

5 February 2016
IPMU, Kashiwa, Japan

Minimal Dark Matter, reloaded

Marco Cirelli

(CNRS LPTHE Jussieu Paris)



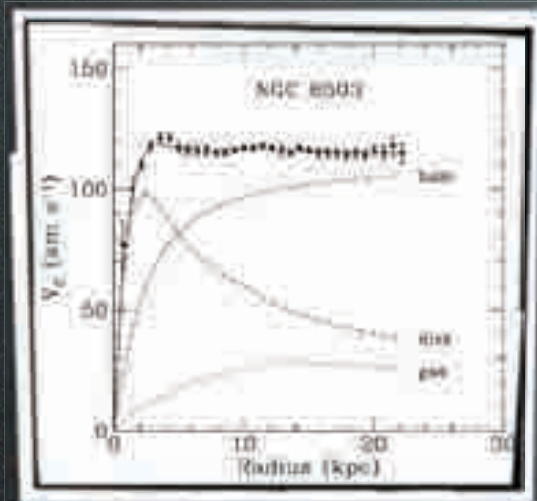
Based on: Cirelli, Fornengo, Strumia 'Minimal Dark Matter', NPB 2006 +...
Cirelli, Sala, Taoso, JHEP 2014
Cirelli, Hambye, Panci, Sala, Taoso, JCAP 2015

Introduction

DM exists

Introduction

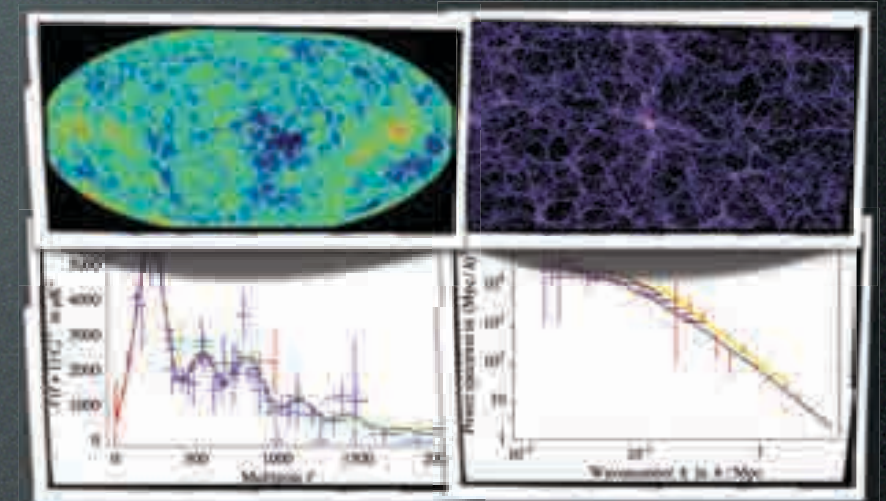
DM exists



galactic rotation curves



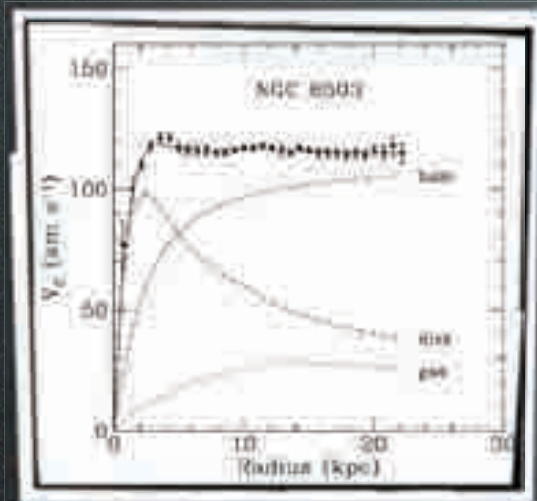
weak lensing (e.g. in clusters)



‘precision cosmology’ (CMB, LSS)

Introduction

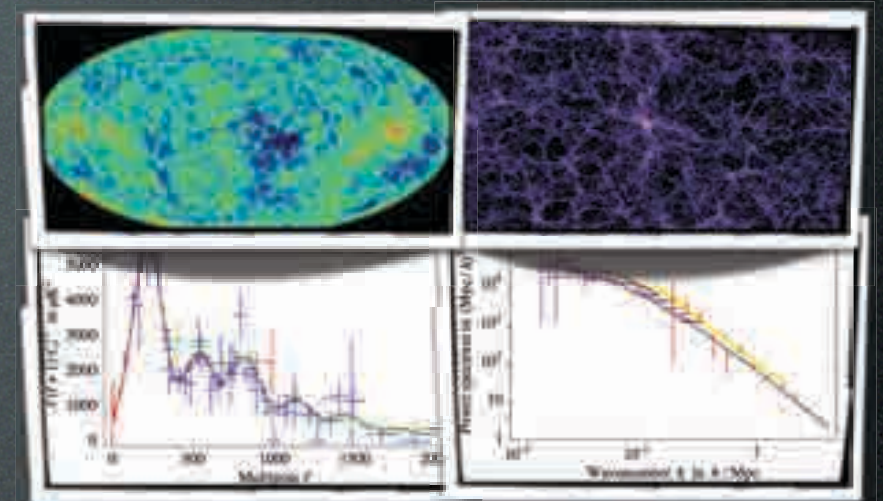
DM **exists**



galactic rotation curves



weak lensing (e.g. in clusters)



‘precision cosmology’ (CMB, LSS)

But: **what** is it?

Most likely a

weakly int., massive, neutral, stable

relic particle.

Most likely a

weakly int., massive, neutral, stable

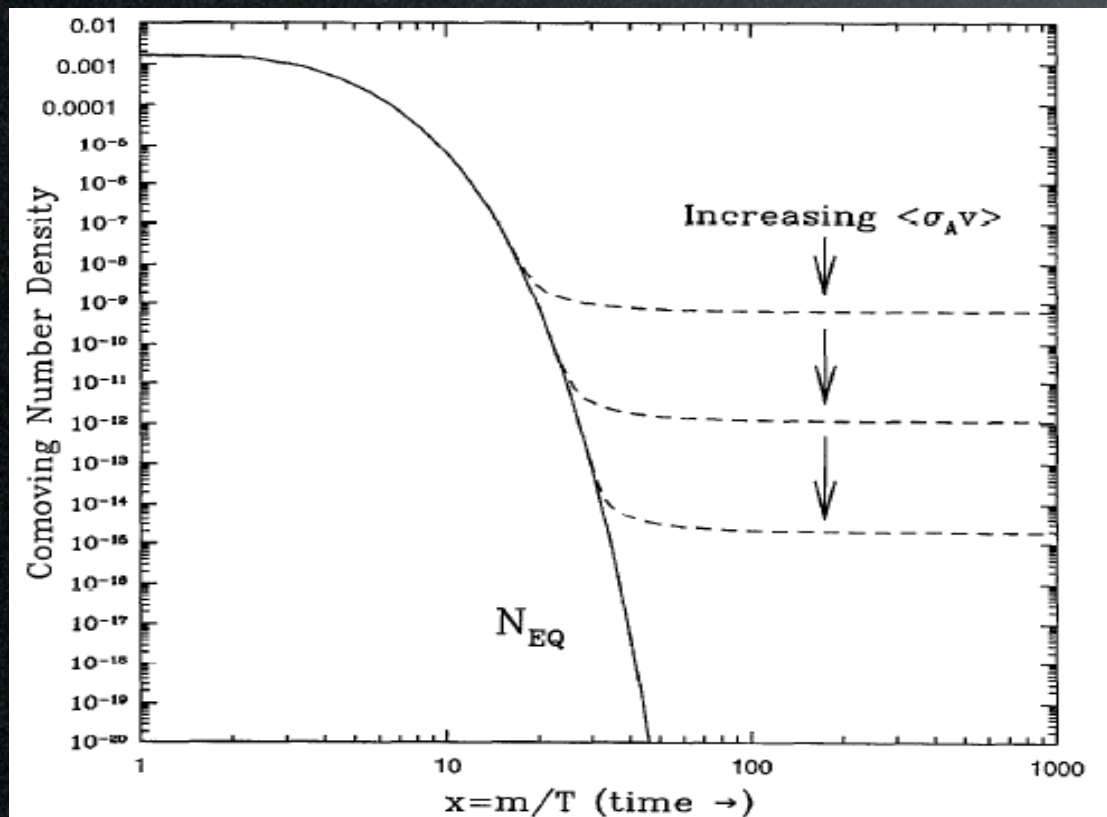
has the correct
relic abundance today!

Boltzmann eq. in the Early Universe:

$$\Omega_X \approx \frac{6 \cdot 10^{-27} \text{cm}^3 \text{s}^{-1}}{\langle \sigma_{\text{ann}} v \rangle}$$

Weak cross section:

$$\langle \sigma_{\text{ann}} v \rangle \approx \frac{\alpha_w^2}{M^2} \approx \frac{\alpha_w^2}{\mathbf{1 \text{ TeV}^2}} \Rightarrow \Omega_X \sim \mathcal{O}(\text{few } 0.1)$$



Kolb, Turner, The Early Universe, 1995

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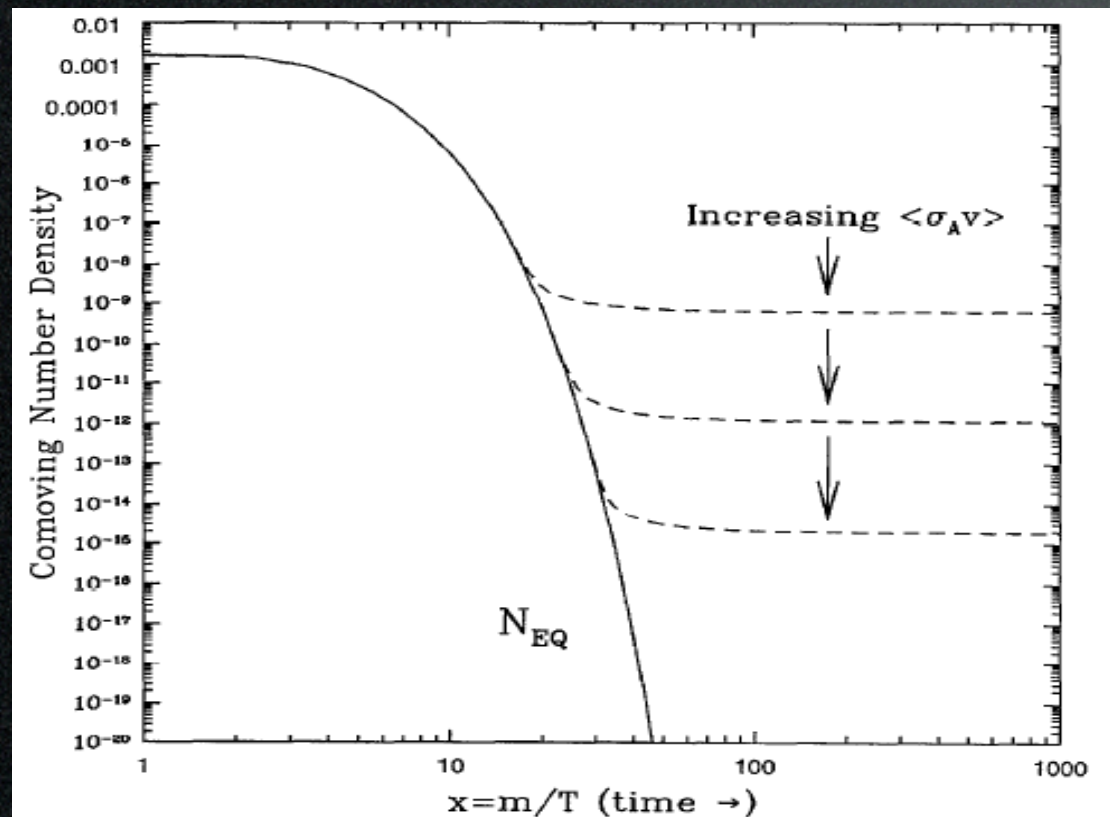
(or we would
have seen it...)

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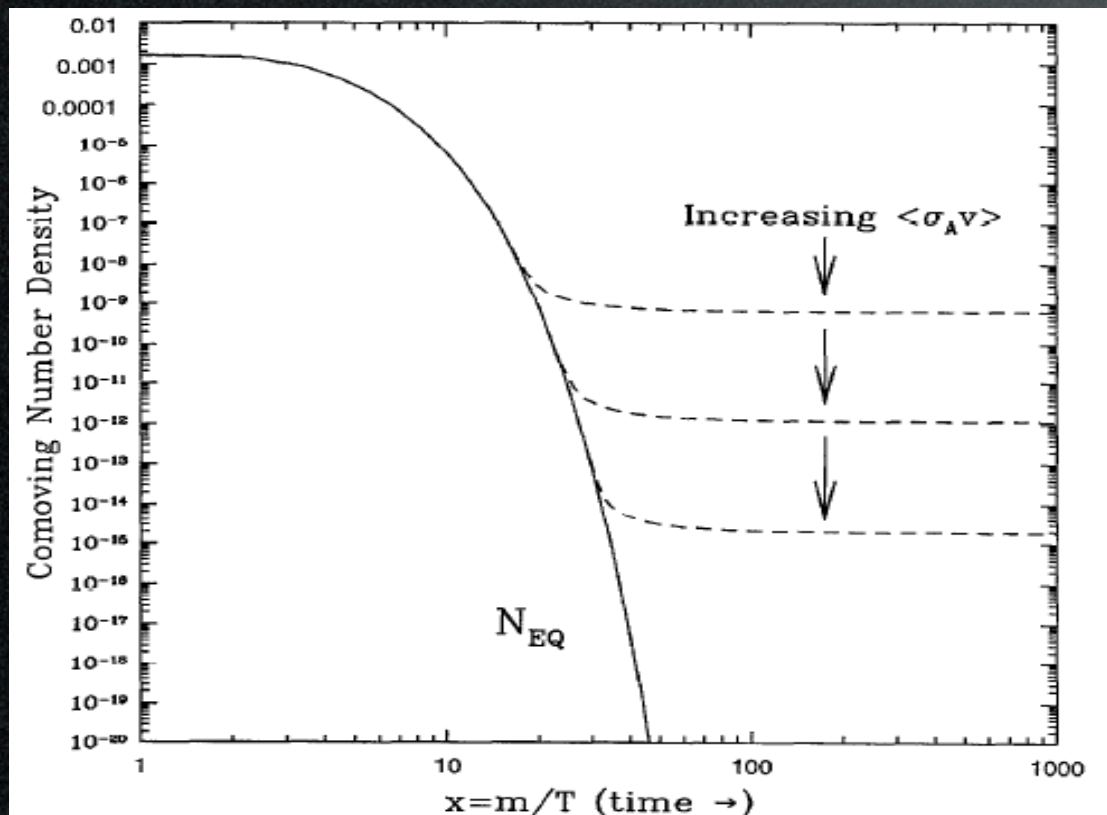
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at least on cosmological
time scales, i.e.

$$\tau > t_{\text{universe}}$$

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Theories beyond the SM have ambitious goals (hierarchy prob, EWSB, unification).

As a *byproduct*, they can provide DM candidates at the EW scale.

Popular candidates:

SuperSymmetric LSP,
Extra dimensional LKP...

...BUT:

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DM phenomenology is unclear (scatter plots)

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(ii) these theories have many parameters,
DM phenomenology is unclear (scatter plots)

(iii) **DM stability is imposed by hand**
(R-parity, T-parity, KK parity)

Minimalistic approach

Minimalistic approach

On top of the SM, add **only** one extra multiplet $\mathcal{X} = \begin{pmatrix} \chi_1 \\ \chi_2 \\ \vdots \end{pmatrix}$

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \bar{\mathcal{X}}(i\not{D} + M)\mathcal{X} \quad \text{if } \mathcal{X} \text{ is a fermion}$$

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + |D_\mu \mathcal{X}|^2 - M^2 |\mathcal{X}|^2 \quad \text{if } \mathcal{X} \text{ is a scalar}$$

and systematically search for the ideal DM candidate...

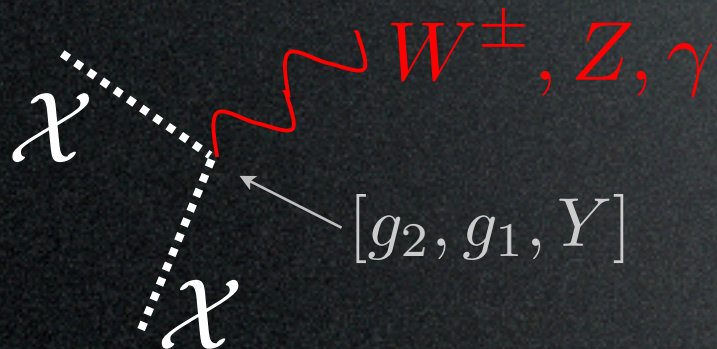
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gauge interactions



the only parameter,
and will be fixed by Ω_{DM} .

(other terms in the
scalar potential)

(one loop mass splitting)

and systematically search for the ideal DM candidate...

The ideal DM candidate is
weakly int., massive, neutral, stable

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weakly int., massive, neutral, stable

$SU(2)_L$	$U(1)_Y$	spin
$\underline{2}$		
$\underline{3}$		
$\underline{4}$		
$\underline{5}$		
$\underline{7}$		

$$\chi = \begin{pmatrix} \chi_1 \\ \chi_2 \\ \vdots \\ \chi_n \end{pmatrix}$$

these are all possible choices:

$$n \leq 5 \quad \text{for fermions}$$

$$n \leq 7 \quad \text{for scalars}$$

to avoid explosion in the running coupling

$$\alpha_2^{-1}(E') = \alpha_2^{-1}(M) - \frac{b_2(n)}{2\pi} \ln \frac{E'}{M}$$

(actually, including 2-loops,

$$n \leq 6 \quad (n \leq 4) \quad \text{for real (complex) scalars})$$

Di Luzio, Nardecchia et al., 1504.00359

← ($\underline{6}$ is similar to $\underline{4}$)

The ideal DM candidate is
weakly int., massive, neutral, stable

$SU(2)_L$	$U(1)_Y$	spin
$\underline{2}$	$1/2$	
$\underline{3}$	0	
	1	
$\underline{4}$	$1/2$	
	$3/2$	
$\underline{5}$	0	
	1	
	2	
$\underline{7}$	0	

Each multiplet contains a neutral component with a proper assignment of the hypercharge, according to

$$Q = T_3 + Y \equiv 0$$

e.g. for $n = 2$: $T_3 = \begin{pmatrix} +\frac{1}{2} \\ -\frac{1}{2} \end{pmatrix} \Rightarrow |Y| = \frac{1}{2}$

e.g. for $n = 3$: $T_3 = \begin{pmatrix} +1 \\ 0 \\ -1 \end{pmatrix} \Rightarrow |Y| = 0 \text{ or } 1$

etc.

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$SU(2)_L$	$U(1)_Y$	spin
$\underline{2}$	$1/2$	S
		F
$\underline{3}$	0	S
		F
	1	S
		F
$\underline{4}$	$1/2$	S
		F
	$3/2$	S
		F
$\underline{5}$	0	S
		F
	1	S
		F
	2	S
		F
$\underline{7}$	0	S

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$SU(2)_L$	$U(1)_Y$	spin	M (TeV)
$\underline{2}$	$1/2$	S	0.43
		F	1.2
$\underline{3}$	0	S	2.0
		F	2.6
	1	S	1.4
		F	1.8
$\underline{4}$	$1/2$	S	2.4
		F	2.5
	$3/2$	S	2.4
		F	2.5
$\underline{5}$	0	S	5.0
		F	4.2
	1	S	3.5
		F	3.2
	2	S	3.5
		F	3.2
$\underline{7}$	0	S	8.5

The **mass** M is determined by the relic abundance:

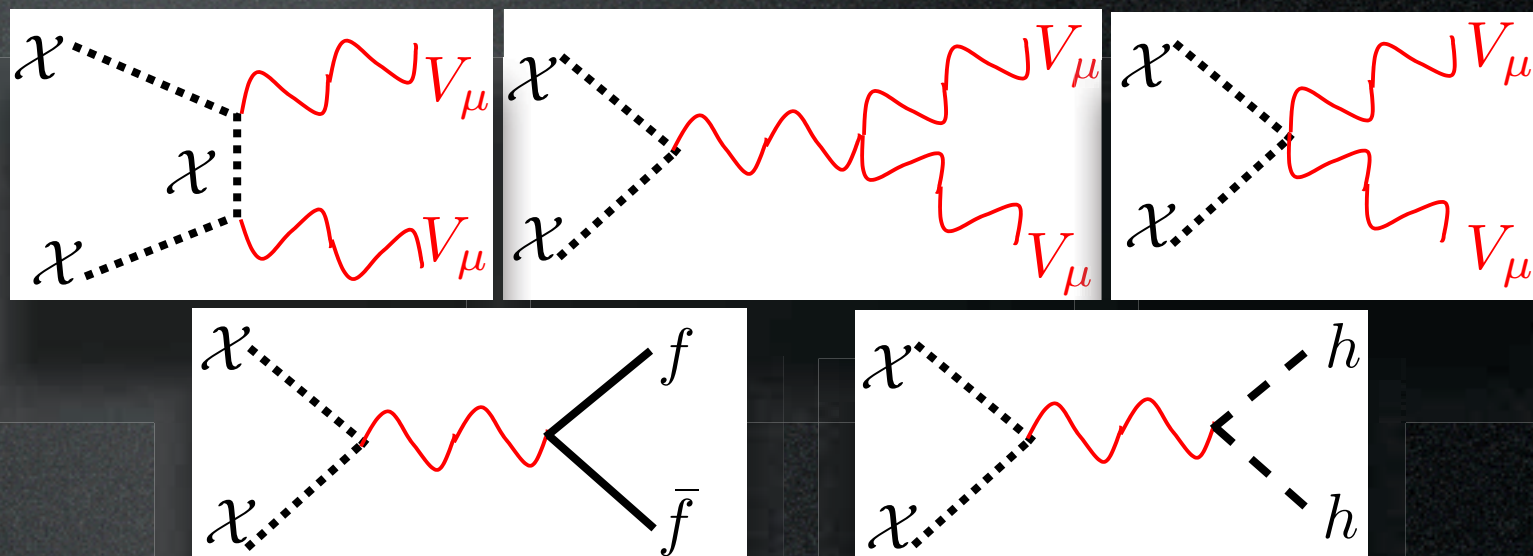
$$\Omega_{\text{DM}} = \frac{6 \cdot 10^{-27} \text{cm}^3 \text{s}^{-1}}{\langle \sigma_{\text{ann}} v \rangle} \cong 0.24$$

for χ scalar

$$\langle \sigma_A v \rangle \simeq \frac{g_2^4 (3 - 4n^2 + n^4) + 16 Y^4 g_Y^4 + 8g_2^2 g_Y^2 Y^2 (n^2 - 1)}{64\pi M^2 g_\chi}$$

for χ fermion

$$\langle \sigma_A v \rangle \simeq \frac{g_2^4 (2n^4 + 17n^2 - 19) + 4Y^2 g_Y^4 (41 + 8Y^2) + 16g_2^2 g_Y^2 Y^2 (n^2 - 1)}{128\pi M^2 g_\chi}$$



(- include co-annihilations)
 (- computed for $M \gg M_{Z,W}$)

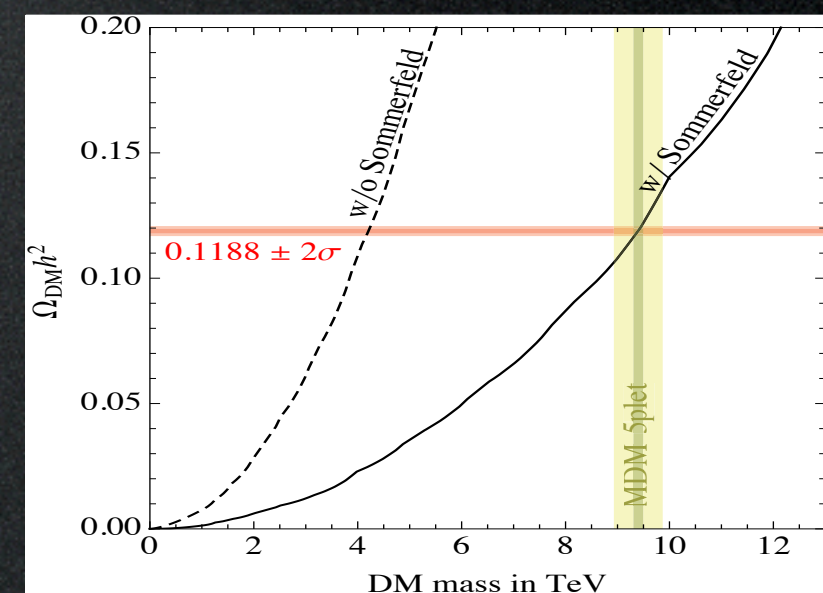
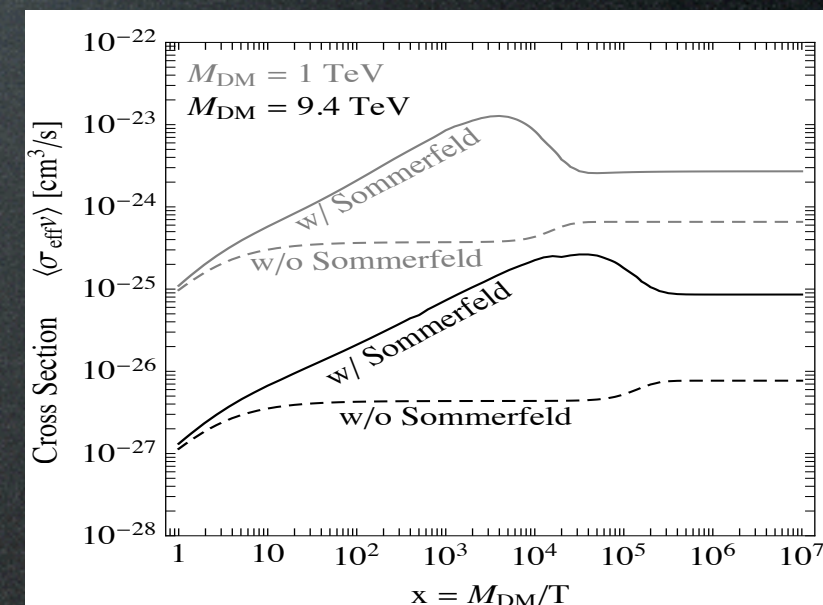
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$SU(2)_L$	$U(1)_Y$	spin	M (TeV)
$\underline{2}$	$1/2$	S	1.0
		F	
$\underline{3}$	0	S	2.5
		F	2.7
	1	S	
		F	
$\underline{4}$	$1/2$	S	
		F	
	$3/2$	S	
		F	
$\underline{5}$	0	S	9.4
		F	
	1	S	
		F	
	2	S	
		F	
$\underline{7}$	0	S	25

Non-perturbative corrections
 (and other smaller corrections) (more later)
 induce modifications:

$$\langle \sigma_{\text{ann}} v \rangle \rightsquigarrow R \cdot \langle \sigma_{\text{ann}} v \rangle + \langle \sigma_{\text{ann}} v \rangle_{p\text{-wave}}$$

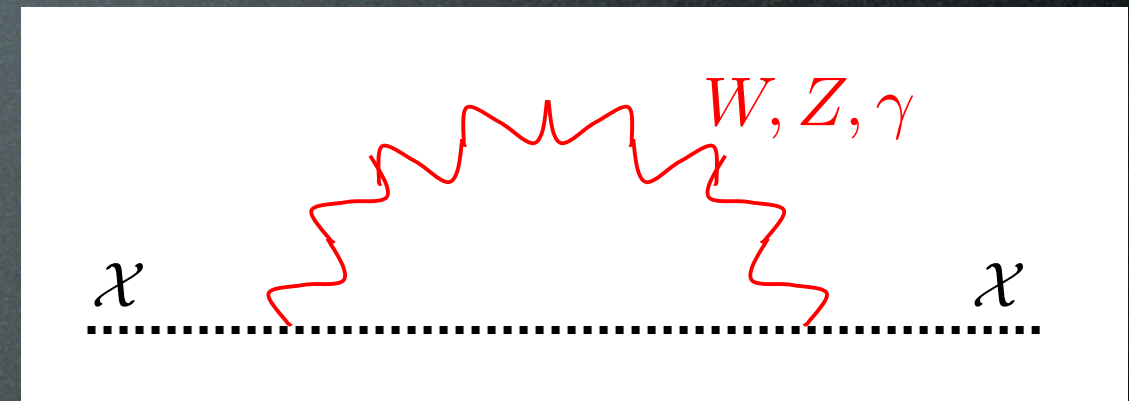
with $R \sim \mathcal{O}(\text{few}) \rightarrow \mathcal{O}(10^2)$



The ideal DM candidate is
weakly int., massive, neutral, stable

$SU(2)_L$	$U(1)_Y$	spin	M (TeV)	ΔM (MeV)
$\underline{2}$	$1/2$	S	1.0	348
		F		342
$\underline{3}$	0	S	2.5	166
		F	2.7	166
	1	S		540
		F		526
$\underline{4}$	$1/2$	S		353
		F		347
	$3/2$	S		729
		F		712
$\underline{5}$	0	S	9.4	166
		F		166
	1	S		537
		F		534
	2	S		906
		F		900
$\underline{7}$	0	S	25	166

EW loops induce
a **mass splitting** ΔM
inside the n-uplet: tree level



$$M_Q - M_{Q'} = \frac{\alpha_2 M}{4\pi} \left\{ (Q^2 - Q'^2) s_W^2 f\left(\frac{M_Z}{M}\right) + (Q - Q')(Q + Q' - 2Y) \left[f\left(\frac{M_W}{M}\right) - f\left(\frac{M_Z}{M}\right) \right] \right\}$$

with $f(r) \xrightarrow{r \rightarrow 0} -2\pi r$

The neutral component
is the lightest



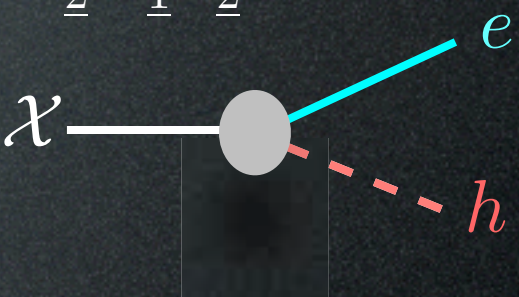
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$\underline{7}$	0	S	25	166	$(\chi\chi H^*H)$

List all **allowed SM couplings**:

e.g. $\overset{1/2}{\chi} \overset{-1}{E} \overset{1/2}{H}$



e.g. $\overset{1/2}{\chi} \overset{-1/2}{L} \overset{1/2}{H} \overset{-1/2}{H^*}$

$\overset{4}{\chi} \overset{2}{L} \overset{2}{H} \overset{2}{H^*}$

dim=5 operator, induces $\tau \sim \Lambda^2 \text{TeV}^{-3} \ll t_{\text{universe}}$ for $\Lambda \sim M_{\text{Pl}}$

dim=5, loop decay

The ideal DM candidate is weakly int., massive, neutral, stable

$SU(2)_L$	$U(1)_Y$	spin	M (TeV)	ΔM (MeV)	decay ch.
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List all **allowed SM couplings**:

e.g. $\chi \begin{matrix} 1/2 & -1 & 1/2 \\ \underline{2} & \underline{1} & \underline{2} \end{matrix} EH$

A Feynman diagram showing a dark matter particle χ (represented by a horizontal line) decaying into an electron e (represented by a blue line) and a photon h (represented by a red dashed line). The decay vertex is a grey circle.

e.g. $\chi \begin{matrix} 1/2 & -1/2 & 1/2 & -1/2 \\ \underline{4} & \underline{2} & \underline{2} & \underline{2} \end{matrix} LHH^*$

dim=5 operator, induces
 $\tau \sim \Lambda^2 \text{TeV}^{-3} \ll t_{\text{universe}}$
 for $\Lambda \sim M_{\text{Pl}}$

No allowed decay!
Automatically stable!

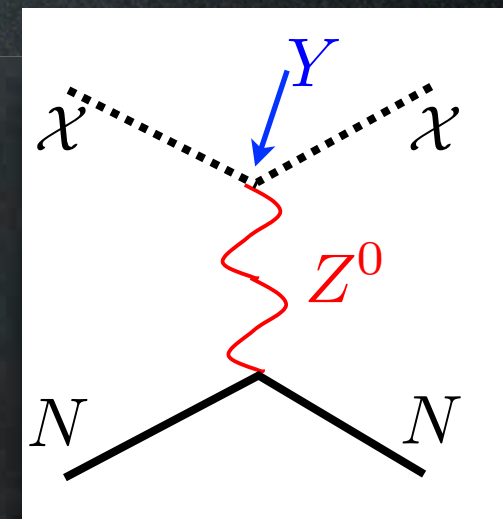
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 and
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 by direct searches!

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Candidates with $Y \neq 0$
 interact as



$$\sigma \simeq G_F^2 M_{\mathcal{N}}^2 Y^2$$

Goodman
Witten
1985

$$\gg \text{present bounds}$$

e.g. LUX

↓

need $Y = 0$

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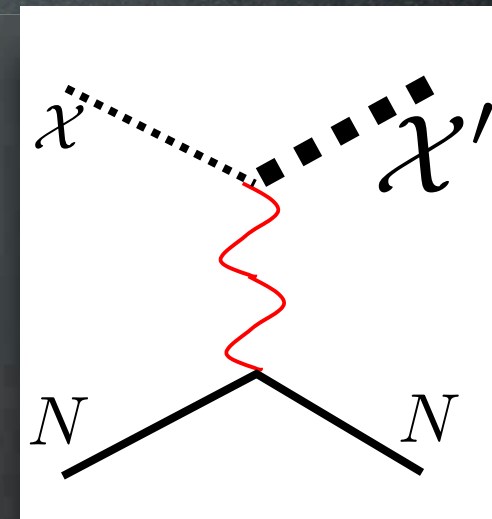
← We have a winner!

(other terms in the
scalar potential)

If you want to cure ill candidates...

$Y \neq 0$: introduce some mechanism to forbid coupling with Z^0 anyway

e.g. mixing with an extra state splits the 2 components of $\mathcal{X}$; if splitting is large enough, NC scattering is kinematically forbidden...



stability: impose some symmetry to forbid decays (e.g. R-parity)...



...the case of SuSy higgsino

mixing is with bino;
even for pure higgsino,
some mixing is 'inevitable'
due to higher dim operators

Recap:

A fermionic $SU(2)_L$ quintuplet with $Y = 0$
provides a DM candidate with $M = 9.4$ TeV,
which is fully successful:

- neutral

- ***automatically*** stable 

like proton
stability in SM!

and

not_{yet} discovered by DM searches.

(Other candidates can be cured via non-minimalities.)

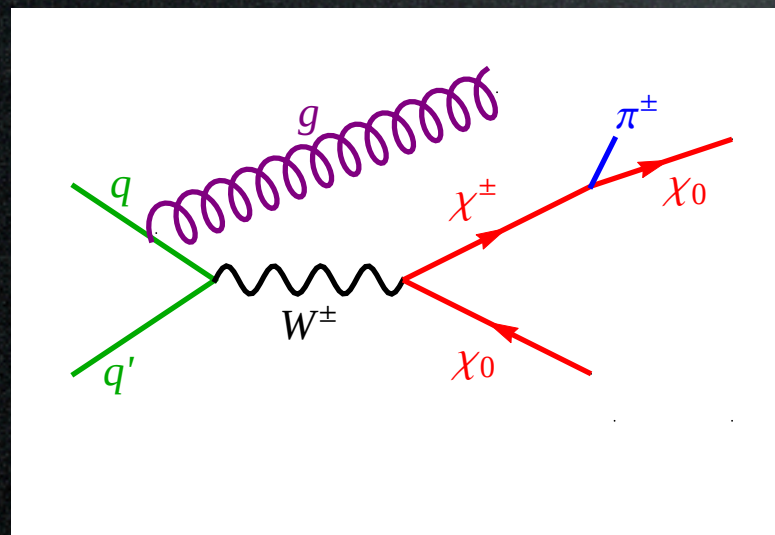
Detection and Phenomenology

1. Collider searches

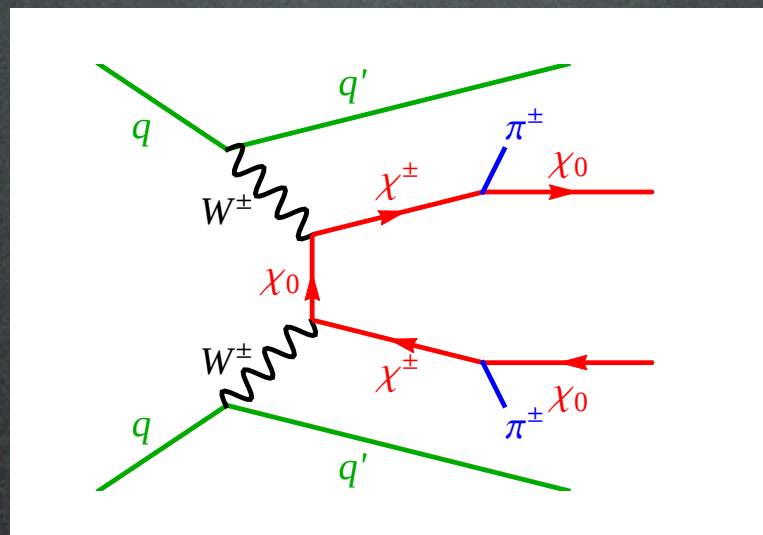
At 9.4 TeV, no hope at the LHC.

- relax the mass constraint
- consider next-to-minimal cases (e.g. the triplet = pure wino)
- explore reach of 100 TeV future collider

Mono-X

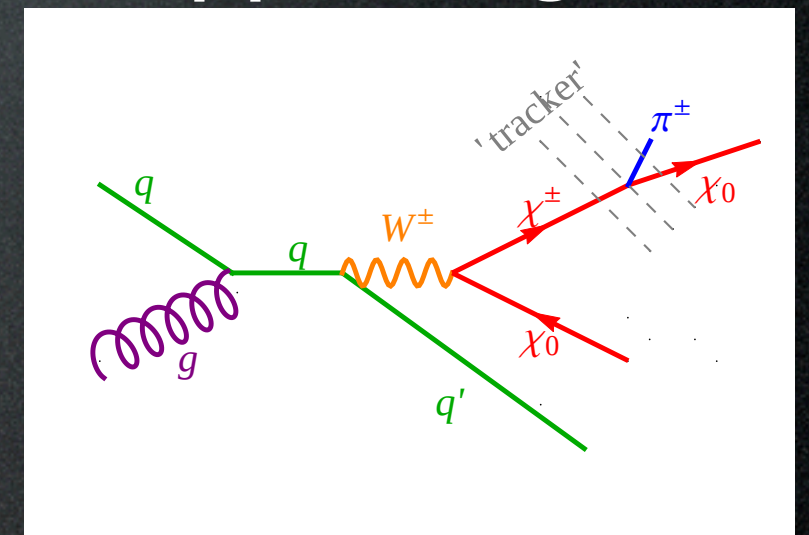


VBF



di-jets + MET

Disappearing tracks

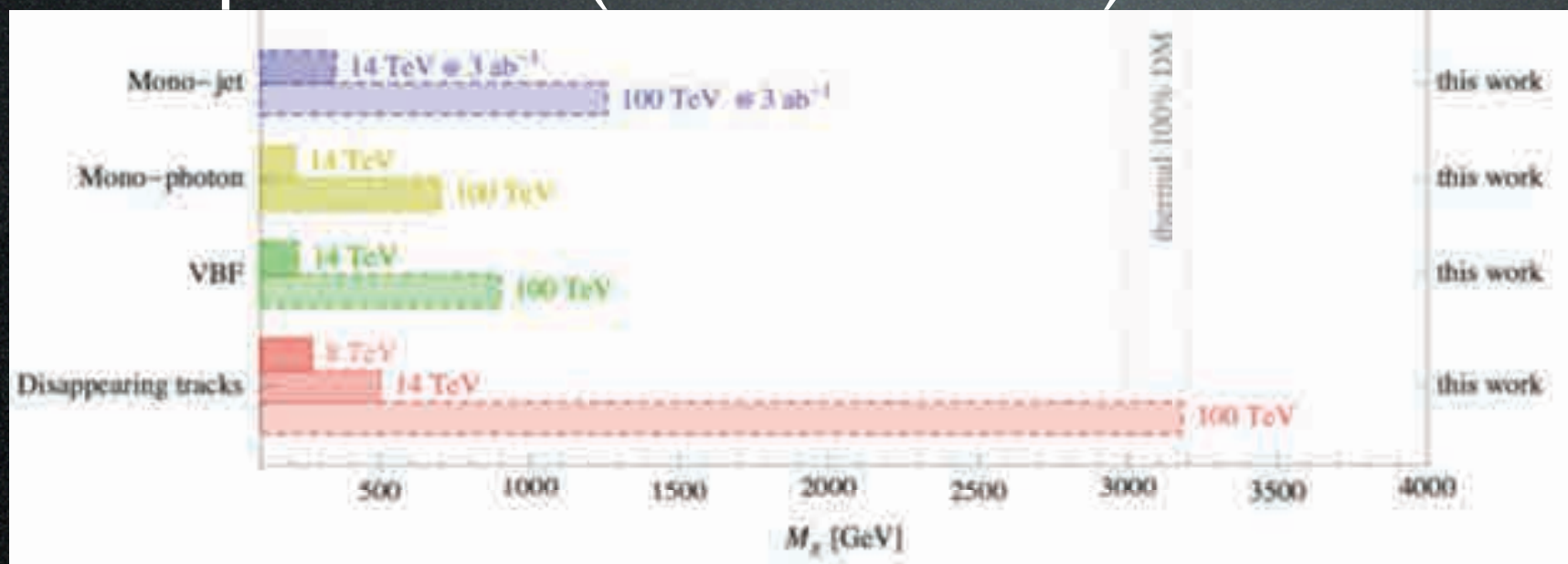


1. Collider searches

At 9.4 TeV, no hope at the LHC.

- relax the mass constraint
- consider next-to-minimal cases (e.g. the triplet = pure wino)
- explore reach of 100 TeV future collider

For triplet MDM (a.k.a. wino DM)



Cirelli, Sala, Taoso 1407.7058

For 5plet MDM

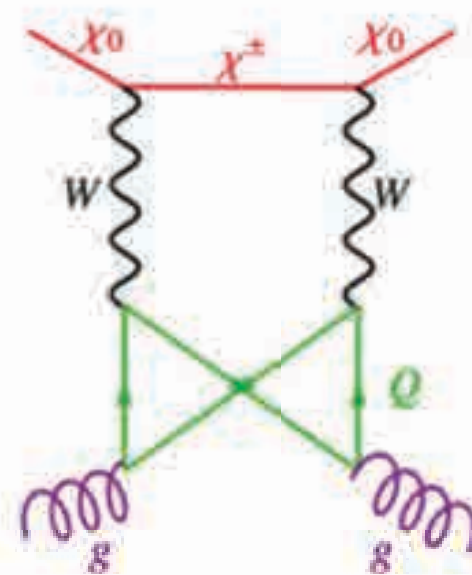
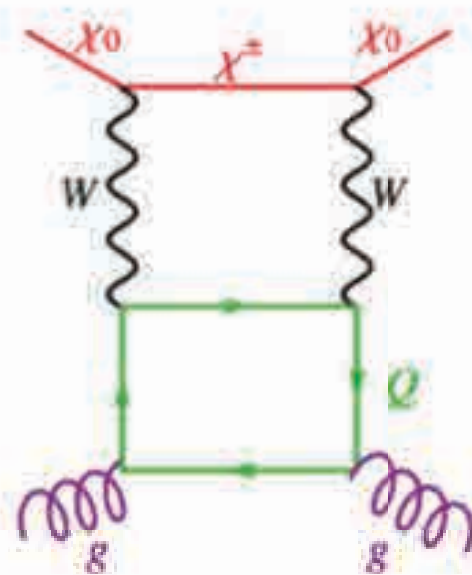
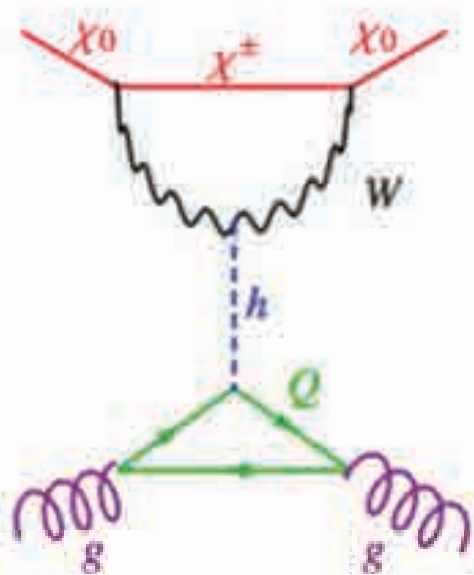
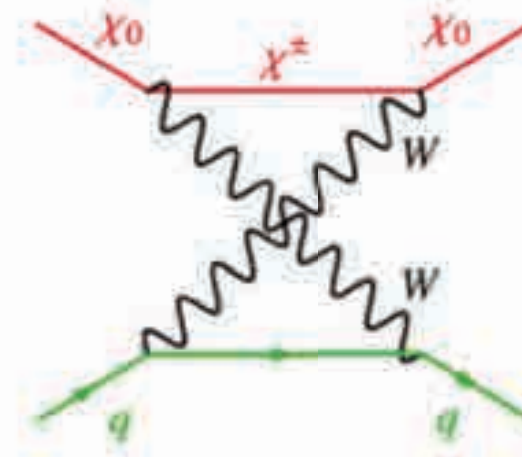
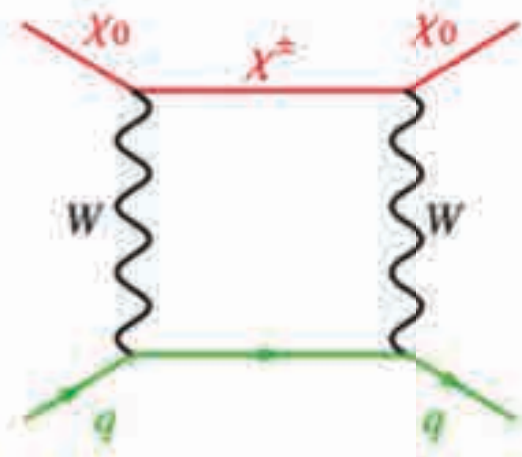
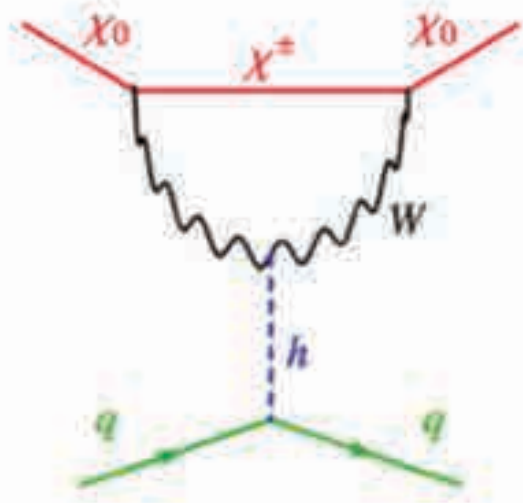
Model	$\sqrt{s} = 8 \text{ TeV}$				$\sqrt{s} = 14 \text{ TeV}$					
	ATLAS		CMS		Exclude			Discover		
	Expected	Observed	Expected	Observed	500%	100%	20%	500%	100%	20%
Wino	224	238	203	195	354	483	635	287	394	514
Majorana Fiveplet	256	267	234	226	410	524	668	340	448	576
Dirac Fiveplet	283	293	259	251	465	599	743	381	503	639

Ostdiek, 1506.03445

2. Direct Detection

No tree level scattering.

1-loop and 2-loops:



Cirelli, Fornengo, Strumia
hep-ph/0512090

Essig 0710.1668

Hisano, Ishiwata, Nagata
1007.2601

Hisano, Ishiwata, Nagata,
Takesano 1104.0228

Hill, Solon 1111.0016

Hisano, Ishiwata, Nagata
1010.5985

Farina, Pappadopulo, Strumia
1303.7244

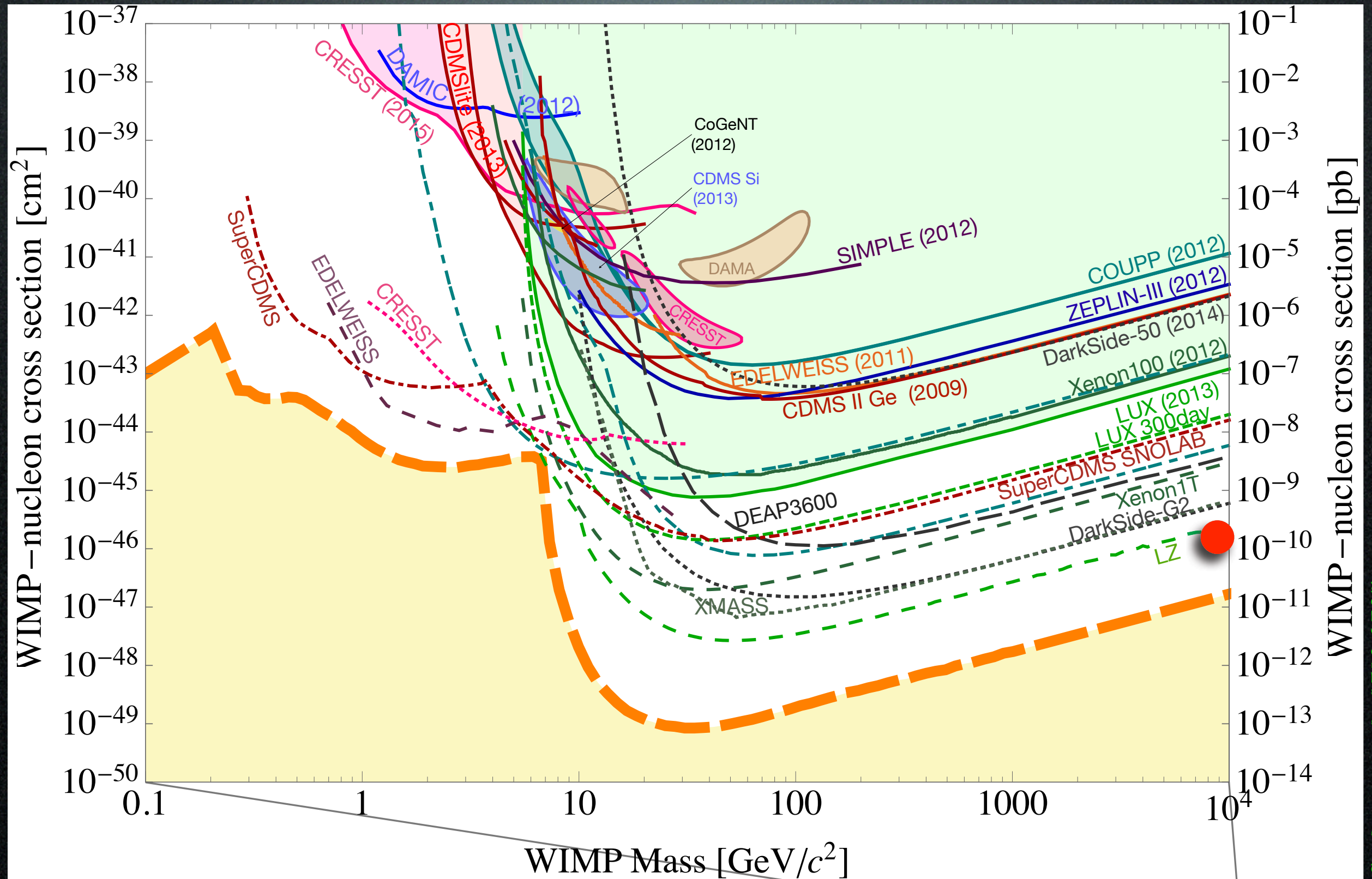
Hill, Solon 1309.4092

Hill, Solon 1401.3339

Hisano, Ishiwata, Nagata
1504.00915

$$\sigma_{\text{SI}}^n = 2 \cdot 10^{-46} \text{ cm}^2$$

2. Direct Detection

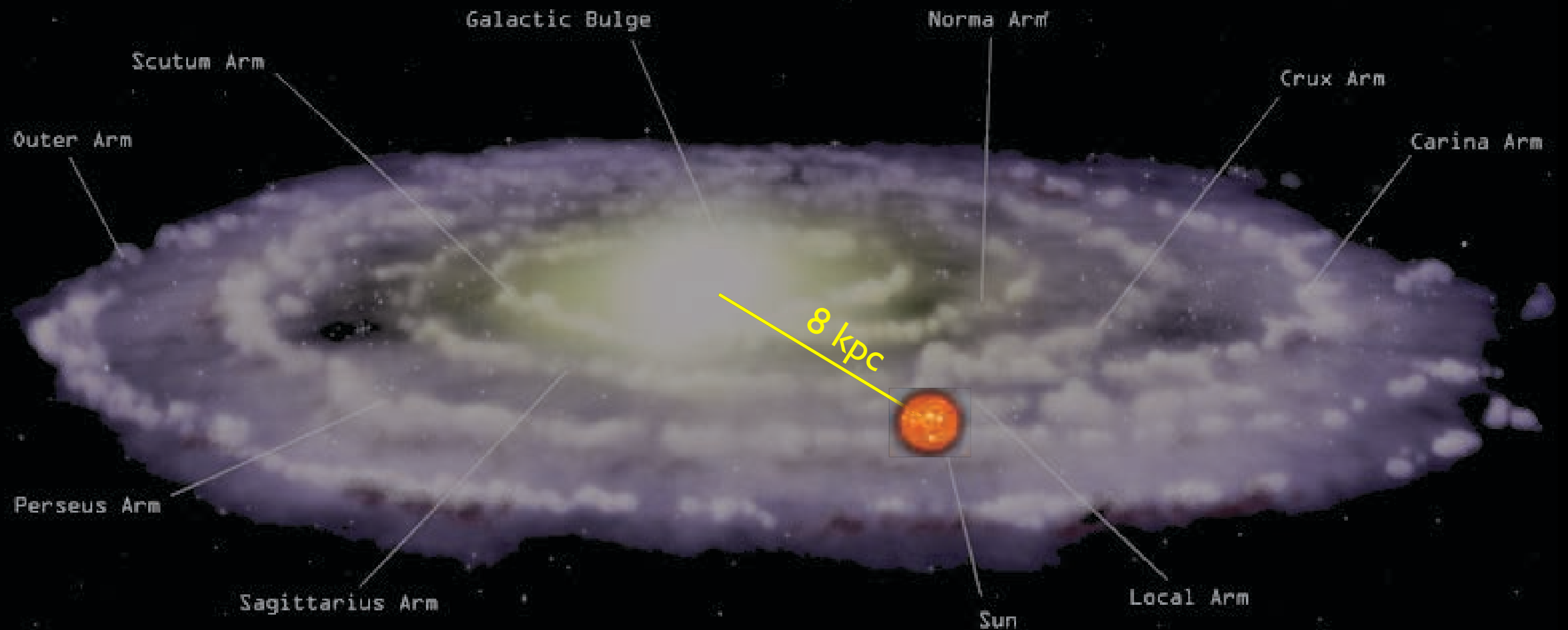


Cushman et al., 1310.8327

PS: SD cross section equally challenging [Hisano, Ishiwata, Nagata 1010.5985](#)

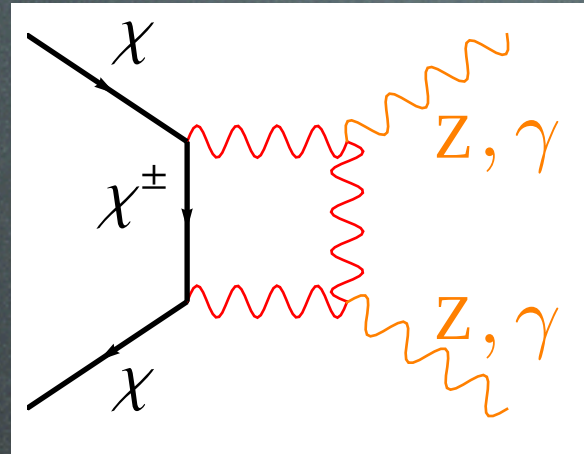
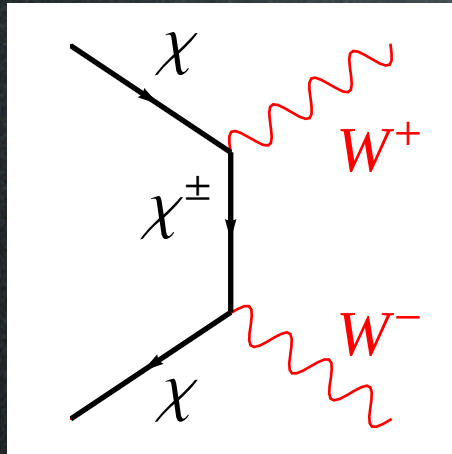
3. Indirect Detection

i.e. $\nu, \bar{p}, e^+, \gamma, \bar{D}$ from MDM annihilations in MW halo.



3. Indirect Detection

i.e. $\chi, \chi^\pm, \gamma$, from MDM annihilations in MW halo.

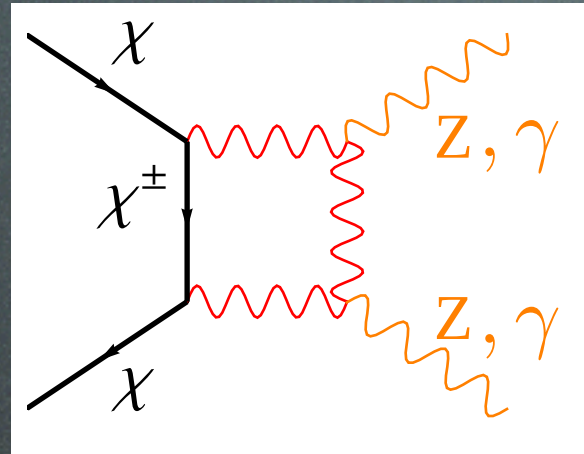
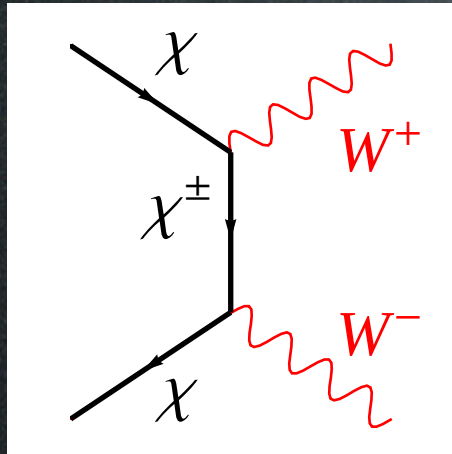


$$+ W^\pm, Z \rightarrow \bar{p}, e^+, \gamma \dots$$

(channels for MDM with $Y=0$)

3. Indirect Detection

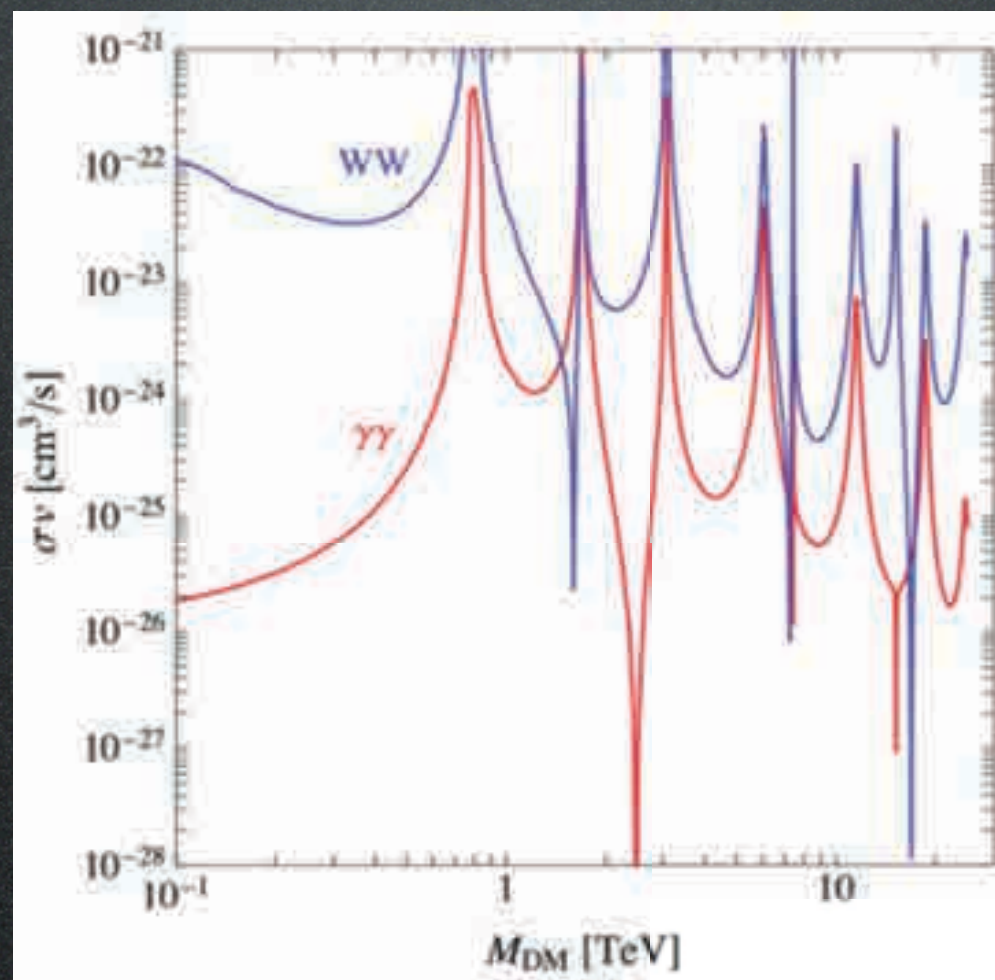
i.e. $\chi\chi \rightarrow \gamma, W^\pm, Z, \gamma$ from MDM annihilations in MW halo.



$$+ W^\pm, Z \rightarrow \bar{p}, e^+, \gamma \dots$$

(channels for MDM with $Y=0$)

Enhanced cross section due to ‘Sommerfeld corrections’

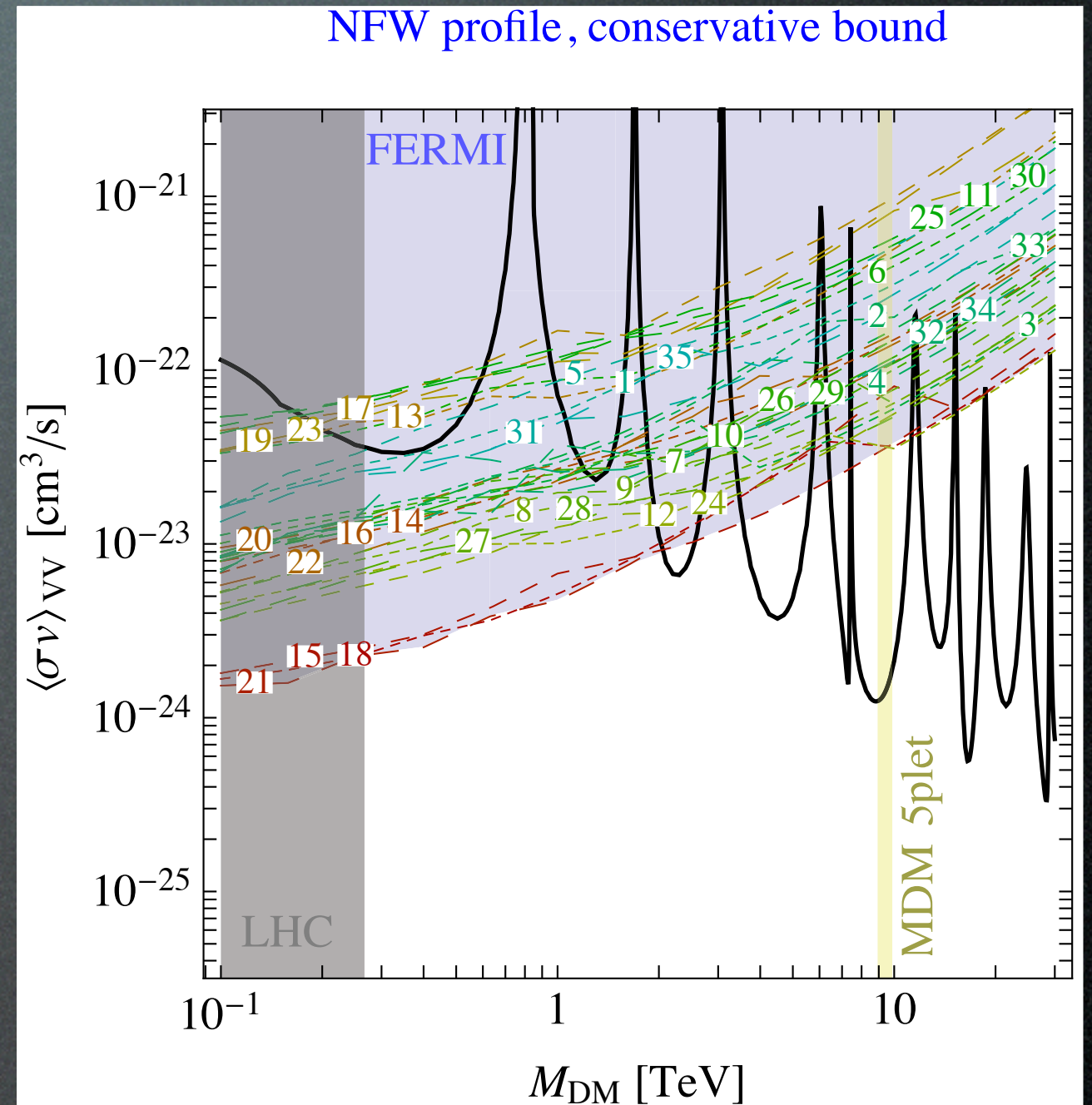
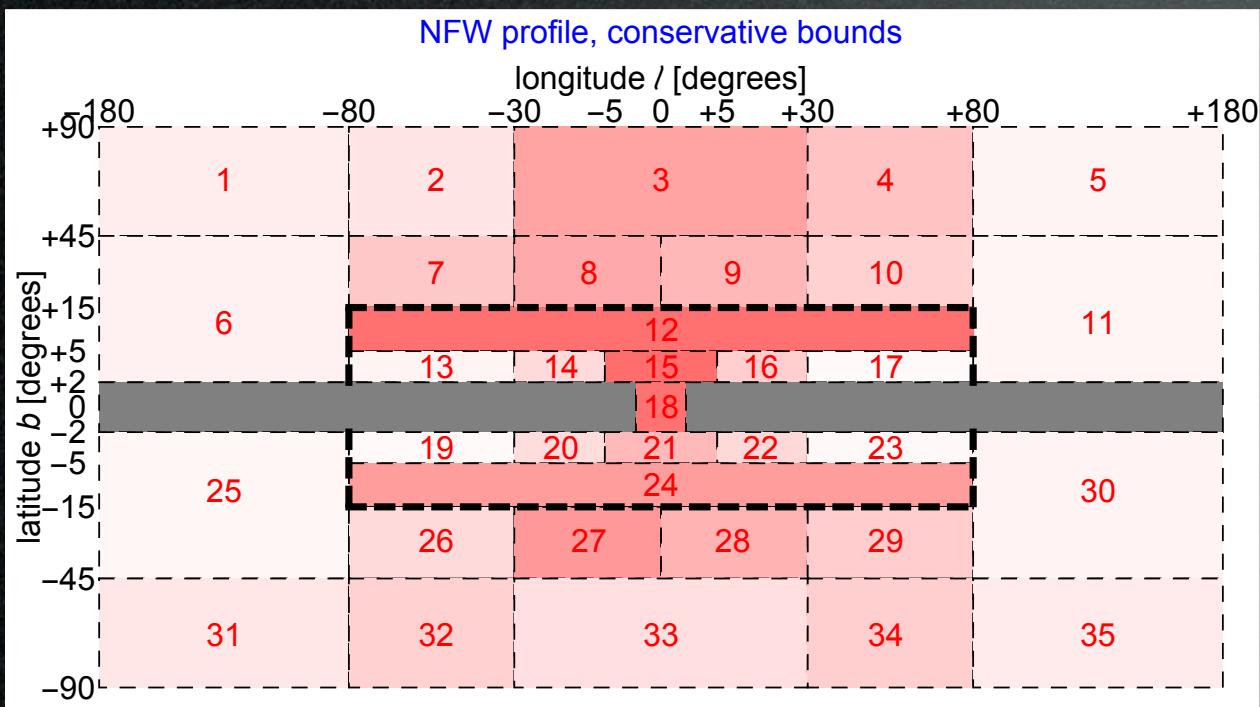
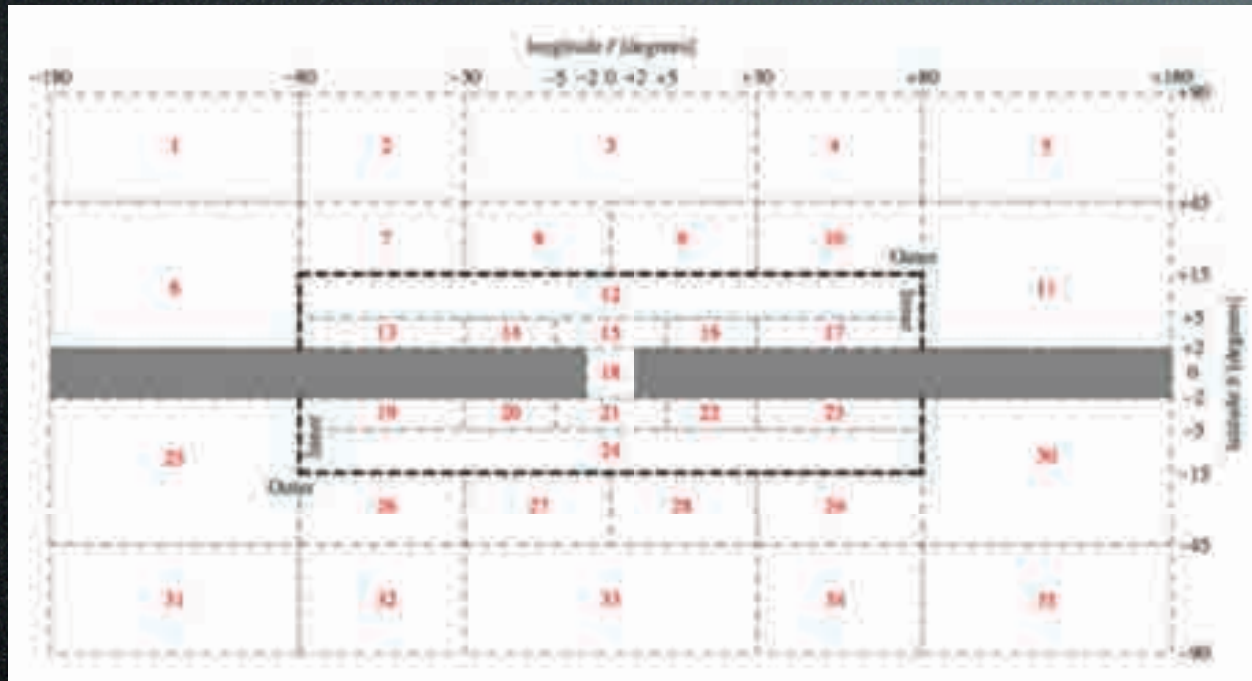


Hisano et al., 2004, 2005
Cirelli, Strumia, Tamburini 2007

Cirelli, Hambye, Panci, Sala, Taoso
1507.05519

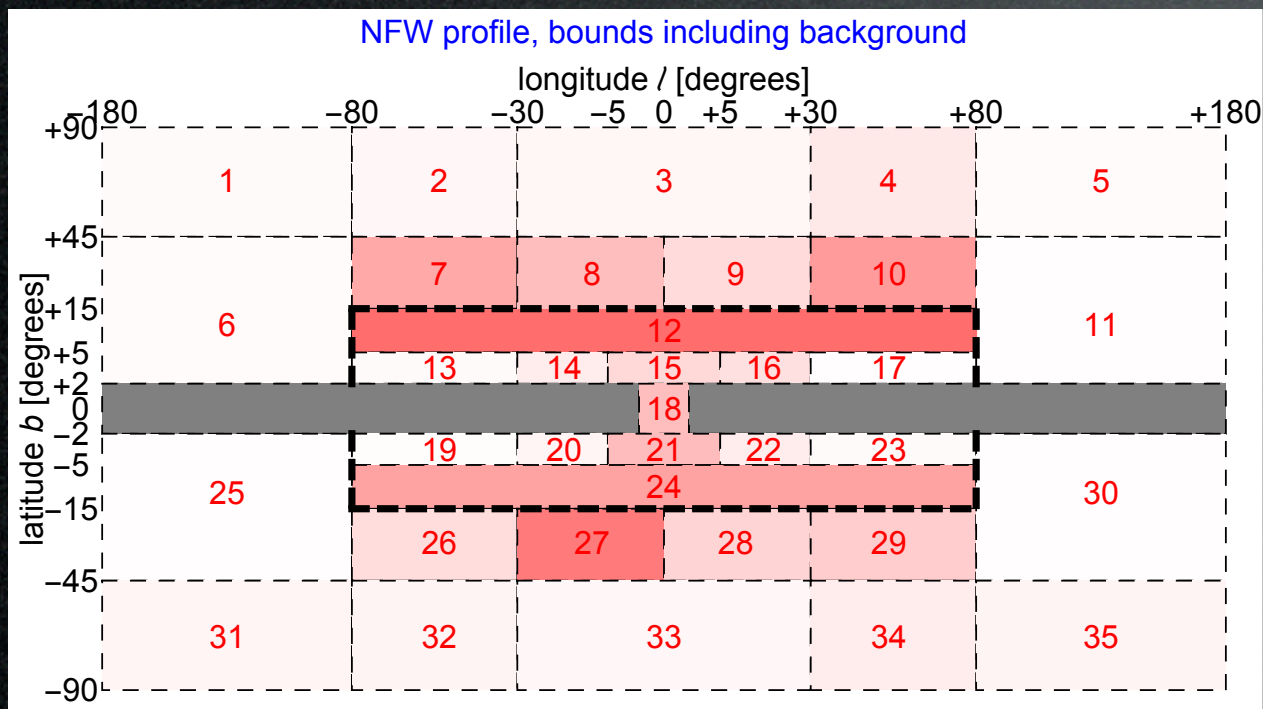
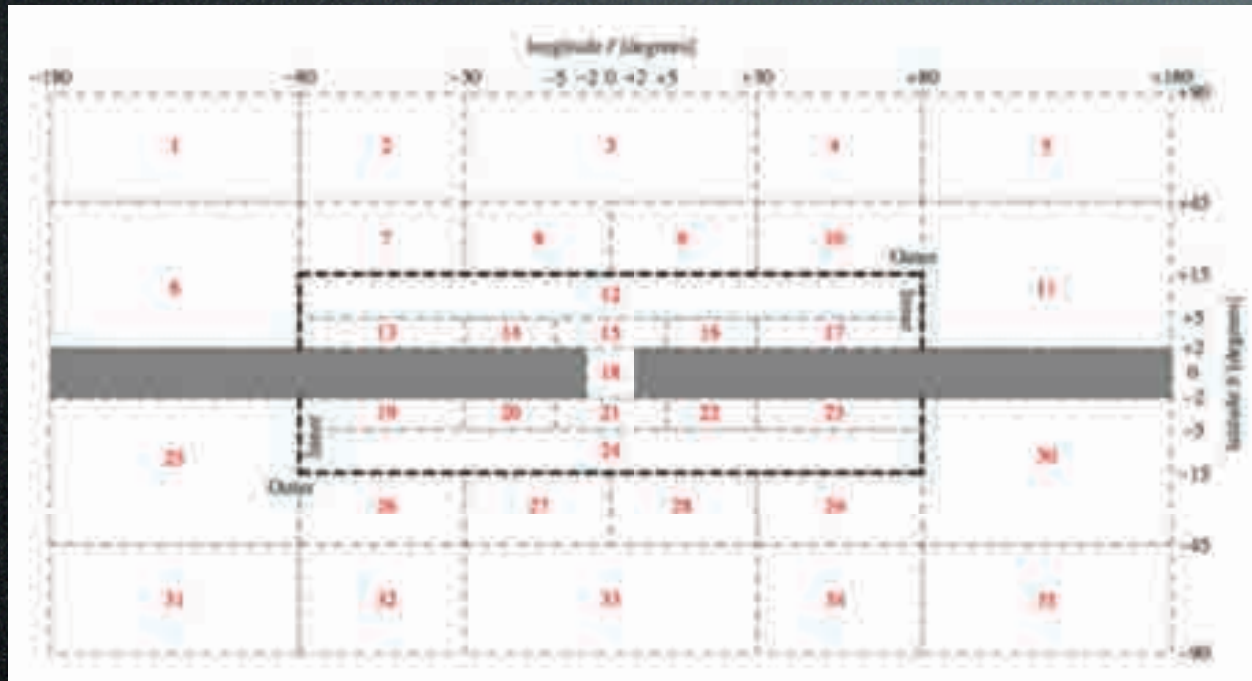
3. Indirect Detection

FERMI diffuse galactic:

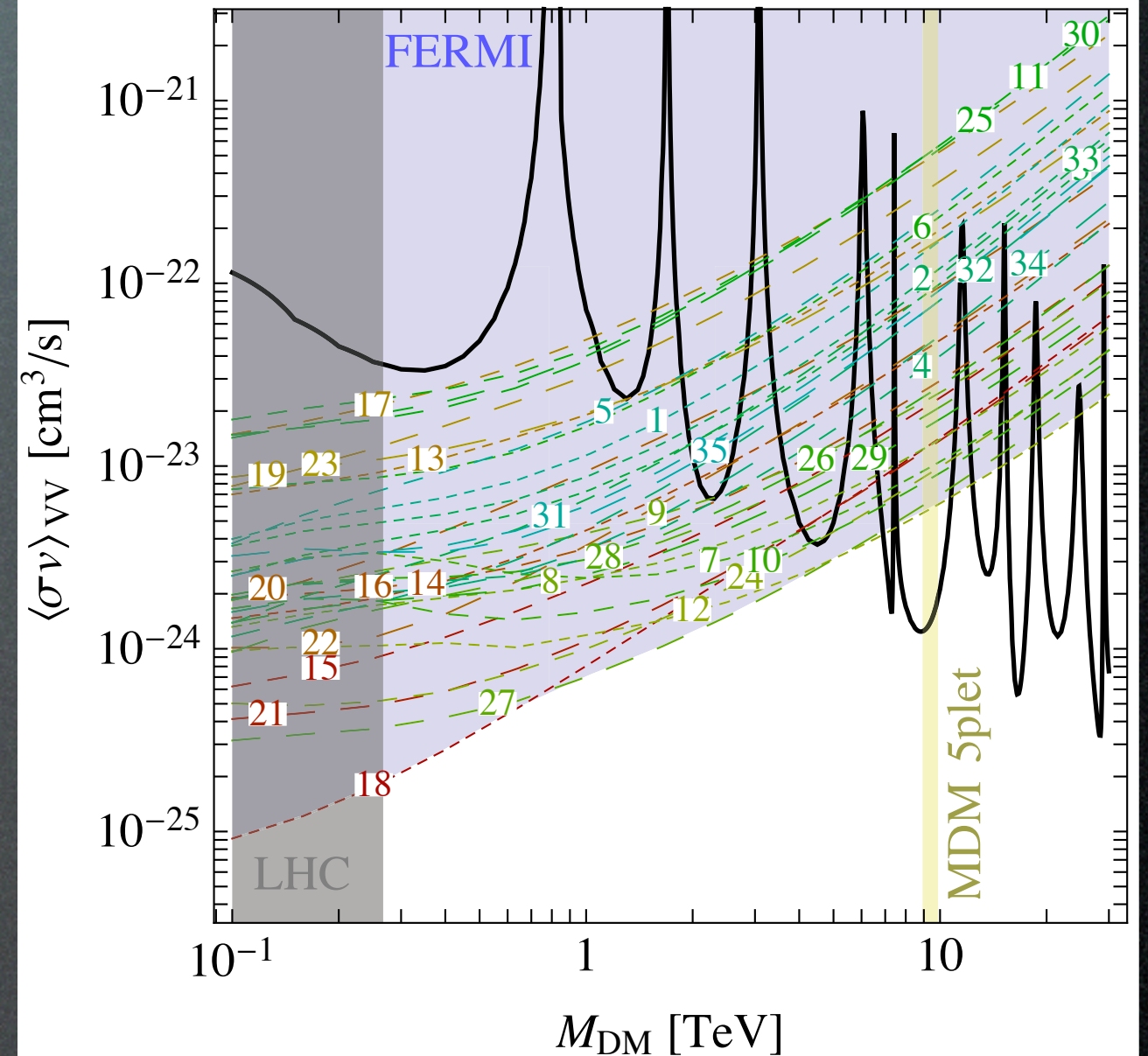


3. Indirect Detection

FERMI diffuse galactic:

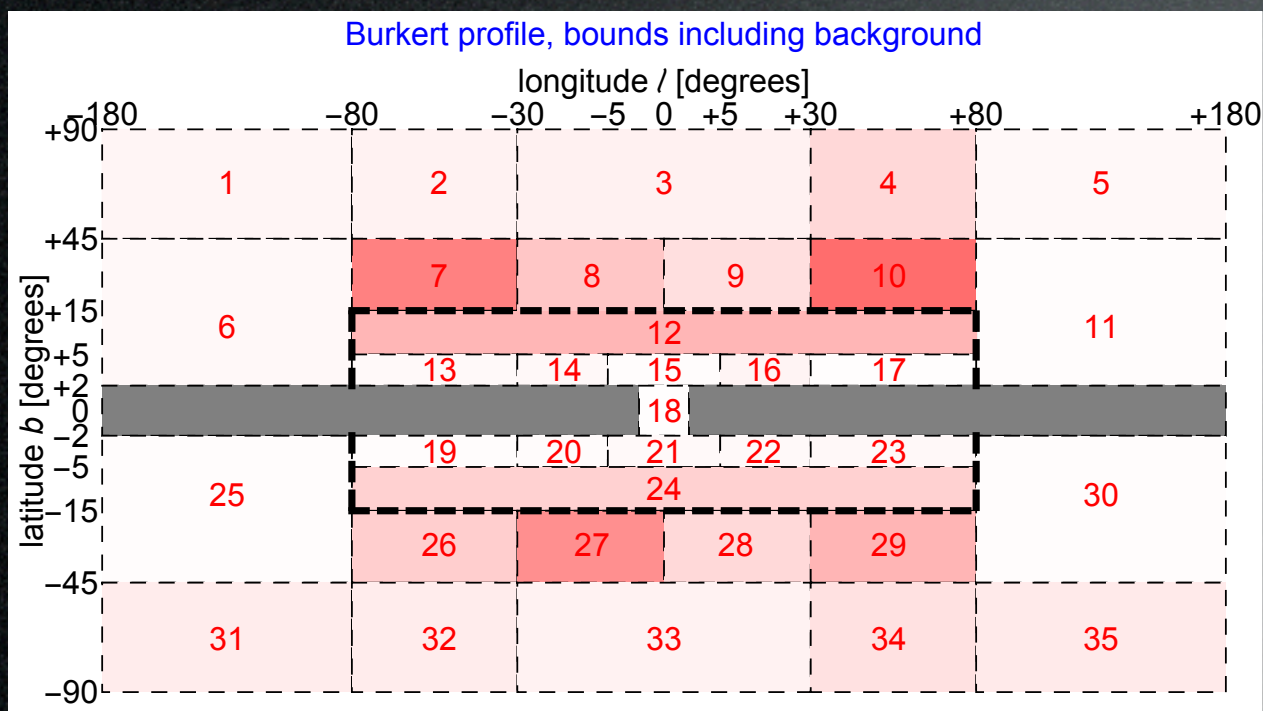
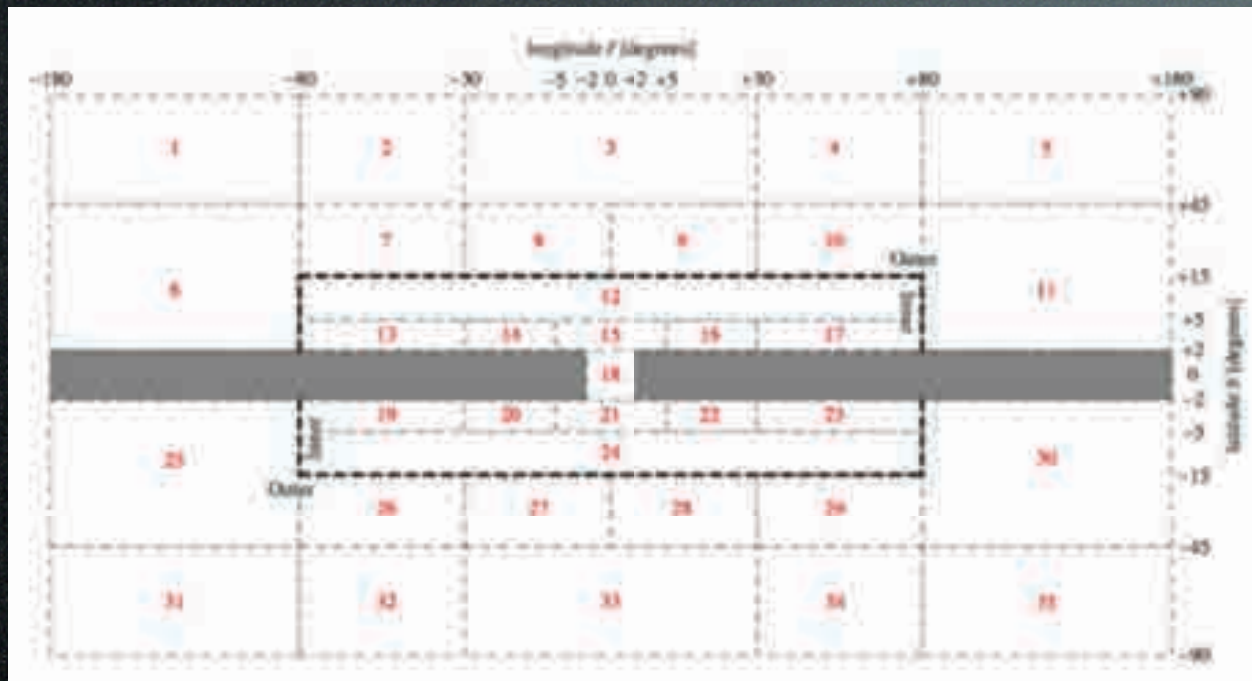


NFW profile, including background

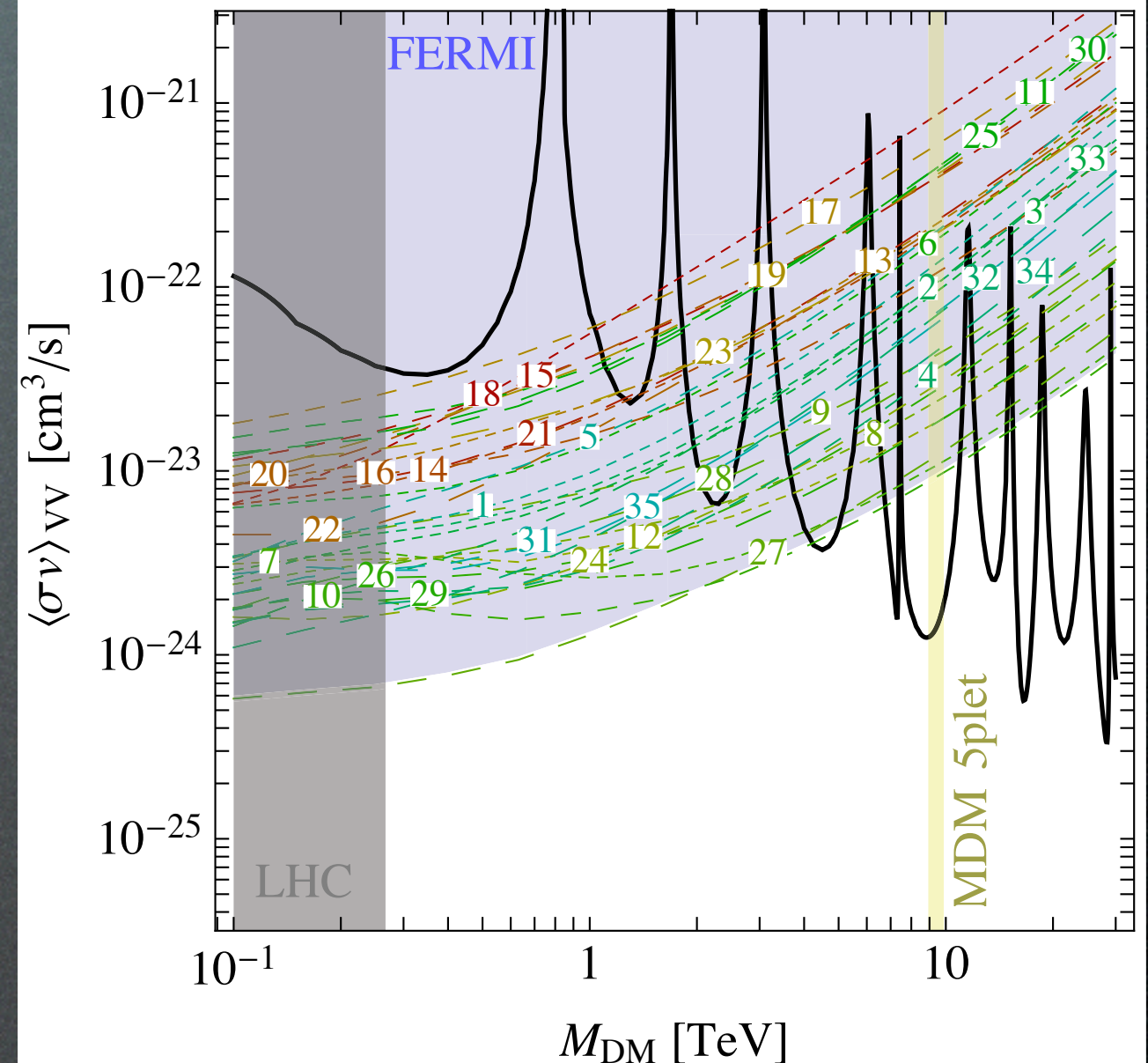


3. Indirect Detection

FERMI diffuse galactic:

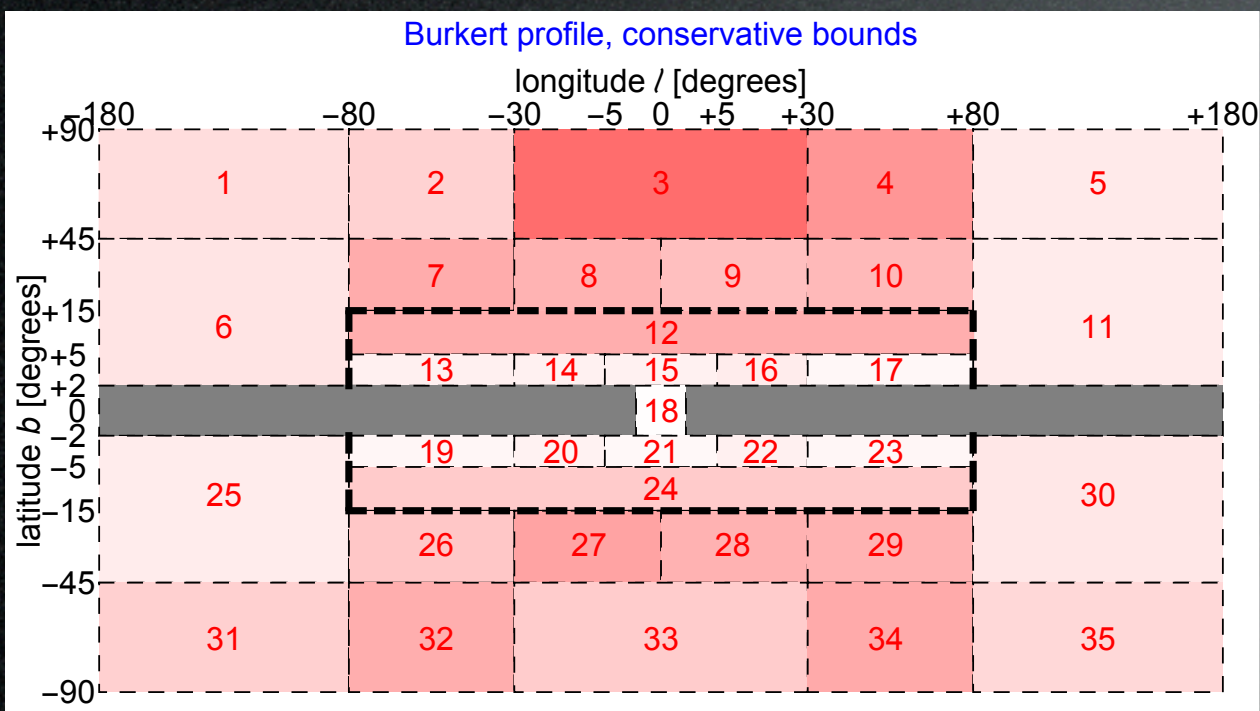
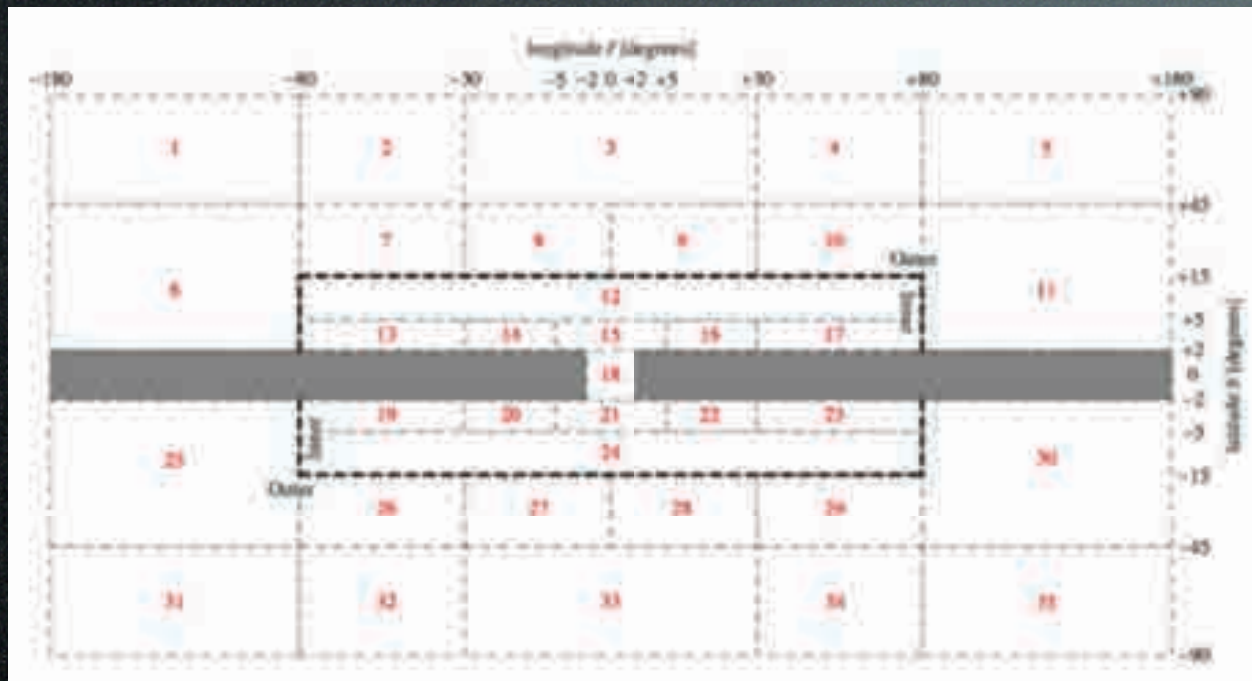


Burkert profile, including background

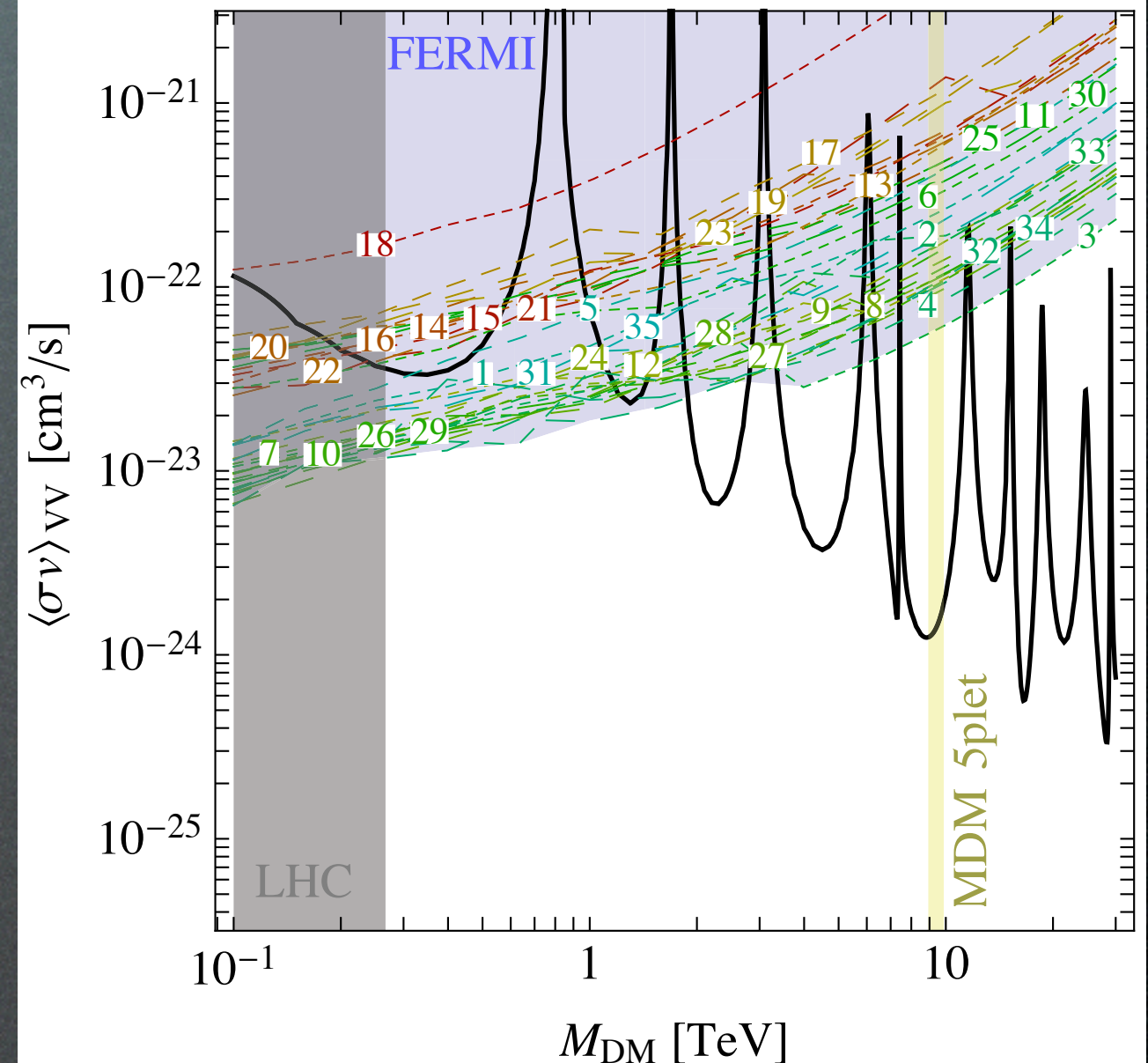


3. Indirect Detection

FERMI diffuse galactic:



Burkert profile, conservative bound



relevant constraints but
MDM 5plet not probed

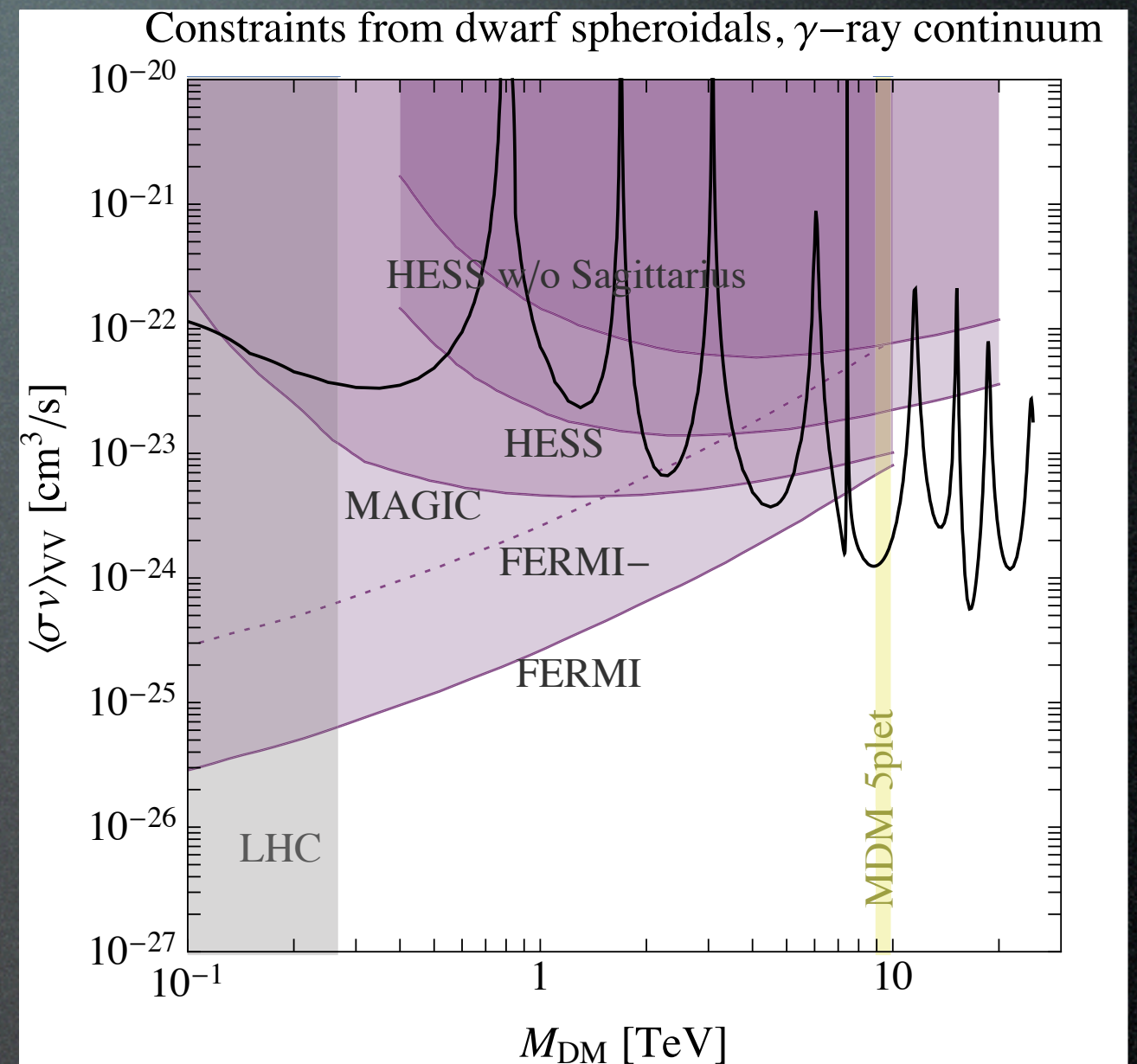
3. Indirect Detection

dSphs galaxies, search for **continuum** γ -rays:

FERMI: 15 dSphs, 6yrs, 'Pass-8' - 1503.02641

HESS: 4 dSphs, incl Sagittarius - 1410.2589

MAGIC: Segue1 - 1312.1535



➡ relevant constraints but
MDM 5plet not probed

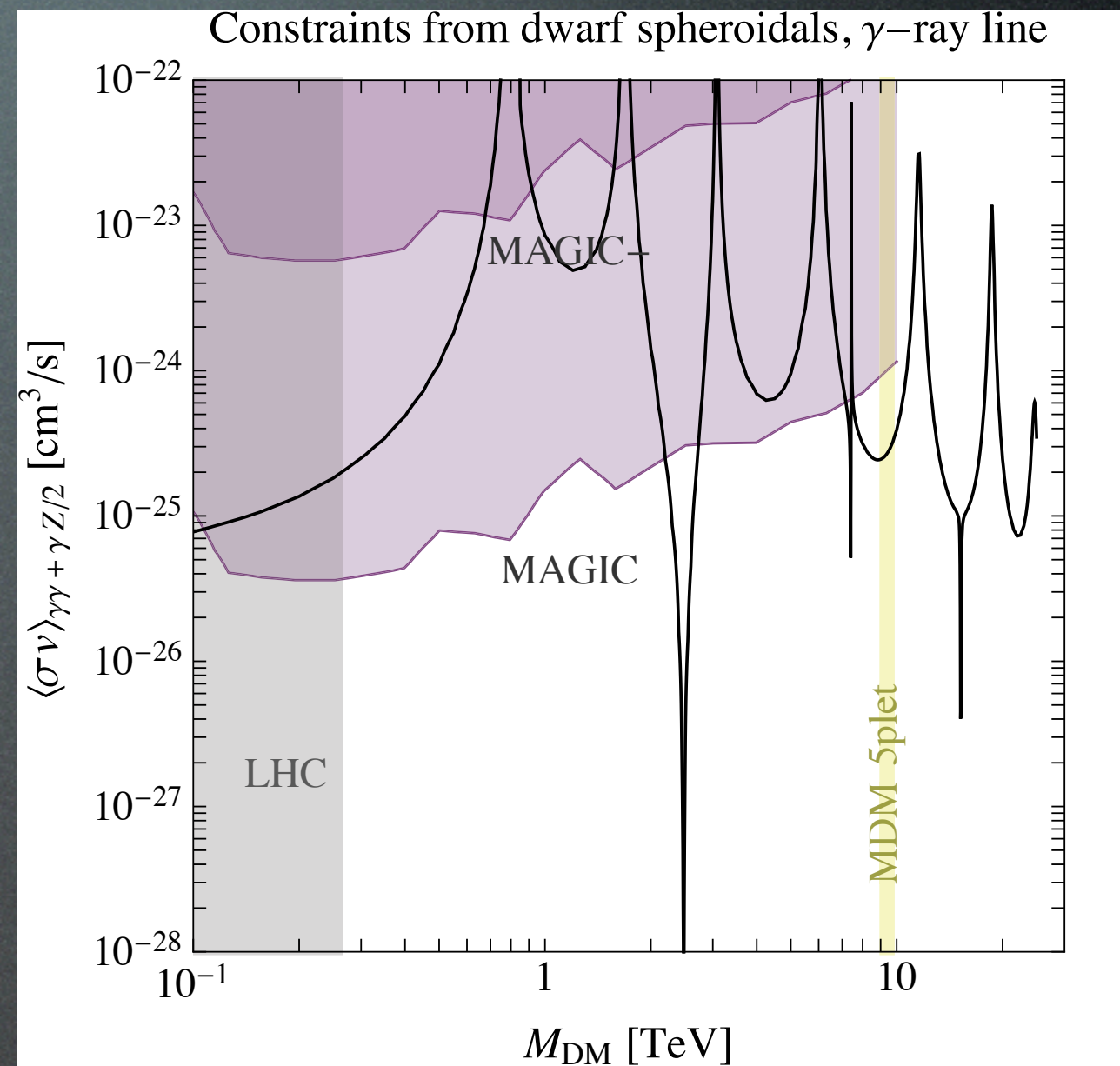
3. Indirect Detection

dSphs galaxies, search for γ -ray lines:

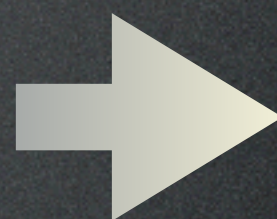
MAGIC: Segue1 - 1312.1535

NB large uncertainties in dSPhs
'J factor', i.e. DM-brightness

e.g. Bonnavard et al., 1504.02048



Cirelli, Hambye, Panci, Sala, Taoso 1507.05519



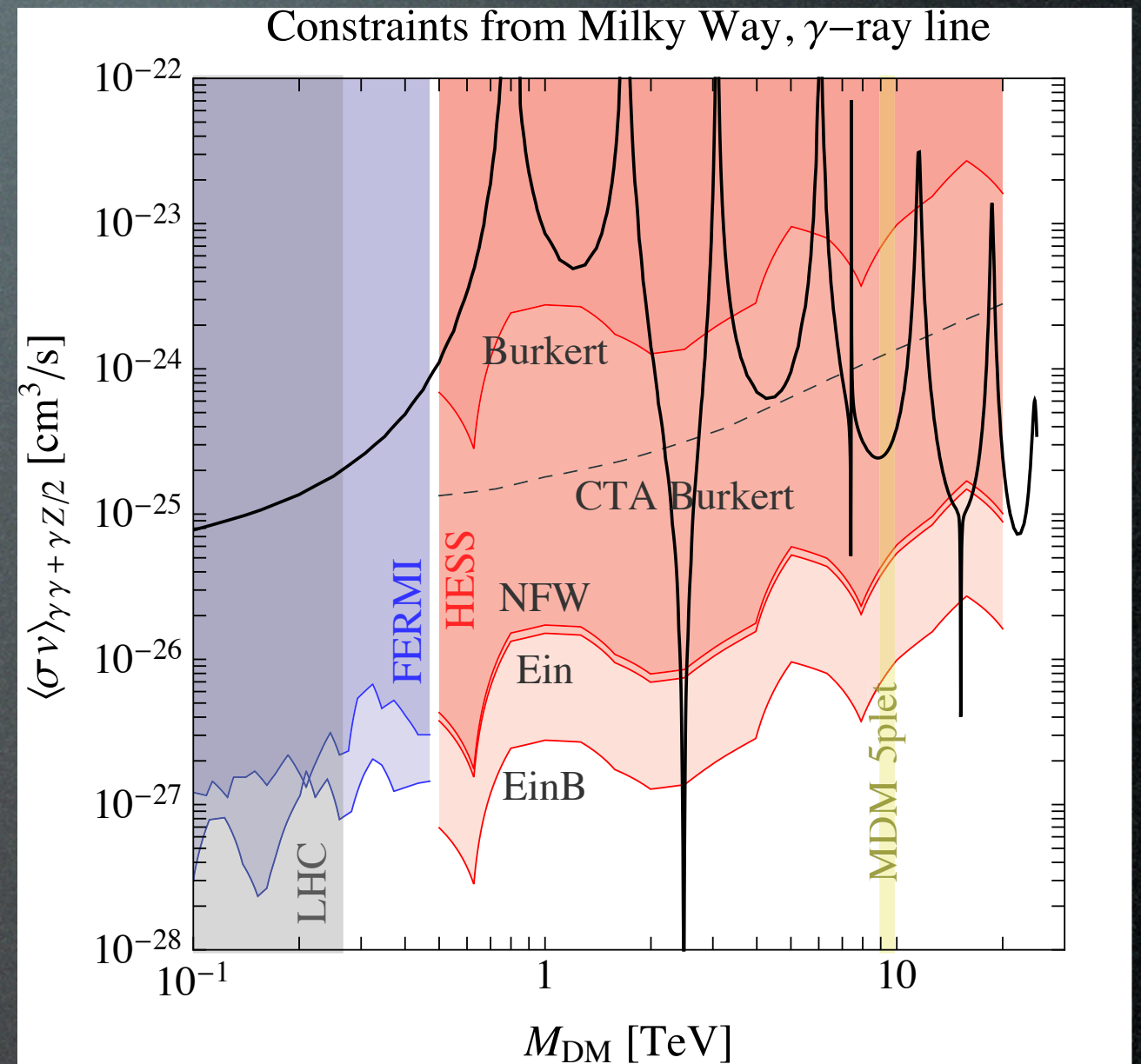
relevant constraints but
MDM 5plet not probed

3. Indirect Detection

MW center area, search for γ -ray lines:

FERMI: 1506.00013

HESS: 1301.1173



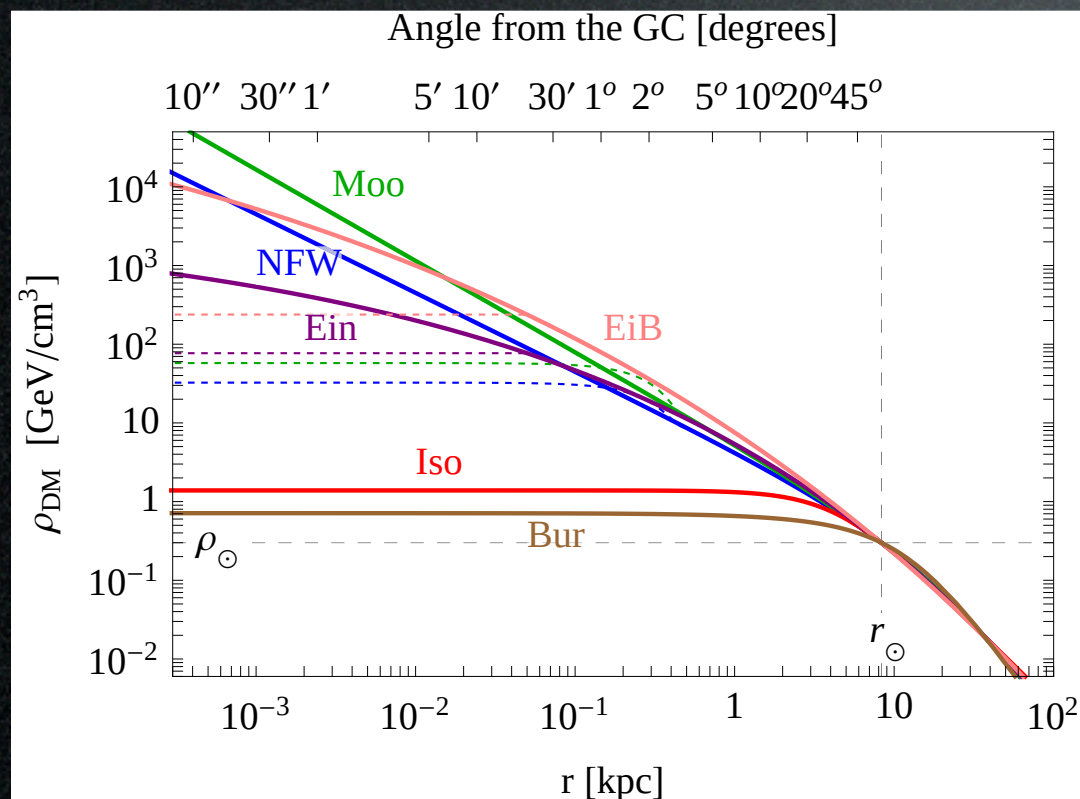
3. Indirect Detection

MW center area, search for γ -ray lines:

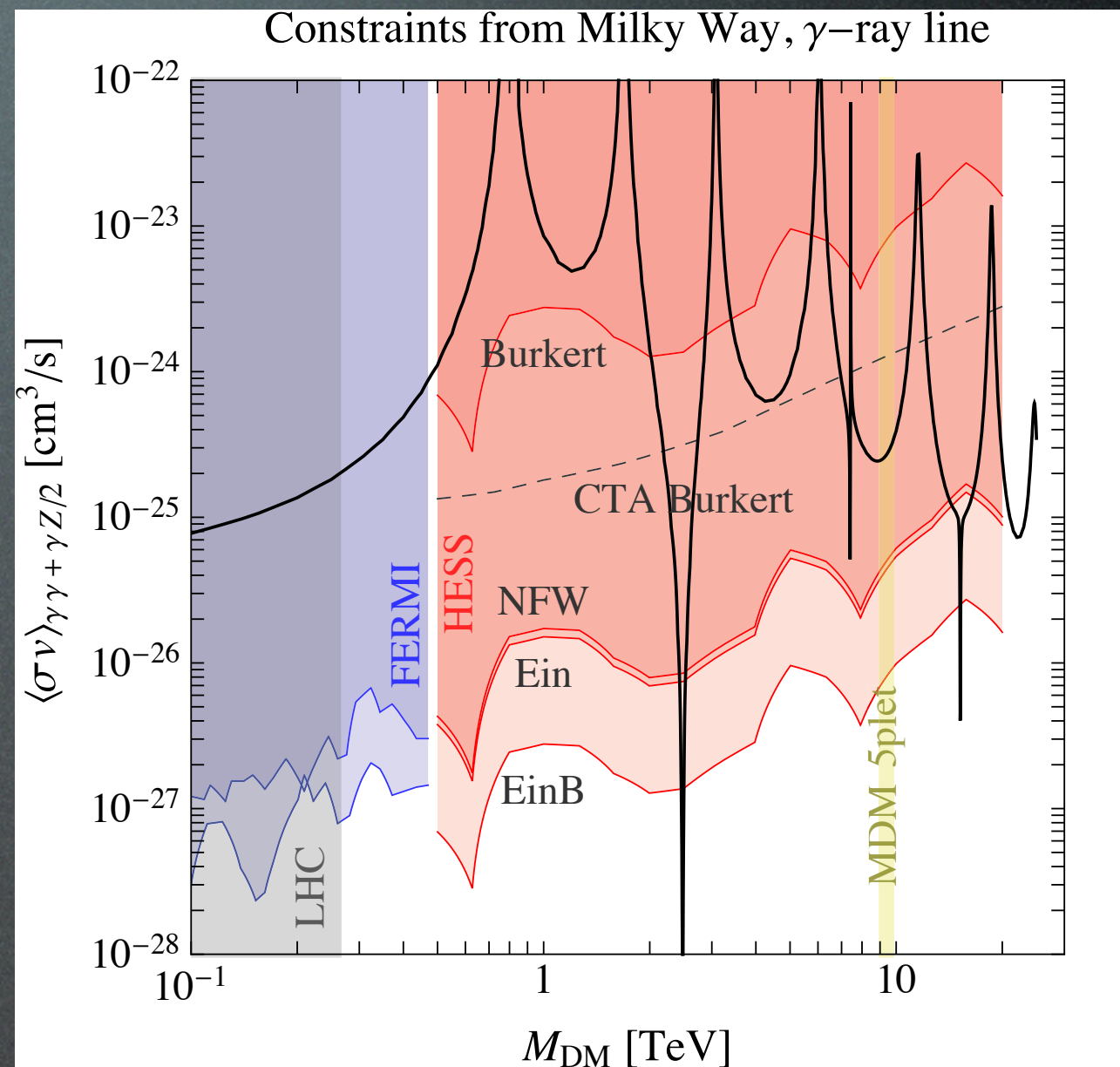
FERMI: 1506.00013

HESS: 1301.1173

Uncertainties in DM profile:



e.g. Cirelli et al., 1012.4515



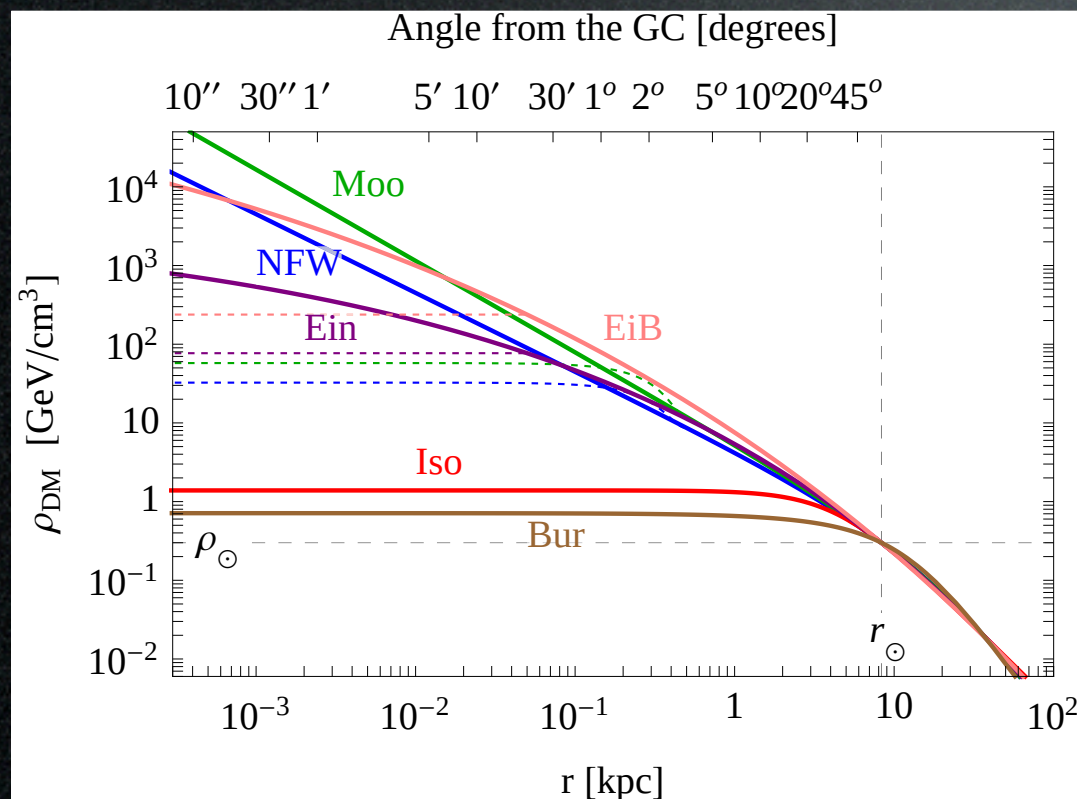
3. Indirect Detection

MW center area, search for γ -ray lines:

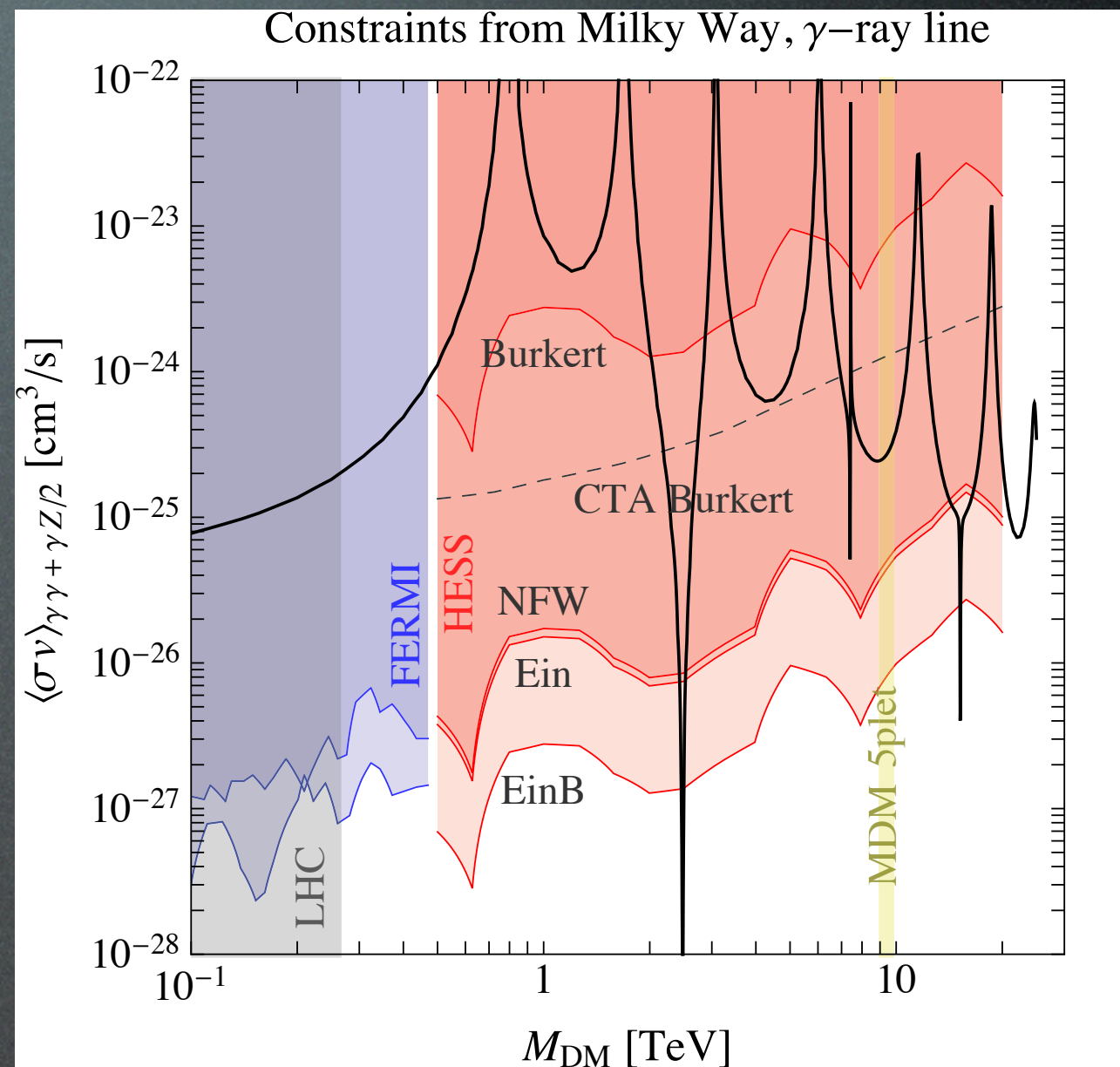
FERMI: 1506.00013

HESS: 1301.1173

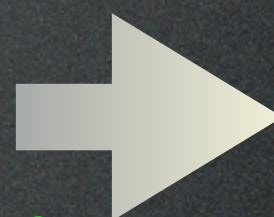
Uncertainties in DM profile:



e.g. Cirelli et al., 1012.4515



Cirelli, Hambye, Panci, Sala, Taoso 1507.05519



MDM **excluded** if cuspy

MDM **not probed** if cored

Consistent conclusions in: Garcia-Cely et al. 1507.05536

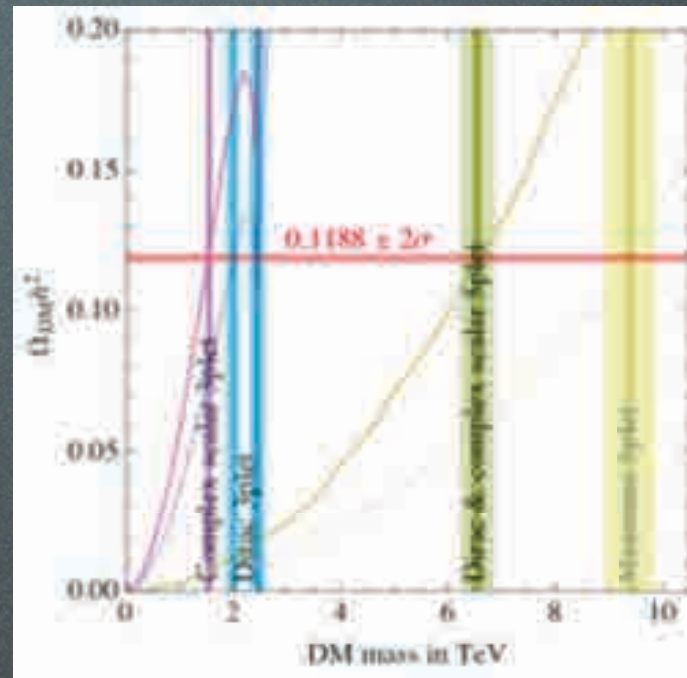
Bonus track

Some interesting recent extensions:

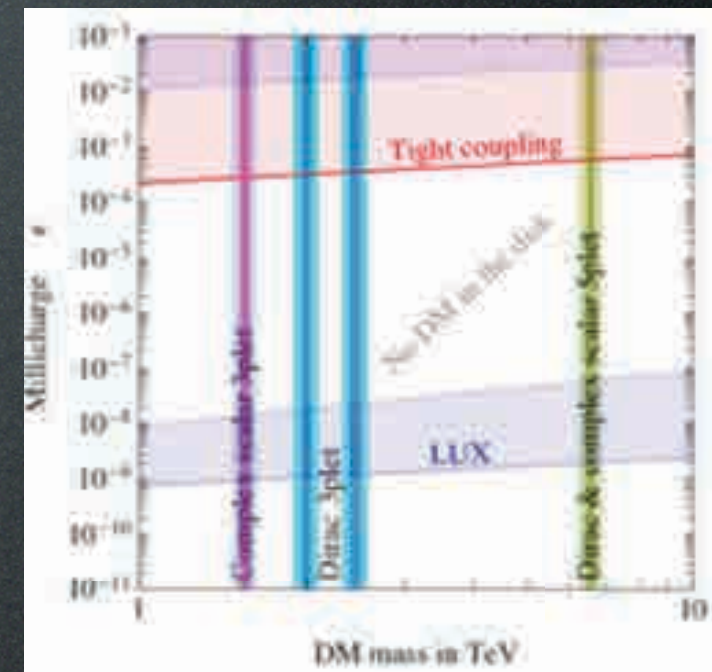
- millicharged MDM

Del Nobile, Nardecchia, Panci 1512.05353

- assume $Y = \varepsilon \neq 0$,
- > implies stability
- > for suitable ε , no DD



relic abundance



constraints

- decaying MDM, if $\Lambda < M_{\text{Planck}}$

Del Nobile, Nardecchia, Panci 1512.05353

- > observable consequences in gamma rays

- 'natural' MDM

Fabbrichesi,
Urbano
1510.03861

MDM induces (at 2-loops) m_h corrections => small hierarchy prob

-> supersymmetrize it!:

- fermion/boson cancellations restore naturalness
- stability preserved by SuSy

Bonus track

Some interesting recent extensions:

- asymmetric MDM

Boucenna, Krauss, Nardi 1503.01119

- MDM and vacuum stability

Cai, Ramsey-Musolf et al., 1108.0969

Cai et al., 1508.04034

- non-thermally produced MDM

Aoki, Toma, Vicente 1507.01591

Conclusions

The DM problem requires physics beyond the SM.

Introducing the minimal amount of it,
we find one fully successful DM candidate:
massive, neutral, *automatically* stable.

fermionic $SU(2)_L$ quintuplet with $Y = 0$,
mass = 9.4 TeV

Its phenomenology is precisely computable:

- too heavy to be produced at LHC,
- challenging in next gen direct detection exp's,
- tested by indirect detection (γ ray) exp's:
 - excluded if cuspy
 - not probed if cored

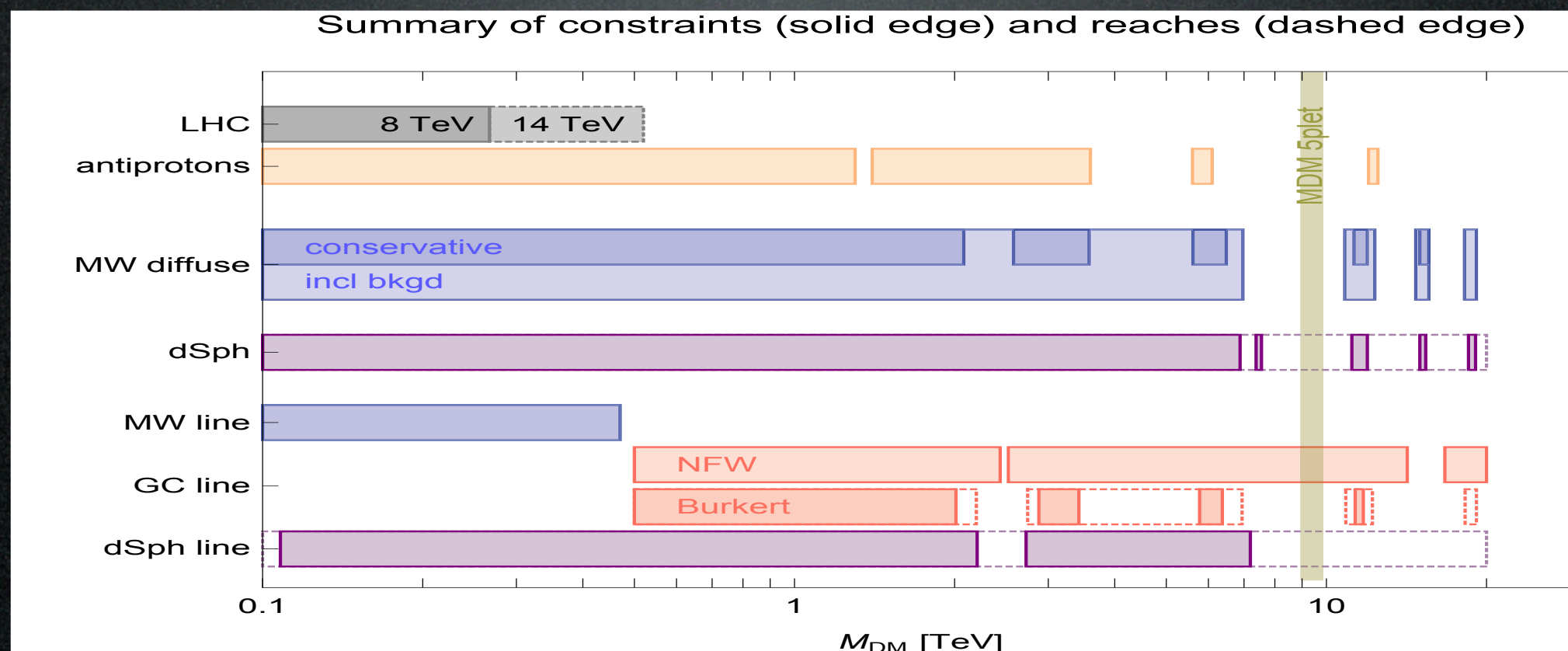
(Other candidates have different properties.)

Conclusions

The DM problem requires physics beyond the SM.

Introducing the **minimal** amount of it,
we find one fully successful DM candidate:
massive, neutral, *automatically* stable.

fermionic $SU(2)_L$ quintuplet with $Y = 0$,
mass = 9.4 TeV



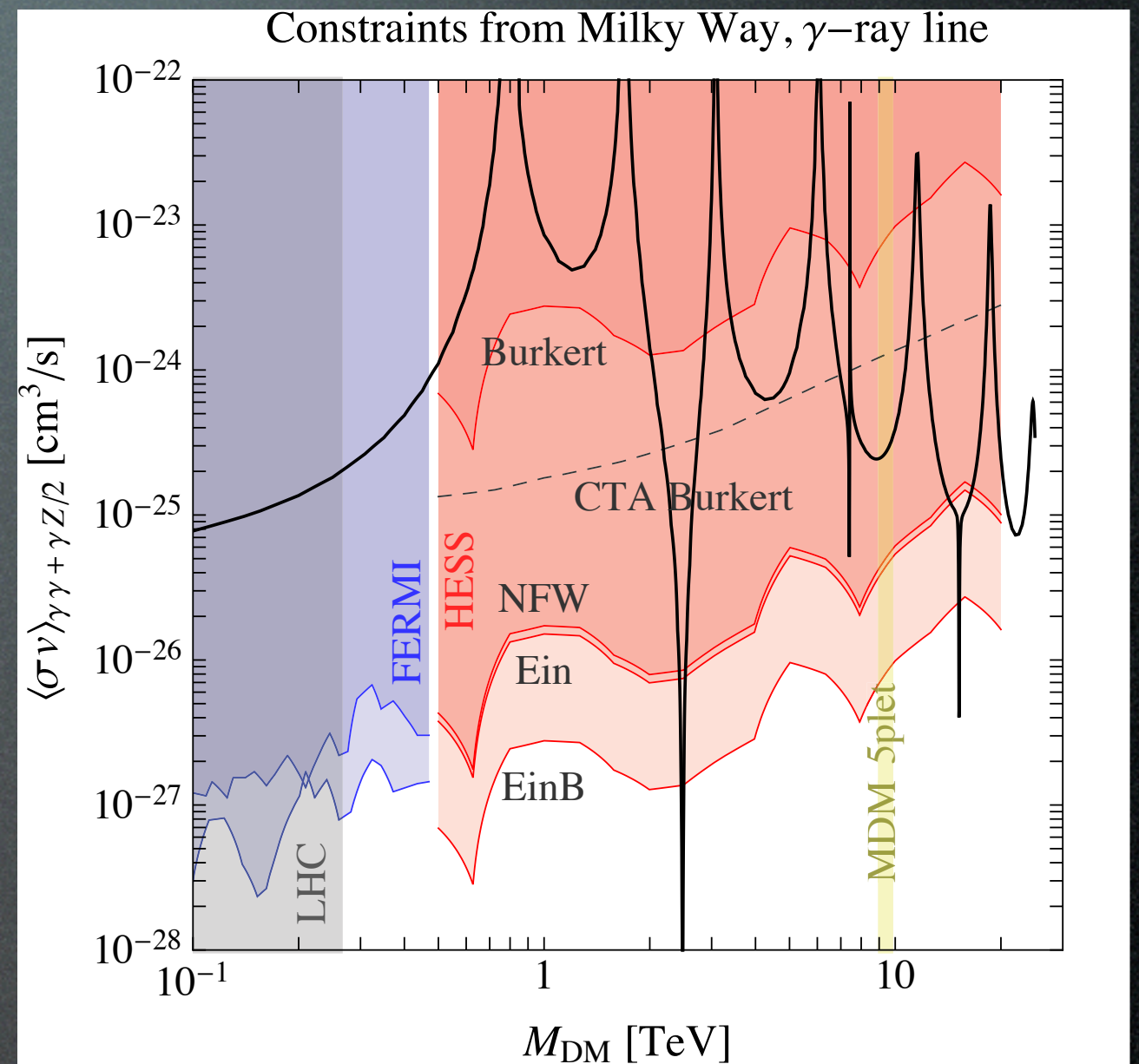
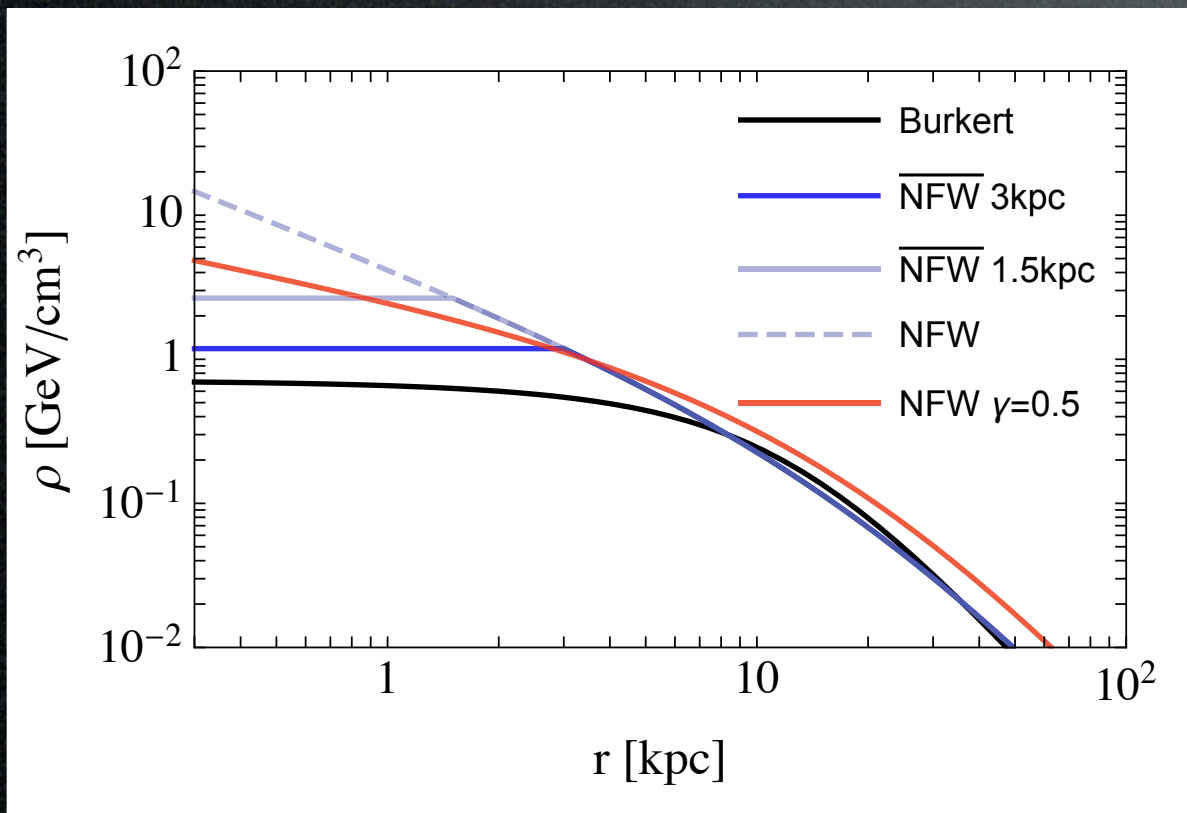
**Back-up
slides**

3. Indirect Detection

MW center area, search for γ -ray lines:

Simulations and observations
do not resolve $\lesssim 2$ kpc

Uncertainties in DM profile:

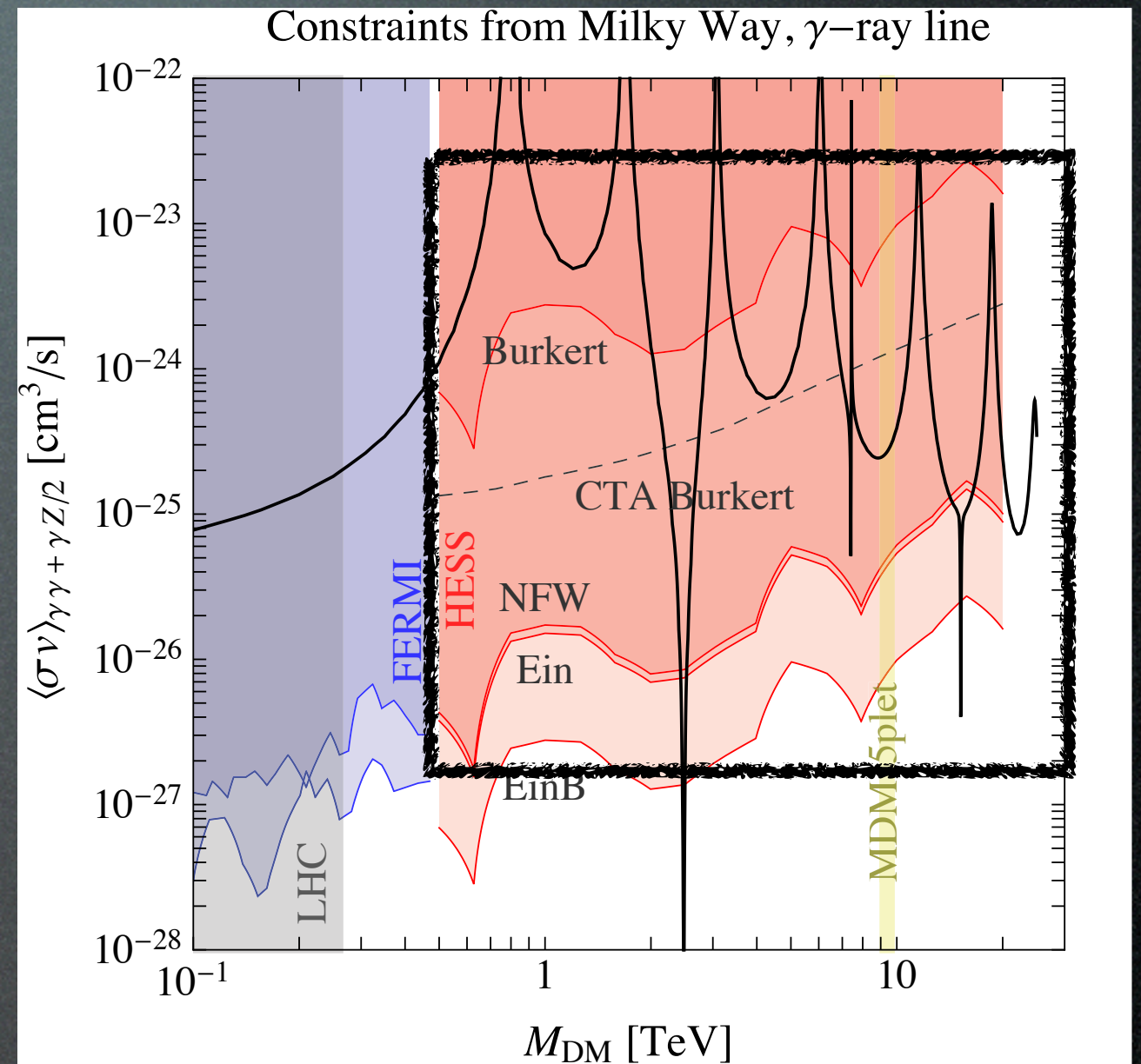
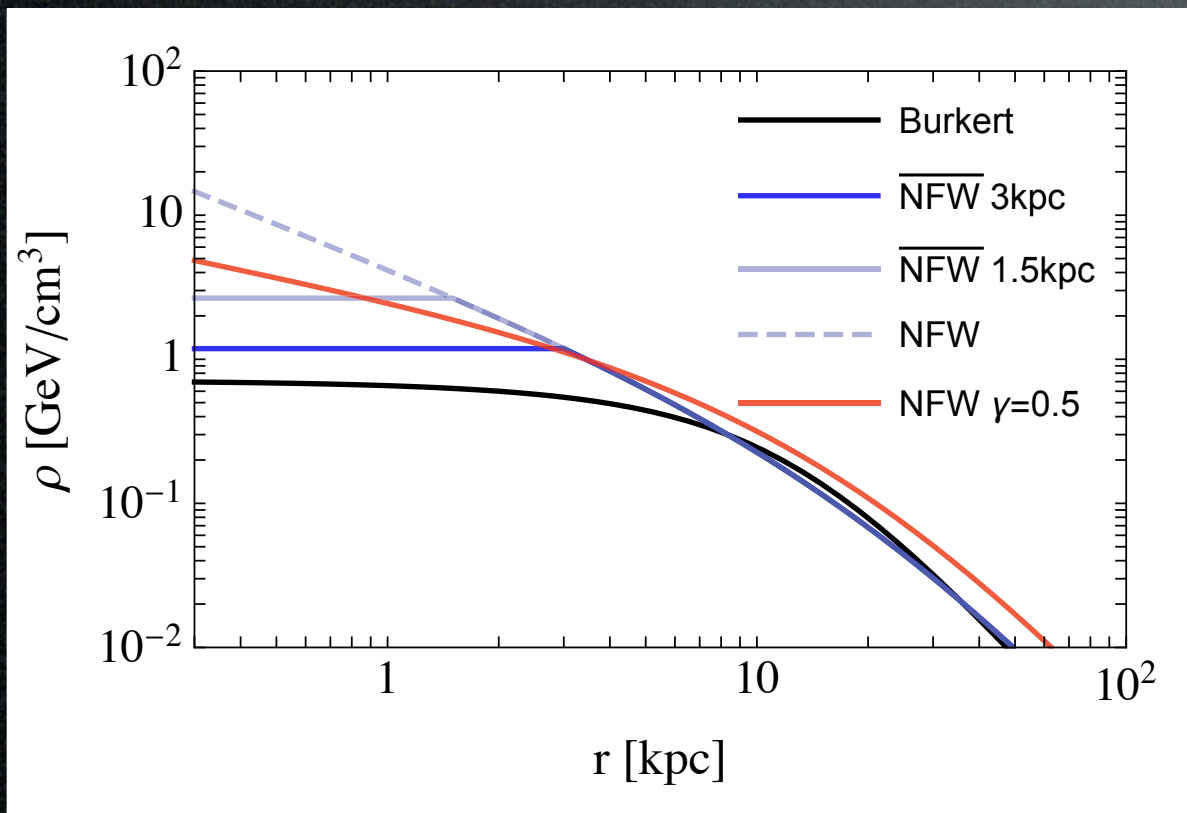


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Uncertainties in DM profile:

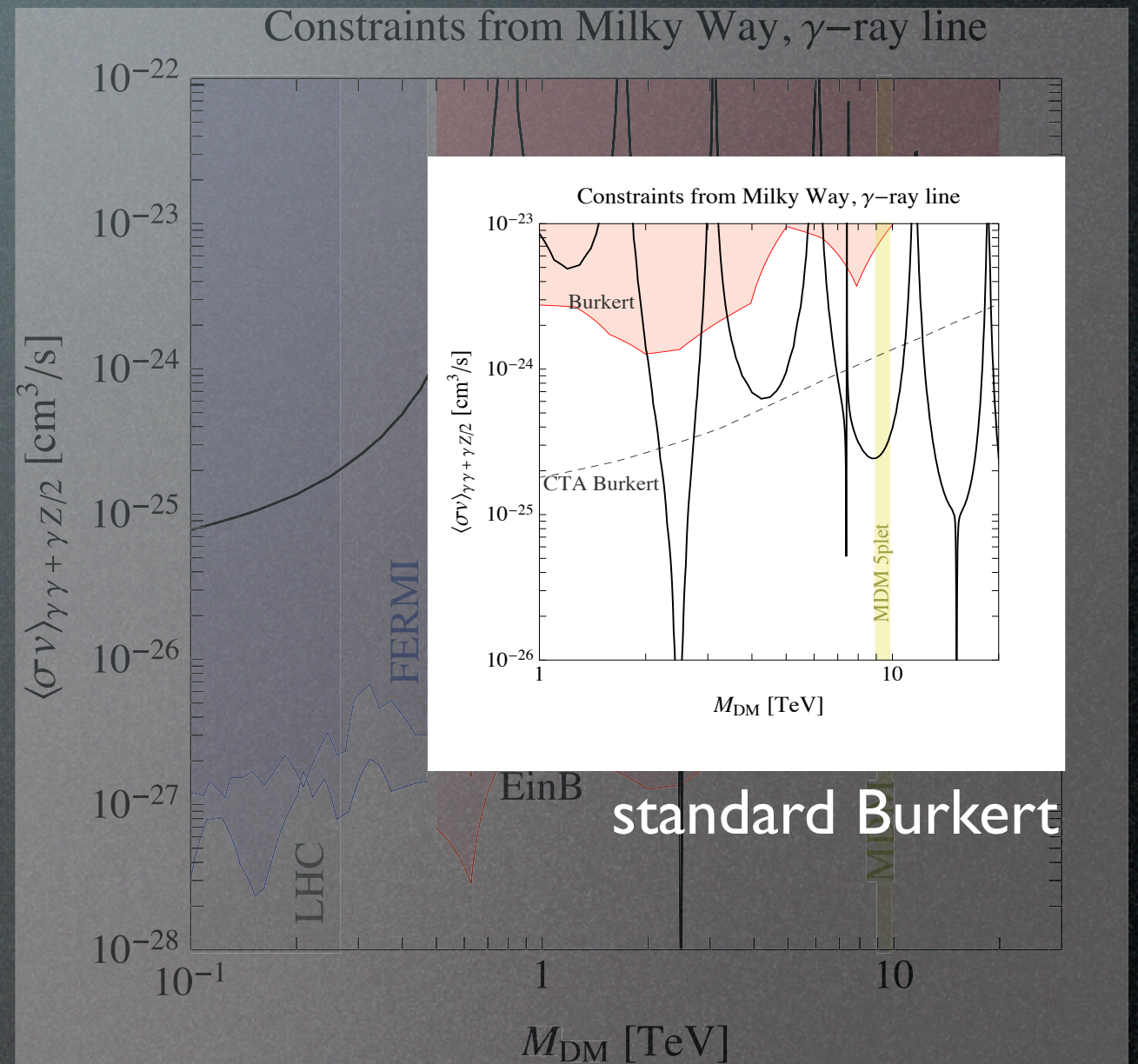
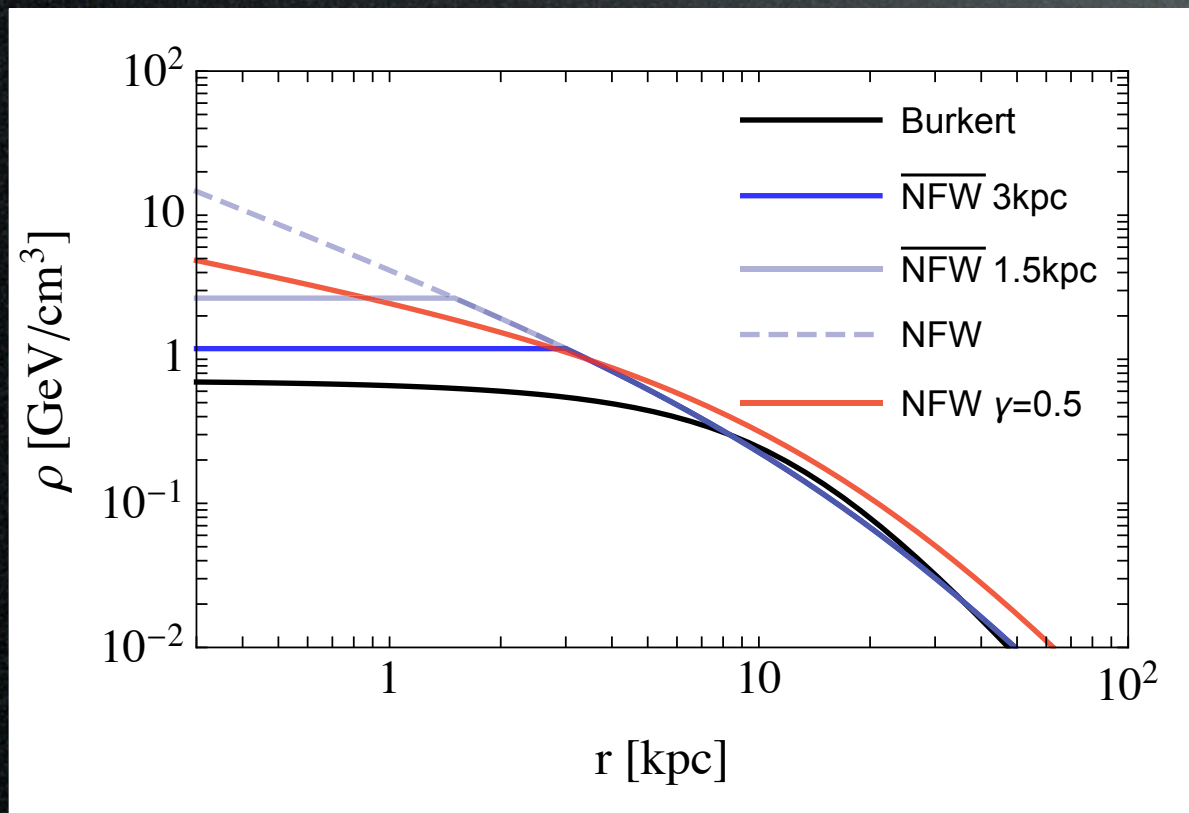


3. Indirect Detection

MW center area, search for γ -ray lines:

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Uncertainties in DM profile:

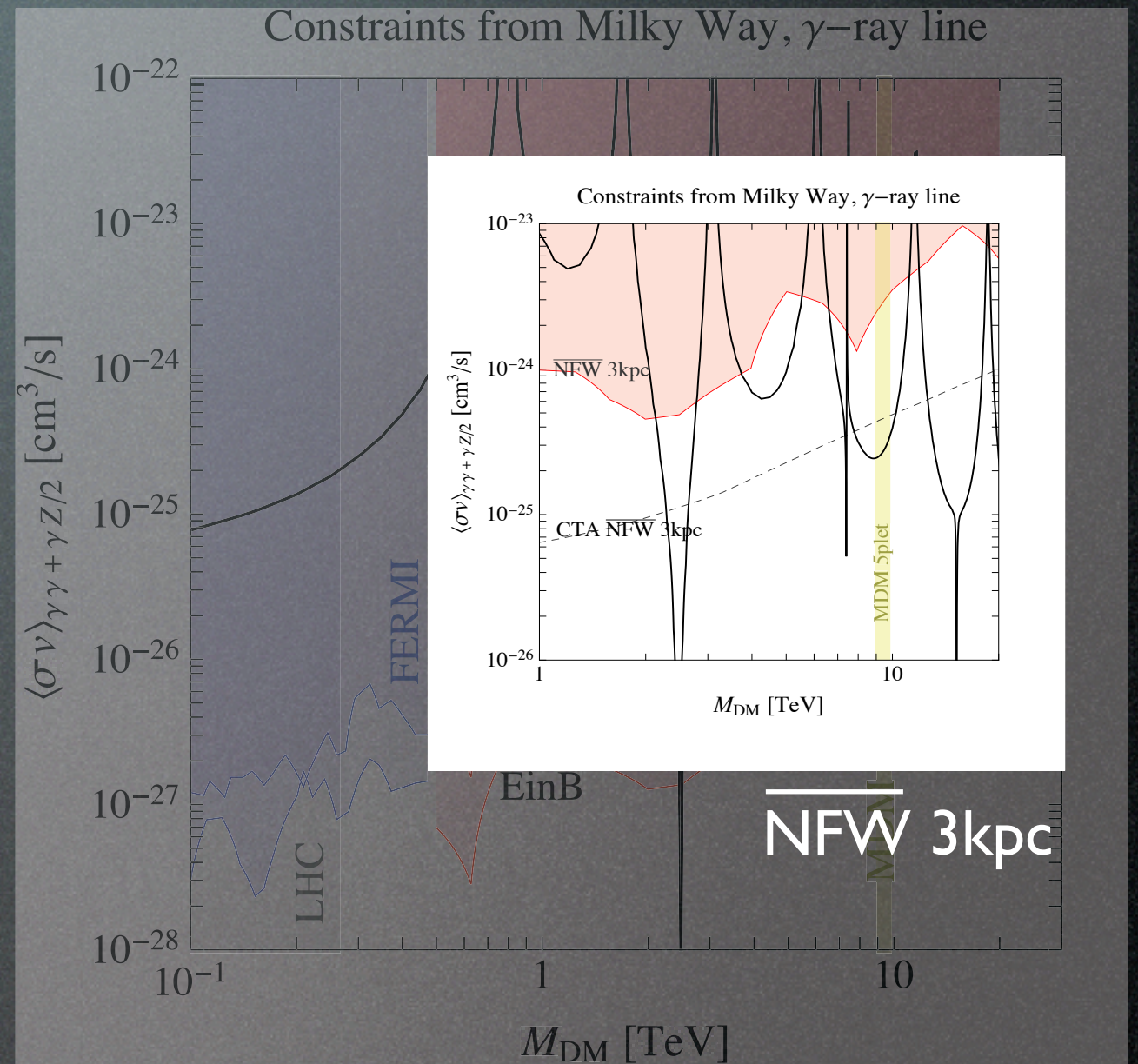
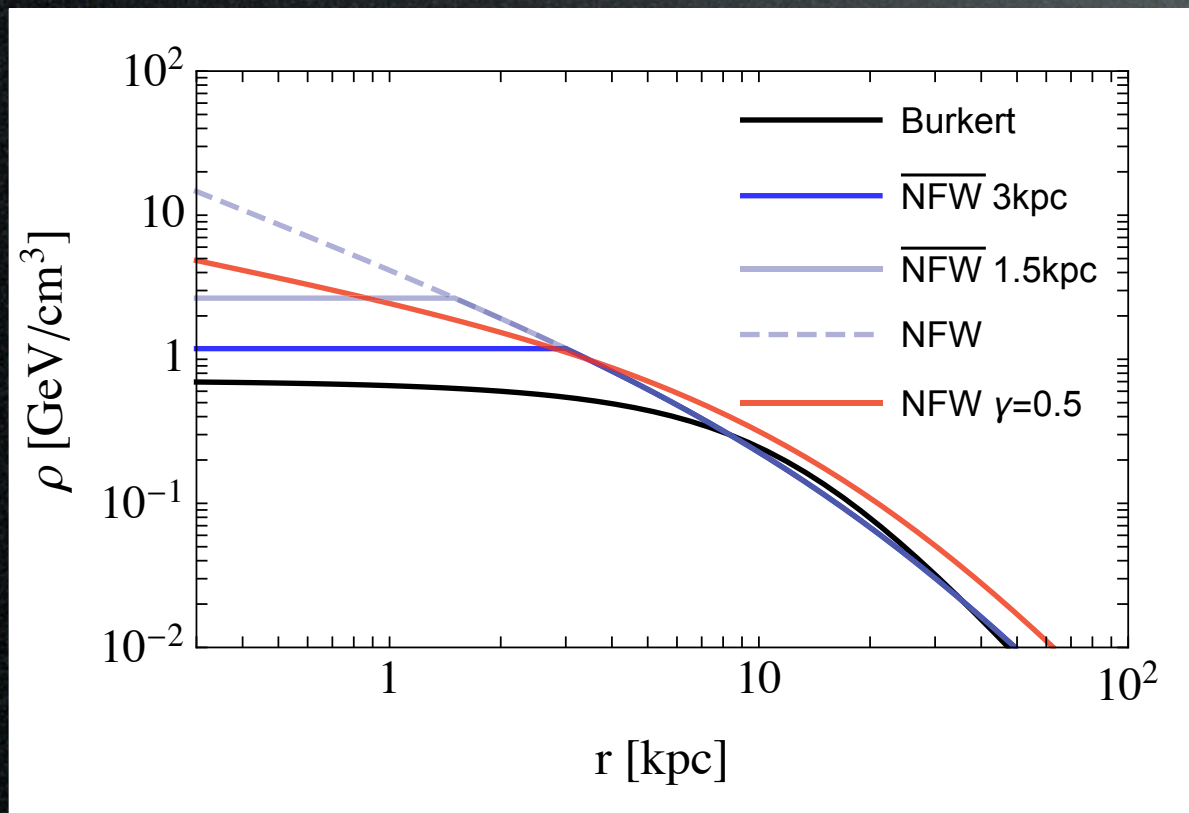


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Uncertainties in DM profile:

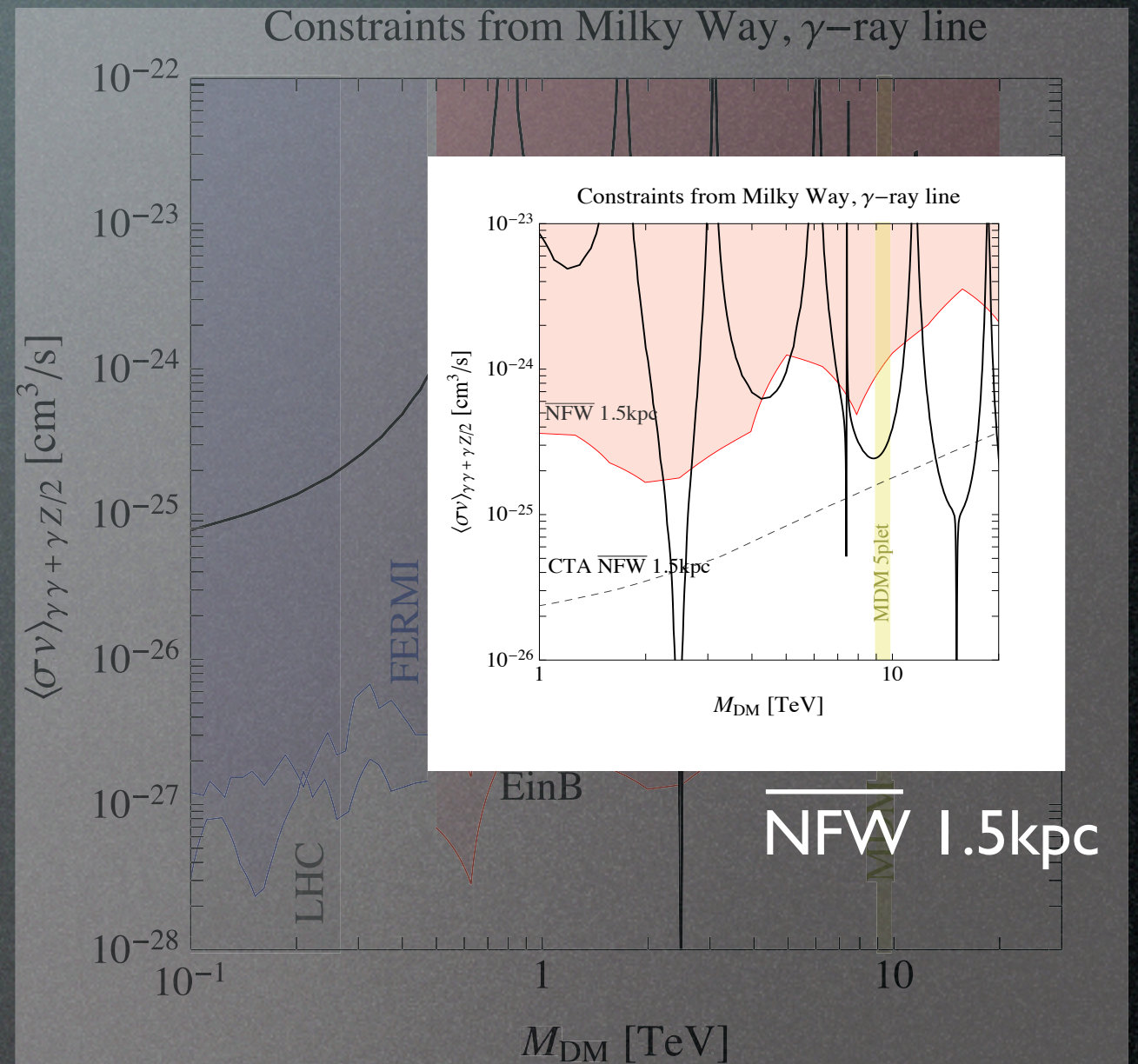
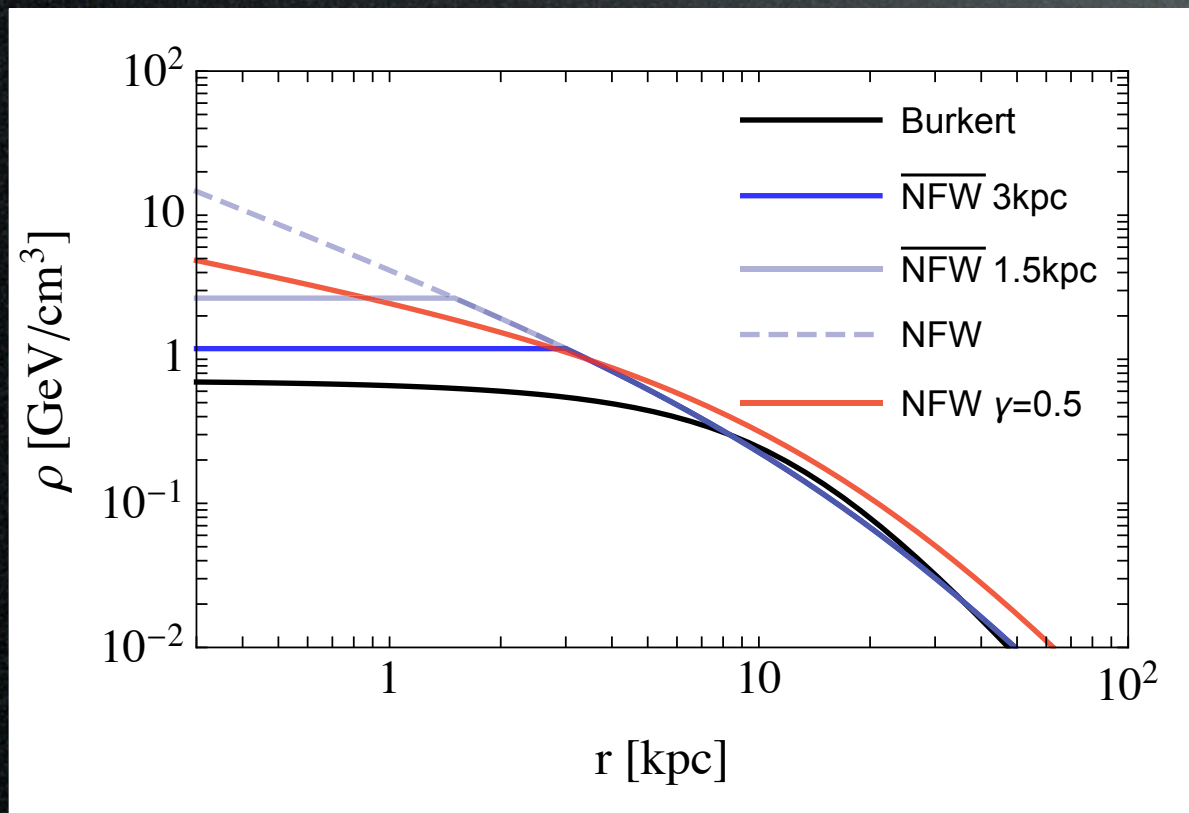


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Uncertainties in DM profile:

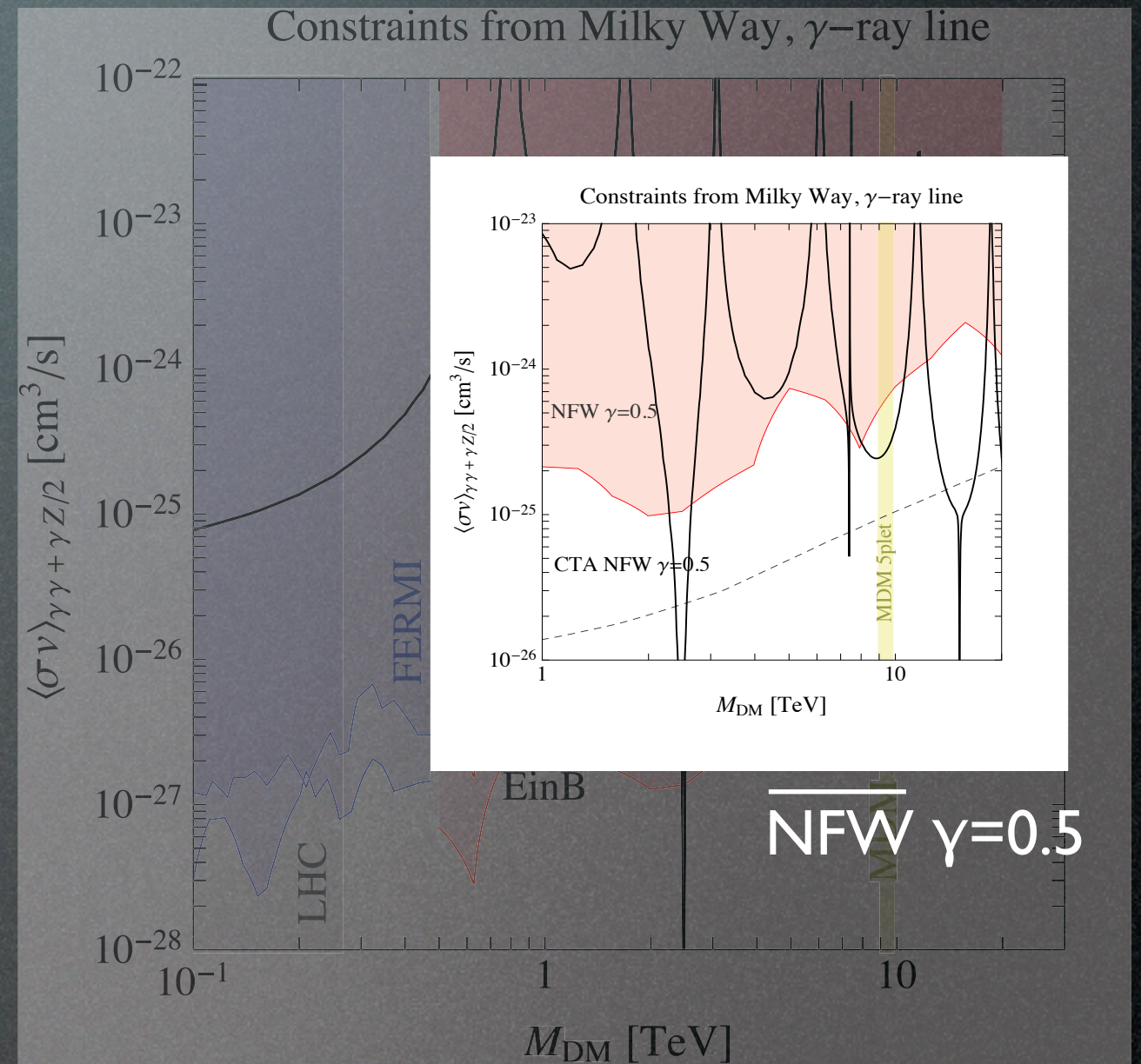
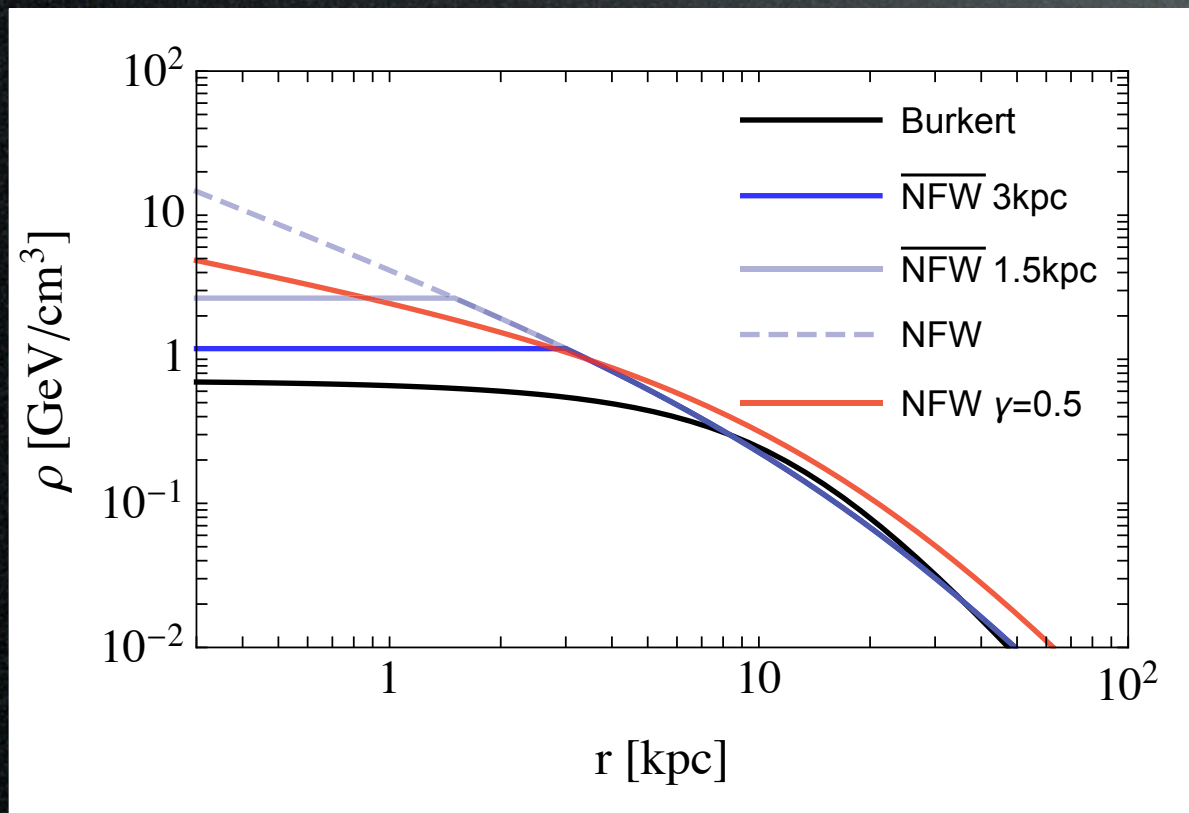


3. Indirect Detection

MW center area, search for γ -ray lines:

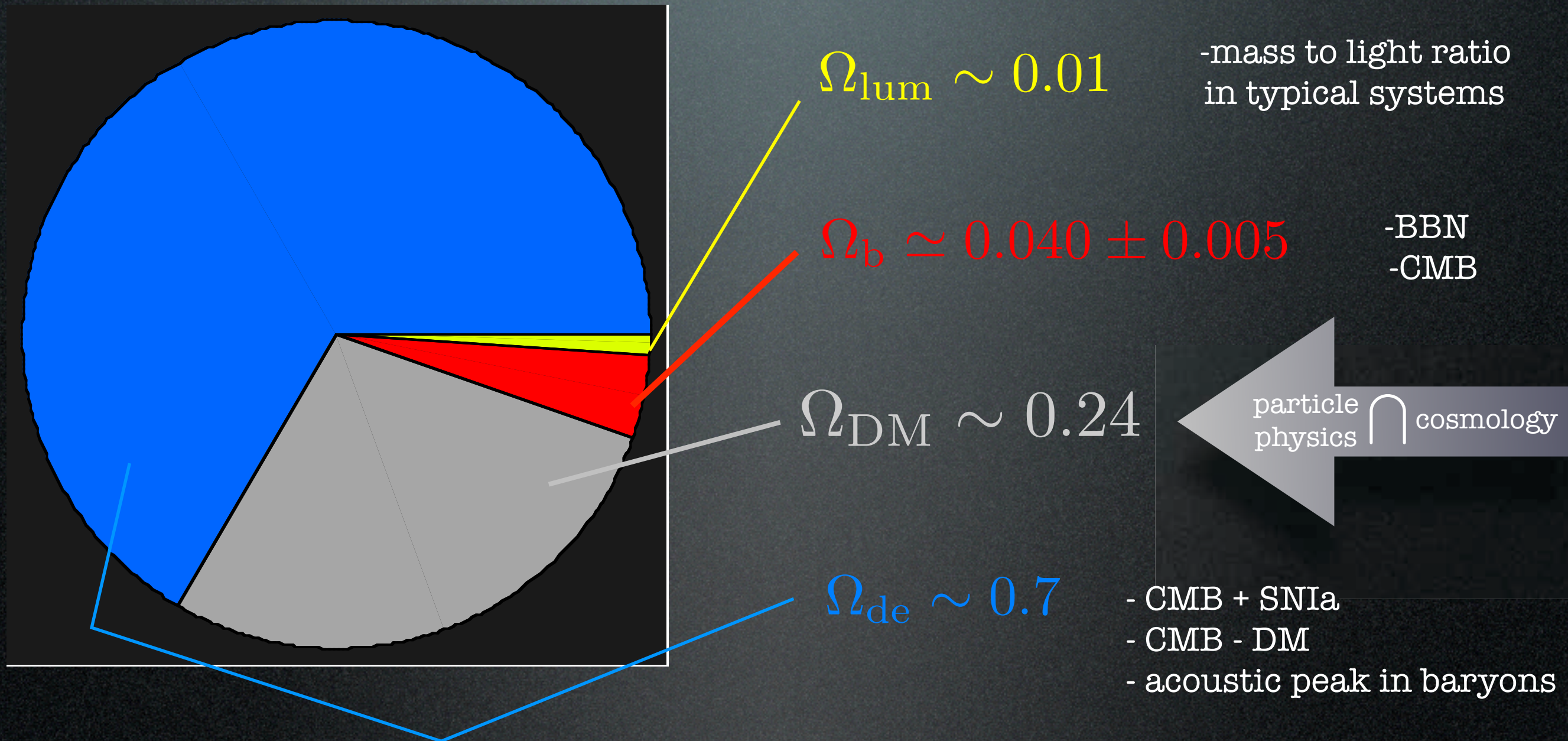
Simulations and observations do not resolve $\lesssim 2$ kpc

Uncertainties in DM profile:



The cosmic inventory

Most of the Universe is Dark



$\left(\Omega_x = \frac{\rho_x}{\rho_c}; \text{CMB first peak} \Rightarrow \Omega_{tot} = 1 \text{ (flat)}; \right.$
 $\left. \text{HST } h = 0.71 \pm 0.07 \right)$

The Evidence for DM

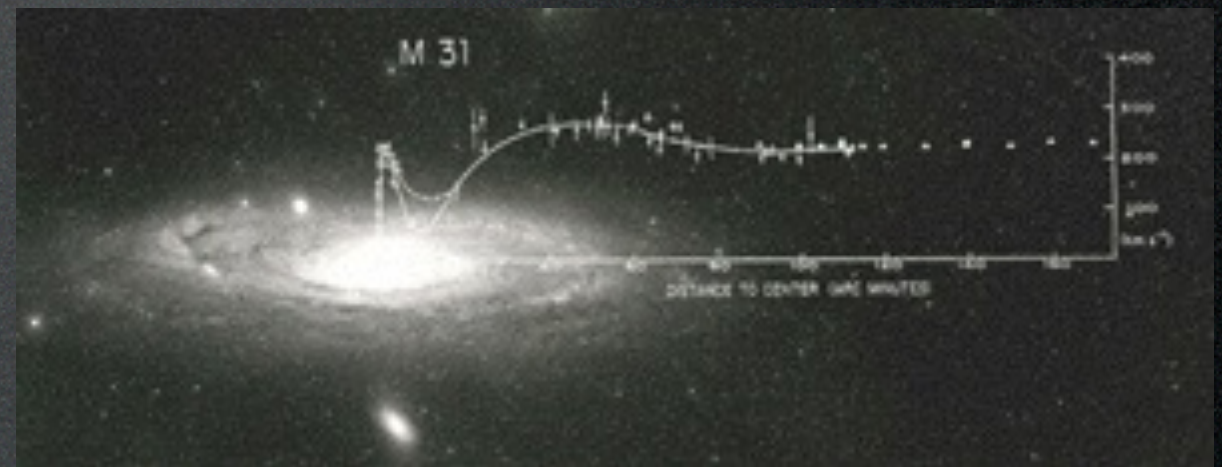
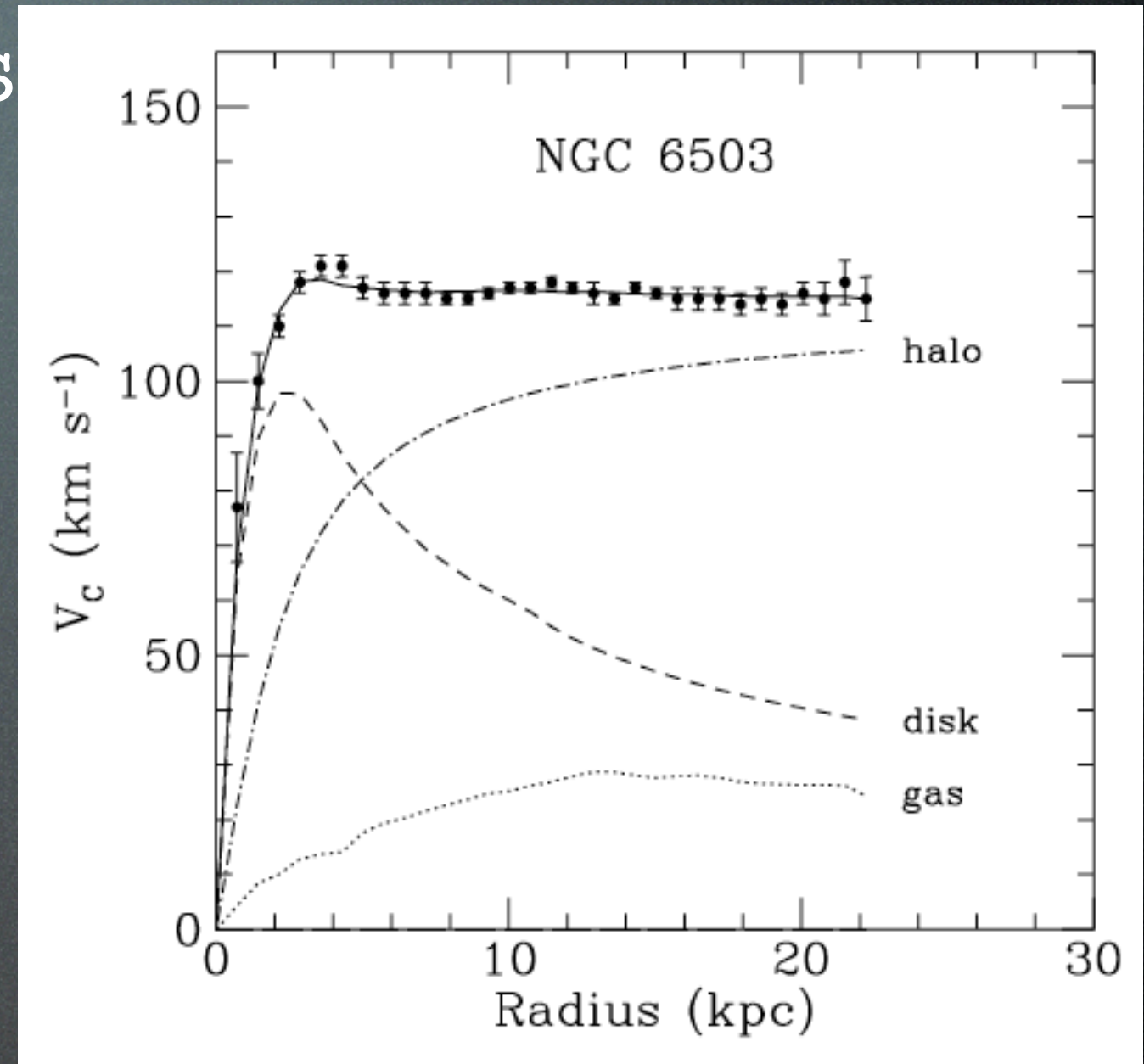
1) galaxy rotation curves

$$v_c(r) = \sqrt{\frac{2G_N M(r)}{r}}$$

$$v_c(r) \sim \text{const} \Rightarrow \rho_M(r) \sim \frac{1}{r^2}$$

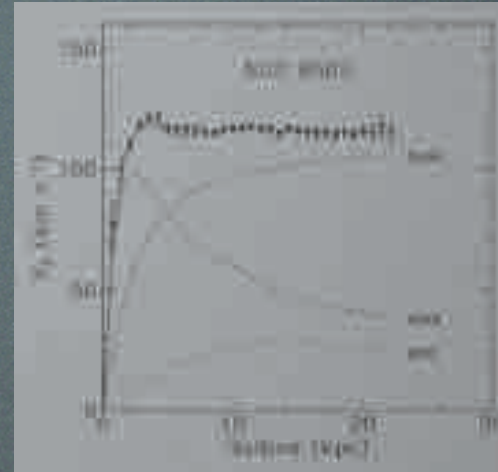


$$\Omega_M \gtrsim 0.1$$



The Evidence for DM

1) galaxy rotation curves



$$\Omega_M \gtrsim 0.1$$

2) clusters of galaxies

- “rotation curves”
- gravitation lensing
- X-ray gas temperature



$$\Omega_M \sim 0.2 \div 0.4$$

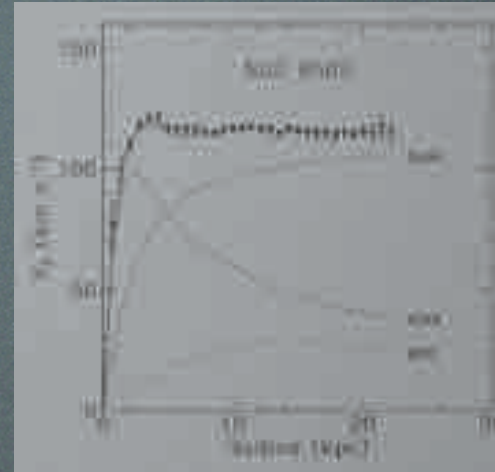


“bullet cluster” - NASA
astro-ph/0608247

[further developments]

The Evidence for DM

1) galaxy rotation curves



$$\Omega_M \gtrsim 0.1$$

2) clusters of galaxies



$$\Omega_M \sim 0.2 \div 0.4$$

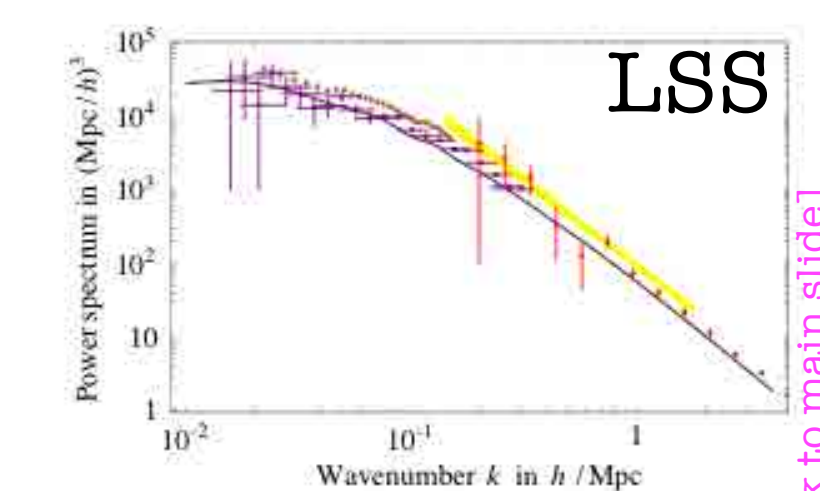
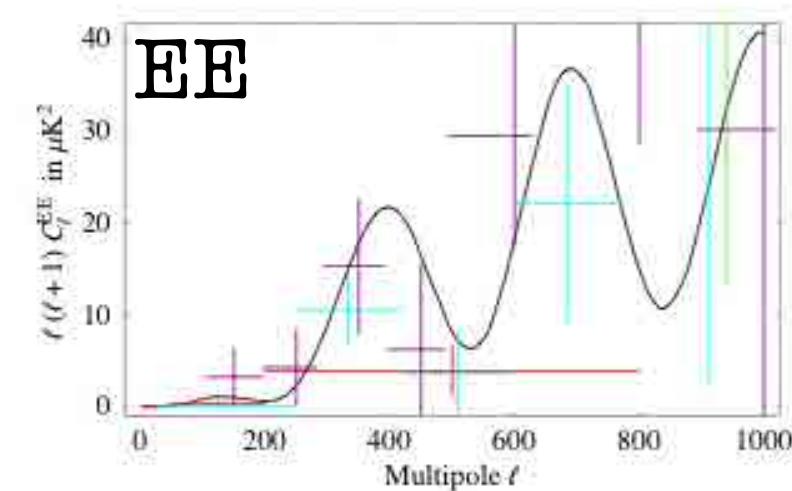
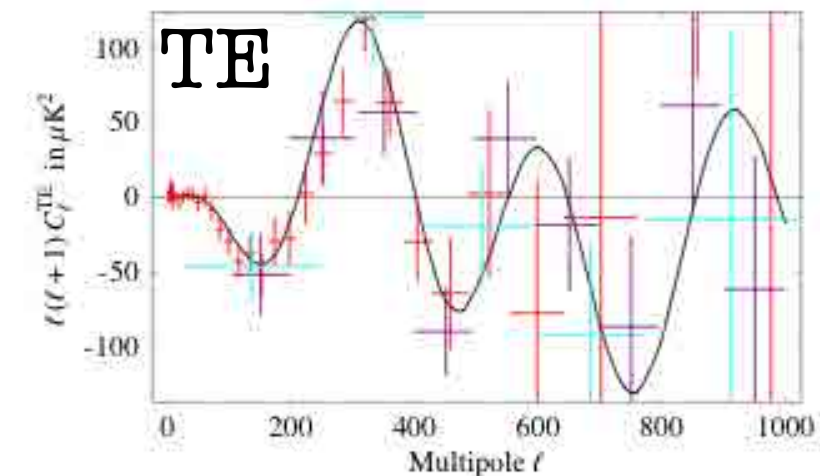
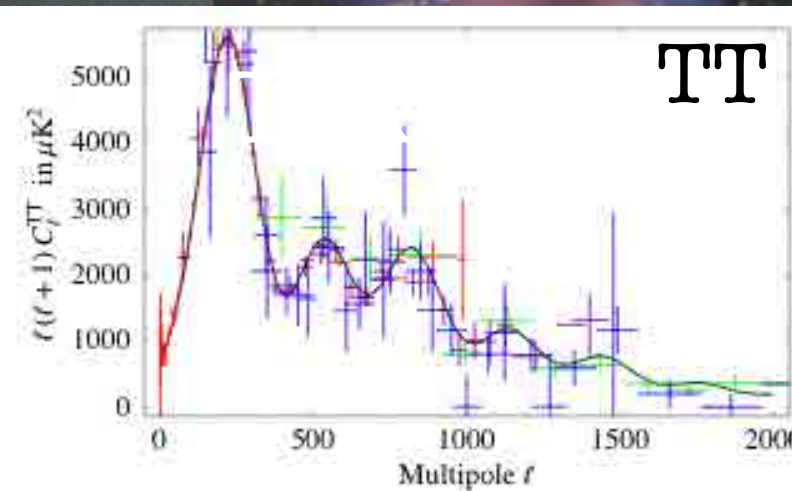
3) CMB+LSS(+SNIa:)

WMAP-3yr Boomerang
ACbar DASI
CBI VSA

SDSS, 2dFRGS
LyA Forest Croft
LyA Forest SDSS



$$\Omega_M \approx 0.26 \pm 0.05$$



Comparison with SplitSuSy-like models

A-H, Dimopoulos and/or Giudice, Romanino 2004
Pierce 2004; Arkani-Hamed, Dimopoulos, Kachru 2005
Mahbubani, Senatore 2005

SplitSuSy-like

- Higgsino (a fermion doublet)
- + something else (a singlet)
- stabilization by R-parity
- want unification also
- unification scale is low,
need to embed in 5D
to avoid proton decay

Mahbubani, Senatore 2005

MDM

- arbitrary multiplet, scalar or fermion
- nothing else (with $Y=0$)
- automatically stable
- forget unification, it's SM
- nothing

Common feature: the focus is on DM, not on SM hierarchy problem.

Non-Minimal terms in the scalar case

Quadratic and quartic terms in $\mathcal{X}$ and H :

$$\lambda_H (\mathcal{X}^* T_{\mathcal{X}}^a \mathcal{X}) \quad (H^* T_H^a H) + \lambda'_H |\mathcal{X}|^2 |H|^2 + \frac{\lambda_{\mathcal{X}}}{2} (\mathcal{X}^* T_{\mathcal{X}}^a \mathcal{X})^2 + \frac{\lambda'_{\mathcal{X}}}{2} |\mathcal{X}|^4$$

[1] [2] [3] [4]

- do not induce decays (even number of $\mathcal{X}$, and $\langle \mathcal{X} \rangle = 0$)
- [3] and [4] do not give mass terms
- after EWSB, [2] gives a common mass $\sqrt{\lambda'_H} v \approx \mathcal{O}(\lesssim 100 \text{ GeV})$ to all $\mathcal{X}_i$ components;
negligible for $M = \mathcal{O}(\text{TeV})$
- after EWSB, [1] gives mass splitting $\Delta M_{\text{tree}} = \frac{\lambda_H v^2 |\Delta T_{\mathcal{X}}^3|}{4M} = \lambda_H \cdot 7.6 \text{ GeV} \frac{\text{TeV}}{M}$ between $\mathcal{X}_i$ components;
assume $\lambda_H \lesssim 0.01$ so that $\Delta M_{\text{tree}} \ll \Delta M$
- [1] (and [2]) gives annihilations $\bar{\mathcal{X}} \mathcal{X} \rightarrow \bar{H} H$
assume $|\lambda'_H| \ll g_Y^2, g_2^2$ so that these are subdominant

(Anyway, scalar MDM is less interesting.)

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Neutralino “properties”

neutralino mass matrix in MSSM ($\tilde{B} - \tilde{W}^3 - \tilde{H}_1^0 - \tilde{H}_2^0$ basis)

$$M_\chi = \begin{pmatrix} M_1 & 0 & -m_Z c_\beta s_W & m_Z s_\beta s_W \\ 0 & M_2 & m_Z c_\beta c_W & -m_Z s_\beta c_W \\ -m_Z c_\beta s_W & m_Z c_\beta c_W & 0 & -\mu \\ m_Z s_\beta s_W & -m_Z s_\beta c_W & -\mu & 0 \end{pmatrix}$$

superpotential

$$\mathcal{W} = -\mu \mathcal{H}_1 \mathcal{H}_2 + \mathcal{H}_1 h_e^{ij} \mathcal{L}_{Li} \mathcal{E}_{Rj} + \mathcal{H}_1 h_d^{ij} \mathcal{Q}_{Li} \mathcal{D}_{Rj} - \mathcal{H}_2 h_u^{ij} \mathcal{Q}_{Li} \mathcal{U}_{Rj}$$

soft SUSYB terms

$$\mathcal{L}_{\text{soft}} = -\frac{1}{2} \left(M_1 \bar{\tilde{B}} \tilde{B} + M_2 \bar{\tilde{W}}^a \tilde{W}^a + M_3 \bar{\tilde{G}}^a \tilde{G}^a \right) + \dots$$

$$\tan \beta = \frac{\langle v_1 \rangle}{\langle v_2 \rangle}$$

3. Indirect Detection

Propagation for **positrons**:

$$\frac{\partial f}{\partial t} - K(E) \cdot \nabla^2 f - \frac{\partial}{\partial E} (b(E)f) = Q$$

diffusion

$$K(E) = K_0 (E/\text{GeV})^\delta$$

energy loss

$$b(E) = (E/\text{GeV})^2 / \tau_E$$

$$\tau_E = 10^{16} \text{ s}$$

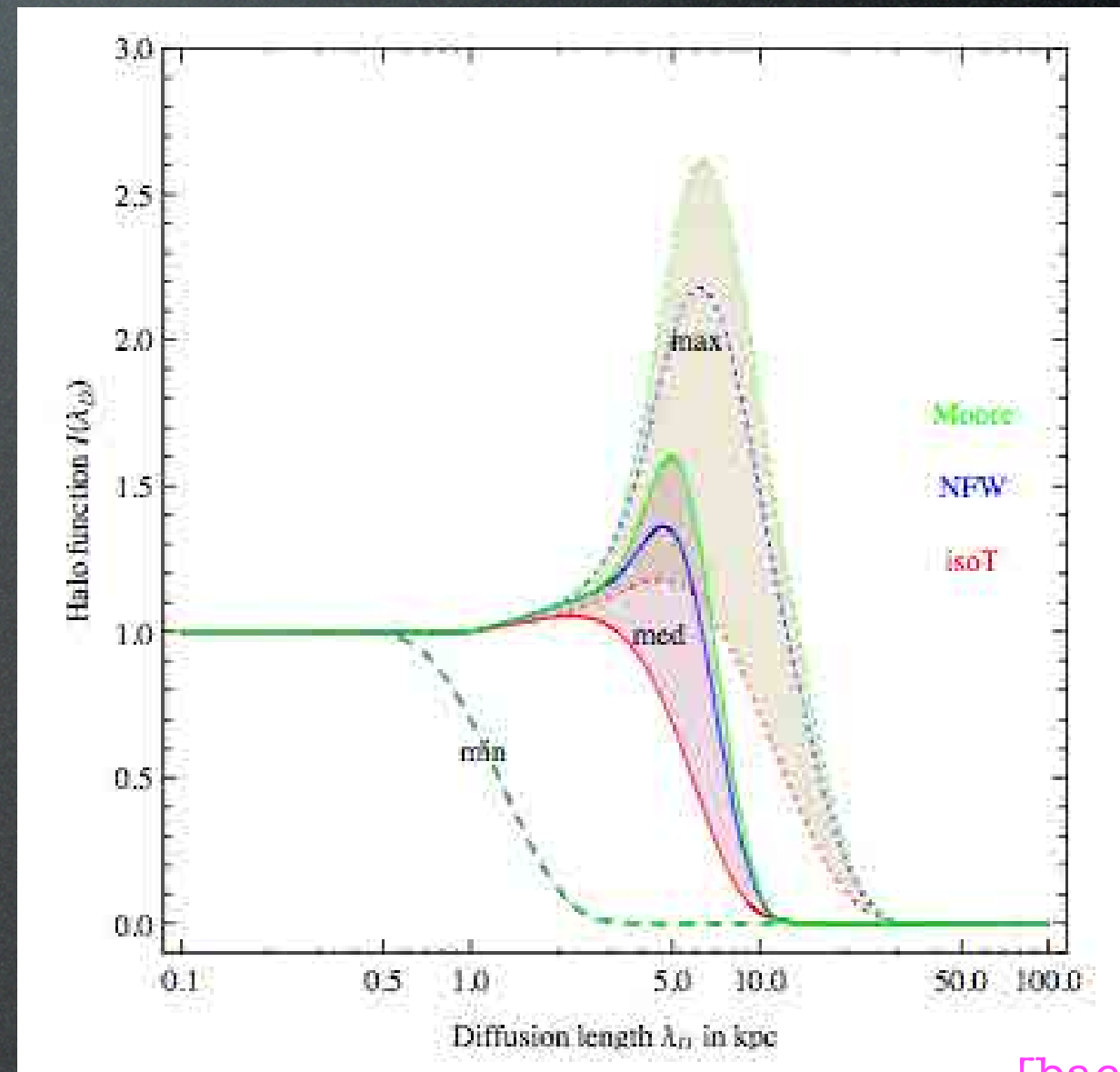
$$Q = \frac{1}{2} \left(\frac{\rho}{M_{\text{DM}}} \right)^2 f_{\text{inj}}, \quad f_{\text{inj}} = \sum_k \langle \sigma v \rangle_k \frac{dN_{e^+}^k}{dE}$$

Model	δ	K_0 in kpc^2/Myr	L in kpc
min (M2)	0.55	0.00595	1
med	0.70	0.0112	4
max (M1)	0.46	0.0765	15

Solution:

$$\Phi_{e^+}(E, \vec{r}_\odot) = B \frac{v_{e^+}}{4\pi} \frac{\tau_E}{E^2} \int_E^{M_{\text{DM}}} dE' Q(E') \cdot I(\lambda_D(E, E'))$$

$$\lambda_D^2 = 4K_0\tau_E \left[\frac{(E/\text{GeV})^{\delta-1} - (E'/\text{GeV})^{\delta-1}}{\delta-1} \right]$$



3. Indirect Detection

Propagation for **antiprotons**:

$$\frac{\partial f}{\partial t} - K(T) \cdot \nabla^2 f + \frac{\partial}{\partial z} (\text{sign}(z) f V_{\text{conv}}) = Q - 2h \delta(z) \Gamma_{\text{ann}} f$$

diffusion

convective wind

spallations

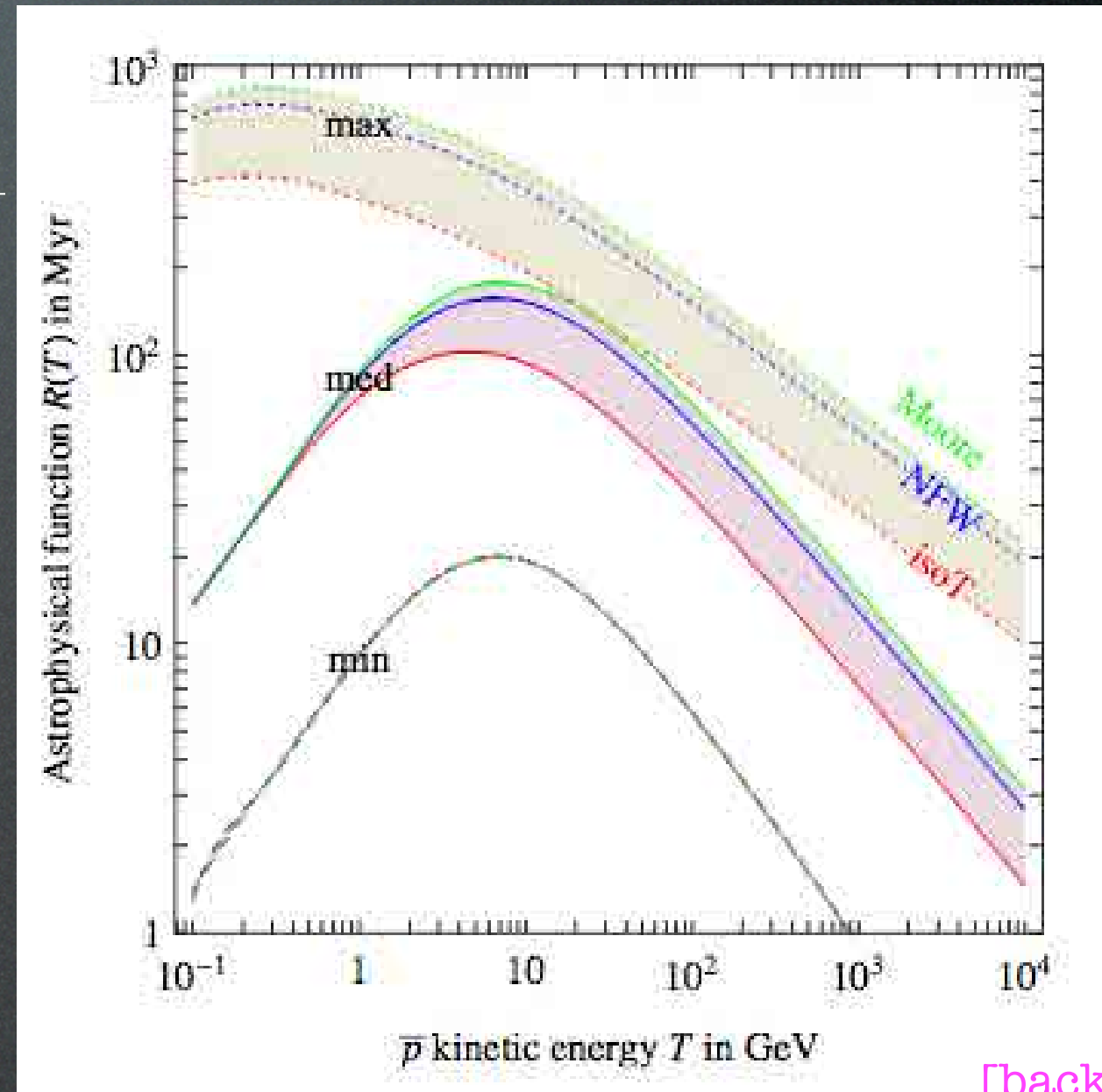
$$K(T) = K_0 \beta (p/\text{GeV})^\delta$$

T kinetic energy

Model	δ	K_0 in kpc^2/Myr	L in kpc	V_{conv} in km/s
min	0.85	0.0016	1	13.5
med	0.70	0.0112	4	12
max	0.46	0.0765	15	5

Solution:

$$\Phi_{\bar{p}}(T, \vec{r}_{\odot}) = B \frac{v_{\bar{p}}}{4\pi} \left(\frac{\rho_{\odot}}{M_{\text{DM}}} \right)^2 R(T) \sum_k \frac{1}{2} \langle \sigma v \rangle_k \frac{dN_{\bar{p}}^k}{dT}$$



Indirect Detection

Solar wind Modulation of cosmic rays:

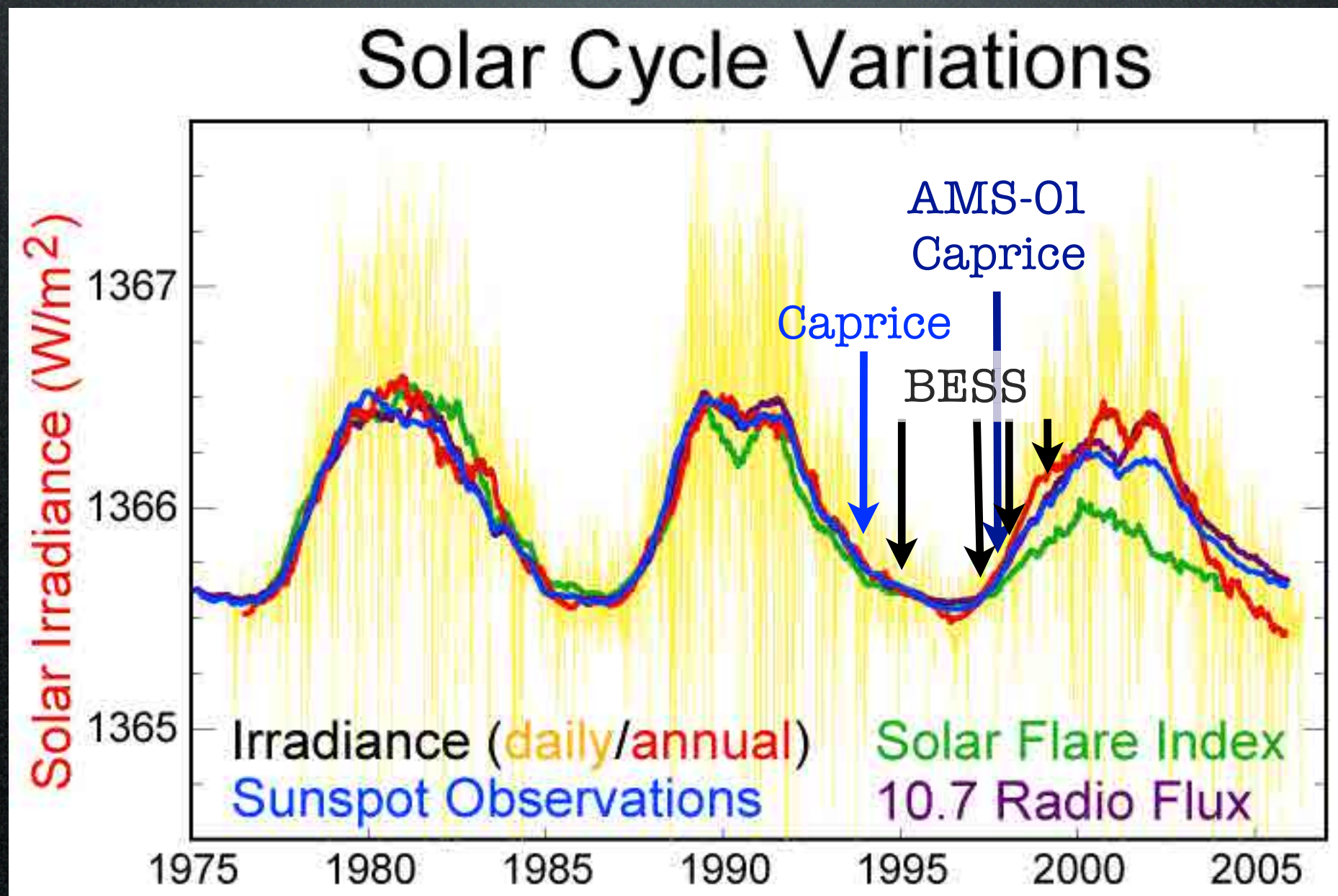
$$\frac{d\Phi_{\bar{p}\oplus}}{dT_{\oplus}} = \frac{p_{\oplus}^2}{p^2} \frac{d\Phi_{\bar{p}}}{dT},$$

spectrum
at Earth

spectrum
far from Earth

$$T = T_{\oplus} + |Ze|\phi_F$$

Fisk
potential $\phi_F \simeq 500$ MV

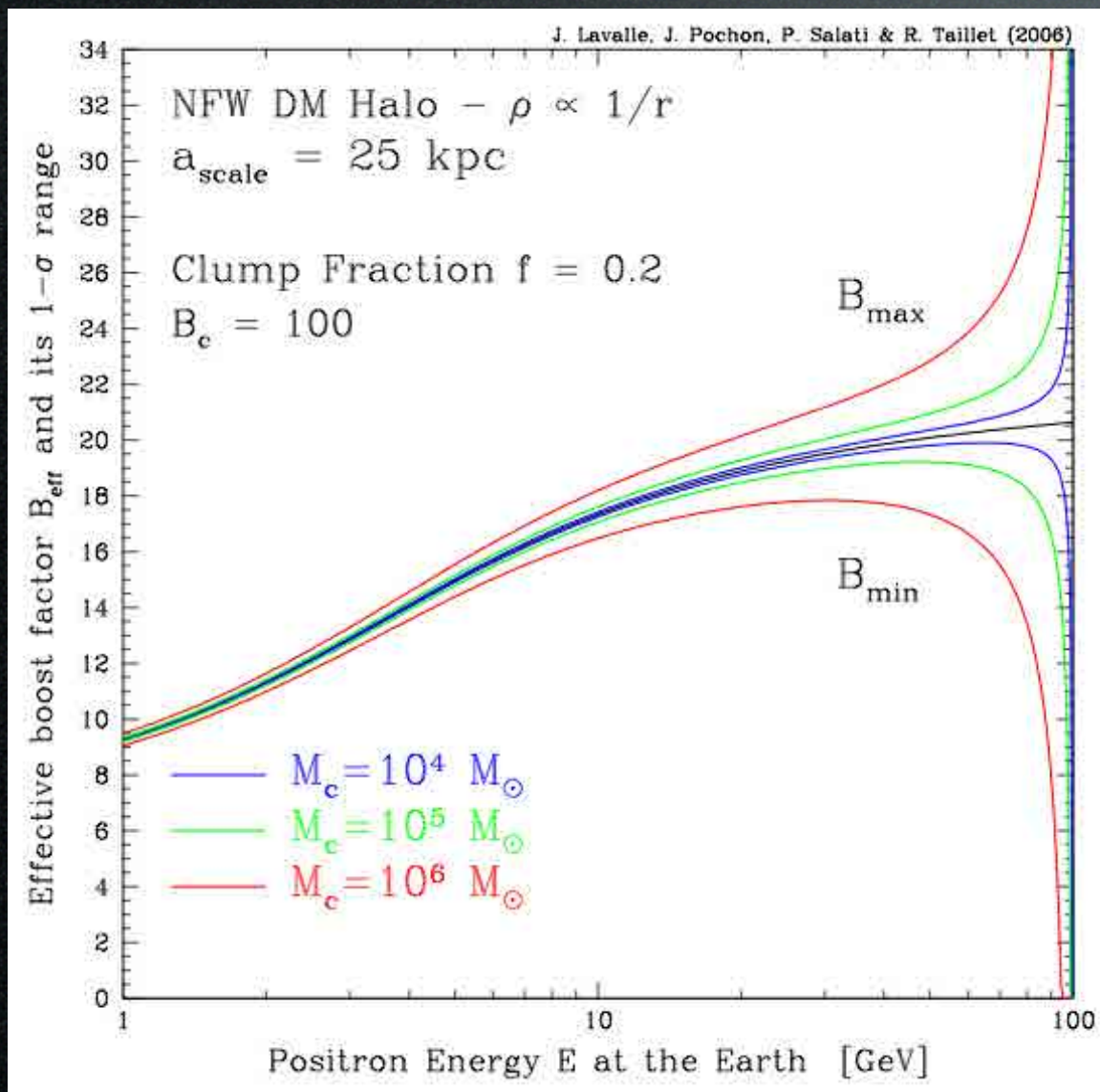


Indirect Detection

Boost Factor: local clumps in the DM halo enhance the density, boost the flux from annihilations. Typically: $B \simeq 1 \rightarrow 20$ (10^4)

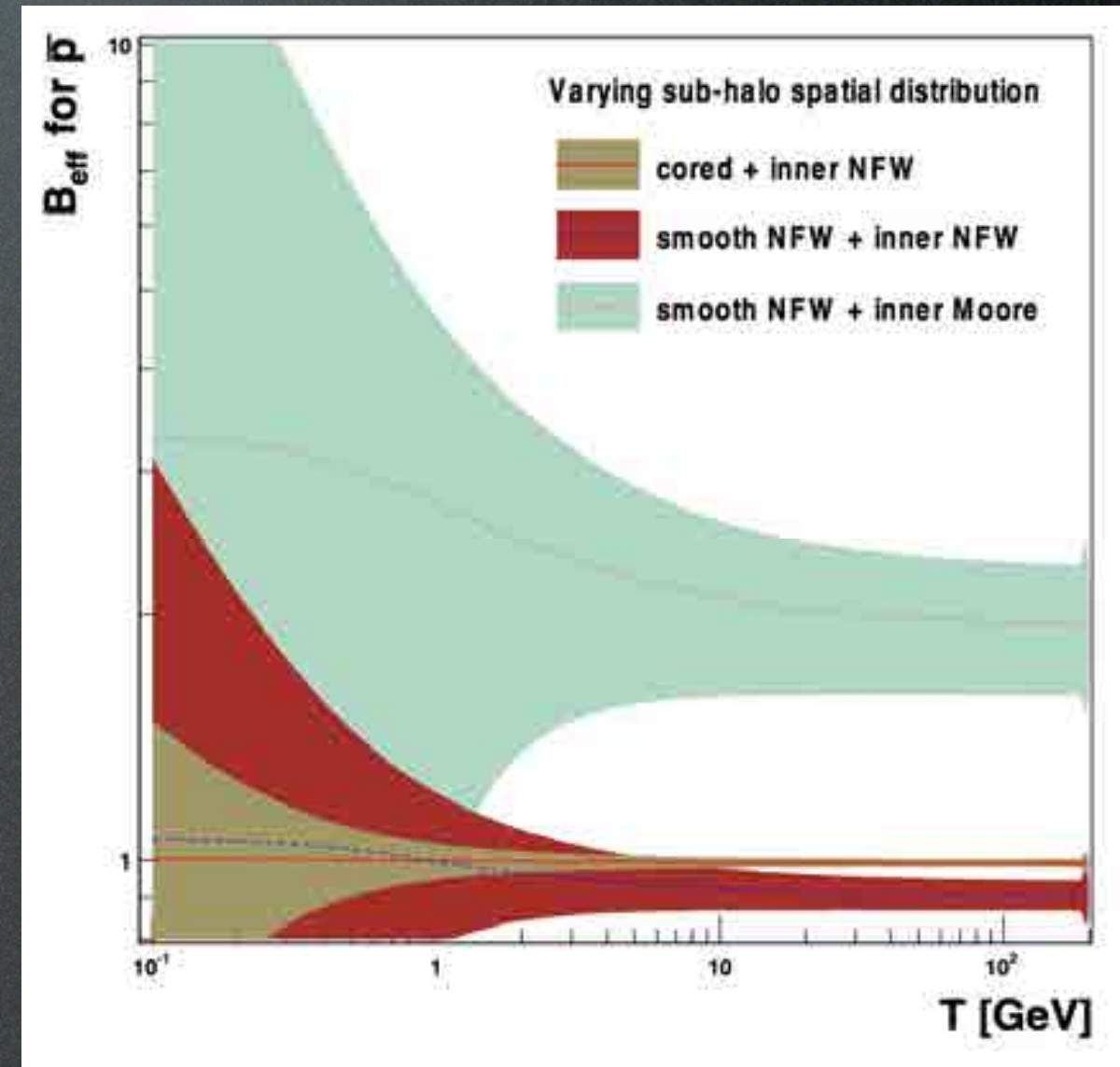
In principle, B is different for e^+ , anti-p and gammas,
energy dependent,
dependent on many astro assumptions,
with an energy dependent variance, at high energy for e^+ , at low energy for anti-p.

positrons



Lavalle et al. 2006

antiprotons

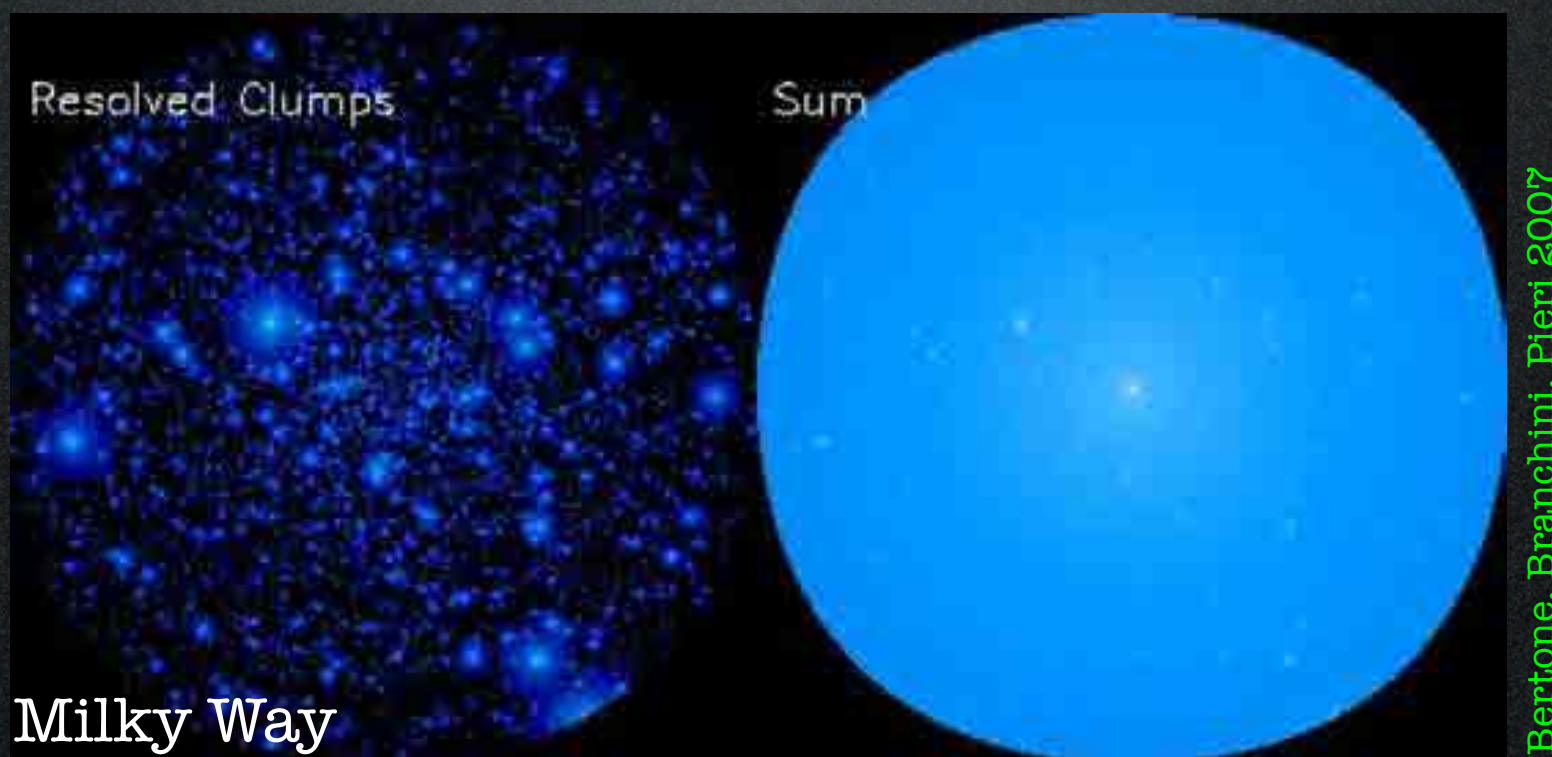
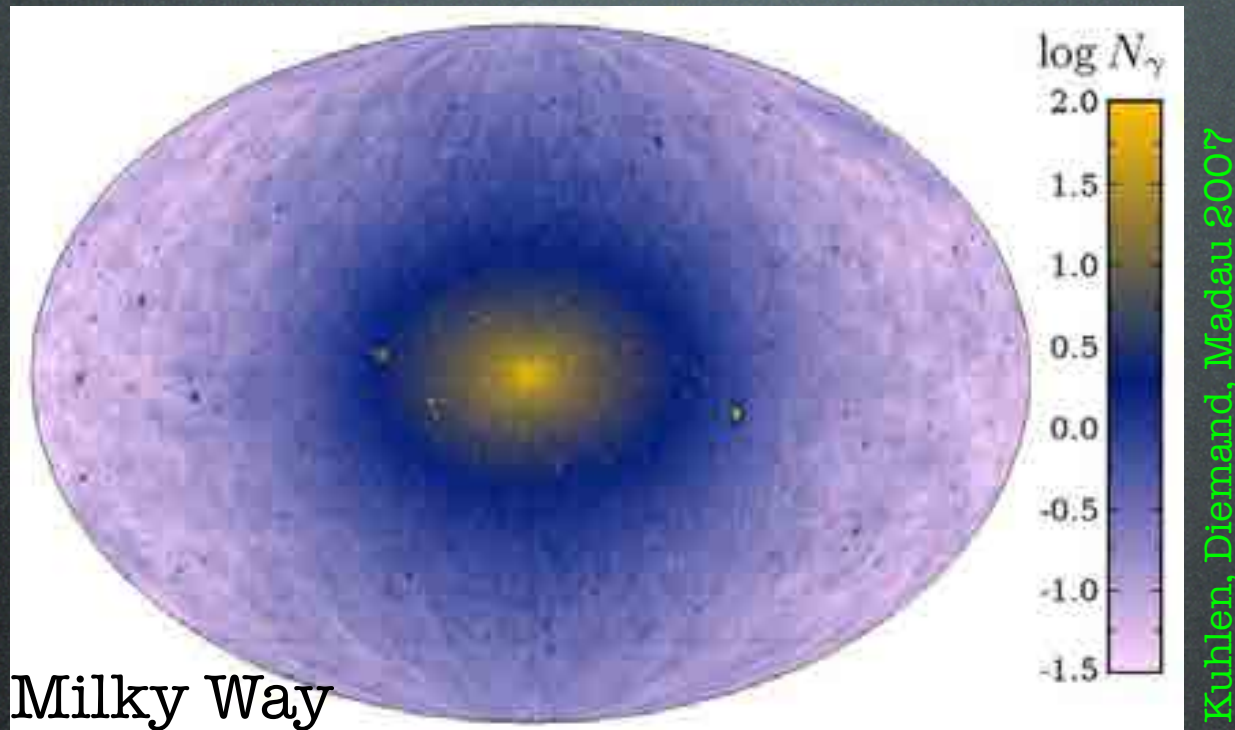


[back]

Indirect Detection

Boost Factor: local clumps in the DM halo enhance the density, boost the flux from annihilations. Typically: $B \simeq 1 \rightarrow 20$ (10^4)

For illustration:

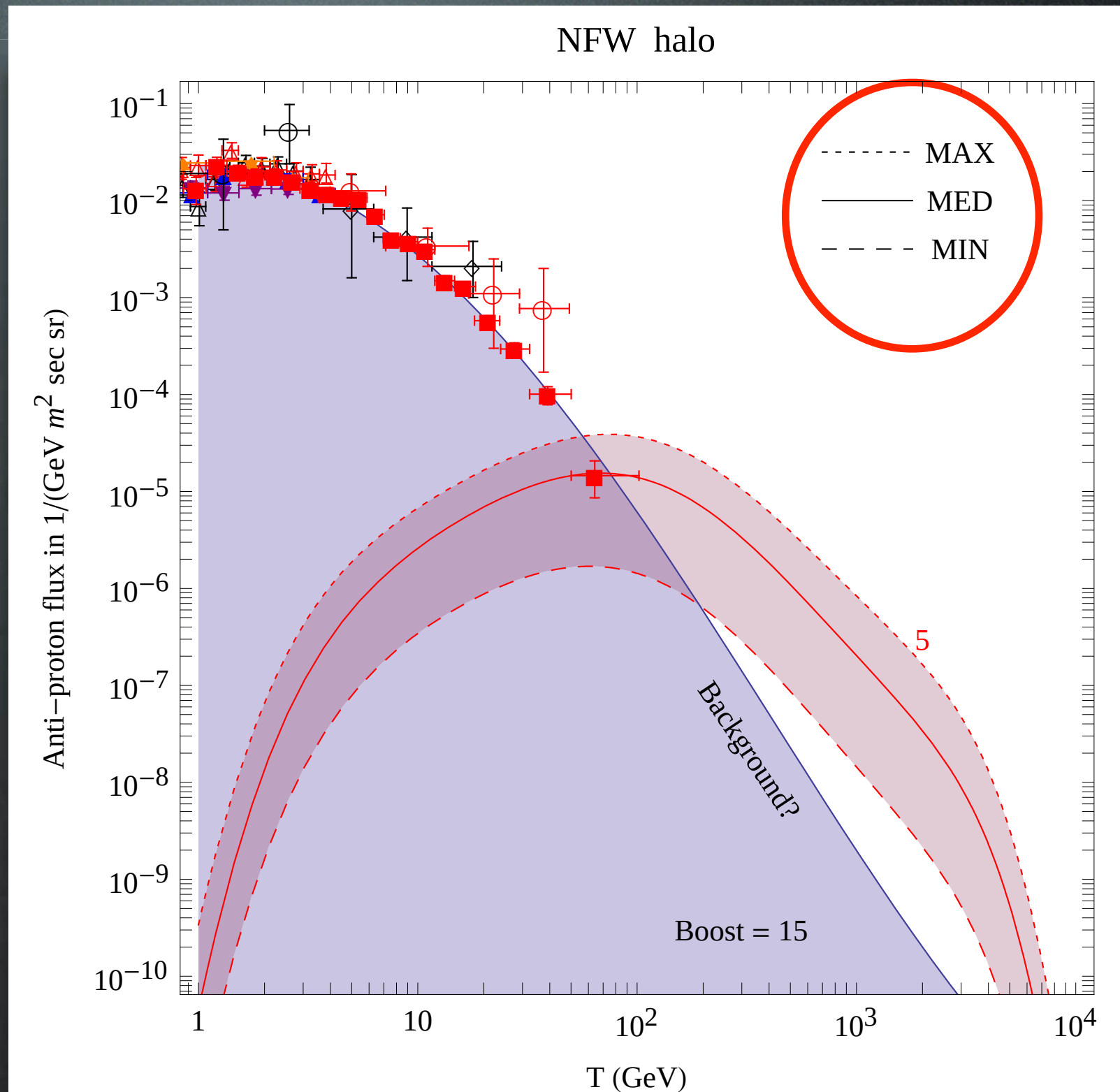


3. Indirect Detection

Results for **anti-protons**:

Astro uncertainties:

- propagation model
- DM halo profile
- boost factor B



3. Indirect Detection

Results for **anti-protons**:

Astro uncertainties:

- propagation model
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