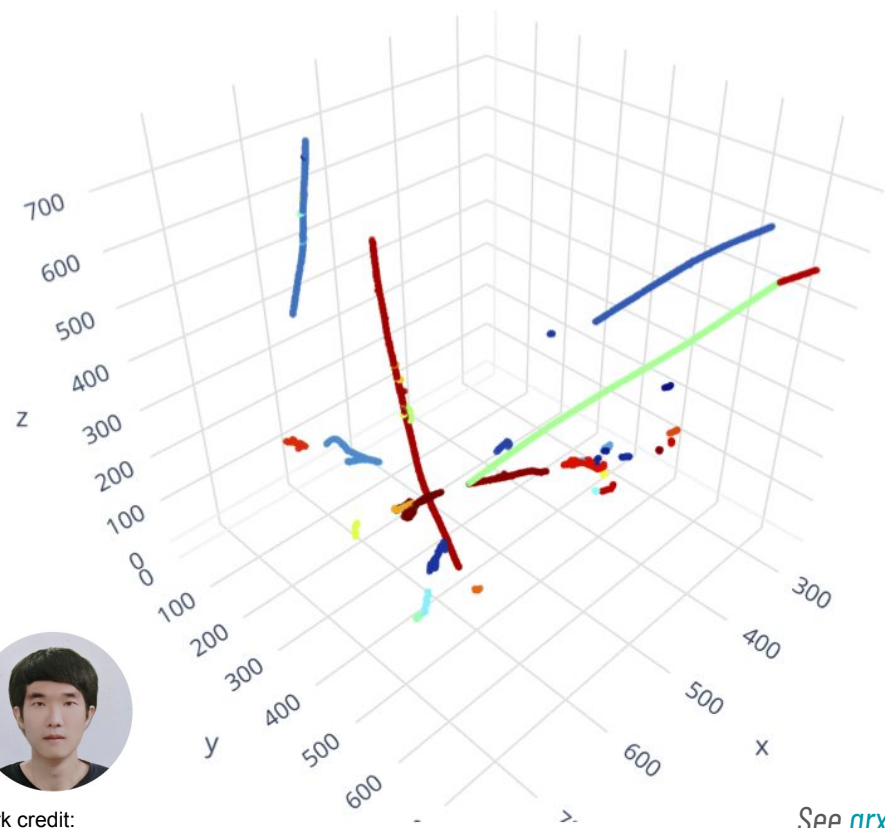
### Clustering in the embedding space

- Use CNN to learn a transformation function from the 3D voxels to the embedding space where clustering can be performed in a simple manner



# ML for Analyzing Big Image Data in Neutrino Experiments

## Stage 2-a: Dense Pixel Clustering



Work credit:  
Dae Heun Koh (Stanford)

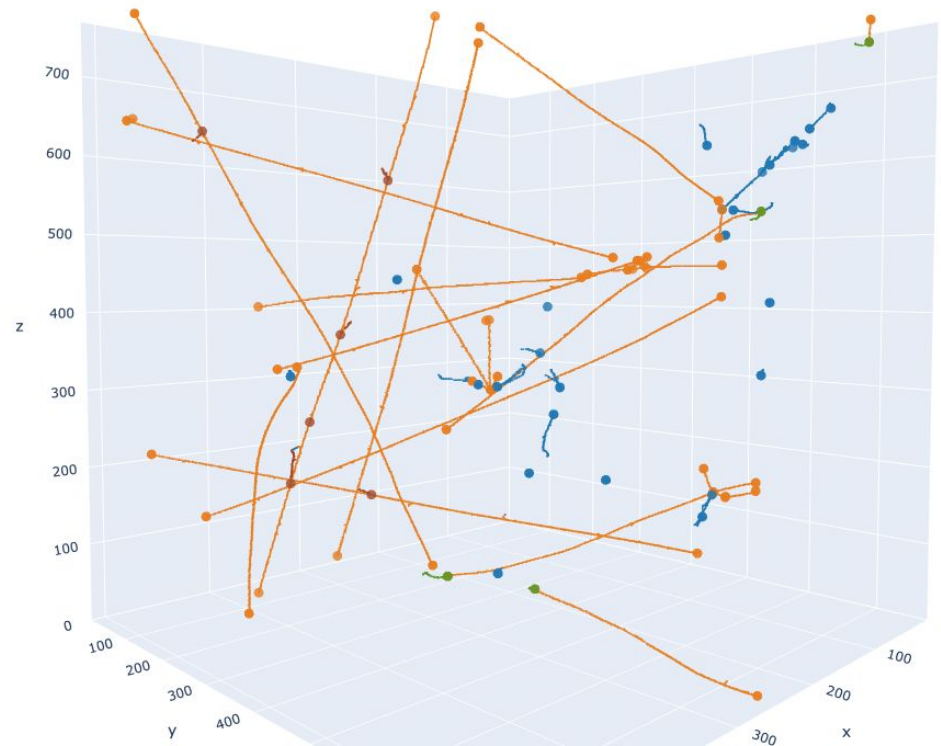
See [arxiv:2007.03083](https://arxiv.org/abs/2007.03083)

# ML for Analyzing Big Image Data in Neutrino Experiments

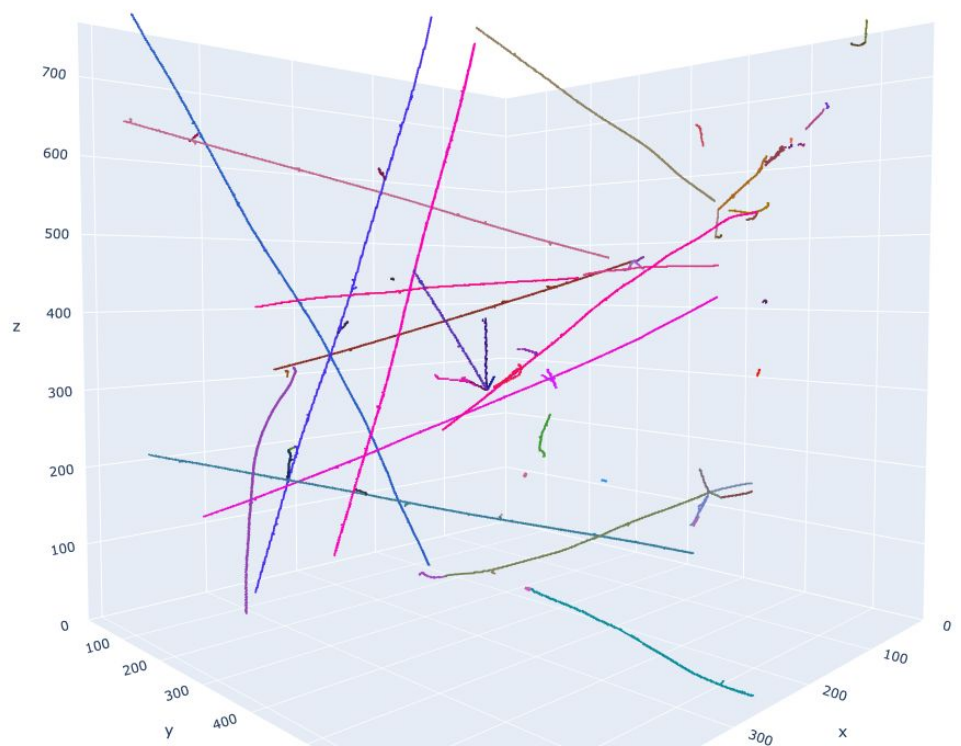
## Stage 2-a: input & output



### Stage 2-a Input



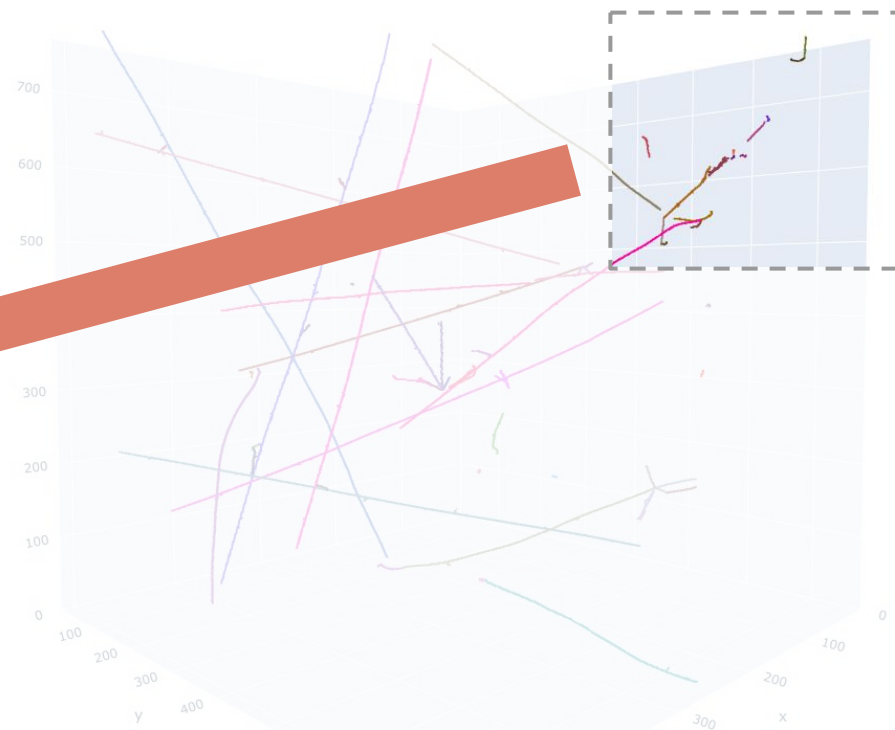
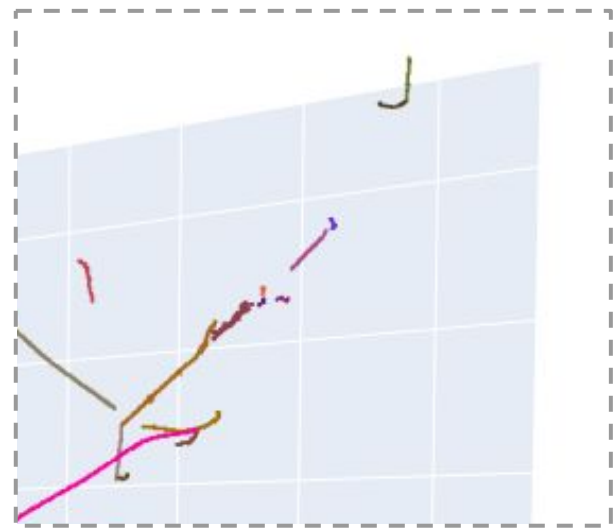
### Stage 2-a Output



# ML for Analyzing Big Image Data in Neutrino Experiments

## Stage 2: grouping particles as a cluster

Stage 2-a Output





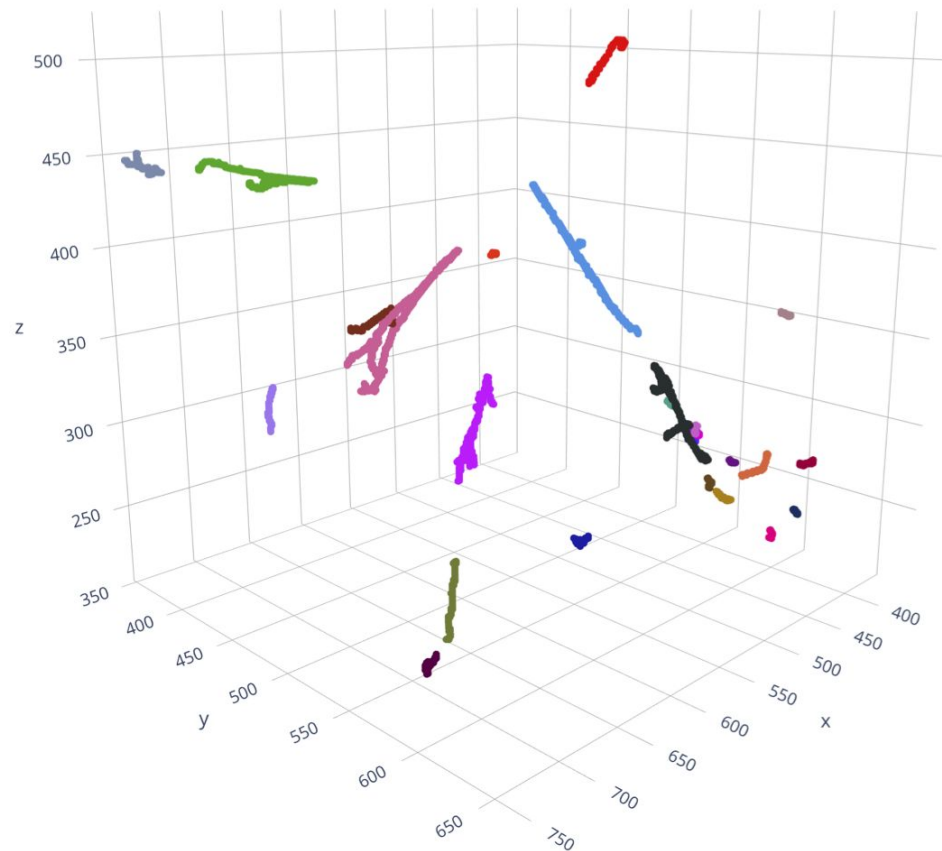
# ML for Analyzing Big Image Data in Neutrino Experiments

## Stage 2-b: Sparse Fragment Clustering

### Graph-NN for Particle Aggregation (GrapPA)

Input:

- Fragmented EM showers



# ML for Analyzing Big Image Data in Neutrino Experiments

## Stage 2-b: Sparse Fragment Clustering

### Graph-NN for Particle Aggregation (GrapPA)

#### Input:

- Fragmented EM showers

#### Node features:

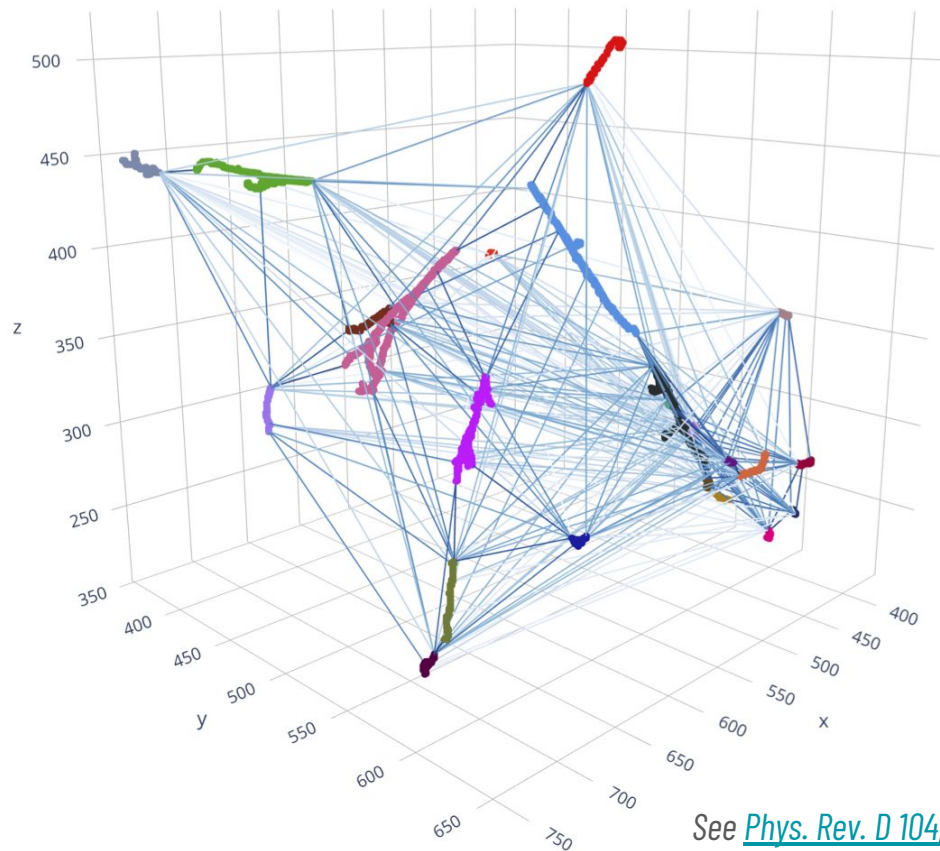
- Centroid, Covariance matrix, PCA
- Start point, direction (PPN)

#### Input graph:

- Connect every node with every other node (complete graph)

#### Edge features:

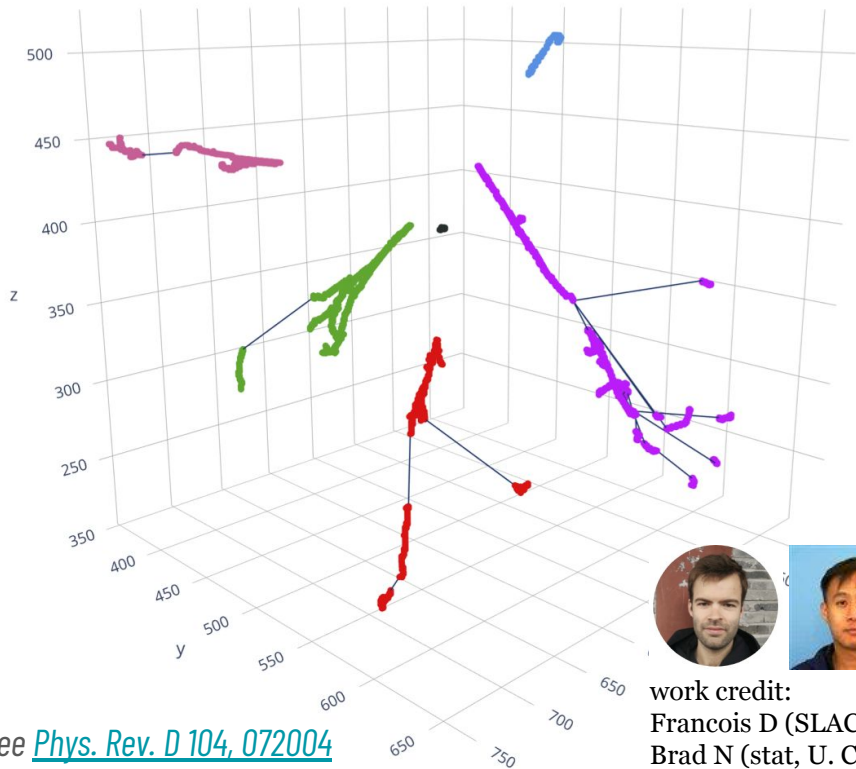
- Displacement vector
- Closest points of approach



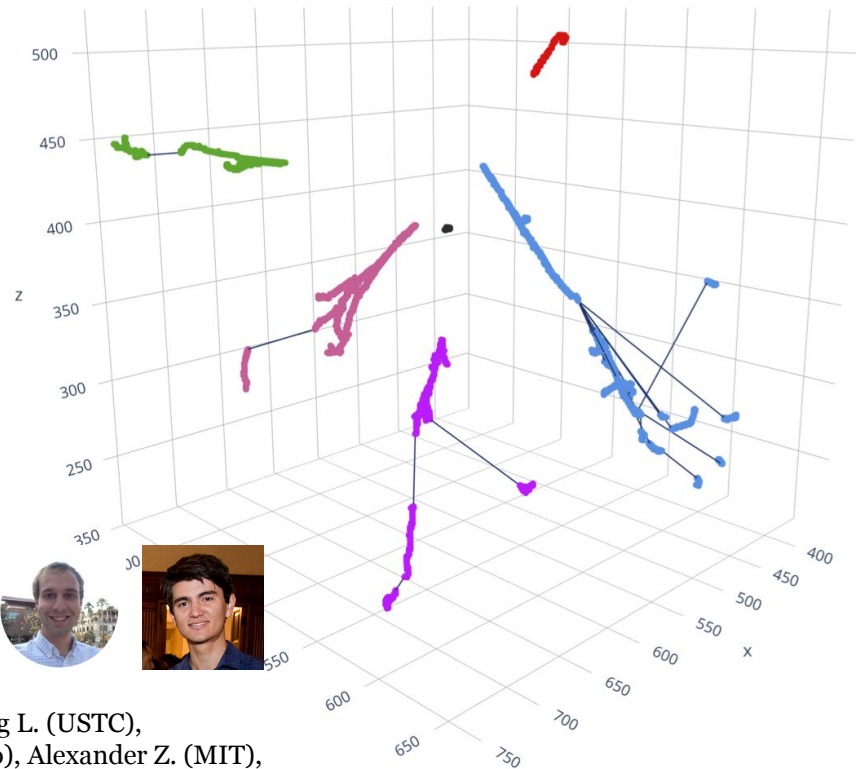
# ML for Analyzing Big Image Data in Neutrino Experiments

## Stage 2-b: Sparse Fragment Clustering

### Target



### Prediction



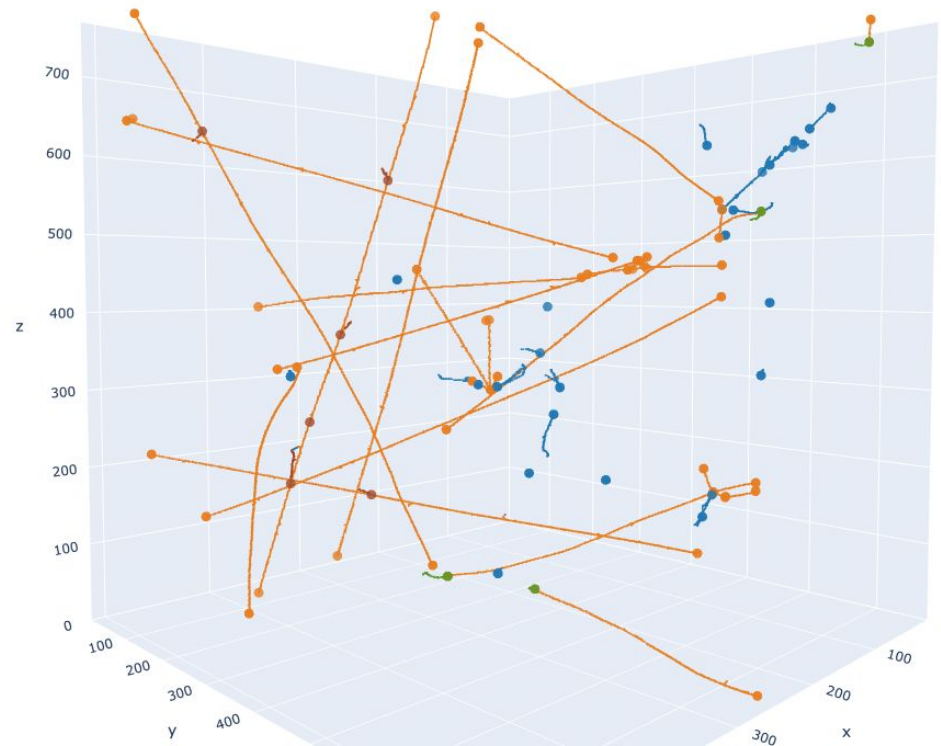
work credit:  
Francois D (SLAC), Qing L. (USTC),  
Brad N (stat, U. Chicago), Alexander Z. (MIT),

# ML for Analyzing Big Image Data in Neutrino Experiments

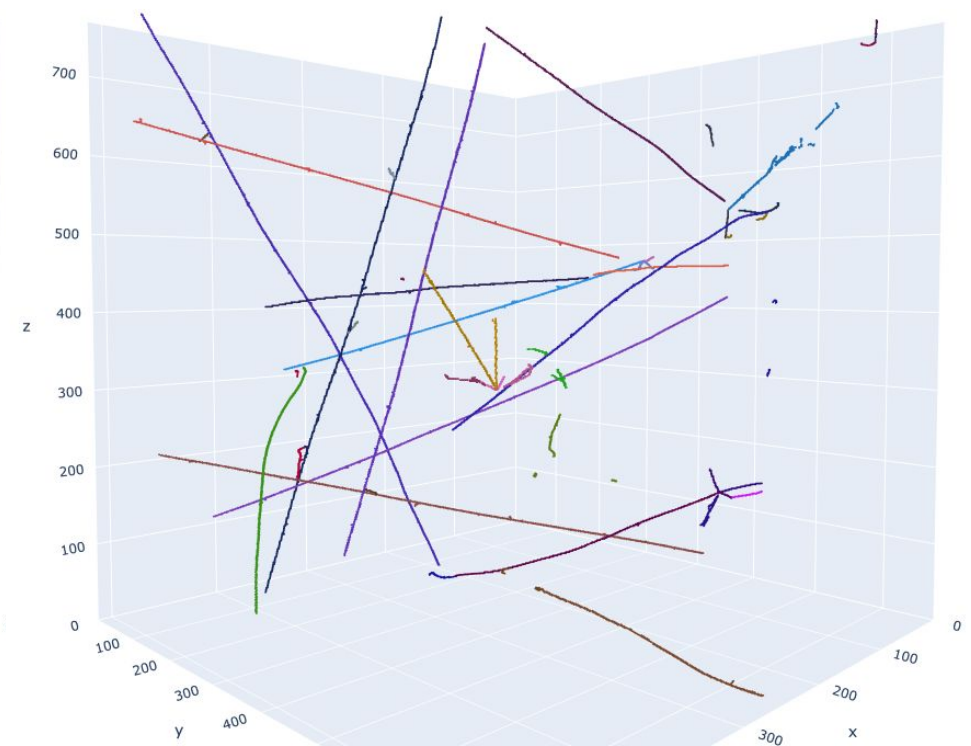
## Stage 2: input & output



### Stage 2 Input



### Stage 2 Output





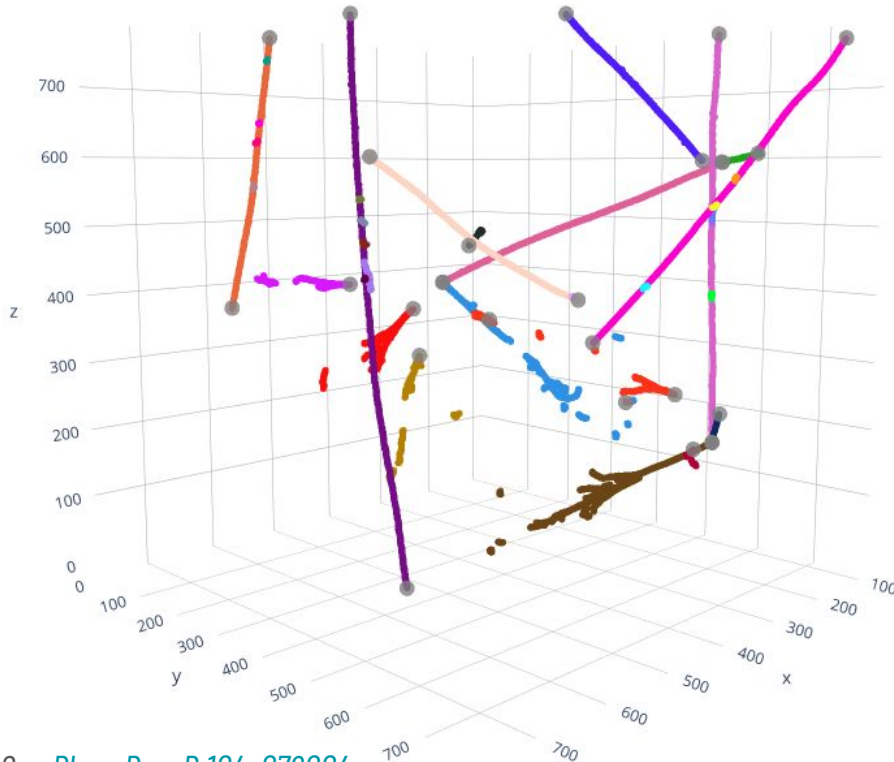
# ML for Analyzing Big Image Data in Neutrino Experiments

## Stage 3: Interaction Clustering

### Identifying Each Interaction?

Grouping task = re-use GrapPA!

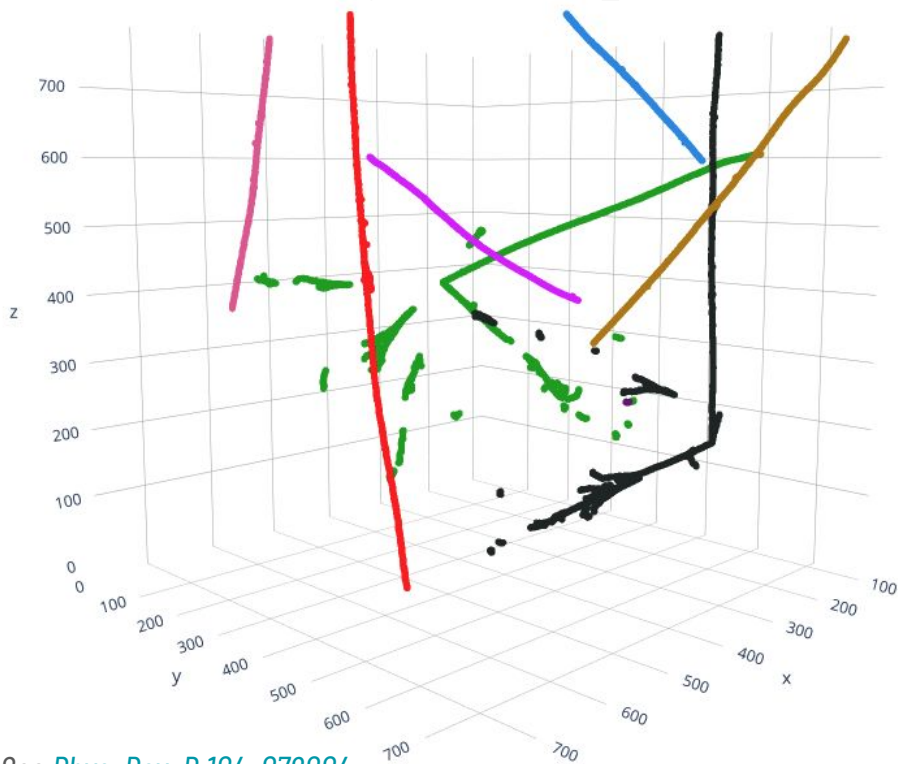
- Interaction = a group of particles that shared the same origin (i.e. neutrino interaction)
- Edge classification to identify an interaction
- Node classification for particle type ID



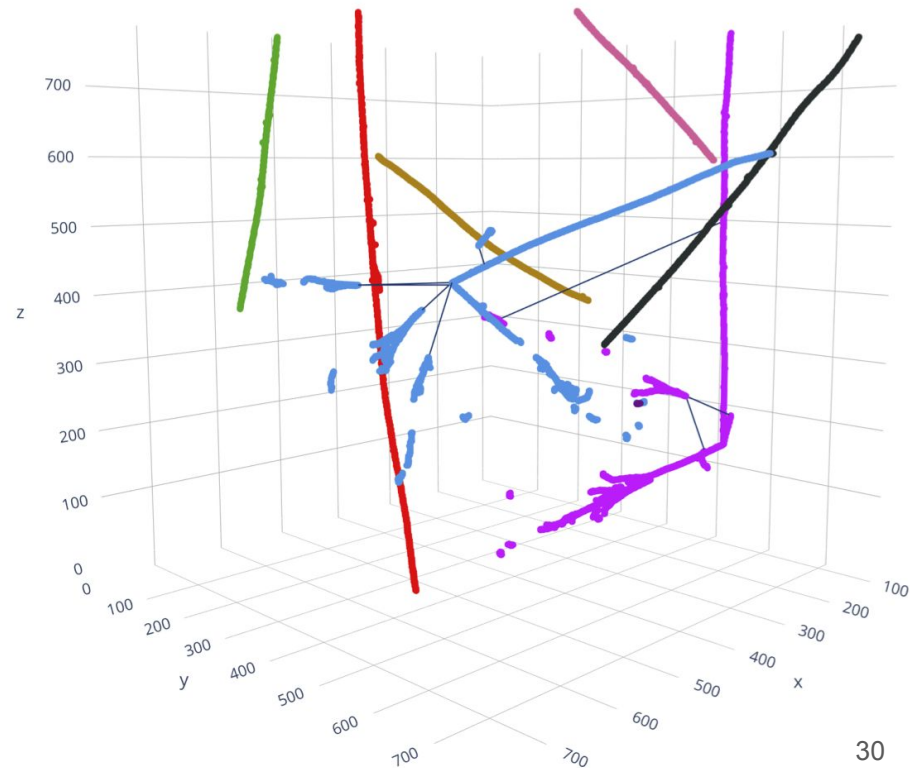
# ML for Analyzing Big Image Data in Neutrino Experiments

## Stage 3: Interaction Clustering

### Target Group

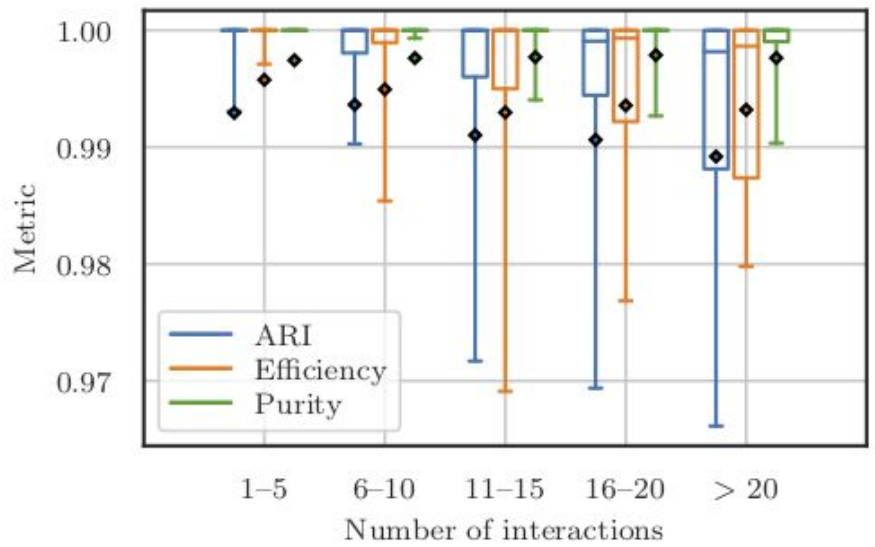


### Predicted Interaction

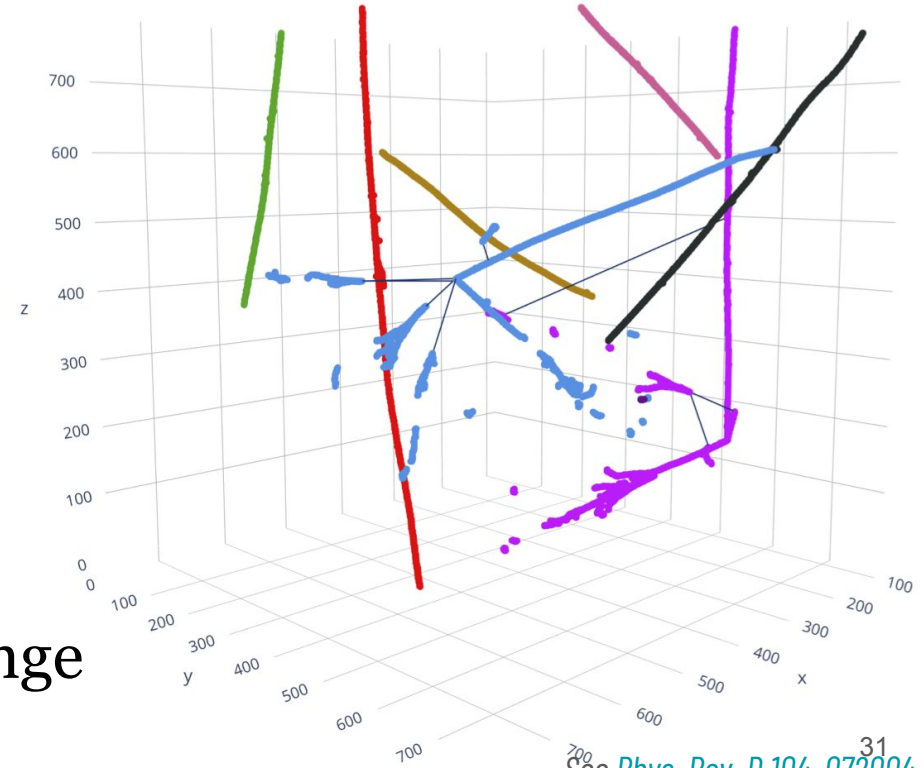


# ML for Analyzing Big Image Data in Neutrino Experiments

## Stage 3: Interaction Clustering



### Predicted Interaction



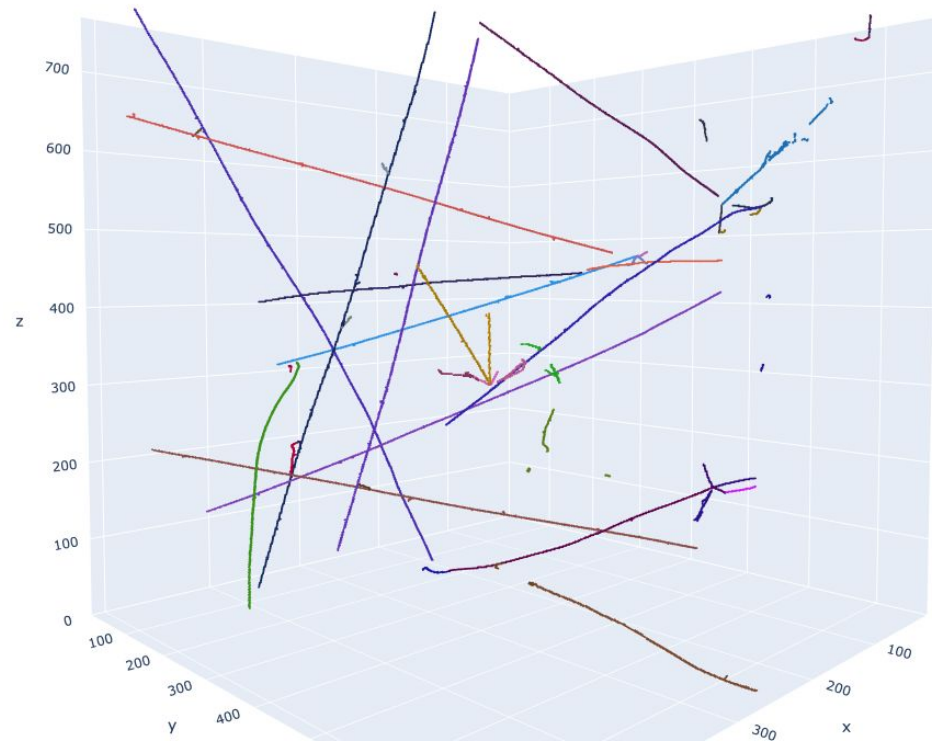
Promising result to address  
DUNE-ND reconstruction challenge  
(~20 neutrino pile-up)

# ML for Analyzing Big Image Data in Neutrino Experiments

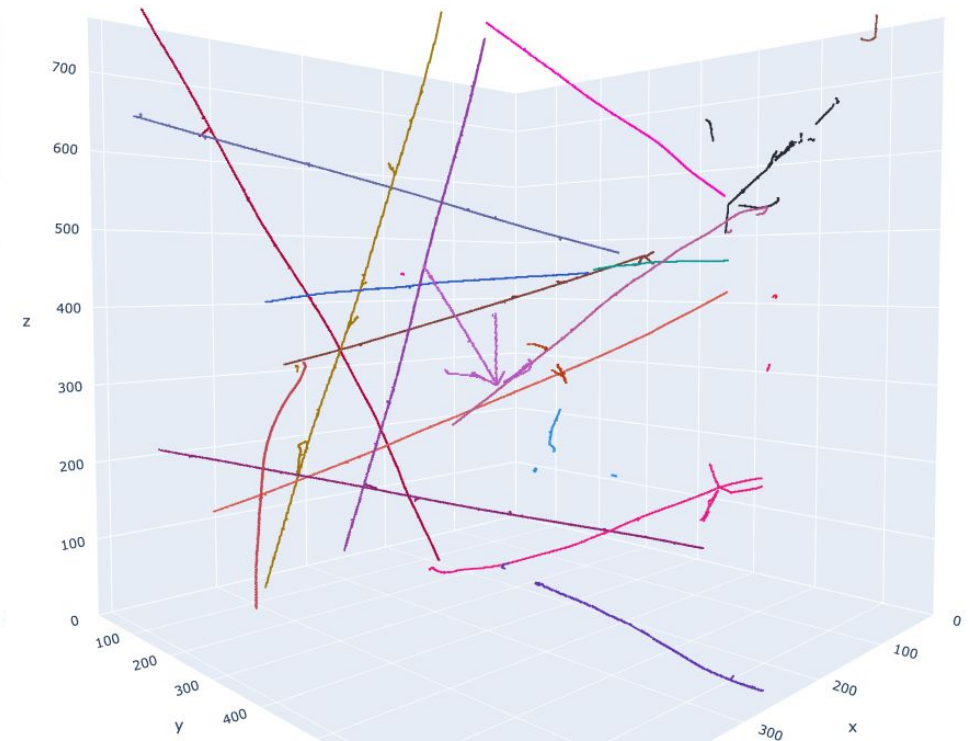
## Stage 3: input & output



### Stage 3 Input



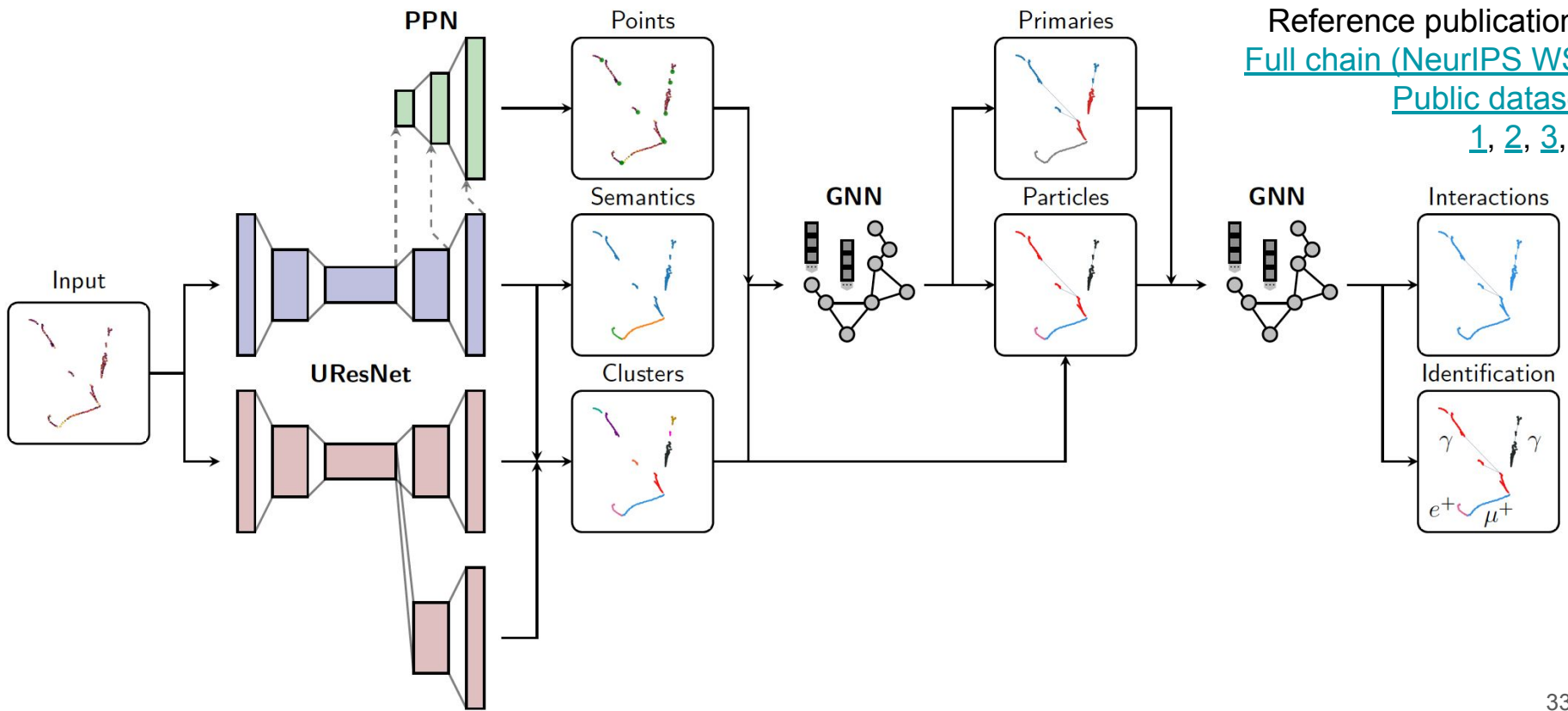
### Stage 3 Output





# Machine Learning in Neutrino Physics & HEP

## Deep Neural Network for Data Reconstruction



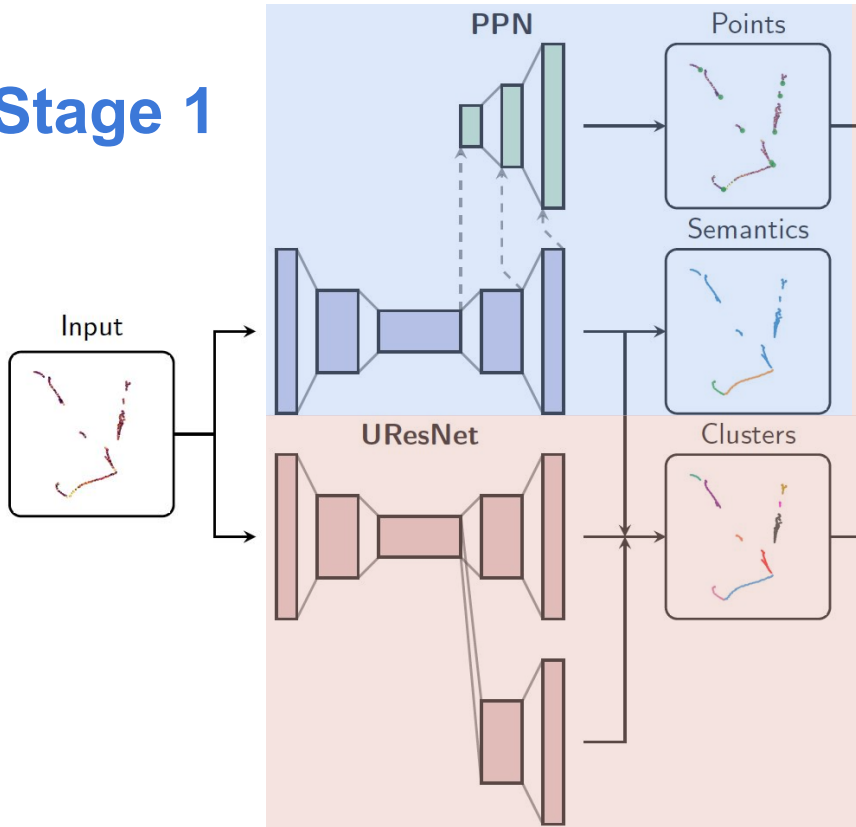
Reference publications  
[Full chain \(NeurIPS WS\)](#)  
[Public dataset](#)  
[1](#), [2](#), [3](#), [4](#)

# Machine Learning in Neutrino Physics & HEP

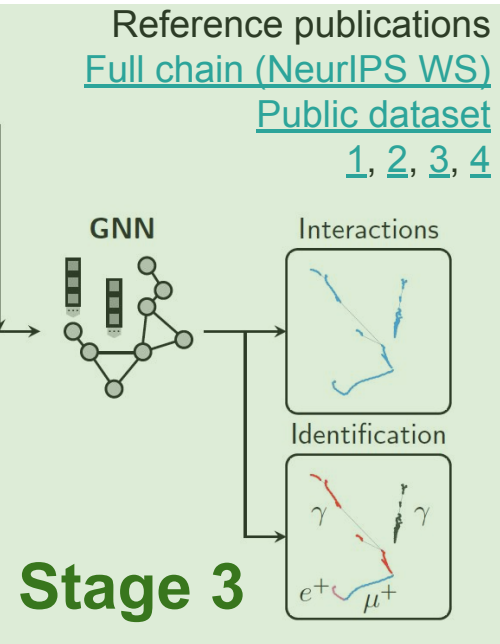
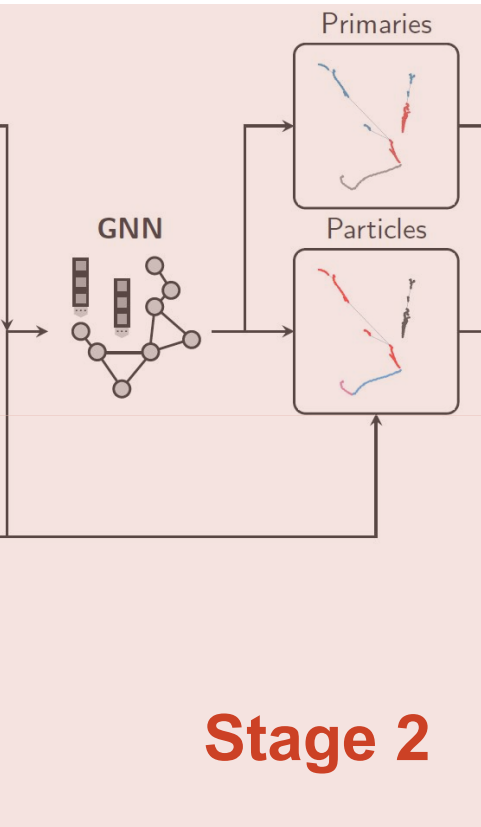
## Deep Neural Network for Data Reconstruction



Stage 1



Stage 2

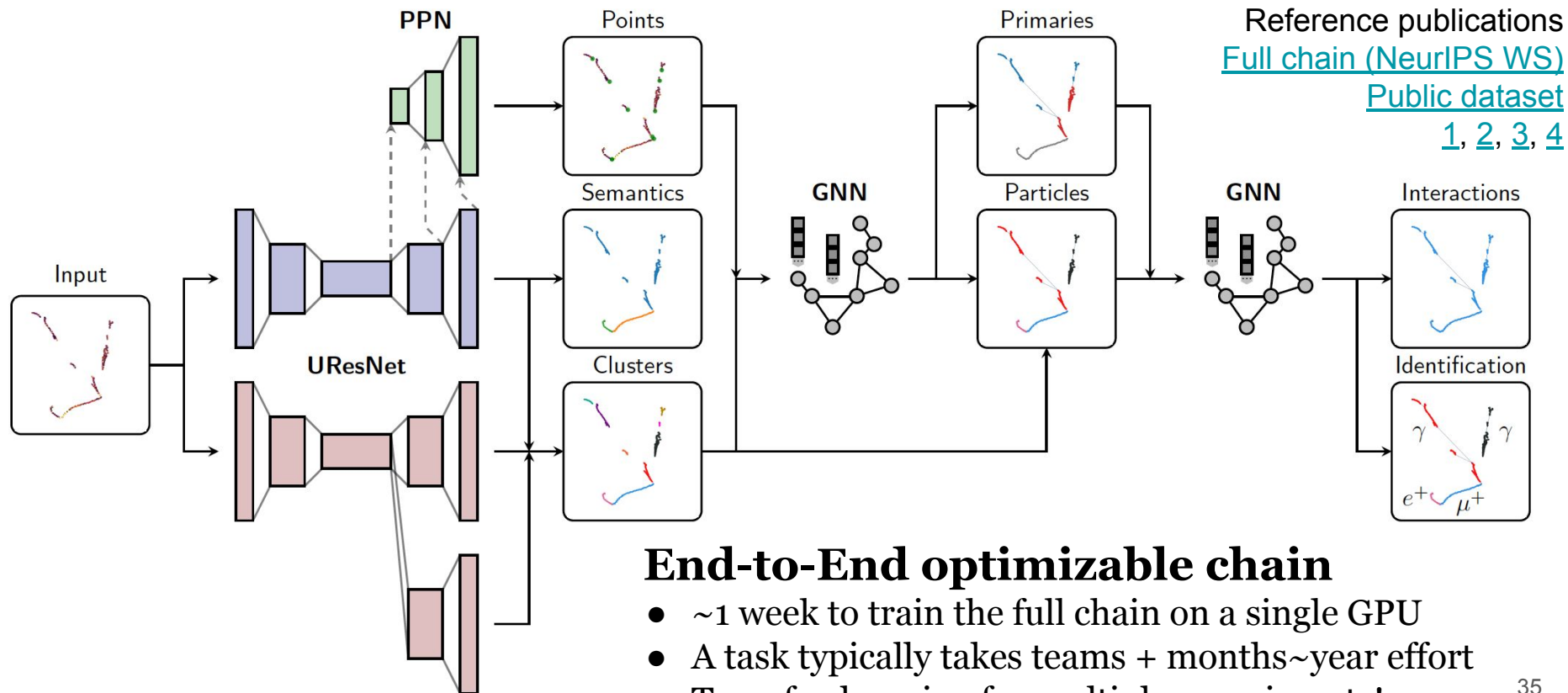


Stage 3

# ML for Analyzing Big Image Data in Neutrino Experiments

## Deep Neural Network for Data Reconstruction

SLAC

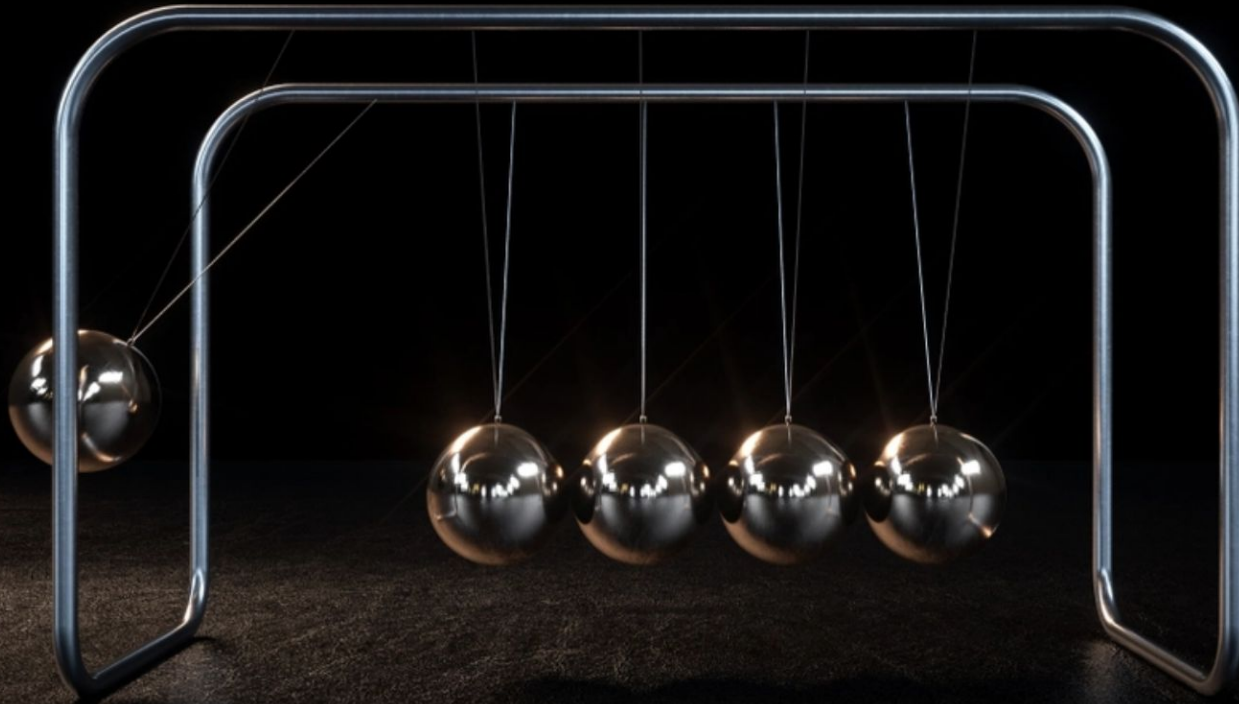


### End-to-End optimizable chain

- ~1 week to train the full chain on a single GPU
- A task typically takes teams + months~year effort
- Transfer-learning for multiple experiments!

# ML for Detector Physics Modeling

## Automation of physics model tuning



ML for  
Optimizing  
Physics  
Models



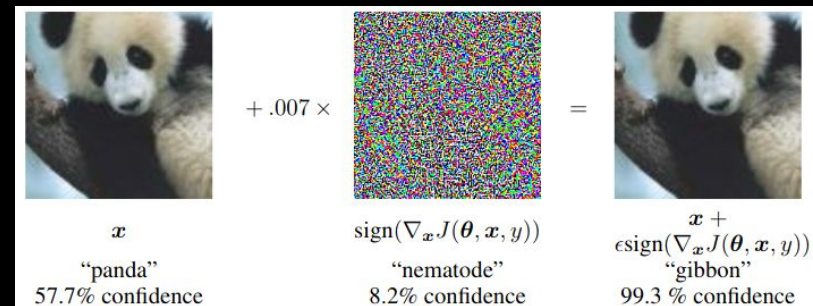
# ML for Detector Physics Modeling

## Automation of physics model tuning

[Explaining and harnessing adversarial examples](#)

### The Catch

Supervised optimization with imperfect simulation may be vulnerable to **domain shift**.



# ML for Detector Physics Modeling

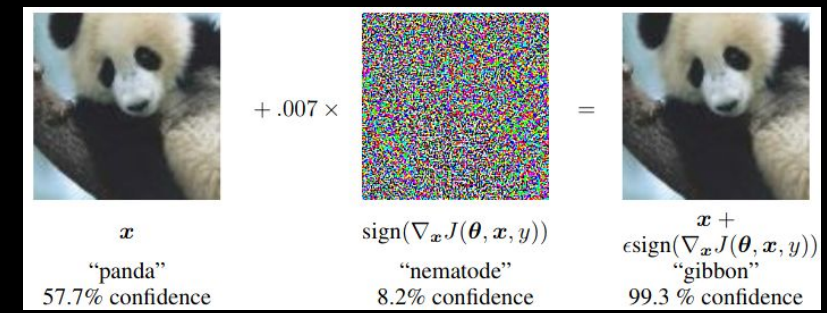
## Automation of physics model tuning

[Explaining and harnessing adversarial examples](#)

### The Catch

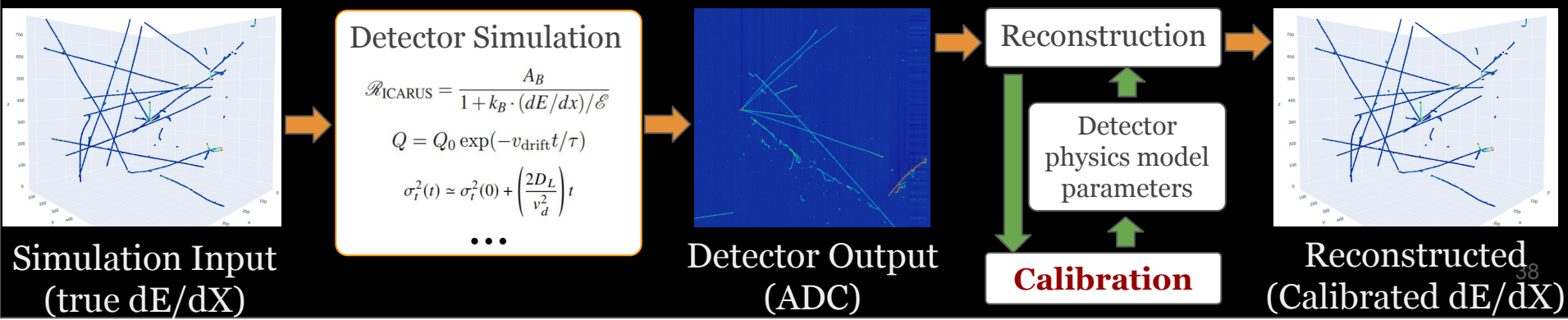
Supervised optimization with imperfect simulation may be vulnerable to **domain shift**.

**Tuning of simulation: tricky & “by hand”**



Detector physics knowledge applied in simulation

Detector physics knowledge extracted in reconstruction



# ML for Detector Physics Modeling

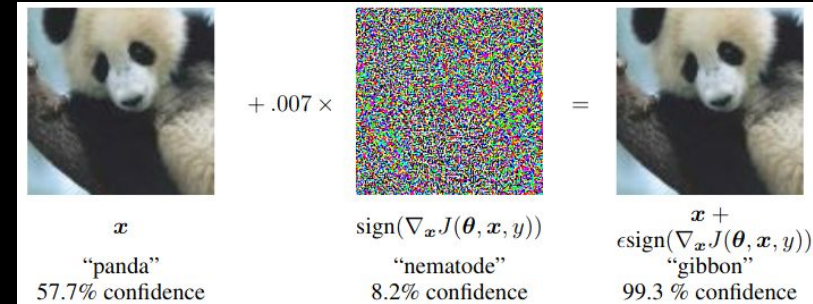
## Automation of physics model tuning

[Explaining and harnessing adversarial examples](#)

### The Catch

Supervised optimization with imperfect simulation may be vulnerable to **domain shift**.

**Tuning of simulation: tricky & “by hand”**



### Research directions

- Make the optimization of reco chain robust against domain shift
- Innovative simulator that can be automatically tuned with control dataset
- Learn data representations directly from data (+ use features to train reco chain)

# ML for Detector Physics Modeling

## Automation of physics model tuning

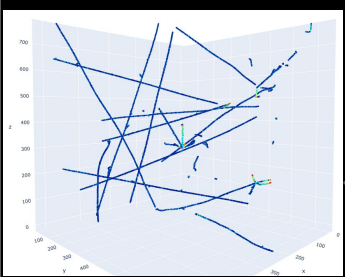
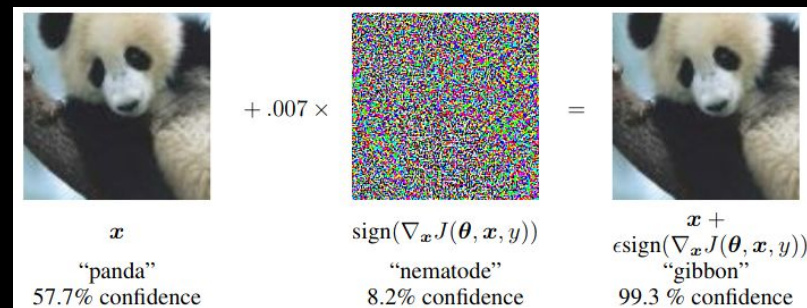
[Explaining and harnessing adversarial examples](#)

### The Catch

Supervised optimization with imperfect simulation may be vulnerable to **domain shift**.

~~Tuning of simulation: tricky & “by hand”~~

Develop a simulator that can be tuned automatically on real data



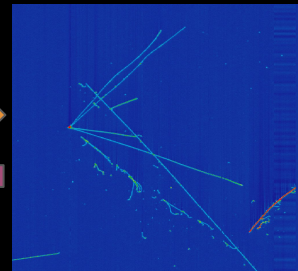
Detector Simulation

$$\mathcal{R}_{\text{ICARUS}} = \frac{A_B}{1 + k_B \cdot (dE/dx)/\mathcal{E}}$$

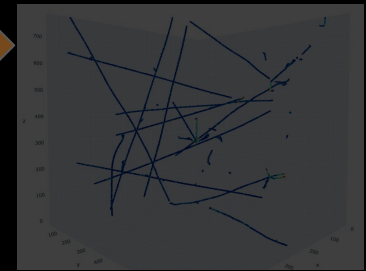
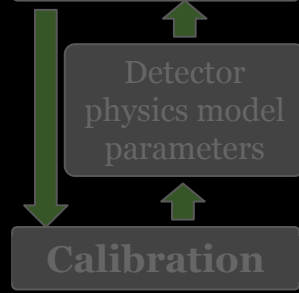
$$Q = Q_0 \exp(-v_{\text{drift}} t / \tau)$$

$$\sigma_i^2(t) \approx \sigma_i^2(0) + \left( \frac{2D_L}{v_d^2} \right) t$$

...



Reconstruction



Simulation Input (true dE/dX)

Detector Output (ADC)

Reconstructed<sub>40</sub> (Calibrated dE/dX)

Detector physics knowledge extracted in reconstruction



# ML for Detector Physics Modeling

## Gradient-based optimization

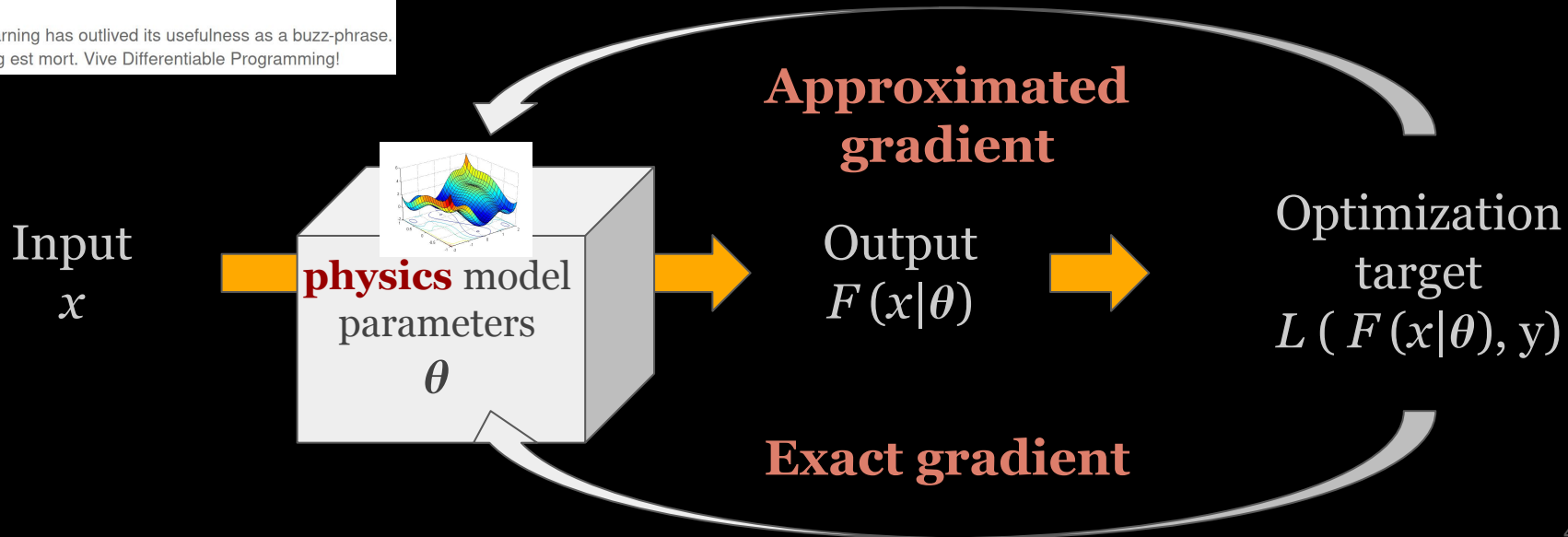
### How: differentiable detector physics simulator



Yann LeCun

January 5, 2018

OK, Deep Learning has outlived its usefulness as a buzz-phrase.  
Deep Learning est mort. Vive Differentiable Programming!



# Optical Detector Simulation

# ML for Detector Physics Modeling

## LAr scintillator light detection

SLAC

**Photo-multiplier tubes (PMTs)** detect scintillation photons

Optical Photon  
Transport



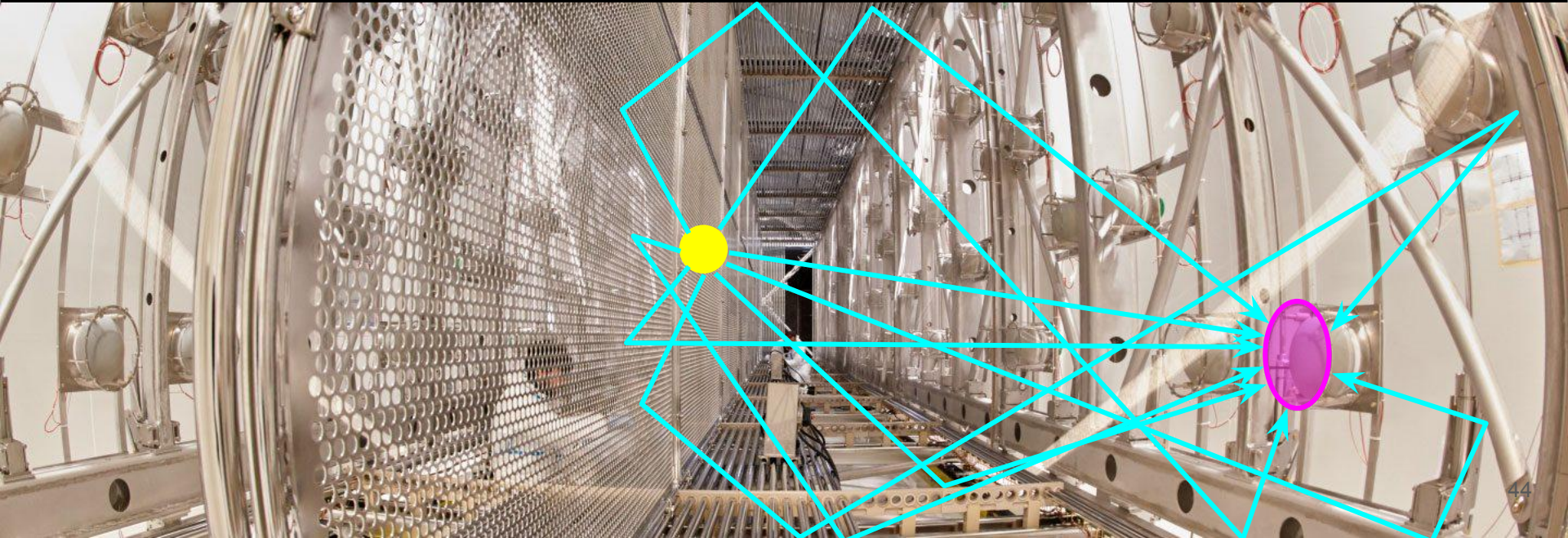


# ML for Detector Physics Modeling

## LAr scintillator light detection

**Photo-multiplier tubes (PMTs)** detect scintillation photons produced isotropically from an Argon atom  
1 meter muon produces  $\sim 5\text{M}$  photons

Optical Photon  
Transport





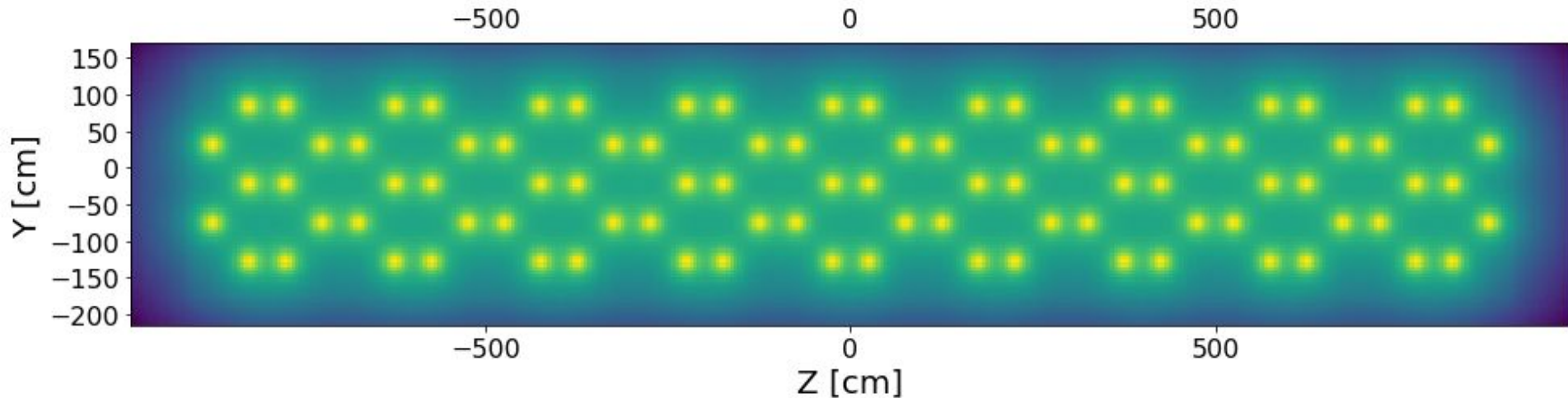
# ML for Detector Physics Modeling

## LAr scintillator light simulation

A marginalized “**Visibility Map**” for 3D voxelized volume used to estimate the mean photon count for each PMT

Optical Photon  
Transport

**Issue: static and not scalable**



Example: ICARUS detector, 2D slice of a 3D map

A marginalized “**Visibility Map**” for 3D voxelized volume used to estimate the mean photon count for each PMT

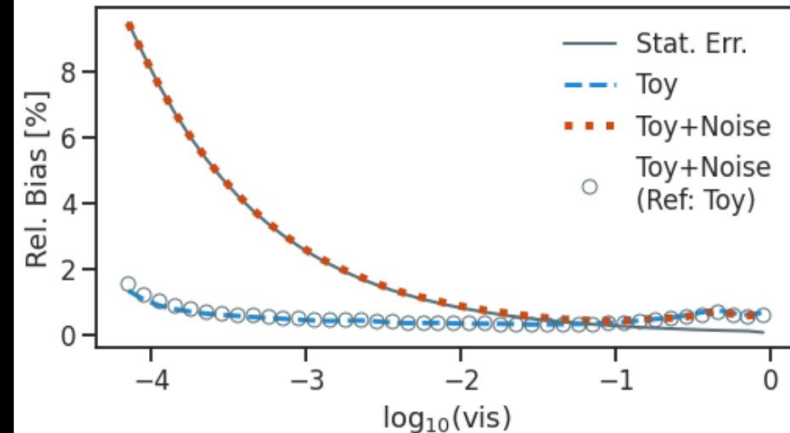
## Optical Photon Transport

**Issue: static** and **not scalable**

- Implicitly optimized based on simulation update (~2 weeks to produce each time)
- Limited scalability ... ~1E9 voxels for ICARUS
  - Coarse voxel size (~5cm cubic)
  - Large statistical error (~30k photons/vox.)

## Difficult to scale full DUNE


$$\text{Relative Bias} = \frac{|\langle \text{P.E.} \rangle_{\text{true}} - \langle \text{P.E.} \rangle_{\text{pred.}}|}{\langle \text{P.E.} \rangle_{\text{true}} + \langle \text{P.E.} \rangle_{\text{pred.}}}$$



Example: ICARUS detector, 2D slice of a 3D map

# ML for Detector Physics Modeling

## SIREN as a differentiable surrogate for optical detectors



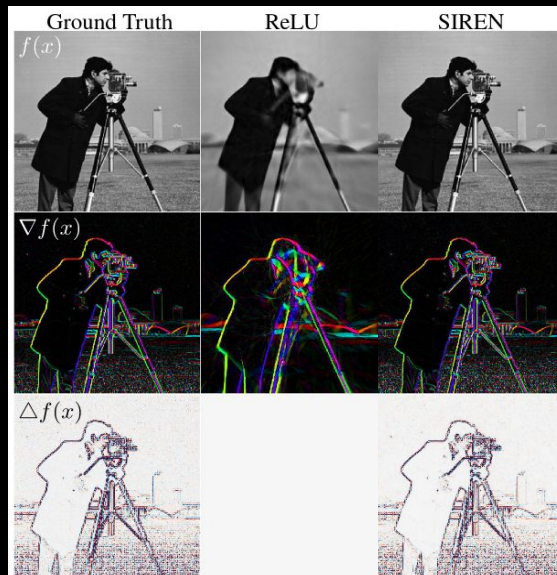
### Differentiable Neural Scene Representation



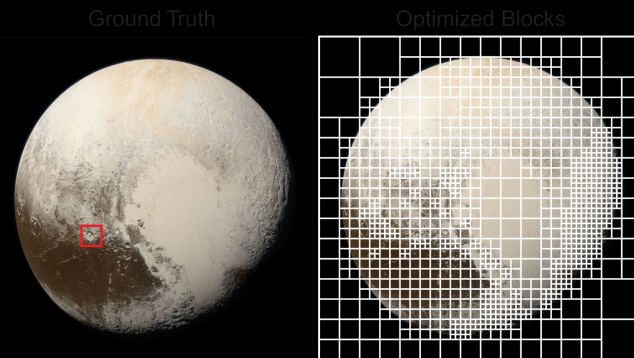
$$(x, y, z, \theta, \phi) \rightarrow \begin{matrix} \boxed{\phantom{0}} \\ \boxed{\phantom{0}} \\ \boxed{\phantom{0}} \end{matrix} \rightarrow (RGB\sigma)$$

$F_{\Theta}$

**NeRF** breakthrough on high resolution image representation by a very simple neural network



**SIREN** success of learning the 1st and 2nd order derivatives



**ACORN** scalable version of SIREN by adding spatial feature compression (essentially a learnable kd-tree)

... only a few examples

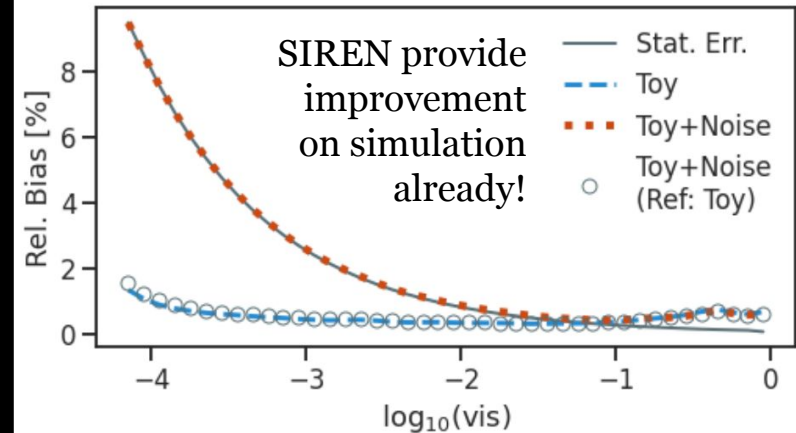
### Differentiable Neural Scene Representation

#### SIREN for LArTPC detectors

- Designed as an implicit representation of a **continuous function in space** (suited to “visibility”, “E-field”, etc.)
  - Can be seen as a trade-off between an analytical function and a table
- “**Differentiable**” implies we can directly optimize against “data v.s. simulation discrepancy” given control samples

SIREN trained on “Toy + Noise” successfully learned the underlying analytical function shape (simulation)

$$\text{Relative Bias} = \frac{|\langle \text{P.E.} \rangle_{\text{true}} - \langle \text{P.E.} \rangle_{\text{pred.}}|}{\langle \text{P.E.} \rangle_{\text{true}} + \langle \text{P.E.} \rangle_{\text{pred.}}}$$



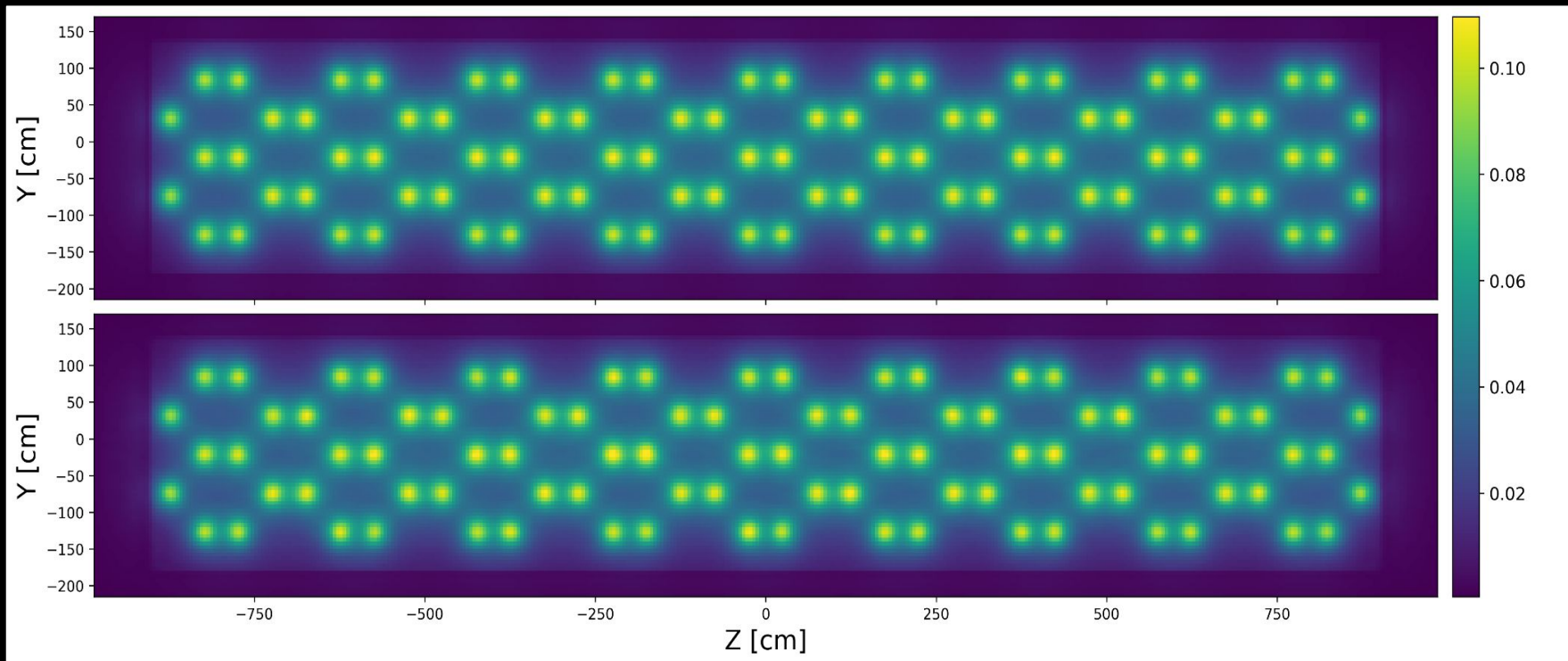


# ML for Detector Physics Modeling

## SIREN as a differentiable surrogate for optical detectors



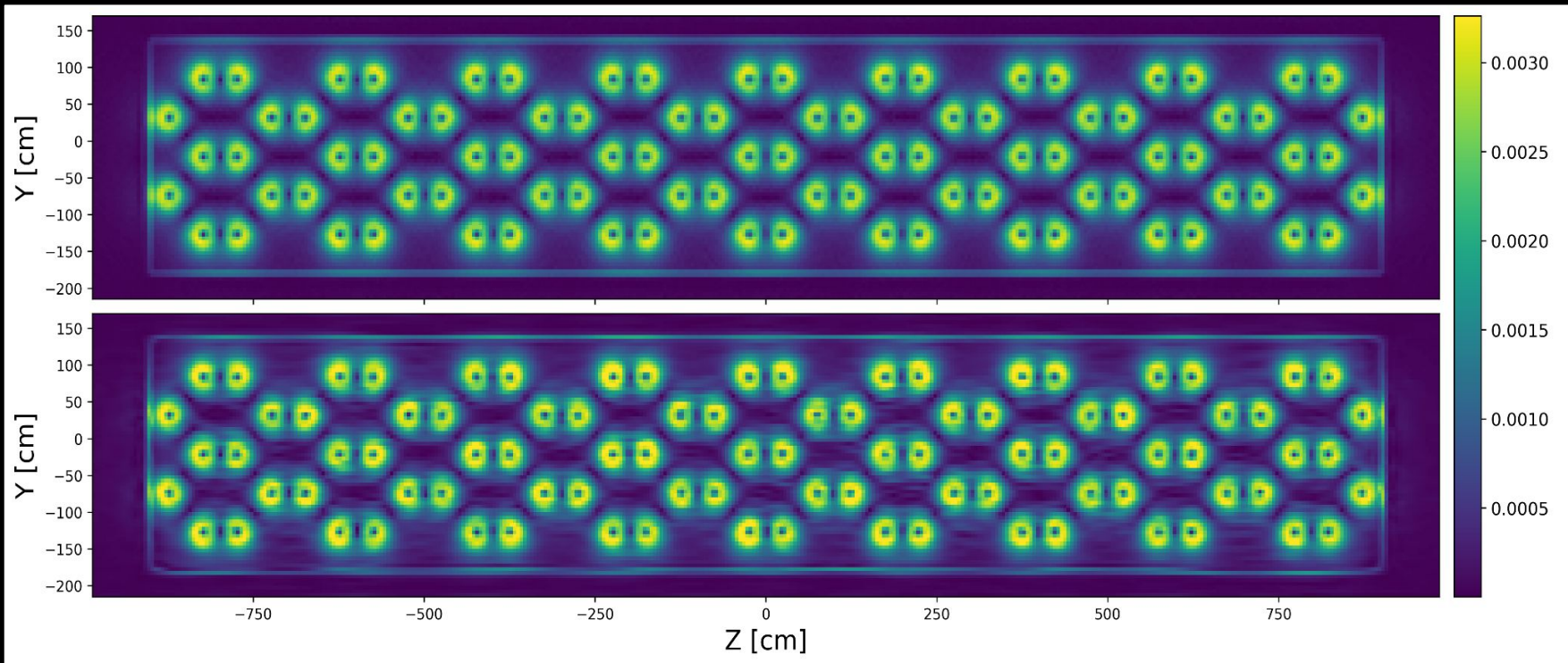
### ICARUS: 2D slice, map (top) v.s. SIREN (bottom)



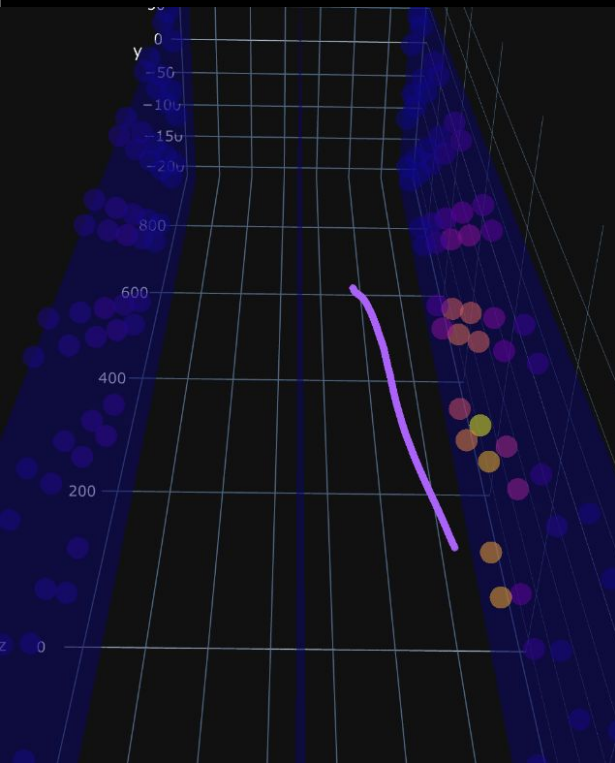
# ML for Detector Physics Modeling

## SIREN as a differentiable surrogate for optical detectors

### ICARUS: 2D slice, map (top) v.s. SIREN (bottom)



### Training SIREN on real data



**Control dataset:** 3D TPC trajectory for which XYZ position of space-points are accurately measured

Deposited charge at the point  $i$   $\rightarrow C_i$   
 Quantum efficiency of the PMT  $j$   $\rightarrow Q_j$   
 Predicted P.E.  $\rightarrow P_j$

$$P_j = \sum_i C_i \times Y \times Q_j \times \Phi(\mathbf{r}_i)_j$$

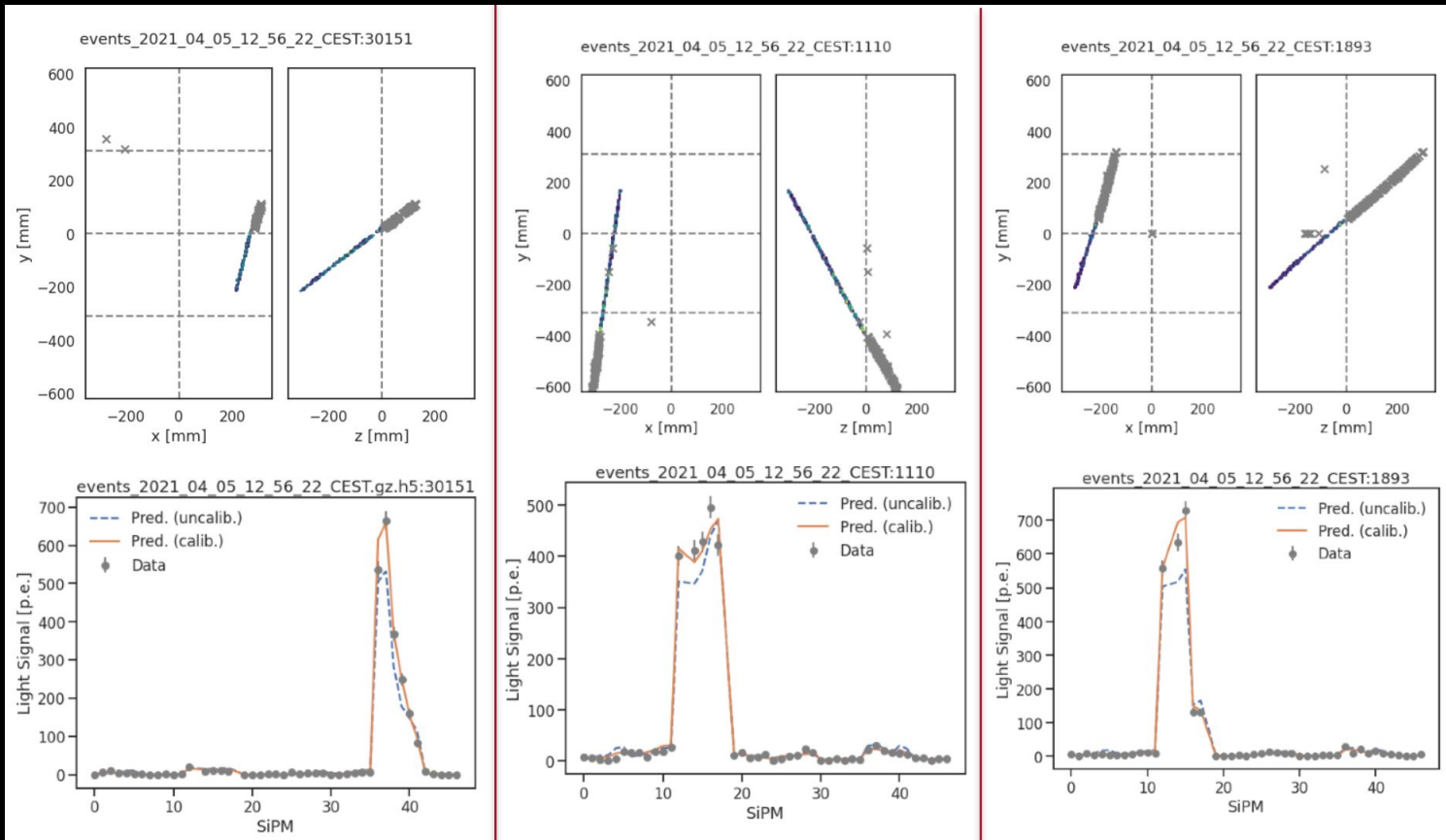
all points  $\rightarrow$  (points to the summation index  $i$ )  
 light yield  $\rightarrow Y$   
 SIREN prediction for the point  $i$  at the PMT  $j$   $\rightarrow \Phi(\mathbf{r}_i)_j$

$$\text{Loss} = \sum_j \frac{(P_j - O_j)^2}{P_j^2 + \epsilon}$$

numerical stability,  $\sim 25$  P.E.-squared  $\leftarrow \epsilon$

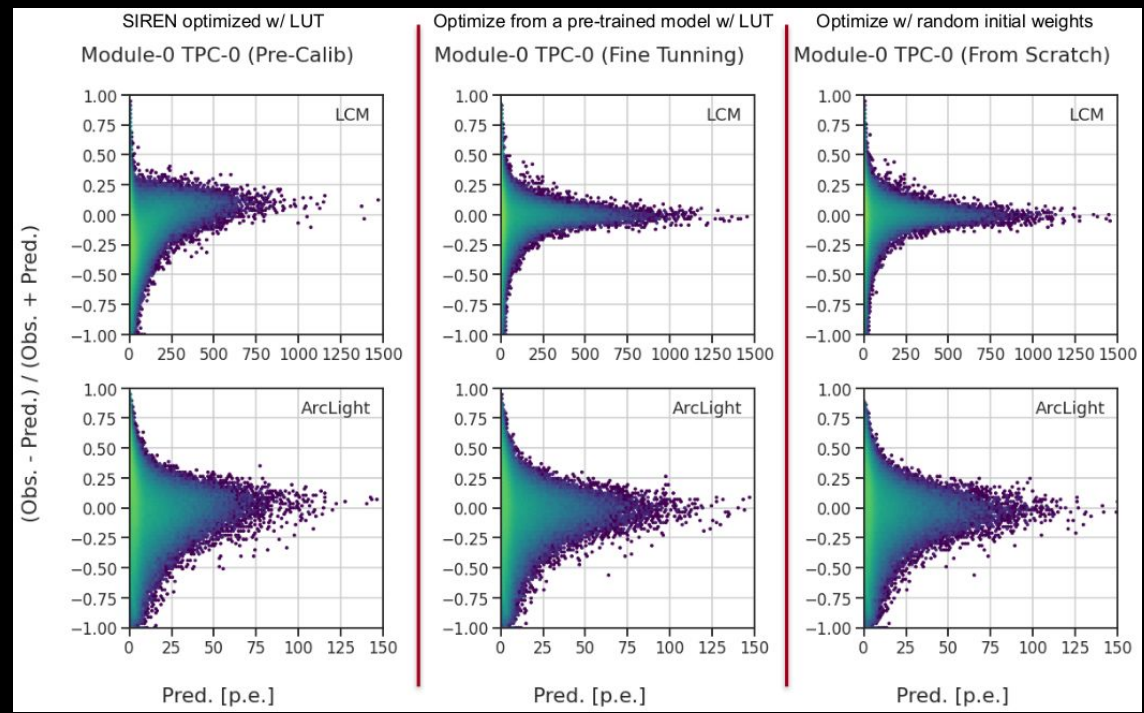
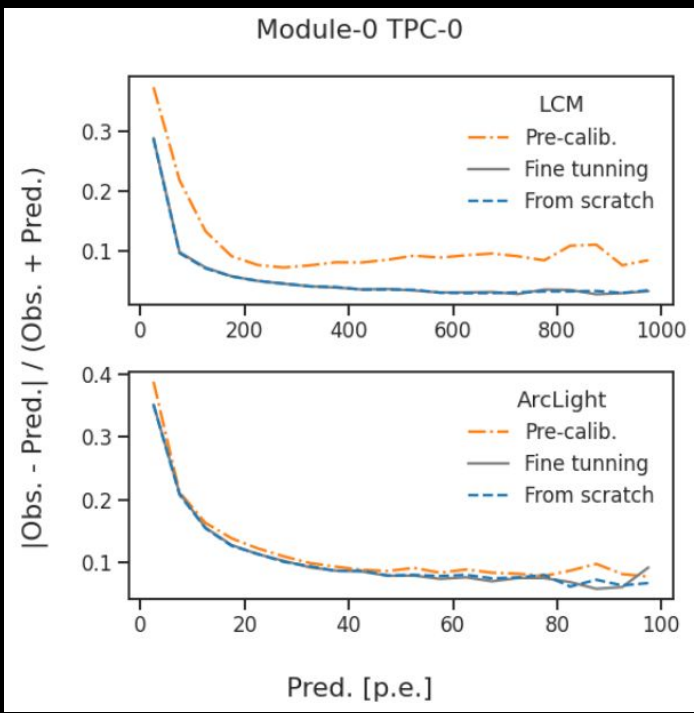
# ML for Detector Physics Modeling

## SIREN as a differentiable surrogate for optical detectors





### Training SIREN on real data



# ML for Detector Physics Modeling

## SIREN as a differentiable surrogate for optical detectors



### Implicit Neural Representation as a Differentiable Surrogate for Photon Propagation in a Monolithic Neutrino Detector

Minjie Lei,<sup>2,\*</sup> Ka Vang Tsang,<sup>1,†</sup> Sean Gasiorowski,<sup>1</sup> Chuan Li,<sup>3</sup> Youssef Nashed,<sup>1</sup>  
Gianluca Petrillo,<sup>1</sup> Olivia Piazza,<sup>4</sup> Daniel Ratner,<sup>1</sup> and Kazuhiro Terao<sup>1</sup>  
(on behalf of the DeepLearnPhysics Collaboration)

<sup>1</sup>SLAC National Accelerator Laboratory, Menlo Park, CA, 94025, USA

<sup>2</sup>Stanford University, Stanford, CA, 94305, USA

<sup>3</sup>Lambdab Inc., San Francisco, CA, 94107, USA

<sup>4</sup>University of California, Berkeley, CA, 94720, USA

Optical photons are used as signal in a wide variety of particle detectors. Modern neutrino experiments employ hundreds to tens of thousands of photon detectors to observe signal from millions to billions of scintillation photons produced from energy deposition of charged particles. These neutrino detectors are typically large, containing  $\mathcal{O}(10^6 - 10^7)$  tons of target volume, and may consist of many materials with different optical properties. As a result, modeling individual photon propagation requires prohibitive computational resources. As an alternative to tracking individual photons, the experimental community has traditionally used a *look-up table*, which contains a mean probability of observing a photon per photon detector at each grid location in a uniformly voxelized detector volume. However, since the size of a table increases with detector volume for a fixed resolution, this method scales poorly for future larger detectors. Alternative approaches such as fitting a polynomial to the model could address the memory issue, but results in poorer performance. Furthermore, both look-up table and fitting approaches are prone to discrepancies between the detector simulation and the real-world detector response. We propose a new approach using SIREN, an implicit neural representation with periodic activation functions. In our approach, SIREN is used to model the look-up table as a “3D scene” and reproduces the acceptance map with high accuracy. The number of parameters in our SIREN model is orders of magnitude smaller than the number of voxels in the look-up table. As it models an underlying functional shape, SIREN is scalable to a larger detector. Furthermore, SIREN can successfully learn the spatial gradients of the photon library, providing additional information for downstream applications. Finally, as SIREN is a neural network representation, it is differentiable with respect to its parameters, and therefore tunable via gradient descent. We demonstrate the potential of optimizing SIREN directly on real data, which mitigates the concern of data vs. simulation discrepancies. We further present an application for data reconstruction where SIREN is used to form a likelihood function for photon statistics.

Preprint [arXiv:2210.01505](https://arxiv.org/abs/2210.01505)



Work credit (from left): Olivia P. (UC Berkeley), Minjie L. (SLAC),  
Patrick T. (SLAC), , Gordon W. (Stanford CS), Chuan L. (Lambda Labs)

# ML for Detector Physics Modeling

## TPC Imaging Detector Simulation

### Drift of Ionization Electrons for Imaging

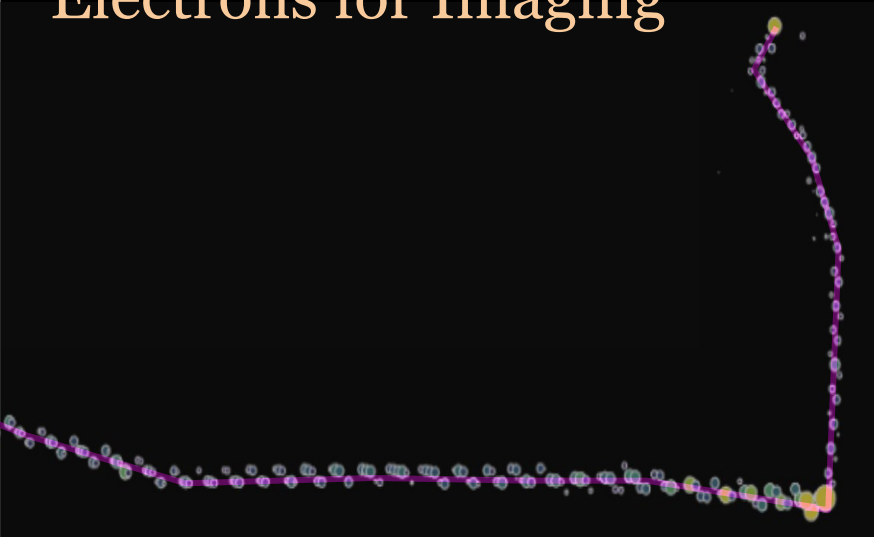




# ML for Detector Physics Modeling

## TPC Imaging Detector Simulation

### Drift of Ionization Electrons for Imaging



### Simulation steps:

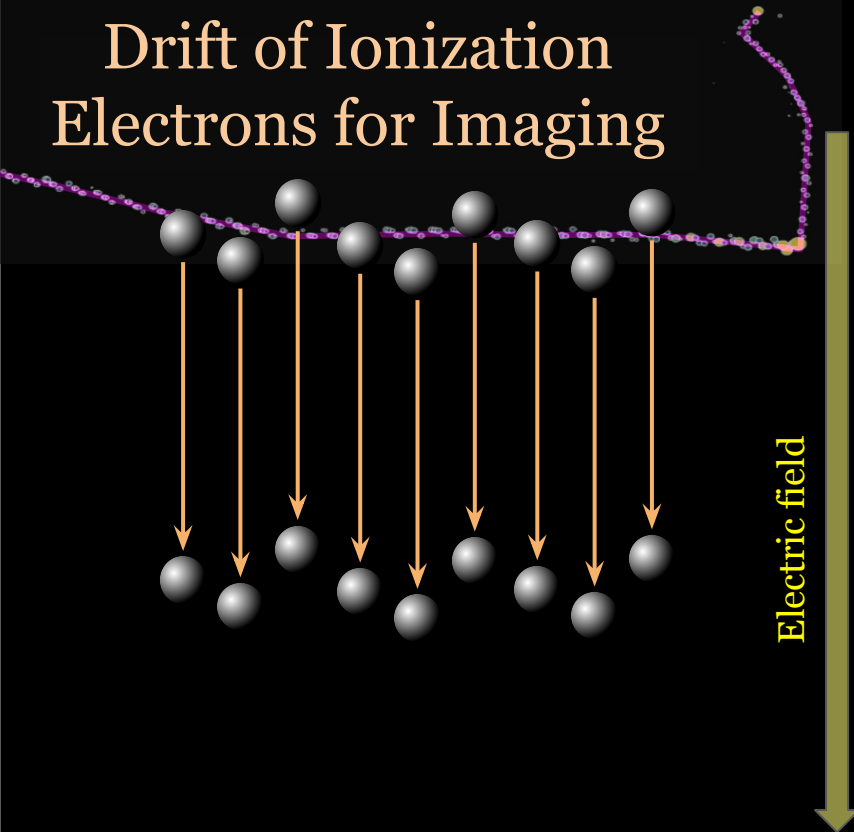
1. Ionization of LAr from  $dE/dX$



# ML for Detector Physics Modeling

## TPC Imaging Detector Simulation

### Drift of Ionization Electrons for Imaging



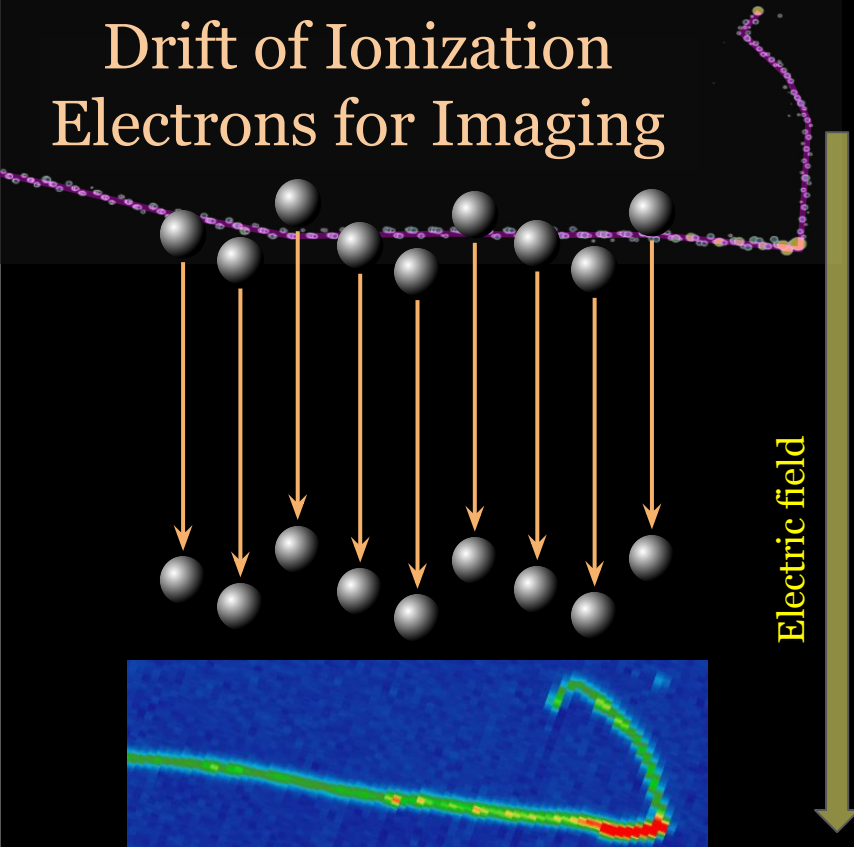
### Simulation steps:

1. Ionization of LAr from  $dE/dX$
2. Ionization electron drift and diffuse in E-field at a “constant” velocity, some charge lost due to capture

# ML for Detector Physics Modeling

## TPC Imaging Detector Simulation

### Drift of Ionization Electrons for Imaging



### Simulation steps:

1. Ionization of LAr from  $dE/dX$
2. Ionization electron drift and diffuse in E-field at a “constant” velocity, some charge lost due to capture
3. Imaging by charge-sensitive plane (detectors) at the anode

### Drift of Ionization Electrons for Imaging

Detector Simulation

$$\mathcal{R}_{\text{ICARUS}} = \frac{A_B}{1 + k_B \cdot (dE/dx)/\mathcal{E}}$$

$$Q = Q_0 \exp(-v_{\text{drift}} t / \tau)$$

$$\sigma_i^2(t) \approx \sigma_i^2(0) + \left( \frac{2D_L}{v_d^2} \right) t$$

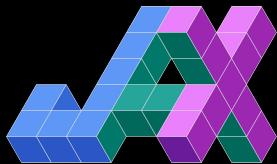
...

### Simulation steps:

1. Ionization of LAr from  $dE/dX$
2. Ionization electron drift and diffuse in E-field at a “constant” velocity, some charge lost due to capture
3. Imaging by charge-sensitive plane (detectors) at the anode

A composite of a simple set of functions, and it's parallelizable for many segments...

**Differentiable** programming FMWKs?



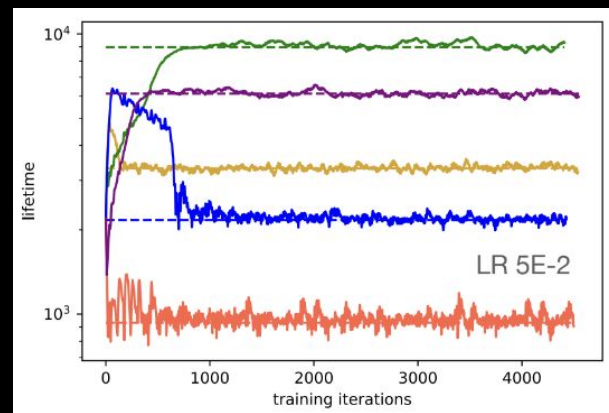
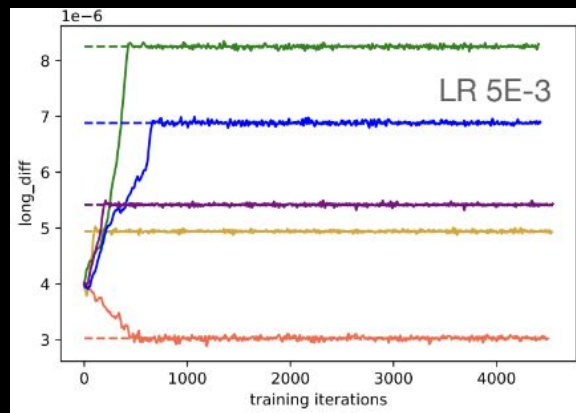
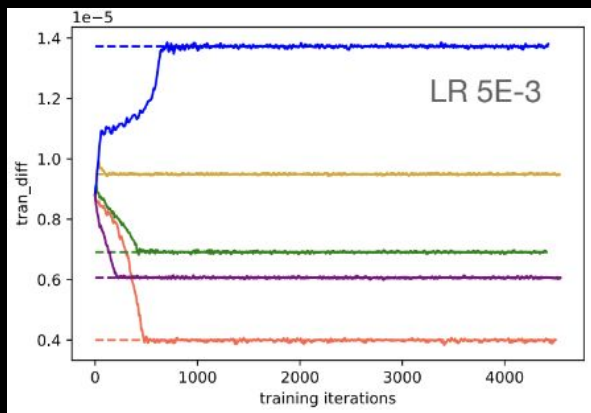
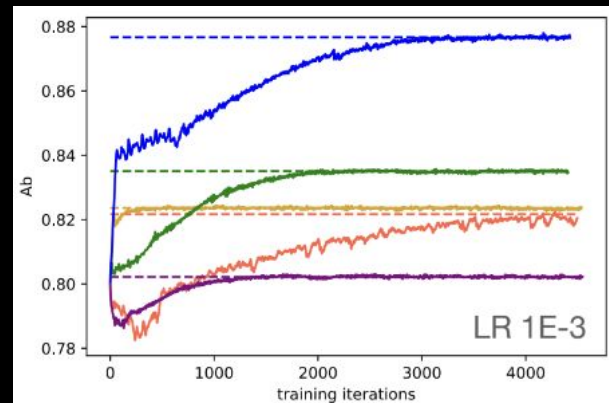
# ML for Detector Physics Modeling

## AD-enabled differentiable detector simulator

### Optimization of TPC detector response

Much work in progress(!) = take it as a grain of salt

- Use contained proton tracks and MIP muons (true  $dE/dX$  can be well characterized)
- Simultaneous optimization of detector simulation parameters to minimize data/simulation shift





# ML for Detector Physics Modeling

## AD-enabled differentiable detector simulator

### Optimization of TPC detector response

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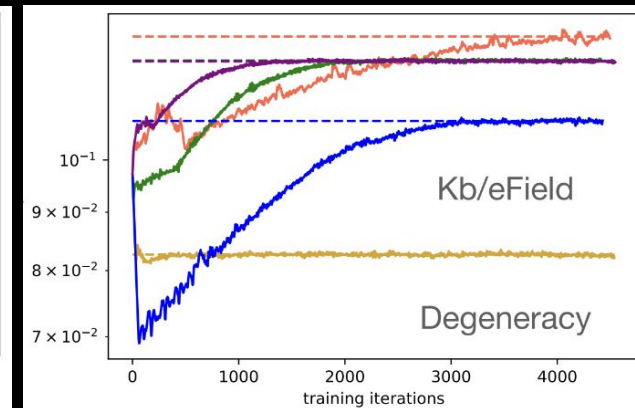
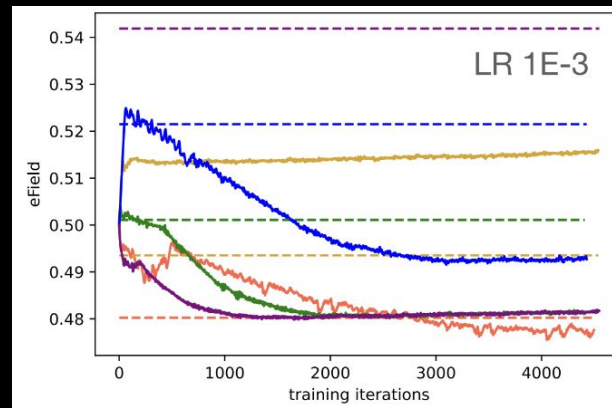
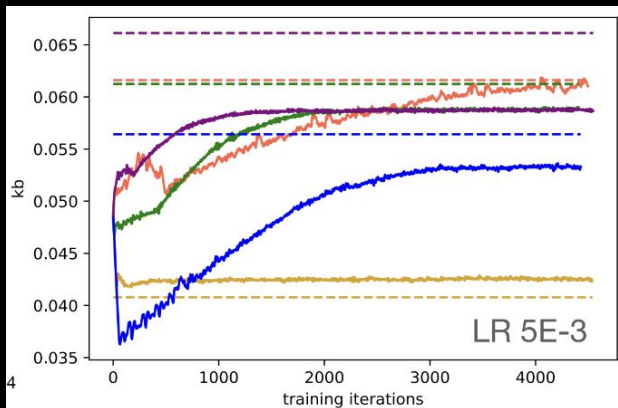
#### Detector Simulation

$$\mathcal{R}_{\text{ICARUS}} = \frac{A_B}{1 + k_B \cdot (dE/dx)/\mathcal{E}}$$

$$Q = Q_0 \exp(-v_{\text{drift}} t / \tau)$$

$$\sigma_t^2(t) \approx \sigma_t^2(0) + \left( \frac{2D_L}{v_d^2} \right) t$$

...



# ML for Analyzing Big Image Data in Neutrino Experiments

## Inverse imaging using a differentiable simulator

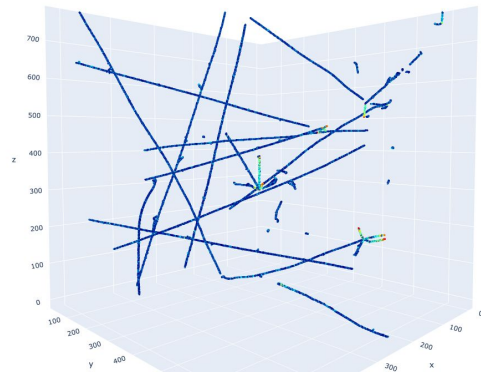


E.g. use for optimizing an image inverse solver

$G(\mathbf{X}|\mathbf{Y}, \theta_G)$   
Inverse Image Solver

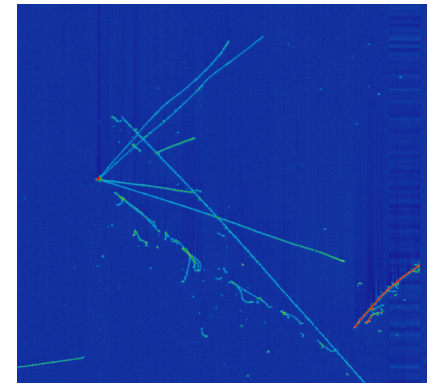


$$\mathcal{L}_{\text{inv}} = |G(\mathbf{Y}) - \mathbf{X}|^2$$



$\mathbf{X} \in \mathcal{D}_I$

Input domain of  
LArTPC simulator  
(inaccessible)



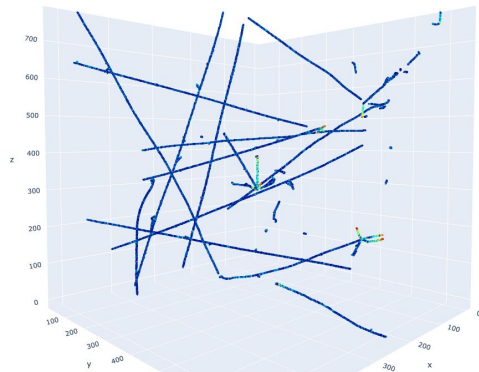
$\mathbf{Y} \in \mathcal{D}_O$

Output domain of  
LArTPC simulator  
(e.g. real data)

# ML for Analyzing Big Image Data in Neutrino Experiments

## Inverse imaging using a differentiable simulator

E.g. use for optimizing an image inverse solver



$\mathbf{X} \in \mathcal{D}_I$

Input domain of  
LArTPC simulator  
(inaccessible)

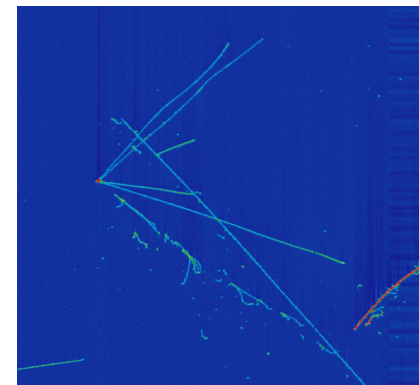
$G(\mathbf{X}|\mathbf{Y}, \theta_G)$   
Inverse Image Solver

$$\mathcal{L}_{\text{inv}} = |G(\mathbf{Y}) - \mathbf{X}|^2$$

and / or

$$\mathcal{L}_{\text{cc}} = |F(G(\mathbf{Y})) - \mathbf{Y}|^2$$

$F(\mathbf{Y}|\mathbf{X}, \theta_F)$   
Differentiable LArTPC Simulator

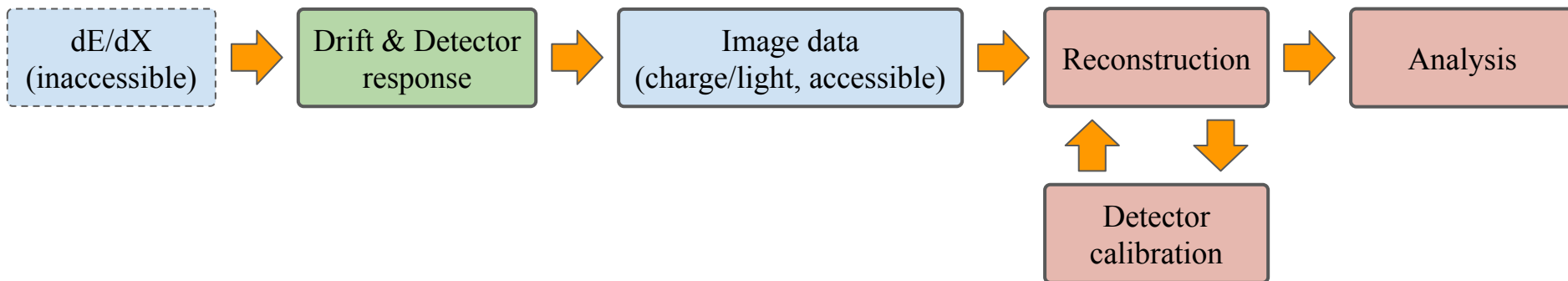


$\mathbf{Y} \in \mathcal{D}_O$

Output domain of  
LArTPC simulator  
(e.g. real data)

# ML for Analyzing Big Image Data in Neutrino Experiments

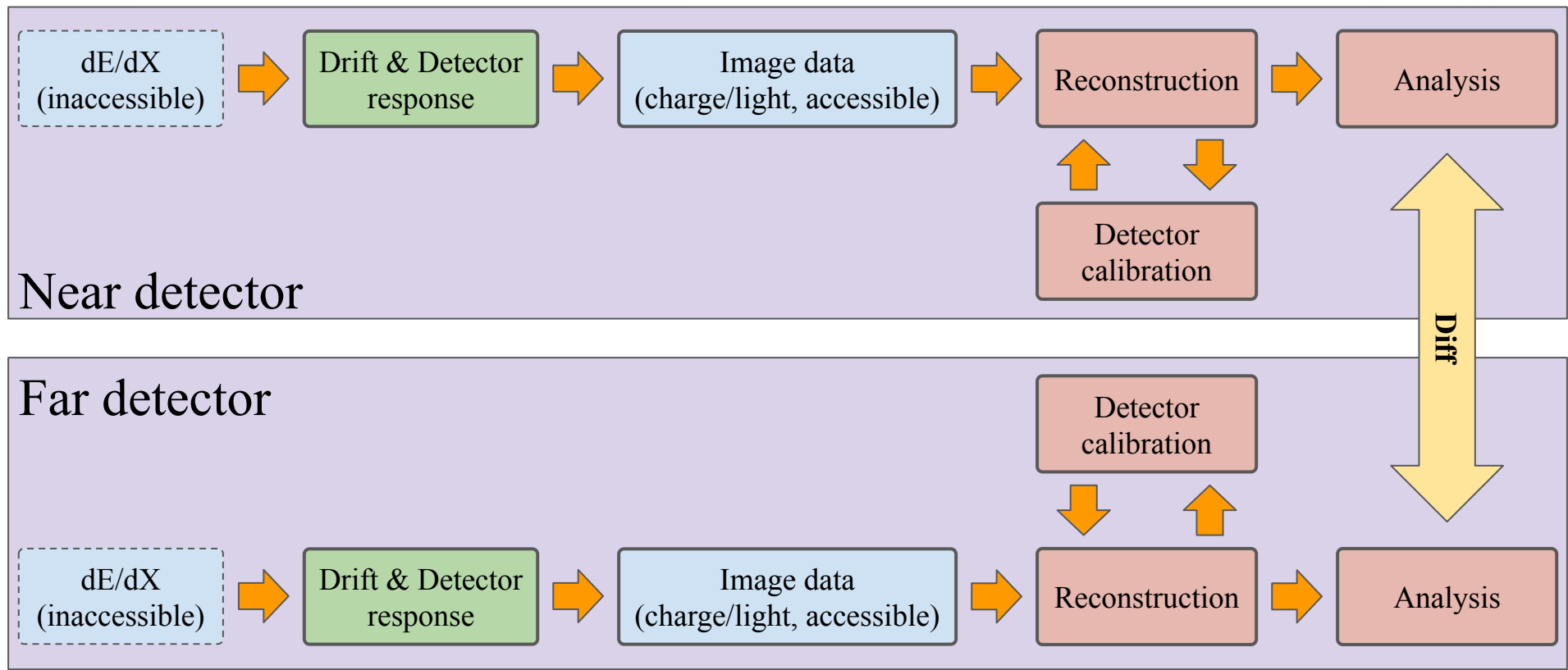
## Inverse imaging using a differentiable simulator





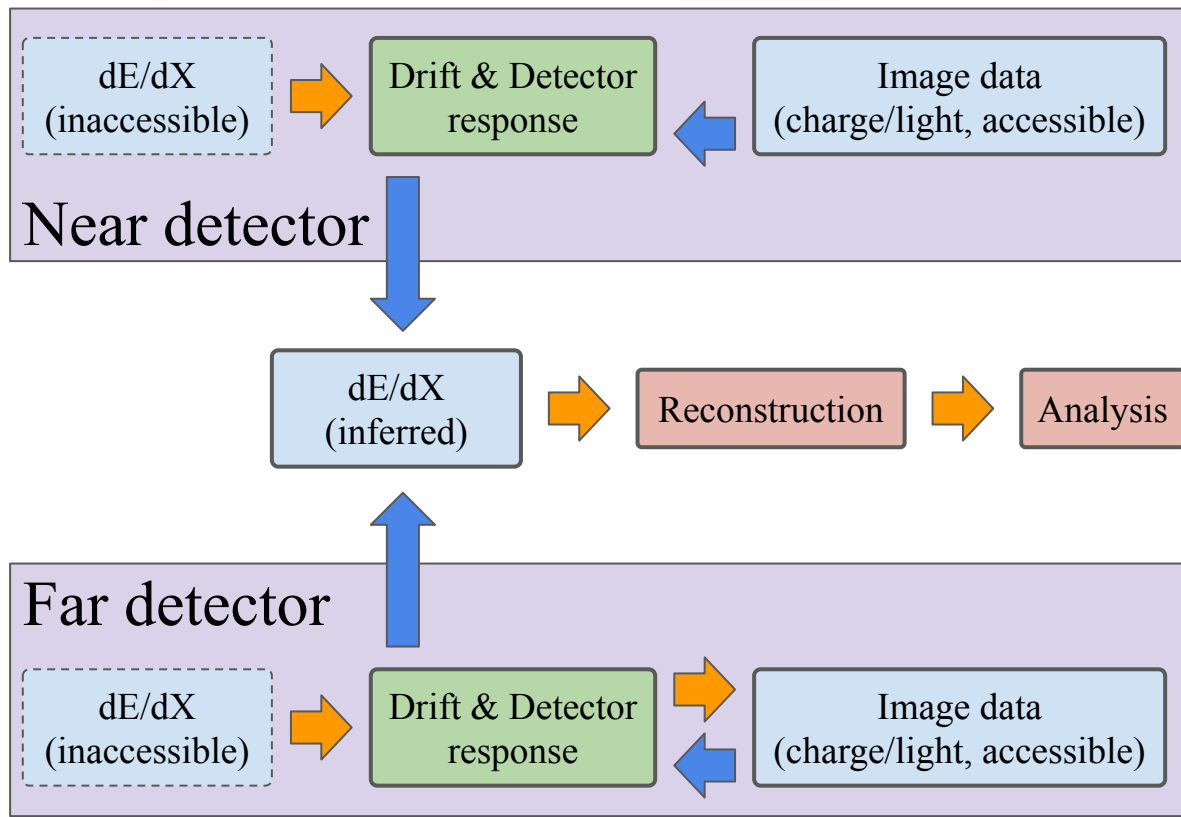
# ML for Analyzing Big Image Data in Neutrino Experiments

## Inverse imaging using a differentiable simulator



# ML for Analyzing Big Image Data in Neutrino Experiments

## Inverse imaging using a differentiable simulator



Detector calibration can be automated

Reconstruction can be shared across detectors.



**... wrapping up ...**

### AI/ML applications expanding in neutrino exp.!

- End-to-end optimizable data reconstruction chain
- Differentiable simulator for detector physics model optimization
- **Exciting next stage:** inverse imaging and a full workflow automation

### Topics not covered but I work on (let's discuss!):

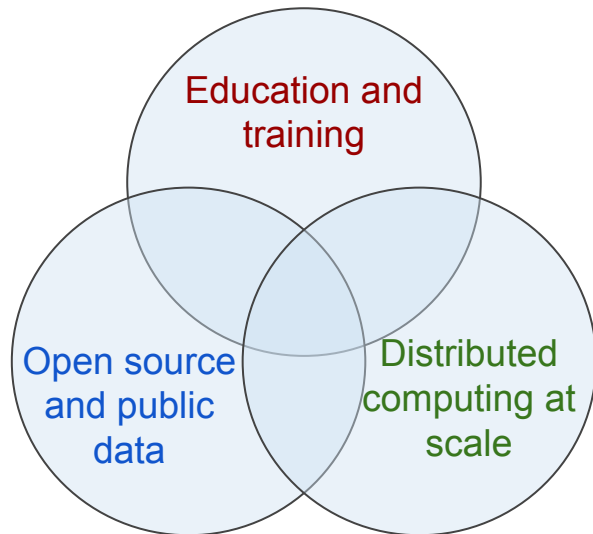
- Uncertainty quantification for ML methods
- Foundation models for physics toward general AI R&D
  - Something much better than our “end-to-end” method will come out!



# Data Reconstruction in Experimental Particle Physics

## Cross-domain HEP AI ecosystem

**ML is a “solution pattern”** v.s. a domain-specific “hard-coded” solution.  
It’s **naturally reusable across domains including software tools**  
supported by a large community of researchers.



### HEP Ecosystem for AI research

- Accessible **education and training** at all levels
- **Reusable software tools** to unlock modern compute accelerators and networking (distributed ML)
- **Public datasets** with documentation and performance metrics for transparent, reproducible science
- Artificial Intelligence and Technology Office (AITO)
  - Federated, equitable, responsible, trustworthy AI
  - **AI is an accelerator.** It is coming. Don't avoid. **Participate to make sure the use is good.**