Imperial College London





# Is it a (Beyond the) Standard Model Higgs?

#### **Tevong You**

#### Based on:

"Global Analysis of the Higgs Candidate with Mass ~125 GeV", John Ellis and T. Y., arXiv:1207.1693 [hep-ph].

See also our previous paper: John Ellis and T. Y., JHEP **1206** (2012) 140, [arXiv:1204.0464 [hep-ph]].

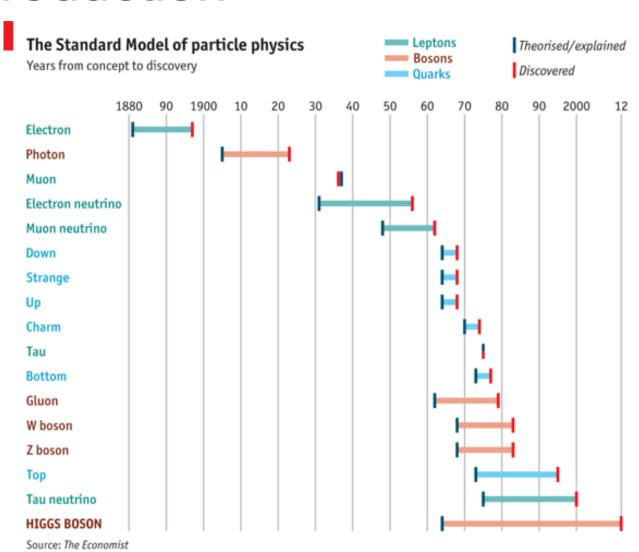
#### Contents

- Introduction
- Naturalness
- Phenomenological Framework
- Re-interpreting SM Higgs Searches
- Global Experimental Constraints
- Other Higgs Properties
- Conclusion

#### CERN July 4<sup>th</sup> 2012



Image Credit: J. Olsson, STFC, NY Times, AP



$$\mathcal{L}_{SM} = \mathcal{L}_m + \mathcal{L}_g + \mathcal{L}_h + \mathcal{L}_y \qquad ,$$

$$\mathcal{L}_{m} = \bar{Q}_{L}i\gamma^{\mu}D_{\mu}^{L}Q_{L} + \bar{q}_{R}i\gamma^{\mu}D_{\mu}^{R}q_{R} + \bar{L}_{L}i\gamma^{\mu}D_{\mu}^{L}L_{L} + \bar{l}_{R}i\gamma^{\mu}D_{\mu}^{R}l_{R}$$

$$\mathcal{L}_{G} = -\frac{1}{4}B_{\mu\nu}B^{\mu\nu} - \frac{1}{4}W_{\mu\nu}^{a}W^{a\mu\nu}$$

$$\mathcal{L}_{H} = (D_{\mu}^{L}\phi)^{\dagger}(D^{L\mu}\phi) - V(\phi)$$

$$\mathcal{L}_{Y} = y_{d}\bar{Q}_{L}\phi q_{R}^{d} + y_{\mu}\bar{Q}_{L}\phi^{c}q_{R}^{u} + y_{L}\bar{L}_{L}\phi l_{R} + \text{h.e.}$$

$$D^{L}_{\mu} = \partial_{\mu} - igW^{a}_{\mu}T^{a} - iYg'B_{\mu}$$
 ,  $D^{R}_{\mu} = \partial_{\mu} - iYg'B_{\mu}$   $V(\phi) = -\mu^{2}\phi^{2} + \lambda\phi^{4}$  .

$$SU(2)_L \times U(1)_Y \to U(1)_{\rm EM}$$



- Technicolor
- Higgs + SUSY

- NMSSM
- Composite 2HDM

#### Simplicity

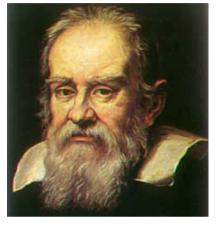
**Naturalness** 

- FundamentalScalar (SM Higgs)
- Composite Higgs
- ExtraDimensions
- Walking
   Technicolor

Little Higgs

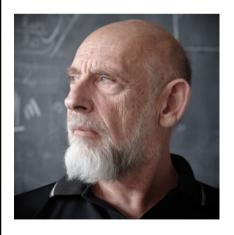
### **Naturalness**

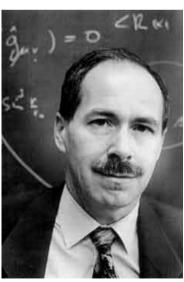
### Naturalness





- Galileo (1589), Newton (1687):
- m<sub>inertial</sub> = m<sub>gravity</sub>
- Equivalence principle → General Relativity





- Susskind (1979), 't Hooft (1980):
- $(m_h)^2_{\text{tree}} + (m_h)^2_{\text{radiative}} = (m_h)^2_{\text{v}}$
- Hierarchy problem → ?

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#### **Naturalness**

$$\delta m_h^2 = \left[ rac{1}{4} (9g^2 + 2{g'}^2) - 6y_t^2 + 6\lambda 
ight] rac{\Lambda^2}{32\pi^2}$$

Not regularization-dependent:

$$\delta m_\phi^2 \propto m_{
m heavy}^2, \quad \delta m_\psi \propto m_\psi \log \left(rac{m_{
m heavy}}{\mu}
ight)$$

- A fundamental scalar is quadratically sensitive to high energies
- EM analogy, electron rest energy contribution from Coulomb field:

$$(m_e c^2)_{\rm obs} = (m_e c^2)_{\rm bare} + \Delta E_{\rm coulomb}, \qquad \Delta E_{\rm coulomb} = \frac{e^2}{4\pi\epsilon_0 r_e}$$

- Avoid fine-tuning: Predicts new physics at ~10^-15m!
- Parametrize possible new physics at TeV scale? Start with what we know below TeV scale...

$$SU(2) \times SU(2) \rightarrow SU(2)_V \qquad (\rho \equiv M_W/M_Z \cos \theta_w \sim 1)$$

$$\mathcal{L} = \frac{v^2}{4} \text{Tr} D_{\mu} \Sigma^{\dagger} D^{\mu} \Sigma - m_i \bar{\psi}_L^i \Sigma \psi_R^i + \text{h.c.}$$

$$\Sigma = \exp\left(i\frac{\sigma^a \pi^a}{v}\right)$$

$$SU(2) \times SU(2) \rightarrow SU(2)_V \qquad (\rho \equiv M_W/M_Z \cos \theta_w \sim 1)$$

$$\mathcal{L} = \frac{v^2}{4} \text{Tr} D_{\mu} \Sigma^{\dagger} D^{\mu} \Sigma \left( 1 + 2 \frac{a}{v} \frac{h}{v} + \frac{b^2}{v^2} + \dots \right) - m_i \bar{\psi}_L^i \Sigma \left( 1 + \frac{c}{v} \frac{h}{v} + \dots \right) \psi_R^i + \text{h.c.}$$

$$+ \frac{1}{2} (\partial_{\mu} h)^2 + \frac{1}{2} m_h^2 h^2 + \frac{d_3}{6} \left( \frac{3 m_h^2}{v} \right) h^3 + \frac{d_4}{24} \left( \frac{3 m_h^2}{v^2} \right) h^4 + \dots ,$$

$$\Sigma = \exp\left(i\frac{\sigma^a \pi^a}{v}\right)$$

$$\mathcal{L}_{\Delta} \ = \ -\left[rac{lpha_{s}}{8\pi}b_{s}G_{a\mu
u}G_{a}^{\mu
u} + rac{lpha_{em}}{8\pi}b_{em}F_{\mu
u}F^{\mu
u}
ight]\left(rac{h}{V}
ight)$$

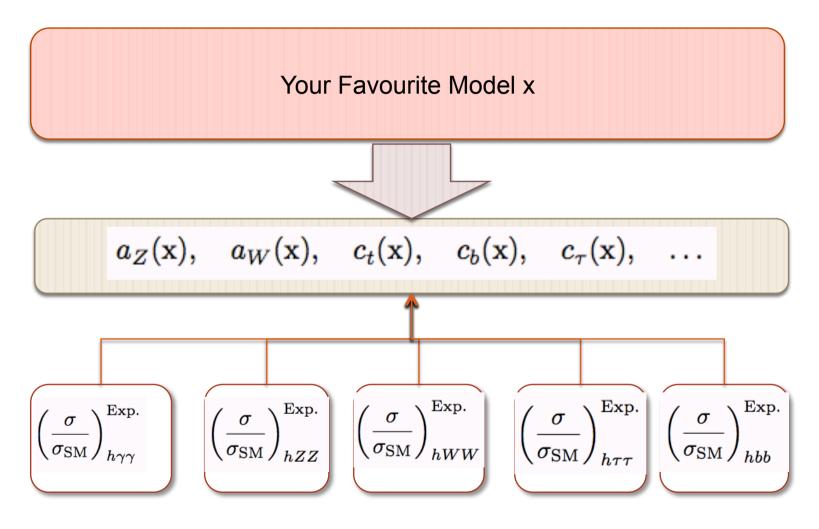
See previous paper: John Ellis and T. Y., JHEP **1206** (2012) 140, [arXiv:1204.0464 [hep-ph]].

- a parametrizes couplings of h to massive gauge bosons
- c parametrizes couplings of h to fermions
- Standard Model:

$$a = c = 1$$

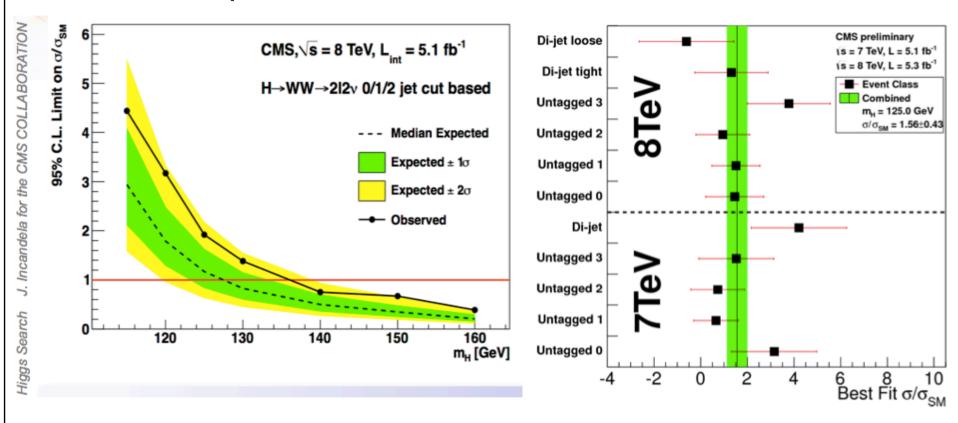
- Composite Higgs MCHM4:  $a=c=\sqrt{1-\xi}$   $\xi\equiv(v/f)^2$
- Composite Higgs MCHM5:  $a = \sqrt{1-\xi}, \quad c = \frac{1-2\xi}{\sqrt{1-\xi}}$
- Pseudo-Dilaton:

$$a = c = \frac{v}{V}$$



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Example



https://indico.cern.ch/getFile.py/access?contribId=0&resId=0&materialId=slides&confId=197461

- Extract Likelihood  $\mathcal{L}(\mu)$  using expected and observed 95% CL limit on mu
- Assume Gaussian limit of Poisson-distributed Likelihood\*:

$$\sigma_{\text{obs}} \simeq \sigma_{\text{exp}} = \mu_{\text{exp}}^{95\%} / 1.96$$
 
$$\frac{\int_{0}^{\mu^{95\%}_{\text{obs}}} e^{-\frac{(\mu - \bar{\mu})^{2}}{2\sigma_{\text{obs}}^{2}}} d\mu}{\int_{0}^{\infty} e^{-\frac{(\mu - \bar{\mu})^{2}}{2\sigma_{\text{obs}}^{2}}} d\mu} = 0.95$$

$$p(\mu|n_{\text{obs}}) = p(n_{\text{obs}}|\mu n_s^{\text{SM}} + n_b) \cdot \pi(\mu) \approx \frac{1}{\sqrt{2\pi\sigma_{\text{obs}}^2}} e^{-\frac{(\mu - \bar{\mu})^2}{2\sigma_{\text{obs}}^2}}$$

 If best fit mu provided, use that instead assuming Gaussian error bars

Likelihood

$$\mathcal{L}(\mu)$$

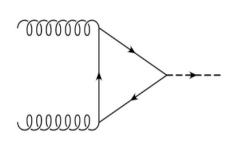
$$\mathcal{L}(\mu)$$
 where  $\mu \equiv rac{\sigma_{
m prod} imes {
m BR}_{
m decay}}{\sigma_{
m prod}^{
m SM} imes {
m BR}_{
m decay}^{
m SM}}$ 

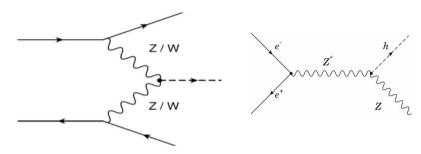
$$\sigma_{\mathrm{prod}} = R_{\mathrm{prod}}(a, c) \cdot \sigma_{\mathrm{prod}}^{\mathrm{SM}}$$
,  $BR_{\mathrm{decay}} = R_{\mathrm{decay}}(a, c) \cdot \mathrm{BR}_{\mathrm{decay}}^{\mathrm{SM}}$ 

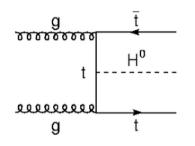
$$\Longrightarrow \mu = R_{\text{prod}}(a, c) \cdot R_{\text{decay}}(a, c)$$

$$R_{\rm prod}(a,c) = \frac{\sum_{i} \epsilon_{i} F_{i} R_{i}(a,c)}{\sum_{i} \epsilon_{i} F_{i}} \quad \text{where } F_{i} \equiv \frac{\sigma_{i}^{\rm SM}}{\sigma_{\rm tot.}^{\rm SM}} \quad , \quad \epsilon_{i} = \text{eff}(i) \quad , \quad i = \text{ggF,VBF,VH,ttH}$$

$$R_{
m decay}(a,c) = rac{R_j(a,c)}{R_{
m tot.}(a,c)} \quad , \quad j = \gamma \gamma, ZZ, WW, bar{b}, au au$$





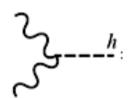


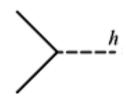
$$R_{gg} = rac{(-rac{v}{V}b_s + cF_t)^2}{F_t^2} \quad , \quad R_{
m VBF} = a^2 \quad , \quad R_{
m ap} = a^2 \quad , \quad R_{
m hs} = c^2$$

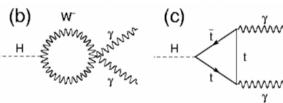
$$R_{\rm VBF} = a^2$$

$$R_{\rm ap}=a^2$$

$$R_{
m hs}=c^2$$







$$R_{VV} = a^2$$

$$R_{\bar{f}f} = c^2$$

$$R_{VV} = a^2$$
 ,  $R_{\bar{f}f} = c^2$  ,  $R_{\gamma\gamma} = \frac{(-\frac{v}{V}b_{em} - \frac{8}{3}cF_t + aF_w)^2}{(-\frac{8}{3}F_t + F_w)^2}$ 

#### Experimental search (sub)channels:

	Production sensitive to		Decay sensitive to	
channel	$\boldsymbol{a}$	c	$\boldsymbol{a}$	c
$\gamma\gamma$	✓	✓	✓	✓
$\gamma\gamma$ VBF	✓	×	✓	✓
WW	✓	✓	✓	×
WW 2-jet	✓	×	✓	×
WW 0,1-jet	×	✓	✓	×
$b\bar{b} \text{ (VH)}$	✓	×	×	✓
$b ar b \ (ar t t H)$	×	✓	×	✓
ZZ	✓	✓	✓	×
au au	✓	✓	×	✓
$\tau\tau$ (VBF, VH)	✓	×	×	✓

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- Couplings proportional to masses?
- Assumed SM couplings:

$$\lambda_f = \sqrt{2} \frac{m_f}{v}, \quad g_V = 2 \frac{m_v^2}{v}$$

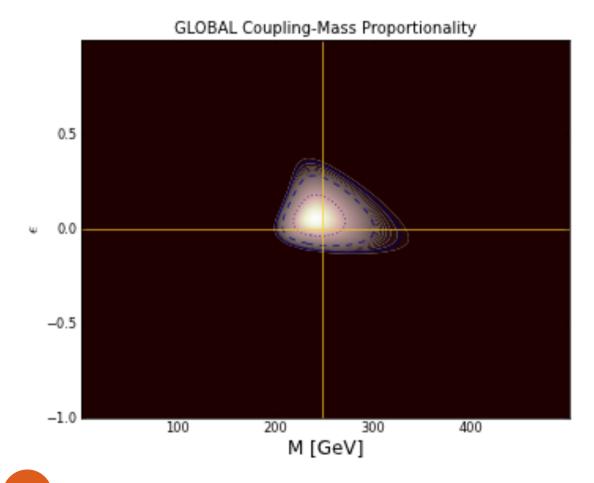
Generalize scale and power couplings:

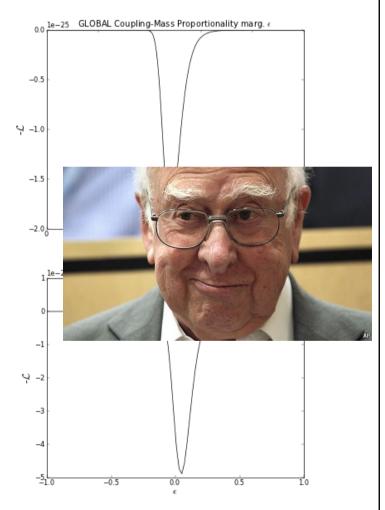
$$\lambda_f' = \sqrt{2} \left( \frac{m_f}{M} \right)^{1+\epsilon}, \quad g_V' = 2 \left( \frac{m_V^{2(1+\epsilon)}}{M^{1+2\epsilon}} \right)$$

Corresponding to rescaling factors

$$c_f = rac{\lambda_f'}{\lambda_f} = v\left(rac{m_f^\epsilon}{M^{1+\epsilon}}
ight), \quad a_V = rac{g_V'}{g_V} = v\left(rac{M_V^{2\epsilon}}{M^{(1+2\epsilon)}}
ight)$$

• Fit for our anomalous scaling model:

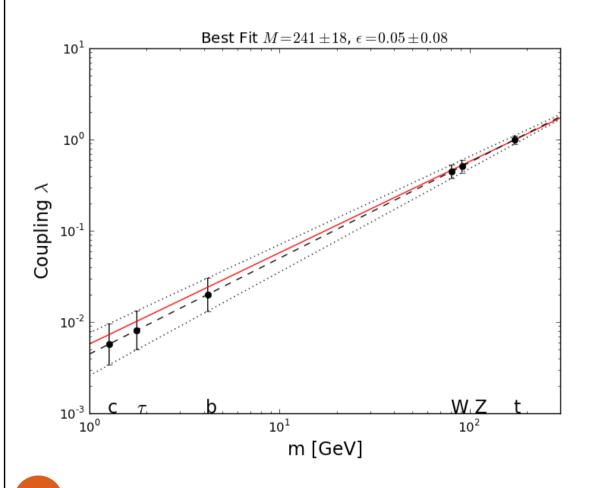


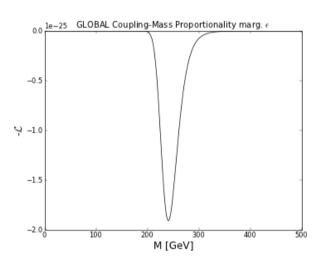


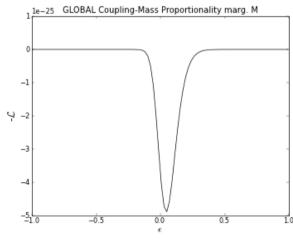
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• Fit for our anomalous scaling model:

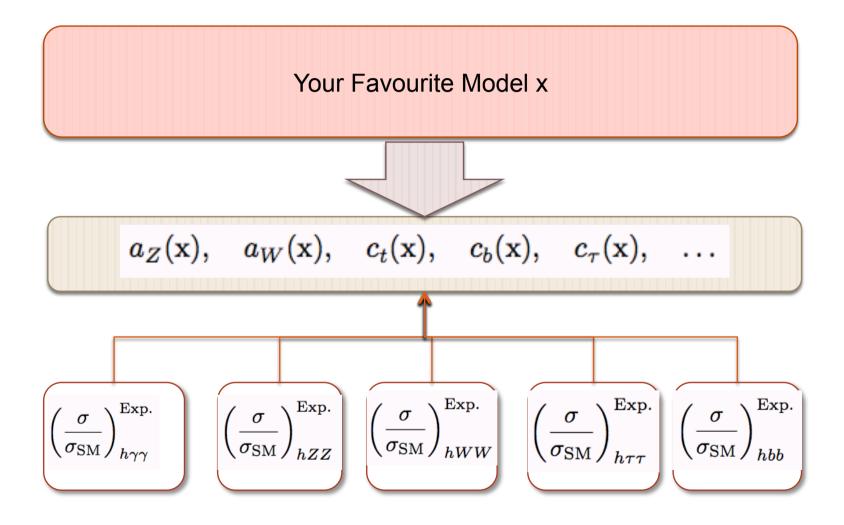






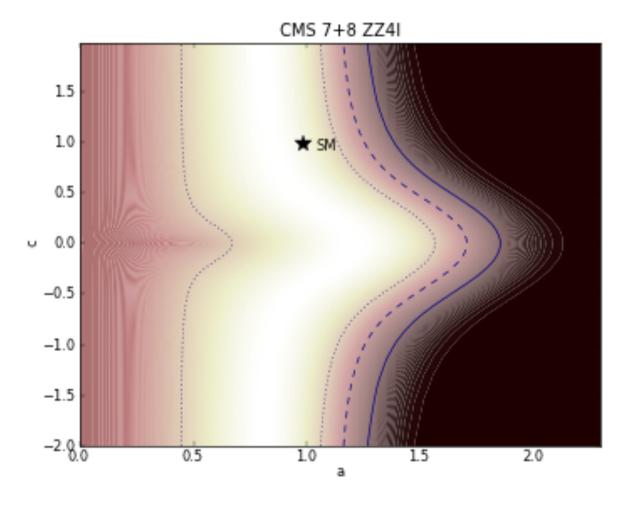
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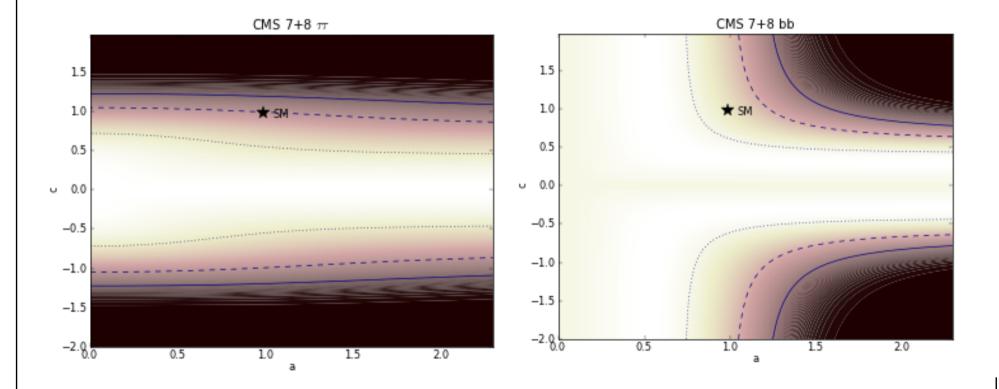
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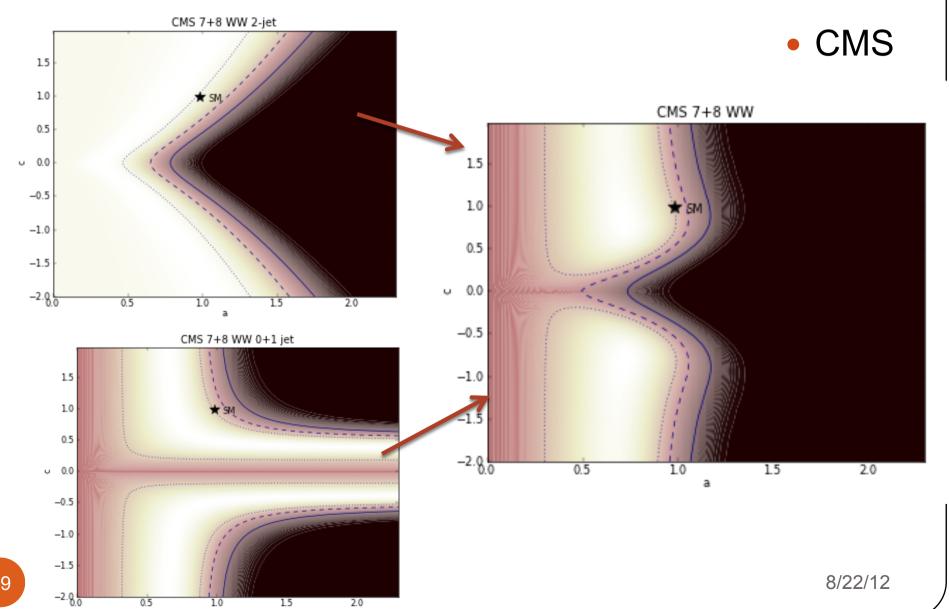
CMS



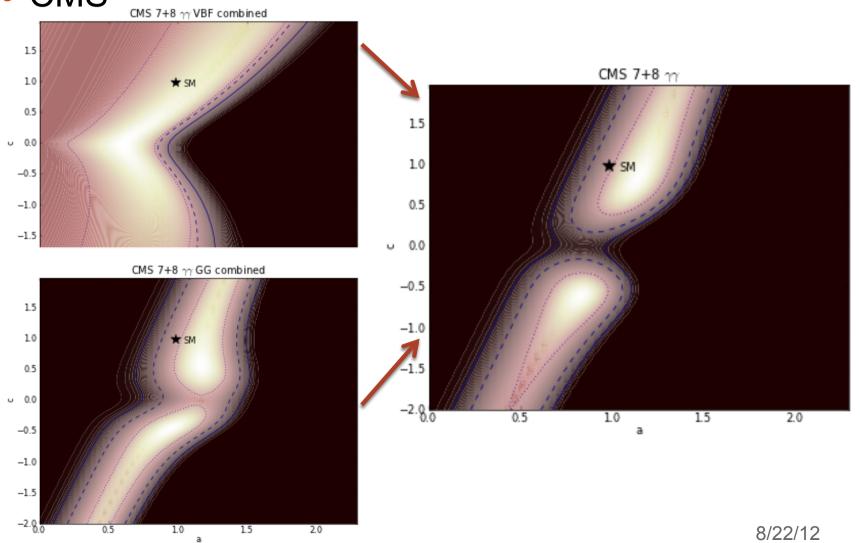
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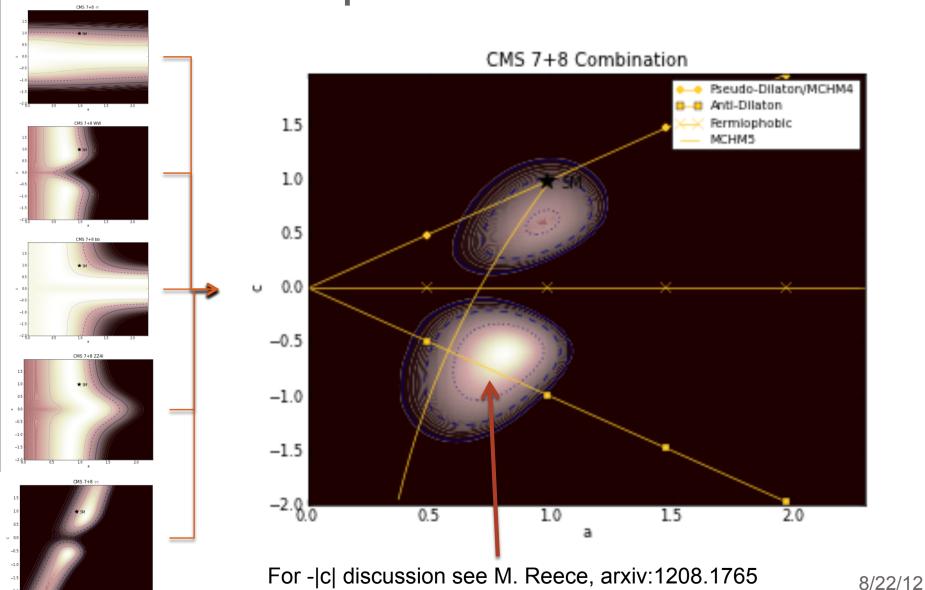
#### CMS

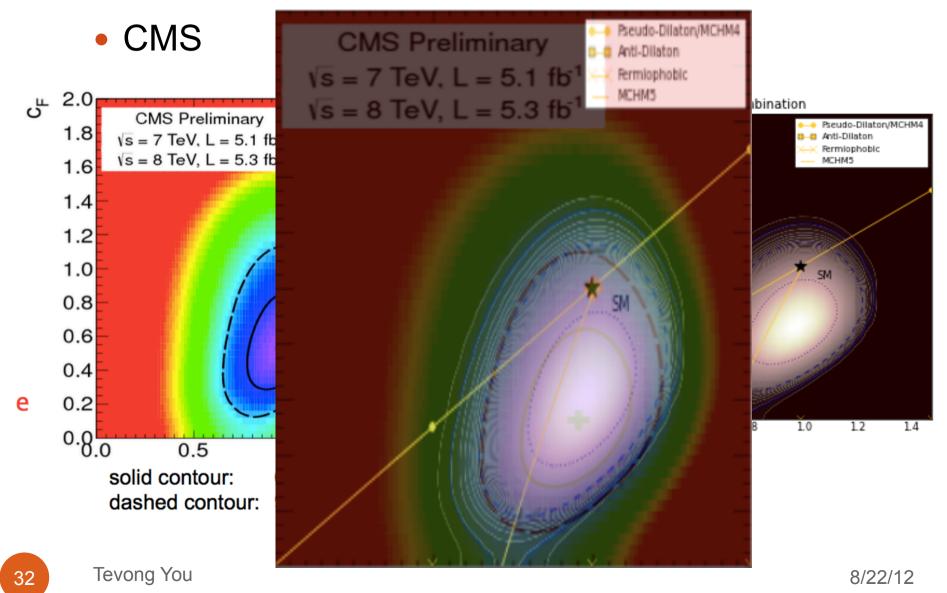




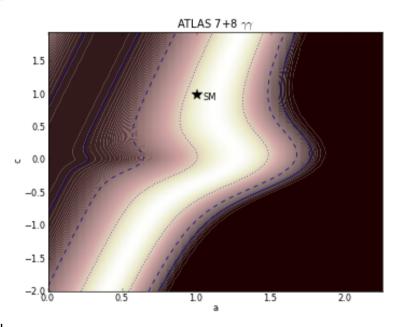


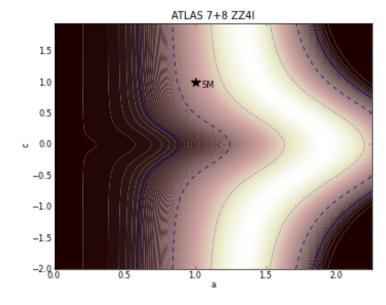


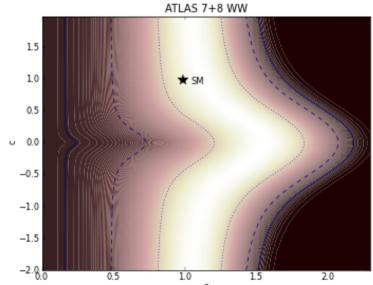




#### ATLAS

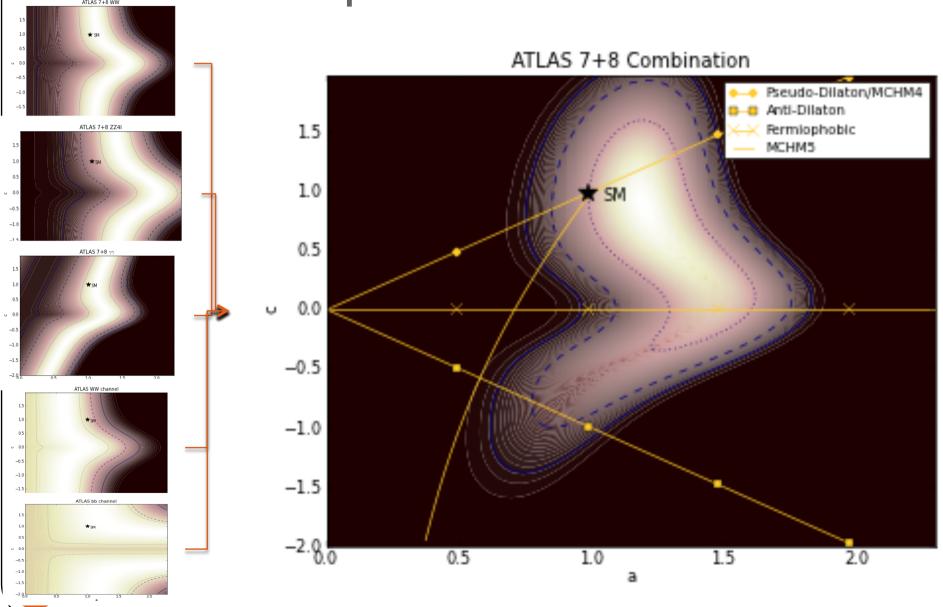


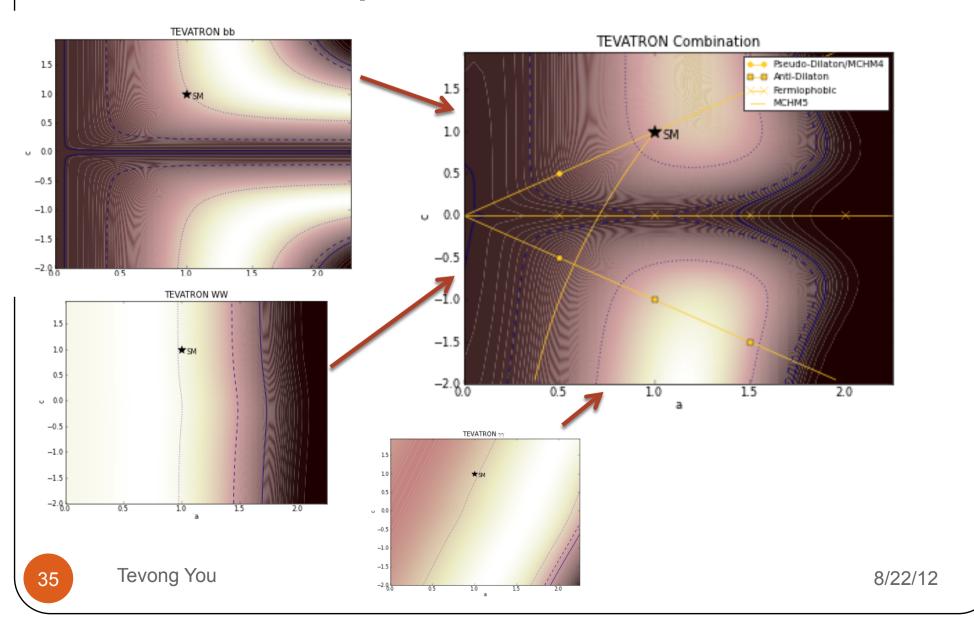


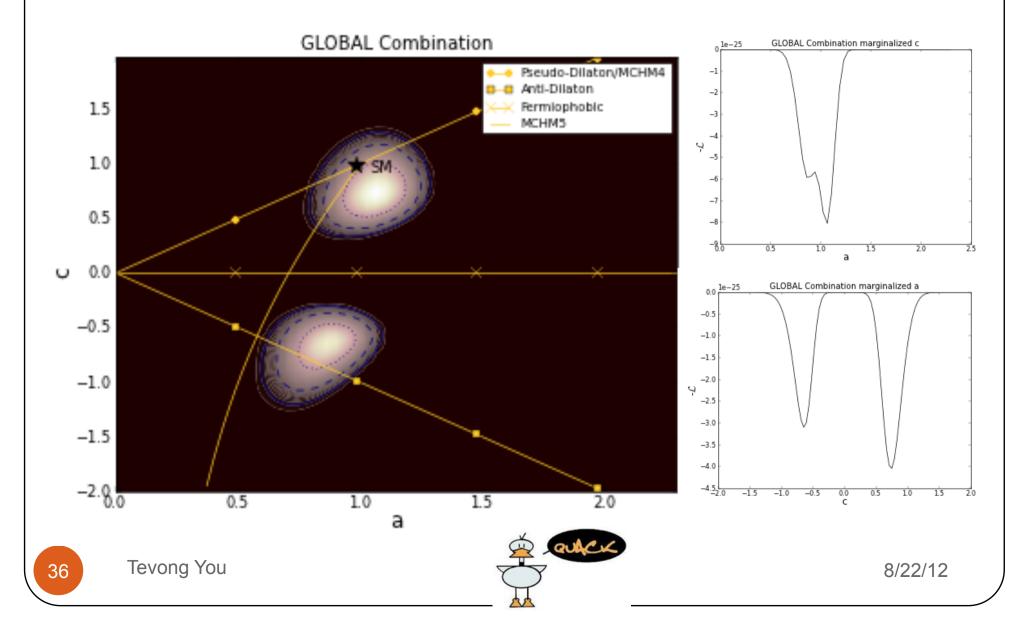


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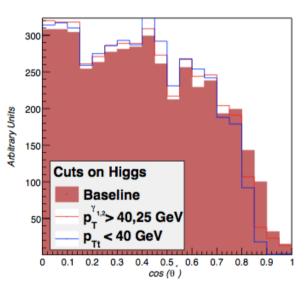
# **Other Higgs Properties**

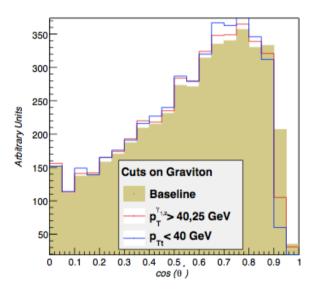
# Other Higgs Properties

- Spin determination, 0 or 2?
- Many studies on 'golden' ZZ channel

See e.g. S.Y. Choi et al (0210077), E. De Sanctis et al (1103.1973), Y. Gao et al (1001.3396), J.S. Gainer et al (1108.2274)

• WW and diphoton channel also worth considering J. Ellis and D.S. Hwang (1202.6660)





J. Ellis, R. Fok, D.S. Hwang, V. Sanz and T.Y (in progress)

Best discrimination may come from combination!

Just appeared: S. Bolognesi et al (1208.4018)

### Conclusion

### Conclusion

- Discovery of a new boson of fundamental significance (it's real!)
- Consistent with SM Higgs couplings to fermions/ gauge bosons with expected power law and scale
- Spin yet to be determined
- Picture is still blurry, BSM physics could lie beneath statistical fluctuations
- Hopeful that closing the door on SM chapter will open up a new one... Wait and see!

# Thank You

"Theorists used to have difficulty believing anything that wasn't experimentally proven. Now they believe anything that isn't experimentally disproven."

-Unknown