

*Predictions*  

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*from the*  

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*Multiverse*  

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# Where are we?



Particle Physics and Cosmology:  
Standard Model with 30 parameters

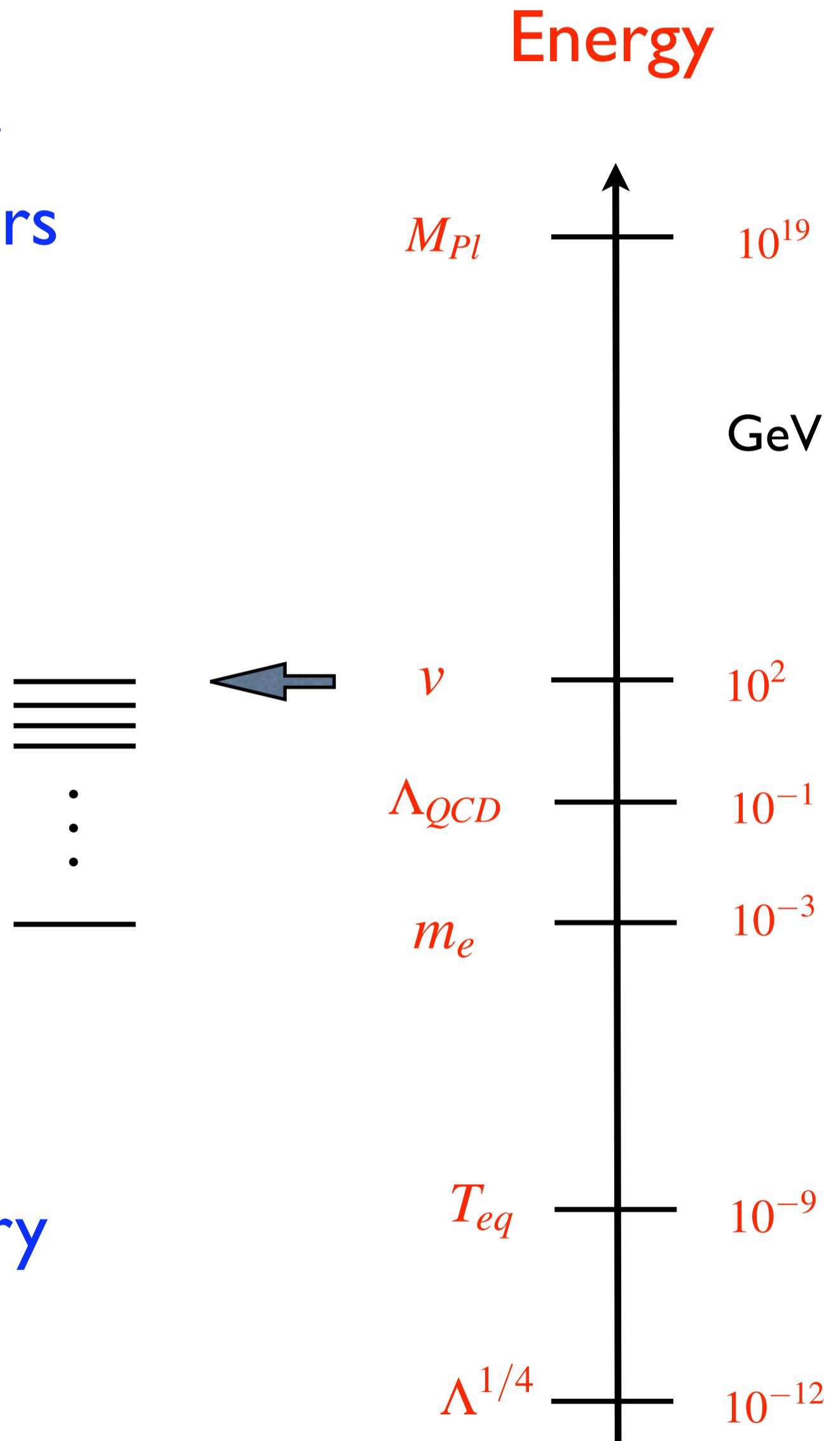


Why this theory?  
Why these numerical values?

The conventional argument:

Eventually all determined by  
symmetries of the unique theory

I'm not so sure!!





- Why this theory?
- Why these numerical values?

# The Anthropic Principle of Old

“The Laws of Physics take their form  
because they must allow us,  
the observer of these laws,  
to exist.”

This is giving up!

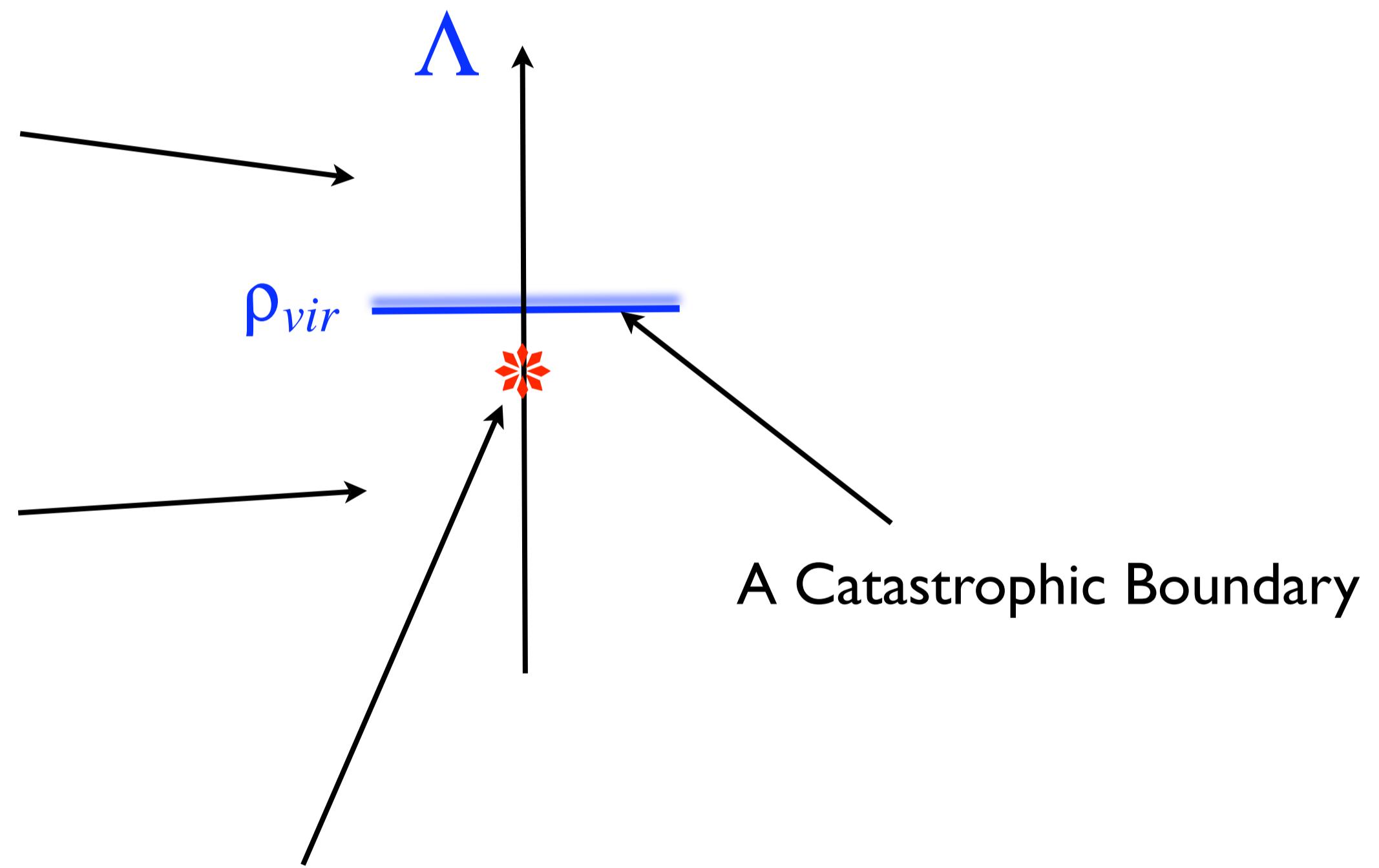
# The Cosmological Constant

Weinberg PRL 1987:

Why so small? An anthropic argument:

Universe becomes a  
structureless, dilute,  
inflating gas

Galaxies, and  
therefore observers,  
are able to form



Martell, Shapiro, Weinberg  
astro-ph/9701099:

Need Theory of a Multiverse!

# A Preview of Results

Successful Prediction

$$v = N_1 \Lambda_{QCD}^{3/4} M_{Pl}^{1/4}$$

Level of accuracy

2

$$m_e = N_2 \alpha \Lambda_{QCD}$$

2

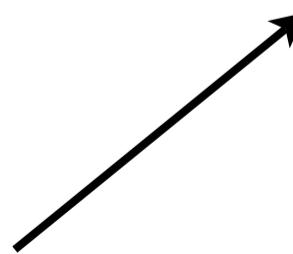
$$T_{eq} = N_3 \frac{m_e^{1/4} \Lambda_{QCD}^{5/4}}{\alpha M_{Pl}^{1/2}}$$

100

$$\Lambda^{1/4} = N_4 \frac{m_e \Lambda_{QCD}^{1/2}}{\alpha M_{Pl}^{1/2}}$$

3

$$N_4^4 = \frac{3^6 \pi c f_{rad}^2}{2^7 f_\rho^2 K^2 f_b^2}$$



Also  $m_u, m_d; m_t, m_H; Q_0, M_{gal}$

# Outline

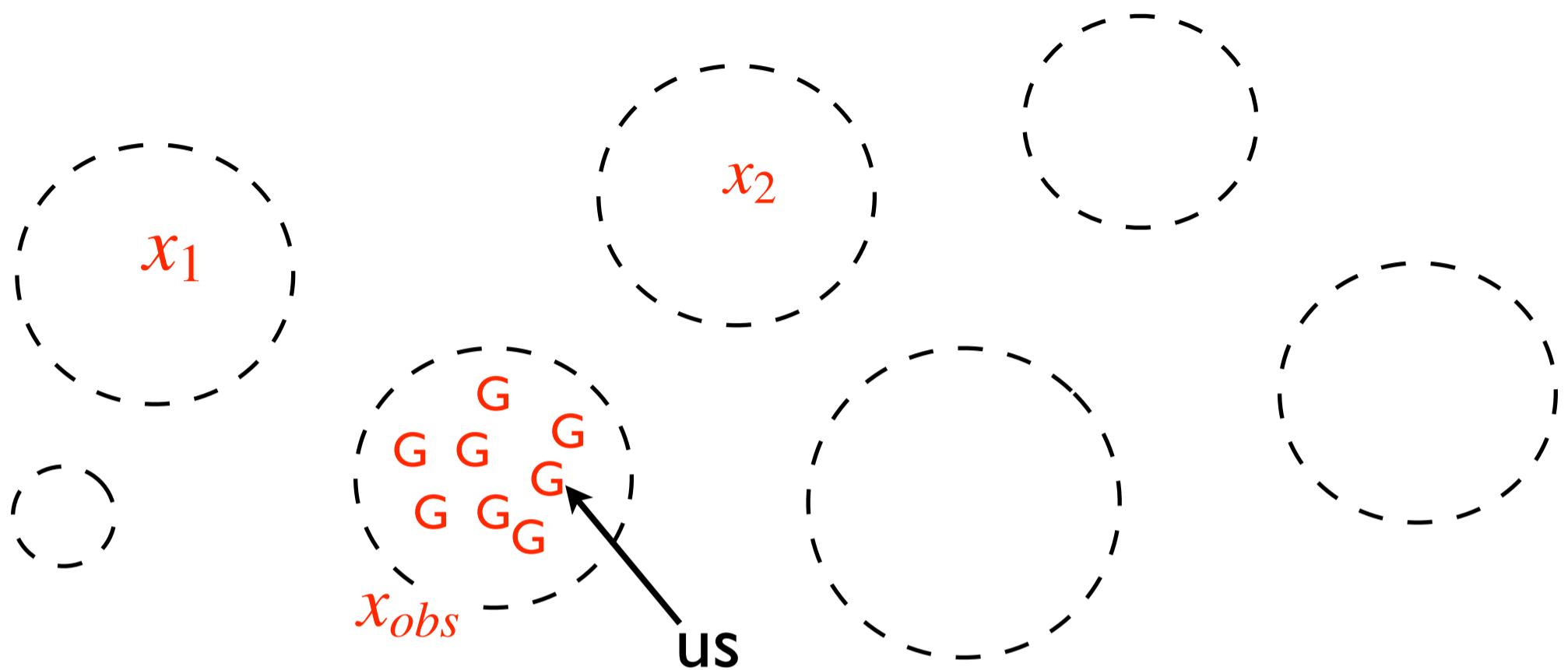
- I. Predictions from the Multiverse
- II. The Higgs Boson Mass
- III. Nuclear Physics and the Weak Scale
- IV. Cosmological Coincidences

# 1. Predictions from The Multiverse

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Many universes



$x$  Parameters of low energy field theory;  
or important physical quantities, eg  $T_{eq}$

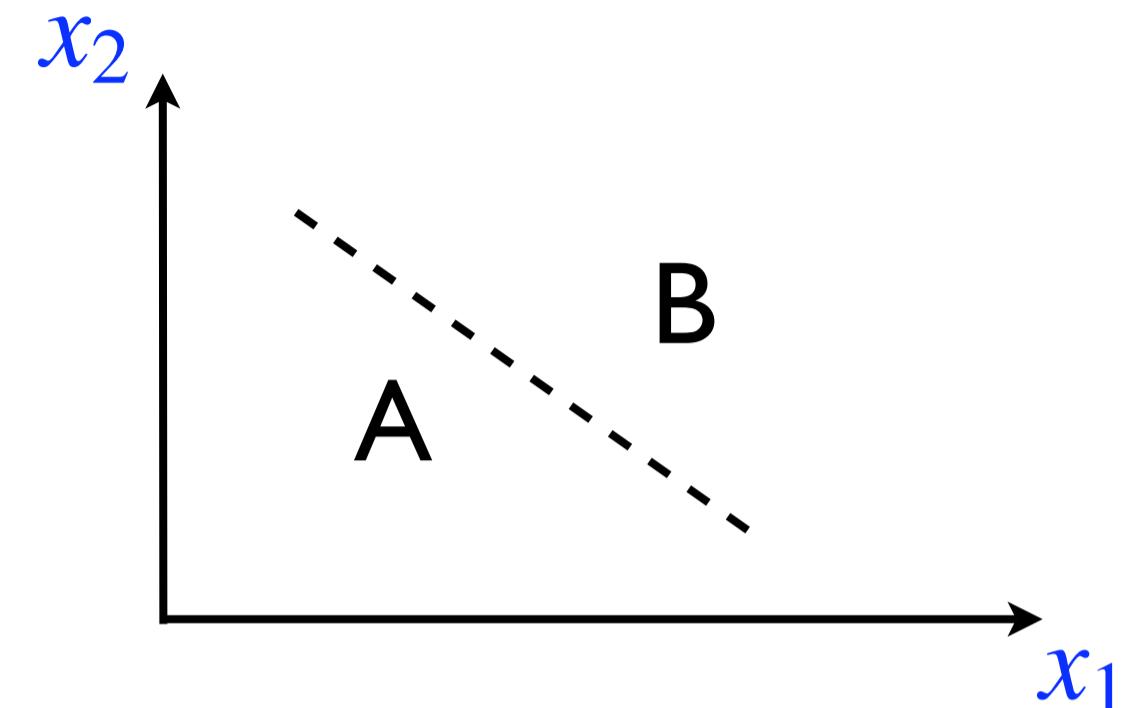


Environmental selection

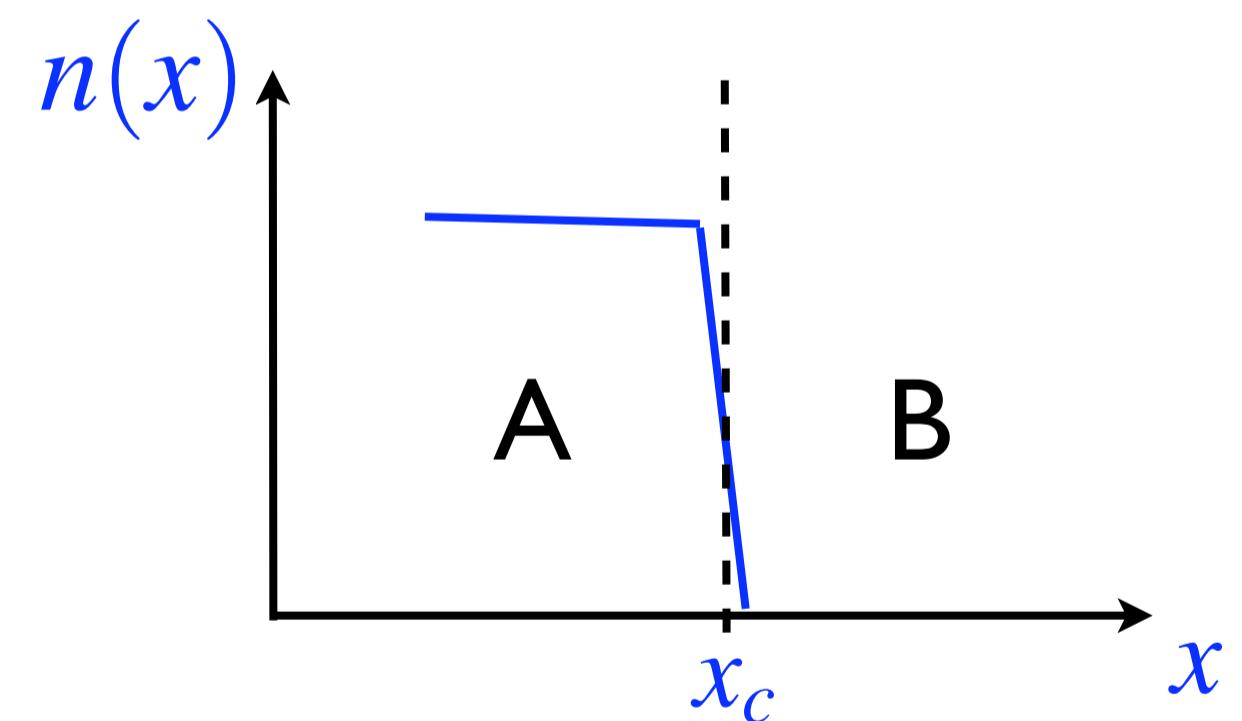
$$dN_{obs} = \tilde{f}(x) n(x) d\ln x = f(x) d\ln x$$

# Catastrophic Boundaries

- \* In many situations there are catastrophic boundaries -- physics makes a sudden transition

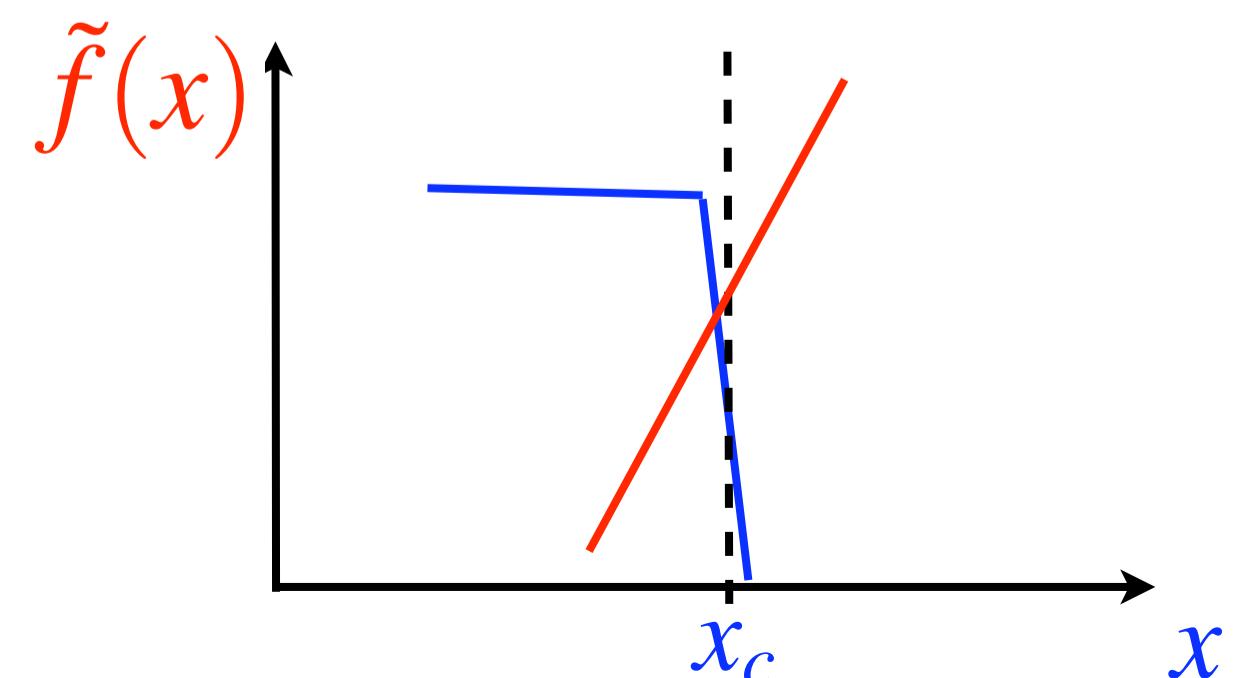


- \* This **regime change** induces a sudden change in  $n(x)$



- \* The crucial assumption:  
 $\tilde{f}(x)$  is peaked towards the boundary

→ Most observers near boundary



# A Comparison



## Symmetries

symmetries restrict the parameter space.

## Assumptions:

symmetries, representations, symmetry breaking



## Multiverse

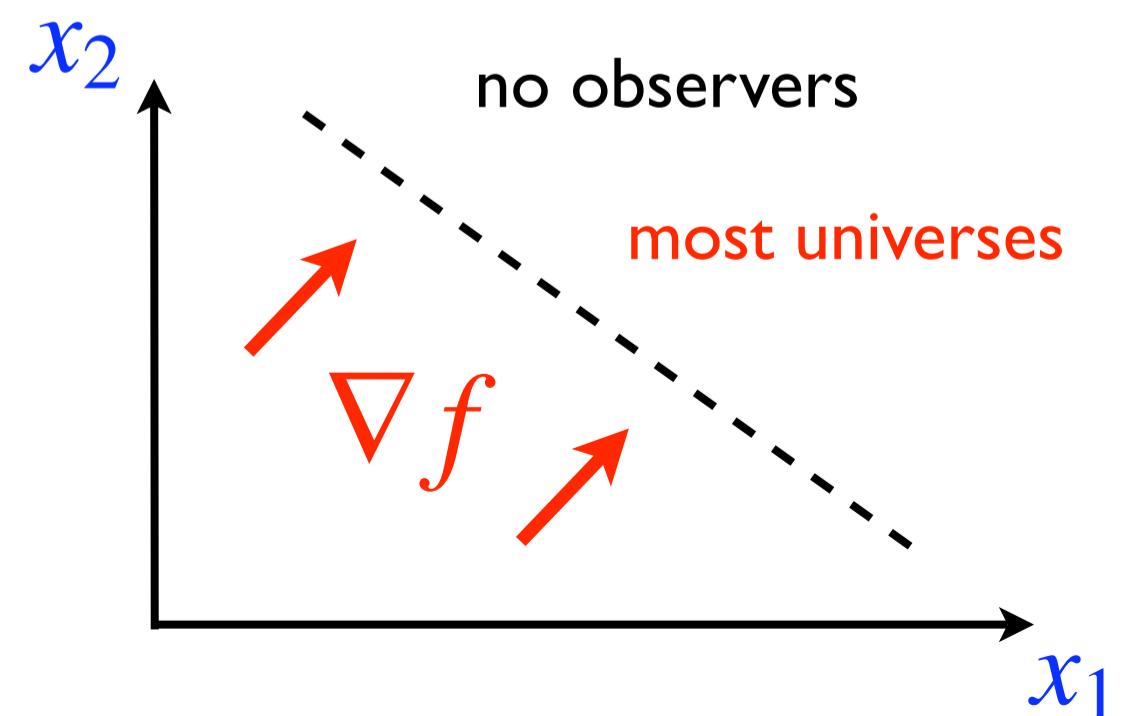
physics of catastrophic boundaries:

eg nuclear stability, formation of galaxies.

## Assumptions:

a multiverse force towards the boundary

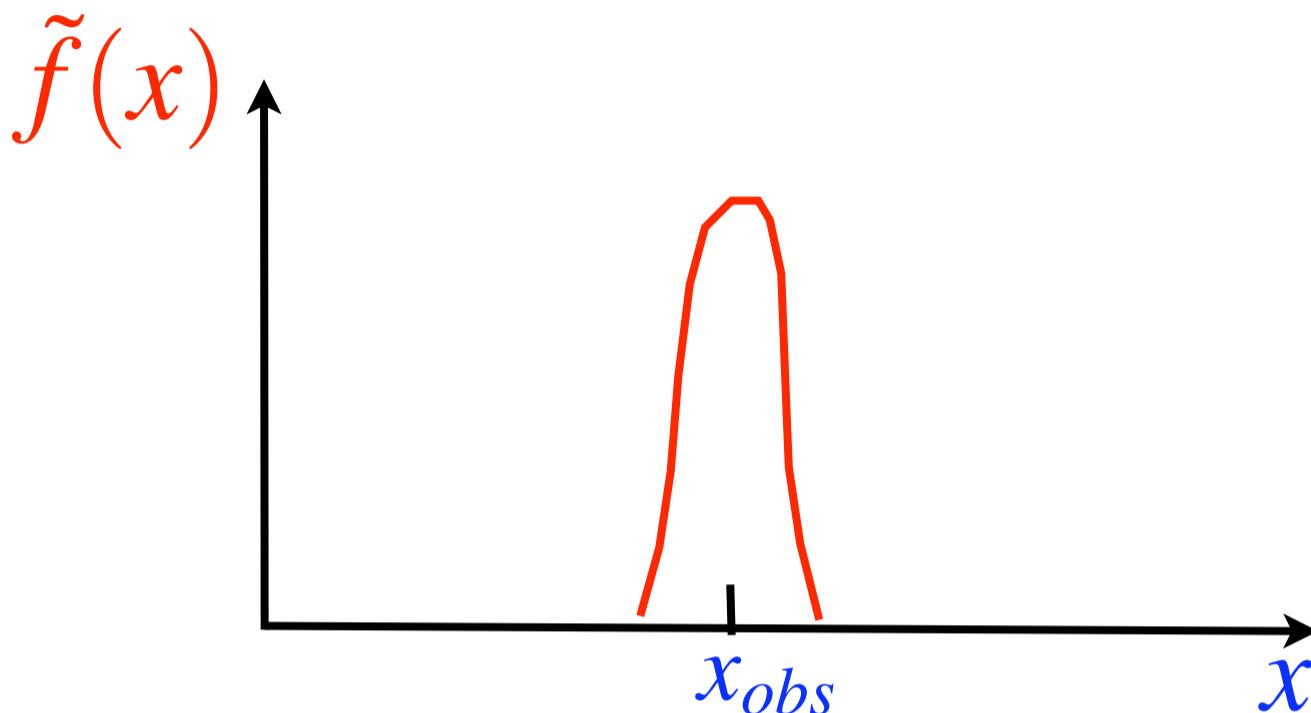
catastrophic nature of boundary



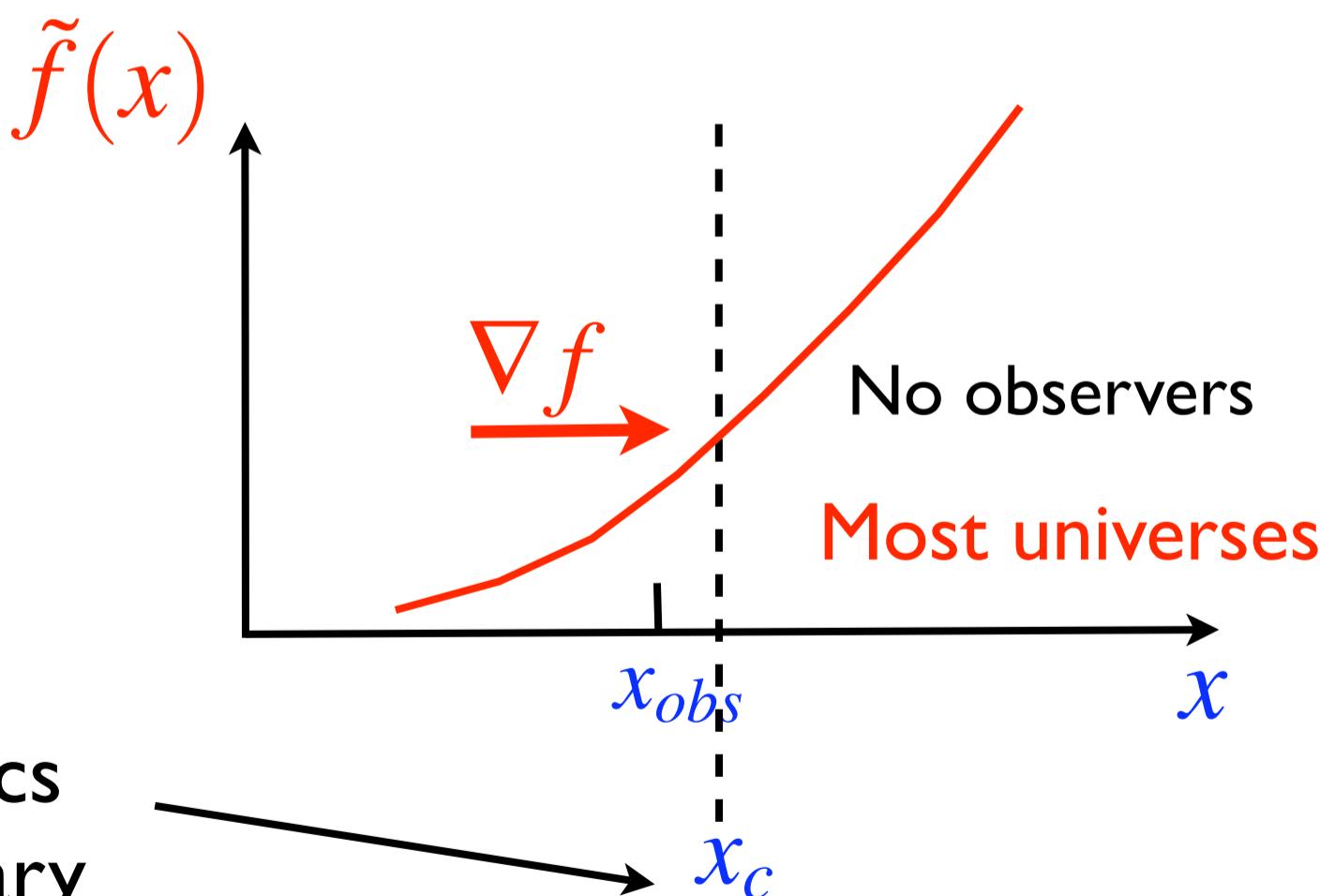
# Fake and Real Predictions



A fake prediction:



A real prediction:

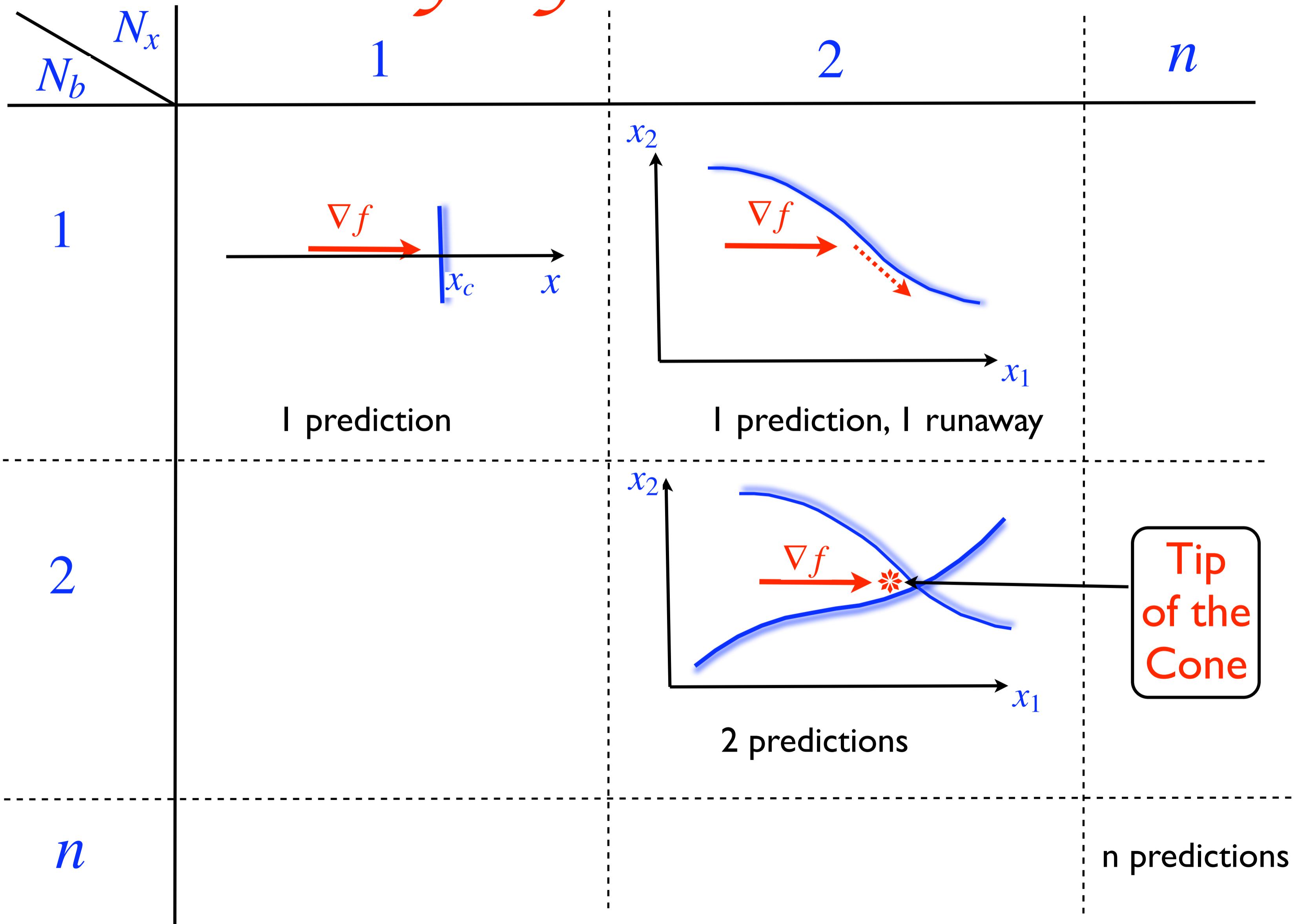


Calculated from the physics  
of the catastrophic boundary



Assume  $\nabla f$  sufficiently large

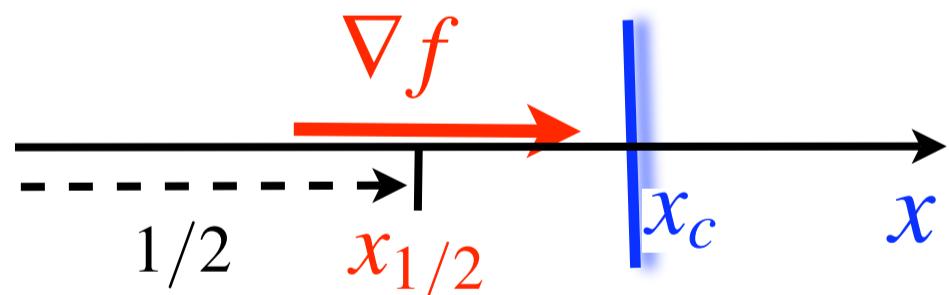
# “Tip of the Cone”



# How close to the Boundary?

\* Define  $f(x)$ :  $dN_{obs} = f(x) d\ln x$  Define force:  $F = \nabla f = \frac{\partial \ln f}{\partial \ln x}$

\* Power law:  $f \propto x^p$  Gives:  $F = p$



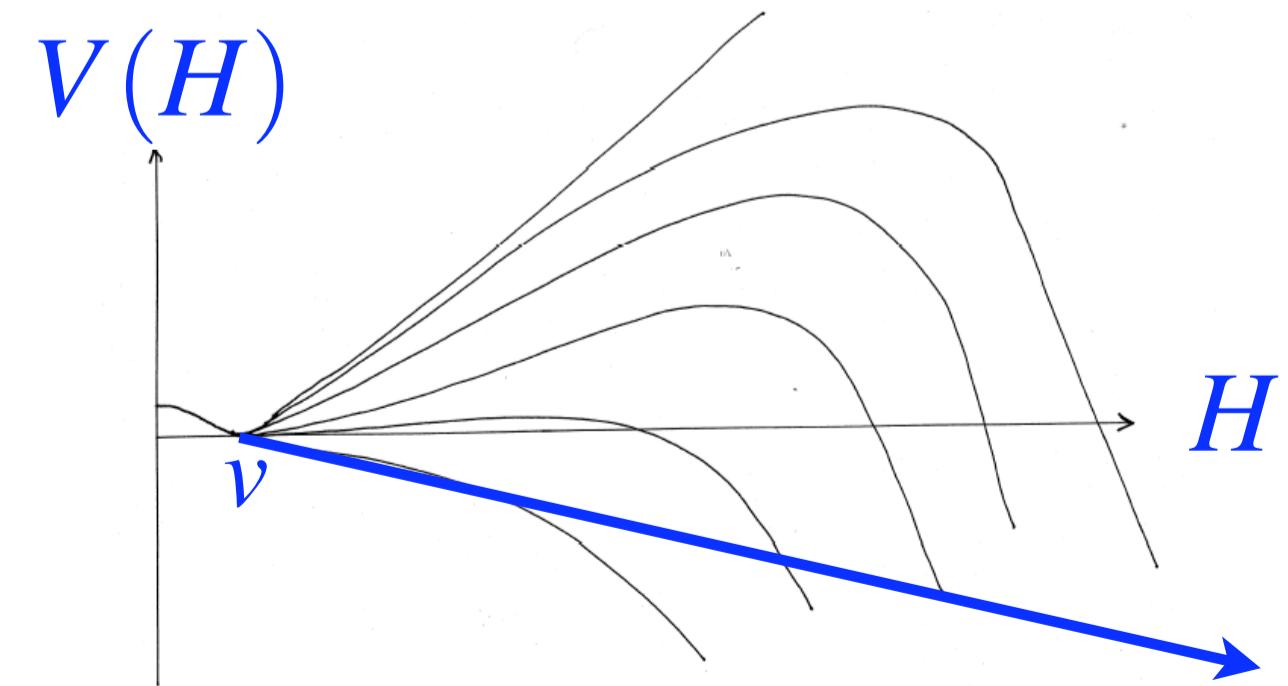
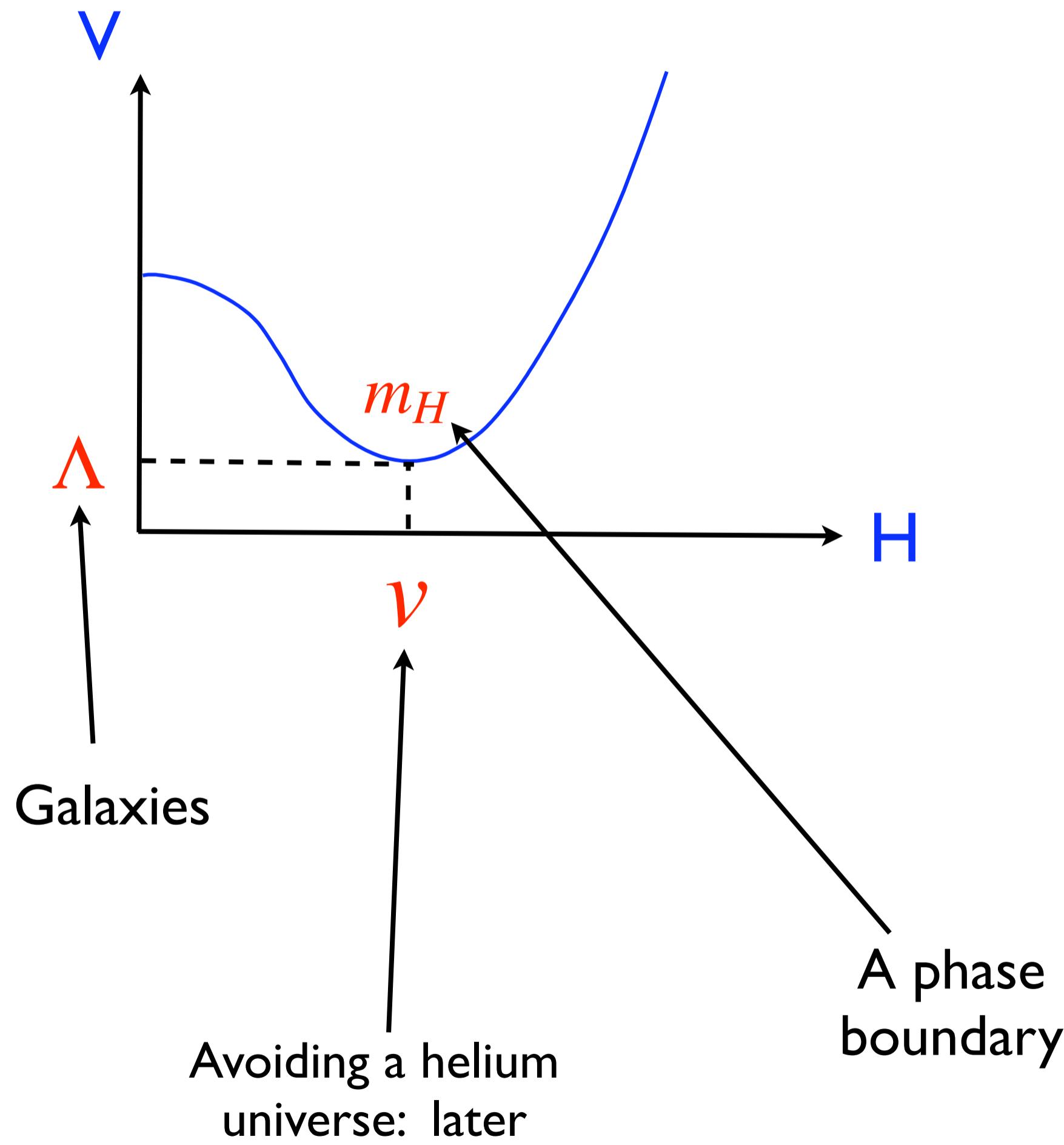
$$\frac{x_c}{x_{1/2}} = 2^{1/p}$$

\*  $F = p : 5 \quad 3 \quad 2 \quad 1 \quad 1/2 \quad 1/3 \quad 1/5$

$$\frac{x_c}{x_{1/2}} \quad 1.15 \quad 1.26 \quad 1.41 \quad 2 \quad 4 \quad 8 \quad 16$$

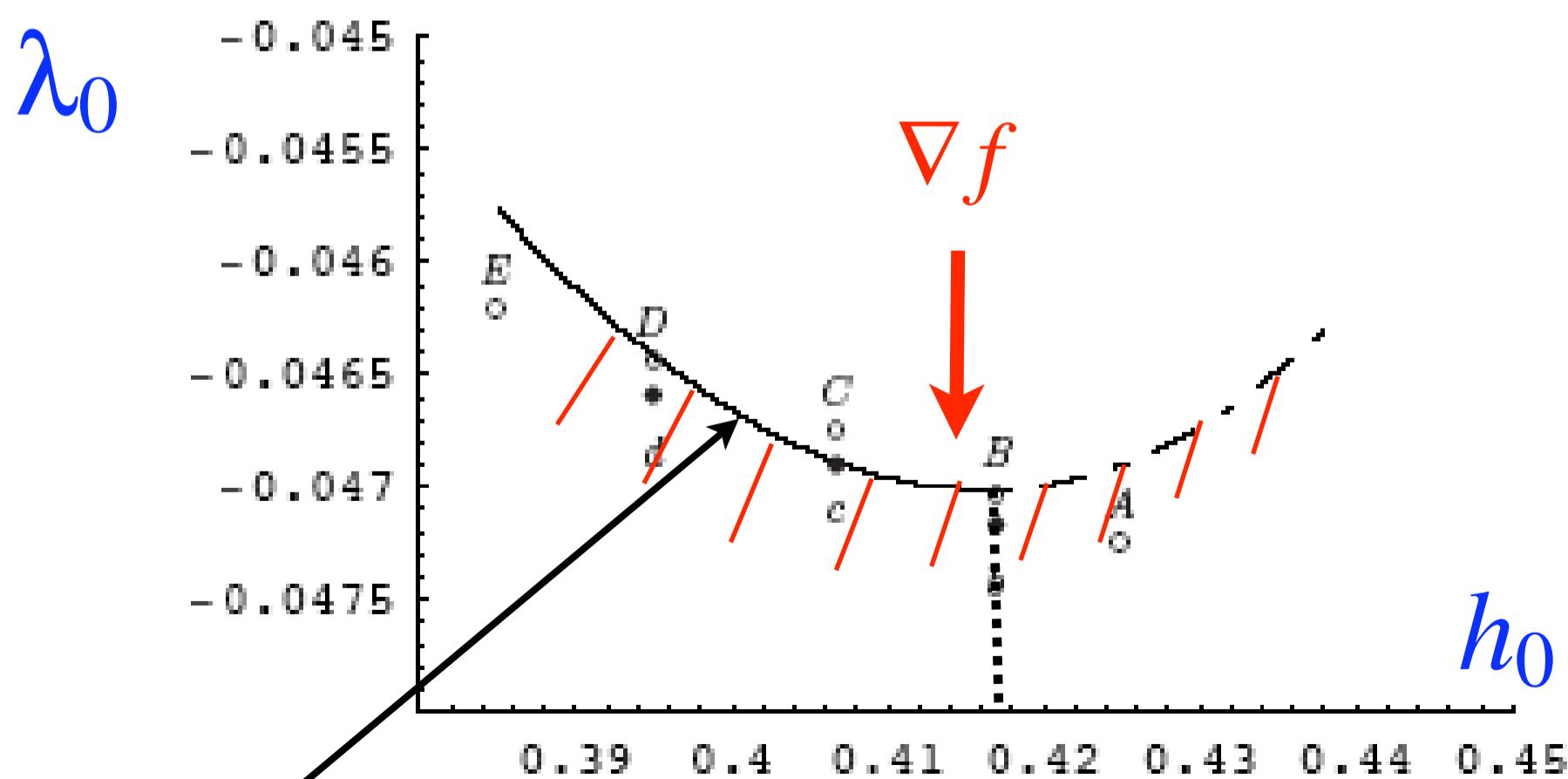
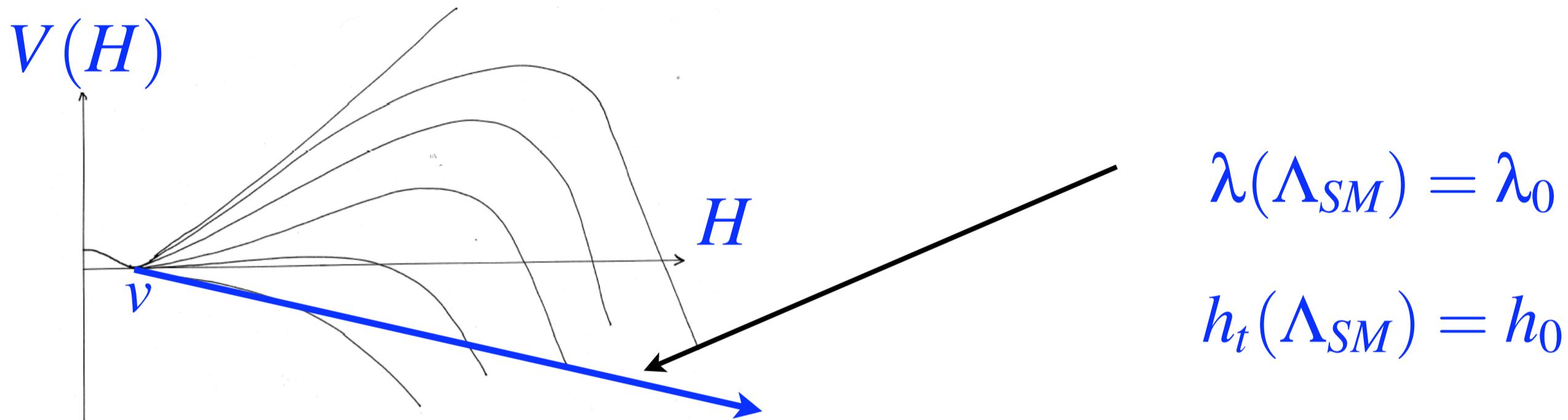
# II) The Higgs Mass

Brian Feldstein, LJH,  
Taizan Watari;  
hep-ph/0608121



# The Phase Boundary

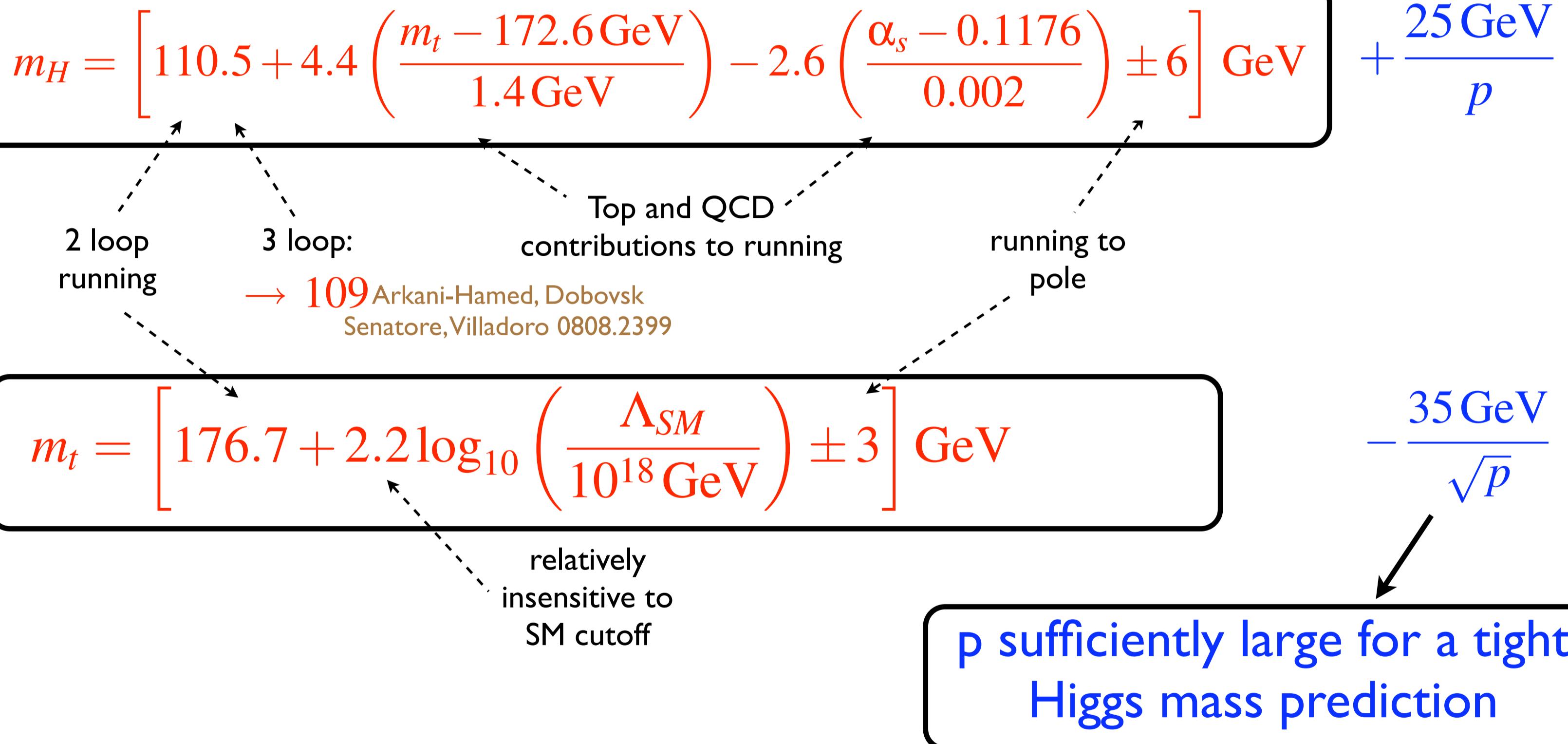
Assume: SM up to some large scale  $\Lambda_{SM}$



Environmental  
predictions for  
 $m_t, m_H$

EW phase boundary is catastrophic boundary

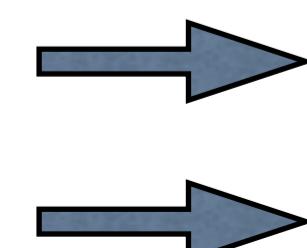
# Higgs and Top Mass Predictions



Suppose LHC finds  
only a SM Higgs

$$m_H \sim (120 - 130) \text{ GeV}$$

$$m_H \sim 115 \text{ GeV}$$



$$p \sim 1 - 2$$

$$p \sim 10$$

!

!!

# *III) Nuclear Boundaries*

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\* Stability of Nuclei

\* BBN

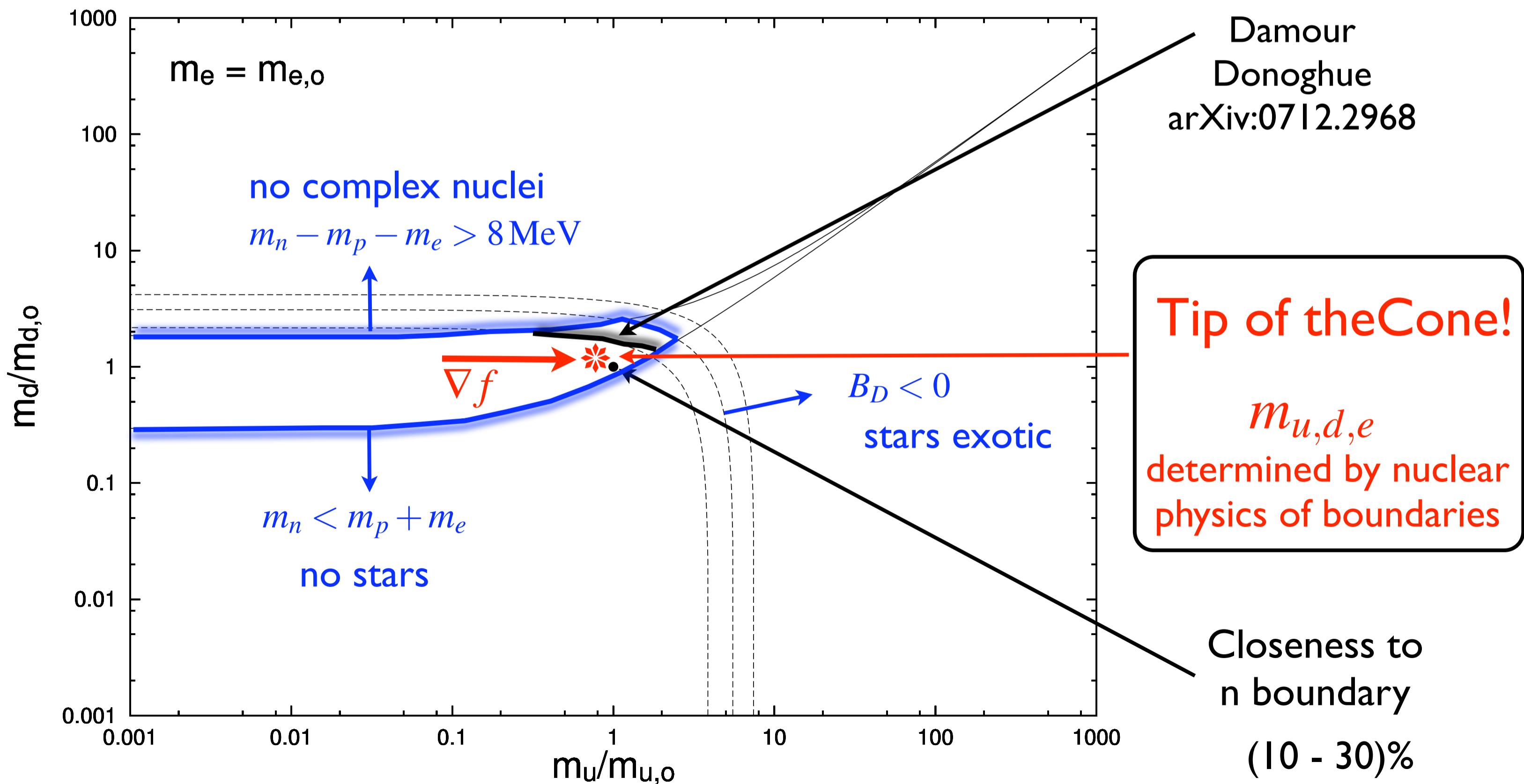
# Nuclear Stability Boundaries

Relevant parameters

$$\left( \alpha, \frac{m_e}{m_p}, \frac{m_u}{m_p}, \frac{m_d}{m_p} \right)$$

2d slice

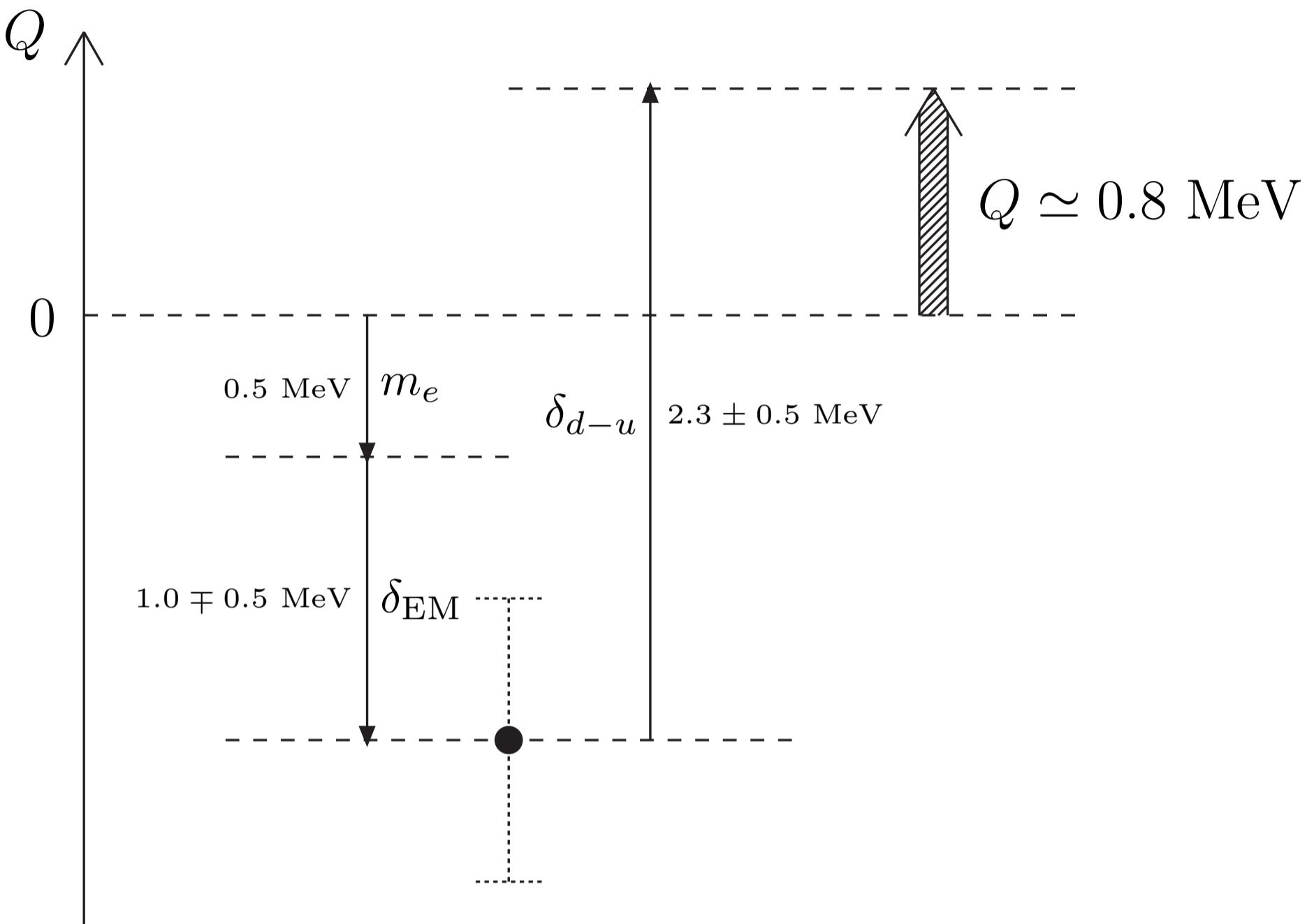
Yasunori Nomura,  
LJH  
arXiv:0712.2454



# Understanding Coincidences

\* Why are the three contributions to  $\mathcal{Q}(n \rightarrow p\bar{e}v)$  comparable?

\*  $m_e, m_u, m_d$  are determined by the physics of the boundary



\* Simple distributions give



$$m_e \simeq \delta_{EM}$$

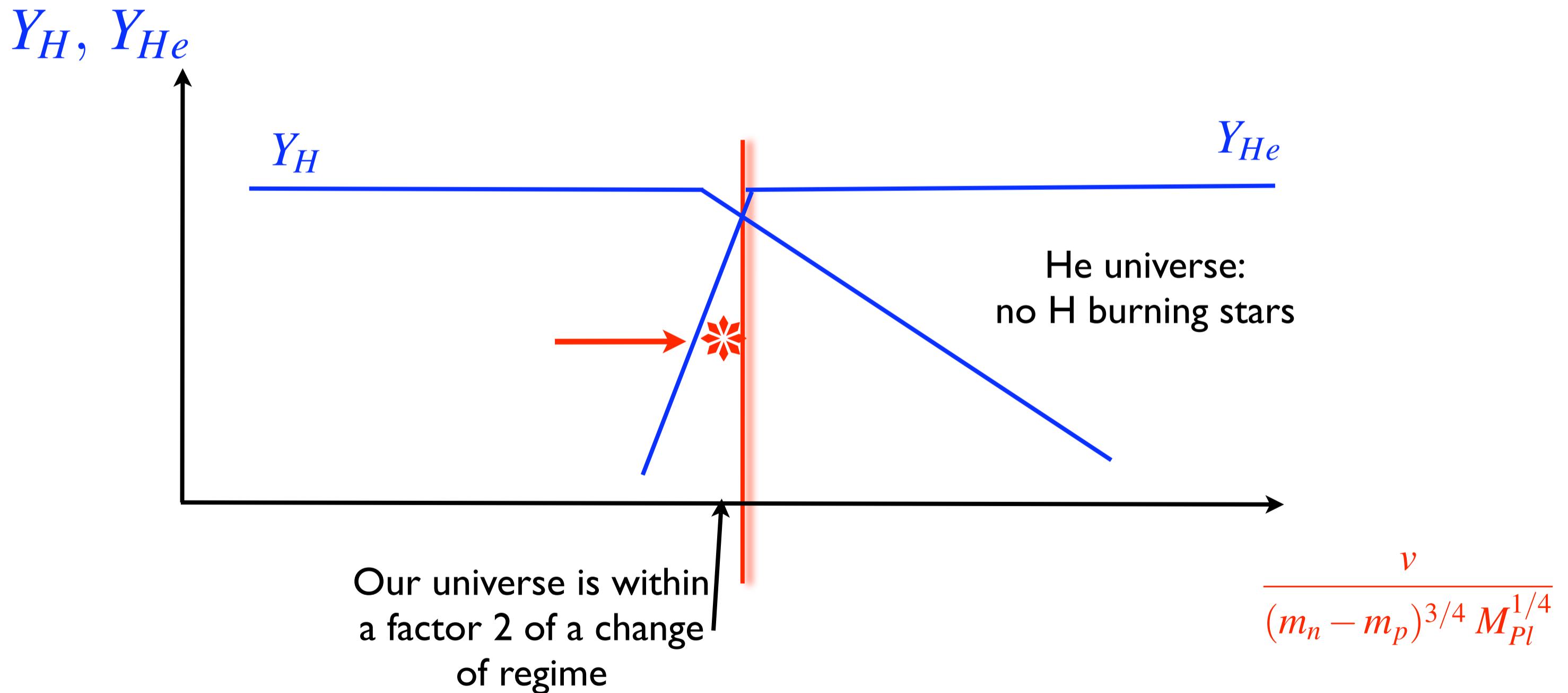


$$m_{u,d} \simeq \frac{B}{N}, B_D$$

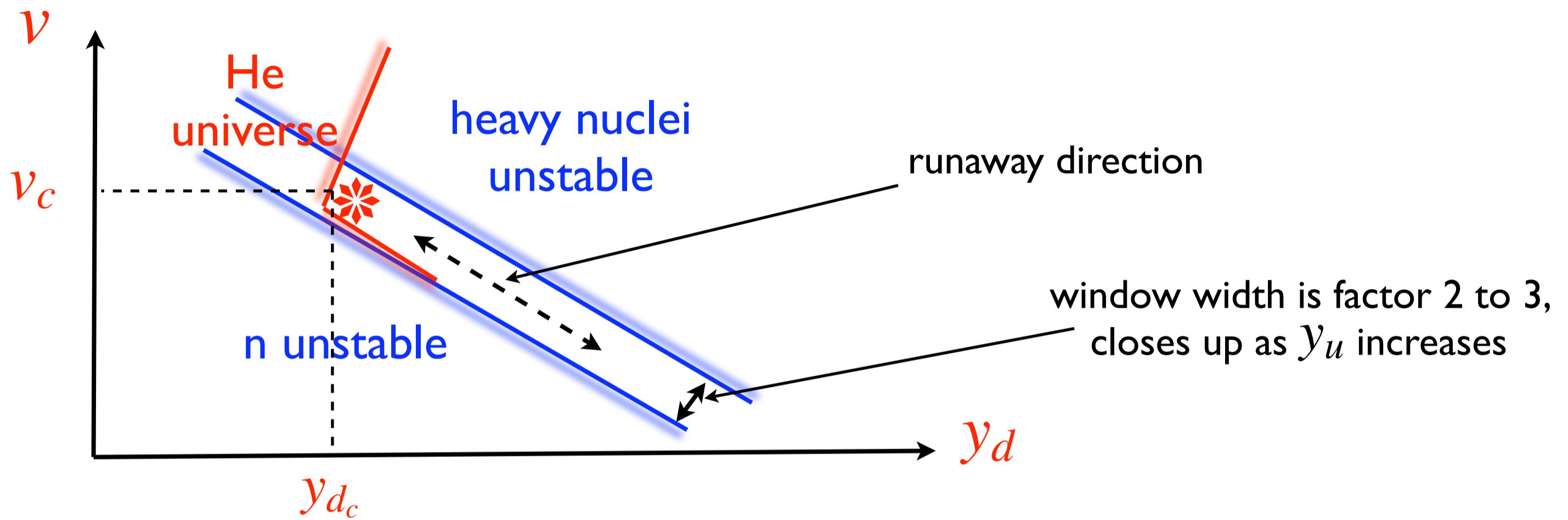
# The BBN Boundary

Relevant quantities:

- \*  $m_n - m_p \propto \Lambda_{QCD}$  1.3 MeV
- \*  $T_f(v)$  0.8 MeV



# The Weak Scale



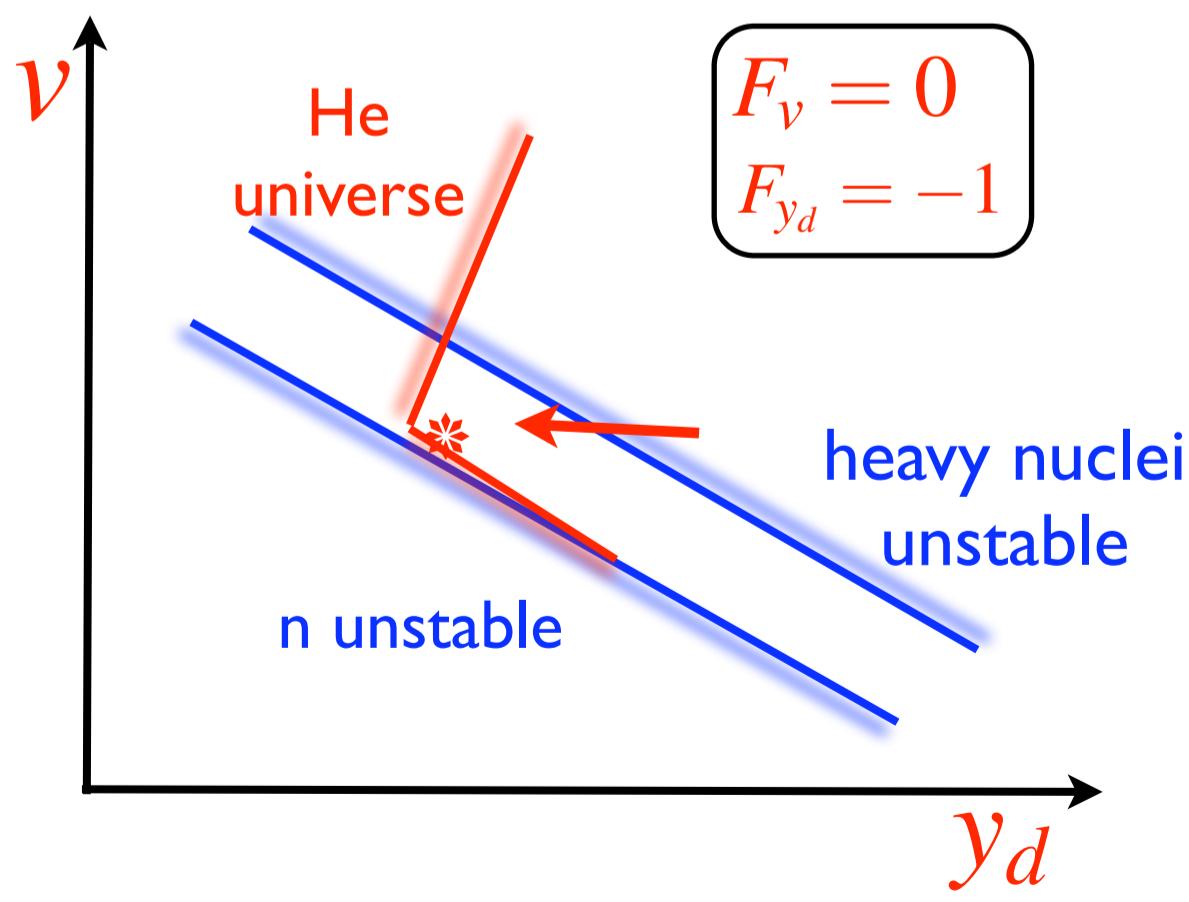
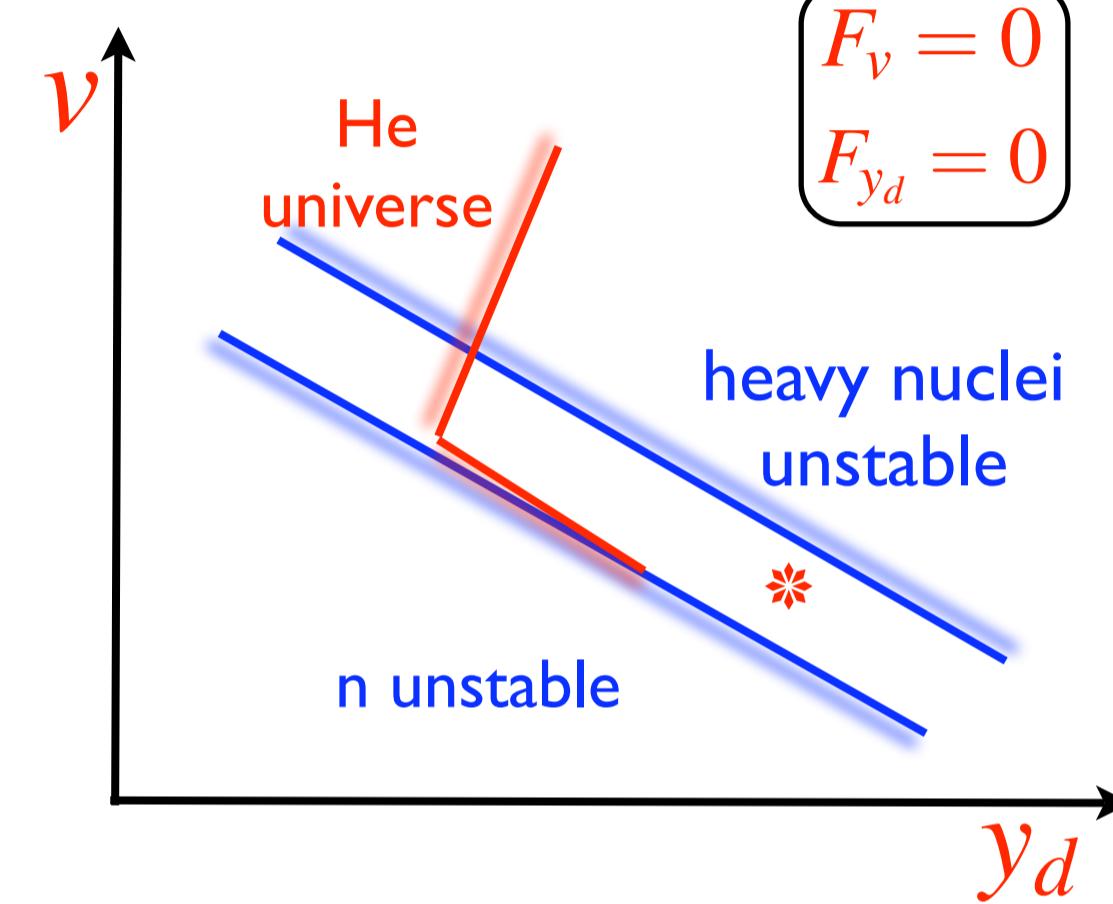
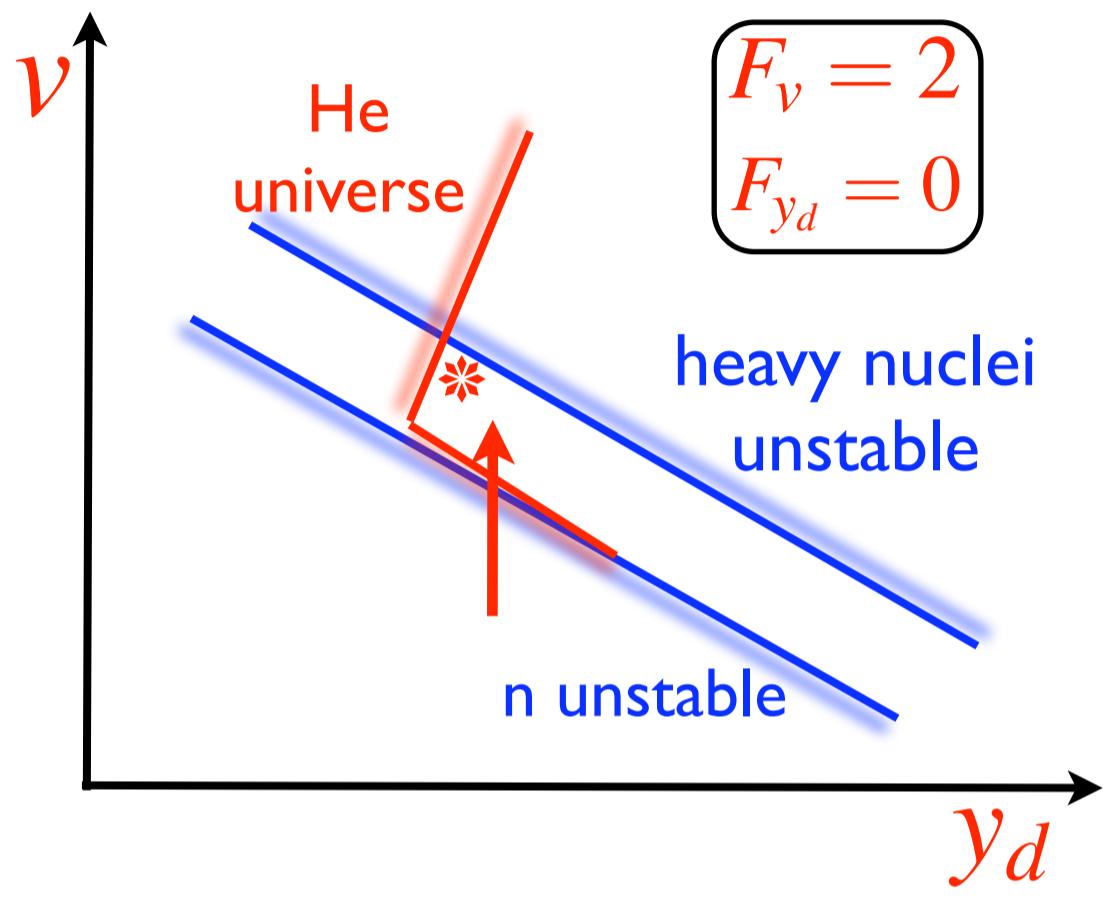
- \* Our universe is within a factor of 2 of the critical point

$$v_c \sim \Lambda_{QCD}^{3/4} M_{Pl}^{1/4}$$

$$y_{d_c} \sim \left( \frac{\Lambda_{QCD}}{M_{Pl}} \right)^{1/4}$$

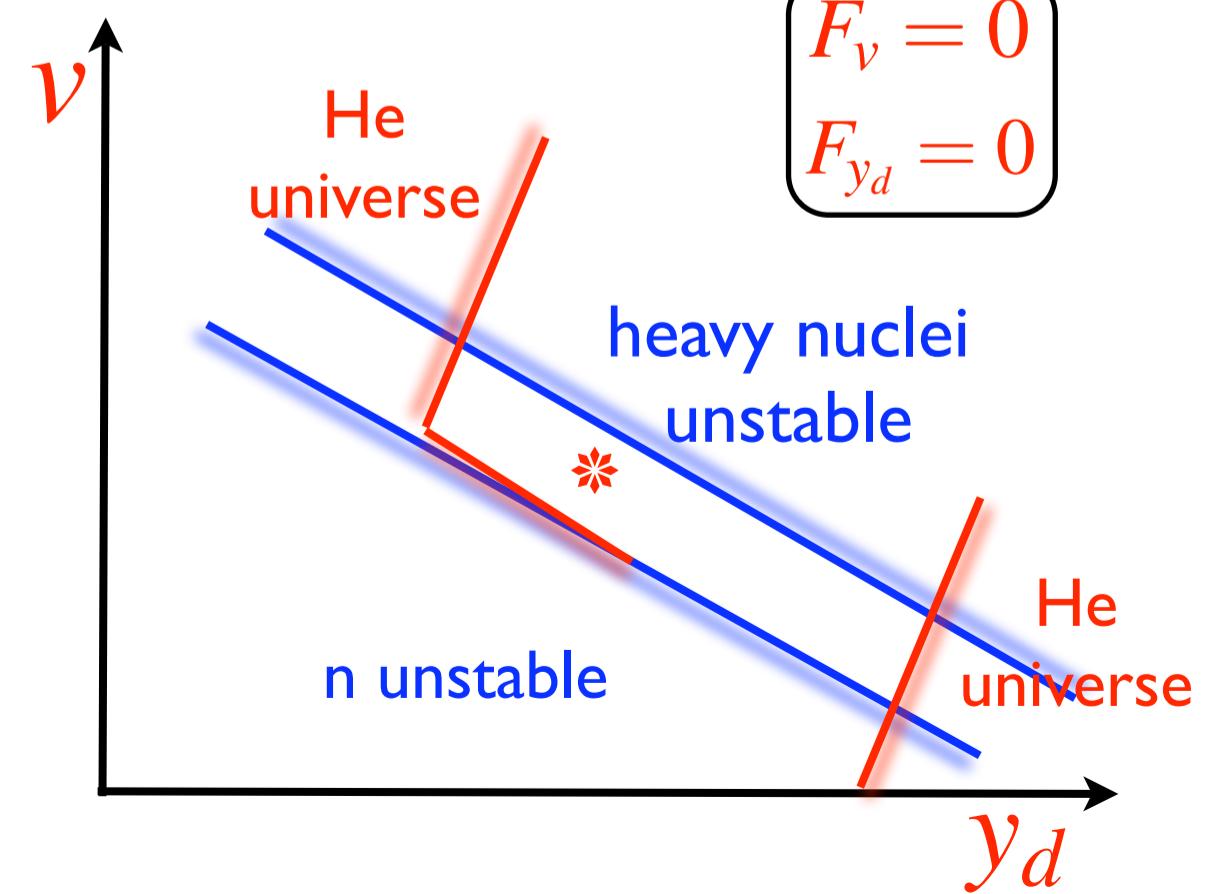
- \* Does this require a strong force on  $v$ ? ie does it exclude dynamical EWSB !?!

# The Force on $\nu$



Perhaps preferred

Another BBN boundary:



# Split Supersymmetry

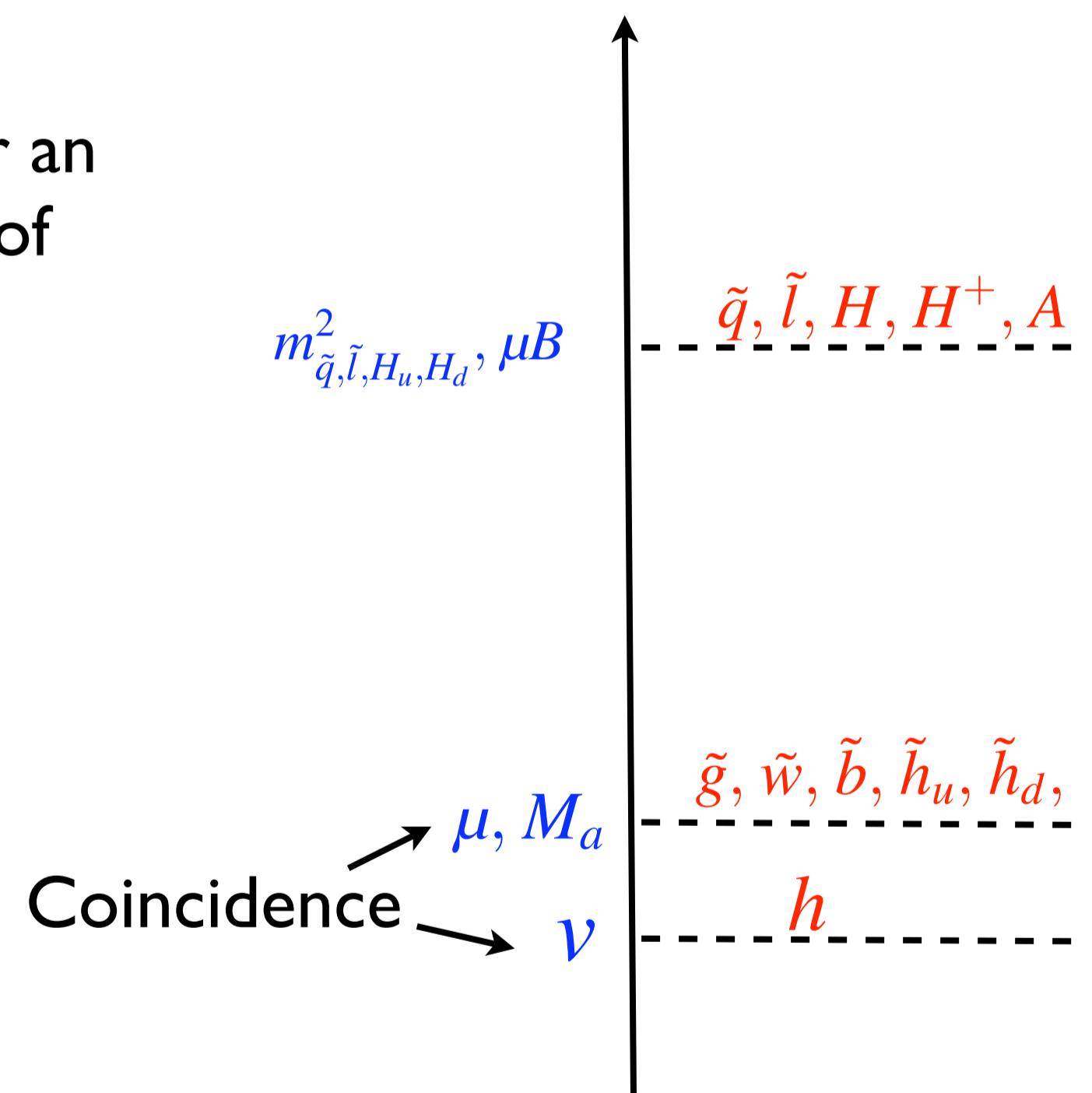
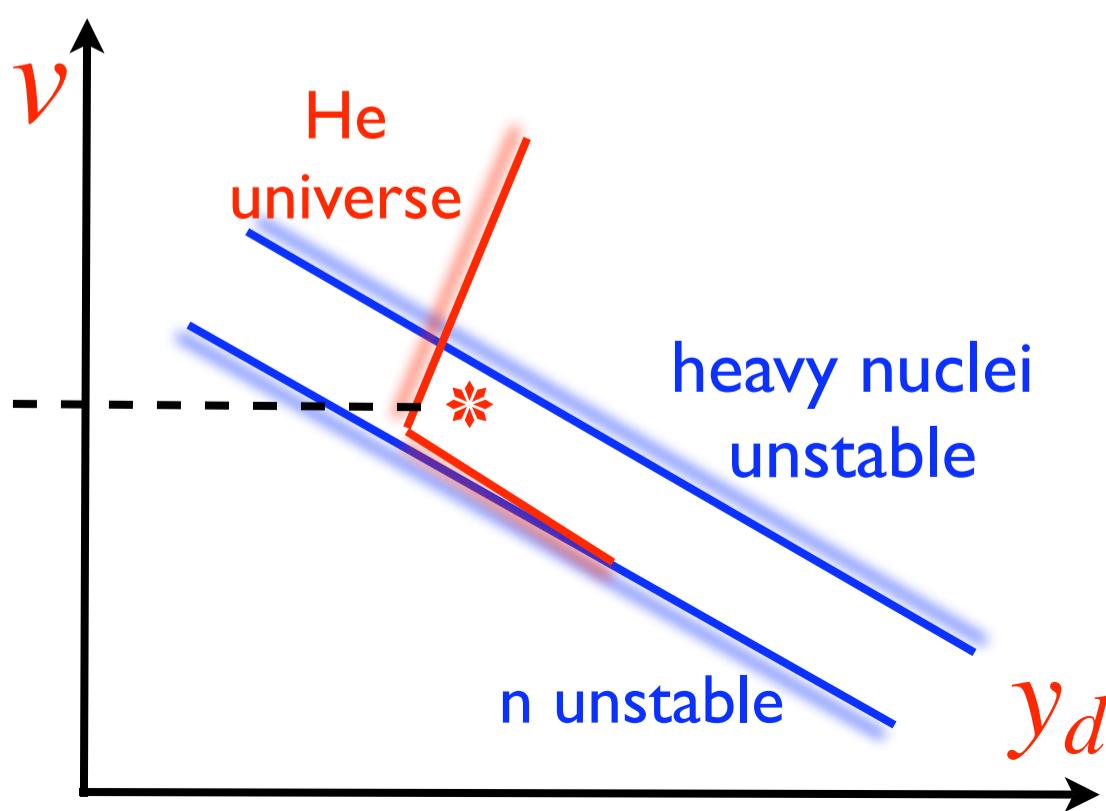
Arkani-Hamed, Dimopoulos  
arXiv:hep-th/0405159

$$\begin{array}{c} m_{\tilde{g}}, \tau_{\tilde{g}} \\ \searrow \\ m^2 \\ \nearrow \\ m_h \quad \tilde{h}_{u,d} \text{ couplings} \end{array}$$

Compelling evidence for an amount of fine tuning of  $\frac{m^2}{v^2}$  e.g.  $10^{15}$

Works even if Yukawas scan:

$$v \simeq \Lambda_{QCD}^{3/4} M_{Pl}^{1/4}$$

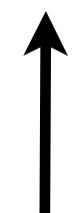


# Implication:

Certain crucial parameters are being related by environmental selection

- \*  $m_e \simeq \delta_{EM}$
- \*  $m_{u,d} \simeq \frac{B}{N}, B_D$
- \*  $y_d \sim \left( \frac{\Lambda_{QCD}}{M_{Pl}} \right)^{\frac{1}{4}}$
- \*  $v \sim \Lambda_{QCD}^{3/4} M_{Pl}^{1/4}$

At the factor of 2 level



These parameters are not determined by symmetries or by accidents

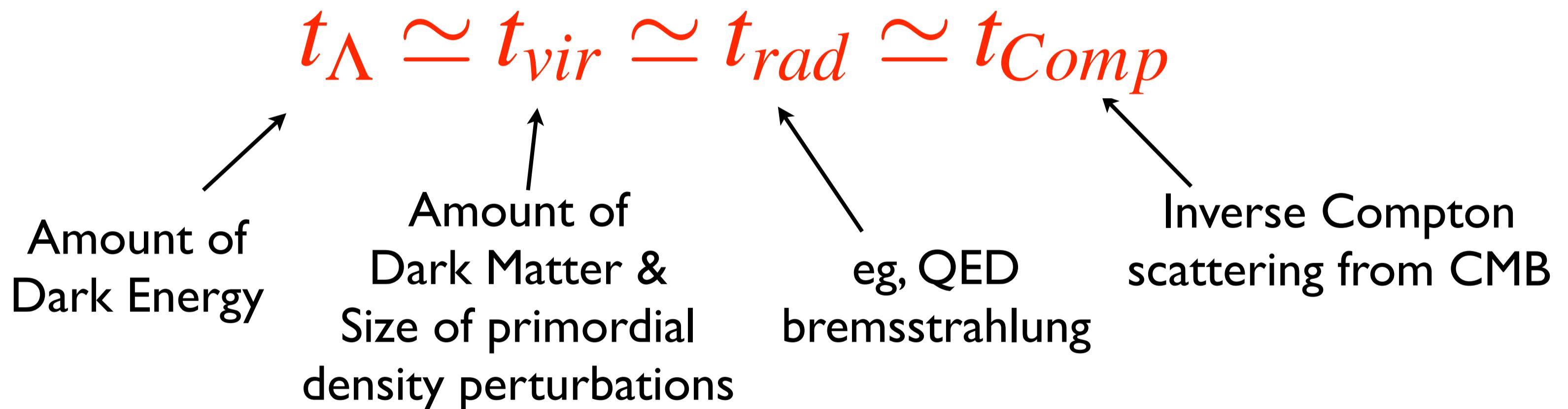
# IV) Cosmological Coincidences

Raphael Bousso, Yasunori Nomura, LJH

- \* Well separated cosmic eras:

$$t_{infl} \ll t_{EWSB} \ll t_{QCD} \ll t_{eq}$$

- \* Broken down recently:



Why are these time scales all  $10^{9-10}$  years?

Hard to imagine a symmetry explanation

- \* Seek order of magnitude understanding!!

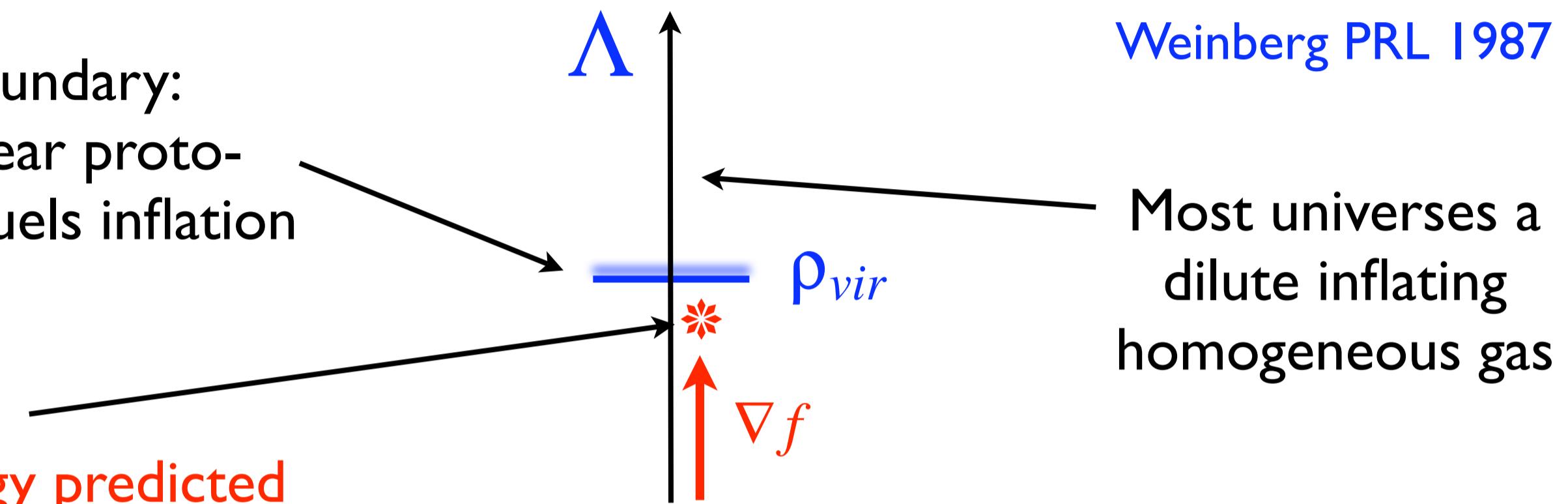
# The Cosmological Constant

Catastrophic boundary:  
must form non-linear proto-galaxies before CC fuels inflation

CC problem solved

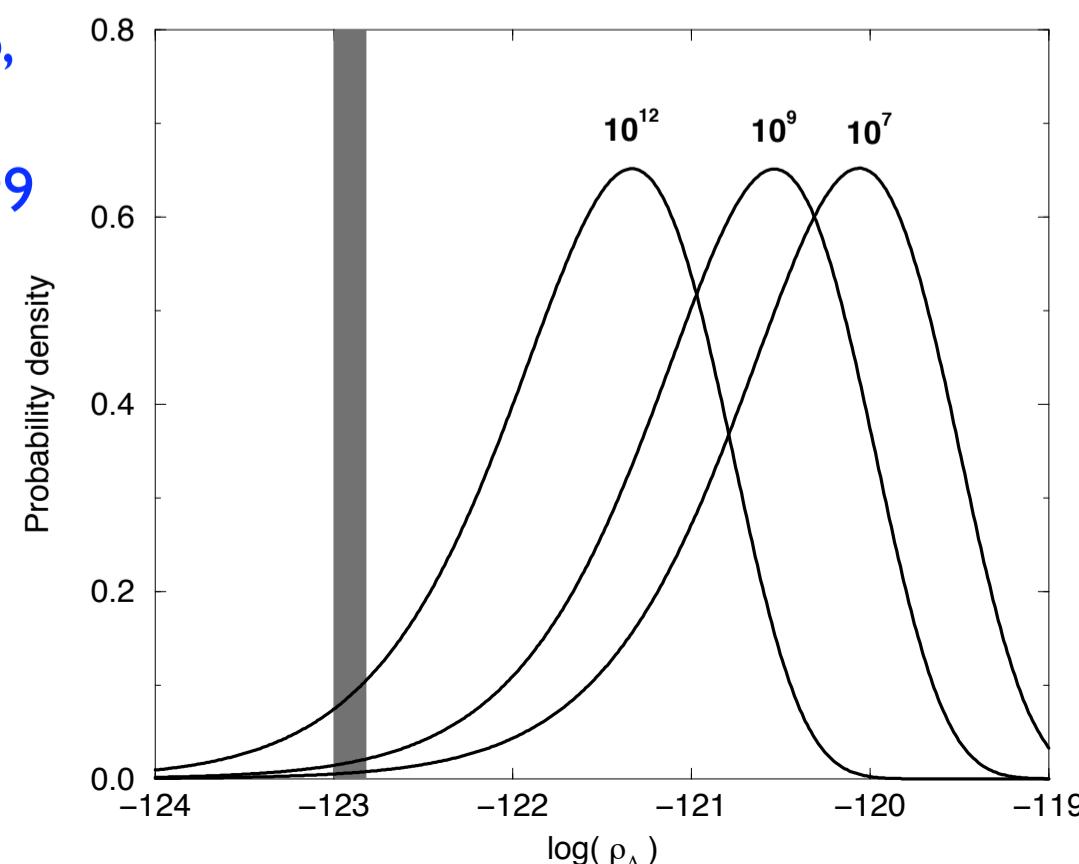
Amount of Dark Energy predicted

$$\Lambda \sim \rho_{vir} \quad i.e. \quad t_\Lambda \sim t_{vir}$$



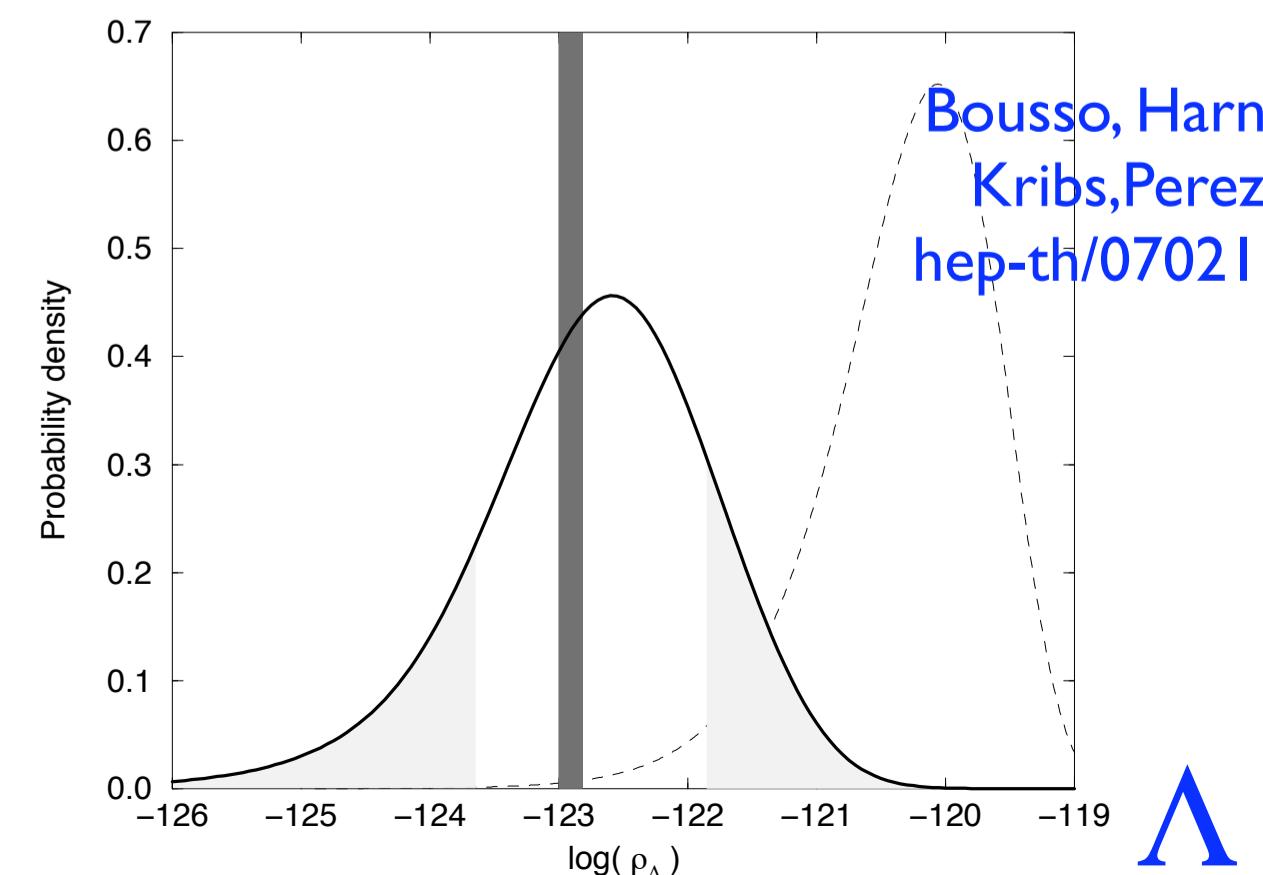
\*  $n_{obs} \sim n_{vir} B$

Martell, Shapiro,  
Weinberg  
astro-ph/9701099



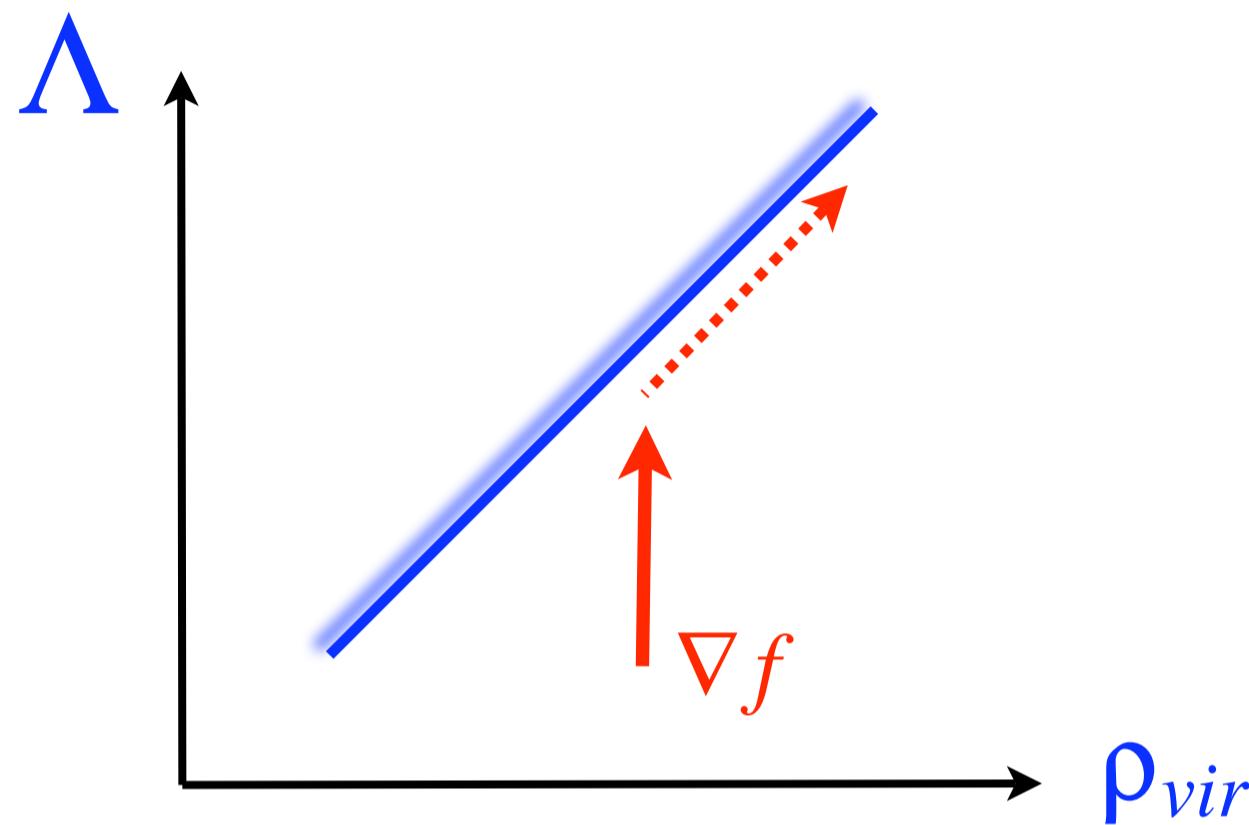
\*  $n_{obs} \sim S_{causal\ diamond}$

Bousso, Harnik  
Kribs, Perez  
hep-th/0702115



# The CC Runaway Problem

- \* Suppose  $\rho_{vir}$  scans



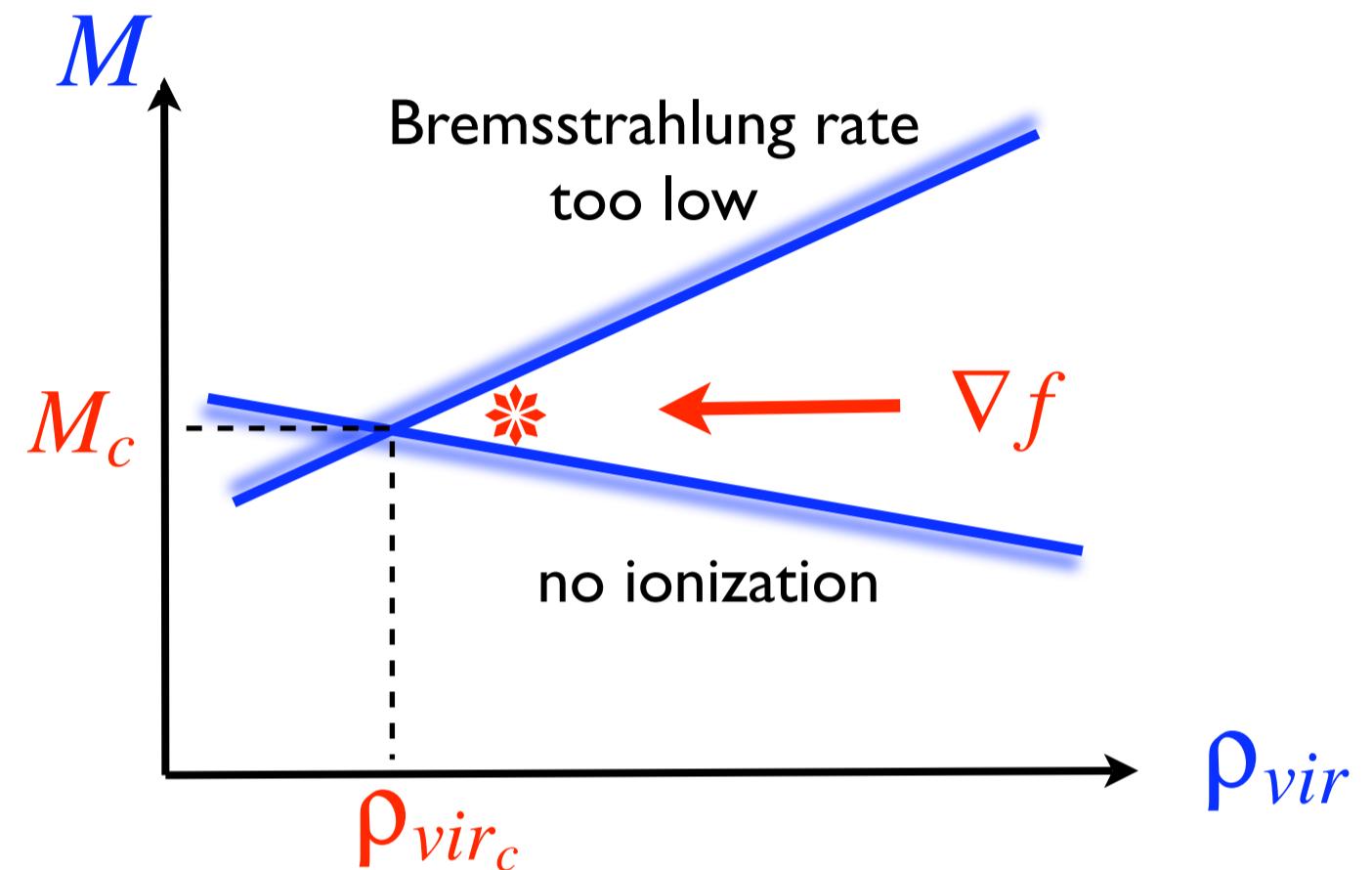
- \*  $f(\rho_{vir}, \Lambda)$  might reach a maximum at some point  
This preserves  $\Lambda \sim \rho_{vir}$  but the value cannot be predicted
- \* Need a second catastrophic boundary

# The Galaxy Cooling Catastrophe

- \* Compute ionization and cooling boundaries

Relevant parameters

$$\alpha, m_e, m_p; \rho_{vir}, M_{Pl}, M$$



- \*  $\rho_{vir_c}$  predicted from proto-galaxy cooling physics:

$$\rho_{vir_c} \sim \frac{m_e^4 m_p^2}{\alpha^4 M_{Pl}^2} \sim (8 \times 10^{-3} \text{ eV})^4$$

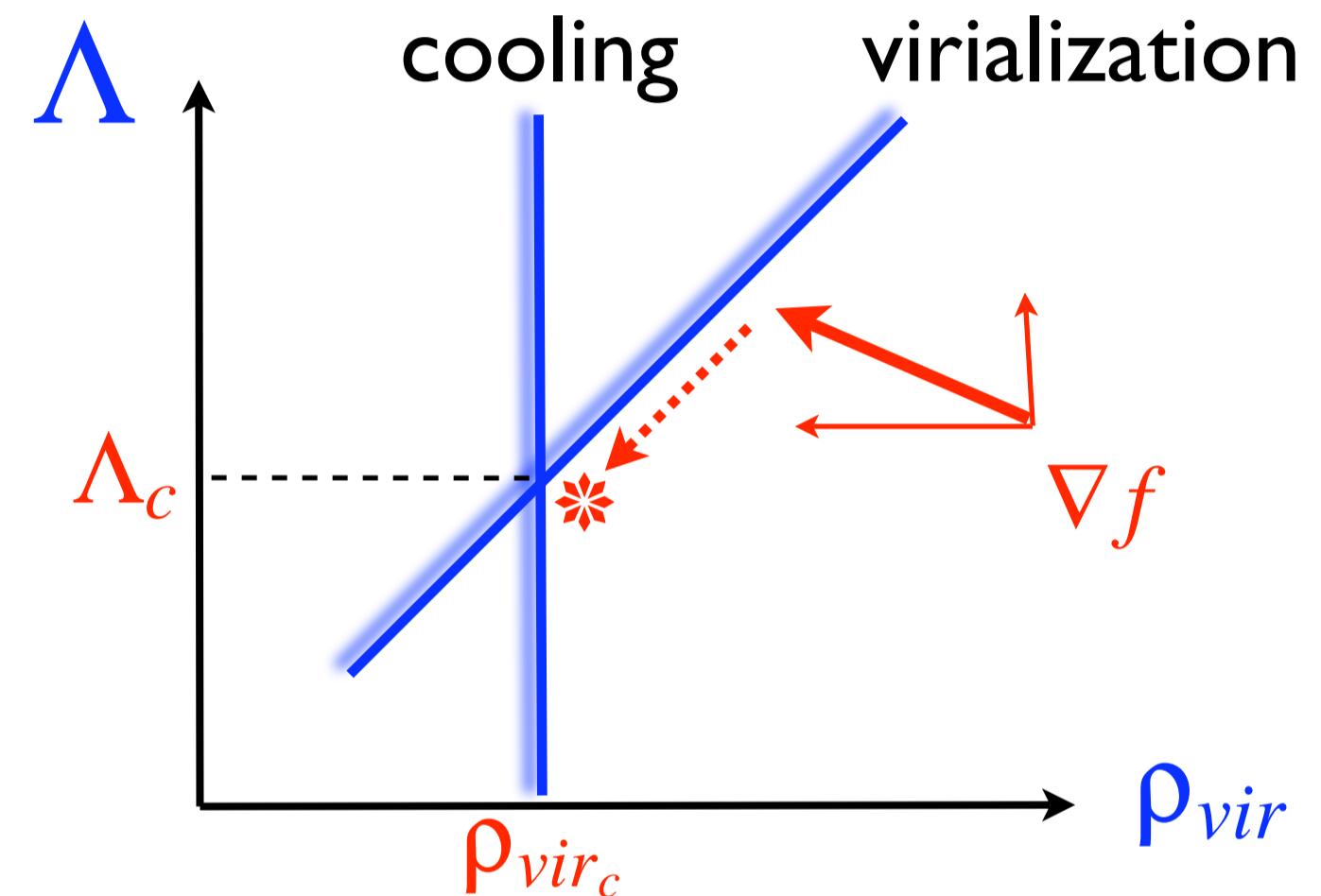
explaining the coincidence  $t_{rad} \sim t_{vir}$

and as a bonus:

$$M_c \sim \frac{\alpha^5 M_{Pl}^4}{m_e^{1/2} m_p^{5/2}} \sim 10^{67} \text{ GeV} \sim 10^{10} M_\odot$$

# Solving the CC Runaway Problem

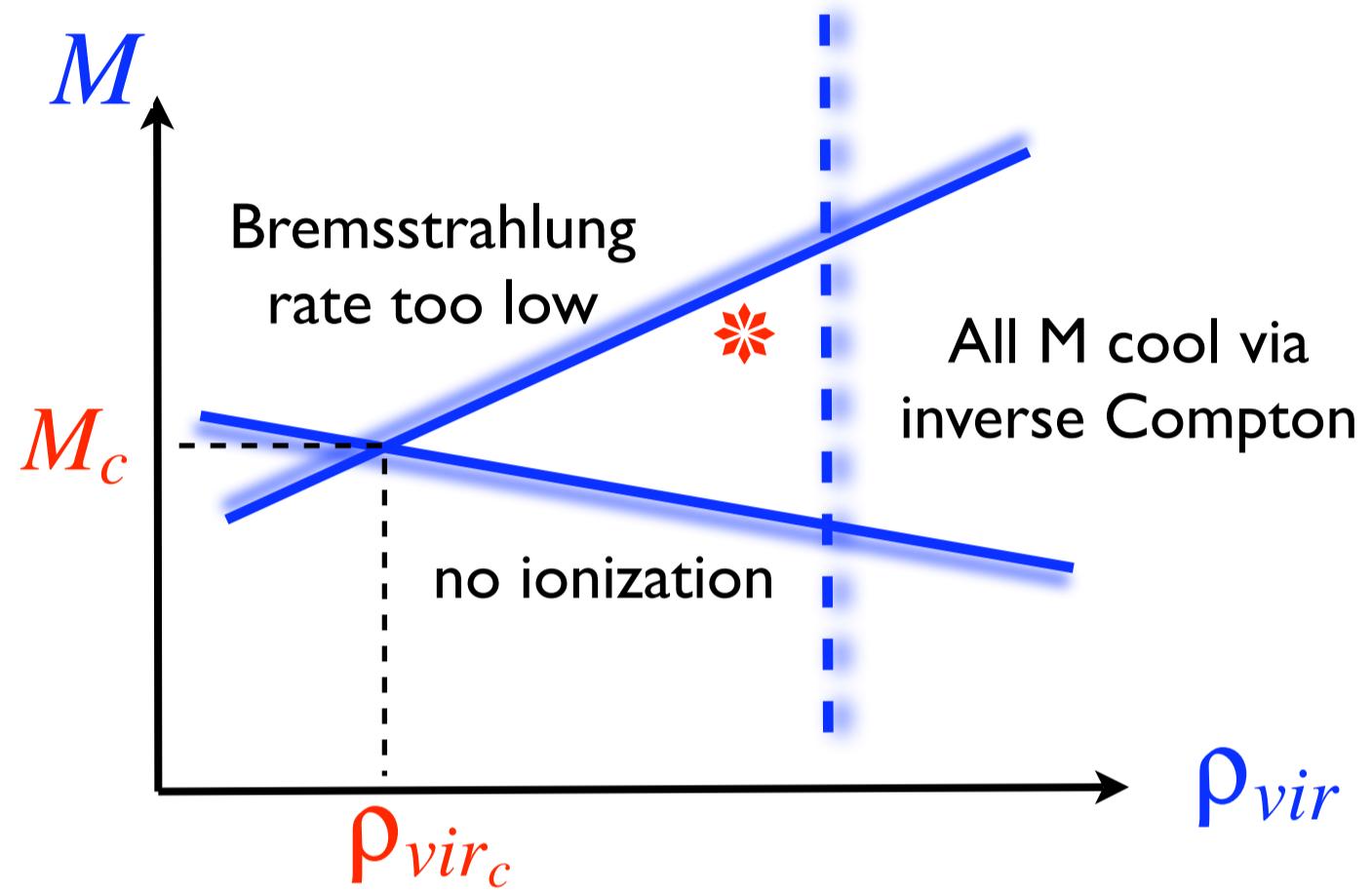
2 scanning parameters  
and  
2 catastrophic boundaries



$$\Lambda_c \sim \frac{m_e^4 m_p^2}{\alpha^4 M_{Pl}^2} \sim (2 \times 10^{-3} \text{ eV})^4$$

# Inverse Compton Cooling

- \* Why is our galaxy so close to inverse Compton cooling?



- \* Assume Compton cooling is catastrophic

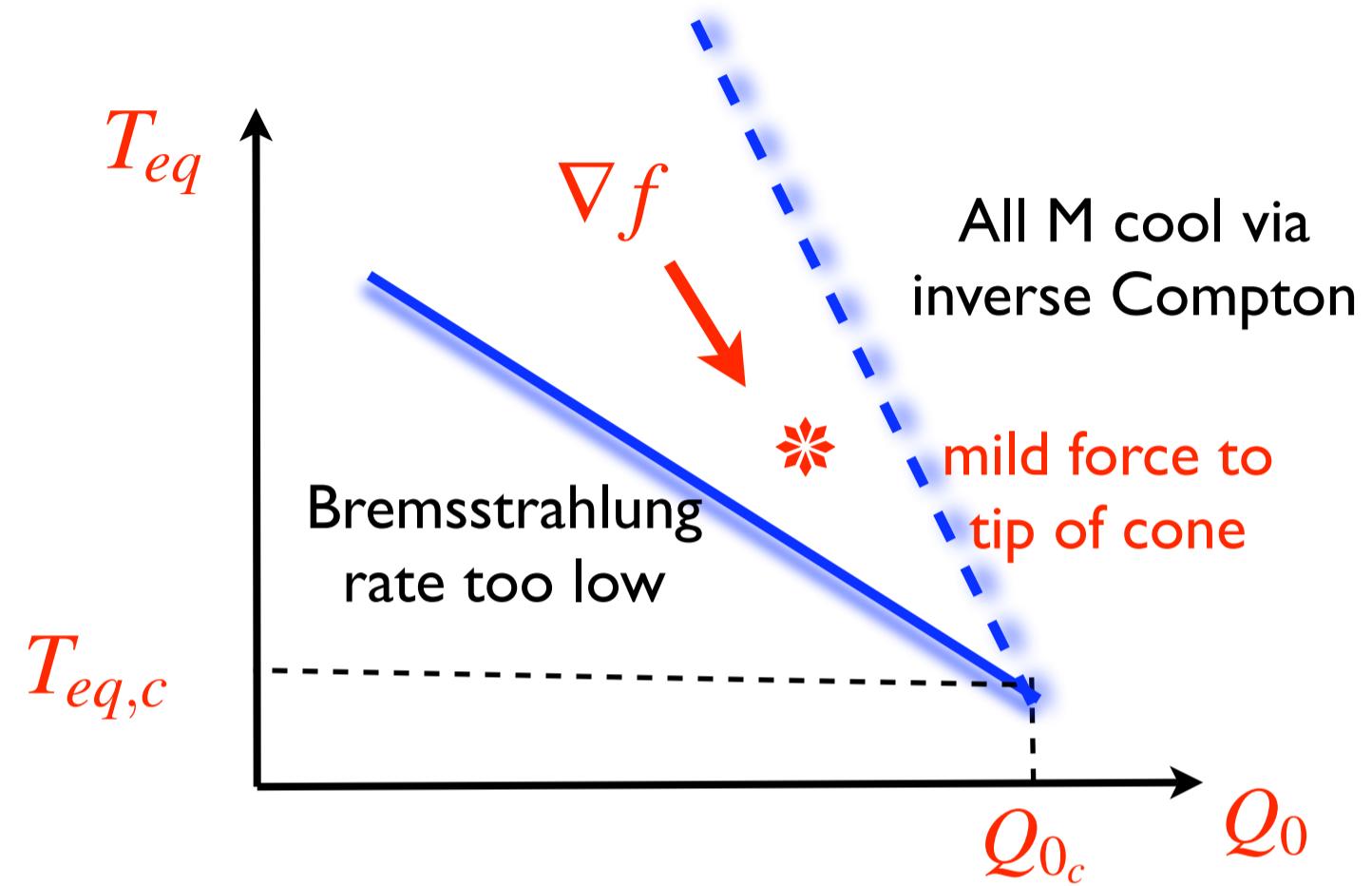
- \* This radically changes the scanning analysis

- \* Small region in  $\rho_{vir}$  is tip of higher dimensional cone!

$$\rho_{vir} \sim Q_0^3 T_{eq}^4 \rightarrow (Q_0, T_{eq})$$

# Scanning $Q_0, T_{eq}$

$$\rho_{vir} \sim Q_0^3 T_{eq}^4 \rightarrow (Q_0, T_{eq})$$



- \* Explains the coincidence

$$t_{Comp} \sim t_{rad}$$

- \* Two predictions

$$Q_{0c} \sim \frac{m_e}{m_p}$$

$$T_{eqc} \sim \frac{m_e^{1/4} m_p^{5/4}}{\alpha M_{Pl}^{1/2}}$$

- \*  $Q_0, T_{eq}$  are each factor 100 from the critical point; e.g.

$$f(Q_0, T_{eq}) \sim Q_0 / T_{eq}^{1/2}$$

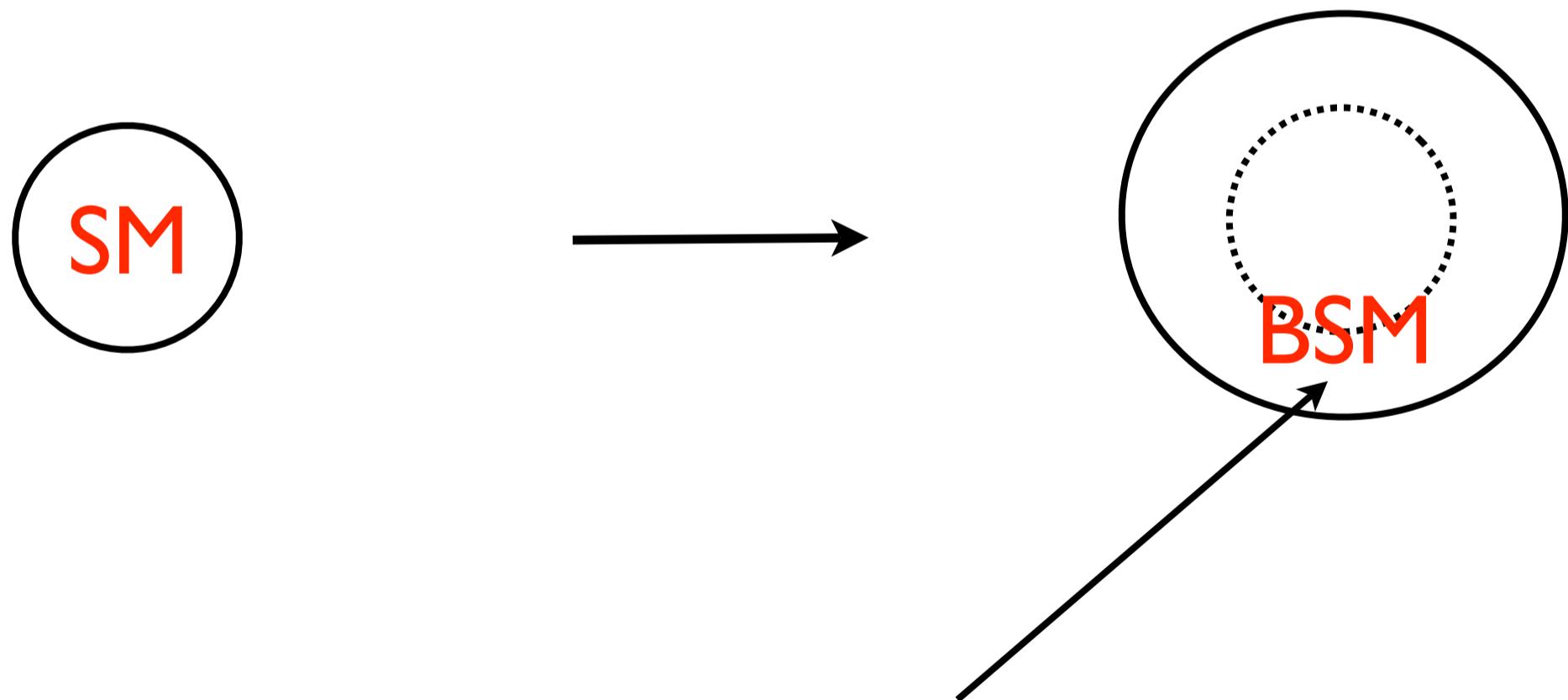
# Symmetries & The Multiverse



Standard Model → Beyond Standard Model



Environmental selection does not care  
what the underlying theory is



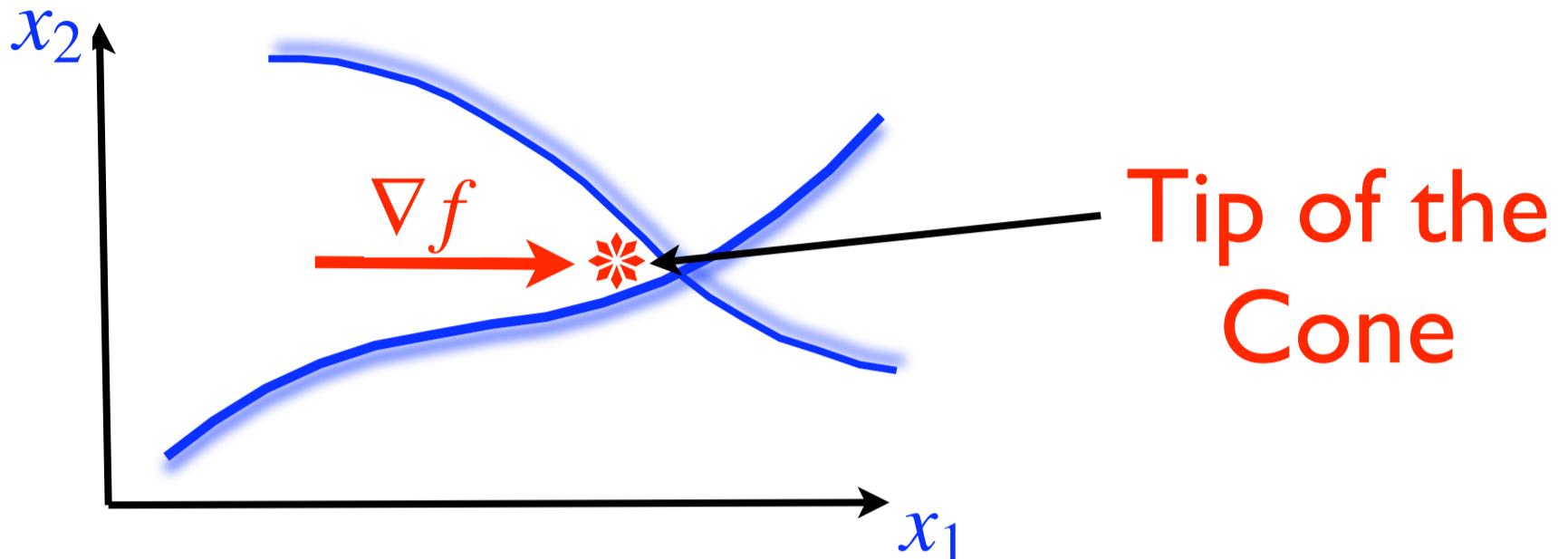
Independent parameters that allow for the variation of

$m_e, m_u, m_d, v, \Lambda, Q_o, T_{eq}$

(Lose Higgs prediction)

# Conclusions: A Complete Scheme

- \* The idea:  
assume multiverse force  
towards catastrophic edges



- \* Nuclear stability  $\frac{m_e}{\Lambda_{QCD}}, \frac{m_u}{\Lambda_{QCD}}, \frac{m_d}{\Lambda_{QCD}}$
- \* BBN  $\frac{v}{\Lambda_{QCD}}, y_{e,u,d}$
- \* Virialization  $\Lambda$
- \* Proto-galaxy cooling:  $T_{eq}, Q_0$   $M_{gal}$

What determines  $\frac{\Lambda_{QCD}}{M_{Pl}}$ ?

- \* A missing boundary?
- \* Multiverse distribution?
- \* The discretuum?

- \* Will LHC discover unnatural EWSB?