

# Lab Tests of Dark Energy

Robert Caldwell  
Dartmouth College



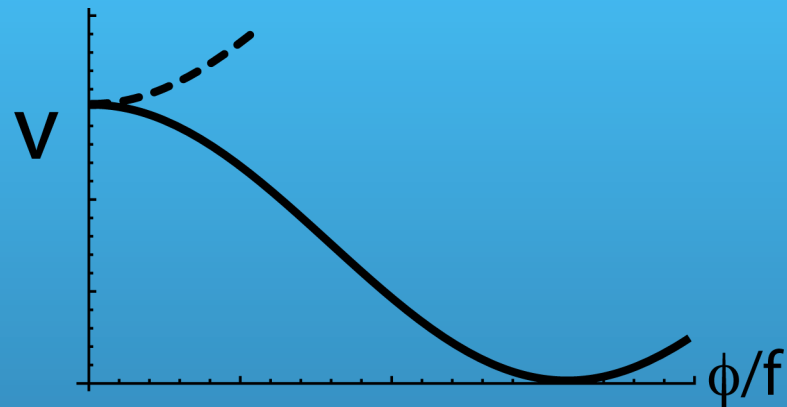
# Dark Energy Accelerates the Universe



Collaboration with Mike Romalis (Princeton),  
Deanne Dorak & Leo Motta (Dartmouth)

“Possible laboratory search for a quintessence field,” MR+RC, arxiv:1302.1579

## Dark Energy vs. The Higgs



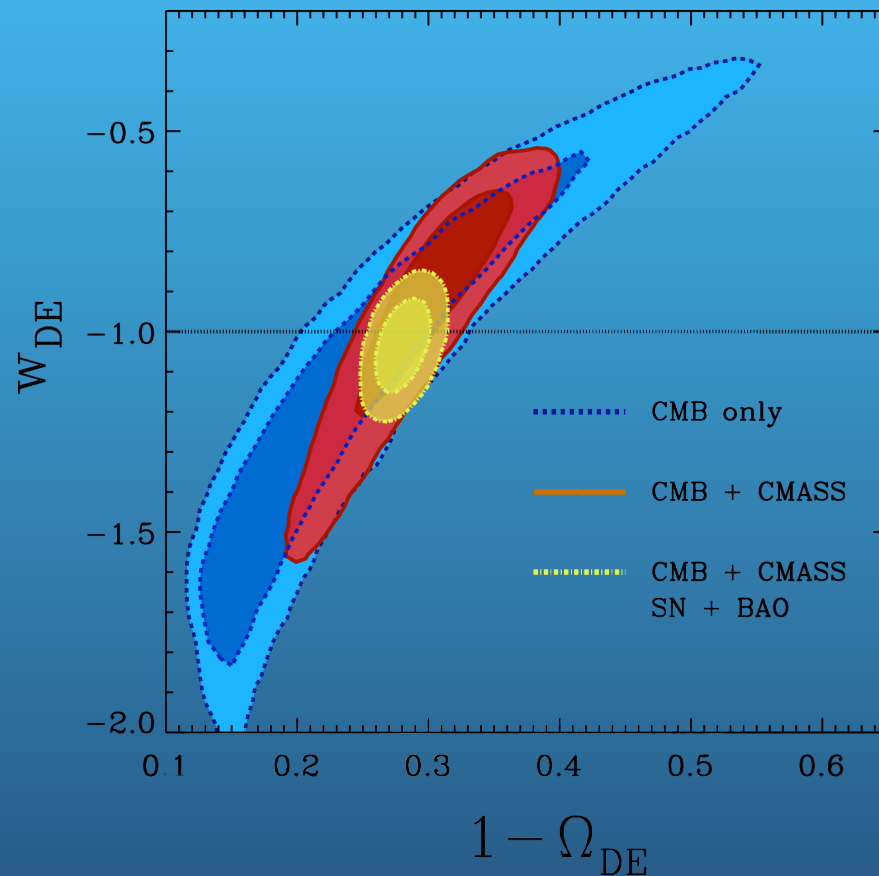
Higgs: *Let there be mass*

$$m(\phi) = g\phi$$

$$\ddot{a}/a > 0$$

Quintessence: *Accelerate It!*

# Dynamical Field



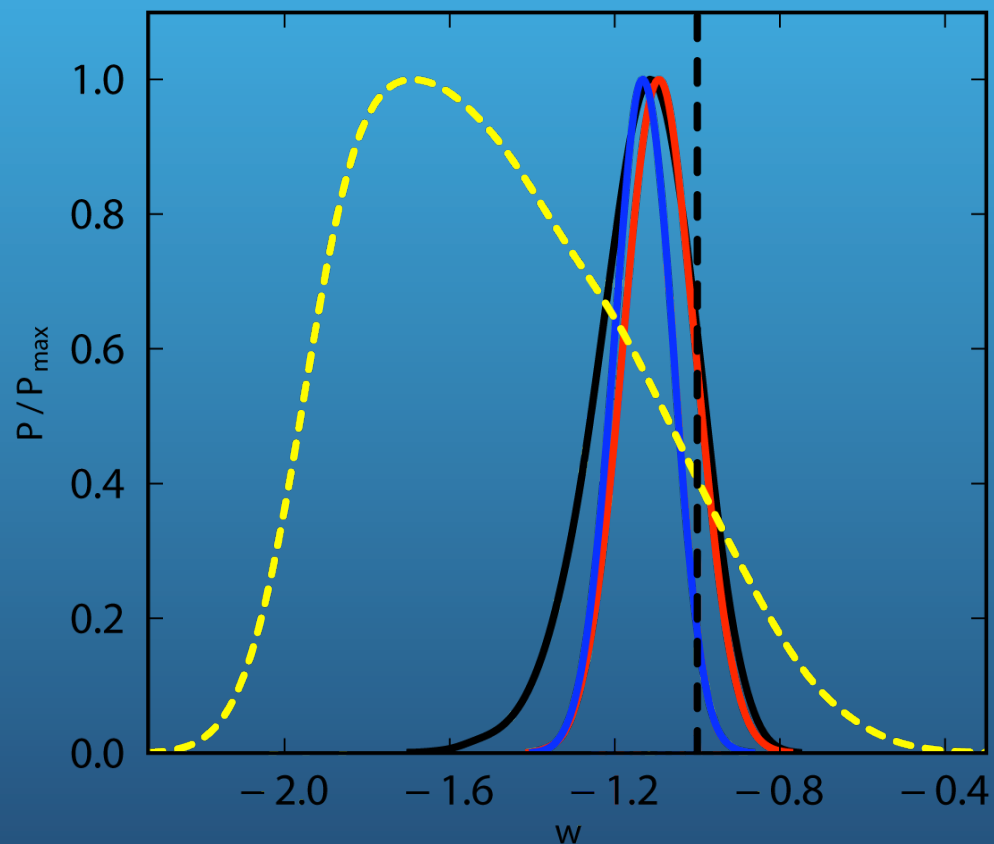
$$w_{DE} = -1.033^{+0.074}_{-0.073}$$

$$1 - \Omega_{DE} = 0.281 \pm 0.012$$

Clustering of Galaxies in SDSS-III / BOSS: Cosmological Implications, Sanchez et al 2012

# Dynamical Field

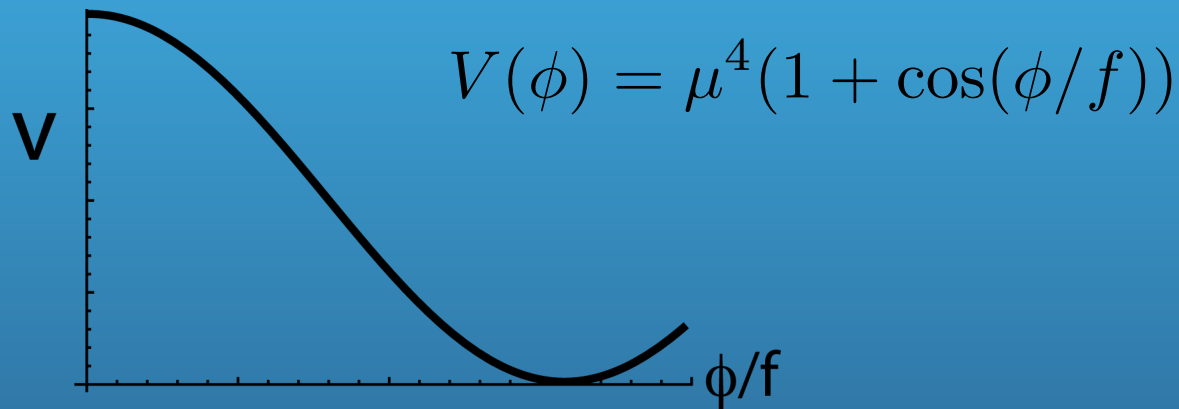
- Planck + WP + BAO
- Planck + WP + SNLS
- Planck + WP + Union2.1
- Planck + WP



Planck 2013  
Cosmological Parameters XVI

## Dark Energy Cosmic Scalar Field

$$\mathcal{L} = -\frac{1}{2}(\partial\phi)^2 - V(\phi) + \mathcal{L}_{sm} + \mathcal{L}_{int}$$



Cosmic PNGBs, Frieman, Hill and Watkins, PRD 46, 1226 (1992)

“Quintessence and the rest of the world,” Carroll, PRL 81, 3067 (1998)

## Dark Energy Couplings to the Standard Model

$$\mathcal{L} = -\frac{1}{2}(\partial\phi)^2 - V(\phi) + \mathcal{L}_{sm} + \mathcal{L}_{int}$$

Photon-Quintessence

$$\mathcal{L}_{int} = -\frac{\phi}{4M} F_{\mu\nu} \tilde{F}^{\mu\nu}$$
$$= \frac{\phi}{M} \vec{E} \cdot \vec{B}$$

“dark” interaction: quintessence does not see EM radiation

# Dark Energy Coupling to Electromagnetism

Varying  $\phi$  creates an anomalous charge density or current

$$\vec{\nabla} \cdot \vec{E} - \rho/\epsilon_0 = -\frac{1}{Mc} \vec{\nabla} \phi \cdot \vec{B}$$

$$\vec{\nabla} \times \vec{B} - \mu_0 \epsilon_0 \frac{\partial \vec{E}}{\partial t} - \mu_0 \vec{J} = \frac{1}{Mc^3} (\dot{\phi} \vec{B} + \vec{\nabla} \phi \times \vec{E})$$

Magnetized bodies create an anomalous electric field

Charged bodies create an anomalous magnetic field

EM waves see novel permittivity / permeability



# Dark Energy Coupling to Electromagnetism

**Cosmic Solution:**  $\dot{\phi}/Mc^2 \sim H$

$$\nabla\phi/Mc^2 \sim H v/c^2$$

$$\hbar H \sim 10^{-42} \text{GeV}$$

- source terms are very weak
- must be clever to see effect

# Dark Energy Coupling to Electromagnetism

## Cosmic Birefringence:

*wave equation*  $\mu_0 \epsilon_0 \frac{\partial^2}{\partial t^2} \vec{B} - \nabla^2 \vec{B} = \frac{\dot{\phi}}{Mc} \vec{\nabla} \times \vec{B}$

*dispersion*  $\omega^2 / c^2 - k_{L,R}^2 = \pm \frac{\dot{\phi}}{Mc} k_{L,R}$

*birefringence*  $\Delta\theta = \frac{1}{2Mc^2} \int \dot{\phi} dt = \frac{\Delta\phi}{2Mc^2}$

# Dark Energy Coupling to Electromagnetism

## Cosmic Birefringence:

CMB polarization rotates propto evolution of quintessence

$$\Delta\theta = \Delta\phi/2Mc^2$$

Absence of CMB B-modes as upper bound on rotation of E-modes

$$-1.41^\circ < \Delta\theta < 0.91^\circ \text{ (95\%CL)}$$

Komatsu et al (WMAP7), ApJS 192, 18 (2011)



# Dark Energy Coupling to Electromagnetism

## Anisotropic Cosmic Birefringence:

Rotation varies across sky due to quintessence fluctuations

$$\Delta\theta(\hat{n}) = \Delta\phi(\hat{n})/2Mc^2$$

Model of fluctuations, correlation with T, forecasts  
RC, Gluscevic, Kamionkowski, PRD 84, 043504 (2011)

First CMB constraints on direction-dependent birefringence  
Gluscevic et al, PRD 86, 103529 (2012)

Also: Yadav et al, PRD 79 123009 (2009), PRD 86 083002 (2012)

# Dark Energy Coupling to Electromagnetism

In a weak gravitational field:

$$\square\phi = V' \quad \phi \rightarrow \phi_0 + \delta\phi$$

$$\left( \frac{d^2}{dr^2} + \frac{2}{r} \frac{d}{dr} \right) \delta\phi = V_0'' \delta\phi + 2UV_0'$$

$$\vec{g} = -\vec{\nabla}U$$

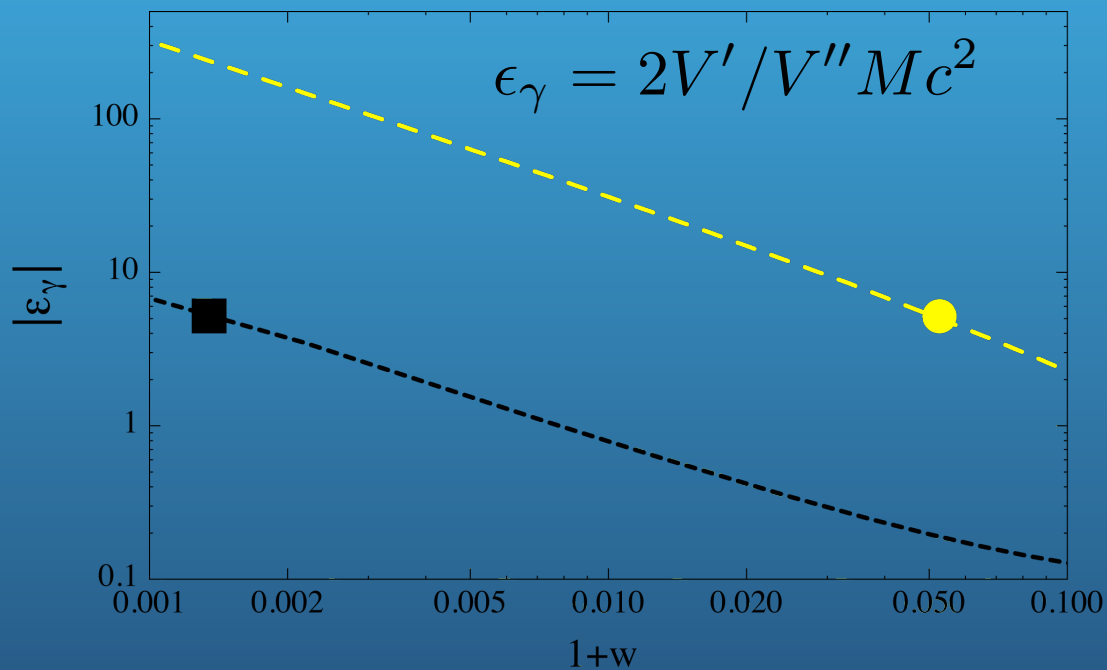
$$\text{local gradient} \quad \vec{\nabla}\delta\phi = 2(V_0'/V_0'')\vec{g}/c^2$$

$$\epsilon_\gamma = 2V'/V''Mc^2$$

# Dark Energy Coupling to Electromagnetism

**Local solution:**  $\nabla\delta\phi/Mc^2 \sim \epsilon_\gamma g/c^2$

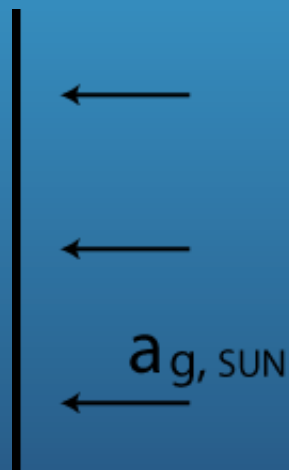
$$\hbar\epsilon_\gamma g/c^2 \sim 10^{-32}\text{GeV}$$



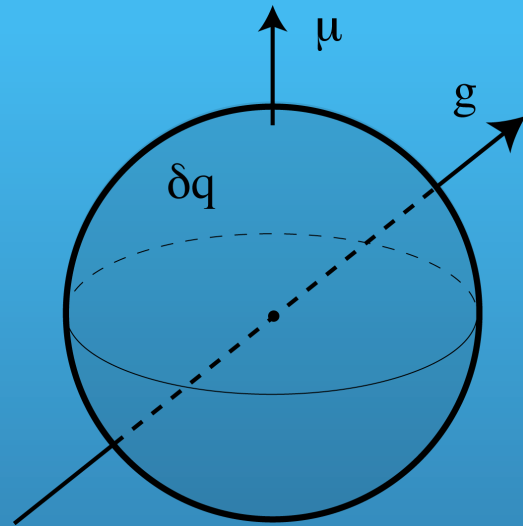
## Dark Energy Coupling to Electromagnetism

$$\vec{\nabla} \cdot \vec{E} - \rho/\epsilon_0 = -\frac{\epsilon_\gamma}{c} \vec{g} \cdot \vec{B}$$

$$\vec{\nabla} \times \vec{B} - \mu_0 \epsilon_0 \frac{\partial \vec{E}}{\partial t} - \mu_0 \vec{J} = \frac{\epsilon_\gamma}{c^2} \vec{g} \times \vec{E}$$



## Lab Tests



$$\vec{B} = \frac{2}{3}\mu_0\vec{M}$$

neutron as magnetized sphere

charge due to the local field

$$\delta q = \frac{2\epsilon_\gamma}{3c^3} \vec{g} \cdot \vec{\mu}$$
$$\simeq 10^{-32}e$$

$$q_N = -0.4(\pm 1.1) \times 10^{-21}e$$

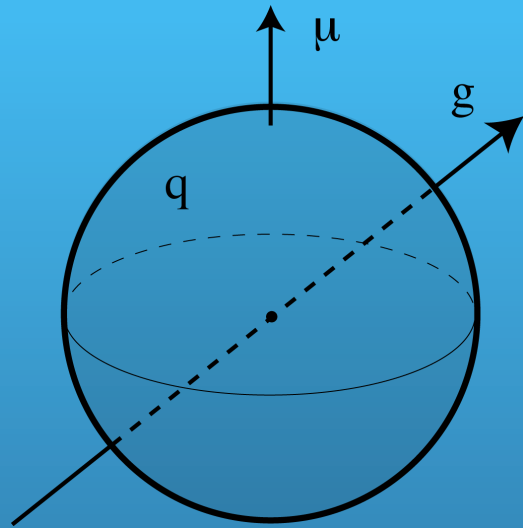
Baumann et al, PRD 37, 3107 (1988)

Spinning superconducting shell?

Precession of a drag-free gyro:  $\Omega$  is too small



## Lab Tests



$$\vec{E} = \frac{qr}{4\pi\epsilon_0 R^3} \hat{r}$$

$$\vec{B} = \frac{2}{3} \mu_0 \vec{M}$$

Within grasp of experiments?

**proton** as charged, magnetized sphere  
**spin-flip** in the local field

$$\delta \vec{B} = \frac{\mu_0 q \epsilon_\gamma}{20\pi R c} \left( 5\vec{g} + \frac{r^2}{R^2} ((\vec{g} \cdot \hat{r}) \hat{r} - 2\vec{g}) \right)$$

$$\vec{\tau} = \frac{2\mu_0 q \epsilon_\gamma}{5\pi R c} \vec{\mu} \times \vec{g}$$

$$\Delta \mathcal{E} = \frac{4\mu_0 q \epsilon_\gamma}{5\pi R c} \mu g \simeq 10^{-34} \epsilon_\gamma \text{ GeV}$$

Flambaum et al, PRD 80, 105021 (2009)

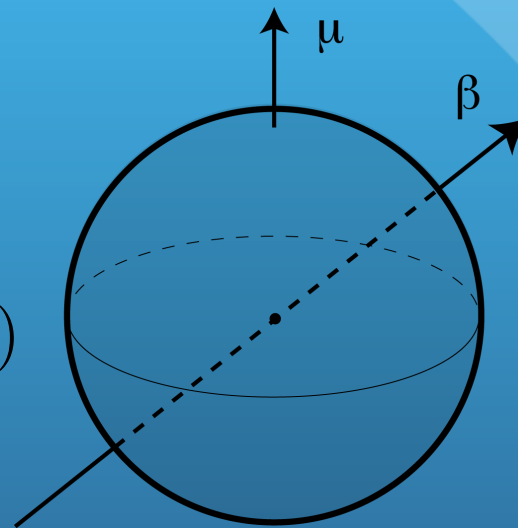
Brown et al, PRL 105, 151604 (2010)

anomalous couplings of neutron?

## Lab Tests

Brown et al, PRL 105, 151604 (2010)

$$\Delta\mathcal{E} = -\mu\vec{\beta} \cdot \vec{\sigma}$$
$$< 3.7 \times 10^{-33} \text{ GeV (68\%CL)}$$



*Seek out Mike Romalis' group!*

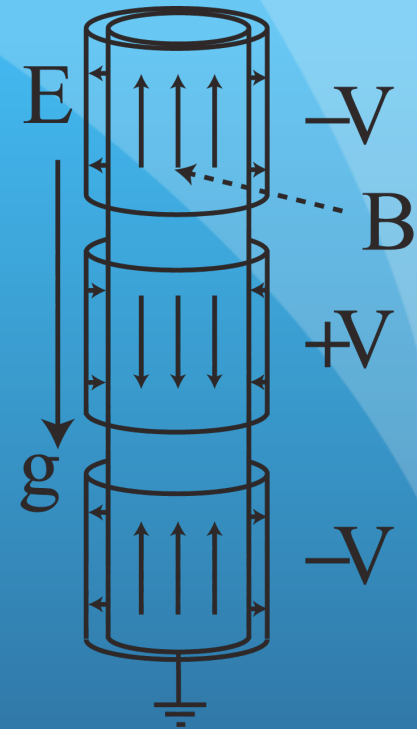
## Lab Tests

macroscopic electric field

magnetic field due to the local field

$$\delta B = (1.8 \times 10^{-19} \text{ T}) \left( \frac{V}{100 \text{ kV}} \right) \left( \frac{\epsilon_\gamma}{5} \right)$$

projected sensitivity  $10^{-17} \text{ T/Hz}^{1/2}$



Within grasp of experiments? *Observe at  $1\sigma$  after 1 hour integration*

Romalis & RC 2013

## Lab Tests

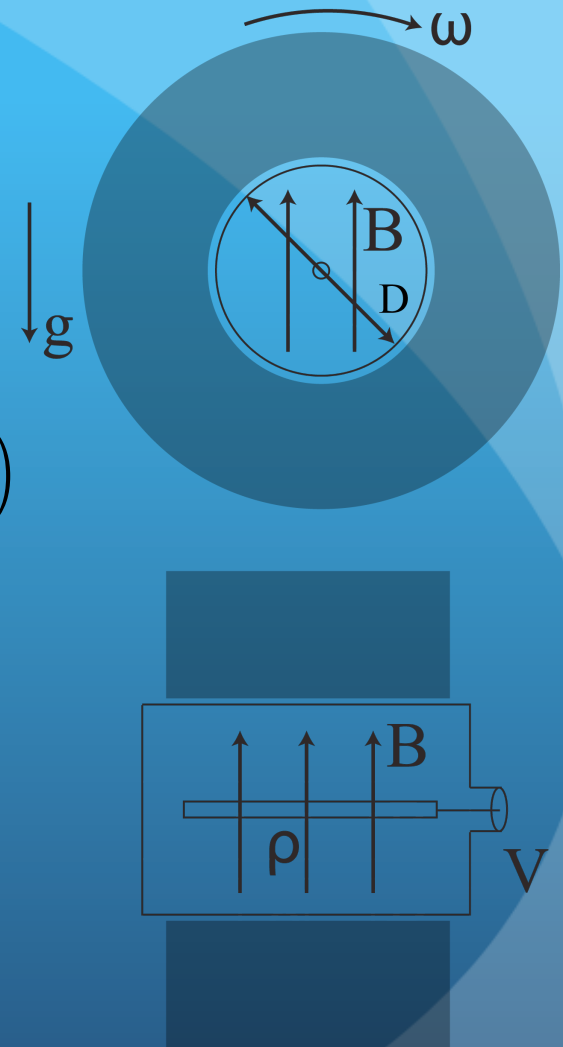
**macroscopic magnetized cylinder**  
**voltage** due to the local field

$$\Delta V = (0.4 \text{ nV}) \left( \frac{B}{1 \text{ T}} \right) \left( \frac{D}{20 \text{ cm}} \right)^2 \left( \frac{\epsilon_\gamma}{5} \right)$$

projected sensitivity  $4 \text{ nV/Hz}^{1/2}$

*Observe at  $4\sigma$  after 1 hour integration*

Romalis & RC 2013



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