2020/10/23 Kavli IPMU Postdoc Colloquium

Supermassive black hole seed formation in the early universe

Yuya Sakurai (櫻井 祐也)

Outline

- Introduction
- Direct collapse (DC) model
- Supermassive star (SMS) formation in dynamical heated DM halos
- Summary

Outline

Introduction

Direct collapse (DC) model

Supermassive star (SMS) formation in dynamical heated DM halos

• Summary

Observations of SMBHs in the early universe



Several z>6 supermassive black holes (SMBHs) are observed

Fan et al. (2001), Mortlock et al. (2011), Wu et al. (2015), Matsuoka et al. (2016), Bañados et al. (2018), Reed et al. (2019), Onoue et al. (2019), Wang et al. (2020) Yang et al. (2020)

Observations of SMBHs in the early universe



Several z>6 supermassive black holes (SMBHs) are observed

Fan et al. (2001), Mortlock et al. (2011), Wu et al. (2015), Matsuoka et al. (2016), Bañados et al. (2018), Reed et al. (2019), Onoue et al. (2019), 1000







Massive Pop III stars collapse to BHs of >~ 100 M_{\odot} (Heger & Woosley 2002)





Radiation feedback suppresses accretion

0.03

0.02

0.01

0.00

-0.01

-0.02

-0.03

(pc)



0.03

0.02

t = 4.35E+03 yrs



Park & Ricotti (2012)

0.02 0.01 y(pc) 0.00 -0.01 -0.02 -0.03-0.03 -0.02 -0.01 0.00 0.03 -0.03 -0.02 -0.01 0.01 0.02 0.00 0.01 x(pc) x(pc)

0.03

= 3.57E+03 yrs





To alleviate the BH growth delay, alternative models are suggested

SMBH formation models

Super-critical accretion

② SMS formation & DC









Outline

Introduction

• Direct collapse (DC) model

 Supermassive star (SMS) formation in dynamical heated DM halos

• Summary

DC model

SMS can form in an "atomic-cooling" (AC) halos which cool via mostly HI lines



AC halo



DC model

 High temperature leads to high accretion rates → more massive stars form



AC halo



DC model

 High temperature leads to high accretion rates → more massive stars form



AC halo



AC halo formation and SMS formation is usually thought to occur under the following conditions:

- Extremely metal poor
- Irradiated by strong Lyman-Werner (LW) radiation

• Free from tidal force dispersion (e.g. Chon et al. 2016)

DC in dynamical heated DM halos

 Wise et al. (2019, hereafter W19) proposed another possibility for SMS formation:

 Strong dynamical heating + moderate LW radiation can produce DC halos, even w/ H2



Do SMSs form in the halos of W19?

W19 stopped simulations before star formation
 If stellar growth rate is <~ 0.04 M_☉/yr, the growing protostar contracts and emits copious amounts of ionizing photons which can cause feedback



Do SMSs form in the halos of W19?

• W19 predicted small stellar growth rates <~ 0.04 M_{\odot}/yr for stellar masses <~ $10^3 M_{\odot}$



Do SMSs form in the halos of W19?

• W19 predicted small stellar growth rates <~ 0.04 M_{\odot}/yr for stellar masses <~ $10^3 M_{\odot}$



A growing protostar would contract, emit strong UV photons and may cause radiation feedback

Outline

Introduction

• Direct collapse (DC) model

Supermassive star (SMS) formation in dynamical heated DM halos

• Summary

SMS formation in the halo of W19

• To judge whether the expectation is true, we performed 1D RHD simulations (Sakurai, Haiman & Inayoshi 2020)

 Initial conditions from the LWH halo in W19



Basic HD equations & chemistry

1D RHD simulations using the ZEUS code (Stone & Norman 1992)

continuity eq.

e.o.m

energy eq.

$$egin{aligned} &rac{\partial
ho}{\partial t} + rac{1}{r^2} rac{\partial}{\partial r} (r^2
ho v) = 0, \ &
ho \left(rac{\partial v}{\partial t} + v rac{\partial v}{\partial r}
ight) = -rac{\partial p}{\partial r} -
ho rac{\partial \Phi}{\partial r} + f_{
m rad}, \ &
ho \left(rac{\partial e}{\partial t} + v rac{\partial e}{\partial r}
ight) = -p rac{1}{r^2} rac{\partial}{\partial r} (r^2 v) - \Lambda + \Gamma, \end{aligned}$$

chemical reactions & coolings (9 species: H, H+, He, He+, He++, e-, H2, H2+, H-)

$$rac{\partial n_i}{\partial t} = C_i - D_i n_i,$$

32 reactions

$$\begin{split} \Lambda &= \Lambda_{\rm H} + \Lambda_{\rm H_2} + \Lambda_{\rm H_2^+} + \Lambda_{\rm He} \\ &+ \Lambda_{\rm H^+, rec} + \Lambda_{\rm He^+, rec} + \Lambda_{\rm ff} + \Lambda_{\rm H, col} \\ &+ \Lambda_{\rm He, col} + \Lambda_{\rm H_2, dis}. \end{split}$$

Radiation transfer (RT)

Steady state RT

$$F_{k,\nu} = \left(\frac{r_{k-1}}{r_k}\right)^2 F_{k-1,\nu} \exp\left[-(r_k - r_{k-1})\sum_i n_i \sigma_{i,\nu}\right]$$

- # of frequency bins =50
 0.04 eV < hν < 118 eV
- For LW radiation, we consider self-shieldings by H2 and HI (Wolcott-Green et al. 2011)

$$f_{\mathrm{sh},k+1}(N_{\mathrm{H}_2}, N_{\mathrm{HI}}, T, r) = \min(f_{\mathrm{sh},\mathrm{H}_2,k+1} \times f_{\mathrm{sh},\mathrm{HI},k+1}, f_{\mathrm{sh},k})$$
(9)

Whalen & Norman (2006)

$$f_{\rm sh,H_2} = \frac{0.965}{(1+x/b_5)^{1.1}} + \frac{0.035}{(1+x)^{0.5}} \exp\left[-8.5 \times 10^{-4} (1+x)^{0.5}\right]$$
(10)

$$f_{\rm sh,HI} = (1 + x_{\rm HI})^{-1.6} \exp(-0.15 x_{\rm HI})$$
 (11)

where
$$f_{\rm sh,0} = f_{\rm sh,H_2,0} f_{\rm sh,HI,0}, x \equiv N_{\rm H_2} / (5 \times 10^{14} \,{\rm cm}^{-2}), b_5 \equiv \sqrt{kT/m_{\rm p}} / (10^5 \,{\rm cm}\,{\rm s}^{-1})$$
 and $x_{\rm HI} \equiv N_{\rm HI} / (2.85 \times 10^{23} \,{\rm cm}^{-2})$

Photon processes

H & He photo-ionizations, H- photo-detachment and H2 photo-dissociations

Reactions

$$\begin{array}{rcrcrc} H & + & \gamma & \rightarrow & H^+ & + & e^- \\ He & + & \gamma & \rightarrow & He^+ & + & e^- \\ He^+ & + & \gamma & \rightarrow & He^{++} & + & e^- \\ H_2 & + & \gamma & \rightarrow & H_2^+ & + & e^- \\ H_2 & + & \gamma & \rightarrow & H & + & H^+ \\ H_2^+ & + & \gamma & \rightarrow & H & + & H^+ \\ H_2^+ & + & \gamma & \rightarrow & H_2^+ & + & e^- \\ H_2 & + & \gamma & \rightarrow & H_2^* & \rightarrow H & + & H \end{array}$$

Radiation pressure force

$$f_{\rm rad} = rac{n_{
m e}}{c} \int \sigma_{
m es} F_{
u} {
m d}
u + rac{\Gamma}{c},$$

Reaction rates & heating rates

$$\begin{split} k_{i} &= \int_{\nu_{\mathrm{th},i}} \frac{4\pi \hat{J}_{\nu}}{h\nu} \sigma_{i,\nu} \mathrm{d}\nu, \\ \Gamma_{i} &= n_{i} \int_{\nu_{\mathrm{th},i}} \frac{4\pi \hat{J}_{\nu}}{h\nu} \sigma_{i,\nu} E_{\mathrm{heat},i} \mathrm{d}\nu, \end{split}$$

Whalen & Norman (2006)

$$k_{\rm LW} = 1.1 \times 10^8 \frac{F_{k,\nu}}{\text{erg s}^{-1} \text{ cm}^{-2} \text{ Hz}^{-1}} \text{ s}^{-1}$$
$$\Gamma_{\rm LW} = 6.4 \times 10^{-13} n_{\rm H_2} k_{\rm LW} \text{ erg s}^{-1} \text{ cm}^{-3}.$$

Abel et al. (1997)

Input radiation sources

 From center: Stellar BB + (putative) circum-stellar disk BB

 Background: LW background source (as in W19)

$$J_{\rm LW} = 3 \times 10^{-21} {\rm erg \, cm^{-2} \, s^{-1} \, Hz^{-1} \, sr^{-1}}$$

$$F_{\text{in},\nu} = F_{*,\nu} + F_{\text{disc},\nu}$$
$$F_{*,\nu} = \pi \left(\frac{R_*}{r_{\min}}\right)^2 B_{\nu}(T_{\text{eff}}),$$

$$F_{\text{disc},\nu} = \frac{1}{6\pi r_{\min}^2 [(\nu_*/\nu_{\min})^{4/3} - 1]\nu_{\min}} \frac{GM_*\dot{M}}{R_*} \left(\frac{\nu}{\nu_{\min}}\right)^{1/3} (\nu_{\min} \leqslant \nu \leqslant \nu_*), \quad (18)$$

where

$$\nu_* = 3.14 \times 10^{15} \,\mathrm{Hz} \\ \times \left(\frac{M_*}{1 \,\mathrm{M_{\odot}}}\right)^{1/4} \left(\frac{\dot{M}}{10^{-2} \,M_{\odot} \,\mathrm{yr}^{-1}}\right)^{1/4} \left(\frac{R_*}{1 \,R_{\odot}}\right)^{-3/4}.$$
 (19)

Note that the cutoff frequency $\nu_{\rm cut} \equiv \nu_*$, which corresponds to the frequency of the maximum flux of the optically thick disc, always remains below the maximum frequency $\nu_{\rm max} \simeq 2.85 \times 10^{16} \, {\rm Hz}$ in our simulations. Since $h\nu_*$ is al-

Grid parameters

- Grid points are logarithmically spaced
- r_{min} is chosen so that it is comparable to the star's initial gravitational radius

N	600
$r_{\min}~({ m cm})$	10^{16}
$r_{\rm max}~({\rm cm})$	10^{20}
ϵ	1.008
$ u_{ m min}~({ m Hz})$	10^{13}
$ u_{\rm max}~({\rm Hz})$	$2.85 imes 10^{16}$
$N_{oldsymbol{ u}}$	50

Fitting stellar models

- Fitting ZAMS models for <0.04 M_☉/yr
- Fitting supergiant protostar models for >0.04 M_☉/yr
- The latter models are fitted from calculations of the STELLAR code (Yorke & Bodenheimer 2008)
- $M_{\text{star,ini}} = 2 M_{\odot}$



Accretion rates & stellar masses

Radiation temporarily stops accretion @ 600-7000 yr
 The accretion rate recovers again @ >7000 yr



Accretion rates & stellar masses

Stellar masses grows to > 10⁵ M_☉
 SMS forms even with contracting protostars



Density & velocity (w/ radiation)

- Density is initially isothermal profile ∝ r⁻² for r<1pc
- While the accretion stops, inner density becomes high and inner velocity becomes 0 (r< 0.01 pc)



Density & velocity (w/ radiation)

- After the accretion rate recovers (M_{star} >100 M_{\odot}), the density profile follows a free-fall one $\propto r^{-1.5}$
- The velocity becomes free-fall velocity for r <~1 pc



Temperature & H2 fraction

- Temperature is initially
 <~ 1000 K due to effective
 H2 cooling
- After the accretion rate recovers (M_{star}>100 M_☉), the central temperature reaches ~ 8000 K where HI cooling is effective



Temperature & H2 fraction

 For M_{star} > 100 M_☉, the central stellar LW radiation propagates out and dissociates H2 in the outer region (r <~10 pc)



Electron fraction

• At $M_{star} \sim 10^4 M_{\odot}$, a fully ionized region (r<0.005 pc) and partially ionized region (0.005pc < r < 0.07 pc) form

 Despite the strong stellar EUV radiation, the HII region does not expand due to high density and effective H recombination



Reason why the inflow is stopped

 Photoheating overcomes gravity while H2 is dissociated and H2 cooling becomes ineffective



Reason why the inflow resumes

The self-gravity of the gas builds up as the outer shells fall in and accumulate



Impact of the parameters

 SMS >~ 10⁴-10⁵ M_☉ forms even if there is no selfshielding, or even if the gas density is 0.1 times smaller



Comparison to other works

• We performed a simulation for a Pop III formation case with an initial condition from Hirano et al. (2015)



Caveats

- Spherical assumption
 - If an accretion disk forms, radiation can more easily escape from polar regions and can more suppress the accretion
 - Turbulence and grav. interactions between stars can make the central star move to a lower density region (Regan et al. 2020)
 - Outflows and magnetic fields can also suppress the stellar growth (e.g. Rosen & Krumholz 2020)

Summary

 Several SMBHs at high-z >~ 6 are observed but their origins are still uncertain

• The DC model is a promising model for explaining the origin



Summary

- We study whether SMS can form in a dynamically heated halo of W19 by 1D RHD simulations
- SMS > 10⁵ M_☉ forms even with strong stellar EUV radiation
- Multi dimensional studies with detailed physics are needed



Summary

- We study whether SMS can form in a dynamically heated halo of W19 by 1D RHD simulations
- SMS > 10⁵ M_☉ forms even with strong stellar EUV radiation



10⁰

• Mi For more detail please check stuc Sakurai, Haiman & Inayoshi (2020), phy arXiv:2009.02629, accepted by MNRAS

Thank you for your attention