

Search for New Physics at Belle II Experiment by Global Fit

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Outline

1. New Physics (NP) at Belle II
2. Search for New Physics by Global Fit
3. Examples of Global Fit Analysis
 - 1) Determination of Unitarity Triangle
 - 2) Search for NP in $B-\bar{B}$ mixing
 - 3) Search for Charged Higgs
4. Status and Plan of Belle II and Global Fit
5. Summary

1. New Physics(NP) at Belle II

- We had been studying B meson decays at the previous Belle experiment (B-factory exp.@KEK) for more than 10 years.
- The main purpose of the Belle experiment is to establish the CP violation in B meson decays within the framework of Standard Model, as predicted by Kobayashi-Maskawa.
-> It was confirmed by us and brought Novel prize to them.



- The purpose of Belle II upgraded from Belle is the experimental search for the signature of New Physics in B-meson decays.
<- Indirect search for NP in “quantum effect”
- No guiding theory for promising NP search. Need a careful study of “subtle” shift from Standard Model(SM) in various measurements.

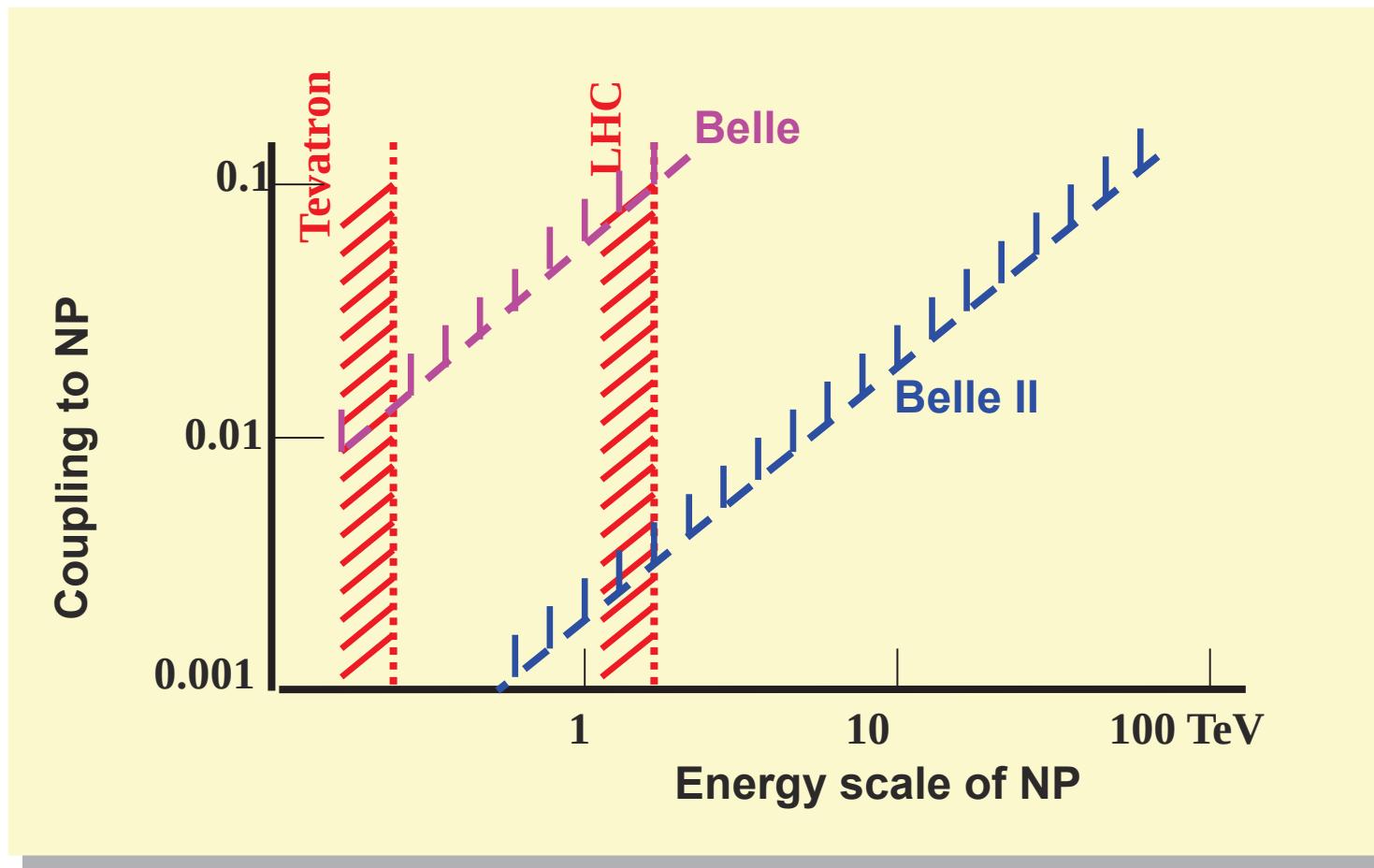
New Physics Search at Belle II : Motivation

- Up to now, there is no symptom of New Physics(NP) observed in LHC experiments. There is a possibility that the scale of NP is even more than 10 TeV, which is out of reach by LHC.
- The indirect search for NP at Belle II, where there is no limit in the search energy, will become more important.
- However, the effect of NP in the indirect processes is expected to be tiny, and **it has not been observed by the Belle experiment** except for several exceptions
 - * $A_{CP}(B^0 \rightarrow K^+ \pi^-) \neq A_{CP}(B^+ \rightarrow K^+ \pi^0)$ (4σ discrepancy),
 - * Large $D^0 - \bar{D}^0$ mixing (although SM pred. has large uncertainties)
- To go beyond, an accumulation of very high statistics events is required.

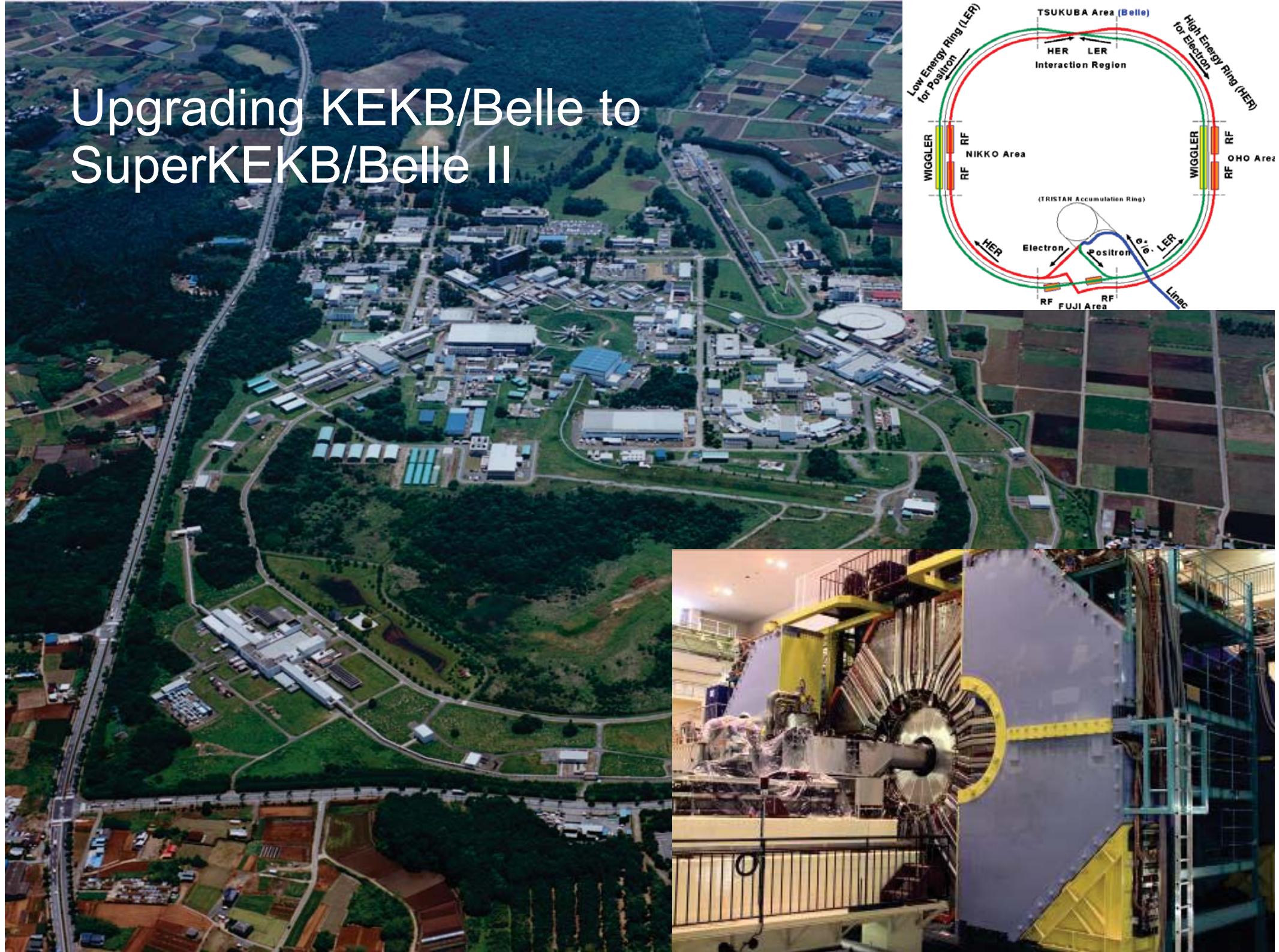
Accelerator upgrade to achieve
 $> \times 40$ larger luminosity.

= SuperKEKB/Belle II

Comparison of NP sensitivity by LHC and Belle II experiments



Upgrading KEKB/Belle to SuperKEKB/Belle II

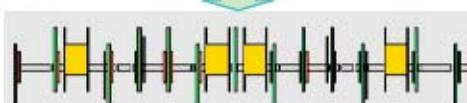
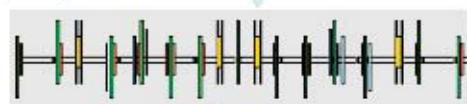


The SuperKEKB accelerator



SuperKEKB

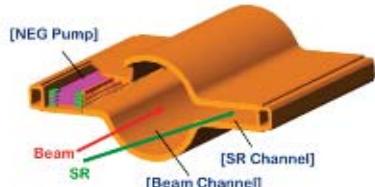
Replace short dipoles with longer ones (LER)



Redesign the lattices of HER & LER to squeeze the emittance

Nano-beams!

TiN-coated beam pipe with antechambers



Low emittance positrons to inject

Damping ring

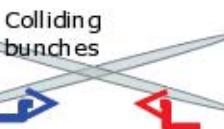
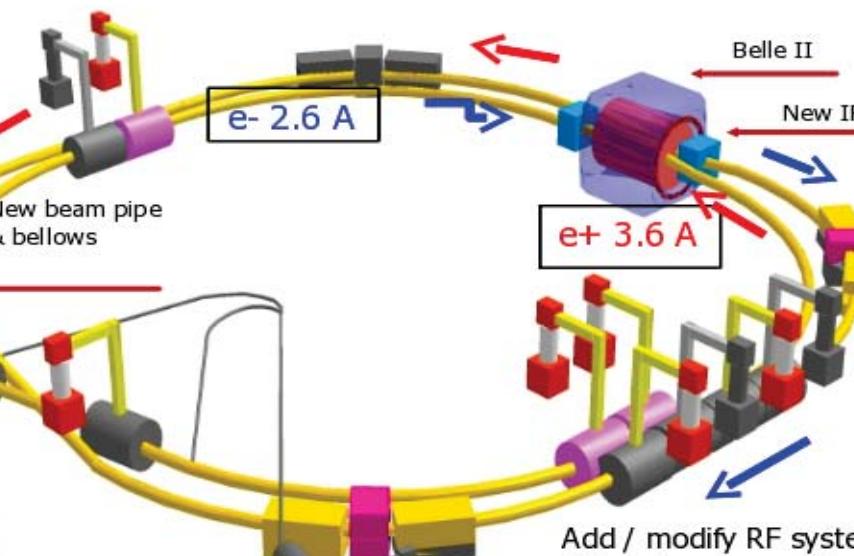
Low emittance gun

Low emittance electrons to inject

Positron source
New positron target / capture section

Belle II
New IR

e+ 3.6 A

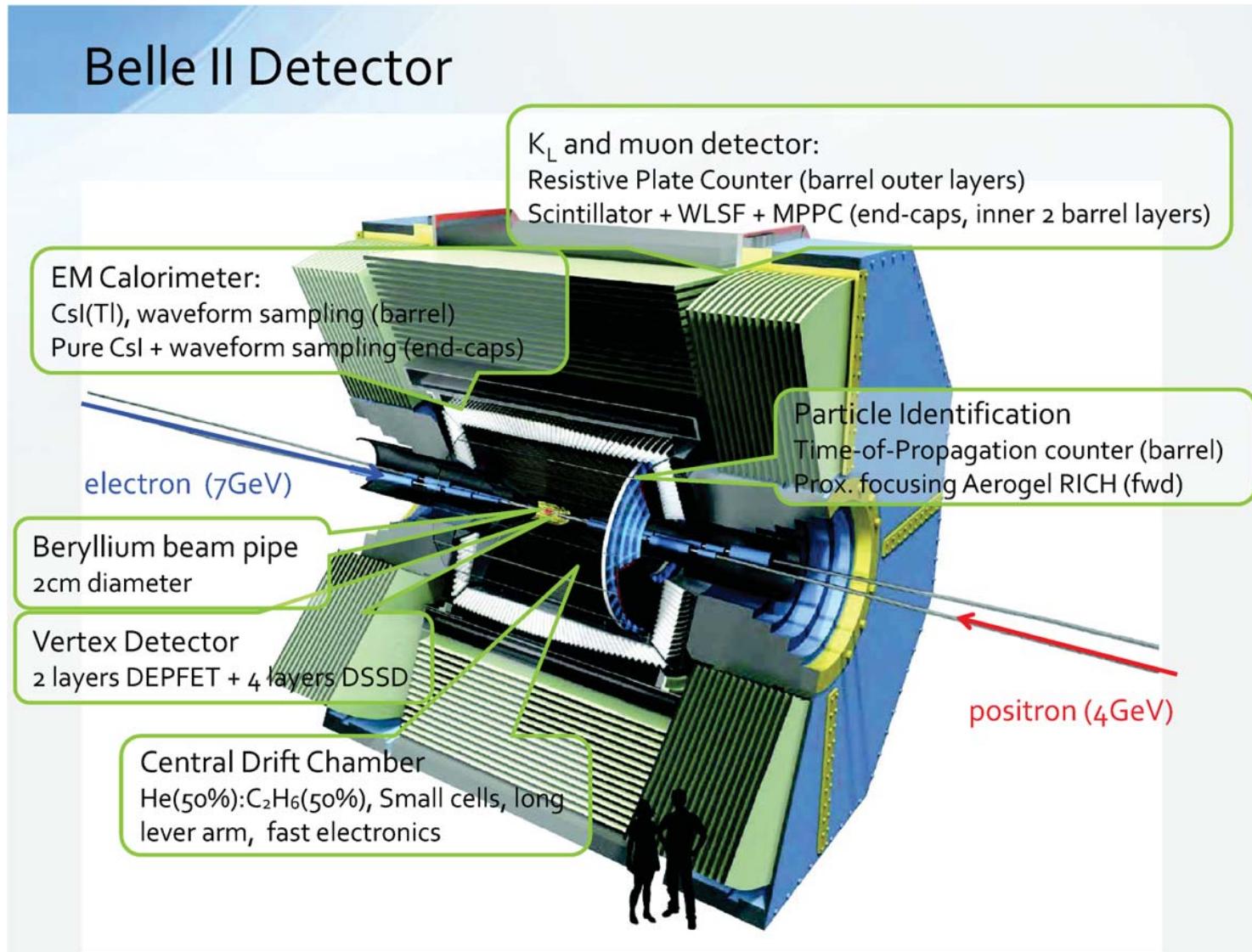


Add / modify RF systems for higher beam current
New superconducting / permanent final focusing quads near the IP



To get x40 higher luminosity

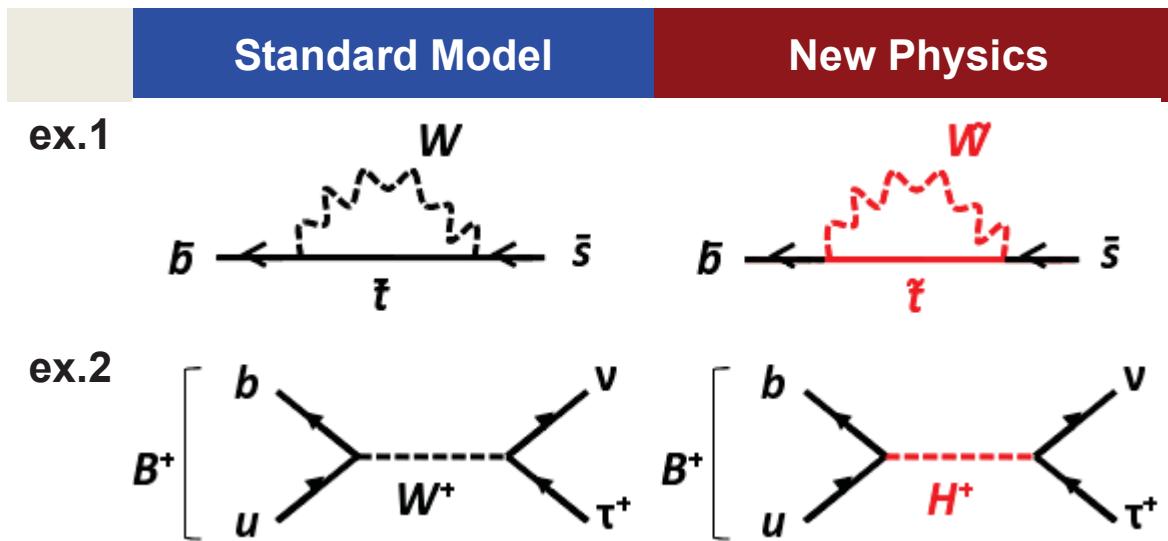
The Belle II detector



- High granularity “pixelized” sensors <- to be tolerable for high rate
 - * Improved vertex detector with DEPFET Pixel sensors + DSSD
 - * Improved particle ID devices (TOP, ARICH)
- High bandwidth DAQ (>30GB/sec data flow @30kHz, >1MB/event)

How do we search for New Physics at Belle II?

- Search for the “shift” from SM prediction caused by an existence of a new particle in quantum effect.



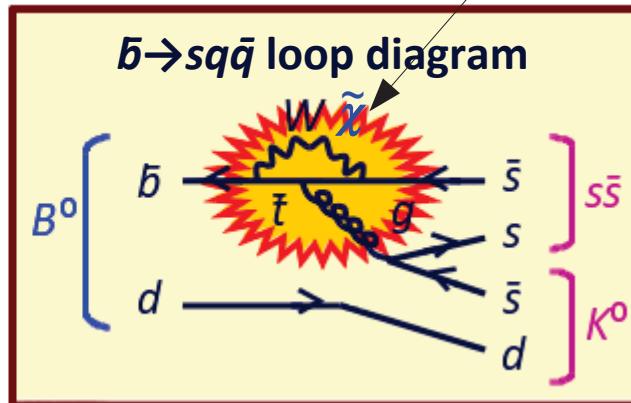
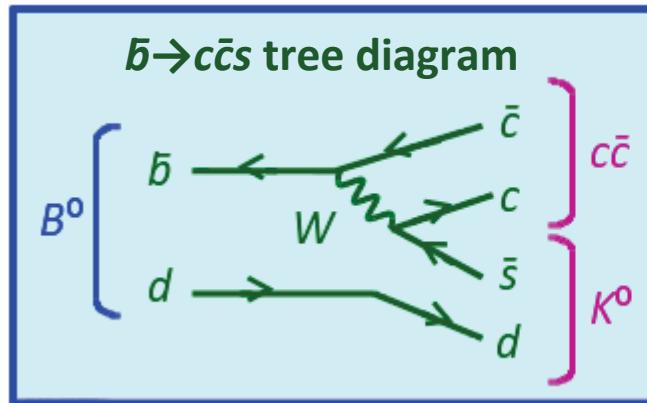
In order to search for NP, the measurement has to be compared with the Standard Model prediction in a high precision.

We need both of

- * High precision experimental measurement
- * High precision theory prediction of Standard Model

Examples of NP search at Belle II

1) CPV in $b \rightarrow s$ transition



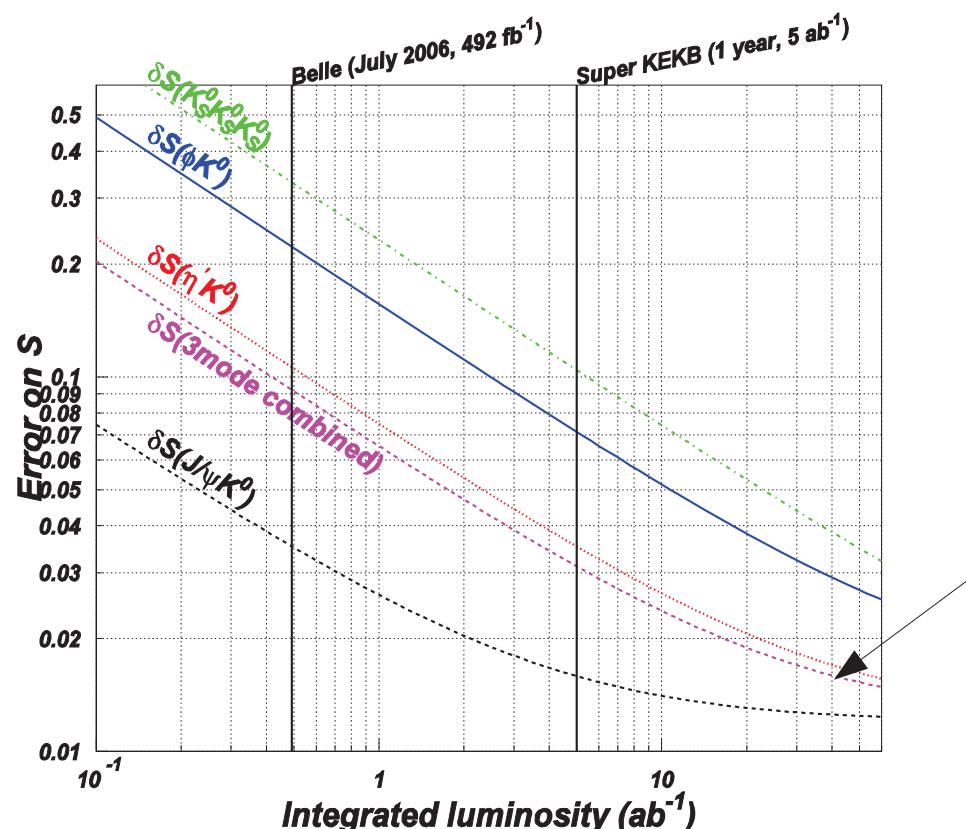
possible contribution of new particle

Current measurement

$$\sin 2\phi_1^{sq\bar{q}}_{W.A} = +0.64 \pm 0.03$$

$$\sin 2\phi_1^{c\bar{c}s}_{W.A} = +0.682 \pm 0.019$$

* Deviation $\sim 0.8\sigma$



SM predicts the same value at a precision of $\sim 1\%$.

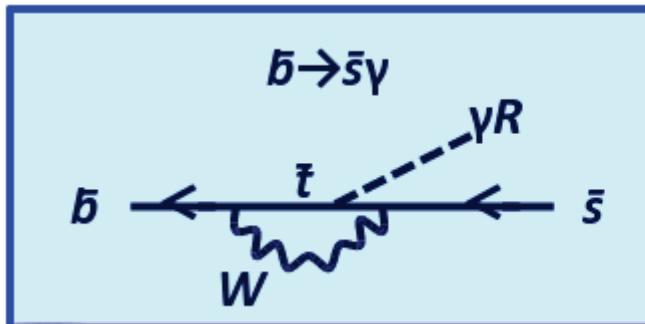
Prospect in Belle II

$$\delta(\sin 2\phi_1(\text{sq}\bar{q})) =$$

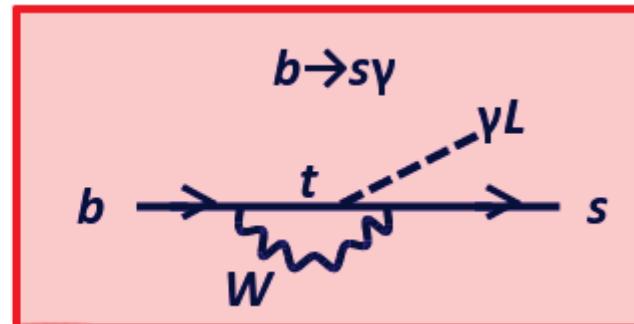
$$\sim 0.012 @ 50 \text{ ab}^{-1}$$

* Some of systematics are cancelled by taking the difference between measurements for $c\bar{c}s$ and $sq\bar{q}$.

2) CPV in $B^0 \rightarrow K_S^0 \pi^0 \gamma$ ($b \rightarrow s \gamma$)



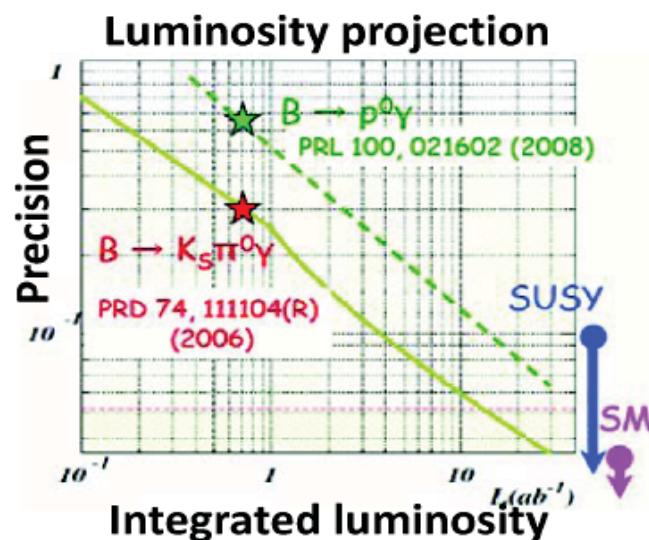
$b \rightarrow \bar{s}\gamma_R$: right handed photon



$b \rightarrow s\gamma_L$: left handed photon

$$S^{\text{average}} = -0.15 \pm 0.20$$

Average by Heavy Flavor Averaging Group (2009 winter).



$$S^{\text{NP}} \cong +0.67$$

A NP (left-right symmetric model) may enhance CP violation in this decay.

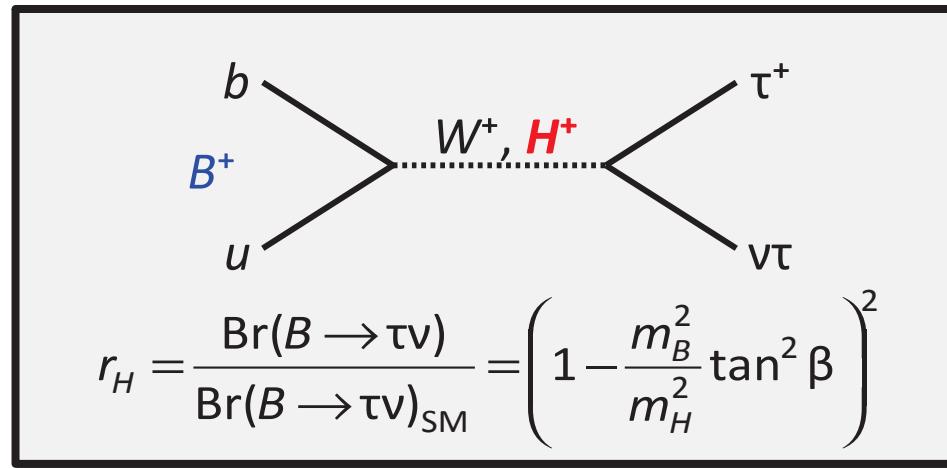
D. Atwood *et al.*, Phys. Rev. Lett. **79**, 185 (1997).

Prospect in Belle II

$$\delta(S_{b \rightarrow s\gamma}) \sim 0.09 @ 5 \text{ab}^{-1}$$

$$\delta(S_{b \rightarrow s\gamma}) \sim 0.03 @ 50 \text{ab}^{-1}$$

3) Pure leptonic decay of B meson



SM prediction

$$\text{Br}(B \rightarrow \tau\nu)_{\text{SM}} = (0.73^{+0.12}_{-0.07}) \times 10^{-4}$$

Belle Measurement

$$\text{Br}(B \rightarrow \tau\nu) = (0.72^{+0.27}_{-0.25} \pm 0.11) \times 10^{-4}$$

Prospect in Belle II

$$\delta(\text{Br}) \sim 2\% @ 50\text{ab}^{-1}$$

2. Search for New Physics by Global Fit

NP search in such “gold plated” modes might be promising.
But is this method optimized for NP search?

Pros:

- * Each mode gives a clean NP signal.
- * Well-defined systematic uncertainties both in measurement and theory prediction.



Cons:

- * It is difficult to acquire high statistics in each individual mode to conclude NP existence.
- * The prediction of the single mode/measurement may depend on a specific theory (esp. hadronization) which has a possibility of some bias with a relatively large uncertainty.

-> This method may not be optimized for NP search.....

- A simple idea to improve the NP sensitivity is just to ask accelerator physicists to increase the luminosity so that we can have more statistics.
- But it is a difficult task. SuperKEKB, which is upgraded from KEKB aiming at 40 times higher luminosity, is still a challenging effort and the luminosity is not guaranteed...
- Question: **How should we do to maximize the NP sensitivity with a minimal accumulation of luminosity (data)?**



One Idea

- If NP exists in quantum effect, it can affect on many different measurements simultaneously.
- By combining multiple independent measurements sensitive to the same NP, we can improve the sensitivity.
- **But How?**

- In order to combine multiple measurements,

- * Describe the NP effects in various measurements using the same parameter set in the theory and formulate the predictions using the parameters.
- * Calculate sum of χ^2 between each measurement and prediction, and determine the parameter values by minimizing it.
- * Study the shift in the parameter values from the standard model predictions to search for NP.

- This technique is called as the global fit.

- By using the technique, we can gain

- * An effective increase in event statistics usable for NP search,
- * To relax the dependence on a specific (hadronization) theory.

- To perform the global fit, a consistent theory model with the same parameterization to give predictions for measurements is the key.

Detail of global fit algorithm : Frequentist Approach

Experimental Likelihood

$$\mathcal{L}_{\text{exp}}(x_{\text{exp}} - x_{\text{theo}}(y_{\text{mod}})) = \prod_{i,j=1}^{N_{\text{exp}}} \mathcal{L}_{\text{exp}}(i, j) ,$$

The likelihood components $\mathcal{L}_{\text{exp}}(i)$: independent Gaussians

$$\mathcal{L}_{\text{exp}}(i) = \frac{1}{\sqrt{2\pi}\sigma_{\text{exp}}(i)} \exp \left[-\frac{1}{2} \left(\frac{x_{\text{exp}}(i) - x_{\text{theo}}(i)}{\sigma_{\text{exp}}(i)} \right)^2 \right] ,$$

* Treatment of errors:

- Statistical error in measurement : Gaussian
- Experimental systematic error : Gaussian / Rfit
- Theoretical systematic error ($<-\mathcal{L}_{\text{theo}}$) : Gaussian / Rfit

* Normalization of likelihood components

- Likelihood ratio

$$\lambda(\vec{x}; \vec{\mu}) = \frac{\sup_{\vec{v}} \mathcal{L}(\vec{\mu}, \vec{v}; \vec{x})}{\sup_{\vec{\mu}, \vec{v}} \mathcal{L}(\vec{\mu}, \vec{v}; \vec{x})} ,$$

- Equivalent to use “ $\Delta\chi^2$ ” -> Use CL interval calculation

$$\Delta\chi^2(y_{\text{mod}}) = \chi^2(y_{\text{mod}}) - \chi^2_{\text{min}; y_{\text{mod}}} ,$$

3. Examples of Global Fit Analysis

1) Determination of Unitarity Triangle

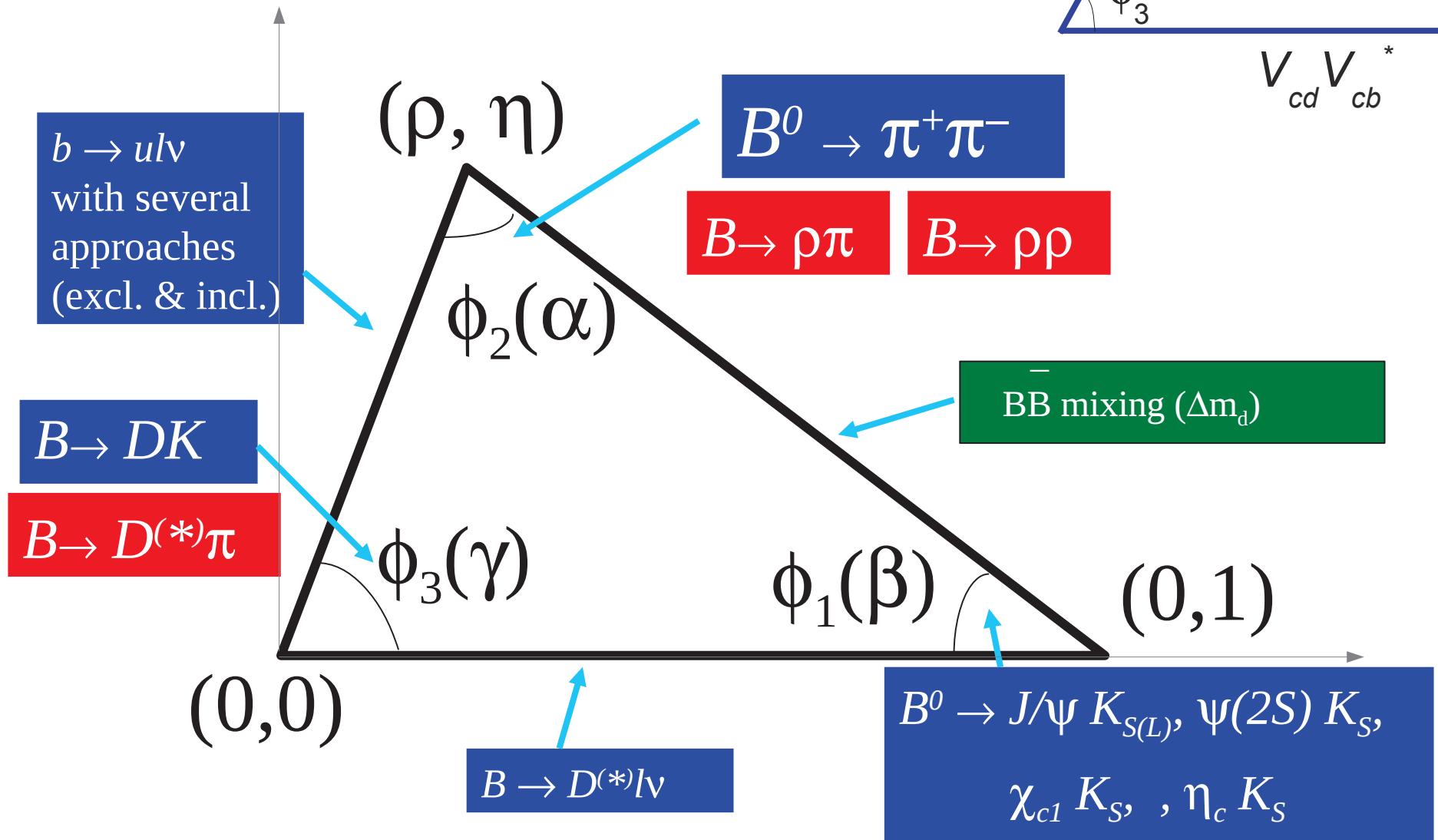
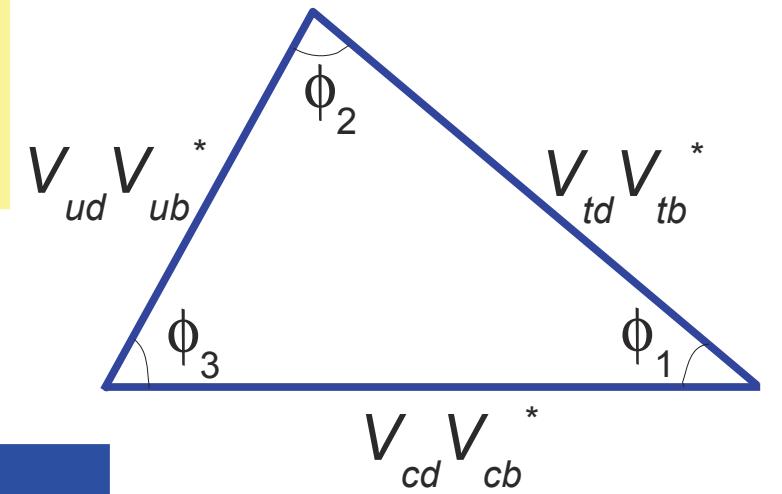
- In the standard model, the quark mixing is described by the Kobayashi-Maskawa matrix.

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$
$$= \begin{pmatrix} 1 - \lambda^2/2 & \lambda & \lambda^3 A(\rho - i\eta) \\ -\lambda & 1 - \lambda^2/2 & \lambda^2 A \\ \lambda^3 A(1 - \rho - i\eta) & -\lambda^2 A & 1 \end{pmatrix}$$

Wolfenstein
Notation

- The unitarity condition $V_{td}V_{tb}^* + V_{cd}V_{cb}^* + V_{ud}V_{ub}^* = 1$
is expressed in a triangle.

- In the standard mode, the origin of CP violation comes from the non-zero value of η .
- Experimental determination of apex (ρ, η) was the goal of the 1st generation B-factory experiments (Belle and BaBar).



Determination of Unitarity Triangle by CKMfitter

Parametrization

Phys. Rev. D85, 033005 (2011)

“rescaled” Unitarity Triangle

$$V = \begin{pmatrix} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta} \\ -s_{12}c_{23} - c_{12}s_{23}s_{13}e^{i\delta} & c_{12}c_{23} - s_{12}s_{23}s_{13}e^{i\delta} & s_{23}c_{13} \div \\ s_{12}s_{23} - c_{12}c_{23}s_{13}e^{i\delta} & -c_{12}s_{23} - s_{12}c_{23}s_{13}e^{i\delta} & c_{23}c_{13} \dot{\div} \end{pmatrix}$$

$$s_{12} \equiv \lambda$$

$$s_{23} \equiv A\lambda^2$$

$$s_{13}e^{-i\delta} \equiv A\lambda^3(\rho - i\eta)$$

$$\rho + i\eta = \frac{\sqrt{1-A^2\lambda^4}(\bar{\rho} + i\bar{\eta})}{\sqrt{1-\lambda^2}[1-A^2\lambda^4(\bar{\rho} + i\bar{\eta})]}$$

where: $\bar{\rho} + i\bar{\eta} = -\frac{V_{ud}V_{ub}^*}{V_{cd}V_{cb}^*}$

To define the triangle phase-convention independent up to all orders of λ .



$$A, \lambda, \bar{\rho}, \bar{\eta}$$

Determine the values by the global fit
-> CKM fit

- * Frequentist statistics in the fit framework.
<- conventional approach

- * “Rfit (Range Fit)” treatment of systematic errors (esp. theory errors)

Rfit:
Uniform p-value
in the given range

■ RFit scheme

Theoretical systematics are considered as additional *nuisance parameters* bounded over a confident enough range. Considering the worst case –supremum-, on the latter interval the significance is flat.

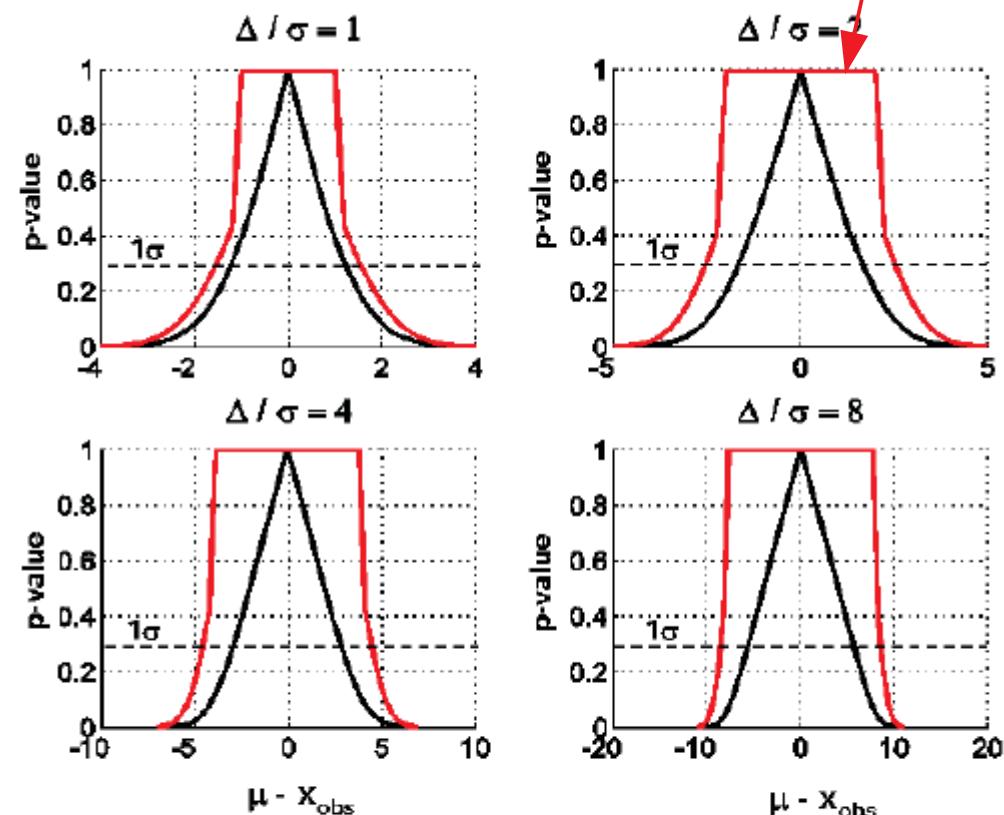
Note that this result is very different from what one would get from a statistical modelling of the systematic (ex: uniform over the range)

Simple illustrative example allowing analytical resolution:

$$X = \mu + \sigma N[0,1] + \Delta_x$$

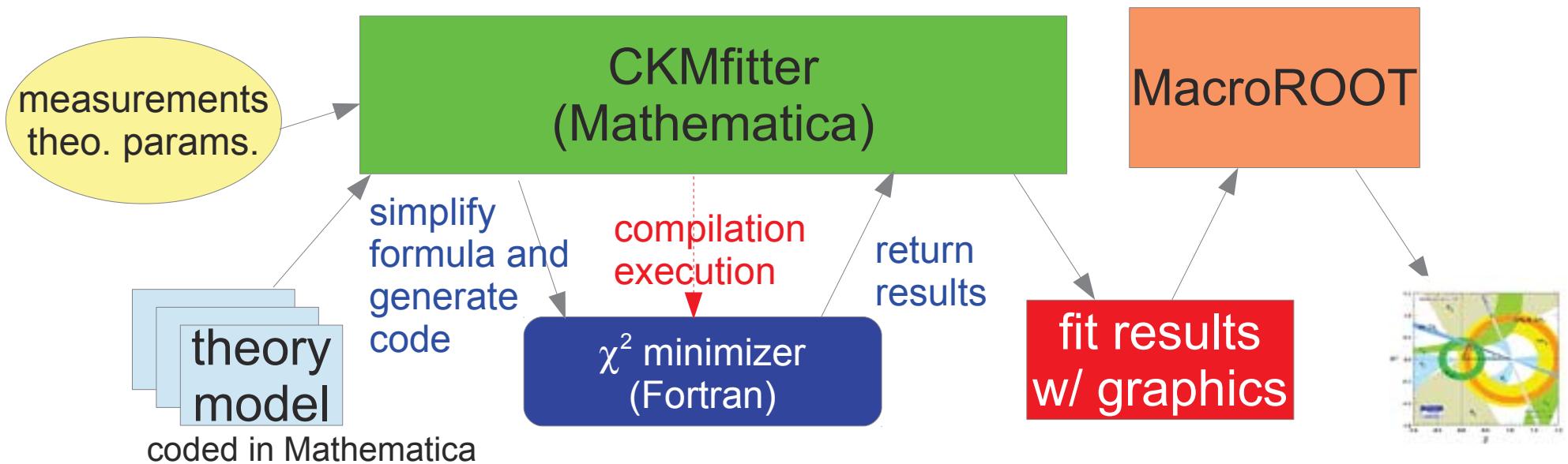
↑ Observation ↑ Parameter ↑ Gaussian stat error ↑ Systematic bounded in $[-\Delta, \Delta]$

$$p\text{-value} = \begin{cases} 1 & \text{if } x - \mu \in [-\Delta, \Delta] \\ \frac{1}{2} (\text{erfc} \frac{|x - \mu| + \Delta}{\sqrt{2}\sigma} + \text{erfc} \frac{|x - \mu| - \Delta}{\sqrt{2}\sigma}) & \text{elsewhere} \end{cases}$$



— Gaussian pdf + uniform pdf for systematic
— Gaussian pdf + parametric systematic

- Originally coded in Fortran and specialized in calculating unitarity triangle constraints. Minimizer : MINUIT in CERNLIB
- Rewritten in Mathematica in 2006 for speed up.
 - * Analytic simplification of theoretical formula helps to reduce the calculation time. ($>O(10)$ faster than Fortran version).
 - * Generalized χ^2 minimizer



Inputs to CKM fit

- Various measurements including outside B-factory results are used for the fit.

a) B-factory measurements

* Angles :

$\sin(2\phi_1)$ (+ $\cos(2\phi_1)$ for area constraint)

ϕ_2

ϕ_3

* Sides : absolute value of KM matrix elements

$|V_{ub}|$, $|V_{cb}|$

* B_d Mixing

Δm_d

* Leptonic/radiative decay

$Br(B \rightarrow \tau\nu)$

B-factory measurements for CKMfit

1) $|V_{cb}|$ and $|V_{ub}|$

- We measure

$$\Gamma(B \rightarrow X_u \ell \nu) \times f_C = |V_{ub}|^2 \xi_C$$

Total $b \rightarrow u \ell \nu$ rate

Fraction of the signal that pass the cut

Requires the knowledge of the b quark's motion inside the B meson

Cut-dependent constant predicted by theory

$b \rightarrow c$

$B \rightarrow \pi \ell \nu$

$B \rightarrow D^* \ell \nu$

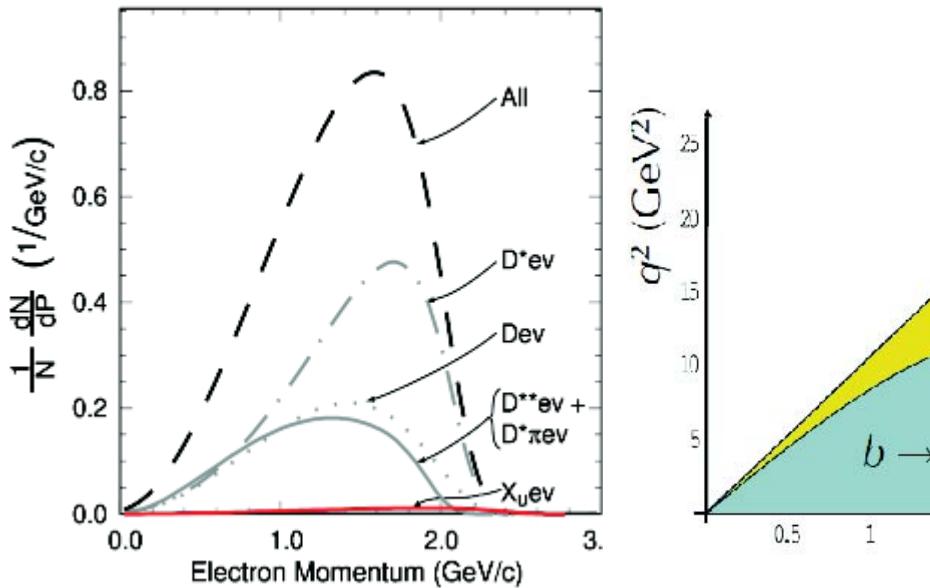
$B \rightarrow X_u \ell \nu$

$B \rightarrow X_c \ell \nu$

dominant uncertainties

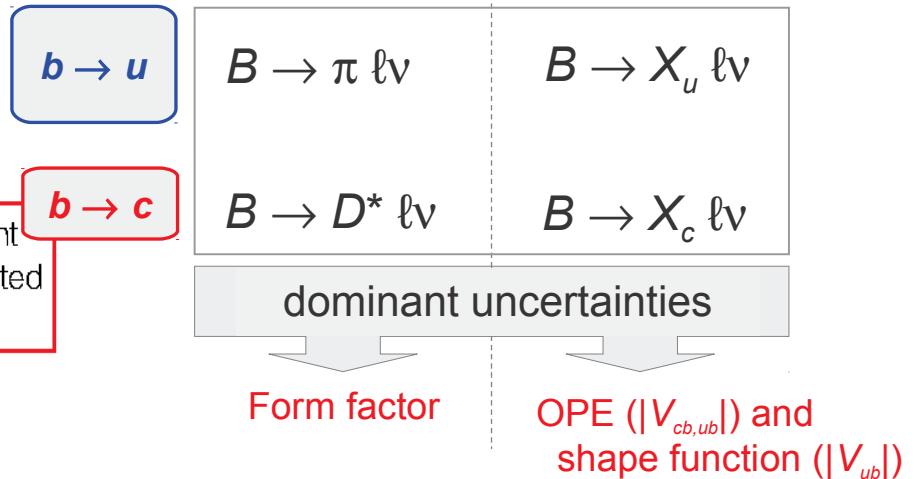
Form factor

OPE ($|V_{cb,ub}|$) and shape function ($|V_{ub}|$)

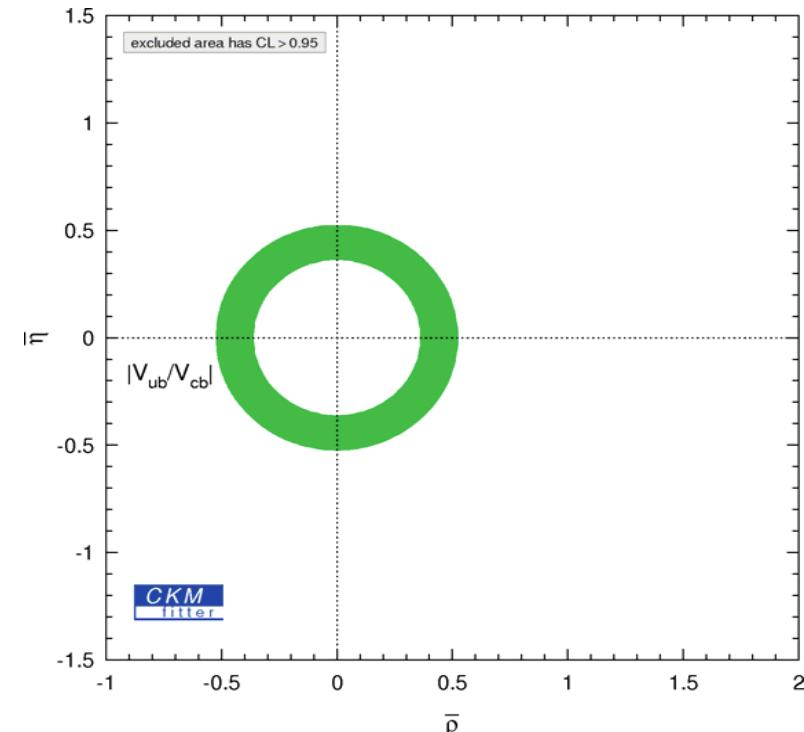


$|V_{ub}| (\rightarrow \rho^2 + \eta^2)$ is crucial for the SM prediction of $\sin(2\beta)$

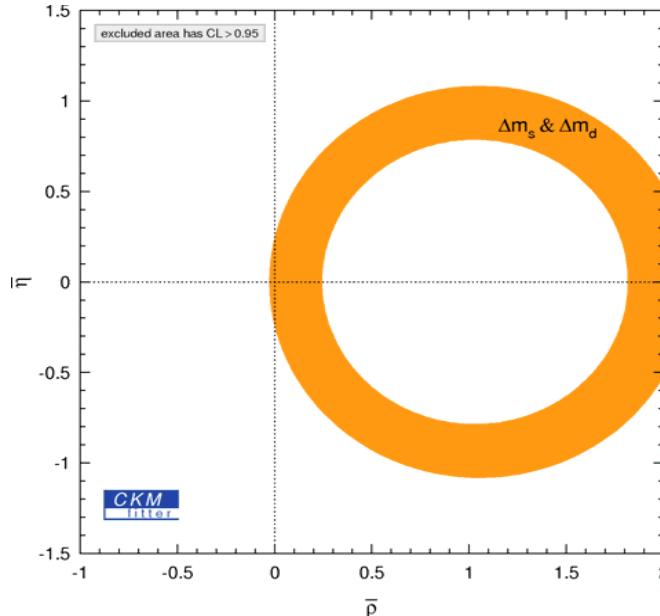
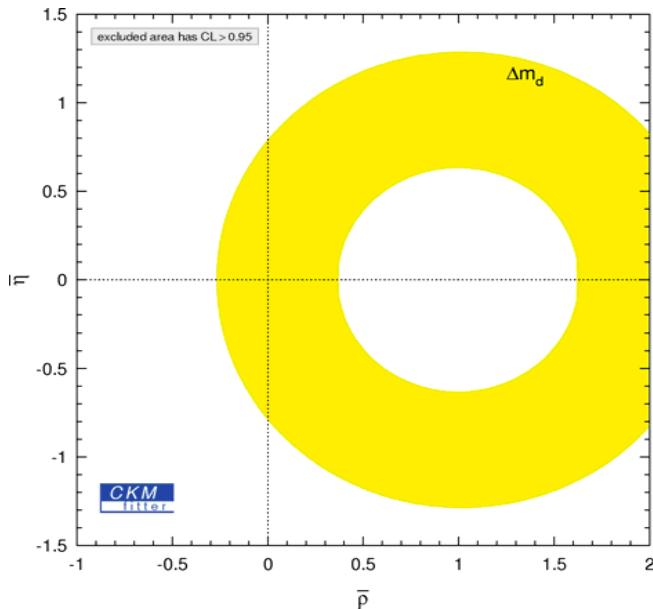
$|V_{cb}| (\rightarrow A)$ is important in the kaon system (ε_K , $\text{BR}(K \rightarrow \pi \nu \bar{\nu})$, ...)



$$\frac{\Gamma(b \rightarrow u \ell \nu)}{\Gamma(b \rightarrow c \ell \nu)} \approx \frac{|V_{ub}|^2}{|V_{cb}|^2} \approx \frac{1}{50}$$



2) Δm_d and Δm_s



$$\Delta m_d = \frac{G_F^2}{6\pi^2} m_{B_d} m_W^2 \eta_B S_0(x_t) f_{B_d}^2 B_d |V_{td} V_{tb}^*|^2 \propto A^2 \lambda^6 [(1-\bar{\rho})^2 + \bar{\eta}^2]$$

$$\Delta m_s = \frac{G_F^2}{6\pi^2} m_{B_s} m_W^2 \eta_B S_0(x_t) f_{B_s}^2 B_s |V_{ts} V_{tb}^*|^2$$

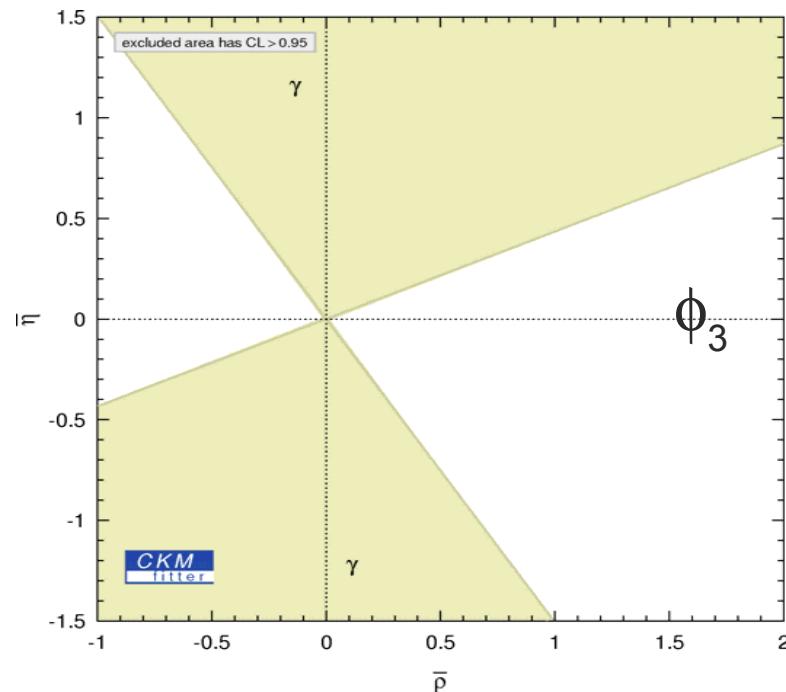
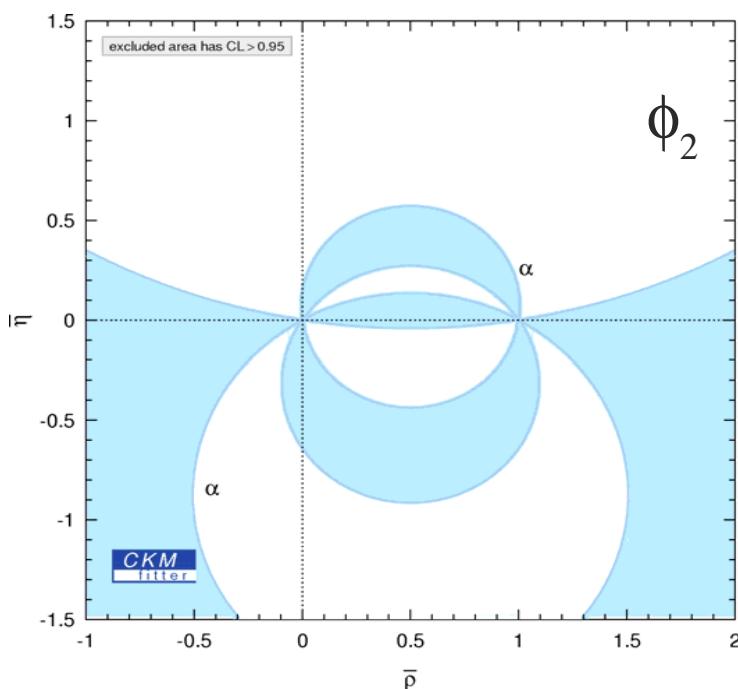
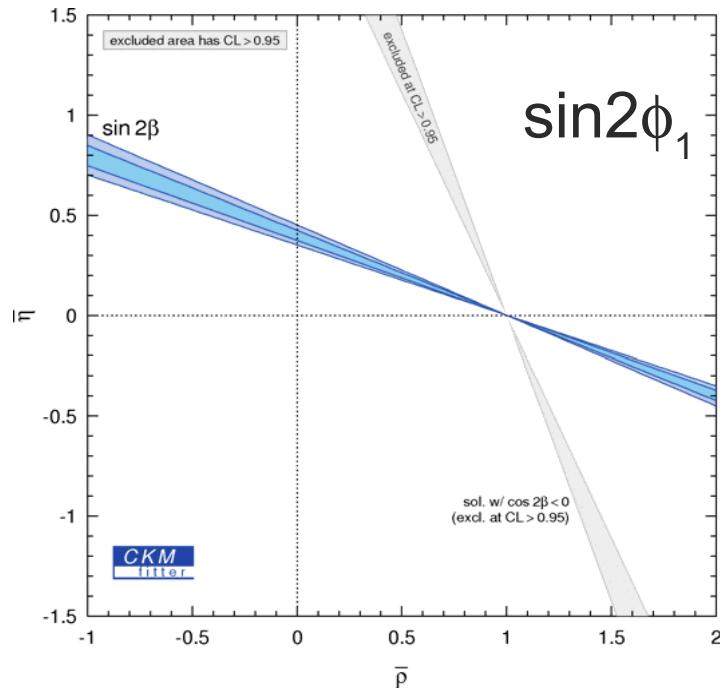
This does not give a strong constraint in (ρ, η) alone.

The point is:

$$f_{B_s}^2 B_s = \frac{f_{B_s}^2 B_s}{f_{B_d}^2 B_d} f_{B_d}^2 B_d = \xi^2 f_{B_d}^2 B_d$$

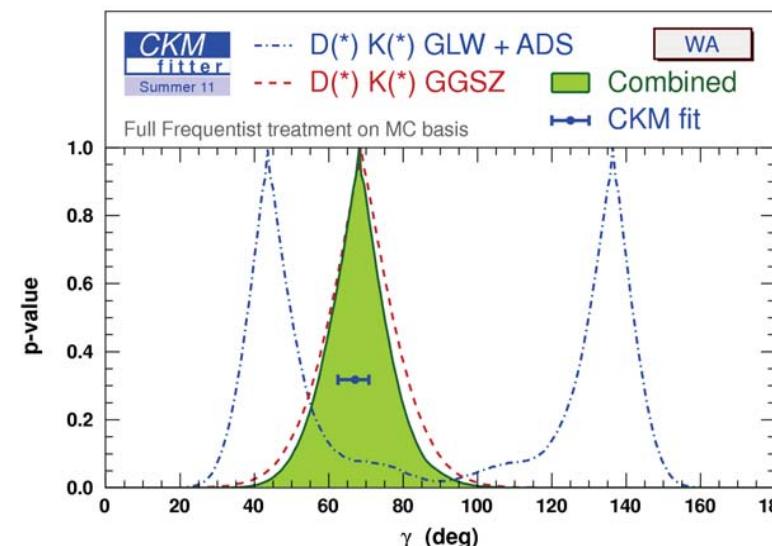
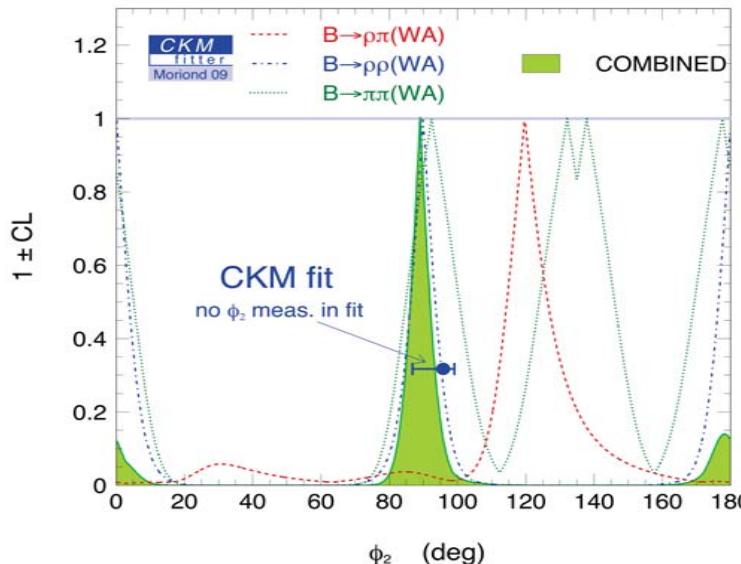
$$\sigma_{\text{rel}}(f_{B_d/s}^2 B_{d/s}) = 36\% \quad \rightarrow \quad \sigma_{\text{rel}}(\xi^2 = f_{B_s}^2 B_s / f_{B_d}^2 B_d) = 10\%$$

3) Angles of UT



Averaging measurements

- To use measurements of a quantity by different experiments in the fit, the measurements have to be averaged.
- Many measurements are already averaged by HFAG group.
- However, the error treatment is not simple in some measurements and a simple averaging cannot be used for them.
 - * ex. Measurements of CP angles ϕ_2 and ϕ_3 have multiple central values with non-gaussian errors. The likelihood function is provided by each experiment group for such a case.
- > A toy Monte Carlo simulation is performed and the average and error are estimated based from the result.



b) Non B-factory measurements:

- * ε_K : Kaon CPV parameter from Kaon experiments
- * Δm_s : Bs mixing parameter from Tevatron / LHCb
- * $|V_{ud}|$
- * $|V_{us}|$
- * MSbar quark mass
- * α_s

.....

c) Theory parameters

- To obtain theory predictions, a variety of parameters in hadronization theories have to be provided and included in the global fit as input parameters.

Examples:

- * f_B , B (structure constant and Bag parameter) for $\Delta m_{(d,s)}$
- * Form factors to convert Br measurements into V_{ub} , V_{cb}
- * B_K , η_{ct} , η_{tt} for ε_K
etc.

- Most of them are obtained by Lattice QCD calculation, where the errors are supposed to be non-gaussian.
-> Rfit treatment.
- They still have relatively large errors, and they can directly affect on the NP sensitivity in Belle II.



Estimated TH errors 2015



S. Sharpe, U.S. Lattice QCD executive committee
 V. Lubicz, talk given at the IV SuperB workshop

Hadronic matrix element	Current lattice error	6 TFlop Year	60 TFlop Year	1-10 PFlop Year
$f_+^{K\pi}(0)$	0.9% (22% on $1-f_+$)	0.7% (17% on $1-f_+$)	0.4% (10% on $1-f_+$)	< 0.1% (2.4% on $1-f_+$)
\hat{B}_K	11%	5%	3%	1%
f_B	14%	3.5 - 4.5%	2.5 - 4.0%	1 - 1.5%
$f_{Bs} B_{Bs}^{1/2}$	13%	4 - 5%	3 - 4%	1 - 1.5%
ξ	5% (26% on $\xi-1$)	3% (18% on $\xi-1$)	1.5 - 2 % (9-12% on $\xi-1$)	0.5 - 0.8 % (3-4% on $\xi-1$)
$\mathcal{F}_{B \rightarrow D/D^* l \nu}$	4% (40% on $1-\mathcal{F}$)	2% (21% on $1-\mathcal{F}$)	1.2% (13% on $1-\mathcal{F}$)	0.5% (5% on $1-\mathcal{F}$)
$f_+^{B\pi}, \dots$	11%	5.5 - 6.5%	4 - 5%	2 - 3%
$T_1^{B \rightarrow K^*/\rho}$	13%	----	----	3 - 4%



梅 (ume)

CKM IV Nagoya

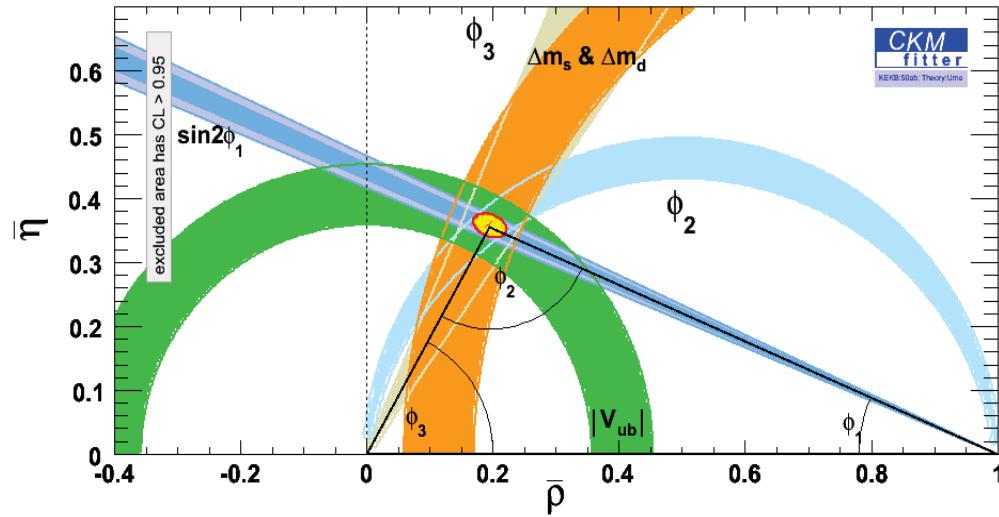
竹 (take)

松 (matsu)

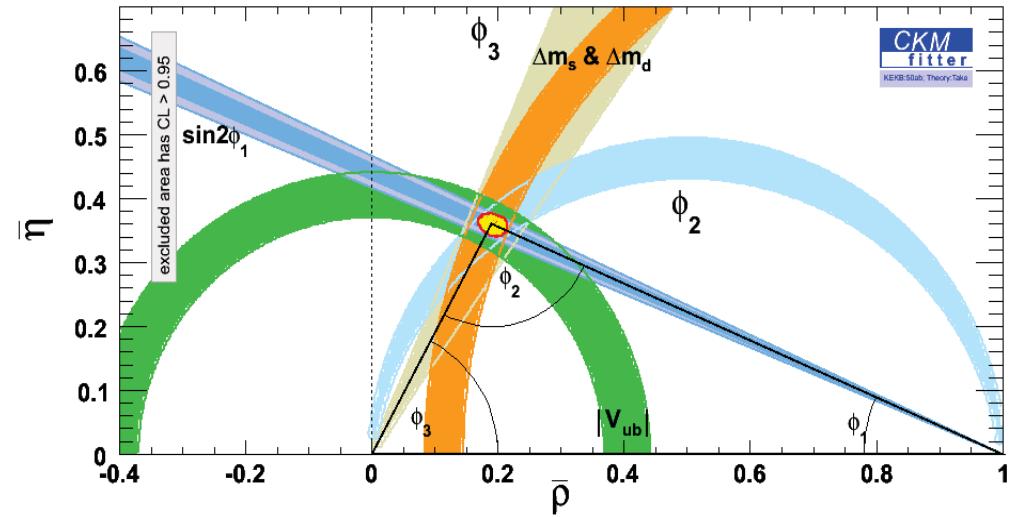
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Results of global CKM fit (SuperKEKB prediction w/ 50/fb)

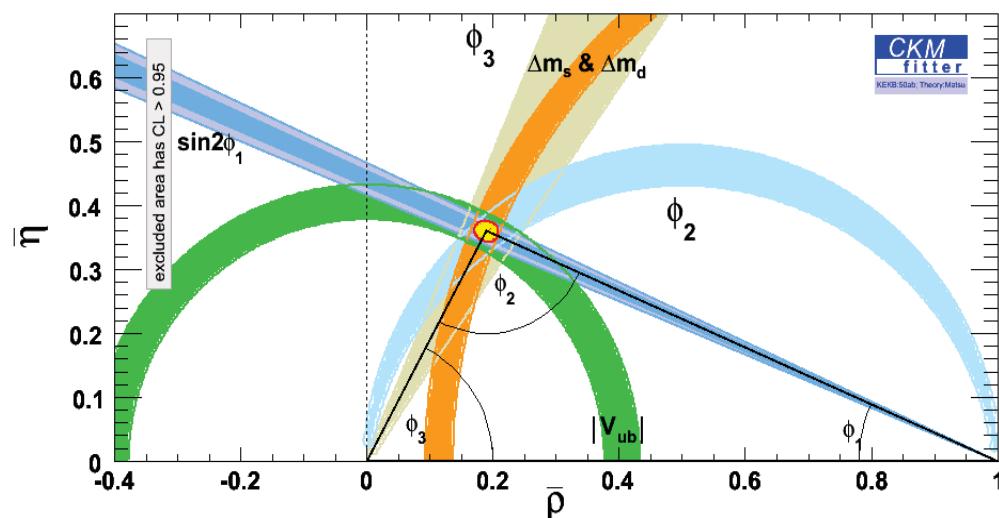
梅 (ume)



竹 (take)



松 (matsu)



	$\sigma(\bar{\rho})$	$\sigma(\bar{\eta})$
梅 Ume	5.1%	2.1%
竹 Take	4.6%	2.0%
松 Matsu	3.1%	1.8%

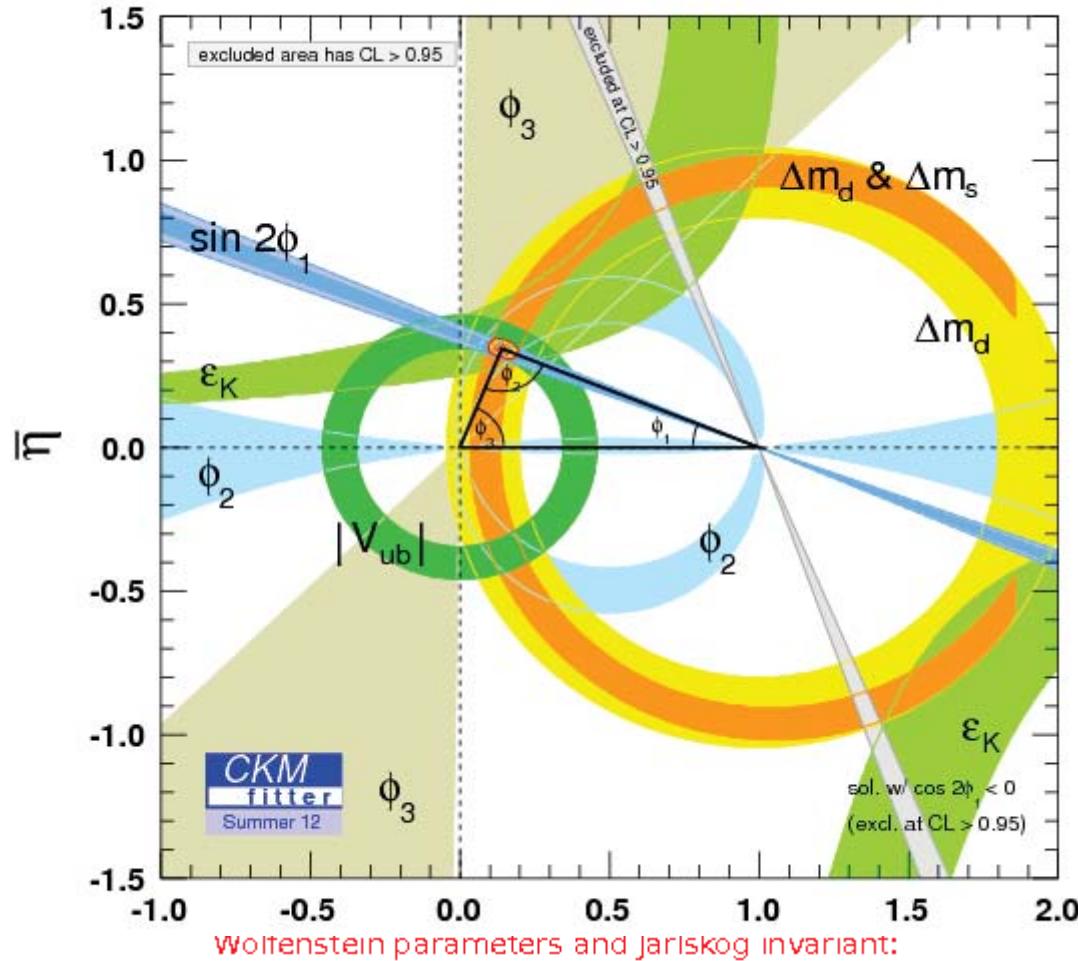
Experimental inputs to CKMfitter (ICHEP2012)

Parameter	Value ± Error(s)	Reference	Errors	
			GS	TH
$ V_{ud} $ (nuclei)	0.97425 ± 0.00022	[1]	★	-
$ V_{us} $ ($K_{\ell 3}$)	$0.2246 \pm 0.0009 \pm 0.0012$	[2, 3]	★	★
$ V_{cd} $ (νN)	0.230 ± 0.011	[4]	★	-
$ V_{cs} $ ($W \rightarrow c\bar{s}$)	$0.94^{+0.32}_{-0.26} \pm 0.13$	[4]	★	★
$ V_{ub} $	$(3.75 \pm 0.14 \pm 0.25) \times 10^{-3}$	[5, 6]	★	★
$ V_{cb} $	$(41.15 \pm 0.33 \pm 0.59) \times 10^{-3}$	[5]	★	★
$\mathcal{B}(B^- \rightarrow \tau^-\bar{\nu}_\tau)$	$(1.15 \pm 0.23) \times 10^{-4}$	[7]	★	-
$\mathcal{B}(D_s^- \rightarrow \mu^-\bar{\nu}_\mu)$	$(5.90 \pm 0.33) \times 10^{-3}$	[5]	★	-
$\mathcal{B}(D_s^- \rightarrow \tau^-\bar{\nu}_\tau)$	$(5.29 \pm 0.28) \times 10^{-2}$	[5]	★	-
$\mathcal{B}(D^- \rightarrow \mu^-\bar{\nu}_\mu)$	$(3.82 \pm 0.32 \pm 0.09) \times 10^{-4}$	[8]	★	★
$\mathcal{B}(K^- \rightarrow e^-\bar{\nu}_e)$	$(1.584 \pm 0.020) \times 10^{-5}$	[4]	★	-
$\mathcal{B}(K^- \rightarrow \mu^-\bar{\nu}_\mu)$	0.6347 ± 0.0018	[2]	★	-
$\mathcal{B}(\tau^- \rightarrow K^-\bar{\nu}_\tau)$	$(0.696 \pm 0.023) \times 10^{-3}$	[4]	★	-
$\mathcal{B}(K^- \rightarrow \mu^-\bar{\nu}_\mu)/\mathcal{B}(\pi^- \rightarrow \mu^-\bar{\nu}_\mu)$	1.344 ± 0.0041	[2]	★	-
$\mathcal{B}(\tau^- \rightarrow K^-\bar{\nu}_\tau)/\mathcal{B}(\tau^- \rightarrow \pi^-\bar{\nu}_\tau)$	$(6.53 \pm 0.11) \times 10^{-2}$	[9]	★	-
$ V_{cd} f_+^{D \rightarrow \pi}(0)$	0.148 ± 0.004	[10]	★	-
$ V_{cs} f_+^{D \rightarrow K}(0)$	0.712 ± 0.007	[10, 11]	★	-
$ \varepsilon_K $	$(2.229 \pm 0.010) \times 10^{-3}$	[4]	★	-
Δm_d	$(0.507 \pm 0.005) \text{ ps}^{-1}$	[5]	★	-
Δm_s	$(17.719 \pm 0.043) \text{ ps}^{-1}$	[5]	★	-
$\sin(2\beta)_{[c\bar{c}]}$	0.679 ± 0.020	[5]	★	-
$(\beta_s)_{J/\psi\phi}$	Analysis of $B_s \rightarrow J/\psi\phi$	[12]	★	-
$S_{\pi\pi}^{+-}, C_{\pi\pi}^{+-}, C_{\pi\pi}^{00}$	Inputs to isospin analysis	[5]	★	-
$\mathcal{B}_{\pi\pi}$ all charges	Inputs to isospin analysis	[5]	★	-
$S_{\rho\rho,L}^{+-}, C_{\rho\rho,L}^{+-}, S_{\rho\rho}^{00}, C_{\rho\rho}^{00}$	Inputs to isospin analysis	[5]	★	-
$\mathcal{B}_{\rho\rho,L}$ all charges	Inputs to isospin analysis	[5]	★	-
$B^0 \rightarrow (\rho\pi)^0 \rightarrow 3\pi$	Time-dependent Dalitz analysis	[14, 15]	★	-
$B^- \rightarrow D^{(*)} K^{(*)-}$	Inputs to GLW analysis	[5]	★	-
$B^- \rightarrow D^{(*)} K^{(*)-}$	Inputs to ADS analysis	[5]	★	-
$B^- \rightarrow D^{(*)} K^{(*)-}$	GGSZ Dalitz analysis	[5]	★	-

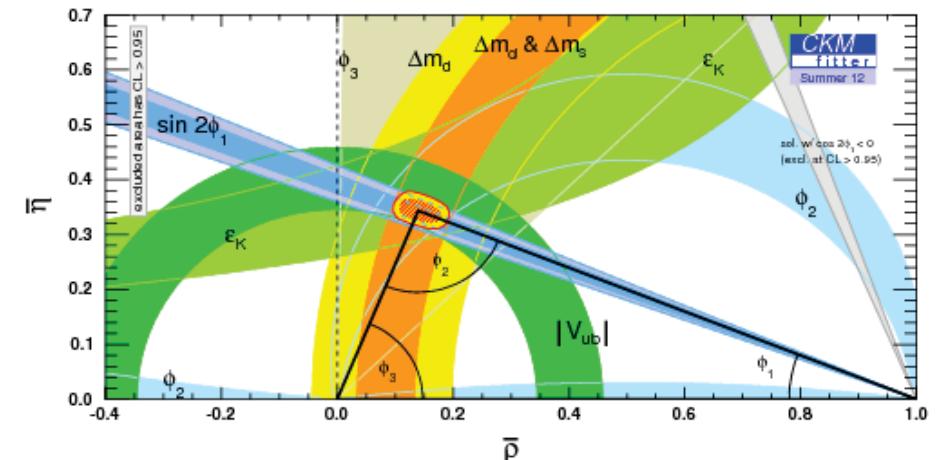
Used Inputs: Theory parameters

Parameter	Value \pm Error(s)	Reference	Errors	
			GS	TH
$\overline{m}_c(m_c)$	$(1.286 \pm 0.013 \pm 0.040) \text{ GeV}$	[16]	★	★
$\overline{m}_t(m_t)$	$(165.8 \pm 0.54 \pm 0.72) \text{ GeV}$	[20]	★	★
$\alpha_s(m_Z)$	$0.1184 \pm 0 \pm 0.0007$	[4]	-	★
B_K	$0.7615 \pm 0.0026 \pm 0.0137$	[3]	★	★
η_{cc}	Calculated from $\overline{m}_c(m_c)$ and α_s	[22]	-	★
η_{ct}	$0.47 \pm 0 \pm 0.04$	[23]	-	★
η_{tt}	$0.5765 \pm 0 \pm 0.0065$	[22, 23]	-	★
$\eta_B(\overline{\text{MS}})$	$0.5510 \pm 0 \pm 0.0022$	[24, 25]	-	★
f_{B_s}	$(229 \pm 2 \pm 6) \text{ MeV}$	[3]	★	★
B_s	$1.322 \pm 0.026 \pm 0.035$	[3]	★	★
f_{B_s}/f_{B_d}	$1.221 \pm 0.010 \pm 0.033$	[3]	★	★
B_s/B_d	$1.024 \pm 0.013 \pm 0.015$	[3]	★	★
f_K	$(156.3 \pm 0.3 \pm 1.9) \text{ MeV}$	[3]	★	★
f_K/f_π	$1.1985 \pm 0.0013 \pm 0.0095$	[3]	★	★
f_{D_s}	$(249 \pm 2 \pm 5) \text{ MeV}$	[3]	★	★
f_{D_s}/f_D	$1.185 \pm 0.005 \pm 0.010$	[3]	★	★
$f_+^{D \rightarrow \pi}(0)$	$0.666 \pm 0.017 \pm 0.048$	[3]	★	★
$f_+^{D \rightarrow K}(0)$	$0.747 \pm 0.010 \pm 0.034$	[3]	★	★

2012 CKMfitter Result (ICHEP12)



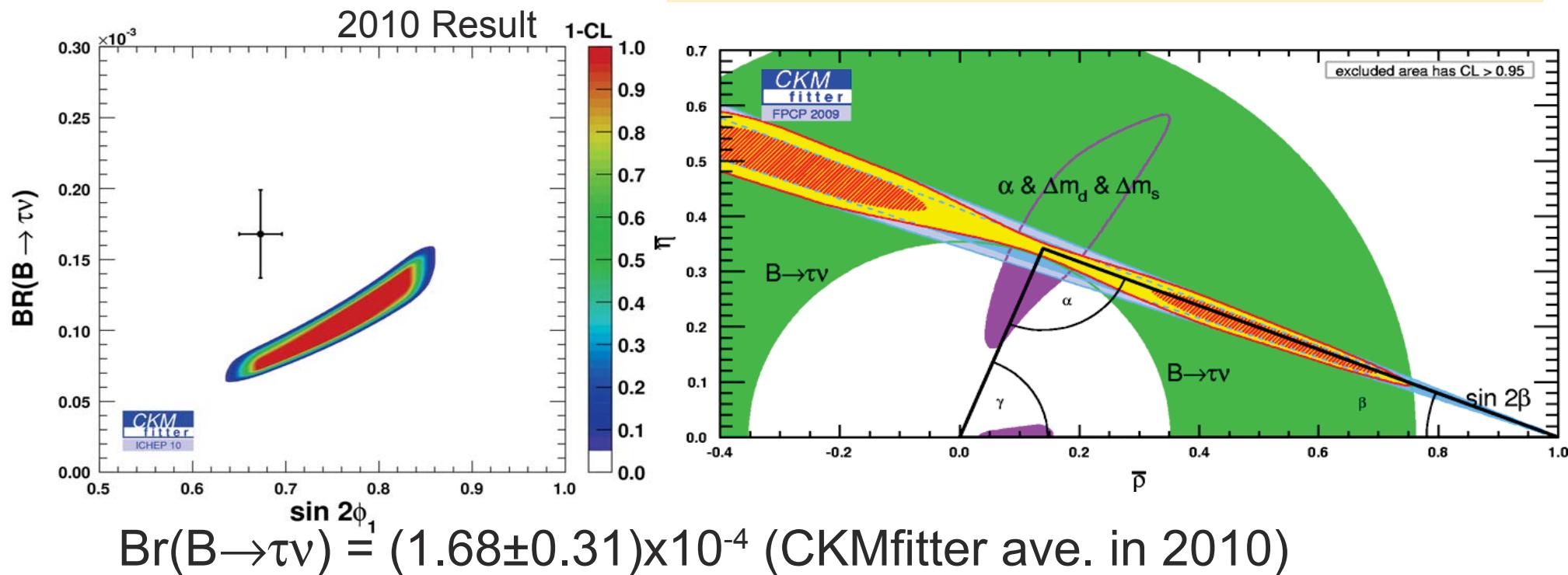
Wolkenstein parameters and Jarlskog invariant:



Observable	Central $\pm 1\sigma$	$\pm 2\sigma$	$\pm 3\sigma$
A	0.802 [+0.029 -0.011]	0.802 [+0.038 -0.018]	0.802 [+0.048 -0.025]
λ	0.22543 [+0.00059 -0.00094]	0.2254 [+0.0010 -0.0019]	0.2254 [+0.0013 -0.0027]
$\rho\bar{\rho}$	0.140 [+0.027 -0.026]	0.140 [+0.047 -0.038]	0.140 [+0.059 -0.049]
$\eta\bar{\eta}$	0.343 [+0.015 -0.014]	0.343 [+0.029 -0.027]	0.343 [+0.043 -0.037]
$J [10^{-5}]$	2.890 [+0.281 -0.085]	2.89 [+0.42 -0.13]	2.89 [+0.56 -0.18]

“Anomaly” in CKM fit

- Anomalous input value used for CKM fit is a possible signature of NP.
- An anomaly in one measurement can be compared with the value predicted by the CKM fit excluding that measurement.
- Example : “Tension” between $B \rightarrow \tau\nu$ and $\sin 2\phi_1$



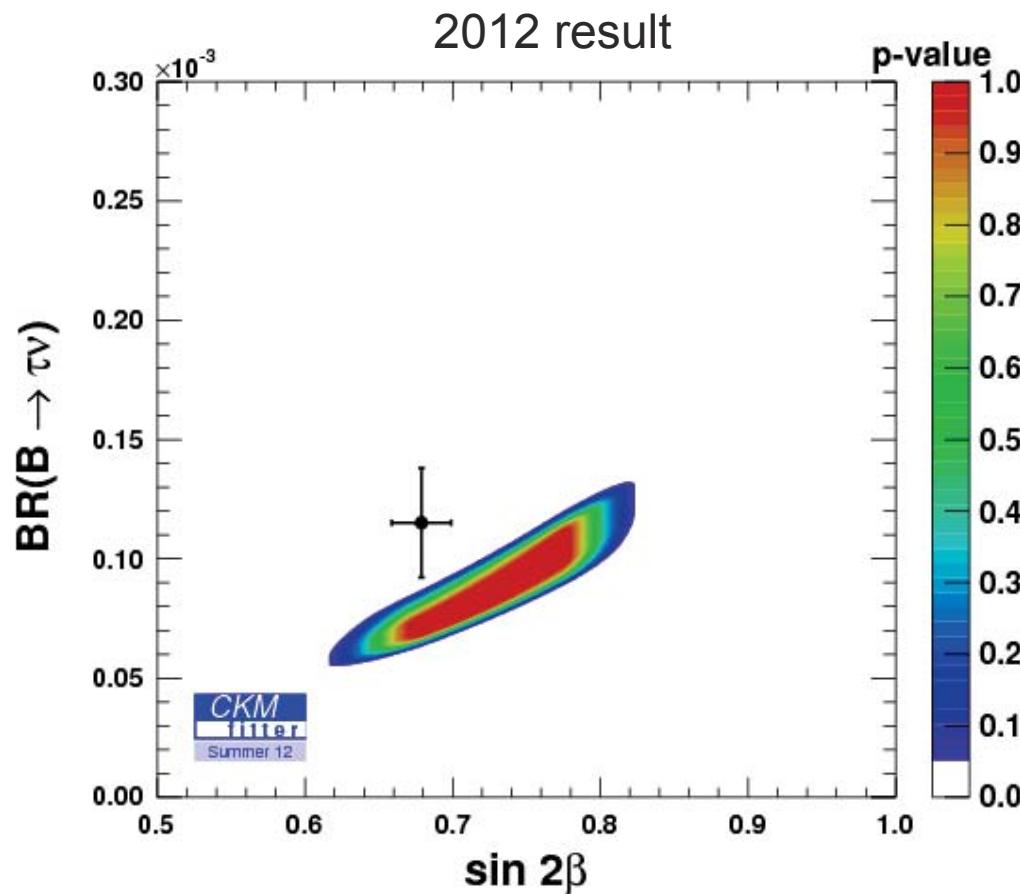
- 2.8σ discrepancy at that time.
- First reported by global fit groups (CKMfitter, UTfit)

- Belle's new measurement in 2012 is significantly lower.

$$\text{Br}(B \rightarrow \tau\nu) = (1.68 \pm 0.31) \times 10^{-4} \text{ (CKMfitter ave in 2010)}$$



$$\text{Br}(B \rightarrow \tau\nu) = (1.15 \pm 0.23) \times 10^{-4} \text{ (CKMfitter ave in 2012)}$$



The latest (ICHEP12) fit
with Belle's updated
 $\text{Br}(B \rightarrow \tau\nu)$ with hadronic tag.



“Tension” is relaxed.....
 1.6σ discrepancy

2) New Physics in $B-\bar{B}$ Mixing

CKMfitter: Phys.Rev.D83, 036004 (2011)

Model independent parameterization of New Physics in Mixing

$$M_{12}^q \equiv M_{12}^{SM} \cdot \Delta_q \quad \text{where CP phase is } \phi_q = \phi_q^{SM} + \phi_q^\Delta$$

$$\Delta_q \equiv |\Delta_q| \exp(i \phi_q^\Delta)$$

Principle:

NP parameters can be determined for by comparing

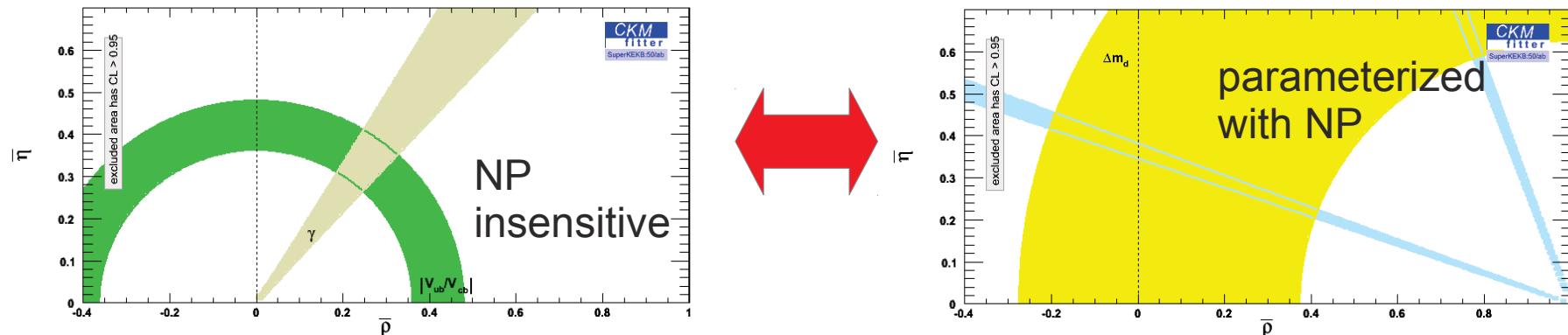
- measurements affected by NP parameters:

$$\Delta m_d, \Delta m_s, \Gamma_d, \Gamma_s, A_{SL}(t), a_{sl}$$

- measurements insensitive to NP

- * tree level measurements : $|V_{ub}|, \phi_3, \dots$

For example:



Constraint in NP parameters is obtained by the global CKM fit to all inputs.

2 scenarios in NP modeling

I) Non-MFV(minimal flavor violation)

Conventional model-independent NP parameterization without assuming any flavor structure.

-> Δ_s and Δ_d can take different values.

II) With MFV (“generic” MFV with a large bottom Yukawa coupling)

$$\Delta_s = \Delta_d = \Delta$$



Minimal Flavor Violation (MFV)

Assumption that all FCNCs stem from the KM-like matrix element as in Standard Model.

Measurements sensitive to NP in mixing: Δm , $\Delta \Gamma/\Gamma$, a_{SL}

a_{SL}/A_{SL}

$$a_{SL}^d = \frac{N_{\ell^+\ell^+} - N_{\ell^-\ell^-}}{N_{\ell^+\ell^+} + N_{\ell^-\ell^-}} = 2(1 - |q/p|) .$$

$$\begin{aligned} A_{SL}^g(t) &\equiv \frac{\Gamma(\bar{B}_q^0(t) \rightarrow l^+ X) - \Gamma(B_q^0(t) \rightarrow l^- X)}{\Gamma(\bar{B}_q^0(t) \rightarrow l^+ X) + \Gamma(B_q^0(t) \rightarrow l^- X)} \\ &= \frac{1 - |q/p|^4}{1 + |q/p|^4} = 2(1 - |q/p|) + O((|q/p| - 1)^2), \end{aligned}$$

- $A_{SL}(B_d)$: average of Belle/Babar/CLEO measurements.
- $A_{SL}(B_s)$: D0
- $a_{SL}(B_s)$: average of CDF/D0/LHCb measurements.

$\Delta \Gamma_d/\Gamma_d$: Belle/Babar, but exp. error is still large \rightarrow no constraint

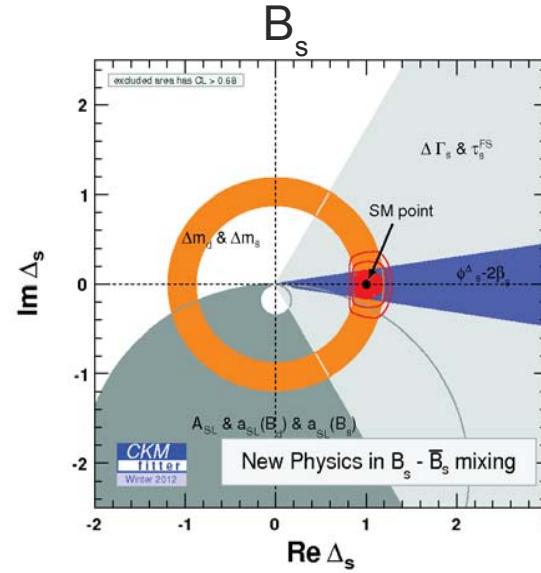
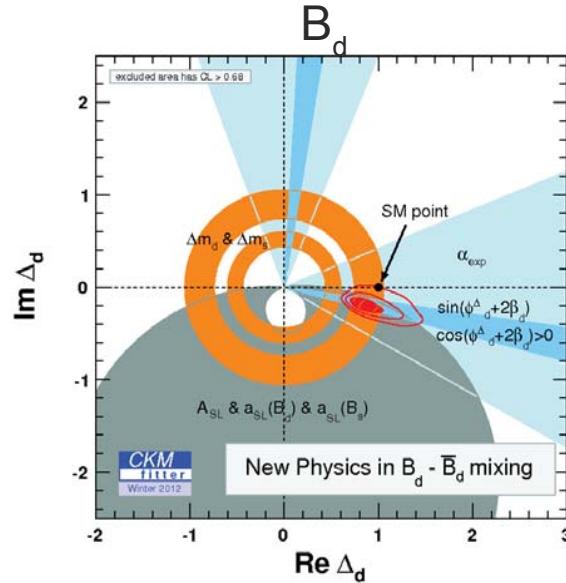
$\Delta \Gamma_s/\Gamma_s, \phi_s$: CDF+D0+LHCb

Δm_d : HFAG 2012

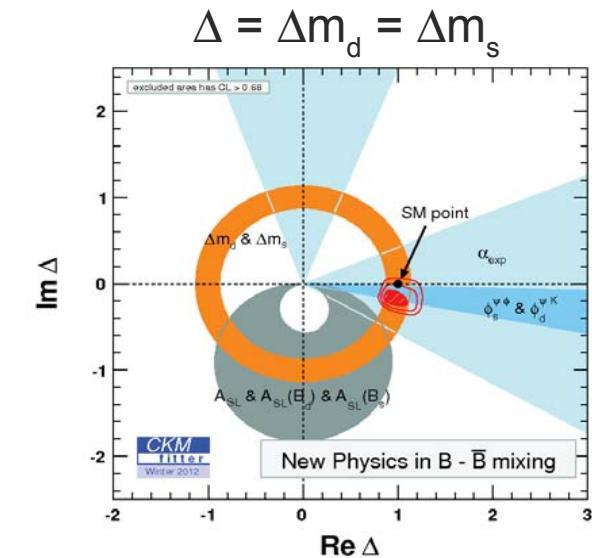
Δm_s : CDF + LHCb

2012 CKMfitter results

non-MFV scenario



generic-MFV scenario



Quantity	1σ	3σ
$\text{Re}(\Delta_d)$	$0.823^{+0.143}_{-0.095}$	$0.82^{+0.54}_{-0.20}$
$\text{Im}(\Delta_d)$	$-0.199^{+0.062}_{-0.048}$	$-0.20^{+0.18}_{-0.19}$
$ \Delta_d $	$0.86^{+0.14}_{-0.11}$	$0.86^{+0.55}_{-0.22}$
ϕ_d^Δ [deg]	$-13.4^{+3.3}_{-2.0}$	$-13.4^{+12.1}_{-6.0}$
$\text{Re}(\Delta_s)$	$0.965^{+0.133}_{-0.078}$	$0.97^{+0.30}_{-0.13}$
$\text{Im}(\Delta_s)$	$-0.00^{+0.10}_{-0.10}$	$-0.00^{+0.32}_{-0.32}$
$ \Delta_s $	$0.977^{+0.121}_{-0.090}$	$0.98^{+0.29}_{-0.15}$
ϕ_s^Δ [deg]	$-0.1^{+6.1}_{-6.1}$	$-0^{+18.}_{-18.}$
$\phi_d^\Delta + 2\beta$ [deg] (!)	$17^{+12.}_{-13.}$	$17^{+40.}_{-55.}$
$\phi_s^\Delta - 2\beta_s$ [deg] (!)	$-56.8^{+10.9}_{-7.0}$	$-57.^{+66.}_{-20.}$

non
MFV gen.
MFV

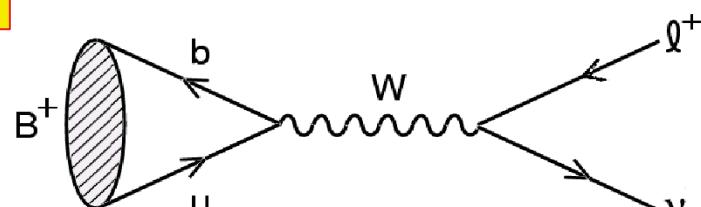
Hypothesis	Sc. I	Sc. II	Sc. III
$\text{Im}\Delta_d = 0$	3.2σ		2.6σ
$\text{Im}\Delta_s = 0$		0.0σ	
$\Delta_d = 1$	3.0σ	0.6σ	2.1σ
$\Delta_s = 1$		0.0σ	
$\text{Im}\Delta_d = \text{Im}\Delta_s = 0$		2.8σ	
$\Delta_d = \Delta_s = 1$		2.4σ	

3) Search for Charged Higgs

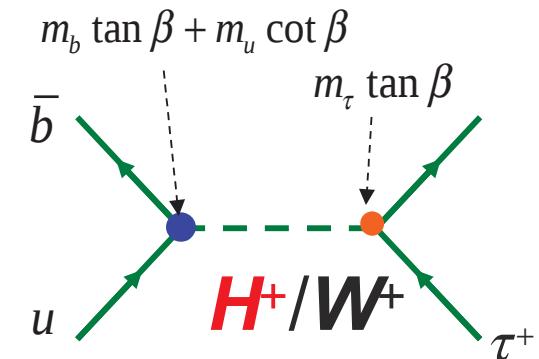
by NP-Japan group (2013), Preliminary

- The search for charged Higgs at B factory experiment has been performed in $B \rightarrow \tau\nu$ decays.

SM

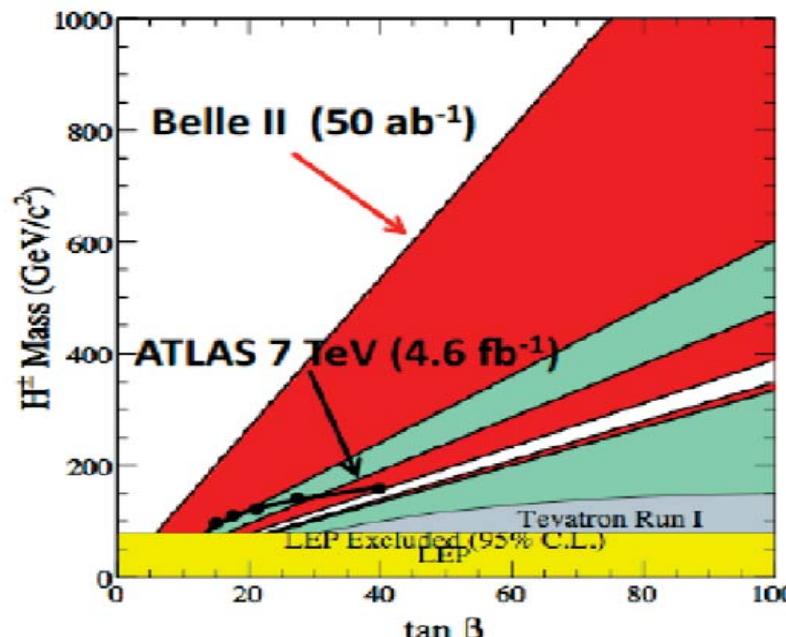


NP



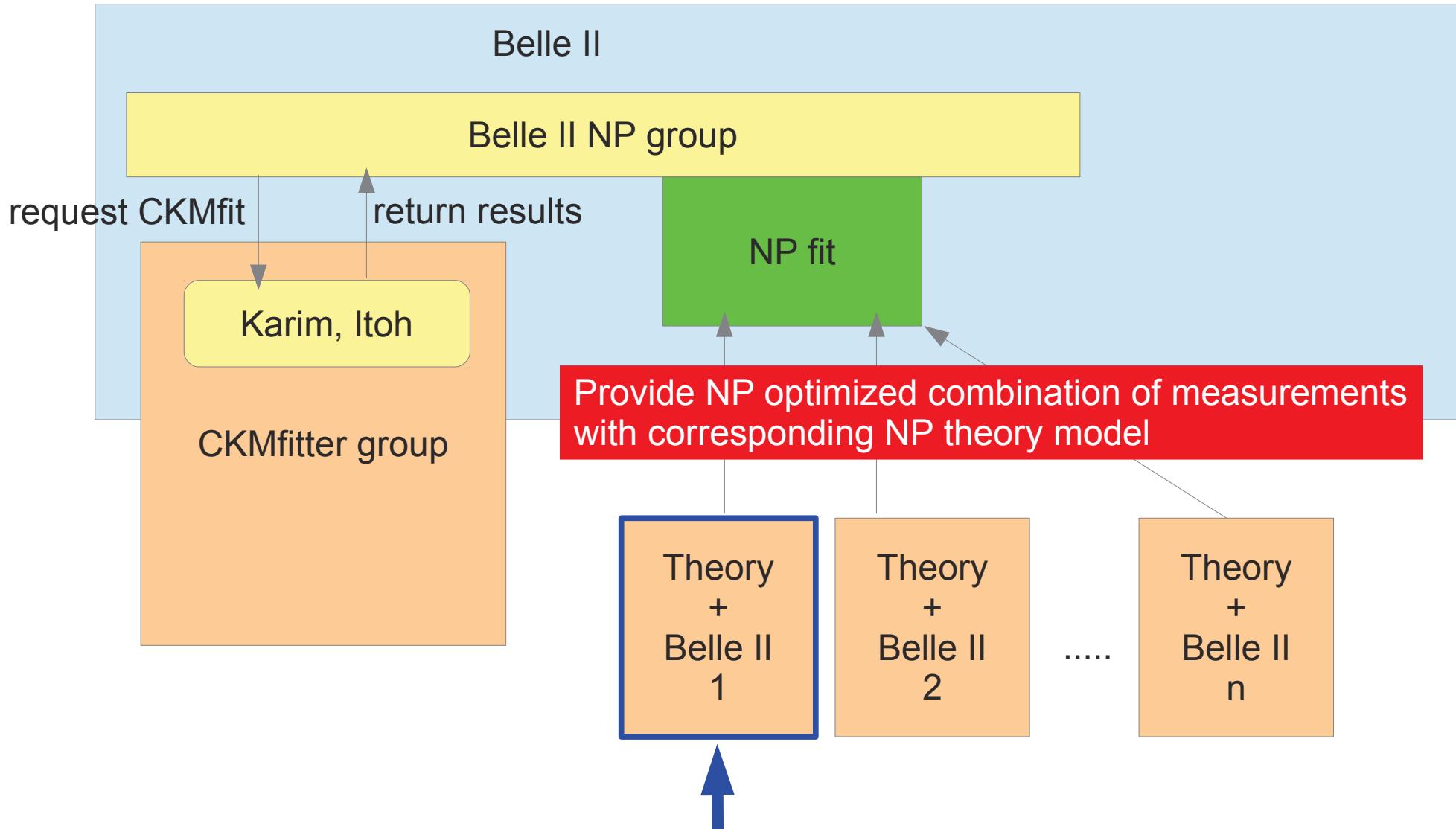
$$\mathcal{B}(B \rightarrow \tau\nu) = \frac{G_F^2 m_B}{8\pi} m_\tau^2 \left(1 - \frac{m_\tau^2}{m_B^2}\right)^2 f_B^2 |V_{ub}|^2 \tau_B$$

$$r_H = \left(1 - \frac{m_B^2}{m_H^2} \tan^2 \beta\right)^2$$



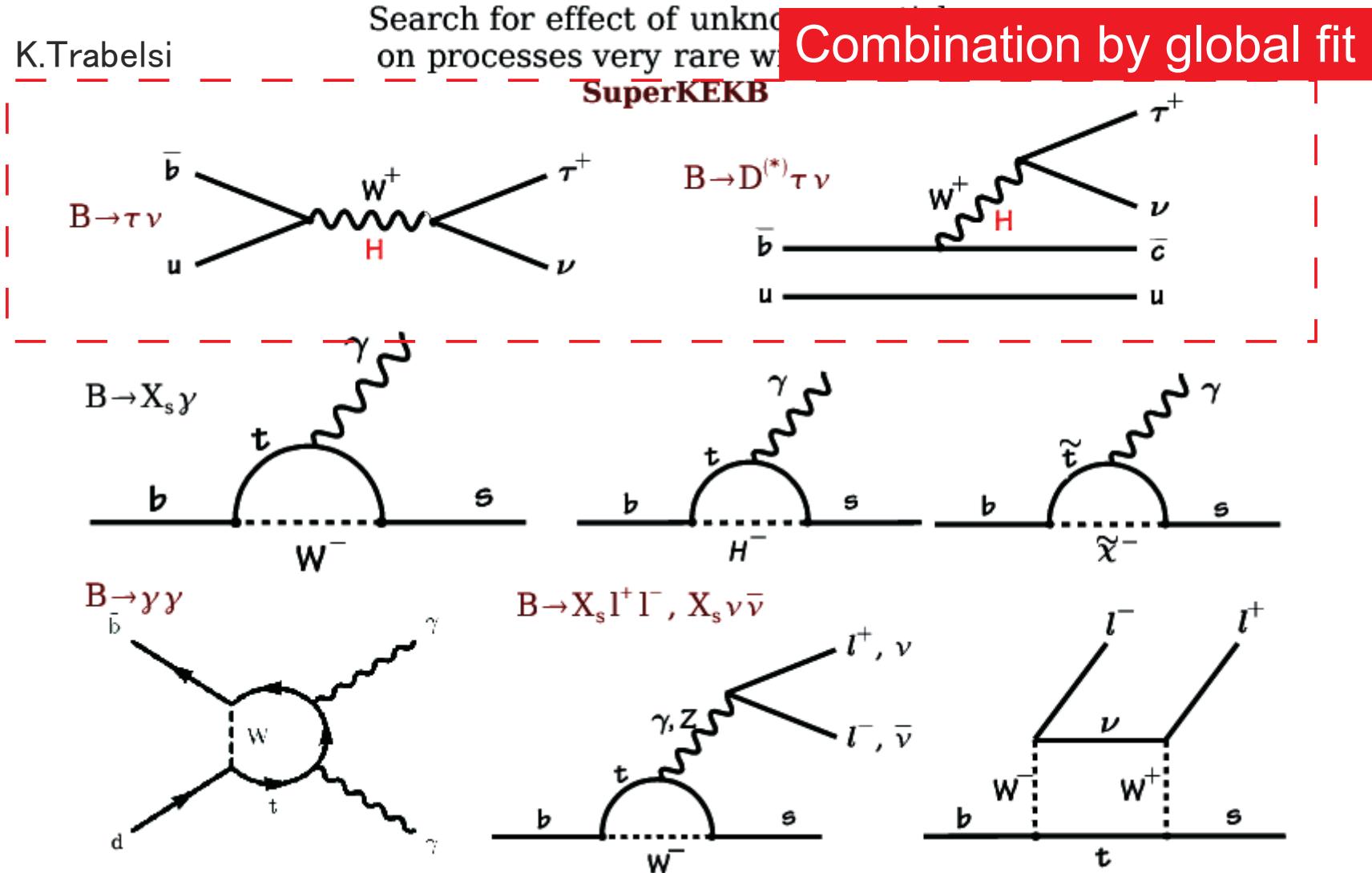
$$\text{Br} = \text{Br}_{\text{SM}} \times r_H$$

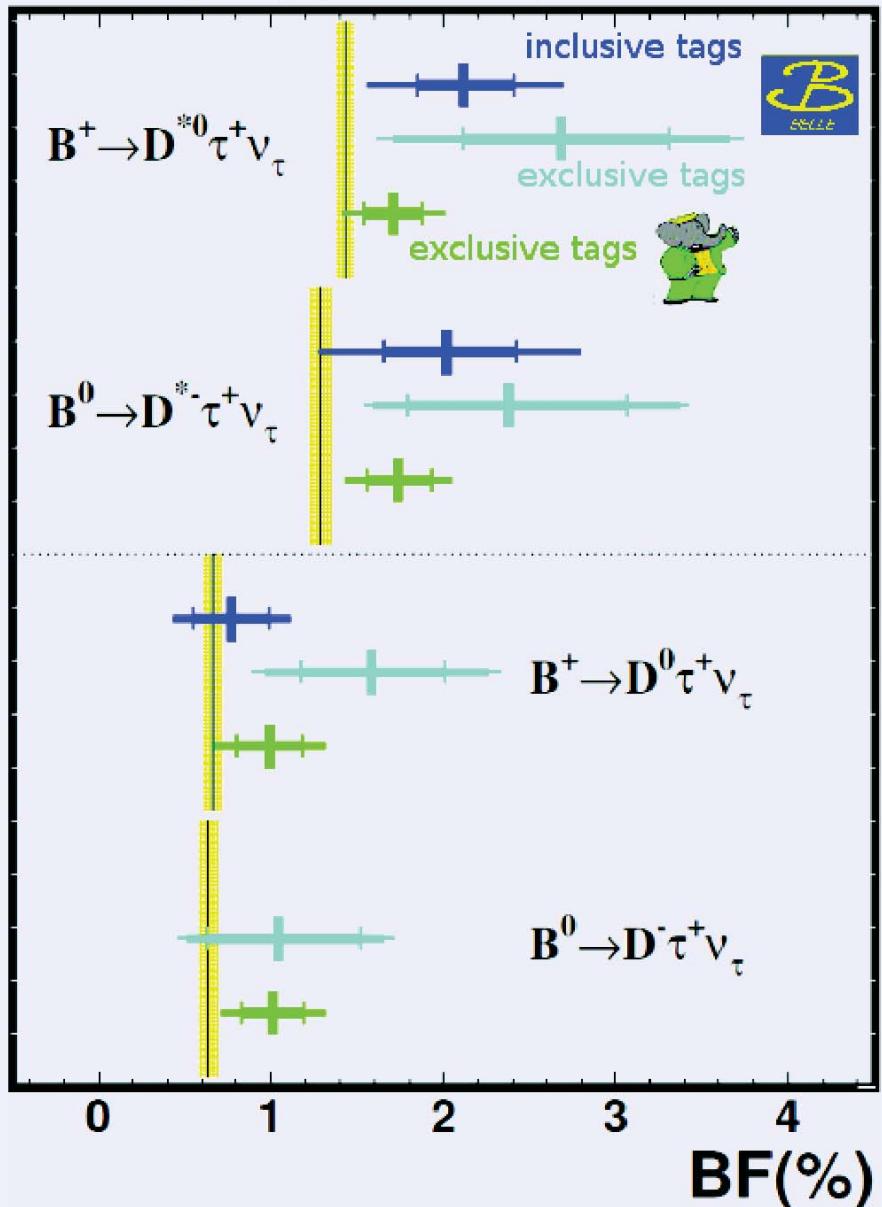
NP-Japan and Belle II



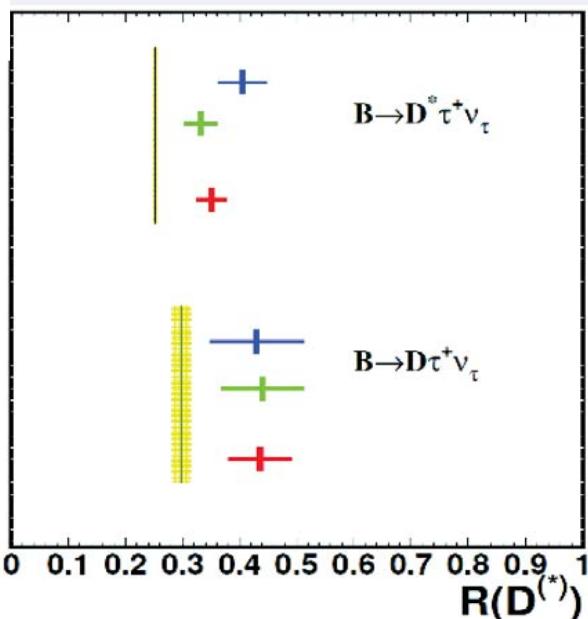
- We will start one of the groups as a Japanese-initiated group consisting of Japanese theorists + Belle II members (not limited to Japanese, of course!) = NP-Japan group : NPJ.

- If charged Higgs is there, it can affect in various B meson decay modes.



PRL 99 (2007) (535×10^6)PRD 82 (2010) (657×10^6)hep-ex/0910.4301 (657×10^6)PRL 109 (2012) (471×10^6)

Measurements



average

SM

PRD 85, 094025 (2012)

R - BF ratios

$$R(D^{(*)}) \equiv \frac{\mathcal{B}(B \rightarrow \bar{D}^{(*)} \tau^+ \bar{\nu}_\tau)}{\mathcal{B}(B \rightarrow \bar{D}^{(*)} \ell^+ \bar{\nu}_\ell)}$$

Belle and *BABAR* average deviation from SM

- $R(\bar{D}^*)$ 3.8σ
- $R(\bar{D})$ 2.4σ
- $R(\bar{D}^{(*)})$ 4.8σ

Note: Belle's measurements with a full luminosity are not available yet.
Need confirmation by Belle!

Theory Model : 2HDM (2 Higgs Doublet Model)

- Minimal “model-independent” extension of Standard Model with two additional Higgs doublet.
ex. Minimal SUSY(MSSM)

$$|\langle 0 | \phi_1 | 0 \rangle| = \begin{pmatrix} 0 \\ v_1/\sqrt{2} \end{pmatrix}, \quad |\langle 0 | \phi_2 | 0 \rangle| = \begin{pmatrix} v_2/\sqrt{2} \\ 0 \end{pmatrix},$$

- 8DoFs are inside. 5 out of 8 are real fields : H^\pm , A, and (h^0, H^0) .
- Coupling model : “Type II”
 - * ϕ_1 couples to down type quarks
 - * ϕ_2 couples to up type quarks.

$$\mathcal{L}_{II,Y} = -\bar{Q}_L \phi_1 y^d D_R - \bar{Q}_L \phi_2 y^u U_R - \bar{L}_L \phi_2 y^e E_R + h.c.,$$

$$\mathcal{L}_{II,H^+} = -\frac{g}{\sqrt{2}} \sum_{ij} \left[\tan \beta \frac{m_{\phi_2}}{M_W} \bar{u}_{Li} V_{ij} d_{Rj} + \cot \beta \frac{m_{\phi_1}}{M_W} \bar{u}_{Rj} V_{ij} d_{Lj} + \tan \beta \frac{m_{\phi_1}}{M_W} \bar{\nu}_{Lj} \ell_{Rj} \right] H^+ + h.c.$$

Modification to SM prediction of $\text{Br}(B \rightarrow \tau \nu)$

$$\tau_H = \left(\frac{m_{q_u} - m_{q_d} \tan^2 \beta}{m_{q_u} + m_{q_d}} \right) \left(\frac{m_M}{m_{H^+}} \right)^2.$$

$\text{BR}(B \rightarrow D\tau\nu)$ and $\text{BR}(B \rightarrow D^*\tau\nu)$ from Y. Sakaki, R. Watanabe, and M. Tanaka

$$\text{Br}(\bar{B} \rightarrow D\tau\nu_\tau) = \tau_B \Gamma(\bar{B} \rightarrow D\tau\nu_\tau)$$

$$\equiv \tau_B G_F^2 |V_{cb}|^2 V_1(1)^2 \times \left[\Gamma_1 + \Gamma_2 \rho_1^2 + \Gamma_3 \rho_1^4 \right. \\ \left. + (\Gamma_4 + \Gamma_5 \rho_1^2 + \Gamma_6 \rho_1^4) \left(\frac{4.91\text{GeV} - 1.77\text{GeV}}{m_b - m_c} \right) \text{Re}(C_{S_1} + C_{S_2}) \right. \\ \left. + (\Gamma_7 + \Gamma_8 \rho_1^2 + \Gamma_9 \rho_1^4) \left(\frac{4.91\text{GeV} - 1.77\text{GeV}}{m_b - m_c} \right)^2 |C_{S_1} + C_{S_2}|^2 \right]$$

New!

$$\Gamma_1 = + (1.868 - 2.321 \times 10^{-2}a + 1.373 \times 10^{-4}a^2) 10^{-2}$$

$$\Gamma_2 = - (6.829 - 7.181 \times 10^{-2}a + 3.708 \times 10^{-4}a^2) 10^{-3}$$

$$\Gamma_3 = + (7.005 - 6.645 \times 10^{-2}a + 3.121 \times 10^{-4}a^2) 10^{-4}$$

$$\Gamma_4 = + (2.804 - 6.543 \times 10^{-2}a + 4.140 \times 10^{-4}a^2) 10^{-2}$$

$$\Gamma_5 = - (8.864 - 18.08 \times 10^{-2}a + 9.985 \times 10^{-4}a^2) 10^{-3}$$

$$\Gamma_6 = + (8.317 - 15.45 \times 10^{-2}a + 7.735 \times 10^{-4}a^2) 10^{-4}$$

$$\Gamma_7 = + (1.953 - 4.881 \times 10^{-2}a + 3.265 \times 10^{-4}a^2) 10^{-2}$$

$$\Gamma_8 = - (5.518 - 12.05 \times 10^{-2}a + 7.065 \times 10^{-4}a^2) 10^{-3}$$

$$\Gamma_9 = + (4.787 - 9.484 \times 10^{-2}a + 5.039 \times 10^{-4}a^2) 10^{-4}$$

$$\text{Br}(\bar{B} \rightarrow D\ell\nu_\ell) = \tau_B \Gamma(\bar{B} \rightarrow D\ell\nu_\ell)$$

$$\equiv \tau_B G_F^2 |V_{cb}|^2 V_1(1)^2 \times [\Gamma_1 + \Gamma_2 \rho_1^2 + \Gamma_3 \rho_1^4]$$

$$\Gamma_1 = +8.788 \times 10^{-2}$$

$$\Gamma_2 = -5.230 \times 10^{-2}$$

$$\Gamma_3 = +0.8190 \times 10^{-2}$$

Assume Type II 2HDM.

$$\rho_1^2 = 1.186 \pm 0.036 \pm 0.041 \text{ (HFAG).}$$

$$a = 1 \pm 1$$

(M. Tanaka and R. Watanabe).

$$m_b = 4.20 \pm 0.07 \text{ GeV and}$$

$$m_c = 0.901^{+0.111}_{-0.113} \text{ GeV}$$

(MSbar, PRD77, 113016 (2008)).

Gaussian assumption for the errors.

$$C_{S_1} = - \frac{m_\tau m_b}{m_{H_\pm^2}} \tan^2 \beta$$

$$C_{S_2} = - \frac{m_\tau m_c}{m_{H_\pm^2}}$$

BR($B \rightarrow D^* \tau \bar{\nu}_\tau$) and BR($B \rightarrow D^* l \bar{\nu}$) from Y. Sakaki, R. Watanabe, and M. Tanaka

New!

$$\text{Br}(\bar{B} \rightarrow D^* \tau \bar{\nu}_\tau) = \tau_B \Gamma(\bar{B} \rightarrow D^* \tau \bar{\nu}_\tau)$$

$$= \tau_B G_F^2 |V_{cb}|^2 A_1(1)^2 \times \left[\Gamma_1 + \Gamma_2 \rho_{A_1}^2 + \Gamma_3 \rho_{A_1}^4 \right.$$

$$+ (\Gamma_4 + \Gamma_5 \rho_{A_1}^2 + \Gamma_6 \rho_{A_1}^4) \left(\frac{4.91 \text{GeV} + 1.77 \text{GeV}}{m_b + m_c} \right) \text{Re}(C_{S_1} - C_{S_2})$$

$$\left. + (\Gamma_7 + \Gamma_8 \rho_{A_1}^2 + \Gamma_9 \rho_{A_1}^4) \left(\frac{4.91 \text{GeV} + 1.77 \text{GeV}}{m_b + m_c} \right)^2 |C_{S_1} - C_{S_2}|^2 \right]$$

$$\Gamma_1 = + \left(5.538 - 0.005388 R_1(1) + 0.1344 R_1(1)^2 - 2.027 R_2(1) + 0.3519 R_2(1)^2 + 5.400 \times 10^{-2} a_3 + 7.117 \times 10^{-4} a_3^2 - 2.444 \times 10^{-2} R_2(1) a_3 \right) 10^{-2}$$

$$\Gamma_2 = - \left(15.64 - 0.01815 R_1(1) + 0.4034 R_1(1)^2 - 6.847 R_2(1) + 1.226 R_2(1)^2 + 17.11 \times 10^{-2} a_3 + 20.83 \times 10^{-4} a_3^2 - 7.749 \times 10^{-2} R_2(1) a_3 \right) 10^{-3}$$

$$\Gamma_3 = + \left(12.97 - 0.01635 R_1(1) + 0.3373 R_1(1)^2 - 6.254 R_2(1) + 1.144 R_2(1)^2 + 14.90 \times 10^{-2} a_3 + 17.09 \times 10^{-4} a_3^2 - 6.756 \times 10^{-2} R_2(1) a_3 \right) 10^{-4}$$

$$\Gamma_4 = + \left(1.136 - 1.028 R_2(1) + 0.2327 R_2(1)^2 + 5.972 \times 10^{-2} a_3 + 8.307 \times 10^{-4} a_3^2 - 2.701 \times 10^{-2} R_2(1) a_3 \right) 10^{-2}$$

$$\Gamma_5 = - \left(3.611 - 3.272 R_2(1) + 0.7412 R_2(1)^2 + 17.55 \times 10^{-2} a_3 + 22.48 \times 10^{-4} a_3^2 - 7.946 \times 10^{-2} R_2(1) a_3 \right) 10^{-3}$$

$$\Gamma_6 = + \left(3.154 - 2.859 R_2(1) + 0.6481 R_2(1)^2 + 14.44 \times 10^{-2} a_3 + 17.35 \times 10^{-4} a_3^2 - 6.541 \times 10^{-2} R_2(1) a_3 \right) 10^{-4}$$

$$\Gamma_7 = + \left(0.3132 - 0.2834 R_2(1) + 0.06409 R_2(1)^2 + 1.738 \times 10^{-2} a_3 + 2.538 \times 10^{-4} a_3^2 - 0.7857 \times 10^{-2} R_2(1) a_3 \right) 10^{-2}$$

$$\Gamma_8 = - \left(0.9240 - 0.8368 R_2(1) + 0.1895 R_2(1)^2 + 4.724 \times 10^{-2} a_3 + 6.346 \times 10^{-4} a_3^2 - 2.138 \times 10^{-2} R_2(1) a_3 \right) 10^{-3}$$

$$\Gamma_9 = + \left(0.7623 - 0.6908 R_2(1) + 0.1565 R_2(1)^2 + 3.658 \times 10^{-2} a_3 + 4.600 \times 10^{-4} a_3^2 - 1.657 \times 10^{-2} R_2(1) a_3 \right) 10^{-4}$$

$$\text{Br}(\bar{B} \rightarrow D^* \ell \bar{\nu}_\ell) = \tau_B \Gamma(\bar{B} \rightarrow D^* \ell \bar{\nu}_\ell)$$

$$\equiv \tau_B G_F^2 |V_{cb}|^2 A_1(1)^2 \times [\Gamma_1 + \Gamma_2 \rho_{A_1}^2 + \Gamma_3 \rho_{A_1}^4]$$

$$\Gamma_1 = + \left(32.87 - 0.04784 R_1(1) + 0.8060 R_1(1)^2 - 17.68 R_2(1) + 3.351 R_2(1)^2 \right) \times 10^{-2}$$

$$\Gamma_2 = - \left(15.34 - 0.02262 R_1(1) + 0.3460 R_1(1)^2 - 9.521 R_2(1) + 1.875 R_2(1)^2 \right) \times 10^{-2}$$

$$\Gamma_3 = + \left(1.993 - 0.002827 R_1(1) + 0.04062 R_1(1)^2 - 1.337 R_2(1) + 0.2699 R_2(1)^2 \right) \times 10^{-2}$$

Assume Type II 2HDM.

$$\rho_{A1}^2 = 1.207 \pm 0.015 \pm 0.021 \text{ (HFAG).}$$

$$R_1(1) = 1.403 \pm 0.033 \text{ (HFAG).}$$

$$R_2(1) = 0.854 \pm 0.020 \text{ (HFAG).}$$

$$a_3 = 1 \pm 1$$

(M. Tanaka and R. Watanabe).

$$m_b = 4.20 \pm 0.07 \text{ GeV and}$$

$$m_c = 0.901^{+0.111}_{-0.113} \text{ GeV}$$

(MSbar, PRD77, 113016 (2008)).

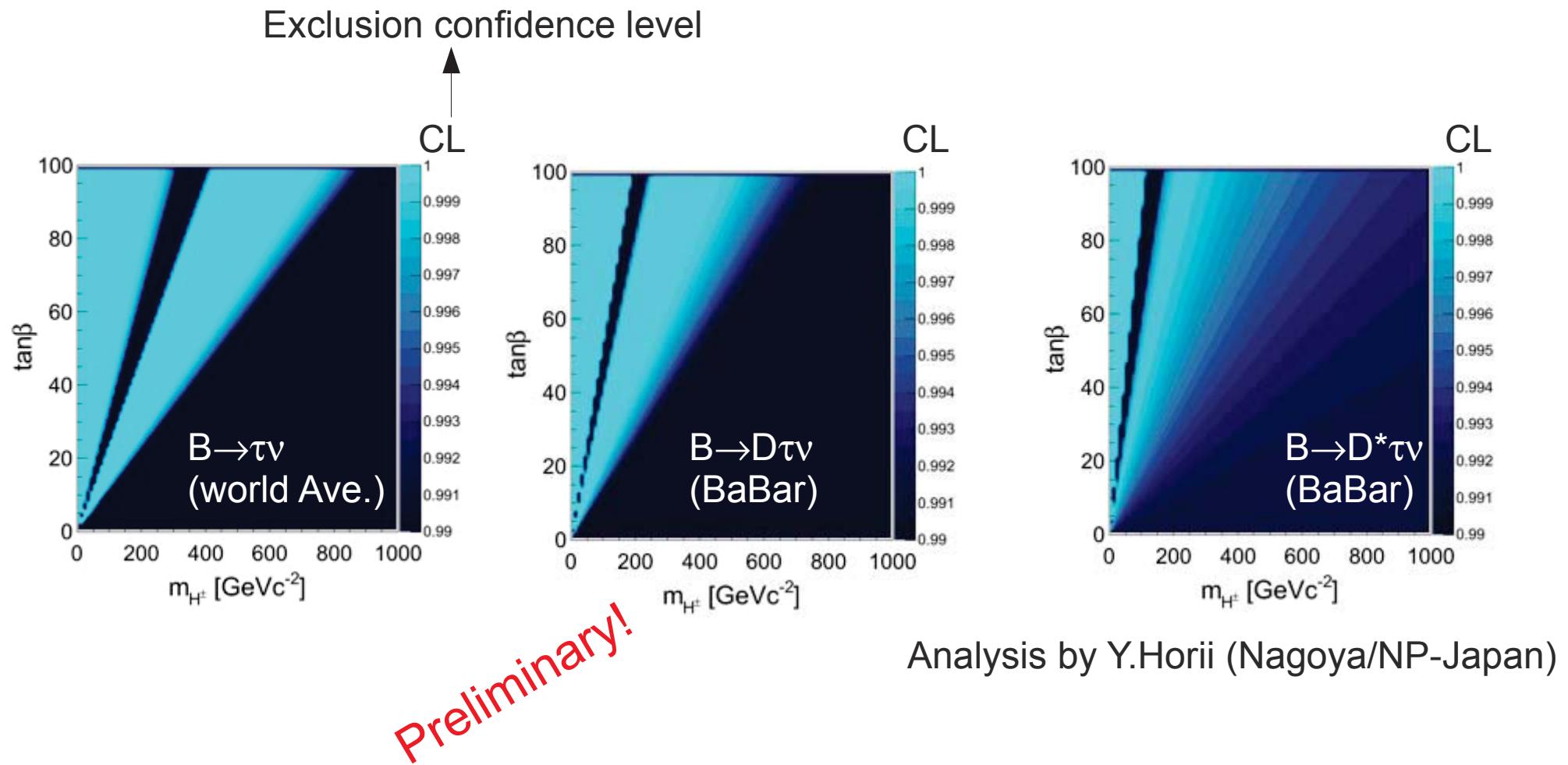
Gaussian assumption for the errors.

$$C_{S_1} = - \frac{m_\tau m_b}{m_{H_\pm^2}} \tan^2 \beta$$

$$C_{S_2} = - \frac{m_\tau m_c}{m_{H_\pm^2}}$$

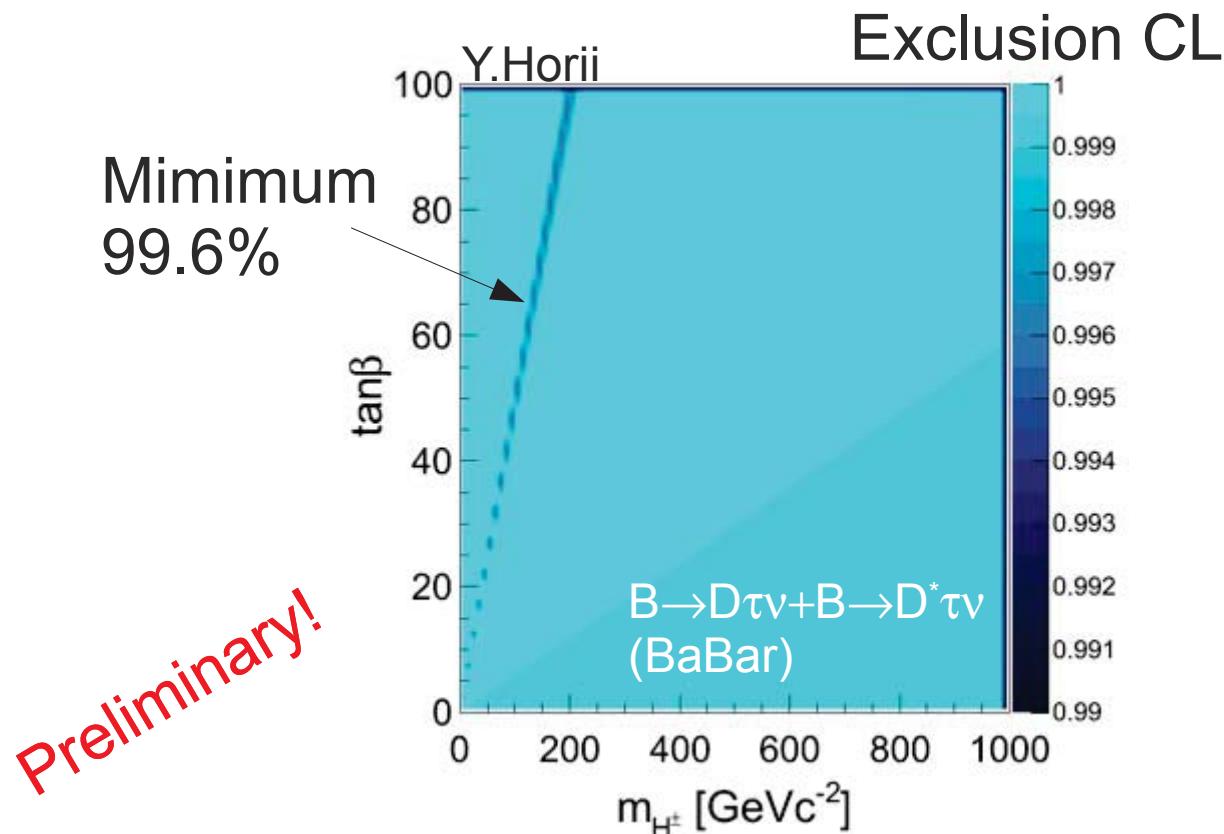
Excluded region in $(\tan\beta, m_H)$ for individual modes

- * Excluded region in $\tan\beta$ and m_H plane for each input before combining them.



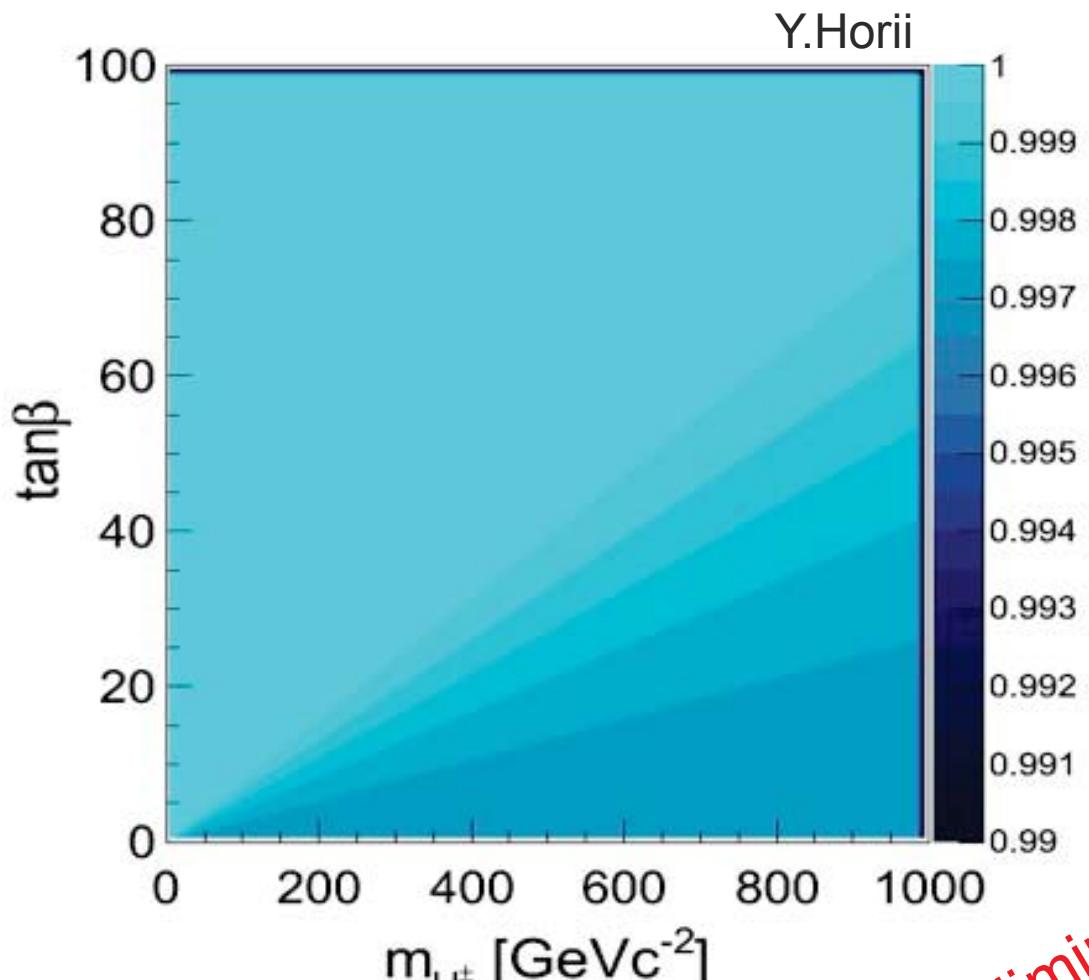
Combining $B \rightarrow D\tau\nu$ and $D^*\tau\nu$

- Need to consider correlation between two measurements of Br since they are obtained by the similar analysis.
- The correlation factor : -0.27 (stat.+syst.)



Constraint with all modes combined

$B \rightarrow \tau\nu$ (world Ave.) + $B \rightarrow D\tau\nu$ (BaBar) + $B \rightarrow D^*\tau\nu$ (BaBar)



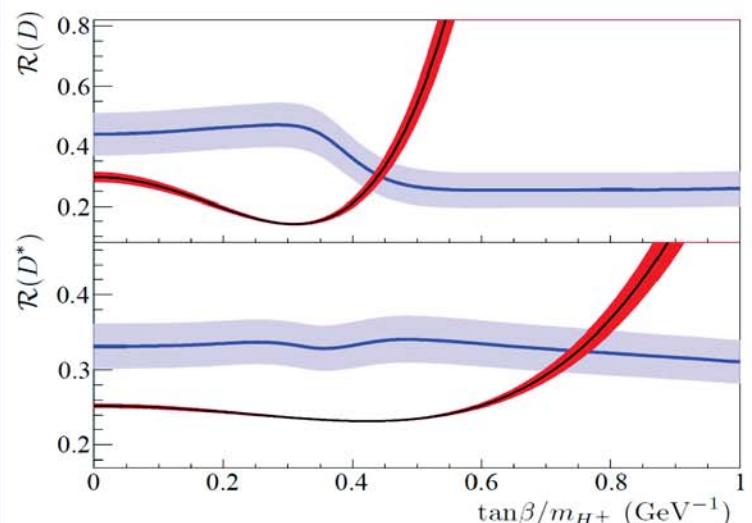
- 2HDM Type II is rejected at more than 99.7%.
- Belle results of $B \rightarrow D\tau\nu$ and $B \rightarrow D^*\tau\nu$ measurements will be added soon.

Preliminary!

Comparison with 2HDM-II

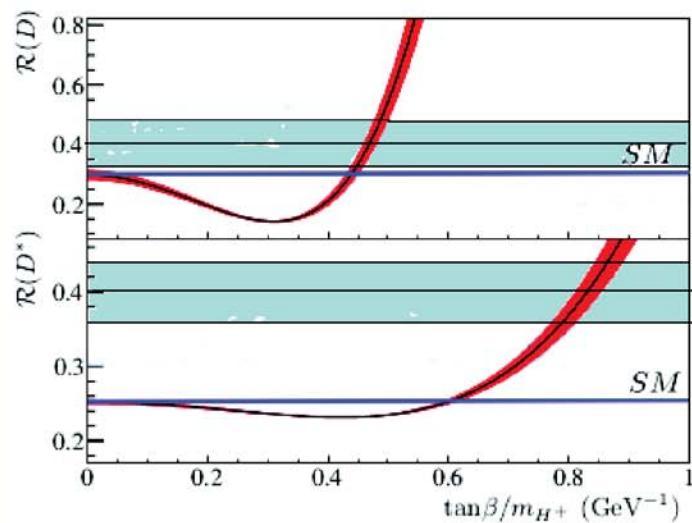
A.Bozek@KEKFF

BABAR

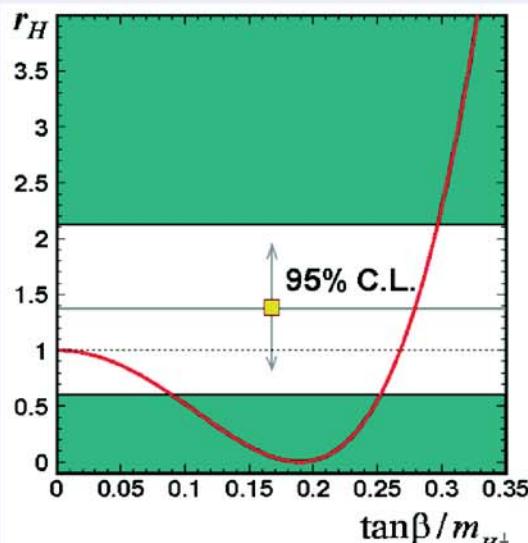


experimental band → acceptance variation with $\tan\beta/m_{H^+}$

Belle results

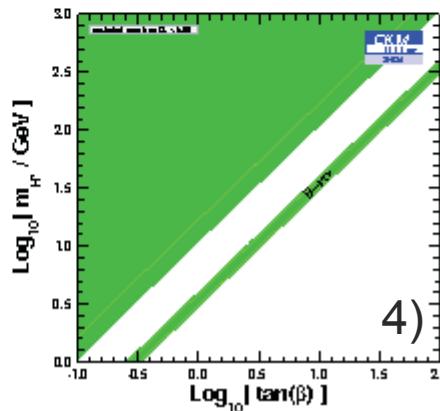
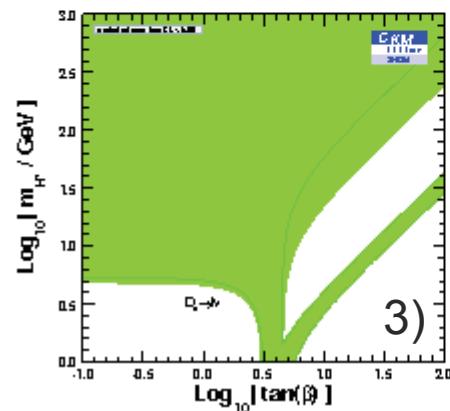
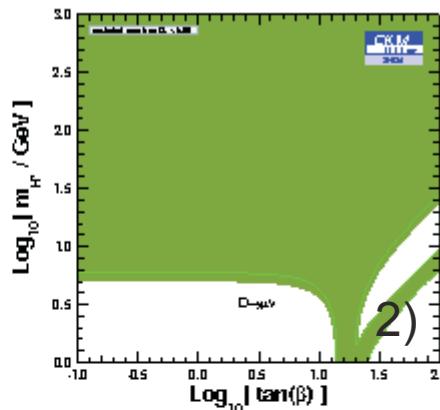
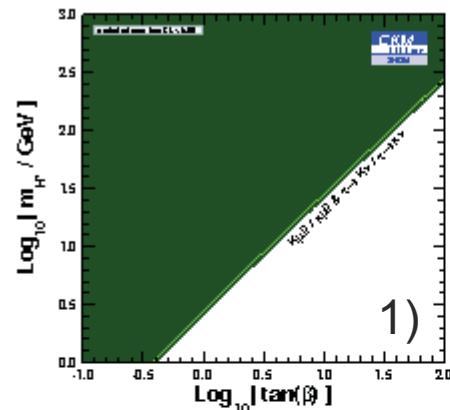


Acceptance variation with $\tan\beta/m_{H^+}$ was not included in that plot. Small for exclusive analysis.



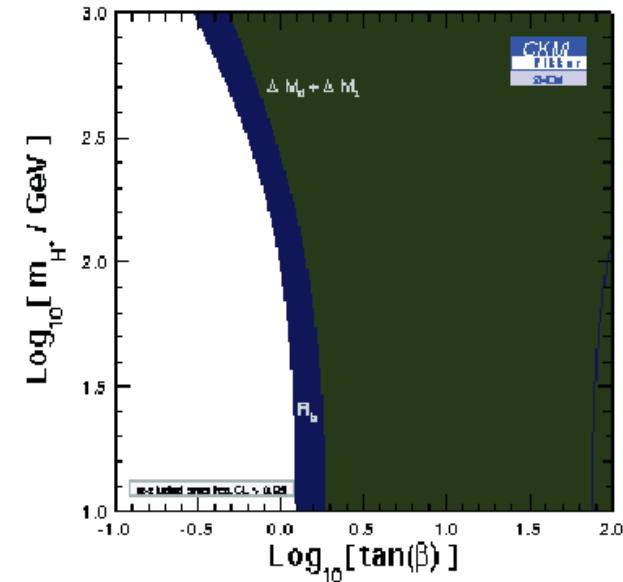
- R probes in $B^+ \rightarrow \tau^+ \nu$, $B \rightarrow \bar{D}\tau^+\nu$ and $B \rightarrow \bar{D}^*\tau^+\nu$ different values for $\tan\beta/m_{H^\pm}$
 - $R_D \rightarrow \tan\beta \approx 0.4 - 0.5 \text{ GeV}^{-1}$
 - $R_{D^*} \rightarrow \tan\beta \approx 0.7 - 0.9 \text{ GeV}^{-1}$
- The *BABAR* collaboration excludes 2HDM-II charged Higgs at 99.8% confidence level for any value of $\tan\beta/m_{H^\pm}$.

Further constraints

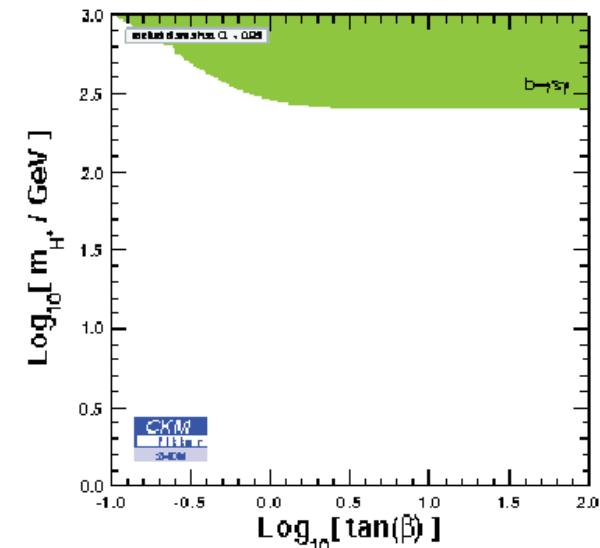


- 1) $K \rightarrow \mu\nu, \tau \rightarrow K\nu$
- 2) $D \rightarrow \mu\nu$
- 3) $D_s \rightarrow \mu\nu$
- 4) $B_d \rightarrow \tau\nu$

Mixing + $Z \rightarrow bb$



$b \rightarrow s\gamma$

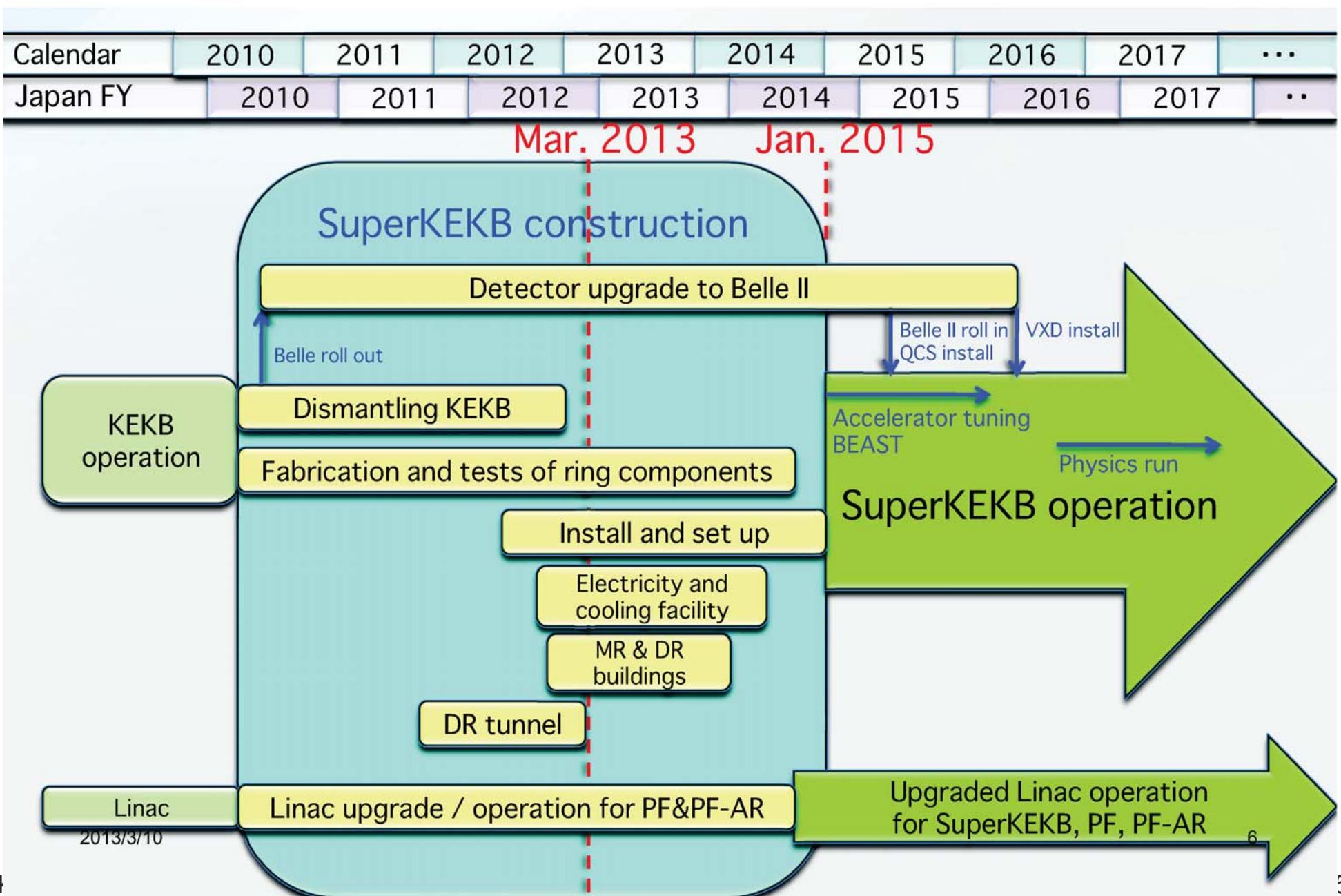


But 2HDM Type II is almost gone.... New NP model needed.

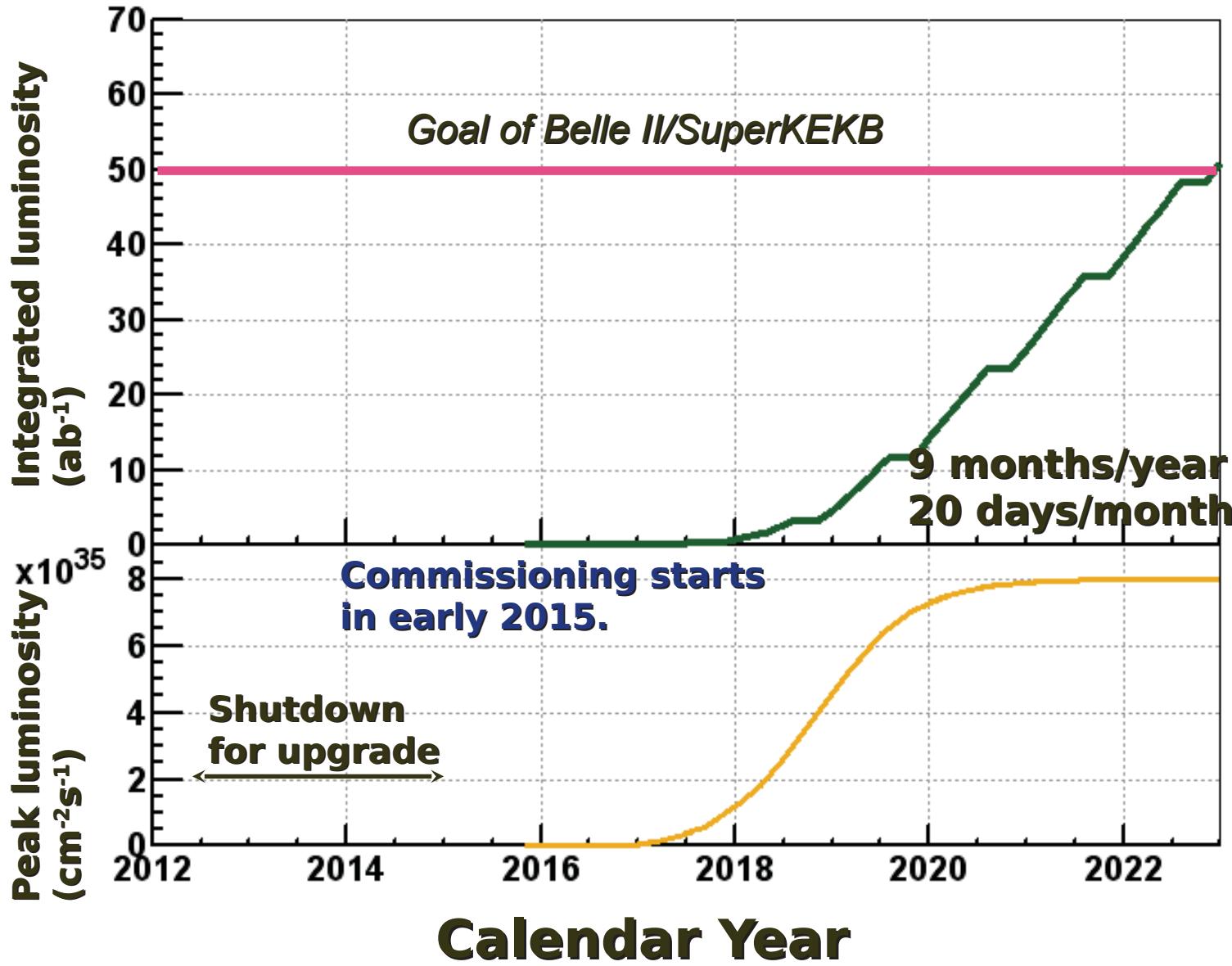
5. Status and Plan of Belle II and Global Fit

1) Belle II/SuperKEKB schedule

SuperKEKB Master Schedule



SuperKEKB luminosity projection



The Belle II Collaboration

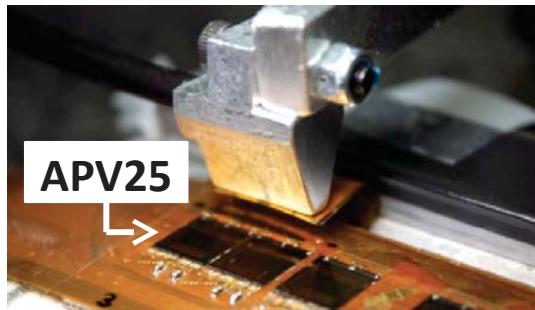
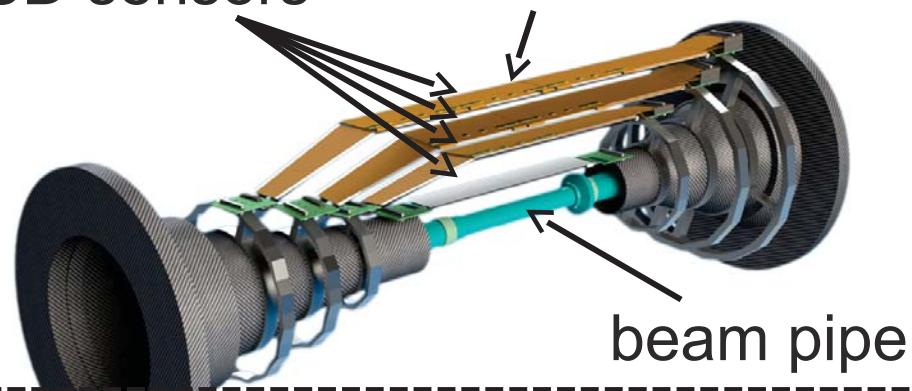


A very strong group of ~480 highly motivated scientists!

Status of detector construction: example = SVD

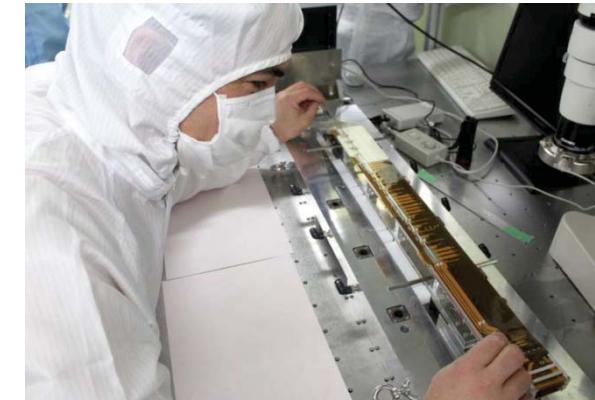
- SVD is one of the key components in Belle II detector for the precise reconstruction of the decay point of B mesons.
- Its assembly is partially taken care by Kavli IPMU lead by T.Higuchi, and being in progress.

4 layers of
DSSD sensors Ladder: set of DSSDs



Readout chip: APV25
is placed on the sensor.
Both side of sensors
are read out by the
chip.

Work at KIPMU



2) Further improvement of Global Fit approach

- If NP exists, its effect will be seen not only in B-factory measurements, but also in various experiments.
- Global fit combining measurements at various flavor factories (tau/charm factory + B factory + Kaon + LFV + EDM + g-2) can drastically improve the NP sensitivity.

A.Buras (arXiv:1012.1447) Belle II + J-PARC(Kaon,COMET, g-2/EDM) + LHCb.....

	AC	RVV2	AKM	δLL	FBMSSM	$SSU(5)_{RN}$
$D^0 - \bar{D}^0$	★★★	★	★	★	★	★
ϵ_K	★	★★★	★★★	★	★	★★★
$S_{\psi\phi}$	★★★	★★★	★★★	★	★	★★★
$S_{\phi K_S}$	★★★	★★	★	★★★	★★★	★★
$A_{CP}(B \rightarrow X_s \gamma)$	★	★	★	★★★	★★★	★
$A_{7\beta}(K^* \mu^+ \mu^-)$	★	★	★	★★★	★★★	★
$B_s \rightarrow \mu^+ \mu^-$	★★★	★★★	★★★	★★★	★★★	★★★
$K^+ \rightarrow \pi^+ \nu \bar{\nu}$	★	★	★	★	★	★
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	★	★	★	★	★	★
$\mu \rightarrow e \gamma$	★★★	★★★	★★★	★★★	★★★	★★★
$\tau \rightarrow \mu \gamma$	★★★	★★★	★	★★★	★★★	★★★
$\mu + N \rightarrow e + N$	★★★	★★★	★★★	★★★	★★★	★★★
d_n	★★★	★★★	★★★	★★	★★★	★★★
d_e	★★★	★★★	★★	★	★★★	★★★
$(g-2)_\mu$	★★★	★★★	★★	★★★	★★★	★★★

	LHT	RSc	4G	2HDM	RHMVF
$D^0 - \bar{D}^0$ (CPV)	★★★	★★★	★★	★★	
ϵ_K	★★	★★★	★★	★★	★★
$S_{\psi\phi}$	★★★	★★★	★★★	★★★	★★★
$S_{\phi K_S}$	★	★	★★		
$A_{CP}(B \rightarrow X_s \gamma)$	★		★		
$A_{7\beta}(K^* \mu^+ \mu^-)$	★★	★	★★		
$B_s \rightarrow \mu^+ \mu^-$	★	★	★★★	★★★	★★
$K^+ \rightarrow \pi^+ \nu \bar{\nu}$	★★★	★★★	★★★		★★
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	★★★	★★★	★★★		★★
$\mu \rightarrow e \gamma$	★★★	★★★	★★★		
$\tau \rightarrow \mu \gamma$	★★★	★★★	★★★		
$\mu + N \rightarrow e + N$	★★★	★★★	★★★		
d_n	★	★★★	★	★★★	
d_e	★	★★★	★	★★★	
$(g-2)_\mu$	★	★★	★		

Theory for global fit

- Currently, the theory models applicable for the global fit are limited to “model-independent” models:
SM(Kobayashi-Maskawa model), MFV, 2HDM....
<- Specific models (like SUSY) have a huge parameter space whose number is much more than the number of observables.
- To apply global fit approach for NP search in wider range, it is necessary to have a well-defined interface between theories and experimental measurements.
- Once the theory can be expanded in a unified “**effective theory**” with a limited number of parameters, it can be used for the global fit. Prediction of each measurement is parameterized using them.
- **Global fit determines the coefficients** in the effective theory while each theory gives the predictions for the coefficients.
- “**DNA identification**” of **NP models** can be done by comparing the determined coefficients with theory predictions.

Parameterization using Wilson Coefficients: (T.Goto, KEK)

$$\mathcal{L}_{\text{eff}} = \mathcal{L}(\text{QCD} + \text{QED}) + \sum_i C_i \mathcal{O}_i.$$

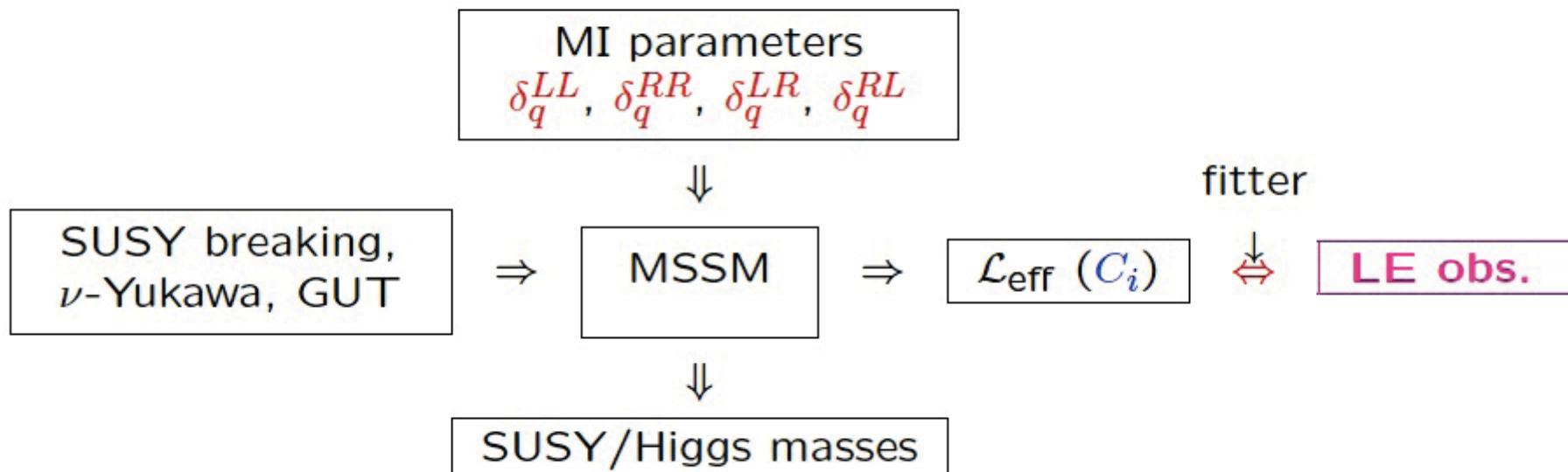
\mathcal{O}_i : 次元 > 4 の effective operators

- 4-fermi interaction (dim-6): $(\bar{\psi}_1 \gamma^\mu \psi_2)(\bar{\psi}_3 \gamma_\mu \psi_4)$,
- dipole moment (dim-5): $\bar{\psi}_1 \sigma^{\mu\nu} \psi_2 F_{\mu\nu}$,
- etc..

C_i : Wilson 係数

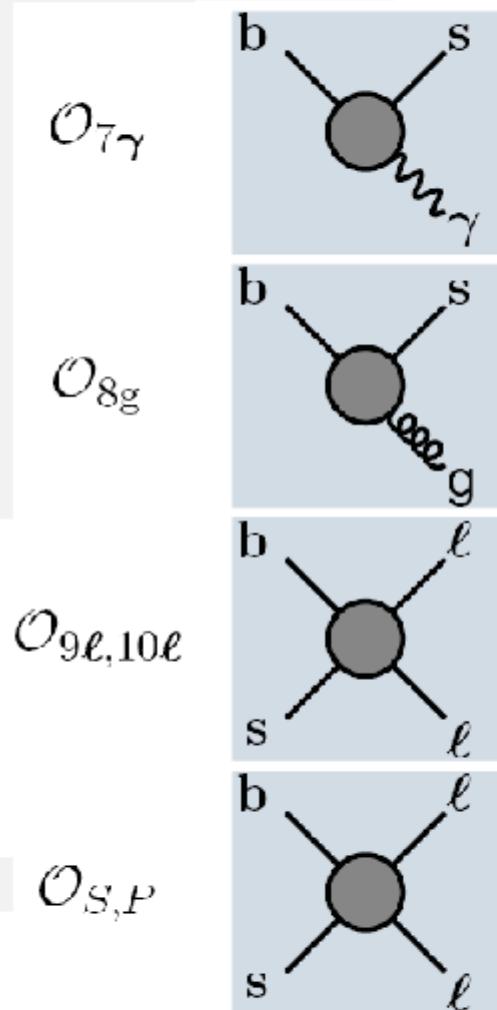
Determined by Global Fit

Example: expansion of MSSM to Effective Theory



$\Delta F=1$ FCNC: $b \rightarrow s$ transitions and OPE

G. Hiller - hep-ph/0308180



Describe $b \rightarrow s$ transitions by an effective Hamiltonian

$$\mathcal{H}_{\text{eff}} = -\frac{4G_F}{\sqrt{2}} V_{ts}^* V_{tb} \sum_{i=1}^{10} C_i(\mu) \mathcal{O}_i(\mu)$$

- **Long Distance:**
 - Operators \mathcal{O}_i
- **Short Distance:**
 - Wilson coef. C_i

New physics shows up as modified C_i ,
(or as new operators)

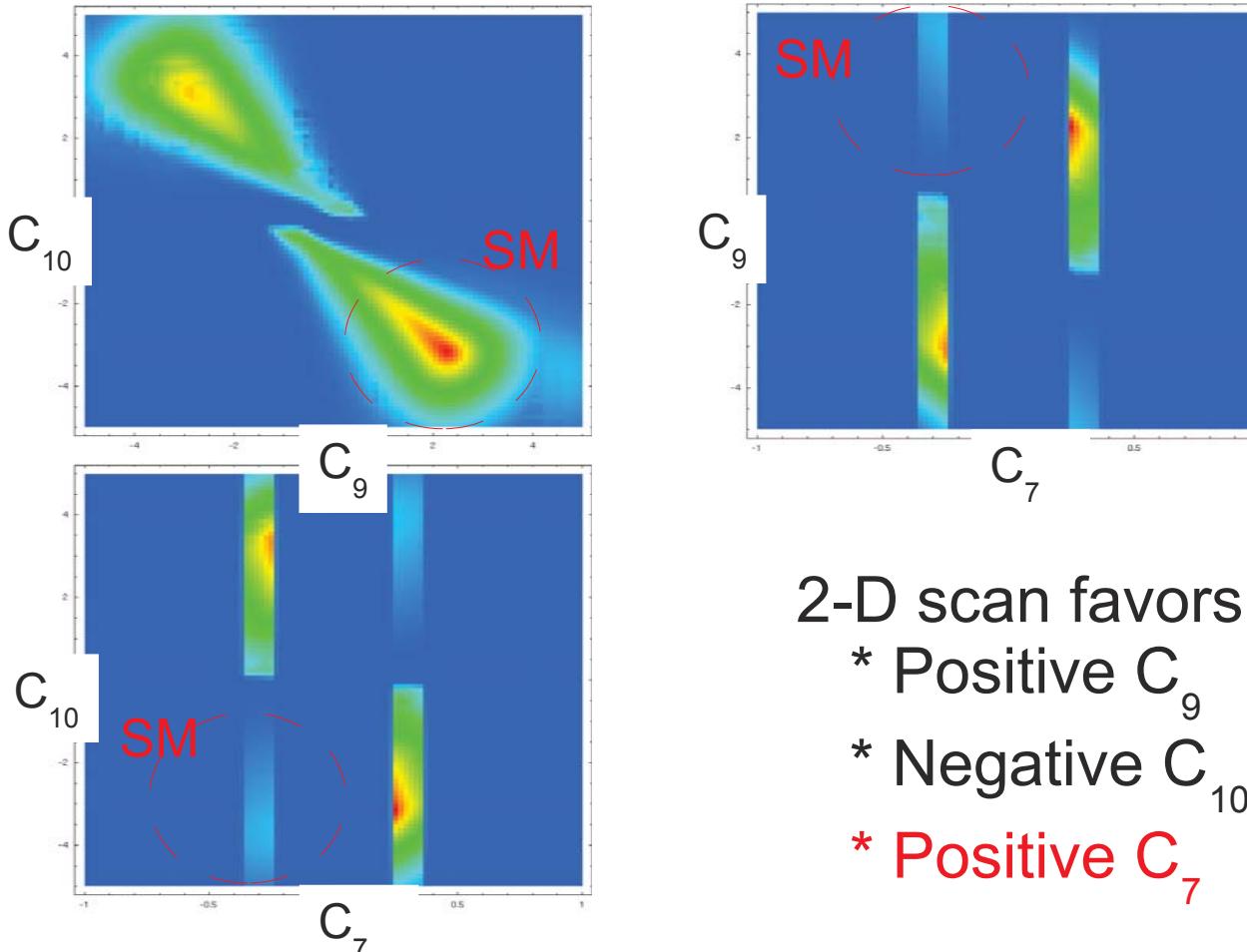
“Pilot effort” of the determination of Wilson Coeff.

R.Itoh

- Inputs

- * $\text{Br}(B \rightarrow K^* \gamma)$ (HFAG 2008)
- * $\text{Br}(B \rightarrow K^* \mu^+ \mu^-)$ (HFAG 2008)
- * $A_{\text{FB}}(B \rightarrow K^* l^+ l^-)$ as a function of q^2 (Belle 2008)

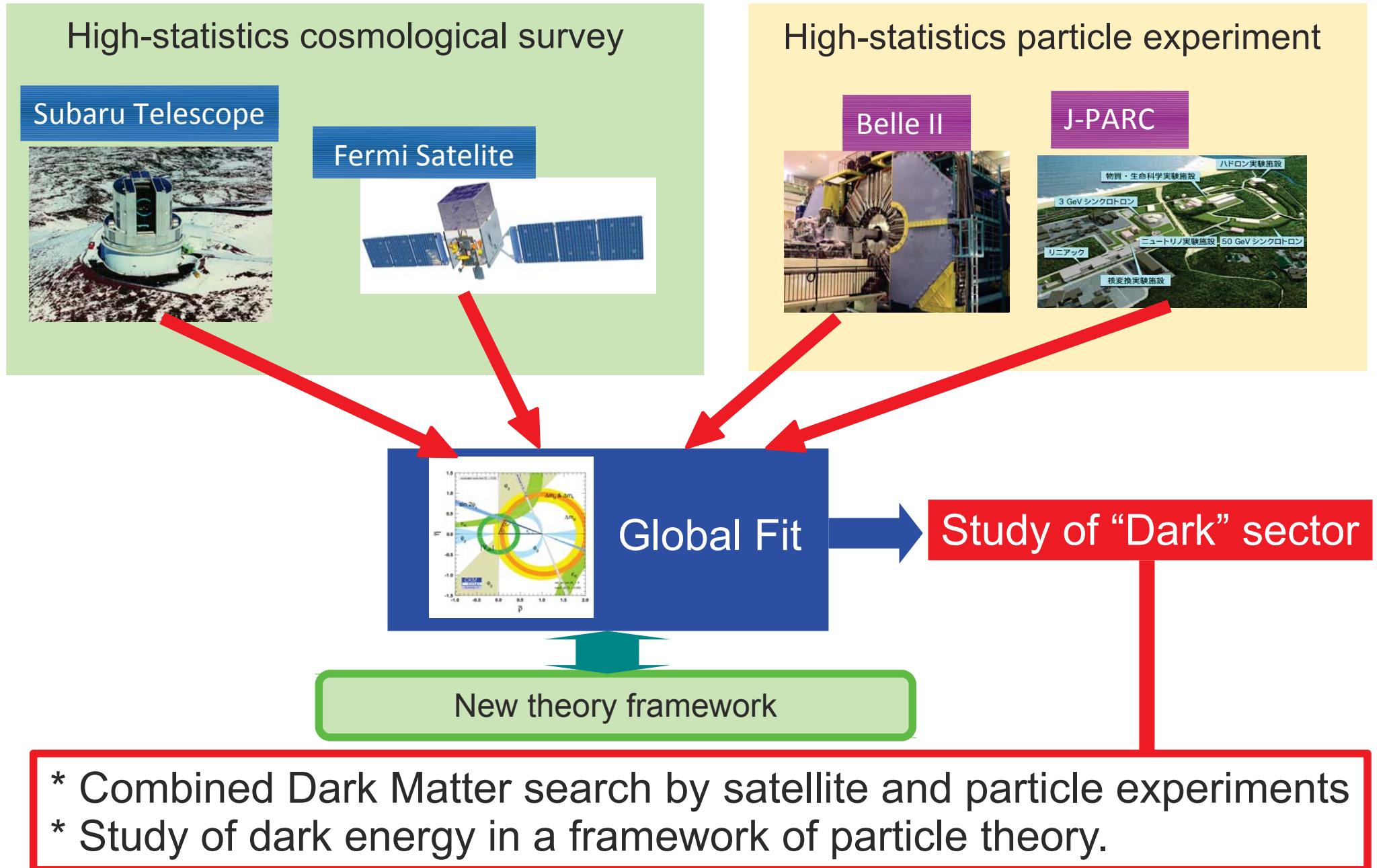
- Free parameters : Wilson Coefficients C_7 , C_9 and C_{10} .



2-D scan favors

- * Positive C_9
- * Negative C_{10}
- * Positive C_7

Synergy with cosmology



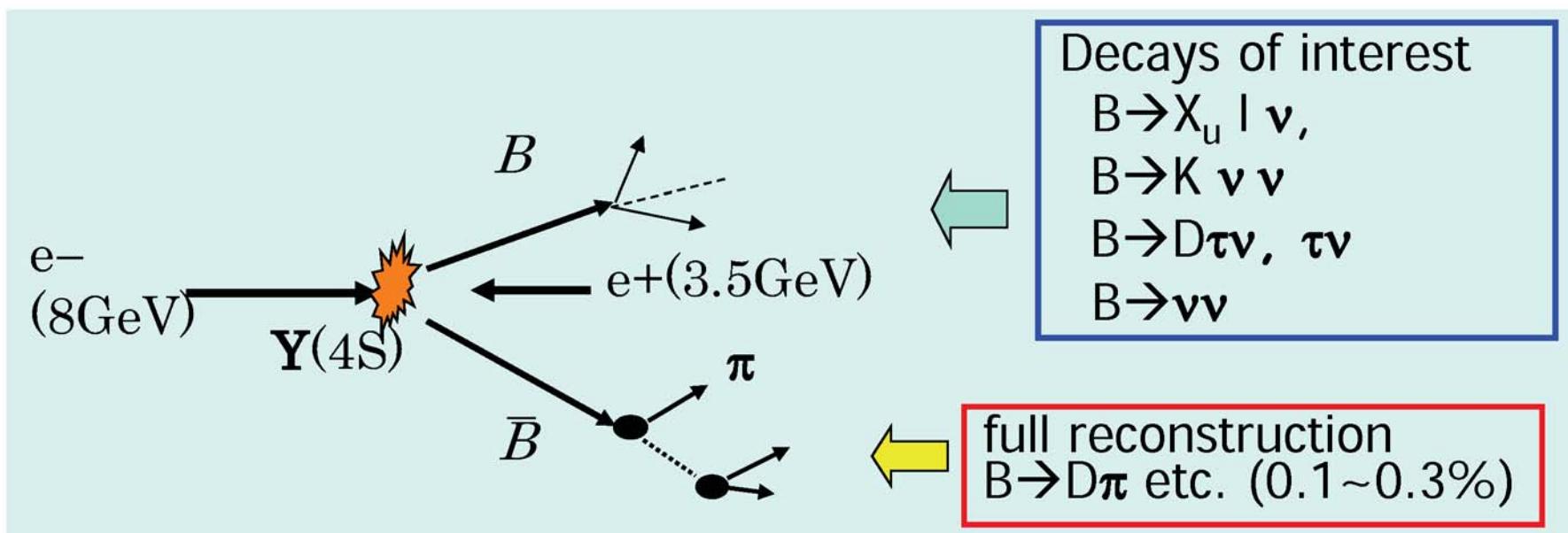
5. Summary

- The key for the success of Belle II experiment is to establish “the method to optimize the sensitivity to NP with a minimal accumulation of data”.
 - The global fit technique, which combines various observables originated from the same NP source, can be a “killer application” in Belle II analysis.
 - Various global fit activities are already going on until now and its usefulness has well been established by “CKM fit”.
 - The extension of global fit to combine wide range of observables including not only high energy experiments but also cosmological survey could be the ultimate tool for NP search.
- To function global fit effectively, a very close collaboration of both experimentalists and theorists is essential.
Theory meets Experiment “in the same framework”.

Backup Slides

Power of e^+e^- , example: Full Reconstruction Method

- Fully reconstruct one of the B mesons to
 - Tag B flavor/charge
 - Determine B momentum
 - Exclude decay products of one B from further analysis



→ Offline B meson beam!

Powerful tool for B decays with neutrinos

Complementary to LHCb

Observable	Expected th. accuracy	Expected exp. uncertainty	Facility
CKM matrix			
$ V_{us} [K \rightarrow \pi \ell \nu]$	**	0.1%	<i>K</i> -factory
$ V_{cb} [B \rightarrow X_c \ell \nu]$	**	1%	Belle II
$ V_{ub} [B_d \rightarrow \pi \ell \nu]$	*	4%	Belle II
$\sin(2\phi_1) [c\bar{c}K_S^0]$	***	$8 \cdot 10^{-3}$	Belle II/LHCb
ϕ_2		1.5°	Belle II
ϕ_3	***	3°	LHCb
CPV			
$S(B_s \rightarrow \psi \phi)$	**	0.01	LHCb
$S(B_s \rightarrow \phi \phi)$	**	0.05	LHCb
$S(B_d \rightarrow \phi K)$	***	0.05	Belle II/LHCb
$S(B_d \rightarrow \eta' K)$	***	0.02	Belle II
$S(B_d \rightarrow K^* (\rightarrow K_S^0 \pi^0) \gamma)$	***	0.03	Belle II
$S(B_s \rightarrow \phi \gamma)$	***	0.05	LHCb
$S(B_d \rightarrow \rho \gamma)$		0.15	Belle II
A_{SL}^d	***	0.001	LHCb
A_{SL}^s	***	0.001	LHCb
$A_{CP}(B_d \rightarrow s \gamma)$	*	0.005	Belle II
rare decays			
$\mathcal{B}(B \rightarrow \tau \nu)$	**	3%	Belle II
$\mathcal{B}(B \rightarrow D \tau \nu)$		3%	Belle II
$\mathcal{B}(B_d \rightarrow \mu \nu)$	**	6%	Belle II
$\mathcal{B}(B_s \rightarrow \mu \mu)$	***	10%	LHCb
zero of $A_{FB}(B \rightarrow K^* \mu \mu)$	**	0.05	LHCb
$\mathcal{B}(B \rightarrow K^{(*)} \nu \nu)$	***	30%	Belle II
$\mathcal{B}(B \rightarrow s \gamma)$		4%	Belle II
$\mathcal{B}(B_s \rightarrow \gamma \gamma)$		$0.25 \cdot 10^{-6}$	Belle II (with 5 ab ⁻¹)
$\mathcal{B}(K \rightarrow \pi \nu \nu)$	**	10%	<i>K</i> -factory
$\mathcal{B}(K \rightarrow e \pi \nu)/\mathcal{B}(K \rightarrow \mu \pi \nu)$	***	0.1%	<i>K</i> -factory
charm and τ			
$\mathcal{B}(\tau \rightarrow \mu \gamma)$	***	$3 \cdot 10^{-9}$	Belle II
$ q/p _D$	***	0.03	Belle II
$\arg(q/p)_D$	***	1.5°	Belle II

→ Need both LHCb and super B factories to cover all aspects of precision flavour physics

Strategies for increasing luminosity



$$L = \frac{\gamma_{e^\pm}}{2er_e} \left(1 + \frac{\sigma_y^*}{\sigma_x^*} \right) \left(\frac{I_{e^\pm} \xi_y^{e^\pm}}{\beta_y^*} \right) \left(\frac{R_L}{R_{\xi_y}} \right)$$

Beam-beam parameter

Lorentz factor

Beam current

Classical electron radius

Beam size ratio@IP
1 ~ 2 % (flat beam)

Vertical beta function@IP

Lumi. reduction factor
(crossing angle)&
Tune shift reduction factor
(hour glass effect)
0.8 - 1
(short bunch)

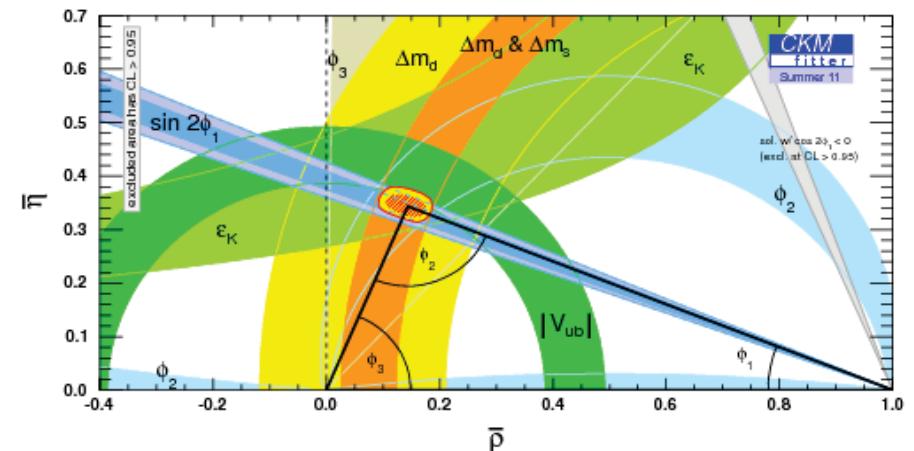
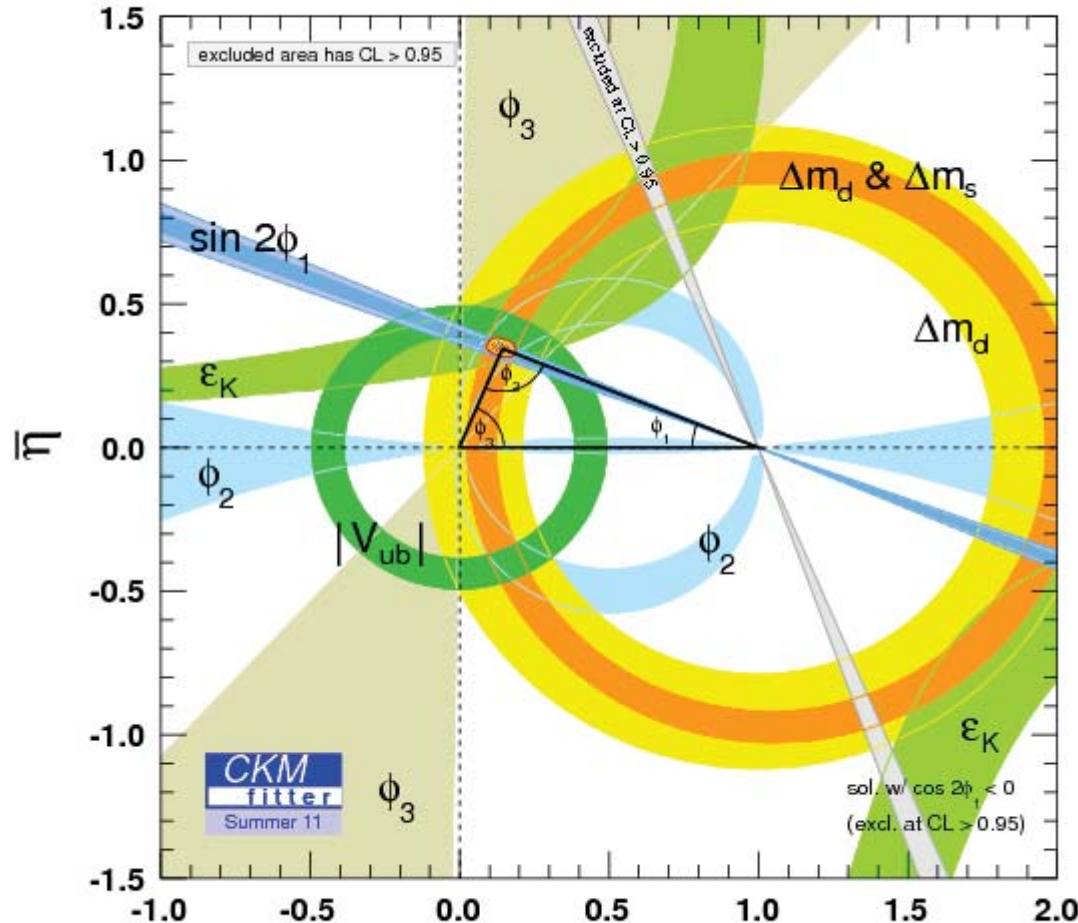
- (1) Smaller β_y^*
- (2) Increase beam currents
- (3) Increase ξ_y

"Nano-Beam" scheme

Collision with very small spot-size beams

Invented by Pantaleo Raimondi for SuperB

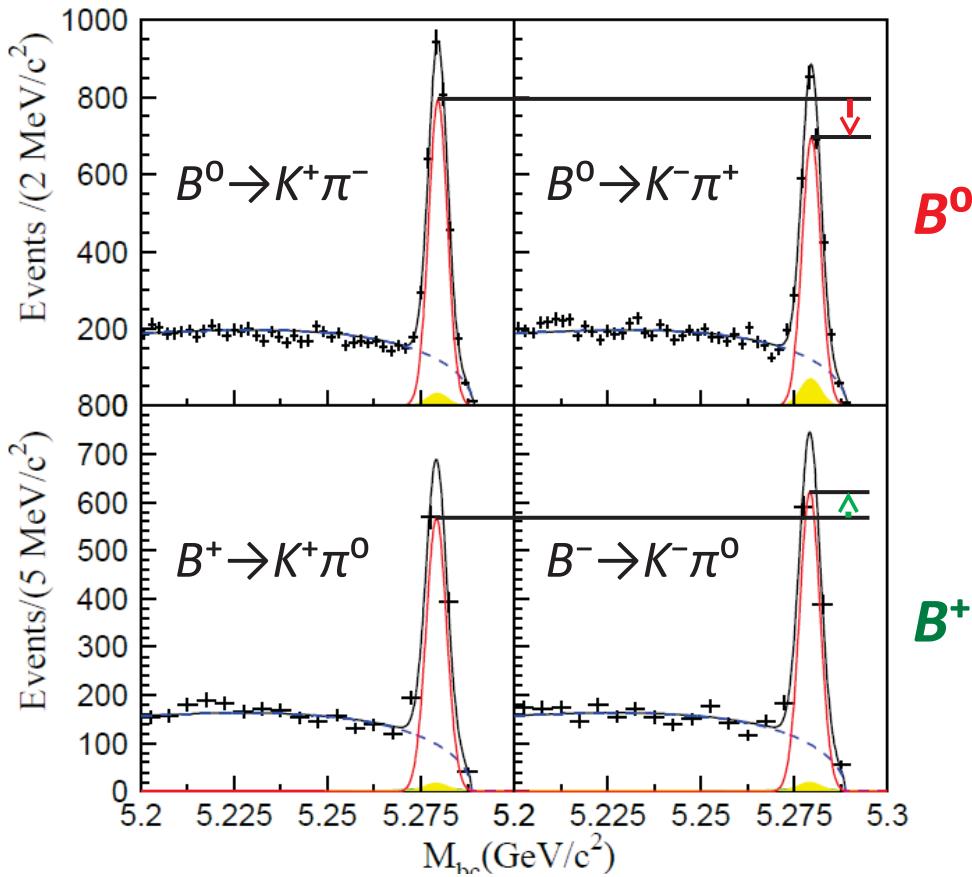
2011 CKMFitter Result



Wolfenstein parameters and Jarlskog invariant:

Observable	Central $\pm 1 \sigma$	$\pm 2 \sigma$	$\pm 3 \sigma$
A	0.801 [+0.026 -0.014]	0.801 [+0.036 -0.022]	0.801 [+0.046 -0.029]
λ	0.22539 [+0.00062 -0.00095]	0.2254 [+0.0010 -0.0019]	0.2254 [+0.0014 -0.0027]
$\rho\bar{\rho}$	0.144 [+0.023 -0.026]	0.144 [+0.038 -0.046]	0.144 [+0.048 -0.057]
$\eta\bar{\eta}$	0.343 [+0.015 -0.014]	0.343 [+0.030 -0.025]	0.343 [+0.045 -0.033]
$J [10^{-5}]$	2.884 [+0.253 -0.053]	2.884 [+0.400 -0.098]	2.88 [+0.55 -0.14]

- The direct CP violation “flips” between B^0 and B^+



Quark level diagram is the same for both decays.....

$$B^0 \rightarrow K^+ \pi^-$$

$$B^+ \rightarrow K^+ \pi^0$$

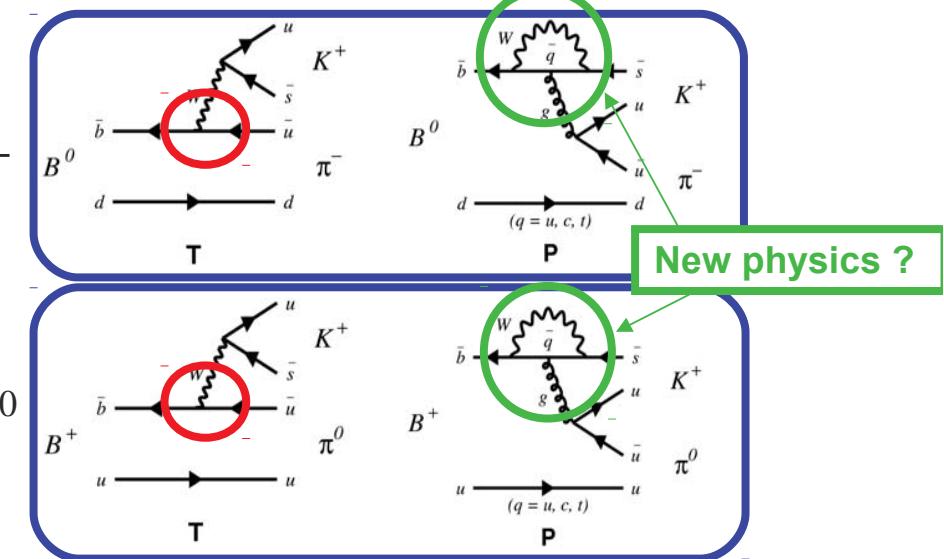
$772 \times 10^6 BB$

$A_{CP}(K^+ \pi^-) = -0.069 \pm 0.014 \pm 0.007$

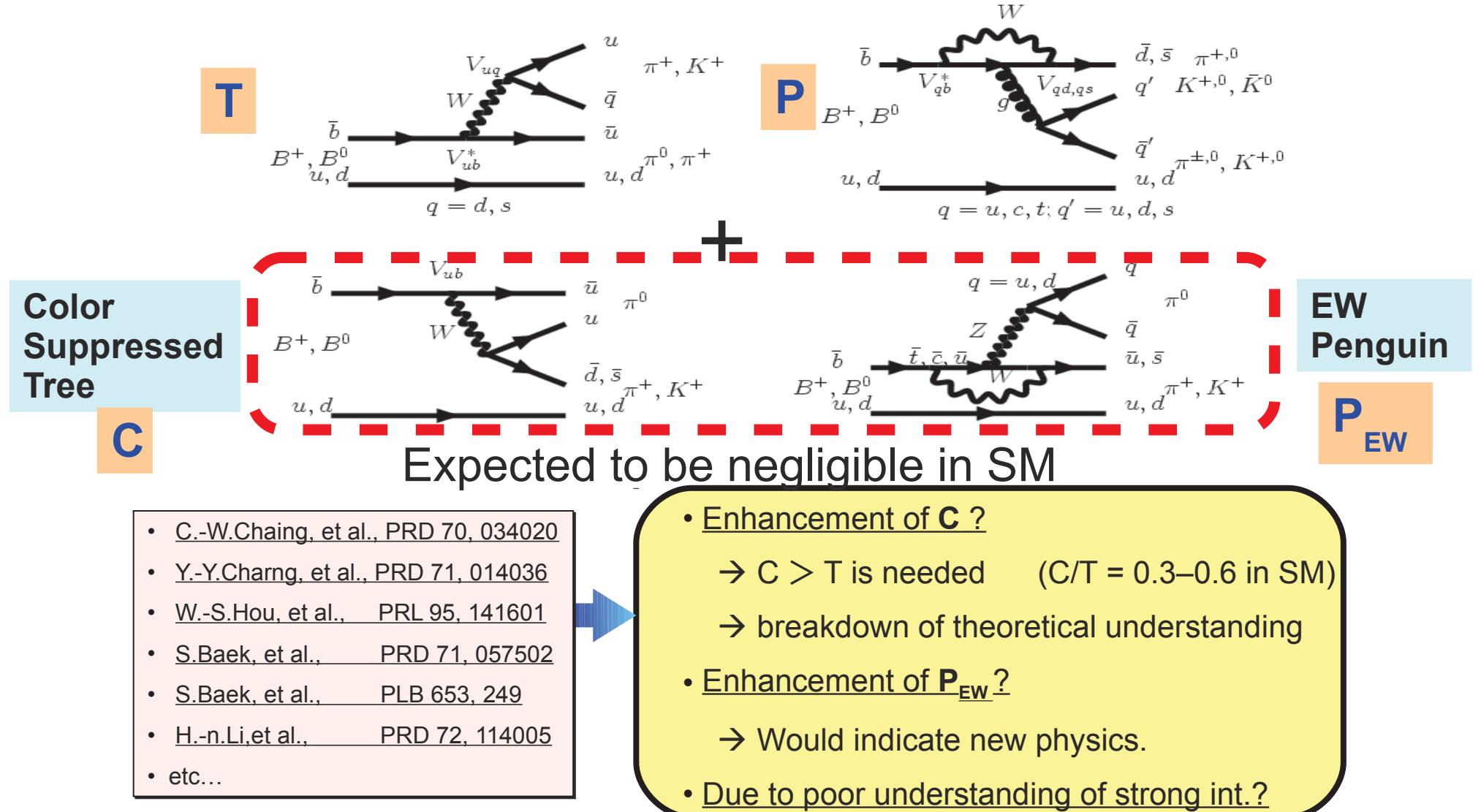
$A_{CP}(K^+ \pi^0) = +0.043 \pm 0.024 \pm 0.007$

Y.-T. Duh et al. (Belle Collab.),
Phys. Rev. D **87**, 031103(R) (2013).

4.0 σ discrepancy.....



Possible explanation of $\Delta A_{CP}(K\pi)$ puzzle

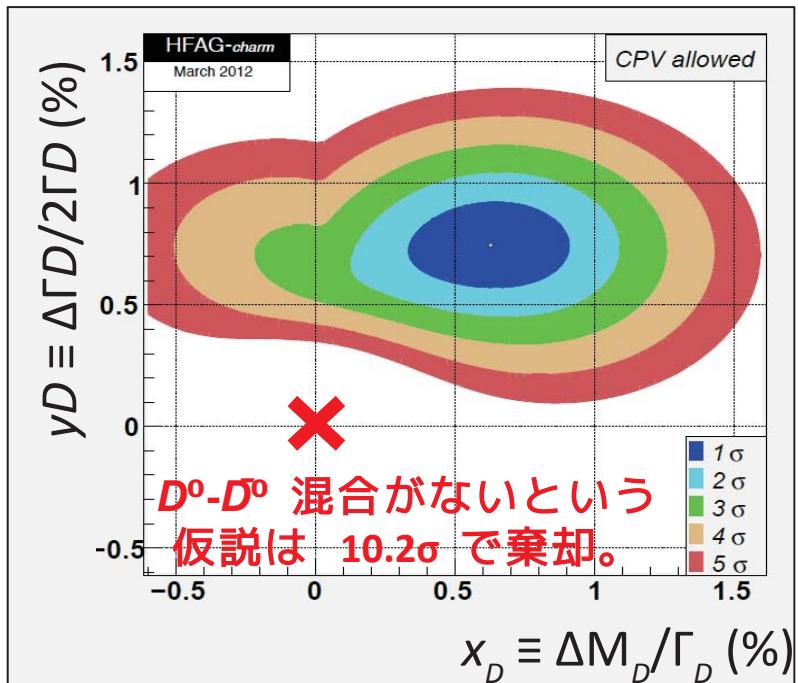


Sum Rule : M. Gronau, PLB 627, 82 (2005); D. Atwood & A. Soni, Phys. Rev. D 58, 036005(1998)

$$\mathcal{A}_{CP}(K^+\pi^-) + \mathcal{A}_{CP}(K^0\pi^+) \frac{\mathcal{B}(K^0\pi^+)}{\mathcal{B}(K^+\pi^-)} \frac{\tau_0}{\tau_+} = \mathcal{A}_{CP}(K^+\pi^0) \frac{2\mathcal{B}(K^+\pi^0)}{\mathcal{B}(K^+\pi^-)} \frac{\tau_0}{\tau_+} + \mathcal{A}_{CP}(K^0\pi^0) \frac{2\mathcal{B}(K^0\pi^0)}{\mathcal{B}(K^+\pi^-)}$$

Sum Rule tells $A_{CP}(K^0\pi^0)$ to be $-0.15 \pm 0.06 \leftarrow$ Belle meas. $+0.14 \pm 0.13 \pm 0.06 \rightarrow$ more statistics!

- Unexpectedly large D-D mixing



SM prediction

$x_D \leq 0.1\%$, $y_D \leq 1\%$,
A. Petrov, Int. J. Mod. Phys. A **21**,
5686 (2006)

Measurement Ave.

$$x_D = (0.63^{+0.19}_{-0.20})\%$$

$$y_D = (0.75 \pm 0.12)\%$$

Average of
Belle, BaBar, CDF, CLEOc

L. M. Zhang et al. (Belle Collab.),
Phys. Rev. Lett. **96**, 151801 (2006) etc.

- However, still SM predictions vary largely depending on the model/calculartion

Digression: Statistics

D.R. Cox, Principles of Statistical Inference, CUP (2006)

W.T. Eadie et al., Statistical Methods in Experimental Physics, NHP (1971)

www.phystat.org

Statistics tries answering a wide variety of questions → two main different! frameworks:

Frequentist: probability **about the data** (randomness of measurements), given the model

$$P(\text{data}|\text{model})$$

[only repeatable events
(Sampling Theory)]

Hypothesis testing: given a model, assess the **consistency** of the data with a particular parameter value → 1-CL curve (by varying the parameter value)

Bayesian: probability **about the model** (degree of belief), given the data

$$P(\text{model}|\text{data}) \equiv \text{Likelihood}(\text{data}, \text{model}) \times \text{Prior}(\text{model})$$

$P(\text{data}|\text{model}) \neq P(\text{model}|\text{data})$:

model: Male or Female

data: pregnant or not pregnant

$P(\text{pregnant} | \text{female}) \sim 3\%$

but

$P(\text{female} | \text{pregnant}) >> 3\%$

Lyons – CDF Stat Committee

Although the graphical displays appear similar: the meaning of the “Confidence level” is not the same. It is especially important to understand the difference in a time where one seeks deviation of the SM.