## Radiation-hydrodynamic modeling of

## supernova shock breakout

## in multi-dimension

Akihiro Suzuki, Kyoto University, JSPS fellow
Collaborators: Keiichi Maeda (Kyoto U), Toshikazu Shigeyama (RESCEU)

Reference: Suzuki, Maeda, and Shigeyama (2016), ApJ 825, 92


## Outline

## $\Rightarrow$ Introduction

$\Rightarrow$ Shock Propagation in Massive stars
$\Rightarrow$ 2D radiation-hydrodynamic simulations of SN shock breakout
C. Summary

## Supernovae

ت. sudden emergence of bright point source
C. stellar death


## Supernovae

— sudden emergence of bright point source
G stellar death
E. classifications based on spectra and light curves: la,Ib,Ic, II-P, II-L, IIn
$\Rightarrow$ classifications based on progenitors: thermonuclear explosions of WDs, gravitational collapse of massive stars

## type la



## Supernovae

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C classifications based on progenitors: thermonuclear explosions of WDs, gravitational collapse of massive stars

## type II <br> type Ib <br> type lc



## Core-collapse supernova

F gravitational collapse of the iron core having grown in a massive star
F. core bounce,neutronization

- blast wave propagation powered by neutrino emission from proto-neutron star

F shock emergence from the surface

- expanding ejecta



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## SN shock breakout

- UV/X-ray flash associated with the birth of an SN explosion
- It occurs when the strong shock having been generated at the iron core emerges from the stellar surface

F We can observe the SN through EM only after shock breakout
photon diffusion velocity $\mathrm{Vdiff}^{\mathrm{c}}=\mathrm{c} / \tau$ shock velocity Vs
breakout condition c/ $\tau>$ Vs
temperature $\mathrm{Tbr}_{\mathrm{br}}$ 106$[\mathrm{K}] \sim 0.1[\mathrm{keV}]$


## Core-collapse supernova

C Traditionally, optical observations probe the ejecta dynamics, amount of synthesized radioactive ${ }^{56} \mathrm{Ni}($ energy source), abundance, etc


SN EXPLOSION

light curves spectra polarimetry

explosion energy ejecta mass chemical composition explosion geometry

## SN 1987A

$\Rightarrow$ most famous SNe @ magellanic cloud

Blinnikov+(2000)
$\Rightarrow$ type II-peculiar (under-luminous event)
$\Rightarrow$ decay phase of the breakout emission could be detected.

द recombination lines from ions with high ionization potentials: gas photoionized by breakout emission(UV flash)


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C recombination lines from ions with high ionization potentials: gas photoionized by breakout emission(UV flash)
narrow emission line from CSM around SN 1987A Lundqvist\&Fransson(1996)


## XRF 080109/SN 2008D

- SN Ib @NGC2770 D=27Mpc
- On Jan 9, 2008, Swift satellite serendipitously observed an X-ray flash associated with the birth of the SN
$\Rightarrow \quad L x \sim$ a few $\times 10^{43} \mathrm{erg} / \mathrm{s}$, duration~ 200-300 sec, Ex~1046 erg
- The origin of the X-ray emission is still unclear (breakout from a dense CSM?)



## SNLS-04D2DC

C. Supernova Legacy Survey
—. coincidence in time and position of an UV flash and a SN (@z=0.1854):
GALEX satellite archival data


## KSN 2011a

C Kepler space telescope $30 \min$ (1800s) cadence observations

- They identified several SN candidates
$\Rightarrow$ KSN 2011a initially showed a bump superposed on the theoretical LC



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## Theoretical works on SN shock breakout

G pioneering works: Colgate (1974), Klein\&Chevalier(1976), Falk (1978), Imshennik and Nadyozhin(1988), Matzner\&McKee(1999)

ت steady shock structure: Weaver(1976),Katz+(2010),Budnik+(2010)
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- 1D RHD: Ensmann\&Burrows(1992), Tominaga+(2009), Sapir+(2011,2013)
$\Rightarrow$ multi-D HD: Suzuki\&Shigeyama(2010),Couch+(2011), Ro\&Matzner(2013), Matzner+(2013)
- wind breakout: Arcavi+(2011), Chevalier\&Irwin(2011), Moriya\&Tominaga(2011), Ofek+(2011), Svirsky+(2012),
- 1D SR-RHD: Tolstov+(2013)

How bright shock breakout emission could be for a given stellar structure and explosion energy?

## Shock propagation in massive star

- SN shock breakout: emission from a hot gas in the downstream of a blast wave.
- Its energy source is originally the explosion energy. The shock kinetic energy is converted the thermal energy of gas at the outermost layer of the star.
m How much thermal energy the shock can deposit into the outermost layer of the star.

E Matzner\&McKee (1999)


## Shock propagation in massive star

F stellar density structure: $\rho(r)$

- The shock velocity V s is expressed as a function of $r$ or $\rho$
$\Rightarrow$ find the shock velocity $\mathrm{V}_{\mathrm{br}}$ and density $\rho \mathrm{br}$ satisfying the breakout condition $\mathrm{Vs}=\mathrm{c} / \tau$

ت internal energy density eint $\sim \rho$ br $\mathrm{brr}^{2}$,
$\Rightarrow$ temperature $\mathrm{T} \sim\left(\mathrm{e}_{\text {int }} / \mathrm{ar}_{\mathrm{r}}\right)^{1 / 4}$
ت internal energy, diffusion time, etc
photon diffusion velocity $\mathrm{Vdiff}=\mathrm{c} / \tau$ shock velocity Vs breakout condition $c / \tau>\mathrm{Vs}$ temperature $\mathrm{Tbr}_{\mathrm{br}} \sim 10^{6}[\mathrm{~K}] \sim 0.1[\mathrm{keV}]$


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- internal energy, diffusion time, etc
photon diffusion velocity $\mathrm{Vdiff}^{\mathrm{c}} \mathrm{C} / \tau$ shock velocity Vs
breakout condition $c / \tau>\mathrm{Vs}$ temperature $\mathrm{Tbr}_{\mathrm{br}} \sim 10^{6}[\mathrm{~K}] \sim 0.1[\mathrm{keV}]$



## Shock propagation in massive star

$\Rightarrow$ Two modes of shock propagation in massive star: decelerating shock and accelerating shock
$\Rightarrow d \ln (\rho) / d \ln (r)>-3: \rho r^{3}$ is an increasing function of $r$. The shock accumulate more mass as it propagates. decelerating shock

- $d \ln (\rho) / d \ln (r)<-3: \rho r^{3}$ is an decreasing function of $r$. The shock kinetic energy is transferred to smaller and smaller mass. accelerating shock



## Decelerating shock: Sedov-type solution

- Sedov-type solution: power-law: $\rho \sim r^{-n}$
C. shock radius $R$, shock velocity $V=d R / d t \sim R /$ t
$\Rightarrow \rho V^{2} \sim P \rightarrow R^{-n}(R / t)^{2} \propto E R^{-3} \rightarrow R \propto t^{2 /(5-n)}$
G $\mathrm{V} \propto \mathrm{t}^{(n-3) /(5-n)}:$ decelerating shock when $n<3$
$\Rightarrow M(R) \propto R^{3-n} \rightarrow M(R) V^{2} \propto$ Const.
$\Rightarrow P R^{3} \sim$ Const.
- $M(R) V^{2} \sim$ a fraction of explosion energy $E$
$\Rightarrow$ The shock speed is given by $\mathrm{V}_{\mathrm{s}} \sim[\mathrm{E} / \mathrm{M}(\mathrm{R})]^{1 / 2}$



## Accelerating shock: Sakurai's self-similar solution

C. Sakurai(1960)

C distance from the surface: $x=\left(R_{\star}-r\right) / R \star$
$\Rightarrow \rho \propto x^{n}$ : plane-parallel atmosphere
G This treatment is justified for polytropic stellar envelopes ( $P \propto \rho^{1+1 / n}$ ), $n=1.5$ for a convective envelope and $\mathrm{n}=3.0$ for a radiative envelope

G For a strong shock, shock speed follows $\mathbf{V}_{\mathbf{s}}$ $\propto \rho^{-\beta},(\beta \sim 0.19$ for $n=1.5,3.0)$


## Shock propagation in massive star

- Mazner\&McKee(1999)
$\Rightarrow \mathrm{Vs}=[\mathrm{E} / \mathrm{M}(\mathrm{r})]^{1 / 2} \times\left[\rho(\mathrm{r}) / \rho_{\star}\right]^{-\beta}$ works well with $\beta \sim 0.19$.

द This behaves as Sedov-like in a shallow density gradient, while it grows in a powerlaw fashion in a steep density gradient.

- find Vbr and $\rho$ br and estimate some quantities


## post-shock temperature

$T_{\mathrm{sc}}=5.55 \times 10^{5}\left(\frac{\kappa}{0.34 \mathrm{~cm}^{2} \mathrm{~g}^{-1}}\right)^{-0.10}\left(\frac{\rho_{1}}{\rho_{*}}\right)^{0.070}$
RSG $\times\left(\frac{E_{\mathrm{in}}}{10^{5 \mathrm{i}} \text { ergs }}\right)^{0.20}\left(\frac{M_{\mathrm{ej}_{\mathrm{j}}}}{10 M_{\odot}}\right)^{-0.052}$
$\times\left(\frac{R_{*}}{500 R_{\odot}}\right)^{-0.54}{ }^{\circ} \quad\left(n=\frac{3}{2}\right)$,
$T_{\text {sc }}=1.31 \times 10^{6}\left(\frac{\kappa}{0.34 \mathrm{~cm}^{2} \mathrm{~g}^{-1}}\right)^{-0.14}\left(\frac{\rho_{1}}{\rho_{*}}\right)^{0.046}$
BSG

$$
\begin{aligned}
& \left.\times\left(\frac{E_{\mathrm{in}}}{10^{51}}\right)^{0 . \mathrm{erg}}\right)^{0.18}\left(\frac{M_{\mathrm{c}}}{10 M_{\odot}}\right)^{-0.068} \\
& \times\left(\frac{R_{*}}{50 R_{\odot}}\right)^{-0.48} \mathrm{~K} \quad(n=3) .
\end{aligned}
$$

## diffusion time scale

$$
\begin{aligned}
& \times\left(\frac{E_{\mathrm{in}}}{10^{51} \operatorname{ergs}}\right)^{0.56}\left(\frac{M_{\mathrm{ej}}}{10 M_{\odot}}\right)^{-0.44} \\
& \times\left(\frac{R_{*}}{500 R_{\odot}}\right)^{1.74} \operatorname{ergs} \quad\left(n=\frac{3}{2}\right),
\end{aligned}
$$

$$
E_{\mathrm{sc}}=7.6 \times 10^{46}\left(\frac{\kappa}{0.34 \mathrm{~cm}^{2} \mathrm{~g}^{-1}}\right)^{-0.84}\left(\frac{\rho_{1}}{\rho_{*}}\right)^{-0.054}
$$

$$
\times\left(\frac{E_{\mathrm{in}}}{10^{51} \mathrm{ergs}}\right)^{0.58}\left(\frac{M_{\mathrm{ej}}}{10 M_{\odot}}\right)^{-0.42}
$$

$$
\times\left(\frac{R_{*}}{50 R_{\odot}}\right)^{1.68} \text { ergs }(n=3) .
$$

$$
t_{\mathrm{se}}=790\left(\frac{\kappa}{0.34 \mathrm{~cm}^{2} \mathrm{~g}^{-1}}\right)^{-0.58}\left(\frac{\rho_{1}}{\rho_{*}}\right)^{-0.28}
$$

$$
\times\left(\frac{E_{\mathrm{in}}}{11^{51} \mathrm{ergs}}\right)^{-0.79}\left(\frac{M_{\mathrm{ej}}}{10 M_{\odot}}\right)^{0.21}
$$

$$
\times\left(\frac{R_{*}}{500 R_{\odot}}\right)^{2.16}{ }^{2}\left(n=\frac{3}{2}\right),
$$

$$
t_{s e}=40\left(\frac{\kappa}{0.34 \mathrm{~cm}^{2} \mathrm{~g}^{-1}}\right)^{-0.45}\left(\frac{\rho_{1}}{\rho_{*}}\right)^{-0.18}
$$

$$
\times\left(\frac{E_{\mathrm{in}}}{10^{51} \text { ergs }}\right)^{-0.72}\left(\frac{M_{\mathrm{cj}}}{10 M_{\odot}}\right)^{0.27}
$$

$$
\times\left(\frac{R_{*}}{50 R_{\odot}}\right)^{1.90} \text { S }(n=3) .
$$

## Shock breakout light curves



light crossing time traveling time of ejecta
Nakar\&Sari(2010) for stellar radius for stellar radius

## What determines tie time scale?

$\Rightarrow$ The diffusion time scale is the time scale releasing photons
$\neq$ the time scale during which we observe the photons
$\Rightarrow$ The emission is "smeared out" within the time scale of $R_{\star} / c$

## Shock breakout light curves

$\Rightarrow$ Shock breakout occurs at every point of the surface at the same time


SHOCK BREAKOUT

UV/X-ray flash post shock $\sim 0.1 \mathrm{keV}$


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Shock breakout


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## Shock breakout light curves


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|  | $R_{\star}$ | $R_{\star} / c$ | $R_{\star} / v$ |
| :---: | :---: | :---: | :---: |
| WR | $\sim 10^{11} \mathrm{~cm}$ | 3 sec | $10-20 \mathrm{sec}$ |
| BSG | $\sim 3 \times 10^{12} \mathrm{~cm}$ | 100 sec | 15 min |
| RSG | $\sim 3 \times 10^{13} \mathrm{~cm}$ | 15 min | $2-3 \mathrm{hr}$ |

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G wind breakout: Balberg \& Loeb(2011),Arcavi+(2011), Chevalier \& Irwin(2011), Moriya $+(2011,2015)$, Ofek+(2011), Ginzburg \& Balberg(2012,2014), Svirsky+(2012,2014),
$\Rightarrow$ 1D SR-RHD: Tolstov+(2013)

## Most of them assume spherical symmetry

## Asymmetry in CCSN

- deviation from spherical symmetry is a key to understanding successful corecollapse supernova explosions



MacFadyen\&Woosley (1999)

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## Radiation Hydrodynamics code

- Moment equations written in "mixed frame"

$$
\frac{\partial I_{\nu}(t, \boldsymbol{x}, \boldsymbol{l})}{\partial t}+(\boldsymbol{l} \cdot \nabla) I_{\nu}(t, \boldsymbol{x}, \boldsymbol{l})=\eta_{\nu}+\int g\left(\nu, \boldsymbol{l} ; \nu^{\prime} \boldsymbol{l}^{\prime}\right) \rho \sigma_{\nu} I_{\nu^{\prime}}\left(t, \boldsymbol{x}, \boldsymbol{l}^{\prime}\right) d \nu^{\prime} d \Omega^{\prime}-\rho\left(\kappa_{\nu}+\sigma_{\nu}\right) I_{\nu}(t, \boldsymbol{x}, \boldsymbol{l})
$$

Transfer equation

$$
\begin{aligned}
& E_{\mathrm{r}}(t, \boldsymbol{x})=\int E_{\mathrm{r}, \nu}(t, \boldsymbol{x}) d \nu \\
&=\int I_{\nu}(t, \boldsymbol{x}, \boldsymbol{l}) d \nu d \Omega \\
& F_{\mathrm{r}}^{i}(t, \boldsymbol{x})=\int F_{\mathrm{r}, \nu}^{i}(t, \boldsymbol{x}) d \nu \\
&=\int l^{i} I_{\nu}(t, \boldsymbol{x}, \boldsymbol{l}) d \nu d \Omega \\
& P_{\mathrm{r}}^{i j}(t, \boldsymbol{x})=\int P_{\mathrm{r}, \nu}^{i j}(t, \boldsymbol{x}) d \nu
\end{aligned}=\int l^{i} l^{j} I_{\nu}(t, \boldsymbol{x}, \boldsymbol{l}) d \nu d \Omega
$$

Moment equations
$\frac{\partial E_{\mathrm{r}}}{\partial t}+\frac{\partial F_{\mathrm{r}}^{i}}{\partial x^{i}}=\rho_{0} \kappa_{0}\left(a_{\mathrm{r}} T_{g 0}^{4}-E_{\mathrm{r}}\right)+\rho_{0} \kappa_{0} \beta_{j} F_{\mathrm{r}}^{j}-\rho_{0} \sigma_{0} \beta_{j} F_{\mathrm{r}}^{i}$
$\frac{\partial F_{\mathrm{r}}^{i}}{\partial t}+\frac{\partial P_{\mathrm{r}}^{i j}}{\partial \mathrm{~m}^{i}}=\rho_{0} \kappa_{0} a_{\mathrm{r}} T_{g 0}^{4} \beta^{i}+\rho_{0} \sigma_{0} E_{\mathrm{r}} \beta^{i}-\rho_{0}\left(\kappa_{0}+\sigma_{0}\right)\left(F_{\mathrm{r}}^{i}-\rho_{i} P_{\mathrm{r}}^{i j}\right)$

## M1 Closure relation

$\Rightarrow$ advection term: HLL

C source term: implicit method

$$
\begin{gathered}
P_{\mathrm{r}}^{i j}=D^{i j} E_{\mathrm{r}}, \quad D^{i j}=\frac{1-\chi}{2} \delta^{i j}+\frac{3-\chi}{2} n^{i} n_{j} \\
n^{i}=\frac{F_{\mathrm{r}}^{i}}{\sqrt{F_{\mathrm{r}}^{i} F_{\mathrm{r}, i}}}, \quad f^{i}=\frac{F_{\mathrm{r}}^{i}}{E_{\mathrm{r}}}, \quad \chi=\frac{3+4 f^{i} f_{i}}{5+2 \sqrt{4-3 f^{i} f_{i}}}
\end{gathered}
$$

Livermore (1984)
see, Takahashi+,Takahashi\&Ohsuga(2013a,b), AS, Maeda, \&Shigeyama(2016)

## Shock breakout with spherical symmetry

$\Rightarrow$ 2D RHD simulations, $4096 \times 512$ mesh on 512 core
$\Rightarrow$ 1987A progenitor: BSG with $R_{\star}=50 R_{o}, M_{\star}=14.6 \mathrm{Mo}$ (Nomoto\&Hashimoto 1988, Shigeyama\&Nomoto 1990)
$\Rightarrow 3 \times 10^{8} \mathrm{~cm} \leqq r \leqq 4 R \star, 0 \leqq \theta \leqq \pi$
$\Rightarrow$ energy injection: Eexp $=10^{51}$ [erg],texp $=0.1[s]$
Shigeyama\&Nomoto(1990)
$\Rightarrow$ asphericity: parameter "a" $d E_{i n t} / d t \propto E_{\exp } / \operatorname{texp}[1+\mathrm{a} \cos (2 \theta)]$



## Shock breakout with spherical symmetry

$\Rightarrow$ fully ionized gas in the stellar envelope with $X=0.565, Y=0.430, Z=0.05$
C absorption and emission: free-free
$\Rightarrow$ scattering: e- scattering $K=0.2(1+X)\left[\mathrm{cm}^{2} / \mathrm{g}\right]$

Shigeyama\&Nomoto(1990)
$d E_{i n t} / d t \propto E_{\exp } / \operatorname{texp}[1+a \cos (2 \theta)]$


## Shock breakout with spherical symmetry

$\Rightarrow$ 1987A progenitor: BSG with $R_{\star}=50 R_{o}, M_{\star}=14.6 \mathrm{Mo}$
$\Rightarrow$ spherical case: $a=0 \quad d E / d t \propto E_{\text {exp }} /$ texp $[1+a \cos (2 \theta)]$
$\mathrm{t}=1000 \mathrm{~s}$
after core-collapse


## Shock breakout with spherical symmetry

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$\Rightarrow$ spherical case: $a=0 \quad d E / d t \propto E$ exp/texp[1+a $\cos (2 \theta)]$

$$
\text { from } t=5000 \mathrm{~s}
$$

to $t=7000 \mathrm{~s}$
after core-collapse


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$\Rightarrow$ spherical case: $a=0 \quad d E / d t \propto E_{\text {exp }} /$ texp $[1+a \cos (2 \theta)]$
Now, optical depth
is sufficiently small


## Light curve calculation: ray-tracing

$\Rightarrow$ observer seeing the event with a viewing angle $\Theta$
$\Rightarrow$ Transfer equation is integrated along rays using snapshots of a RHD simulation

Transfer equation along a ray (frequency-integrated)

$$
\frac{\partial I}{\partial t}+(\boldsymbol{l} \cdot \nabla) I=\mathcal{D}^{-1} \alpha^{\prime}\left(\mathcal{D}^{4} \frac{\sigma_{\mathrm{SB}} T_{\mathrm{g}}^{4}}{\pi}-I\right)+\mathcal{D}^{-1} \sigma^{\prime}\left(\mathcal{D}^{4} \frac{E_{\mathrm{r}}^{\prime}}{4 \pi}-I\right)
$$



## Light curve calculation: spherical

$\Rightarrow$ LC consistent with 1D RHD calculations by Shigeyama+(1988), Ensmann\&Burrows(1992) for SN 1987A (dotted line)
$\Rightarrow$ peak luminosity $=2.3 \times 10^{44}\left[\mathrm{erg} \mathrm{s}^{-1}\right]$, consistent within a factor of 2
$\Rightarrow$ initial bright phase: $\Delta \mathrm{t} \sim \mathrm{R} \star / \mathrm{c} \sim 100$ [sec]


1D spherical model by Ensmann\&Burrows(1992)


Our 2D spherical model

## Light curve calculation: spherical

$\Rightarrow$ peak luminosity $=2.3 \times 10^{44}\left[\mathrm{erg} \mathrm{s}^{-1}\right]$
$\Rightarrow$ initial bright phase: $\Delta t \sim R \star / c \sim 100$ [sec]


Our 2D spherical model


## Shock breakout in 2D

$\Rightarrow$ 1987A progenitor: $B S G$ with $R_{\star}=50 R_{o}, M_{\star}=14.6 \mathrm{Mo}$
$\Rightarrow$ spherical case: $a=0.5 \quad d E / d t \propto E_{\text {exp }} /$ texp $[1+a \cos (2 \theta)]$
from $t=5000 \mathrm{~s}$
to $\mathrm{t}=7000 \mathrm{~s}$
after core-collapse


## Shock breakout in 2D

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$\Rightarrow$ spherical case: $a=0.5 \quad d E / d t \propto E_{\text {exp }} /$ texp $[1+a \cos (2 \theta)]$
optical depth is too large
for photons in the shocked region


## Shock breakout in 2D

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$\Rightarrow$ spherical case: $a=0.5 \quad d E / d t \propto E_{\text {exp }} /$ texp $[1+a \cos (2 \theta)]$
Shocked gas emerge

Photons are efficiently emitted from shocks having emerged from the surface


## Light curve calculation: aspherical

$\Rightarrow$ wide variety of light curves depending on the viewing angle, reflecting the geometry of the shock wave
$\Rightarrow$ under-luminous, long-lasting emission $\sim 500-600$ sec
$\Rightarrow$ emission after the initial phase is similar to spherical case



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Light curve calculation: aspherical
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8






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## Dependence on asphericity

$\Rightarrow$ Basically, larger a lead to larger deviation from the spherical case
$\Rightarrow$ Bolometric light curves of SN shock breakout can be a tracer of aspherical energy deposition at the core of a massive star.


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C Summary

## SN Shock breakout as a unique probe

$\Rightarrow$ increasing number of detections
$\Rightarrow$ LCs are characterized by $R_{\star} / c$ for spherical case and tdelay for aspherical cases.
$\Rightarrow$ information on the progenitor radius, energetics, and asphericity
$\Rightarrow$ multi-D SR-RHD simulations are ongoing,
$\Rightarrow$ future works: different explosion geometry, progenitor dependence


## Shock breakout with spherical symmetry















## Shock breakout in 2D



## Current and upcoming projects

- Zwicky Transient Facility (ZTF)
- PTF,iPTF $\rightarrow$ ZTF
- PI: S. Kulkarni (Caltech)
- $3760 \mathrm{deg}^{2} / \mathrm{hr}$
- arXiv: 1410.8185
- 2017-



## Current and upcoming projects

- Large Synoptic Survey Telescope (LSST)
- 8.4 m telescope observing in optical-IR
- FOV: $9.6 \mathrm{deg}^{2}$
- Site: Chile
- 2020-



## Current and upcoming projects

- Hyper Suprime-Cam on Subaru telescope
- diameter: 8.2 m, FOV:1.77 deg $^{2}$
- 50 SN candidates in 1 night on 24 May 2015

$$
\begin{aligned}
& \text { [Previous | Next I ADS] ] } \\
& \text { Fifty supernova candidates discovered with } \\
& \text { Subaru/Hyper Suprime-Cam } \\
& \text { ATel \#7565; Nozomu Tominaga (Konan U/Kavli IPMU, U. Tokyo), Tomoki Morokuma (IoA, } \\
& \text { U. Tokyo/Kavli IPMU, U. Tokyo), Masaomi Tanaka (NAOJ/Kavli IPMU, U. Tokyo), Ji-an } \\
& \text { Jiang (U. Tokyo), Takahiro Kato (U. Tokyo), Yuki Taniguchi (U. Tokyo), Naoki Yasuda (Kavit } \\
& \text { IPMU, U. Tokyo), Hisanori Furusawa (NAOJ), Nobuhiro Okabe (Hiroshima Univ), Toshifumi } \\
& \text { Futamase (Tohoku Univ.), Satoshi Miyazaki (NAOJ), Takashi J. Moriya (AlfA, U. Bonn), } \\
& \text { Junichi Noumara (NAOJ), Kiaina Schubert (NAOJ), and Tadafumi Takata (NAOJ) } \\
& \text { on 26 May 2015; 15:23 UT } \\
& \text { Credential Certification: Nozomu Tominaga (tominaga@ konan-u.ac.jp). } \\
& \text { Subjects: Optical, Supernovae, Transient } \\
& \text { 3/ Tweet } \\
& \text { We report the discovery of } 50 \text { supernova candidates in one night. Our transient survey with } \\
& \text { Subaru/Hyper Suprime-Cam (HSC) was performed on } 24 \text { May 2015 UT as a Subaru open-use } \\
& \text { program. The candidates were detected in real time using a quick image subtraction system (ATel } \\
& \text { \#6291). The reference images were obtained with HSC on } 2 \text { and } 3 \text { Jul 2014 UT. }
\end{aligned}
$$

## Current and upcoming projects

- Ultraviolet Transient Astronomy Satellite (ULTRASAT)
- mini-satellite carrying a telescope with an large FOV observing in UV
- Israeli/US collaboration, Weizmann institute (PI: E. Waxman)-Caltech (PI: S. Kulkarni)
- wavelength: $2200-2800 \AA$
- FOV: $210 \mathrm{deg}^{2}$
- 2020 or 2021-


## ULTRASAT



Thank you for your attention

