

# **Observational constraints on disk galaxy formation from Tully-Fisher relation and weak gravitational lensing**

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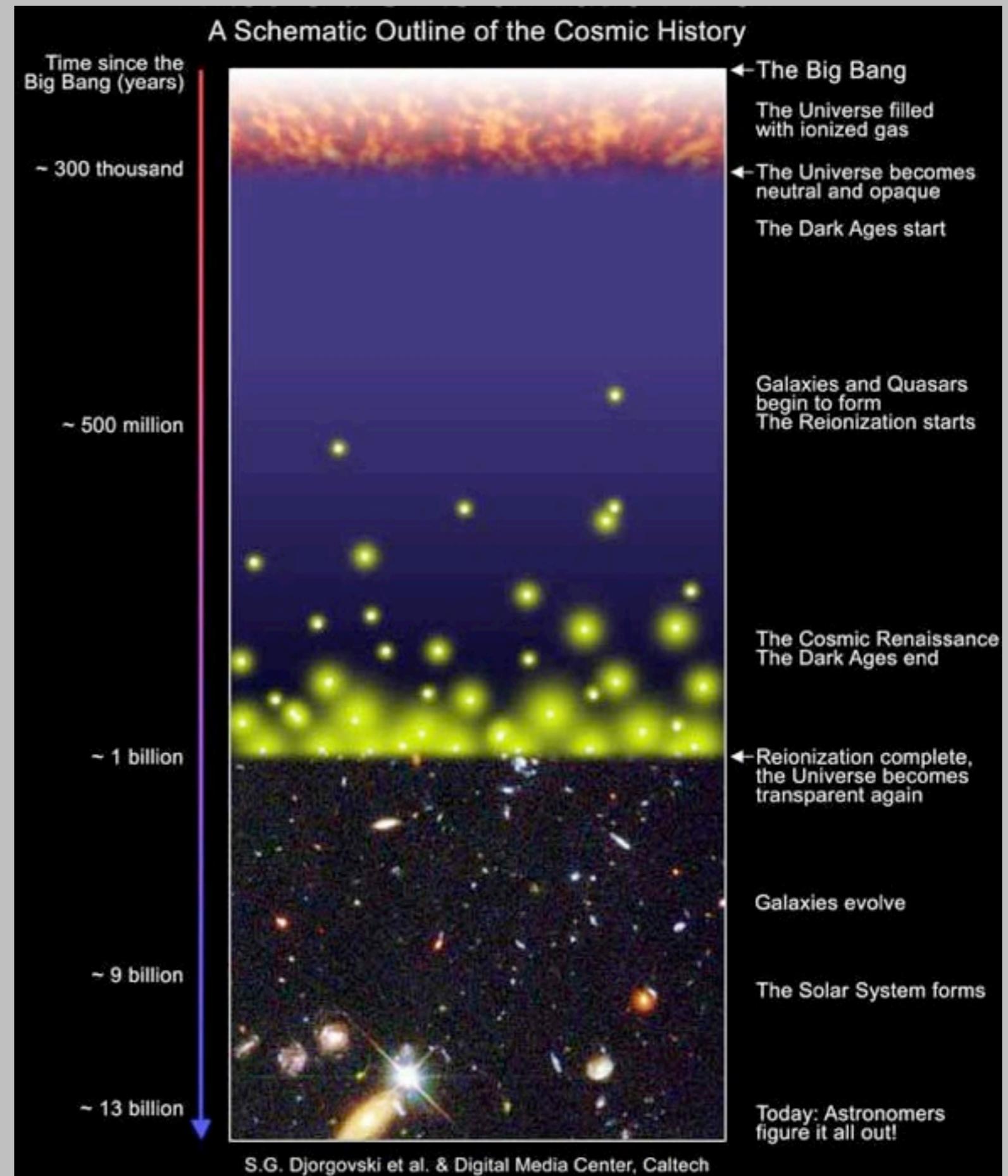
IPMU  
19 Jan 2012

# Outline

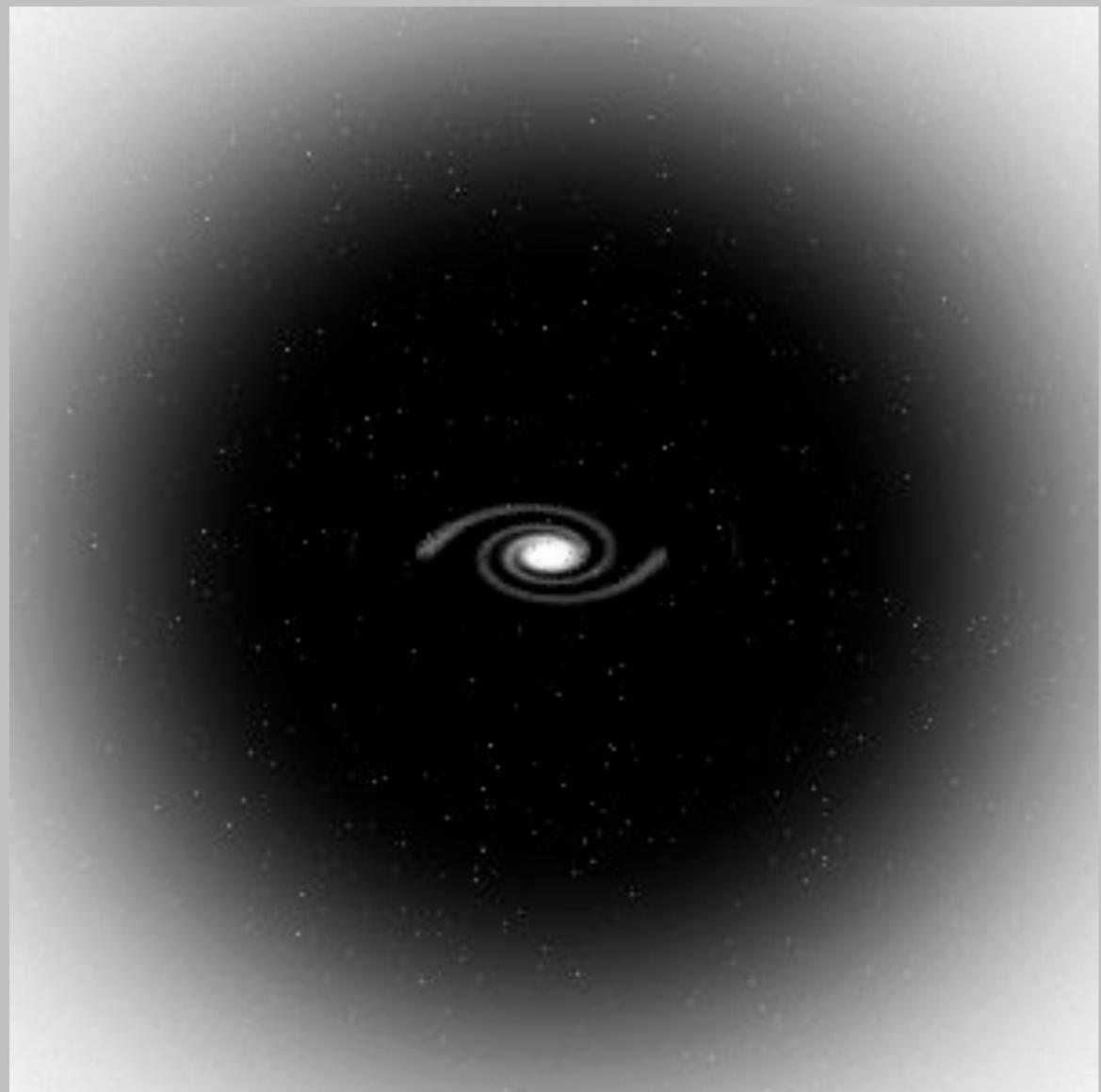
- **Motivation**
- **Observational methods**
  - Sample selection
  - Weak lensing
  - Disk kinematics
- **Observational constraints**
  - Tully-Fisher relation
  - Dynamical-to-stellar(baryonic) mass ratios
  - Halo-to-stellar mass ratios
  - Virial-to-optical velocity ratios
- **Implications for disk galaxy formation**

# Galaxy formation: The big picture

- Structure grew **hierarchically** in a LCDM Universe.
- The **goal** of galaxy formation studies is:
  - to explain the **observed properties** of galaxies
  - understand the underlying **physical processes**



# Disk galaxy formation: The basic picture



Dark matter and gas acquire angular momentum via tidal torques in the early universe.

Gas cools and condenses to form galaxies in the centers of cold DM haloes.

Angular momentum halts the collapse to form rotationally-supported disks.

White & Rees 1978

Fall & Efstathiou 1980

Dalcanton, Spergel & Summers 1997

Mo, Mao & White 1998

# Disk galaxy formation: approaches

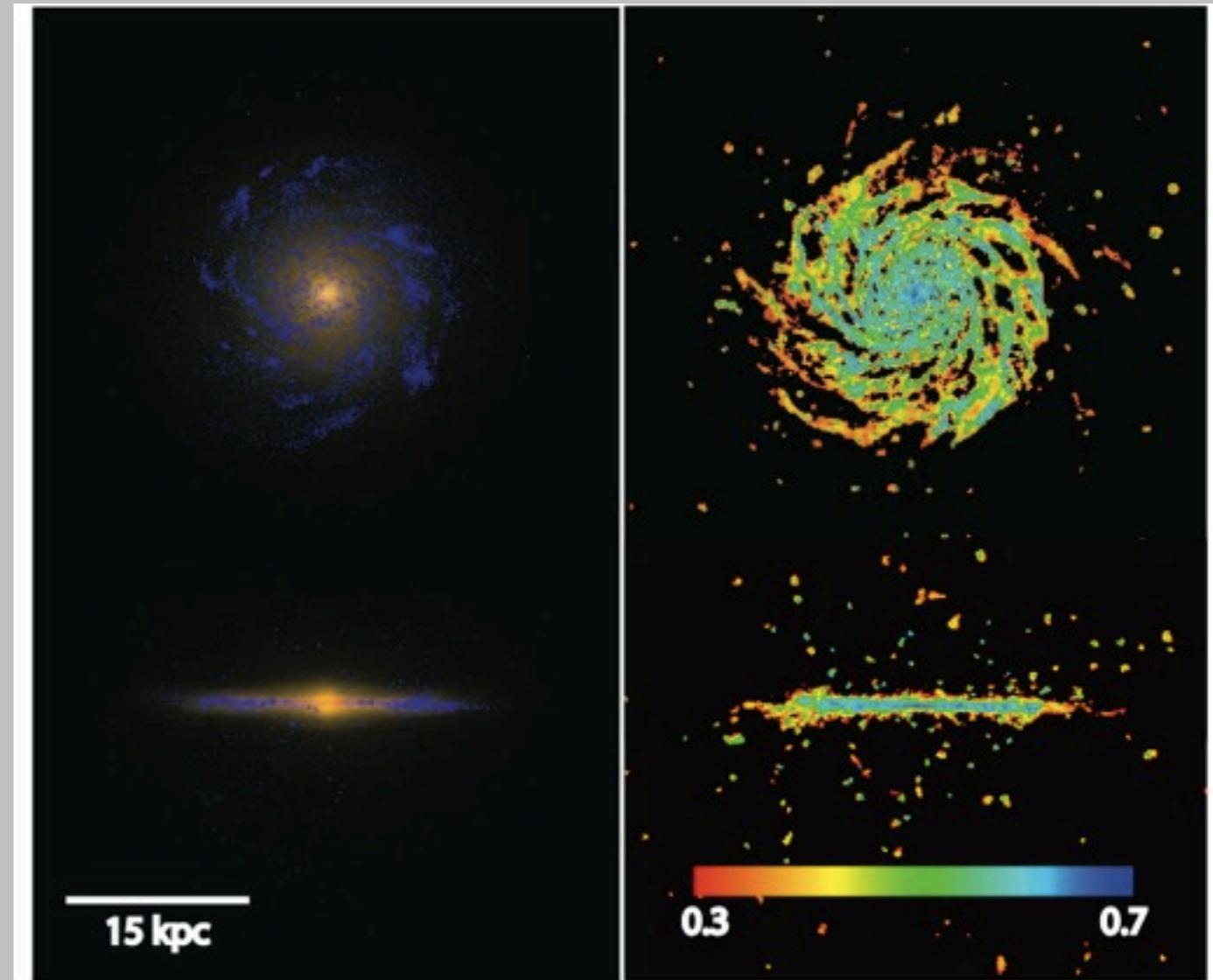
2 main theoretical approaches to galaxy formation:

- Hydrodynamic simulations

(e.g. Governato et al. 2010,  
Guedes et al. 2011,  
Brook et al. 2011,  
Agertz et al. 2011)

- Semi-analytical modeling

(e.g., Benson & Bower 2010)



“Eris” simulation (Guedes et al. 2011)

# Disk galaxy formation: approaches

2 main theoretical approaches to galaxy formation:

- Hydrodynamic simulations
- Semi-analytical modeling

In both cases:

- Several **physical processes** remain **poorly understood** (e.g., cooling, SF, feedback, angular momentum transfer, halo contraction).
- **Observations** are needed to **test** theoretical models.

# Disk galaxy formation: approaches

**2 main theoretical approaches to galaxy formation:**

- Hydrodynamic simulations
- Semi-analytical modeling

**A *third* approach:**

- **Semi-empirical modeling**  
(e.g. Dalcanton, Spergel & Summers 1997,  
Mo, Mao & White 1998, Dutton et al. 2011,  
Reyes et al. in prep)

# Disk galaxy formation: Semi-empirical modeling

- Use set of observational relations as **inputs** to the model
- Use *another* set of observations to **constrain** free parameters

# Disk galaxy formation: Semi-empirical modeling

- Example: Mass modeling in Dutton et al. (2011)

## Mass Model

**DM halo**  
( $M_{200}$ ,  $C_{200}$ ,  
halo contraction model)

+

**stellar disk**  
( $M^*$ ,  $R_d$ , D/T, stellar IMF)

+

**cold gas disk**  
( $M_{\text{gas}}$ ,  $R_{\text{gas}}$ )

## Independent constraint

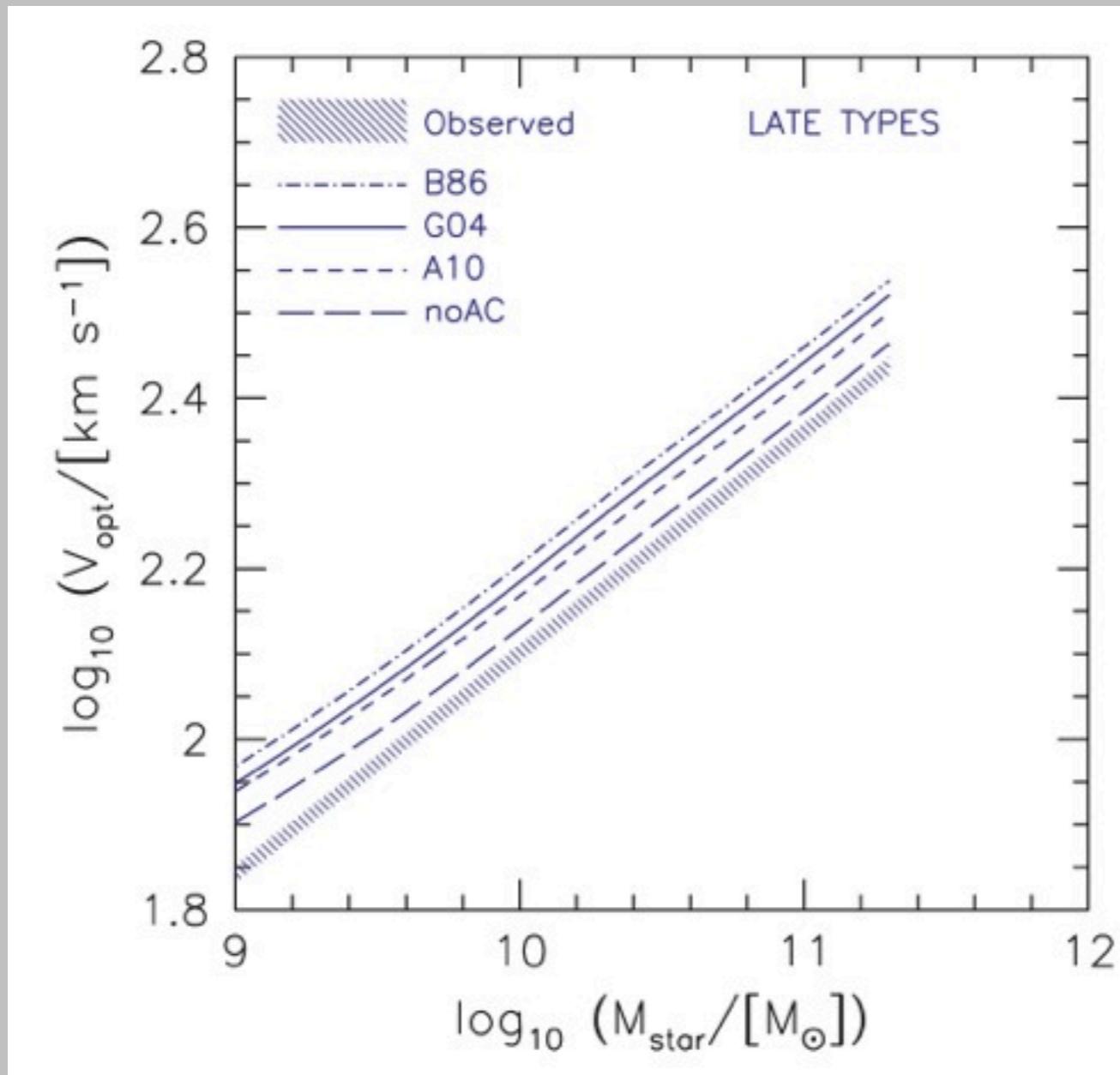
**Tully-Fisher relation**  
( $V_{\text{opt}}$  vs.  $M^*$ )

## Unknowns

- halo contraction model
- stellar IMF

# Disk galaxy formation: Semi-empirical modeling

- Example: Mass modeling in Dutton et al. (2011)



**Independent constraint**

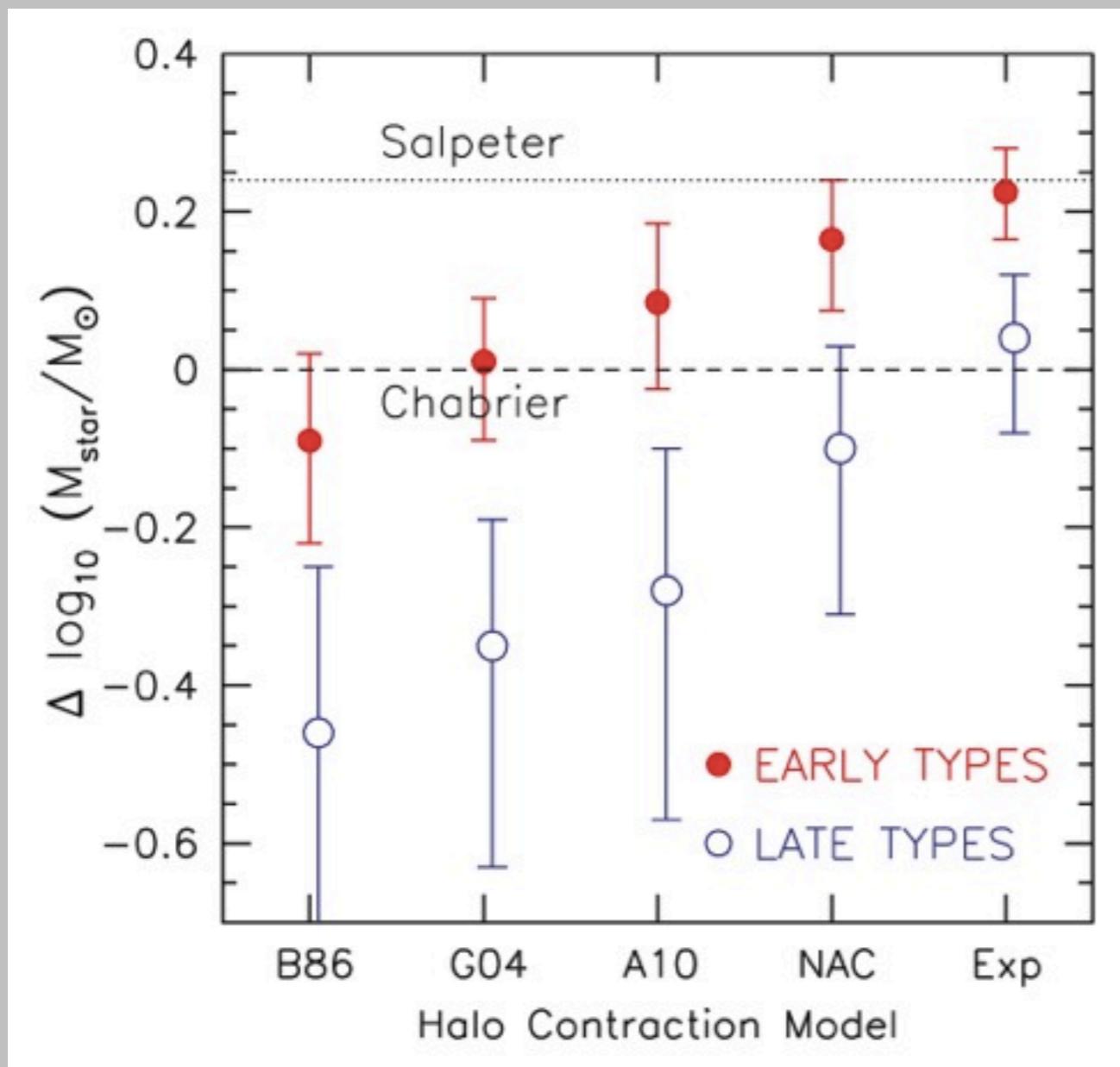
**Tully-Fisher relation**  
( $V_{\text{opt}}$  vs.  $M^*$ )

**Unknowns**

- halo contraction model
- stellar IMF

# Disk galaxy formation: Semi-empirical modeling

- Example: Mass modeling in Dutton et al. (2011)



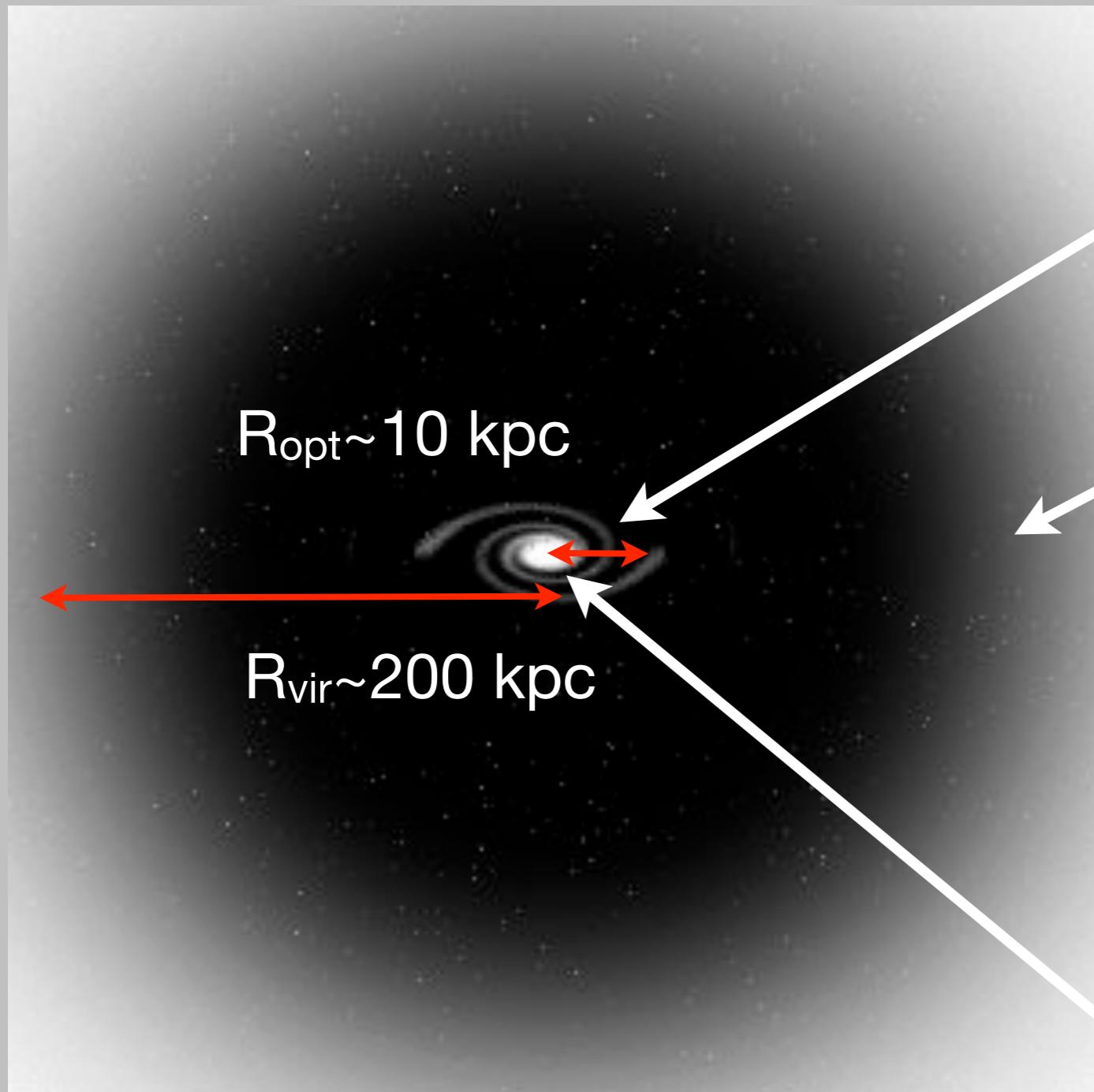
**Independent constraint**

**Tully-Fisher relation**  
( $V_{\text{opt}}$  vs.  $M^*$ )

**Unknowns**

- halo contraction model
- stellar IMF

# Disk galaxy formation: observational constraints



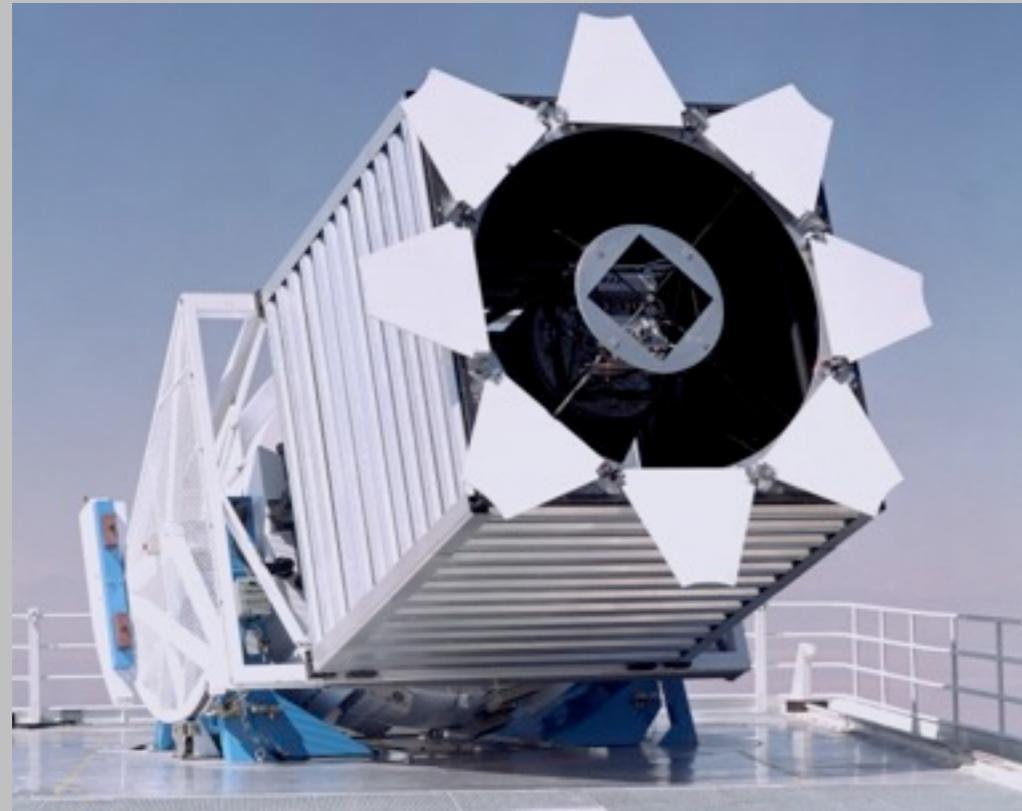
**kinematics** ->  $\mathbf{V}_{\text{opt}}$  (TFR)

**weak lensing**  
-> DM halo masses

Combined measurement  
covers large dynamic range  
in length scales ->  
constrains the total mass  
profile (Seljak 2002)

**photometry** ->  $\mathbf{M}_{\text{star}}$

# Sample selection



**SDSS** -> parent sample  
( $\sim 10^5$  galaxies)

**Goal:** Define a large sample of disk galaxies **adequate for weak lensing analysis.**

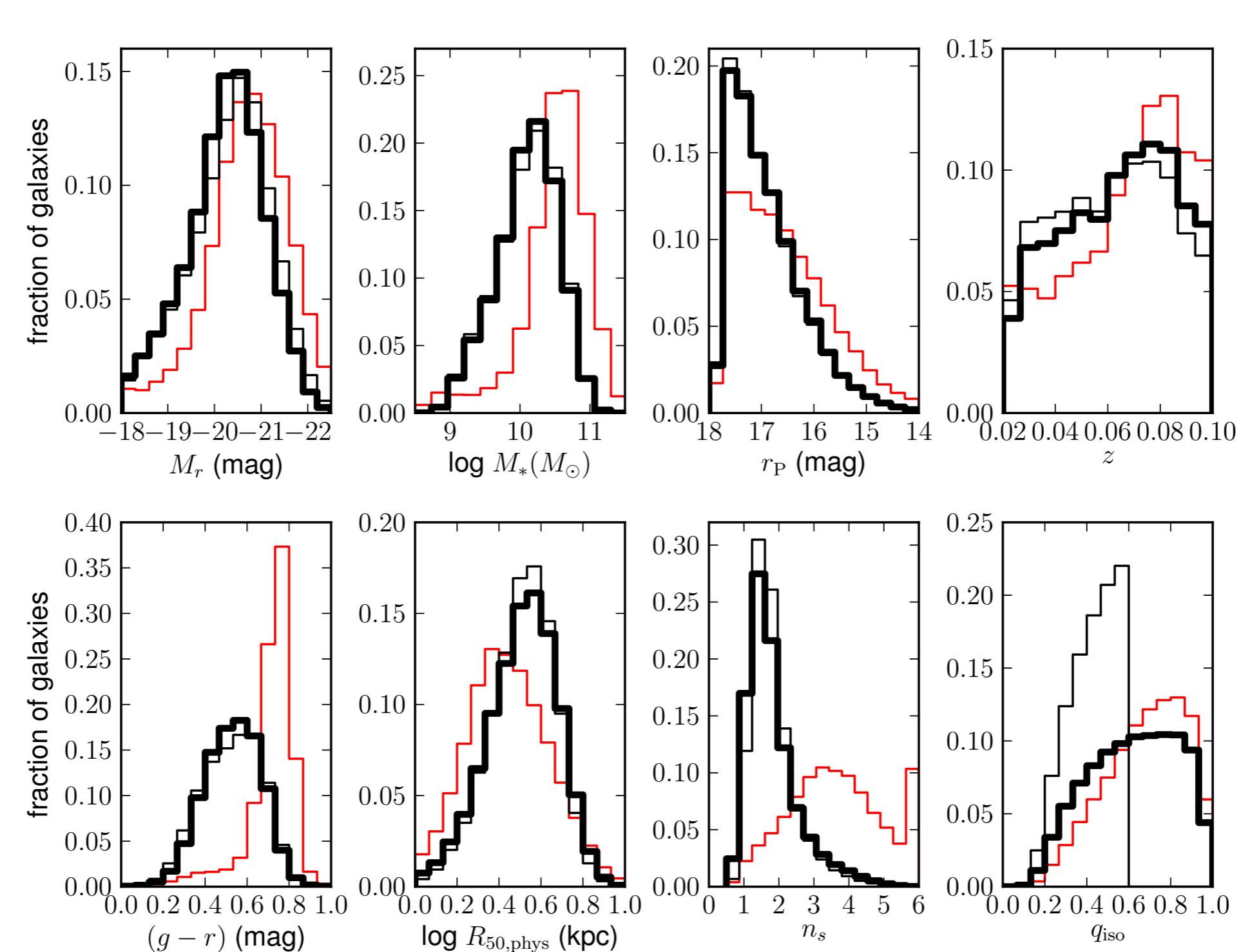


**APO 3.5m** -> TFR sample  
( $\sim 10^2$  galaxies)

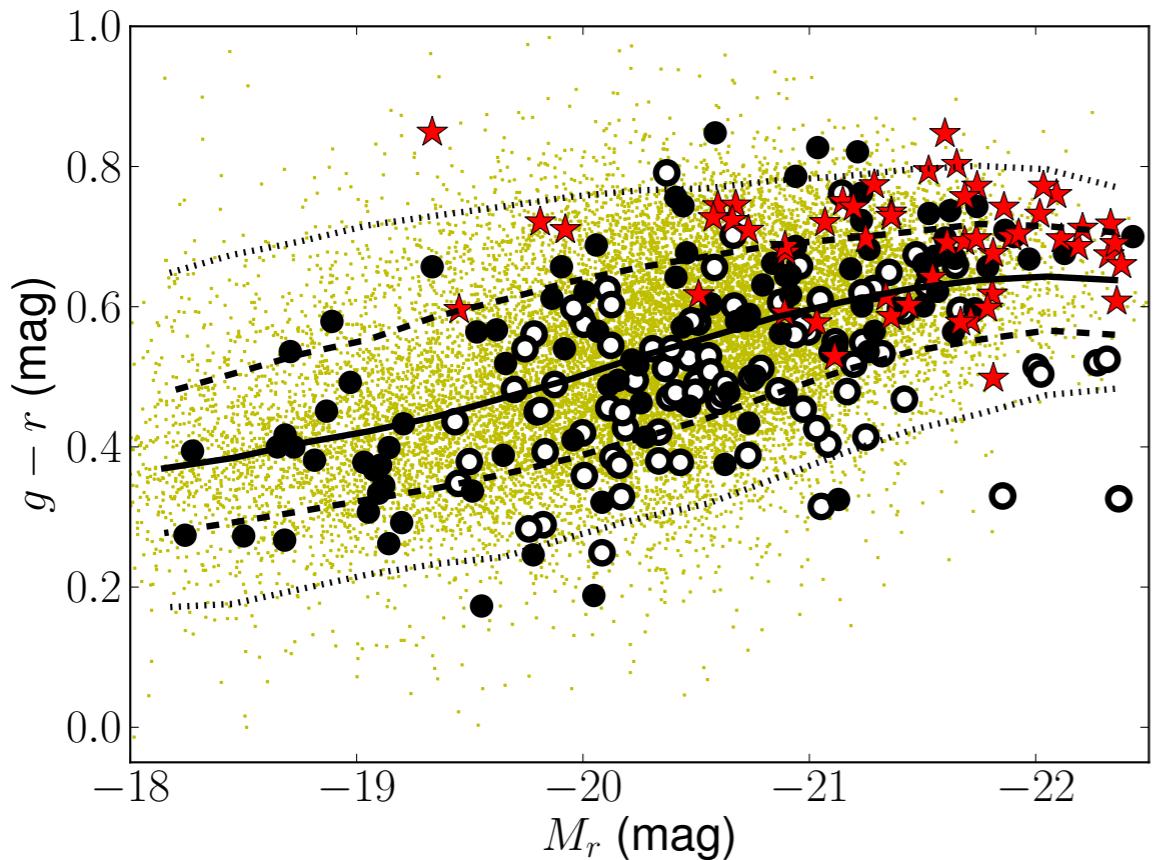
**Goal:** Define a TFR sample that is a **fair subsample** of the parent sample.

# Sample selection

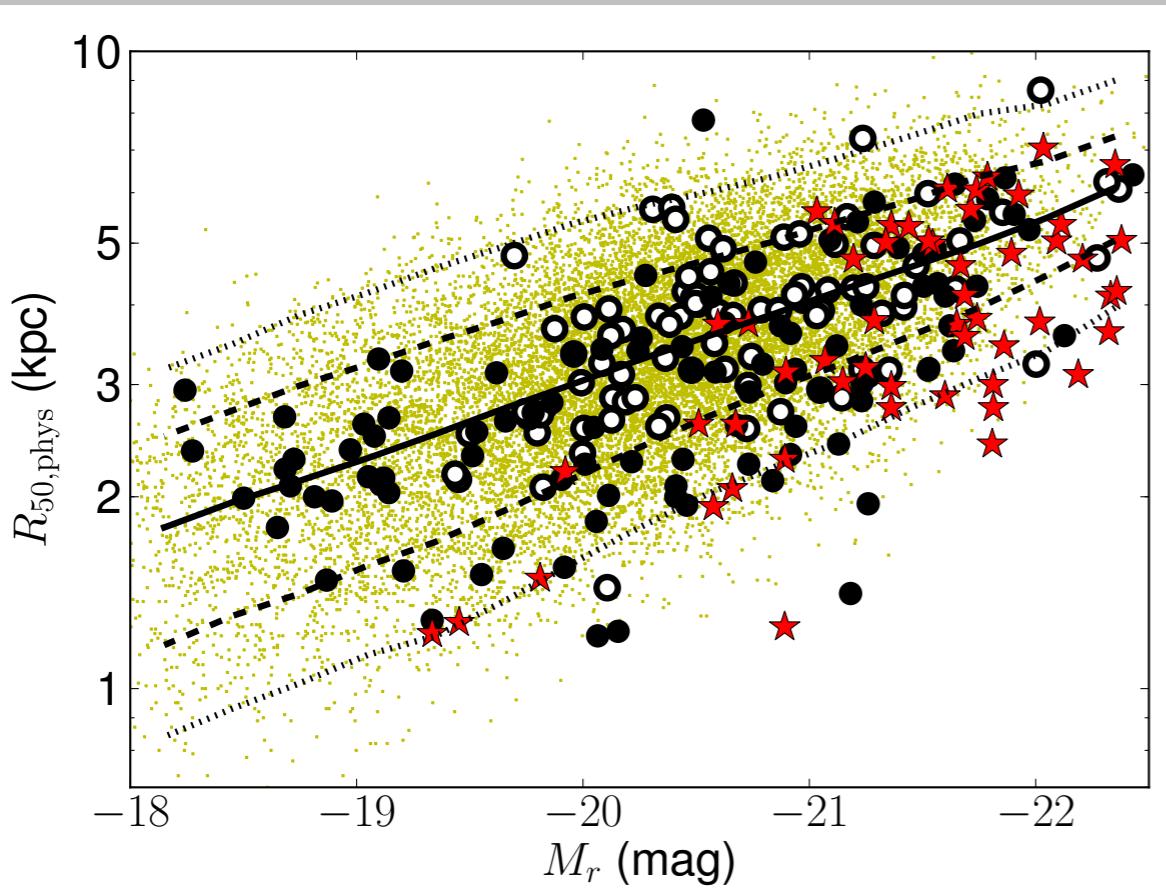
~176,000 galaxies selected from the SDSS DR7 VAGC



# Sample selection

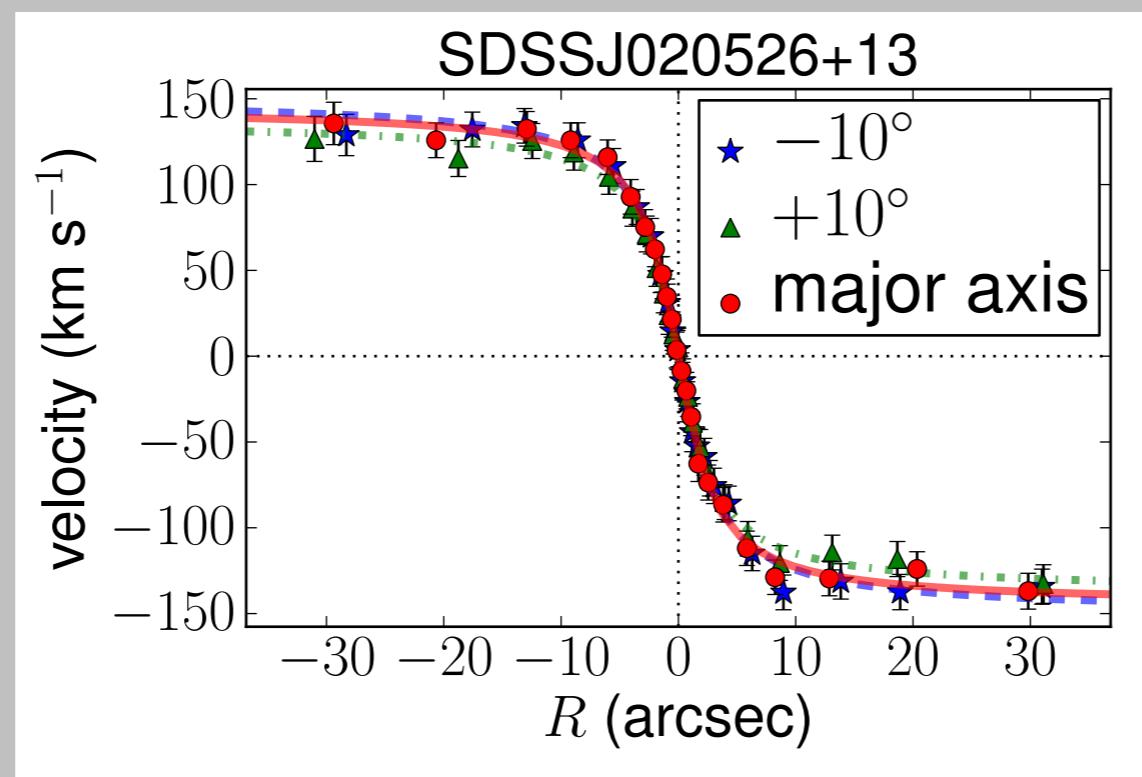
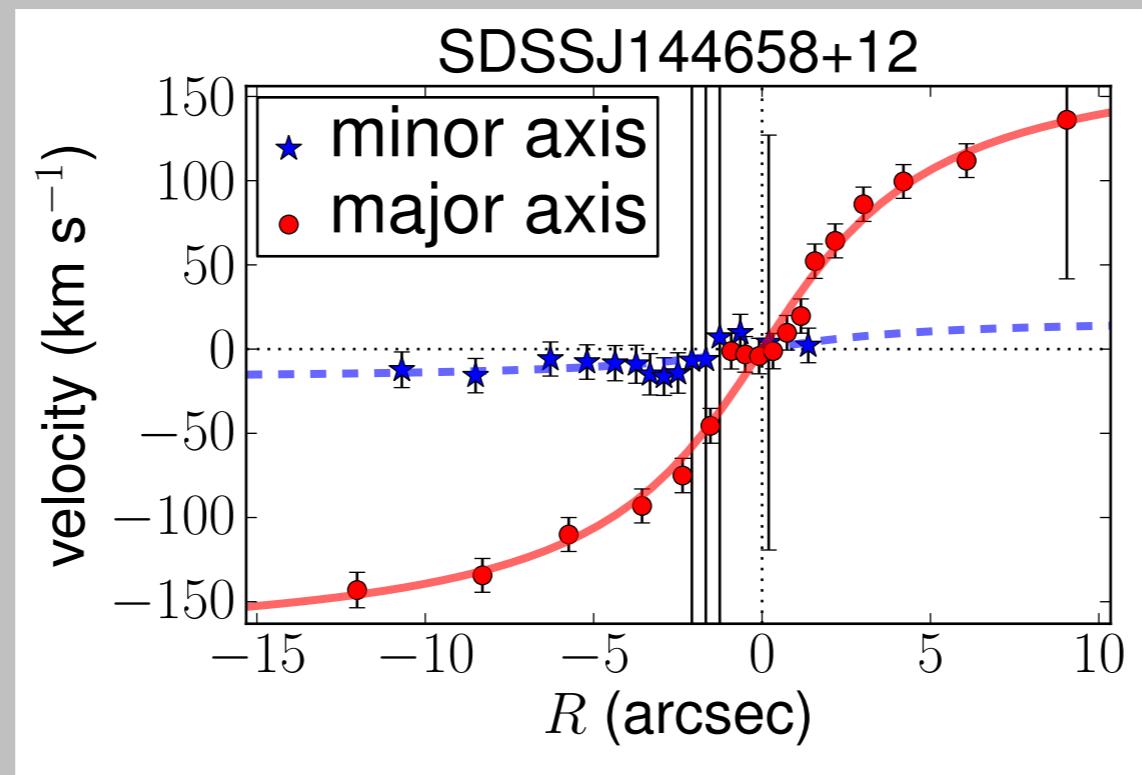
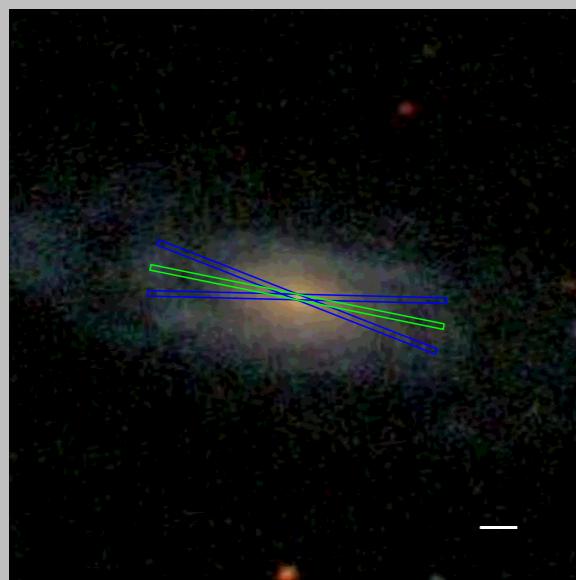
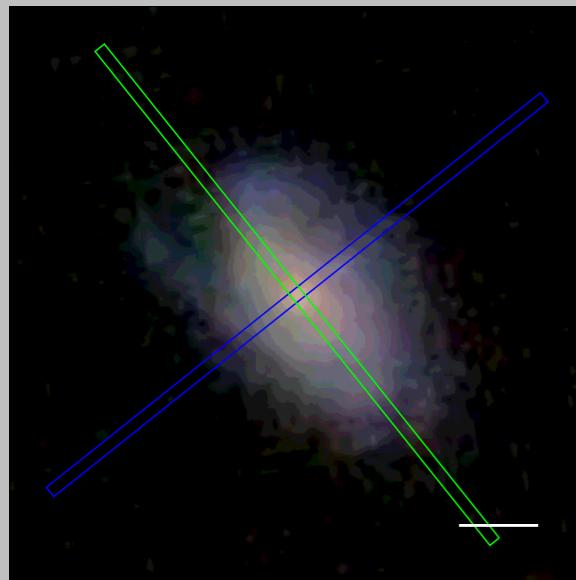


- 189 galaxies in the TFR sample
  - 99 galaxies from Pizagno et al. (2007)
  - 90 galaxies with new observations



- By construction, a **fair subsample** of the parent disk sample, covering the parameter space in **luminosity**,  **$g-r$  color** and **disk size**

# Rotation curves

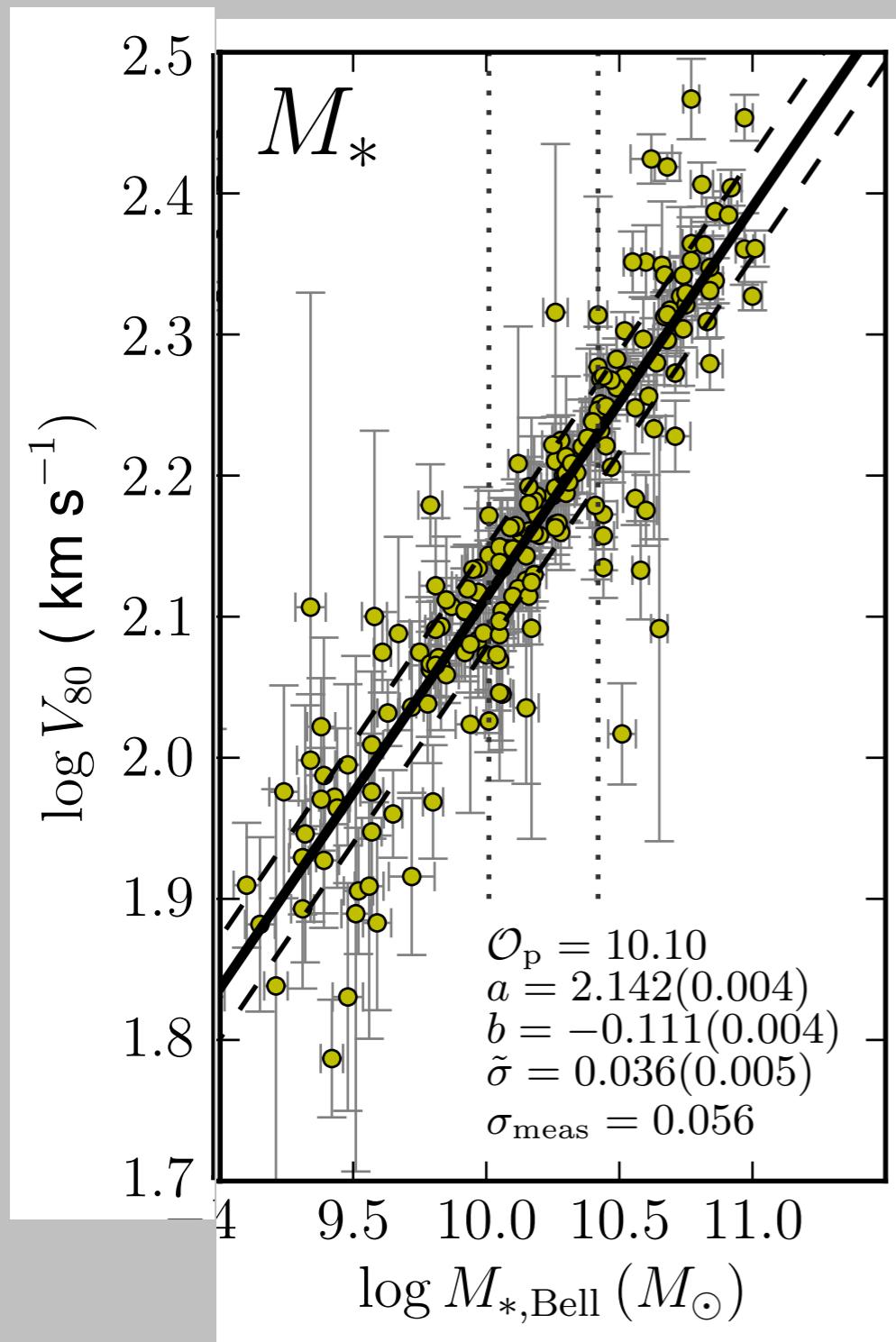


**90 galaxies**  
observed for [long-slit spectroscopy](#) with  
DIS at the 3.5m telescope at APO  
over 25 half-nights.

[Arctangent model](#) fits  
the observed rotation  
curves adequately  
for ~99% of the  
sample.

Define rotation  
velocity  $\mathbf{V}_{80}$ .

# Tully-Fisher relation



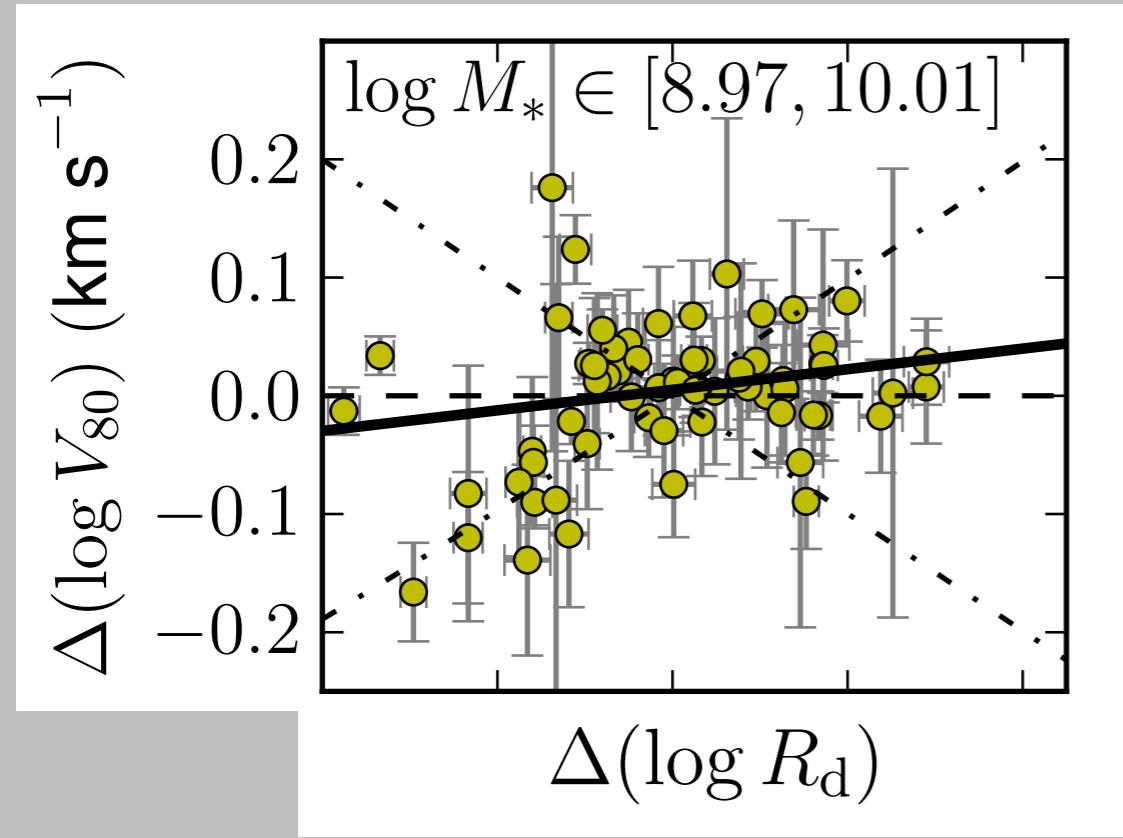
**Goal:** Find a **minimal scatter** estimate of rotation velocity.

**Stellar mass  $M_{\text{star}}$**  (based on Bell et al. 2003  $M_{\text{star}}/L$ ) is **optimal photometric estimator** of rotation velocity  $V_{80}$ :

$$\begin{aligned} \log V_{80}(M_*) &= (2.142 \pm 0.004) \\ &+ (0.278 \pm 0.010) (\log M^*/M_{\text{sun}} - 10.10) \end{aligned}$$

with an intrinsic scatter in  $\log V_{80}$  of  **$0.036 \pm 0.005 \text{ dex}$**  and a total scatter of  **$0.056 \text{ dex}$** .

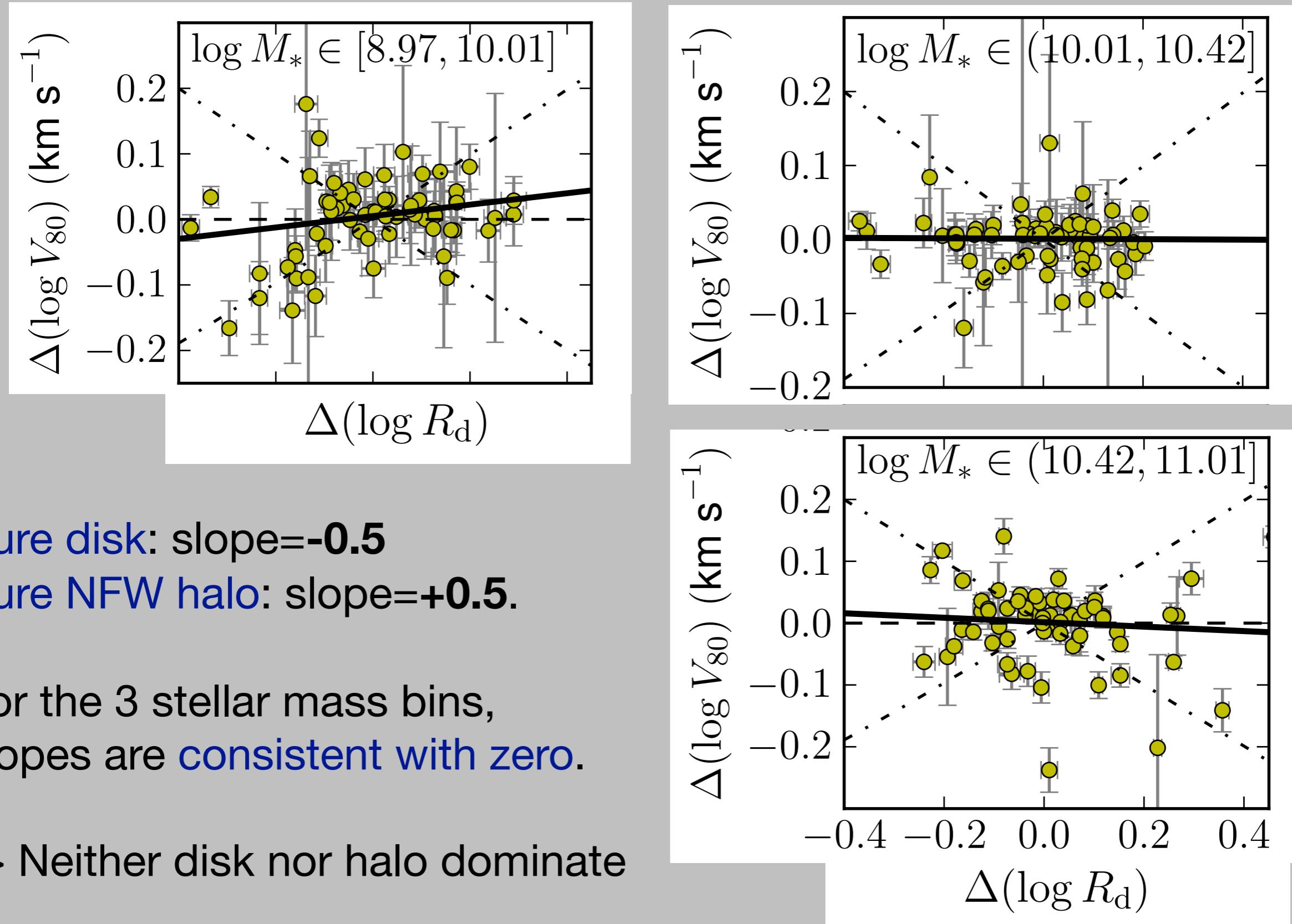
# TF residual correlations



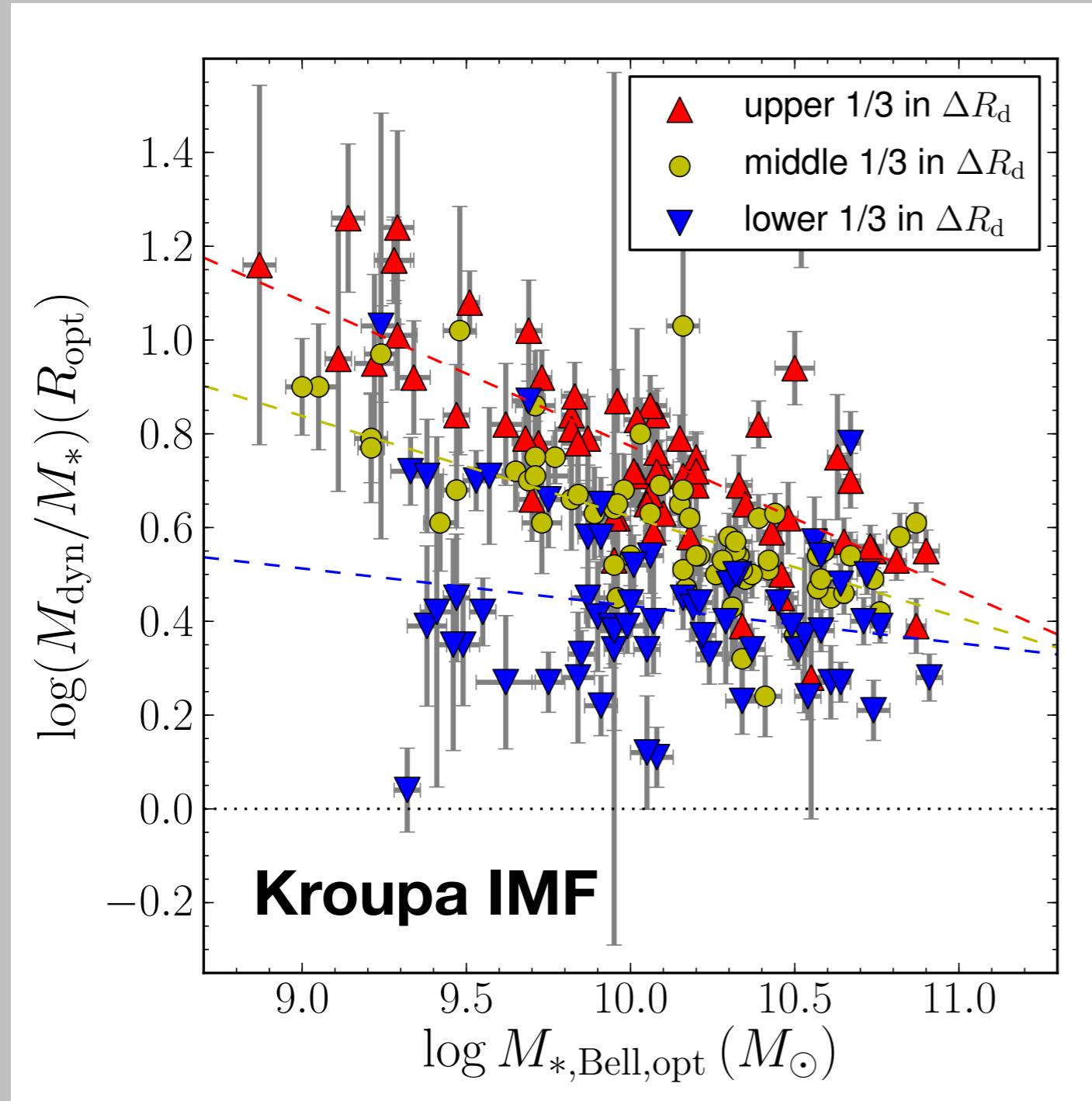
Pure disk: slope=-0.5  
Pure NFW halo: slope=+0.5.

For the 3 stellar mass bins,  
slopes are consistent with zero.

-> Neither disk nor halo dominate



# Dynamical-to-stellar mass ratios

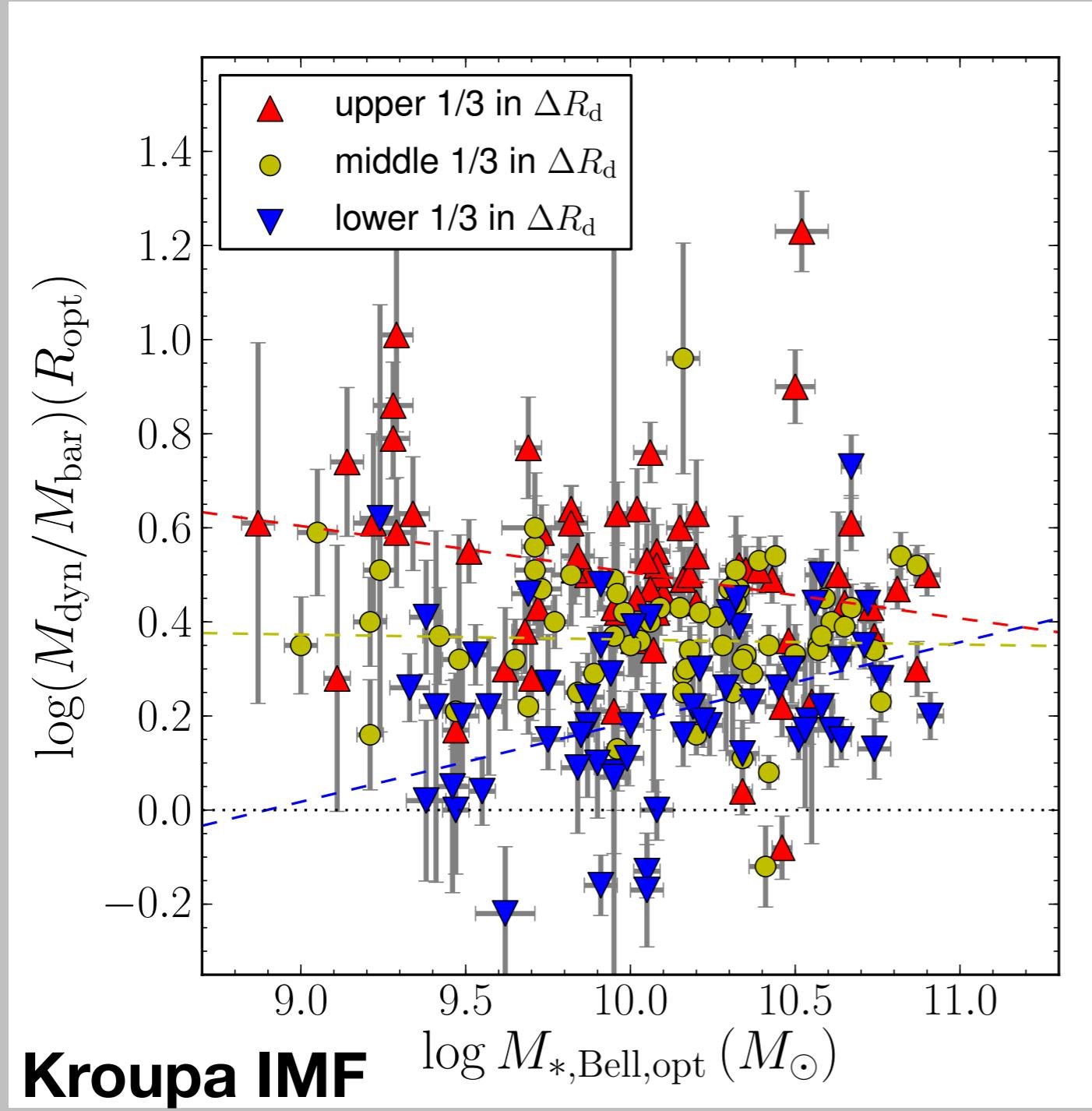


$M_{\text{dyn}}/M_{\star}$  within the optical radius decreases from  $\sim 10$  to 3 as stellar mass increases from  $M_{\star} \sim 10^9$  to  $10^{11} M_{\odot}$ .

Larger disks have higher  $M_{\text{dyn}}/M_{\star}$ . at a given stellar mass.

The smallest disks have low  $M_{\text{dyn}}/M_{\star}$  at all stellar masses.

# Dynamical-to-baryon mass ratios

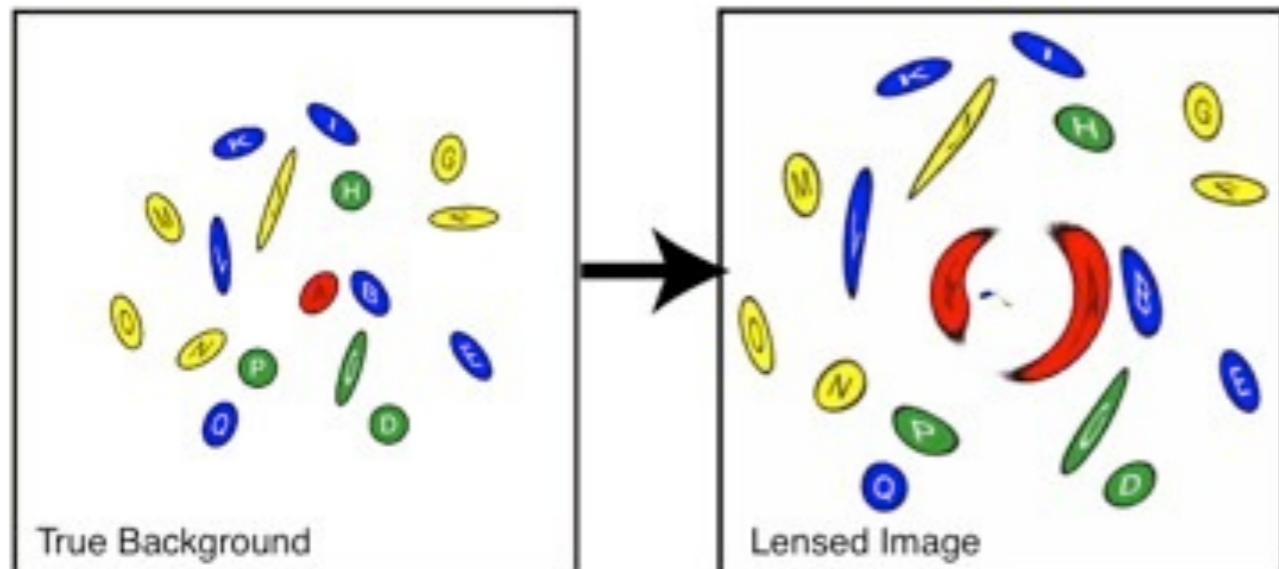
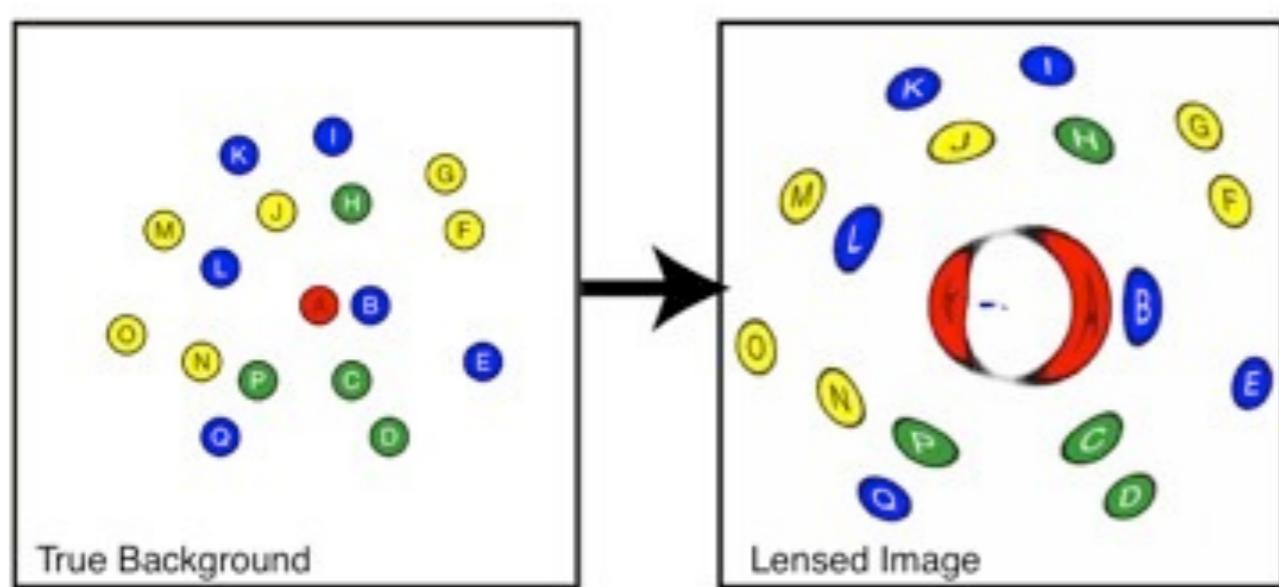


**$M_{\text{dyn}}/M_{\text{bar}}$  within the optical radius is roughly constant with stellar mass at  $\sim 2.6$ .**

Larger disks have higher  $M_{\text{dyn}}/M_{\text{bar}}$ . at a given stellar mass.

- > At larger  $R_{\text{opt}}$ , one “sees” more of the halo.
- >  $R_{\text{halo}}$  scales with  $R_{\text{opt}}$ ?

# Weak (galaxy-galaxy) lensing

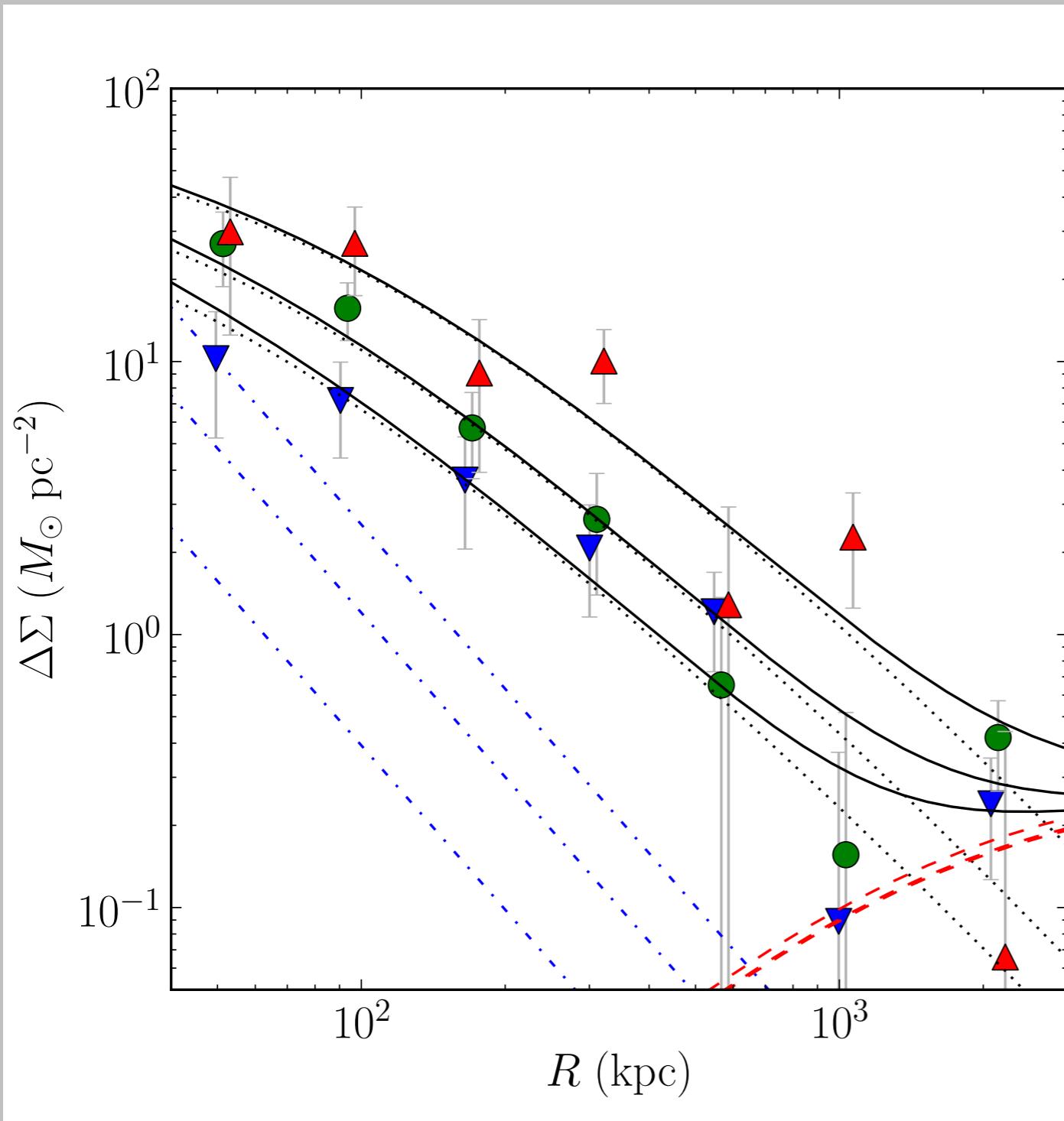


Galaxy images are **weakly distorted** due to the bending of light by intervening matter.

Powerful direct probe of **total mass** (dark + luminous).

Stacked measurements yield adequate S/N to obtain **DM halo masses**.

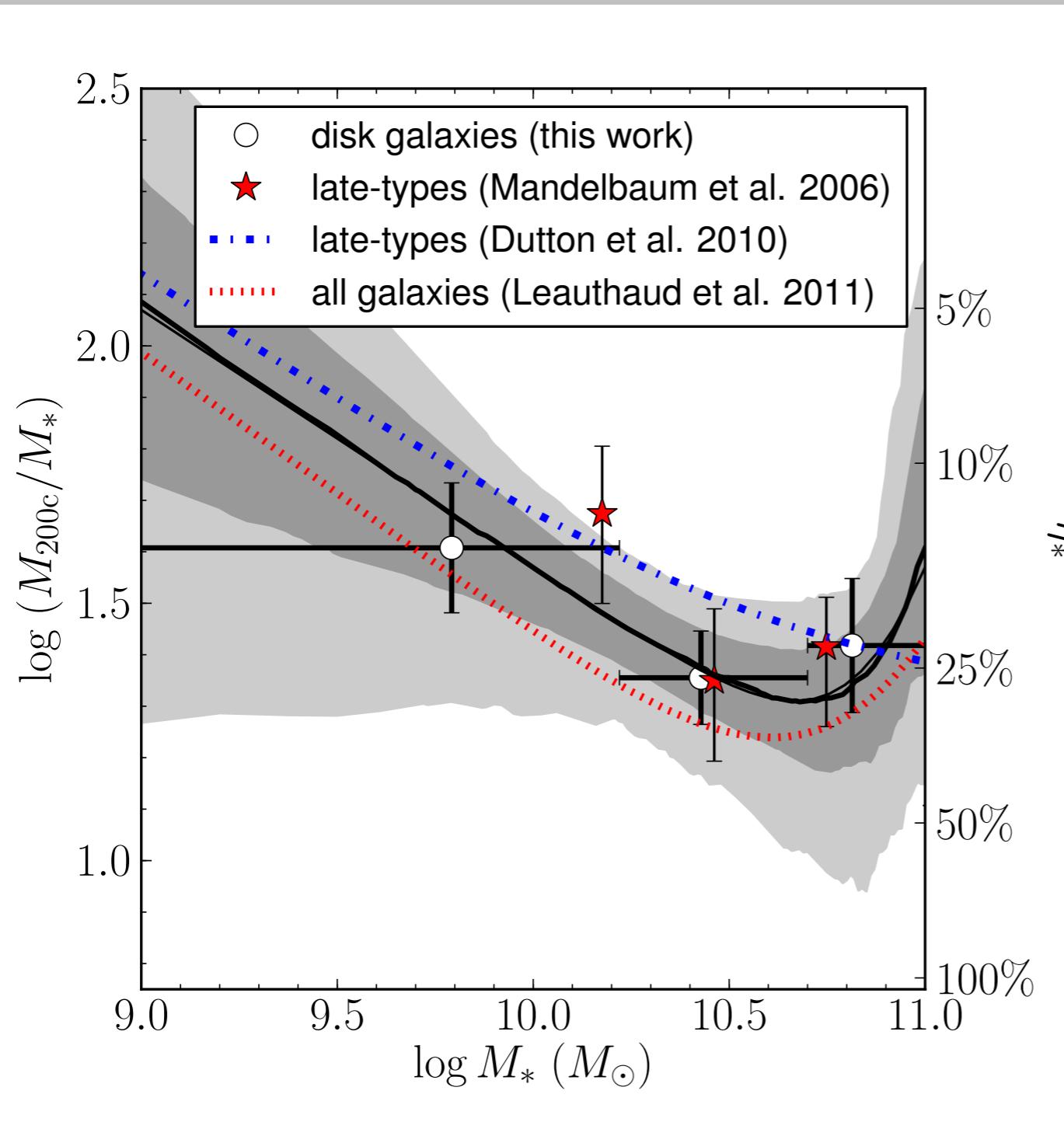
# Galaxy-galaxy lensing profile



Bins in **stellar mass** have  
 **$N \sim 78, 47, 8 \times 10^3$  galaxies**  
and  
 **$\langle \log M^* \rangle \sim 9.79, 10.43, 10.81$**   
(in units of  $M_{\odot}$ ).

Fits to NFW profiles give  
halo virial masses  
 **$\langle \log M_{200c} \rangle$**   
 **$\sim 11.40, 11.79, 12.23$**   
 **$\pm 0.13, 0.09, 0.13$**   
(in units of  $M_{\odot}$ ).

# Halo-to-stellar mass ratios



$M_{200c}/M_{\text{star}}$  decreases from  $\sim 10^2$  to a **minimum of  $\sim 20$**  at  $M_{\text{star}} \sim 3 \times 10^{10} M_\odot$ .

For our 3 stellar mass bins:

$$M_{200c}/M_{\text{star}} = 41, 23, 26 \\ \pm 5, 2, 3 (1\sigma)$$

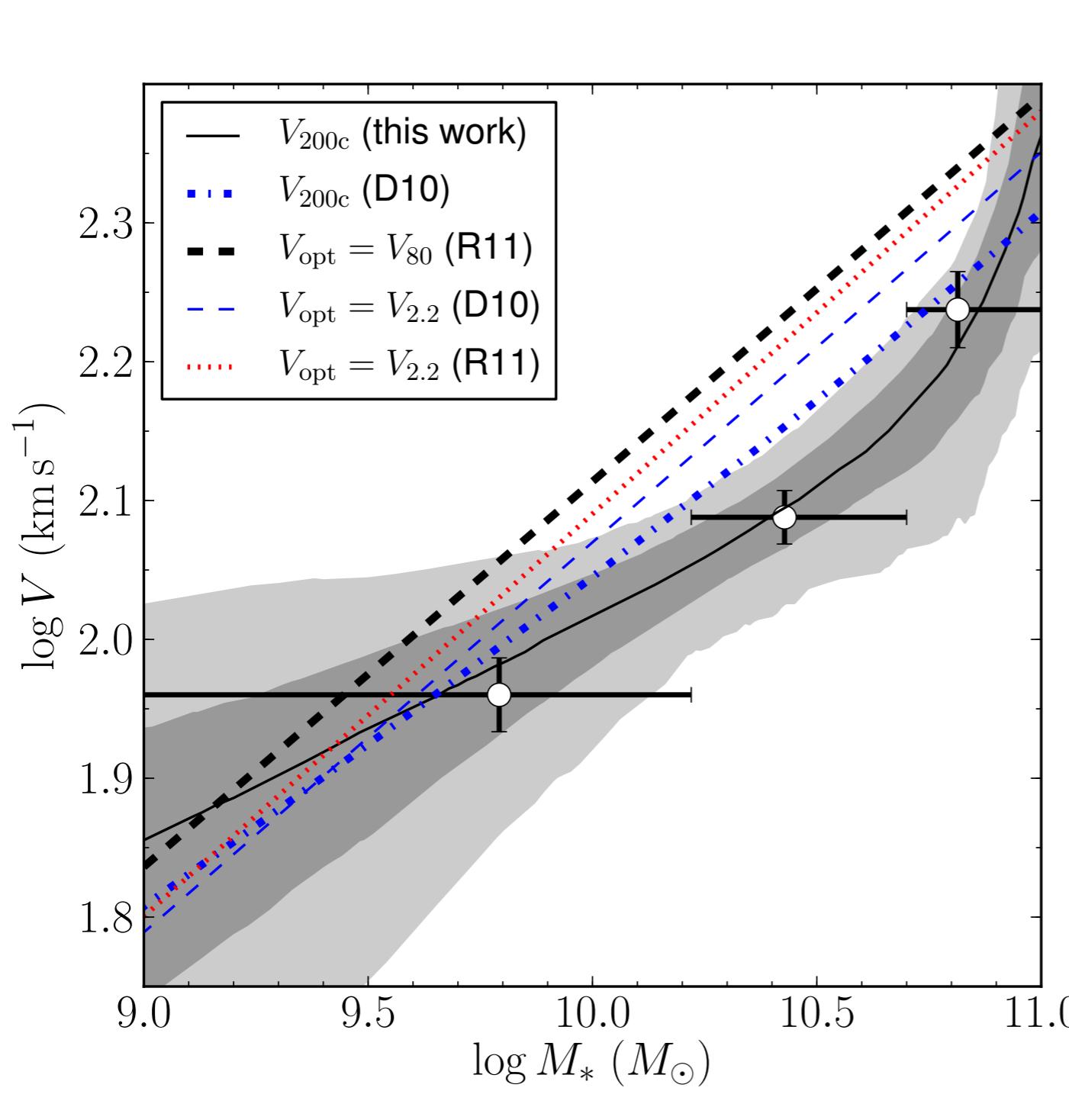
stellar conversion efficiency

$$\langle \eta_\star \rangle = (M_{\text{star}}/M_{200c}) / (\Omega_b/\Omega_m) = \\ 15, 26, 23 \pm 5, 6, 8\% (1\sigma)$$

baryon retention fraction

$$\langle \eta_b \rangle = (M_{\text{bar}}/M_{200c}) / (\Omega_b/\Omega_m) = \\ 30, 37, 29\% \\ (\text{using gas-to-stellar mass ratios of } 0.99, 0.41, 0.24)$$

# Virial vs. optical velocities



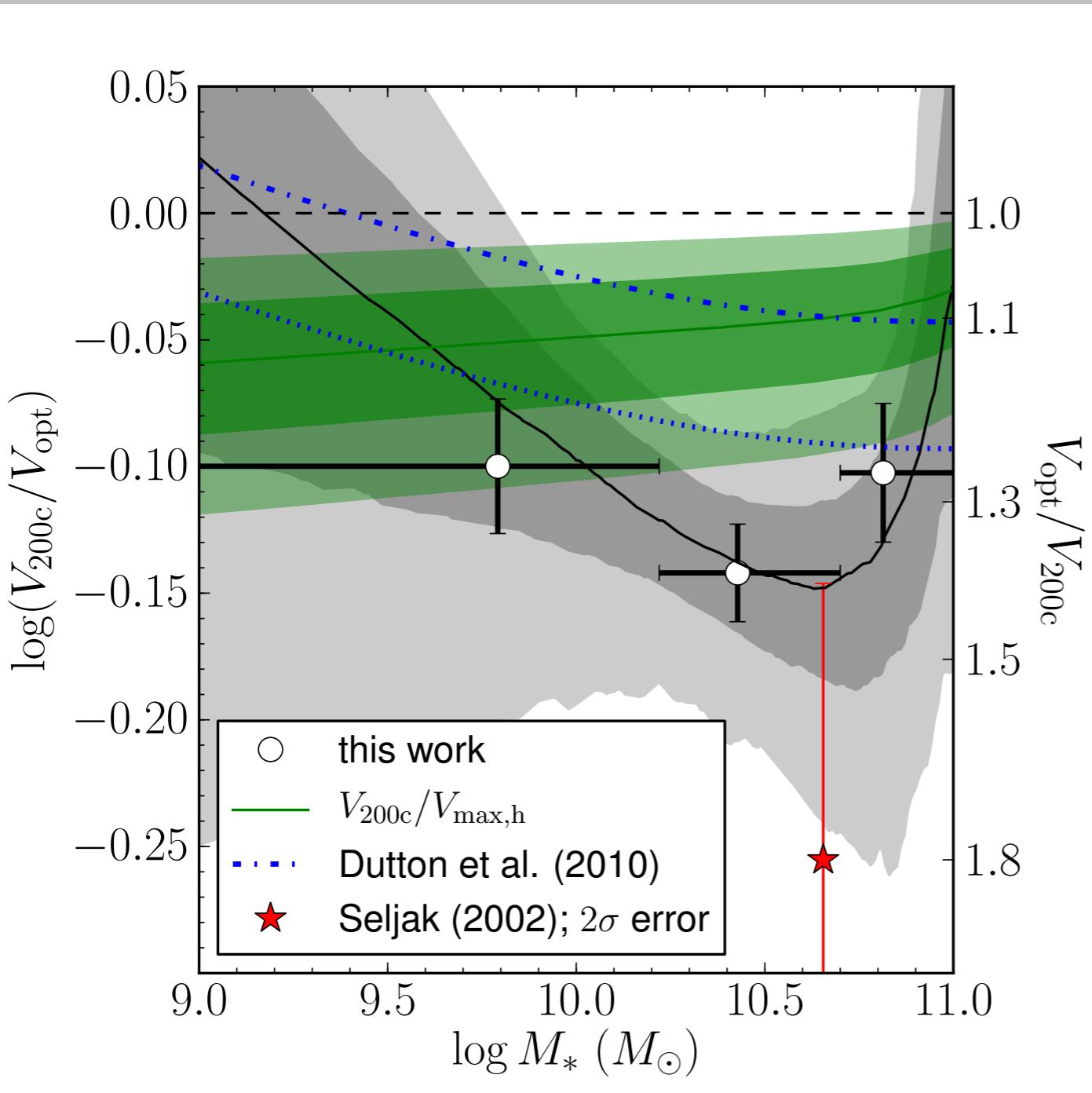
- $V_{200c}$  from weak lensing:

$$V_{200c} = (GM_{200c}/R_{200c})^2$$

- $V_{\text{opt}}$  from Tully-Fisher relation:

$$\log V_{80}(M^*) = 2.142 + 0.278 \times (\log M^* - 10.10)$$

# Virial-to-optical velocity ratios

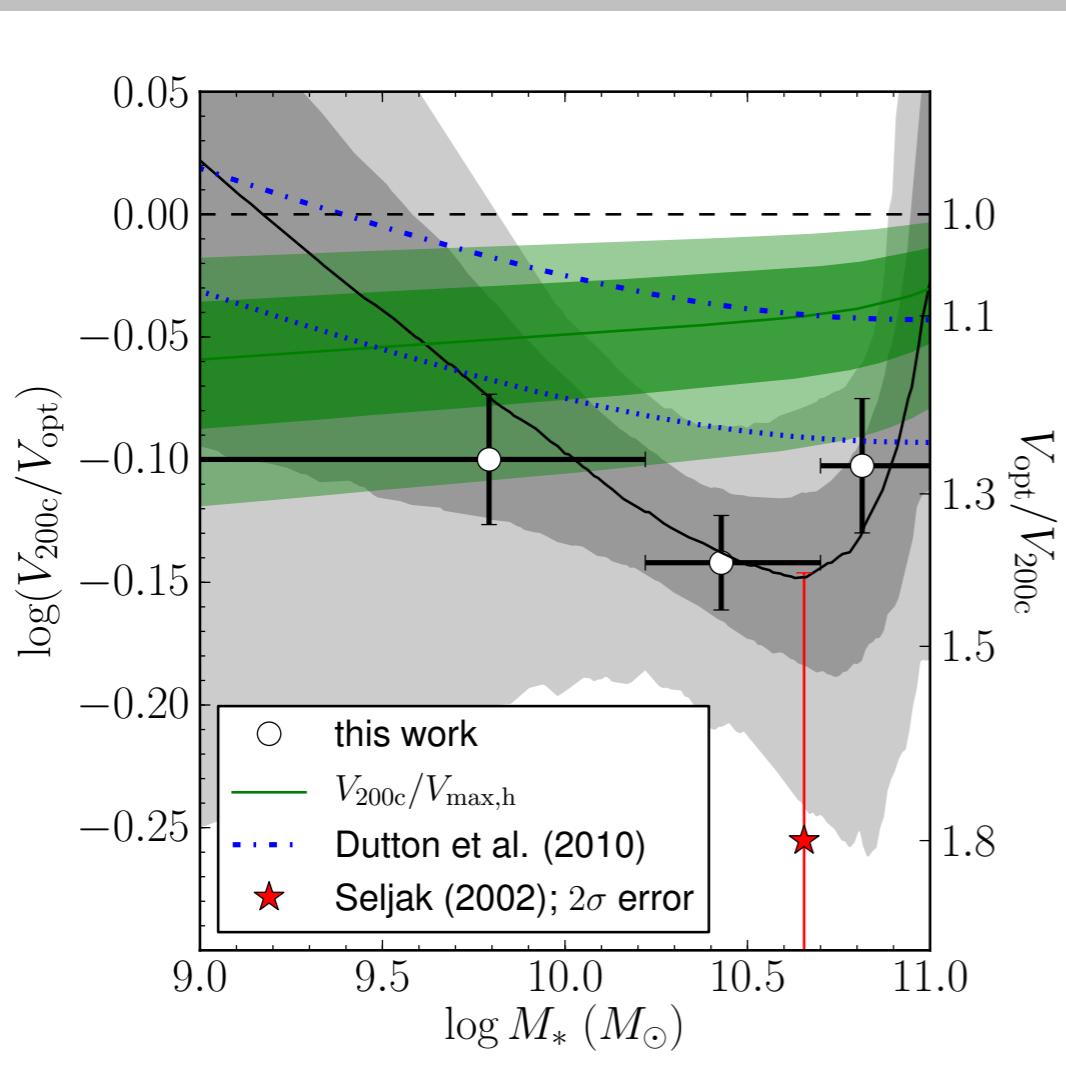


$V_{200c}/V_{opt}$  is **insensitive** to uncertainties in the stellar mass estimates.

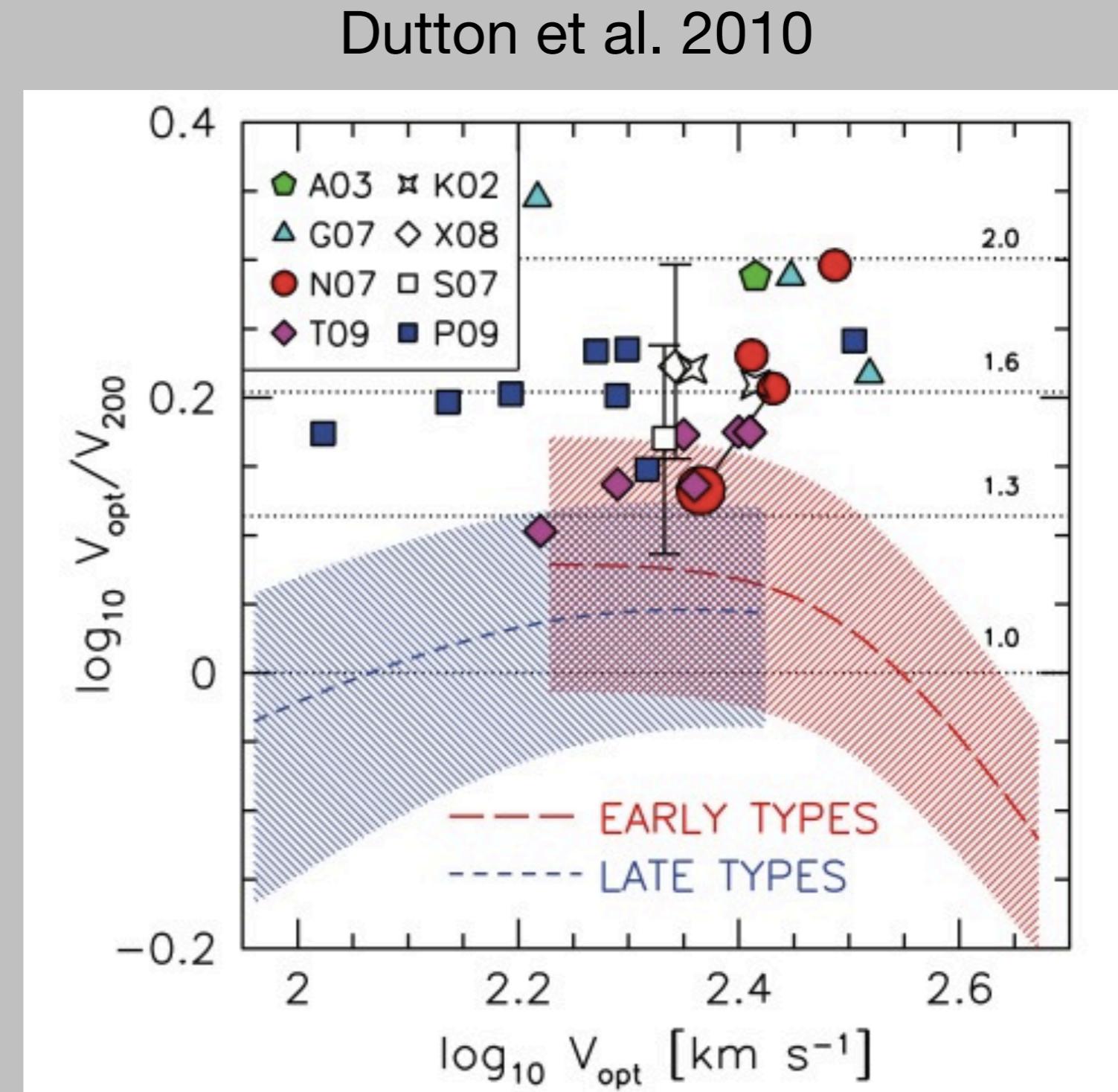
For our 3 stellar mass bins  
 $\log M_* = 9.79, 10.43, 10.81$ :

$V_{opt}/V_{200c} = 1.27, 1.39, 1.27$   
 $\pm 0.08, 0.06, 0.08$  ( $1\sigma$ )

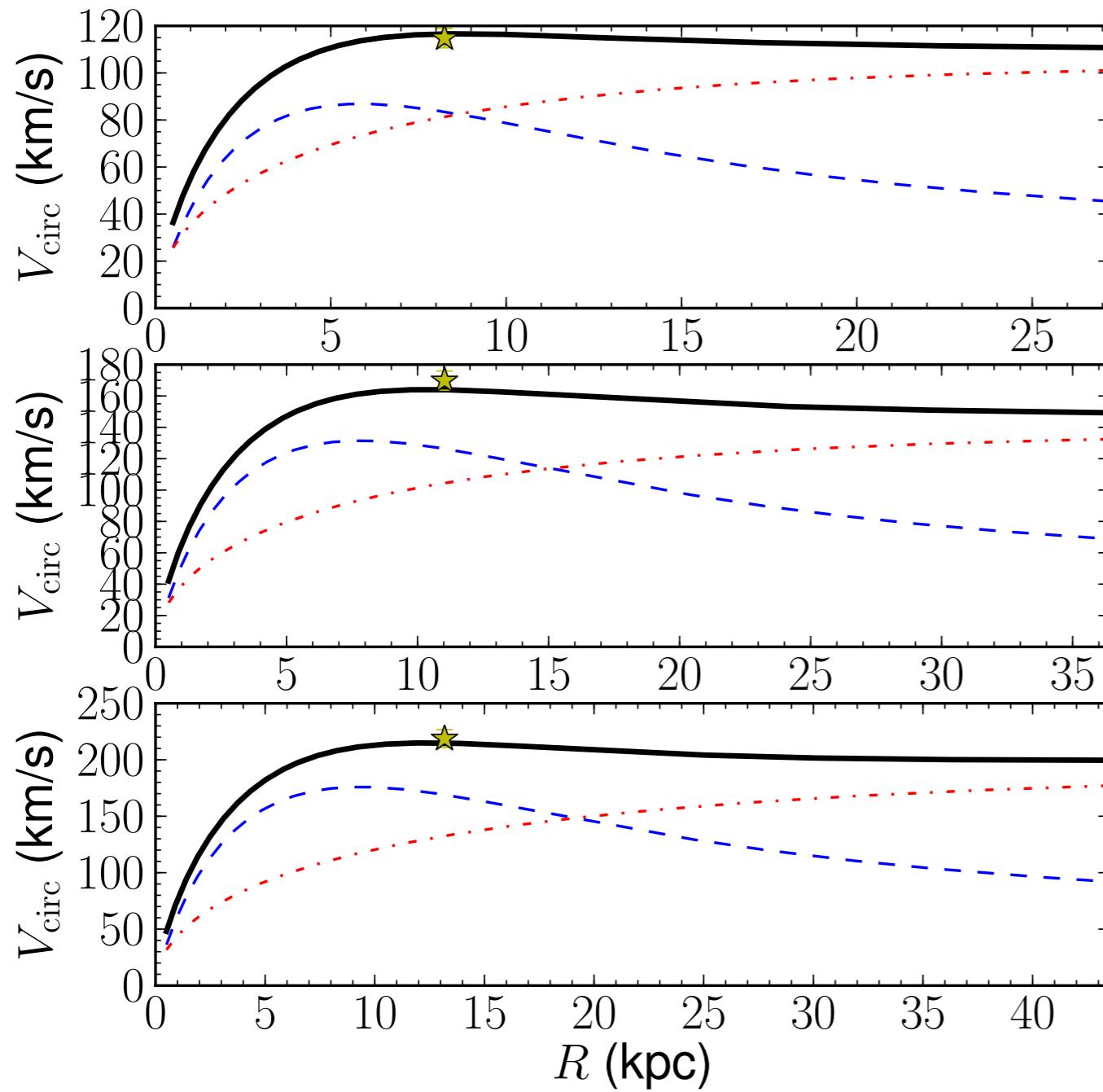
# Virial-to-optical velocity ratios



Reyes et al. 2012



# Current work: Galaxy mass modeling



**\*\*PRELIMINARY\*\***

Exponential baryon disk +  
unmodified NFW DM halo for  
 $\log M^* = 9.79, 10.43, 10.81$ :

- No halo contraction is  
consistent with TF

- need to do a proper accounting of  
scatter in both model and  
observations

# Current work: Semi-empirical modeling

Halo population

- $M_{200c}$ ,  $C_{200c}(M_{200c})$ ,  
 $P(\lambda_{\text{halo}})$

Model



Disk galaxy population

- $M^*$ ,  $R_d$ ,  $M_{\text{gas}}$ ,  $R_{\text{gas}}$

## Constraints

- Tully-Fisher relation
- Tully-Fisher residuals
- Dynamical-to-stellar(baryonic) mass ratios
- Disk size-stellar mass relation

## Unknowns

- halo contraction model
- stellar IMF
- $\lambda_{\text{halo}}/\lambda_{\text{disk}}$   
(selective accretion of baryons, angular momentum exchange, feedback)

# Summary

- **Observational constraints** on disk galaxy formation serve as essential **tests** of and **guides** to theoretical modeling (hydrodynamic sims, SAMs).
- Combining **kinematics** and **weak lensing** traces the mass distribution from 1-200 kpc and provides strong **constraints on galaxy formation**.
- **Semi-empirical modeling** of disk galaxy formation can constrain uncertain ingredients, such as **halo contraction** and the **stellar IMF**.